# Long-Scale Molecular-Dynamics Simulations of Cyclic Peptide Hormones Vasopressin, Urotensin and Analogues 

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The thesis is submitted in partial fulfilment of the requirements for the award of the degree of Doctor of Philosophy
of the University of Portsmouth

## Front Pages

## Declaration

Whilst registered as a candidate for the above degree, I have not been registered for any other research award. The results and conclusions embodied in this thesis are the work of the named candidate and have not been submitted for any other academic award.

This is a cumulative thesis comprising three peer-reviewed published full papers showing the main results of this research project. I was the first author of these papers and the contribution of my coauthors is made clear in the text.

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#### Abstract

This thesis describes unrestrained microsecond-scale molecular-dynamics (MD) simulations of the structurally related peptide hormones $\mathrm{Arg}^{8}$-vasopressin (AVP), urotensin II (UII), urotensin-related peptide (URP), Leu ${ }^{8}$-oxytocin (OT) and analogous. All are agonistic ligands of G-protein coupled receptors that regulate a multitude of physiological functions. They are thus, connected with many pathophysiological processes, making them a major target for drug design.

The common structural feature of these intrinsically flexible peptides is a cyclic 6 -residue moiety closed by a disulphide bridge. The conformational space was explored and systematically clustered with the analysis method DASH. The main conformations were classified: They all show two main classes of ring conformations independently of their primary sequence. One comprises unfolded ring conformations (denoted as open) with no significant transannular hydrogen bonds and the other folded, ring conformations with multiple turns stabilised by highly populated hydrogen bonds. The conformations of the latter type are often considered as the bioactive structure within the binding pocket of the receptor. C - or N -terminal tails either adopt extended or folded conformations that generally interconvert more frequently than the ring. An interdependence of ring and tail conformations is possible; however, it is most appropriate to base the conformational classification primarily on the ring conformation. Structure coordinates of the main conformations may serve as input for 3D drug design, receptor/ligand modelling or further simulations.

Fast conformational equilibria in solution are difficult to access with experimental methods. A new technique is introduced that is able to decipher nuclear magnetic resonance (NMR) data of these equilibria with a combination of MD simulations and NMR calculations without classical analysis of Nuclear-Overhauser effect (NOE) distances and coupling constants. The technique was tested successfully for AVP, a "known system", and subsequently applied to UII/URP, a "less well known system". Based on these results, current single-conformation descriptions of AVP and UII/URP need to be replaced by a description as fast equilibria of open and folded conformations with characteristic open:folded ratios (AVP 30:70, UII 72:28, URP 86:14). Insights into the pre-allosteric dynamics may contribute to the understanding of factors that influence bioactivity.


The NMR data from experiments performed within this research supplement experimental data from the literature (e.g. assignment of cis-Pro ${ }^{3}-\mathrm{UIII} ;{ }^{15} \mathrm{~N}$ chemical shifts for AVP and UII/URP).

The main results of this thesis have been published in peer reviewed journals.

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## Abbreviations

| Abbreviation | Long Form |
| :---: | :---: |
| 1JK4 | RCSB Protein Data Bank structure code Lys ${ }^{\text {8 }}$-vasopressin |
| 1NPO | RCSB Protein Data Bank structure code oxytocin |
| 1YF4 | RCSB Protein Data Bank structure code $\mathrm{Arg}^{8}$-vasopressin |
| abs | Absolute |
| ACTH | Adrenocorticotropic Hormone |
| AMBER | Assisted Model Building with Energy Refinement |
| av | Average |
| AVP | 8-Arg-vasopressin, $\mathrm{Arg}^{8}$-vasopressin |
| B3LYP | Becke 3-Parameter (Exchange), Lee, Yang and Parr |
| BUA | Butanoic Acid |
| CD | Circular Dichroism |
| CERMN | Centre d'Etudes et de Recherche sur le Médicament de Normandie |
| CFWKYC | Cys-Phe-Trp-Lys-Tyr-Cys |
| CHARMM | Chemistry at HARvard using Molecular Mechanics |
| circsim | Circular Similarity |
| clop, cl.open | clinched open |
| CPU | Central Processing Unit |
| CT | Carbetocin |
| CUDA | Computer Unified Device Architecture (Language) |
| DASH | Dynamics Analysis by Salt and Hudson |
| dAVP | Deamino-Arg ${ }^{8}$-vasopressin |
| DFT | Density-Functional Theory |
| DMS | Dimethyl Sulphate |
| DMSO | Dimethyl Sulphoxide |
| DNA | Deoxyribonucleic acid |
| dOT | Deamino-oxytocin |
| DP4 | Probability Measure by Goodman and Smith |
| DPC | Dodecylphophocholine |
| DSS | (3-trimethylsily) propane sulfonic acid (NMR standard) |
| EDMC | Electronically Driven Monte Carlo |
| FAU | Friedrich-Alexander Universität |
| ff99SB | Force Field 1999 Stony Brooks |
| $\mathrm{g} / \mathrm{g}^{\prime}$ | gauche/gauche' |
| gHSQC | Gradient Heteronuclear Single Quantum Coherence |
| GIAO | Gauge-Independent Atomic Orbital, Gauge-Invariant Atomic Orbital |
| GNU | (a general public license) |
| GPCR | G-Protein Coupled Receptor |
| GPU | Graphics Processing Unit |
| GROMOS | Groningen Molecular Simulation Computer Program Package |
| Hbond | Hydrogen Bond |
| h-UII | Human Urotensin |
| IEFPCM | Integral Equation Formalism variant of PCM |
| IGLO | Individual Gauges for Localised Orbitals |
| Interreg EU | Interreg IVA France (Channel) - England 2007-2013 progamme |
| inv-folded | inverse folded |
| LEaP | Link Edit and Parm |
| LKH | Lock-and-Key Hypothesis |
| LVP | 8-Lys-Vasopressin, Lys ${ }^{8}$-Vasopressin |
| MD | Molecular Dynamics |
| MM | Molecular Mechanics |
| MSE | Mean Square Error |
| MUE | Mean Unsigned Error |


| Abbreviation | Long Form |
| :---: | :---: |
| MWC model | Monod-Wyman-Changeux model |
| NH | Amide Hydrogen |
| NMR | Nuclear Magnetic Resonance |
| NOE | Nuclear Overhauser Effect |
| NOESY | Nuclear Overhauser Effect Spectroscopy |
| NP | Neurophysin |
| 0 | Carbonyl Oxygen |
| OPLS | Optimised Potentials for Liquid Simulation |
| OT | Oxytocin |
| OTR | Oxytocin Receptor |
| Pauling-KFN | Pauling-Koshland, Nemethy, Filmer |
| PBC | Periodic Boundary Conditions |
| PC | Principal Component |
| PCA | Principal Component Analysis |
| PCM | Polarizable Continuum Model |
| PE | Potential Energy |
| PDB | Protein Data Bank (file format) |
| PDF | Portable Document Format (Adobe Acrobat) |
| PeReNE | Peptide Research Network of Excellence |
| PME | Particle Mesh Ewald |
| PMEMD | Particle Mesh Ewald Molecular Dynamics |
| QSAR | Quantitative Structure Activity Relationship |
| $\mathrm{R}^{2}$ | Coefficients of Determination |
| RadGyr | Radius of Gyration |
| RCSB | Research Collaboratory for Structural Bioinformatics |
| ref | Reference |
| rel | Relative |
| REMD | Replica Exchange Molecular Dynamics |
| RF | Reaction Field |
| RMSD | Root Mean Square Deviation |
| SCI | Science Citation Index |
| SDS | Sodium Dodecyl Sulphate |
| SI | Supporting Information, Supplementary Information |
| stddev | Standard Deviation |
| T6 | DASH analysis of 6 torsions, e.g. $\Phi \Psi 7$ to 9 AVP tail states |
| T10 | DASH analysis of 10 torsions, e.g. $\Phi \Psi 2$ to 6 AVP ring states |
| T16 | DASH analysis of 16 torsions, e.g. $\Phi \Psi 2$ to 9 AVP overall states |
| TIP4P-Ew | Transferable Intermolecular Potential 4 Point - Ewald |
| TM | Trans Membrane |
| TMS | Tetramethylsilane, Si(CH3)4 (NMR standard) |
| TOCSY | Total Correlated Spectroscopy |
| tws, tw.saddle | twisted saddle |
| UII | Urotensin II (here, also used for human urotensin II) |
| UNICAEN | Université de Caen Basse-Normandie |
| URP | Urotensin-Related Peptide |
| UTR, UTS2R | Urotensin II Receptor |
| V1aR | Vasopressin-1a Receptor (blood pressure) |
| V1bR | Vasopressin-1b Receptor (ACTH secretion) |
| V2R | Vasopressin-2 Receptor (antidiuresis) |
| WHAM | Weighted Histogram Analysis Method |
| WKY | Trp-Lys-Tyr |
| WRMSE | Weighted Root Mean Square Error |
| YMe | O-methyl-L-tyrosine |
| ZIP | Compressed File Format |
| $\Delta_{\sigma}$ | Coefficients of Distinctiveness |

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## Dissemination

## Publications

(1) Steinke T, Hänsele E, Clark T. The solvent effect on the electronic nature of 1,3-dipoles: an $a b$ initio SCRF study. J Am Chem Soc. 1989;111:9107-9.
(2) Hofmann H, Hänsele E, Clark T. A cautionary note on the use of the frozen-core approximation for correlation energy calculations involving alkali metals. J Comput Chem. 1990;11(10):114750.
(3) Hänsele E, Clark T. Ab initio simulation of electron-transfer reactions - the reaction of alkalimetal atoms with ethylene. Z Phys Chem. 1991;171:21-31.
(4) Alex A, Hänsele E, Clark T. The ethylene/metal(0) and ethylene/metal(I) redox system: model ab initio calculations. J Mol Model. 2006;12(5):621-9. Epub 2005/12/13.
(5) Haensele E, Banting L, Whitley DC, Clark T. Conformation and dynamics of 8-Arg-vasopressin in solution. J Mol Model. 2014;20(11):2485(17). Epub 2014/11/07.
(6) Saleh N, Saladino G, Gervasio FL, Haensele E, Banting L, Whitley DC, et al. A three-site mechanism for agonist/antagonist selective binding to vasopressin receptors. Angew Chem Int Ed Engl. 2016;55(28):8008-12. Epub 2016/05/18.
(7) Haensele E, Saleh N, Read CM, Banting L, Whitley DC, Clark T. Can simulations and modeling decipher NMR data for conformational equilibria? Arginine-vasopressin. J Chem Inf Model. 2016;56(9):1798-807.
(8) Haensele E, Mele N, Miljak M, Read CM, Whitley DC, Banting L, et al. Conformation and dynamics of human urotensin II and urotensin-related peptide in aqueous solution. J Chem Inf Model. 2017;57(2):298-310.
Papers (5), (7), and (8) form part of this thesis.

## Poster Presentations and Talks

(9) Haensele E, Banting L, Clark T. The necessity of long-term molecular-dynamics simulations: deamino-oxytocin - novel conformational insights. (a) 26th Molecular Modeling Workshop, March 12th, 2012. Erlangen, Germany. (b) IBBS Day, May 11th, 2012. University of Portsmouth, UK.
(10)Haensele E, Banting L, Clark T. Molecular dynamics and umbrella sampling simulations of 8-Argvasopressin. (a) 27th Molecular Modeling Workshop, Feb 25th, 2013. Friedrich-AlexanderUniversität (FAU) Erlangen-Nürnberg, Germany. (b) IBBS Day, Jun 7th, 2013. University of Portsmouth, UK.
(11)Haensele E, Banting L, Clark T. Urotensin-related peptide (URP): long-term molecular-dynamics simulation. 28th Molecular Modeling Workshop, Mar 18th, 2014. FAU Erlangen-Nürnberg, Germany.
(12)Haensele E, Whitley D, Banting L, Clark T. DASH: Analysis of microsecond-scale moleculardynamics trajectories (Talk). 28th Molecular Modeling Workshop, Mar 18th, 2014. FAU Erlangen-Nürnberg, Germany.
(13)Haensele E, Banting L, Whitley D, Read C, Cary P, Clark T, et al. Cyclic peptide hormones: conformation, dynamics and pharmacophores of urotensin and vasopressin (Joint Lecture). Final PeReNE Meeting, Jan 15-16th, 2015. University de Le Havre, France.
(14)Haensele E, Mele N, Miljak M, Read CM, Whitley DC, Banting L, et al. Urotensin II and urotensinrelated peptide: how to decipher NMR-data for conformational equilibria with moleculardynamics simulation and modelling. 13th German Peptide Symposium (DECHEMA), Mar 20-23, 2017. FAU Erlangen-Nürnberg, Germany.

Abstracts and poster reprints are given in the Appendix.

## INTRODUCTION

## Chapter 1: Objectives and Outline

The aim of this study was to elucidate the conformational space and dynamics of the cyclic peptide hormone AVP and structurally related peptides (OT, UII, URP, dOT, CT) in order to predict their conformational equilibria in solution. Sufficiently long simulations should expose all possible conformations (convergence) and should enable structural classification. Here, the first microsecond long-scale simulations were performed with these peptides. To predict conformational equilibria, a novel technique was tested and established combining results from NMR spectroscopy, density-functional theory (DFT)/ NMR calculations, long-scale MD simulations and enhanced sampling. The peptides investigated are agonists of their cognate G-protein coupled receptors (GPCRs). These peptides exhibit multiple physiological functions that make them a major target for drug design. As structure and function are interdependent, an atomistic understanding of the conformational dynamics of these peptides will contribute to the understanding of their bioactivity.

The thesis is structured as follows:

Introduction. The Introduction includes the current Chapter 1 (Objectives and Outline) and Chapter 2 (Peptides - Biological Function and Structure). Chapter 2 gives an introduction to bioactive peptides and conformation in general, and an overview of known structural data for AVP, OT, UII, URP, dOT and CT, in particular. It supplements the information on AVP, UII and URP given in the Introductions of Paper 1 and 3 (Chaps. 4 and 6).

Methods. The Methods part comprises Chapter 3, which explains the principles of the methods used in this work and discusses their advantages and limitations. The chapter supplements methodological details given in the Methods sections and Supporting Information of Papers 1, 2 and 3 (Chaps. 4-6).

Results. The research project went through three stages and the results of each stage were published consecutively. The thesis presents a cumulative form of these scientific papers (Chapters 4, 5 and 6) complemented with unpublished results. The papers are given as postprints (unmodified content embedded in the formatting of the thesis). Each paper is preceded by a short foreword and a clarification of co-author contributions. The Online Supporting Information from the original papers is included as reprints in Appendices A1 to A3. The chapters content in particular:

Chapter 4 (Paper 1: Conformation and Dynamics of Arg $^{8}$-Vasopressin). In the first stage of the research project, the structurally well-known system AVP was simulated to gain experience with long-scale simulations and to assess the reliability of this method. The applicability of the analysis method DASH for long trajectories was tested and optimised. It is shown that a separate consideration of ring and tail conformations is best suited to characterise the conformations of AVP, further supported by the finding that ring and tail conformations are not correlated. AVP comprises four main conformations that are described in detail. The results were published in 2014. ${ }^{1}$

Chapter 5 (Paper 2 Deciphering NMR-Data for Conformational Equilibria). The second stage of the project focused on the determination and evaluation of the conformational equilibrium of AVP. A protocol was established and developed to decipher the experimental NMR-spectra of AVP with respect to its conformational equilibrium. The technique was validated and showed promise for generic application to assess the conformation (or conformational equilibria) of flexible peptides in solution. AVP exhibits approximately $70 \%$ folded (saddle) and $30 \%$ open (clinched open) conformations. The results and technique were published in $2016 .{ }^{2}$

Chapter 6 (Paper 3: Conformation and Dynamics of Urotensin II and Urotensin-Related Peptide). In the third stage of the research project, the novel technique was applied to UII and URP. In this case, it was shown that conformational equilibria of open and folded conformations are better suited to describe the solution structures of UII and URP than single conformations. UII and URP favour open conformations in contrast to AVP. Ull exhibits approximately $28 \%$ folded and $72 \%$ open conformations, URP $14 \%$ folded and $86 \%$ open. These findings were preceded by an in-depth exploration of the conformational space of these intrinsically flexible peptides and a systematic classification of their conformations. The results were published in 2017. ${ }^{3}$

Chapter 7 (unpublished results: Related Peptides and General Conformational Classification). Ongoing projects are the investigation of structurally related peptides and analogues (OT, dOT, CT). The current results are summarised and common features of all peptides investigated are discussed. Finally, a general conformational classification of cyclic peptides with 6-residue ring moiety is given.

Final Conclusions and Outlook. The last section summarises and reflects the work as a whole. The conclusions given in the papers (Chaps. 4 to 6) are combined with the unpublished results (Chap. 7) and placed in a general context. The relevance of the results is discussed and outlooks are given.

Appendices. The Appendices include the Online Supporting Information of the published papers and further supplementary material to chapters of this thesis.

## Chapter 2: Peptides - Biological Function and Structure

## Biological Function of Peptides

Bioactivity. Peptides consist of amino-acid sequences of variable length. Depending on the chain length, one can distinguish between oligopeptides (<= 10 residues) and polypeptides ( $>10$ residues). The latter are called proteins when the chain length exceeds $50-100$ residues. ${ }^{4,5}$ Natural peptides are synthesised via both ribosomal and non-ribosomal processes. ${ }^{6}$ When a peptide shows an effect on body function, it is deemed bioactive. The functionality ranges from toxic, antioxidant, antimicrobial, antihypertensive to neurotransmittant. ${ }^{7,8}$ Malfunction of peptide signalling may lead to diabetes, cardiovascular diseases, arthritis, allergies, digestive dysfunctions, infections and inflammation, growth perturbation, obesity, cancer, diseases of the central nervous system, and many more. ${ }^{9-11}$ Some examples of bioactive functions of peptides are given in Table 2.1.

Table 2.1 The diversity of bioactive peptide functions

| Peptide Function | Effect (example) | Peptide (example) | Ref. ${ }^{\text {a }}$ |
| :--- | :--- | :--- | :--- |
| Neurotransmitter, <br> lon channel gating ligand <br> Hormone, | Neuronal signal transduction | Vasopressin | 12 |
| Growth factor | Cellular signalling | Glucagon | 13 |
| Neurotoxin | Paralysis | Cobratoxin | 14 |
| Antifungal | Immunosuppression | Cyclosporine A |  |
| Antioxidant | Inhibition of cellular oxidation processes | Glutathione | 15,16 |
| Antimicrobial | Killing or inhibition of microorganisms | $\alpha$-Defensins | 17 |
| Antihypertensive peptides | Enzyme inhibition | Angiotensin | 16 |

${ }^{a}$ References for further reading.

Arg ${ }^{8}$-vasopressin, oxytocin, urotensin II and urotensin-related peptide are examples of natural cyclic peptide hormones found in humans. They mainly perform their function by activating GPCRs. ${ }^{18-23}$ The proposed mechanism for this agonism includes interaction with the cell surface, ${ }^{24,25}$ the extracellular loops and intrusion of the peptide ligand into the transmembrane binding pockets of its cognate receptors, where a signal is triggered (for references, see Table 2.2). However, more complicated reaction paths have been discussed, including multiple conformations, ${ }^{26,27}$ upstream complexes ${ }^{21,28}$ and biased agonism. ${ }^{29}$

Table 2.2 lists the corresponding receptors and main physiological functions of the peptides in the focus of this investigation, and gives references for reviews and further reading. Deamino-oxytocin (dOT, 1-(beta-mercaptopropionic acid)-oxytocin) and carbetocin (CT, (1-butanoic acid-2-(O-methyl-L-tyrosine)-1-carbaoxytocin) are synthetic analogues of OT. CT is an approved pharmaceutical substitute of OT with a considerably longer half-life. ${ }^{30}$ It is used for the treatment of excessive postpartum bleeding after Caesarean sections. ${ }^{31}$ Deamino-OT demonstrates superagonistic activity
toward the OT receptor but is not used pharmaceutically. It was the first crystal structure determined for the aforementioned peptides. ${ }^{32}$

Table 2.2 Physiological function and receptors of AVP, human UII, human URP, OT and the synthetic analogue CT

| Peptide | Sequence ${ }^{\text {a }}$ Receptor <br> Physiological function (examples)  | References ${ }^{\text {b }}$ |
| :---: | :---: | :---: |
| AVP ${ }^{\text {c }}$ | [CYFQNC]PRG ${ }_{\text {NH2 }}$ V1aR, V1bR, V2R | 20,22,33-38 |
|  | Antidiuretic, antipyretic, regulation of blood pressure, regulation of social and sexual behaviour | 39-42 |
| OT ${ }^{\text {d }}$ | [CYIQNC]PLG ${ }_{\text {NH2 }}$ ( OTR | 19,37,38,43 |
|  | Milk ejection, uterotonic activity, regulation of social and sexual behaviour | 41,42,44,45 |
| CT ${ }^{\text {e }}$ | [(BuA)(YMe)IQNC]PLG ${ }_{\text {NH2 }}$ OTR | 46 |
|  | Prevents postpartum bleeding ${ }^{f}$ | 30,31 |
| UII, URP | ETPD[CFWKYC]V, A[CFWKYC]V UTR (= UTS2R) | 21,23,47,48 |
|  | Vasoconstrictive (cardiovascular homeostasis) | 49 |

${ }^{a}$ Cyclic motif in square brackets. ${ }^{\text {b }}$ Reviews and further reading. ${ }^{\text {c }}$ AVP is also a partial agonist to OTR. ${ }^{\mathrm{d}}$ Trivial names: "trust, cuddle, love hormone". e Synthetic analogue of OT. ${ }^{\mathrm{f}}$ Intravenous application. Abbreviations: see p. xii.

Pharmacology. The diversity of their bioactive function makes peptides attractive for their pharmaceutical potential. ${ }^{8,11,50}$ GPCR targeting drugs share approximately 25-40 \% of the global market. ${ }^{26}$ However, traditional drugs are small molecules and orally bioavailable, stable against digestion and able to cross membranes. These are all properties that are commonly not present in peptides. Bio-drugs often need to be delivered by injection (e.g. CT), they are usually metabolically unstable and show poor membrane permeability. Nevertheless, they outclass traditional smallmolecule drugs, demonstrating high specificity for their targets, high potency and low side effects. ${ }^{50,51}$ In 2010, 100 peptide-based drugs were registered holding approximately $10 \%$ of the therapeutics market with an increasing share. ${ }^{50}$ Most of these therapeutics are peptide hormones ${ }^{i}$ with chain lengths of 8-10 residues and cyclic peptides are especially interesting because of higher resistance against proteolytic degradation and increased bioavailability. ${ }^{11,50}$ Furthermore, it is assumed for cyclic peptides that their conformational flexibility, in combination with the ability to build intramolecular hydrogen bonds (reduction of hydrophilic surface) may facilitate membrane crossing. ${ }^{52}$ Synthetic therapeutic peptides derived from AVP include argipressin (I), desmopressin acetate (II), lypressin (III), and phenypressin (IV), indicated for the treatment of diabetes insipidus (I, II, III), enuresis ${ }^{\text {ii }}$ (II), Cushing's syndrome (III), stomatitis and pharyngitisiii (IV). ${ }^{11}$ Those derived from OT include carbetocin, mentioned above, and atosiban acetate. The latter is used as antagonist (tocolytics ${ }^{\text {iv }}$ ) for the treatment of premature contractions. ${ }^{11} \mathrm{CT}$ and the mentioned AVP

[^0]derivatives act agonistically and an activation of 5-20 \% of the receptors is sufficient to be effective. ${ }^{\text {i }}$ UII and URP or their derivatives are not yet used as drugs.

## The Structure of Peptides

Conformation. In 1874, the postgraduate student J. H. van't Hoff ( who 26 years later became the first winner of the Nobel prize in Chemistry) ${ }^{53}$ made a "suggestion looking to the extension into space of the structural formulas at present used in chemistry" ${ }^{54}$ and proposed that the four covalent CH bonds of methane $\left(\mathrm{CH}_{4}\right)$ adopted a tetrahedral spacial orientation. Though strongly criticised as "childish fantasy" by his contemporary H. Kolbe, ${ }^{55}$ van't Hoff's idea prevailed. It introduced the third dimension to chemistry and started the fields of stereochemistry and conformational analysis. Conformation is generally understood as the "arrangement of atoms in a molecule obtained by rotation about one or more single bonds"..${ }^{56}$ However, how can conformation best be described? 2D structural formulae (e.g. Fischer projections) give a limited indication of 3D structure but are inadequate to represent the 3D arrangement of macromolecules. A precise definition is given by the Cartesian coordinates of the atoms, but this is too detailed a view for many purposes and needs computational visualisation to be imaginable and figurative names are often used to communicate conformational shapes (e.g. boat or chair for the 3D structure of cyclohexane).

The prime mover in facilitating the lingua franca of protein structure has been decades of X-ray, followed later by neutron, diffraction crystallography and a notation using four structural levels is established. The primary structure refers to the defined sequence of amide-bond connected amino acids also called residues. Names of the amino acids are abbreviated by 1- or 3-letter codes. The secondary structure describes conformational segments denoted as secondary structure motifs. Typical secondary structure motifs are turns and helices, which are illustrative descriptions of the local conformation. They are defined by distinct sequences of the dihedral angles ( $\Phi$ and $\Psi$ ) of the backbone $C^{\alpha}$ atoms and energetically favoured regions for $\Phi \Psi$ combinations can be visualised with Ramachandran plots. ${ }^{57}$ A helix describes a periodically repeatable motif, other periodic structure motifs are e.g. $\beta$-sheets. These structures are generally stabilised by repetitive hydrogen bonds and are further characterised by the number of $\mathrm{C}^{\alpha}$ atoms involved in the periodic motif. A turn characterises a single conformational motif and a motif with consecutive turns is denoted as a multiple turn. The overall folding of all the secondary structure elements in a polypeptide chain defines the tertiary structure. A fourth structural level, quaternary structure, is applied if

[^1]polypeptide chains build complexes of multiple subunits. For further basic details, the reader is referred to biochemical textbooks (e.g. Stryer's "Biochemie" ${ }^{4}$ ). For a general taxonomy of protein structure, reference is made to Richardson. ${ }^{58}$

In the context of this work, only the secondary structure elements that are relevant for the investigated peptides will be described in detail. $\mathrm{Arg}^{8}$-vasopressin and the structurally related peptides exhibit rather short chain lengths of 8 to 11 amino acids and the major motifs of these cyclic peptides are turns. Descriptions of the structure of these peptides in solution in terms of turns, turn centres and turn types are very common in the literature (cf. Tables 2.3, 2.4, 2.6). The classical turns are known as $\gamma$ - and $\beta$-turns. A $\gamma$-turn comprises three $C^{\alpha}$ atoms and a $\beta$-turn four $C^{\alpha}$ atoms with characteristic turn centres ( $C^{\alpha}{ }_{i+1}$ for a $\gamma$-turn, $C^{\alpha}{ }_{i+1}$ and $C^{\alpha}{ }_{i+2}$ for a $\beta$-turn), where the "course" of the chain is reversed. The classical $\beta$-turn includes a hydrogen bond between the carbonyl oxygen of residue $i$ and the amide proton of residue $i+3$, and the $\Phi \Psi$ torsions at the centre $\mathrm{C}^{\alpha}$ atoms define the turn type. A table of classical turn types with further explanations is given (see Appendix A5). The classical terminology, however, falls a little short when considering the dynamical nature of small peptides in solution or in complexes with their receptor, which now can be observed by MD simulation. In this work, the term "classical hydrogen-bonded turn" was extended to "open turn" to take into account the conformational fluctuation of the peptides in solution and a detailed definition is given in the Supporting Information of Paper $3^{3}$ (see Appendix A3, p. A46). The periodic motifs $3_{10}$-helix, parallel sheet and anti-parallel sheet were also found in conformations of the cyclic oligopeptides in this study. However, periodic motifs emerge only to some extent and without long-range repetition due to the short peptide-chain lengths. A $3_{10}$-helix motif comprises three residues and a hydrogen bond from the carbonyl oxygen of residue $i$ to residue $i+3$ (in contrast to $i+4$ for $\alpha$-helices) resulting in a ring motif of 10 atoms; ${ }^{58}$ the $\Psi \Phi$ torsions of this motif fluctuate around $-49^{\circ}$ and $-26^{\circ}$ (cf. Appendix 5, Table A5.1). Parallel and anti-parallel sheets are subtypes of $\beta$-sheets, where adjacent amino-acid sequences are connected via "evenly spaced ${ }^{\prime \prime 58}$ hydrogen bonds with either ascending (parallel) or descending (antiparallel) consecutive order. ${ }^{58}$ While it is debatable whether it makes sense to use periodic structure elements for short sequence lengths, each specified secondary structure element matches the required torsion angles and/or hydrogen bonds and a notation as helix or sheet indicates a tendency to periodic motif repetition.

In addition and in the spirit of communicative structure notation, most of the main conformations identified in the long-scale MD simulations of this work were given names that describe their threedimensional shape, e.g. saddle, scoop, twisted saddle and omega (shape of the Greek letter).

Relevance. To understand the functionality of peptides, it is necessary to understand their structure because of the interdependence of conformation with function. Distinct single conformations are the basis of the traditional Lock-and-Key hypothesis (LKH) ${ }^{59}$ and allosteric models. ${ }^{60-65}$ The LKH is the simple view that a ligand and receptor need to fit together to trigger a response, requiring a specific "bioactive" conformation of the ligand. Allostery describes the possibility of conformational changes of ligand and/or receptor caused by mutual contact (or contact with further components) on the reaction path that triggers a biological function. ${ }^{61,63,65,66}$ However, more recent models consider flexibility and even disorder or, in other terms, conformational dynamics as a functional feature: This implies the possibility that the bioactive conformation is not the lowest-energy conformation but a minor populated state that is selected from an equilibrium of multiple conformations and reproduced by population shift. ${ }^{67-69}$ All polypeptide chains are intrinsically flexible ${ }^{67,68,70}$ and exist as equilibria of a vast range of conformations. The thermodynamic stability determines the relative populations of the conformations and the barrier heights determine the timescale of interconversions (kinetics).

Restrictions. There are several factors that restrict conformational freedom and promote distinct conformations. ${ }^{71}$ The amino acids of peptide chains are linked by peptide bonds. The rotation of a peptide bond is limited by its double bond character and a trans conformation of the adjacent residues is thermodynamically favoured in native peptides. ${ }^{4}$ The degrees of freedom increase with the sequence length. AVP, UII and other peptides studied here have relatively short sequence lengths of 8-11 residues. The chemical or stereochemical nature of the sidechains will also affect the 3D structure of peptides via attractive or repulsive interactions along with conformational rigidity of residues themselves (e.g. Pro). Examples of decisive sidechain interactions include hydrogen bonding, $\pi-\pi$ stacking of aromatic rings (Phe, Tyr, Trp), steric hindrance of bulky residues (e.g. Arg, Lys), or covalent binding (e.g. Cys, disulphide bridge). Cyclisation is a further consideration constraining conformational diversity. The smaller the cyclic chain, the higher the constraint of conformations. ${ }^{71}$ AVP, OT, UII, URP and dOT comprise a 6 -residue ring closed by a disulphide bond forming a 20-membered macrocycle. They are examples of flexible peptides that nevertheless may exhibit defined conformations due to their cyclic restriction (see below). Besides the intrinsic properties, the environment will also affect possible conformations. Polar solvents (e.g. $\mathrm{H}_{2} \mathrm{O}$ ) favour chemical exchange (e.g. between amide protons and solvent), which may hamper the formation of defined secondary-structure motifs, which is why less polar solvents (e.g. dimethyl sulphoxide (DMSO)) facilitate them. A peptide in solution certainly has more conformational freedom than a peptide in contact with the cell-surface, an outer binding site or a peptide "trapped" in a binding
pocket. Consequently, a peptide conformation deduced from a crystal structure cannot be readily transferred to the situation in solution and vice versa.

Analysis Methods. Classical experimental methods of structure determination include X-ray crystallography and NMR spectroscopy, accompanied by other spectroscopic methods, e.g. circular dichroism spectroscopy (CD). Computational methods are summarised under the term molecular modelling and range from quantum chemistry to molecular mechanics (MM), including MD simulations. They are able to provide atomistic insight into the conformational space of molecules, here, the peptides considered. The methods used in this thesis are discussed in Chapter 3.

## Structural Data for AVP, OT, UII, URP, dOT, and CT

The structural determination of the above peptides started in 1953 when du Vigneaud et al. ${ }^{72}$ were able to identify the amino-acid sequence of oxytocin. This was the first time that the motif of a 6 -residue ring closed by a disulphide bridge was seen in nature, later also identified for vasopressin, urotensin, urotensin-related peptide (Scheme 2.1) and others (e.g. insulin).

A literature review of structural information for OT, dOT, AVP, UII and URP from 1960s until today with focus on the ring and tail conformations is given (see Tables 2.3 to 2.6 ), including results from this work. Table 2.5 lists additional conformational aspects. The conformations from the literature are assigned to the main conformational ring types defined in this work where possible. These ring types are discussed in detail in Chapters 4 (Paper 1), 6 (Paper 3) and 7 (Related Peptides and General Conformational Classification).

The conformational data can be summarised as follows:

Oxytocin and Deamino-Oxytocin. After the determination of OT's amino-acid sequence in 1953 by du Vigneaud, ${ }^{72}$ first crystallographic data of dOT followed in 1964 to 1966. ${ }^{73-75}$ Deamino-oxytocin, which only lacks the N -terminal amino group (Scheme 2.1), was considered as model for the 3D structure of OT, although dOT is twice as potent ${ }^{74}$ at the OT receptor. The first complete X-ray structure of dOT was published in 1986 by Wood et al., ${ }^{32}$ refined by Husain et al. in 1995 (PDB ID: 1 XY 1 and 1XY2, Fig. 2.1). ${ }^{76}$ The two crystal forms found for dOT are both characterised by a $3,4 \beta-I I$ turn and hydrogen bonds $\mathrm{Tyr}^{2} \mathrm{O}-\mathrm{Asn}^{5} \mathrm{H}$ and $\mathrm{Asn}^{5} \mathrm{O}-\mathrm{Tyr}^{2} \mathrm{H}$ in the ring and a $7,8 \beta-\mathrm{III}$ turn of the tail with a hydrogen bond between $\mathrm{Cys}^{6} \mathrm{O}$ and $\mathrm{Gly}^{9} \mathrm{H}$.


8-Arg-vasopressin: CYFQNCPRG


Deamino-oxytocin: MpaYIQNCPLG



Oxytocin: CYIQNCPLG


Carbetocin: BuaY ${ }^{\text {OMe }}$ IQNCPLG


Urotensin-related-peptide: ACFWKYCV

Scheme 2.1 Primary structure of the natural peptide hormones AVP, OT, UII, URP, and the artificial analogues dOT (1-(beta-mercaptopropionic acid)-oxytocin) and CT (1-(butanoic acid)-2-(O-methyl-Tyr)-1-carbaoxytocin). The main sequence differences (AVP/OT/dOT/CT and UII/URP) are highlighted.


## twisted saddle

Figure 2.1a-c Deamino-oxytocin, PDB ID: 1XY1. dOT crystallises in two forms, "wet" (space group C2, PDB ID: 1XY1, shown) and "dry" (space group P2 ${ }_{1}$, PDB ID: 1XY2). Both forms show the same ring conformation. The backbone shape resembles the ring-state type twisted saddle (= folded-IVb2). Depiction: (a) backbone (sticks), sidechains (lines), disulphide bridge (sticks), nonpolar hydrogens hidden, transannular hydrogen bonds (dotted lines), residue numbers labelled; (b) backbone (cartoon), sidechains (lines), disulphide bridge (lines), nonpolar hydrogens hidden, residue numbers labelled; (c) all atoms as spheres, perspective like b.

In 1996, Rose et al. ${ }^{77}$ published the X-ray structure of OT bound to its carrier protein neurophysin (NP) (PDB ID: 1NPO, Fig. 2.2). Like dOT, OT ${ }_{N P}$ exhibits a $\beta$-turn at residues $\mathrm{Tyr}^{3}$ and $\mathrm{Gln}^{4}$ but of different turn type ( $\beta$-III). The tail of $\mathrm{OT}_{\mathrm{NP}}$ crystallises in two forms: a folded conformation with 7,8 $\beta$-turn and an extended conformation with a hydrogen bond from $\mathrm{Pro}^{7} \mathrm{O}$ to $\mathrm{Gly}^{9} \mathrm{H}_{\mathrm{NH} 2}$.


Figure 2.2a-c Oxytocin, PDB ID: 1NPO. Crystal structure of OT bound to its carrier protein neurophysin (not shown). The NP-OT complex crystallises as dimer. Both OT molecules show the same ring conformation but differ in their tail conformation, extended (shown) and folded ( $7,8 \beta$-turn), respectively. The backbone shape resembles the ring-state type saddle (= folded-I). Depiction: (a) backbone (sticks), sidechains (lines), disulphide bridge (sticks), nonpolar hydrogens hidden, transannular hydrogen bonds (dotted lines), residue numbers labelled; (b) backbone (cartoon), sidechains (lines), disulphide bridge (lines), nonpolar hydrogens hidden, residue numbers labelled; (c) surface.

However, it was NMR spectroscopy that led to the first plausible 3D structure descriptions of OT as early as $1971 .{ }^{78}$ An overview on proposed conformations of OT is given in Table 2.3.

Table 2.3 Ring and tail conformations of OT and dOT (literature review)

| Method | Ring <br> conformation | Turns and hydrogen bonds a |
| :--- | :---: | :--- | :--- | :--- | :--- |

*Conformational flexibility or dynamic equilibrium of multiple conformations. (*)Conformational flexibility suggested. ${ }^{\text {a }}$ Hydrogen bonds are denoted by the residue number and the donor and acceptor atom ( O carbonyl oxygen; H amide hydrogen). ${ }^{\mathrm{b}}$ Assignment to ringstate types defined in this work and based on turn description or circular similarity of torsion angles (cf. Appendix A4); parentheses
 ${ }^{\text {d PDB ID: }}$ 1NPO (dimer; different tail conformations for OT). ${ }^{e}$ Circsim (ref vs. clop) $=68 \%$. ${ }^{\text {f }}$ Circsim (ref vs. twshelix) $=51 \%$. ${ }^{\mathrm{g}}$ Circsim (ref
 see $p$. xii.

The data in Table 2.3 may be summarised: NMR experiments of OT in DMSO suggest $\beta$-turns centred at residues 3 and 4 stabilised by hydrogen bonds ( $\operatorname{Tyr}^{2} \mathrm{O}-\mathrm{Asn}^{5} \mathrm{H}, \mathrm{Tyr}^{2} \mathrm{O}-\mathrm{Cys}{ }^{6} \mathrm{H}$, and/or $\mathrm{Asn}^{5} \mathrm{O}-$ $\mathrm{Tyr}^{2} \mathrm{H}$ ). Nonpolar solvents like DMSO appear to favour a compact conformation with folded tail (7,8 $\beta$-turn and hydrogen bond $\mathrm{Cys}^{6} \mathrm{O}-\mathrm{Gly}{ }^{9} \mathrm{H}$ ) but conformational flexibility is not excluded and interconverting $\beta$-turn types are assumed. In polar solvents, such as $\mathrm{H}_{2} \mathrm{O}$, the transannular hydrogen bonds are not evident inferring high conformational flexibility. However, in 1993, Kato et al. ${ }^{87}$ pointed out that in DMSO none of the published NMR structures would be consistent with all of their observed NOE data and that "for small peptides such as oxytocin [...], problems of molecular flexibility or multiple conformers are very serious". The existence of multiple low-energy conformations was further suggested by early MM calculations ${ }^{81,94}$ and Liwo et al. ${ }^{96}$ in 1989 proposed a classification of ring conformations for dOT and Deamino-Arg ${ }^{8}$-vasopressin (dAVP) by analogy with cyclohexane conformations; this was not developed further.'

Arg $^{8}$-Vasopressin. AVP differs from OT in positions 3 and 8 (cf. Scheme 2.1). $\mathrm{Ile}^{3}$ becomes Phe ${ }^{3}$, giving the possibility of $\pi-\pi$ interaction with the neighbouring residue $\mathrm{Tyr}^{2}$ and the hydrophobic Leu ${ }^{8}$ changes to the sterically demanding hydrophilic residue $\mathrm{Arg}^{8}$. Conformational diversity also applies to AVP (see Table 2.4). The X-ray structure of AVP bound to its carrier NP has yet to be published. However, an X-ray structure of AVP bound to trypsin exists (PDB ID: 1YF4, Fig. 2.3). ${ }^{97}$

open
Figure 2.3a-c Arg ${ }^{8}$-vasopressin, PDB ID: 1YF4. Crystal structure of AVP bound to enzyme trypsin (trypsin not shown). The backbone shape resembles the ring-state type open (= lasso). Depiction: (a) backbone (sticks), sidechains (lines), disulphide bridge (sticks), nonpolar hydrogens hidden, residue numbers labelled; (b) backbone (cartoon), sidechains (lines), disulphide bridge (lines), nonpolar hydrogens hidden, residue numbers labelled; (c) surface.

[^2]This shows an unfolded (open) conformation significantly different to the folded $\beta$-turn conformations found for $\mathrm{OT}_{\mathrm{NP}}$ (cf. Fig. 2.2). However, the X-ray structure of the NP complex of Lys ${ }^{8}$ VP (LVP, PDB ID: 1JK4, porcine vasopressin) ${ }^{98}$ is very similar to OT with $\beta$-turns at 3,4 . NMR experiments for AVP (see Table 2.4) suggest conformations with $\beta$-turns at residues 3,4 and/or 4,5 of different fast interchanging types and possible transannular hydrogen bonds, depending on the polarity of the solvent. AVP, like OT, is suggested to be a flexible molecule able to adopt multiple conformations ${ }^{99,100}$ even more flexible than OT. ${ }^{101}$

| Method | Ring conformation | Turns and hydrogen bonds ${ }^{\text {a }}$ | Ring-state type assignment ${ }^{\text {b }}$ | Reference |
| :---: | :---: | :---: | :---: | :---: |
| AVP in $\mathrm{H}_{2} \mathrm{O}$ |  |  |  |  |
| MD+NMR | 70 \% : 30 \% | folded conformations | folded | Haensele 20141(Chap. 4) |
| ( $23 \mu \mathrm{~s}$ ) | folded:open | (1) $3,4,5$ multiple turn $(3,4 \beta-\mathrm{I}+2 \mathrm{O} \mathrm{H}$, | (1) saddle | Haensele 20162(Chap. 5) |
|  |  | 206H) | (2) tws |  |
|  |  | (2) $3,4,5$ multiple turn ( $3,4 \beta-\mathrm{II}+2 \mathrm{O} \mathrm{H}$ ) | open |  |
|  |  | open conformations | (3) clop |  |
|  |  | (3) open distorted 4,5 $\beta$-VIII/I | (4) open |  |
|  |  | (4) open, no classical turns |  |  |
|  |  | Tail: extended and folded |  |  |
| REMD | folded ${ }^{\text {i }}$ | (1) $3,4 \beta$-III $+2 \mathrm{O} 5 \mathrm{H}, 2 \mathrm{O} 6 \mathrm{H}$ | (1) saddle | Yedvabny $2014{ }^{102}$ |
| (50 ns) |  | Tail: extended and folded |  |  |
| NMR | (*) | (1) open $3,4 \beta$-II $+4,5 \beta$-III' | (1) (tws) | Sikorska $2008{ }^{103}$ |
|  |  | (2) open $3,4 \beta$-II $+4,5 \beta$-I'ii | (2) (tws) |  |
| EDMC, | * | (1) $3,4 \beta$ | (1) (tws) | Liwo 199681 |
| MD ${ }^{\text {c }}$ |  | (2) $4,5 \beta$ | (2) (saddle/clop) |  |
| (400 ps) |  | (3) $2,3 \beta^{d}$ | (3) (open) |  |
| AVP in DMSO ${ }^{\text {g }}$ |  |  |  |  |
| NMR | (*) | (1) 3,4 $\beta$-II (or I') | (1) tws | Schmidt $1991{ }^{99}$ |
|  |  | (2) $3,4 \beta$-II | (2) - |  |
|  |  | (3) $3,4 \beta$ - | (3) saddle |  |
|  |  | Tail: $\geq 2$ conformers |  |  |
| NMR | (*) | (1) $3,4 \beta+2 \mathrm{O} \mathrm{H}$ | (1) - | Walter $1974{ }^{104}$ |
| AVP in micelles ${ }^{\text {e }}$ |  |  |  |  |
| NMR | folded | (1) $3,4 \beta$-II (or VII) $+4,5 \beta-\mathrm{I}^{\prime}($ or IV) $+2 \mathrm{O} 6 \mathrm{H}$ | (1) (tws) | Lubecka 2015105 |
| (DPD) |  | $70 \% 6,7 \beta-I+608 \mathrm{H}$ |  |  |
| NMR | folded | (1) $3,4 \beta$-II $+4,5 \beta-\mathrm{I}+306 \mathrm{H}+5,6 \beta-\mathrm{IV}$ | (1) - | Rodziewicz $2008{ }^{100}$ |
| (SDS) |  | cis-peptide bond Cys ${ }^{1}$ - $\mathrm{Tyr}^{2}$ |  |  |
|  |  | Tail: $\gamma$ or $\beta$-turn |  |  |
| AVP-trypsin complex |  |  |  |  |
| X-ray | open | (1) $2 \mathrm{O} 4 \mathrm{H}+406 \mathrm{H}^{\text {iii }}$ | (1) open | Ibrahim ${ }^{97}$ |

*Conformational flexibility or dynamic equilibrium of multiple conformations. ( ${ }^{*}$ )Conformational flexibility suggested. ${ }^{\text {a }}$ Hydrogen bonds are denoted by the residue number and the donor and acceptor atom ( O carbonyl oxygen; H amide hydrogen). ${ }^{\mathrm{b}}$ Assignment to ringstate types defined in this work and based on turn description or circular similarity of torsion angles (cf. Appendix A4); parentheses
 torsion published). ${ }^{\text {e }}$ Spherical aggregation of lipid molecules, "membrane mimic". Abbreviations: see $p$. xii.

[^3]In 1996, Liwo et al. ${ }^{81}$ published the first comprehensive MD study (EDMC and Monte Carlo, total simulation time 400 ps ) of OT and AVP and proposed conformations for both AVP and OT with $\beta$ turns centred at 2,3,3,4 and 4,5. They predicted a prevalence of 3,4 and 4,5-turns for AVP, and 3,4 and 2,3-turns for OT.

Further experimental methods, e.g. CD and Raman spectroscopy, complement the structure elucidation of OT and AVP. The main results are listed in Table 2.5 and can be summarised as follows:

1) The ring-closing disulphide bridge is suggested to adopt conformations of right-handed chirality and a dihedral angle around $\pm 90^{\circ}$ (stddev $30^{\circ}$ ). (2) Non-covalent attractive interactions ( $\pi-\pi$ stacking) of $\mathrm{Tyr}^{2}$ and Phe ${ }^{3}$ in AVP are very likely. (3) The C-terminal tails of AVP and OT are more mobile than the ring. (4) AVP and OT show proline cis/trans isomerisation with approximately 5-10 \% cis-Pro ${ }^{7}$.

| Peptide | Conformational data | Meth. ${ }^{\text {a }}$ | Reference |
| :---: | :---: | :---: | :---: |
| Flexibility |  |  |  |
| OT in $\mathrm{H}_{2} \mathrm{O}$ | - OT is less flexible than VP (LVP) | A | Gryczynski 1991 ${ }^{101}$ |
| OT in $\mathrm{H}_{2} \mathrm{O}$ | - flexible backbone | $B, C$ | Hruby $1978{ }^{106}$ |
|  | Secondary structure |  |  |
| OT in $\mathrm{H}_{2} \mathrm{O}$ | - $\beta$-turn like (ring) | C | Tu 1978 ${ }^{107}$ |
| AVP in $\mathrm{H}_{2} \mathrm{O}$ | - $\beta$-turn, $\beta$-sheet, and random-coil bands | C | Podstawka 2006108 |
| UII(4-11) | - disordered conformers of random coil, turn and $\beta$-structures | C | Carotenuto 2004109 |
|  | Disulphide bridge |  |  |
| OT in $\mathrm{H}_{2} \mathrm{O}$ | - right-handedness, g-g-g > g-g-t, t-g-t <br> - right-handed chirality, $\Varangle$ CSSC $=110-115^{\circ}$ <br> - OT (and dOT) $\Varangle C S S C=$ right-handed helical, distorted <br> - g-g-g | F,G | Pazderkova $2012{ }^{110}$ |
|  |  | B, C | Hruby 1978 ${ }^{106}$ |
|  |  | B, E | Urry $1968{ }^{111}$ |
|  |  | C | Tu 1978 ${ }^{107}$ |
| OT in DMSO | - $\Varangle$ CSSC $= \pm 90^{\circ}$ (stddev $30^{\circ}$ ) | B, C | Maxfield 1977 ${ }^{112}$ |
| AVP in $\mathrm{H}_{2} \mathrm{O}$ | - right-handedness, g-g-g > g-g-t, t-g-t | F,G | Pazderkova 2012 ${ }^{110}$ |
|  | - g-g-g and t-g-t | C | Podstawka $2006{ }^{108}$ |
|  | - g-g-g possible | B, C | Tu 1979 ${ }^{113}$ |
|  | Tail |  |  |
| OT in $\mathrm{H}_{2} \mathrm{O}$ | - above ring <br> - no evidence for noncovalent ring/tail interaction <br> - higher flexibility than ring | A | Gryczynski 1991101 |
|  |  | D | Cowburn 1983114 |
|  |  | D | Deslaurier 1974 ${ }^{115}$ |
| OT in DMSO | - more flexible than ring | D | Bhaskaran $1992{ }^{86}$ |
| AVP in $\mathrm{H}_{2} \mathrm{O}$ | - no evidence for noncovalent ring/tail interaction <br> - folded (above ring) | D | Cowburn 1983114 |
|  |  | B | Fric 1975116 |
| AVP in DMSO | - higher mobility than ring (AVP, OT); higher mobility than in OT $\pi-\pi$ interaction |  |  |
|  |  |  |  |
| AVP in $\mathrm{H}_{2} \mathrm{O}$ | - $\pi-\pi$ stacking of $\mathrm{Tyr}^{2}$ and Phe ${ }^{3}$ <br> - possible but no major interaction <br> - $\pi-\pi$ stacking of Tyr $^{2}$ and Phe ${ }^{3}$ <br> - higher local rigidity at Tyr ${ }^{2}$ counts for $\pi-\pi$ stacking <br> - no $\pi-\pi$ stacking of $\mathrm{Tyr}^{2}$ and Phe ${ }^{3}$ | A | Szmacinski 1996117 |
|  |  | D | Cowburn 1983114 |
|  |  | B | Fric 1975 ${ }^{116}$ |
|  |  | B | Fric $1975{ }^{116}$ |
| AVP in DMSO |  | D | Schmidt 1991 ${ }^{99}$ |


| Peptide | Conformational data | Meth. ${ }^{\text {a }}$ | Reference |
| :---: | :---: | :---: | :---: |
|  | Pro ${ }^{7}$ cis/trans isomerisation |  |  |
| AVP in $\mathrm{H}_{2} \mathrm{O}$ | - ~5 \% cis | D | Sikorska 2008103 |
|  | - ~9 \% cis | D | Larive 1992 ${ }^{118}$ |
|  | - isomerisation via twisted Cys ${ }^{6}-\mathrm{Pro}^{7}$ imide bond | D | Larive 1993119 |
| OT in $\mathrm{H}_{2} \mathrm{O}$ | - ~10 \% cis | D | Larive 1992 ${ }^{118}$ |
|  | - $\sim 0 \%$ cis | D | Glasel 1973 ${ }^{120}$ |
| UII in $\mathrm{H}_{2} \mathrm{O}$ | - ~11 \% cis | D | Haensele unpublished |
|  | Tyr ${ }^{2}$ |  |  |
| OT in $\mathrm{H}_{2} \mathrm{O}$ | - more shielded from solvent than in LVP | A | Gryczynski 1991 ${ }^{101}$ |
|  | - exposed to solvent | C | Tu 1978 ${ }^{107}$ |
| AVP in $\mathrm{H}_{2} \mathrm{O}$ | - exposed to solvent | B, C | Tu 1979113 |
|  | Sidechain conformation |  |  |
| OT, AVP in $\mathrm{H}_{2} \mathrm{O}$ | - no significant differences | D | Cowburn 1983114 |

${ }^{\text {a }}$ Spectroscopy methods: Fluorescence Anisotropy (A), Circular Dichroism (B), Raman (C), Nuclear Magnetic Resonance (D), UV (E), Vibrational Circular Dichroism (F), Raman Optical Activity (G).

Urotensin and Urotensin-Related Peptide Whereas OT and AVP are veterans in the field of structure determination, UII and URP are relatively new research objects. In 1999, UII was detected in mammals, including humans, ${ }^{121-123}$ and four years later, its paralogue URP was identified ${ }^{124}$ (cf. Introduction of Paper 3 (Chap. 6)). Ull has a 6-membered cyclic ring and a disulphide bridge in common with OT, dOT and AVP but a very different sequence and its 4-residue tail is in N-terminal position instead of the C-terminal tail of AVP and OT/dOT (cf. Scheme 2.1). URP has the same ring sequence as UII but lacks the multi-residue tail. Conformational data are rare compared to OT and AVP and to date there are no X-ray structures of UII or URP. Structure descriptions deduced from spectroscopy experiments vary from distinct single conformations ${ }^{125,126}$ with preferred turn centres at residues Lys and Tyr (8,9 for UII and 5,6 for URP) to unstructured/flexible ${ }^{109,127}$ (cf. Table 2.6). Residues 8,9 of UII and 5,6 of URP correspond to centres 4,5 in OT, dOT, AVP, and CT.

Table 2.6 Ring and tail conformations of UII and URP (literature review)

| Method | Ring conformation | Turns and hydrogen bonds ${ }^{\text {a }}$ | Ring-state type assignment ${ }^{\text {b }}$ | Reference |
| :---: | :---: | :---: | :---: | :---: |
| UII in $\mathrm{H}_{2} \mathrm{O}$ |  |  |  |  |
| MD+NMR | 28 \% : 72 \% | folded conformations | folded | Haensele $2017{ }^{3}$ (Chap. 6) |
| (37.8 $\mu \mathrm{s}$ ) | folded:open | (1) $7,8,9(7,8 \beta-1)$ | (1) folded-I |  |
|  |  | (2) $7,8,9(7,8 \beta-I I)$ | (2) folded-IVb2 |  |
|  |  | (3) 6,7,8 (5-9 helix) | (3) inv-folded |  |
|  |  | (4) 7,8,9 (6-10 p-sheet) | (4) folded-II |  |
|  |  | (5) 6,7,8 (6,7 $\beta$-III') | (5) folded-III |  |
|  |  | open conformations | open |  |
|  |  | (6) $8,9 \beta-1 / \mathrm{VIII}$ | (6) omega-I |  |
|  |  | (7) $8,9 \beta$-II | (7) omega-II |  |
|  |  | (8) 6,7 $\beta-1$ | (8) scoop + lasso |  |
| NMR | open | (1) widened $7,8,9 \gamma+8,9,10 \gamma+$ possible: $709 \mathrm{H}+809 \mathrm{H}$ | (1) omega | Lescot $2007{ }^{126}$ |
| CD+NMR | (*) | (*) disordered conformers ${ }^{\text {c }}$ |  | Carotenuto 2004 ${ }^{109}$ |
| NMR | unstructured | no classical turns, no hydrogen bonds |  | Flohr 2002 ${ }^{128}$ |


| Method | Ring conformation | Turns and hydrogen bonds a | Ring-state type assignment ${ }^{\text {b }}$ | Reference |
| :---: | :---: | :---: | :---: | :---: |
| UII in DMSO |  |  |  |  |
| NMR | unstructured | no standard secondary structure Tail: 3,4 $\beta$-I possible | (1) omega or folded-IVb2 ${ }^{\text {d }}$ | Grieco 2002 ${ }^{129}$ |
| UII in SDS |  |  |  |  |
| NMR | folded | (1) $\beta$-hairpin $\left(7,8-I I^{\prime}\right)$ <br> (2) flexible | (1) (folded) <br> (2) - | Carotenuto 2004 ${ }^{109}$ |
| URP in $\mathrm{H}_{2} \mathrm{O}$ |  |  |  |  |
| $\begin{aligned} & \text { MD+NMR } \\ & (22.8 \mu \mathrm{~s}) \end{aligned}$ | $\begin{gathered} 14 \text { \% : } 86 \text { \% } \\ \text { folded:open } \end{gathered}$ | folded conformations <br> (1) $4,5,6 \mathrm{Y}$ | folded <br> (1) hybrid | Haensele $2017{ }^{3}$ (Chap. 6) |
|  |  | (2) 2-7 antip. $\beta$-sheet ( $4,5 \beta$-II) | (2) sheet |  |
|  |  | open conformations | open |  |
|  |  | (3) $5,6 \beta-1 / \mathrm{VIII}$ | (3) omega-I |  |
|  |  | (4) $5,6 \beta$-II | (4) omega-II |  |
|  |  | (5) $3,4 \beta$-VIII | (5) lasso ${ }_{45 p b r}$ |  |
| NMR | (*) | high structural flexibility, no hydrogen bonds |  | Brancaccio $2015{ }^{127}$ |
| NMR | open | (1) 4,5,6 $\gamma^{\prime}+406 \mathrm{H}$ | (1) omega-/ e | Chatenet $2004{ }^{127}$ |
| URP in SDS |  |  |  |  |
| NMR | folded | (1) $\beta$-hairpin ( $7,8-\mathrm{II}$ ) | (1) (folded) | Brancaccio 2015127 |

*Conformational flexibility or dynamic equilibrium of multiple conformations. ( ${ }^{*}$ ) Conformational flexibility suggested. ${ }^{\text {a }}$ Hydrogen bonds are denoted by the residue number and the donor and acceptor atom ( O carbonyl oxygen; H amide hydrogen). ${ }^{\text {b }}$ Assignment to ringstate types defined in this work and based on turn description or circular similarity of torsion angles (cf. Appendix A4); parentheses indicate tentative assignments. ${ }^{c}$ UII(4-11) fragment. ${ }^{\text {d }}$ Circsim (ref vs. omega-I or folded-IVb2) $=67 \%$. ${ }^{\text {e Circsim ( }}$ (ref vs. omega-I) $=86 \%$. Abbreviations: see p. xii.

Carbetocin. CT resembles OT's primary structure. The sulphur atom from Cys ${ }^{1}$ of the disulphide bridge is replaced by a methylene group and the hydroxyl group of $\mathrm{Tyr}^{2}$ is methylated. CT is an approved drug substitute for OT and a commercial peptide (Ferring Arzneimittel GmbH). It is the subject of several pharmacological studies ${ }^{31,130,131}$ but X-ray or NMR data for CT are not publicly available. Here it is used to complement the MD studies of natural peptide hormones with a synthetic analogue.

## Motivation of the Study

As has been shown, the peptides in the focus of this thesis are interesting because of their versatile physiological properties, which are closely related to their structure. However, even if numerous structural data are available, there is no consistent description of their conformational preferences due to their flexibility.

For this thesis, the conformational space of several peptides with the common motif of a 6-residue ring was extensively explored with unrestrained $\mu \mathrm{s}$-scale MD simulations to identify their main conformational types. This finally led to a general classification in terms of open and folded ringstate types (Chap. 7). Subtypes of the two classes are defined by turn centres and hydrogen bonds,
and similarities between the peptides are pointed out. The tables of this chapter (Tables 2.3, 2.4, 2.6) anticipate the results of this classification by assigning the structures from the literature to the ring-state types defined in this work.

A consistent conformational description of these peptides may help clarify contradictory structure definitions found in the literature. Each main conformational type identified for the peptide hormones is a potential bioactive conformation that can be used directly for molecular docking to investigate the interaction with their cognate receptors and to design pharmacophores. The generic classification of conformations (Chap. 7) will facilitate the structural analysis of related peptides and the modelling of analogues for subsequent research toward defining their nature of modulation of their cognate receptors. With the advent of a better understanding of these peptides and their conformational preferences and clarification of interactions with their receptors this may lead to better non-peptide drugs with therapeutically useful modulatory properties.

A further aim of this thesis was to investigate the molecular flexibility of the peptides as expressed by their conformational equilibria. These equilibria are difficult to access experimentally if conformational interconversions are fast relative to the NMR timescale. ${ }^{132,133}$ In this work, the equilibrium concentrations for AVP, UII, and URP in aqueous solution were determined via longscale MD simulations combined with enhanced sampling methods. The in silico results were validated via statistical comparison of DFT-calculated chemical shifts with NMR experimental chemical shifts. The protocol was developed using AVP, publicly introduced in Paper 2 (Chap. 5) and subsequently applied to UII and URP in Paper 3 (Chap. 6) to predict their multiple-conformation equilibria in solution. The validation technique provides a method for the analysis of fast interconverting multi-conformational systems in general and may contribute methodologically to the research field of intrinsically disordered peptides. The determination of the conformational equilibria in solution defines the thermodynamic starting point for an allosteric signalling cascade during ligand/receptor interaction. It matters particularly if a minor populated "experimentally invisible" state initiates a signal transduction rather than an experimentally predominant conformation.

This research project was embedded in the European network project PeReNE (Peptide Research Network of Excellence) ${ }^{337}$ as part of the Interreg IVA France (Channel) - England program 2007-2014 and the results of this work have been used inter alia by the groups of Prof. R. Bureau (University of Normandy, drug design), Prof. J. Essex (University of Southampton, development of unbiased enhanced sampling methods for intrinsically disordered peptides and proteins), and Prof. T. Clark (Friedrich-Alexander-Universität Erlangen-Nürnberg, metadynamics simulation of multi-allosteric
ligand-receptor reaction pathways). The multidisciplinary nature of this collaboration afforded a great opportunity for the resultant successful cross fertilization of ideas. Regular group meetings and arranged symposia progressed the project considerably.

In summary, there are a multitude of reasons that make the results reported in this thesis interesting for differing research areas (MD simulation and related analysis methods, NMR spectroscopy, pharmacological research) and the scientific contribution is further indicated by the successful publication of the results of this thesis as peer-reviewed papers.

## Methods

## Chapter 3: Methodological Backgrounds

> "Today the computer is just as important a tool for chemists as the test tube. Simulations are so realistic that they predict the outcome of traditional experiments."

Press Release 09-Oct-2013 of the Royal Swedish Academy of Science, Nobel Prize Chemistry $2013{ }^{134}$

This chapter gives an overview of the principles and background of the methods used for this thesis. Reasons are given justifying the choice of methods. A research setup is outlined. Further on, more specific, methodological details are given in the subsequent chapters containing the publications. ${ }^{1-3}$

## Research Setup

Acquisition of Structural Data. Methods to determine the structure of peptides and proteins have been addressed briefly in Chapter 2, primarily X-ray crystallography and NMR spectroscopy. However, X-ray crystallography is not suited to determining conformations in solution and NMR spectroscopy is limited if conformational interconversions are fast relative to the NMR timescale. MD simulations, however, enable the study of conformational interconversions on an atomistic level. Protein folding occurs on a timescale of microseconds ${ }^{135}$ to seconds ${ }^{136,137}$ or even longer, ${ }^{138,139}$ and current computer power makes it possible to access simulation times of microseconds. Thus, long-scale simulations aim inter alia to reach realistic timescales. Here, the AMBER force field ff99SB ${ }^{140}$ was used to study the conformational space of cyclic peptide hormones with explicit water solvation.

Analysis of Structural Data. The clustering of the conformational data was performed with DASH, ${ }^{141}$ complemented with principal component analysis (PCA). For secondary-structure analyses, the AMBER tools ptraj and cpptraj $1^{142,143}$ were used and the similarity of conformations was quantified by calculation of the circular similarity (see below).

Validation of Structural Data. NMR experiments of AVP, UII and URP in aqueous solution were performed to determine experimental chemical shifts; while chemical shifts for conformational
representatives of AVP, UII and URP were calculated using density functional theory (DFT) methods. The equilibrium populations for representative conformations were estimated via enhanced sampling with metadynamics simulations by Saleh and replica exchange simulations (REMD) by Essex and co-workers. The in silico results gathered from $\mu \mathrm{s}$-scale MD simulations and enhanced sampling methods were compared statistically with the experimental results.

## Molecular-Dynamics Simulations

What is MD simulation? Physicochemical Aspects. The potential energy of a molecule is a function of its conformation and the conformational space can be represented as a potential energy surface. This multi-dimensional energy surface can be described by a force field with contributions of bond lengths, bond angles, torsions, non-bonding forces and electrostatic forces. The energy contributions are parameterised and the potential energy is approximated by summation of harmonic potentials for bonds and angles, Fourier expansions for torsions (torsion potential), Lennard-Jones potentials for non-bonding forces (dispersion, van der Waals) and the Coulomb law for electrostatic contributions. This approach is called molecular mechanics (MM) and the resulting potential energy is the MM energy'. Equation (3.1) is a typical MM energy function as used by the AMBER force field ff99SB. ${ }^{140}$

$$
\begin{align*}
& E_{M M}=E_{\text {bonded }}+E_{\text {non-bond }} \frac{k_{l}}{2}\left(l-l_{0}\right)^{2}+\sum_{\text {angle }} \frac{k_{\theta}}{2}\left(\theta-\theta_{0}\right)^{2}+\sum_{\text {torsion }} V_{n}\left(1+\cos \left(n \phi-\gamma_{n}\right)\right) \\
& +\sum_{i=1}^{N} \sum_{j=1}^{N}\left\{4 \varepsilon\left[\left(\frac{\sigma}{r_{i j}}\right)^{12}-\left(\frac{\sigma}{r_{i j}}\right)^{6}\right]+\frac{1}{4 \pi \varepsilon_{0}} \frac{q_{i}}{r^{2}}\right\} \tag{3.1}
\end{align*}
$$

with $E_{M M}$ molecular mechanics energy; $E_{\text {bond/non-bond }}$ energy terms for bonded and non-bond forces; $i, j$ number of atom; $k$ force constant; I bond length; suffix 0 equilibrium/minimum; $\Theta$ bond angle; $V_{n}$ torsion force constant (amplitude); $\Phi$ torsion; $v_{n}$ phase (position of $1^{\text {st }}$ maximum); $n$ number of maxima; $\varepsilon$ maximum attractive energy; $r_{i j}$ distance; $\sigma$ distance of no interaction; $q_{i}, q_{j}$ partial charges at atom $i$ and $j, \varepsilon_{0}$ electric constant

[^4]The force field is the dataset of parameters (e.g. $k_{l}, I_{0}, \Theta_{0}, \varepsilon$ in Eq. (3.1)) together with the energy functions used to calculate the potential energy. The parameterisation considers atom types (including hybridisation and atom charges), all possible atom-type combinations (e.g. bond lengths, bond angles, proper and improper torsions, non-bonded interactions, electrostatic interactions) and, if necessary, rules to estimate missing parameters. For textbooks and reviews on MD simulations, see e.g. references 144-147; additional physicochemical background knowledge is given in Appendix A6.

Molecular dynamics describes the possible motion of atoms within a molecule. This includes interconversions between different conformations. In classical mechanics, the atomic motion is determined by solving Newton's laws of motion ${ }^{148}$ (Eq. (3.2) and Appendix A6). This approach calculates the future position of an atom from its current and previous positions. It determines how changes in the potential energy $\left(\frac{\partial E_{M M}}{\partial r_{i}}\right)$ are related to changes in position as a function of time (Eq. (3.3)).

$$
\begin{gather*}
\vec{F}_{i}=m_{i} \vec{a}_{i} \quad \text { and } \quad \vec{a}_{i}=\frac{\partial^{2} \vec{r}_{i}}{\partial t^{2}}  \tag{3.2}\\
-\frac{\partial E_{M M}}{\partial r_{i}}=m_{i} \frac{\partial^{2} \vec{r}_{i}}{\partial t^{2}} \tag{3.3}
\end{gather*}
$$

with $i$ atom number, $F_{i}$ force, $m_{i}$ mass, $a_{i}$ velocity, $r_{i}$ position, $t$ time

MD simulation, thus, explores the conformational space autonomously. ${ }^{145}$ The results of MD simulations are time-trajectories of conformations and time-averaged populations of conformations. In theory, if the system were allowed to evolve indefinitely, all possible conformations would be sampled. Experimental methods, in contrast, result in ensemble averages. However, in the case of convergence, the time-average of populations ("MD equilibrium") should equal the experimentally observable ensemble average ("experimental equilibrium"). This axiom is called the ergodic hypothesis (cf. Appendix A6) and it is the fundamental reason why MD simulations should run for as long as possible.

Equilibrium populations and free energy are related via Eq. (3.4):

$$
\begin{equation*}
\Delta G=-R T \ln K_{e q}=-R T \ln \frac{[P 2]}{[P 1]} \tag{3.4}
\end{equation*}
$$

with $\Delta G$ difference of Gibbs free energy; $R$ ideal gas constant (); $T$ temperature; $K_{\text {eq }}$ equilibrium constant; P1, P2 concentrations (populations)

However, if the sampling is insufficient, the energy cannot be deduced from the MD populations. Even with $\mu s$-scale simulation lengths, convergence cannot be taken for granted ${ }^{149}$ and in this case, enhanced sampling methods are recommended, e.g. umbrella sampling, ${ }^{150}$ metadynamics, ${ }^{151}$
replica-exchange molecular-dynamics simulations, ${ }^{152}$ or solute tempering. ${ }^{153}$ Enhanced sampling was performed for AVP, UII and URPi to supplement the long-scale MD simulations. Methodological details are given in Chapter 5 (Paper 2) and Chapter 6 (Paper 3). For additional information, reference is made to the literature. ${ }^{150-152,154-161}$

At this point, it must be mentioned that free energies and equilibrium populations cannot be deduced from potential energies under standard conditions $(T \neq 0)$ because the entropy term is unknown (Eq. (3.5)):

$$
\begin{equation*}
G=H+T S=(U-p V)+T S \tag{3.5}
\end{equation*}
$$

with $G$ Gibbs free energy, $H$ enthalpy, $T$ absolute temperature, $S$ entropy, $U$ internal energy (here: $E_{M M}$ potential energy), $p$ pressure, $V$ volume

Consequently, the global minimum of the potential energy surface need not be the highest populated (most stable) conformation. ${ }^{145}$ Nevertheless, it is assumed that the low-energy regions of the hypersurface are the most populated.

Historical Aspects. The development of force fields and MD simulations started about 40 years ago with potential energy calculations by e.g. Scheraga ${ }^{95,162}$ and Allinger et al. ${ }^{163}$ The consistent force field (CFF) by Lifson and Warshel ${ }^{164,165}$ is often regarded as the "foundation of modern molecular modelling" ${ }^{166}$ One of the first protein MD simulations was published by McCammon, Karplus et al. in 1977. ${ }^{167}$ Nowadays, several well recognised force fields are available and commonly used, e.g. AMBER, ${ }^{168-170}$ CHARMM, ${ }^{171,172}$ OPLS, ${ }^{173,174}$ and GROMOS. ${ }^{175}$ AMBER, CHARMM, and OPLS offer allatom force fields. AMBER and CHARMM focus primarily on protein simulation, OPLS on the simulation of liquids. GROMOS was initially optimised for alkanes and it still uses united-atom force fields. Here, only the development of the AMBER force field, which was used in this work, will be described in detail. AMBER was introduced in 1981 as "a general program for modelling molecules and their interaction" ${ }^{170}$ The first widely used AMBER force field, released in 1984, ${ }^{169}$ considered only polarisable hydrogens explicitly and nonpolar hydrogens were parameterised as a unit with their bonding partners (united-atom force field). The architecture of force fields and programs was and is closely linked to the computer power available and in 1986, the first AMBER all-atom force field became available. ${ }^{176}$ Further developments, including improved algorithms and protocols to extend the parameter set, led to the ff94 or Cornell force field ${ }^{177}$ in 1995. A weakness of ff94 (and ff99) was its bias in protein simulations towards the helical conformation. ${ }^{178}$ This problem was addressed with the AMBER force field version ffg9SB, released in 2006. ${ }^{140}$ At the beginning of this project in 2011, ff99SB was commonly used as a standard force field that had proven reliable and

[^5]predictive to study the dynamics of proteins. ${ }^{140,158,179}$ For this project, ff99SB was also chosen to ensure compatibility with the study of AVP-receptor interaction of Saleh and Clark. ${ }^{28}$

Strengths, Application and Limits of MD simulations. The strength of classical MD simulations based on force fields is the computational feasibility of calculating large systems, even in membrane environment with explicit solvation (e.g. ${ }^{180-182}$ ). The additive character of the potential functions enables extensive computational parallelisation and is the reason for the possibility of high-speed performance. MD simulation is used to study conformational changes (e.g. protein folding ${ }^{182}$ ), molecular recognition (e.g. ligand-receptor interaction, ${ }^{28}$ DNA-protein interactions ${ }^{183}$ ), ion transport processes ${ }^{184,185}$ and many other questions. Results are inter alia used for drug design. ${ }^{186,187}$ Short restrained MD simulations are used routinely to refine conformations deduced from experimental methods (e.g. NMR spectroscopy).
The quality of the results correspond closely to the quality of the parameterisation. ${ }^{149}$ Force field parameters are fitted either to experimental values (bond lengths, rotation barriers etc.) or to $a b$ initio calculated values (e.g. partial charges). Test sets are chosen with respect to the system to be simulated. The AMBER force field, for example, is optimised for describing the secondary structure folding of proteins. Force fields tend to be biased in favour of potential energy minima, this aggravates the previously mentioned sampling problem. ${ }^{160}$ A general weakness of the classical mechanics approach is that it does not allow the calculation of electronic processes (e.g. electron transfer, bond dissociation). Electron motion is significantly faster than atom motion so that atoms and electrons are assumed to move independently (Born-Oppenheimer approximation ${ }^{188}$ ). The charge distribution in standard force fields is defined by atom-fixed point charges and intramolecular electrostatic interactions between neighboured atoms (<1-3 bonds) are omitted or scaled. The most accurate way to calculate electronic processes would be an all-atom ab initio quantum mechanical approach, but this is still not possible for large systems but mixed approaches do already exist. These methods combine the accuracy of quantum mechanics (QM) with the highspeed performance of molecular mechanics and the approach ( $Q M / M M$ ) was rewarded with the Nobel prize ${ }^{i}$ for Chemistry in 2013. ${ }^{134,166}$ Another approach uses polarisable force fields ${ }^{189-191}$ but their use is not yet routine. Fixed-charge force fields at least should include explicit solvation for an optimum simulation of the electrostatic solute-solvent interactions. For a review, see e.g. Ponder et al. ${ }^{192}$

[^6]
## Boundary Conditions for MD Simulations

Initial Conformation and Minimisation. A good starting point for an initial conformation of an MD simulation is an experimental template (e.g. X-ray or NMR structure), ideally, with complete coordinates or structural data (e.g. backbone torsions) to model a starting conformation. Other starting points may be created with short high-temperature MD runs or modelled from related analogues for which conformations are known. In any case, the initial conformation needs to be minimised before a simulation can be started. The aim of the minimisation is to optimise the initial conformation by releasing strains that would result in unacceptable energy gradients. For example, for AVP, the X-ray structure of the trypsin complex (PDB ID: 1YF4) was chosen, whereas for UII, a conformation was modelled, guided initially by published torsion angles deduced from NMR. Further conformations of UII were generated using high-temperature short-scale MD. A resulting minimised structure usually differs only slightly from the initial conformation. As an example, a superposition of an initial and minimised structure of UII is given in Figure 3.1.

Several minimisation methods are available (e.g. simplex, steepest descent, conjugate gradient, Hessian matrix) and the mathematical algorithms use energy differences, gradients or second order derivatives of the potential energy to find the closest energy minimum to the initial conformation. The minimisation methods differ in speed and accuracy. ${ }^{158} \mathrm{~A}$ standard approach (used in this work) is to start the minimisation with steepest descent to find the right direction to the minimum quickly, followed by the slower but more accurate conjugate gradient method. An example for a typical minimisation is given in Appendix A7.


Figure 3.1 Superposition of an initial and minimised structure of UII (modelled from NMR data of URP, ${ }^{125} \mathrm{RMSD}_{\text {CA-backbone }}=0.963 \AA$ )

Solvation. Explicit solvation requires accurate solvent models. One of the first computational models for liquid water was introduced as early as 1933 by Bernal and Fowler. ${ }^{193}$ For force fields, the ST2 model by Stillinger et al. ${ }^{194}$ was one of the first standard models for explicit solvation. It was
followed by Berendsen's SPC ${ }^{195}$ and Jorgensen's TIP3P ${ }^{196}$ water models as standard. The two models are quite similar and follow the concept of a rigid 3 -site architecture ( 3 atoms with 3 nonpolarisable point-charges). They are optimised for a good description of the bulk phase structure of water and a correct reproduction of thermodynamic properties (e.g. density and heat of vaporisation). Their interaction with the solute is mainly electrostatic. ${ }^{192}$ TIP3P is still established as the standard model (default in AMBER 14) for explicit water solvation, although the 4-site model TIP4P, which uses an additional charge centre (pseudo-atom) is thought to be significantly better in simulating density and long-range electrostatics. ${ }^{197}$ In the framework of this project, the TIP4P-Ew model ${ }^{197,198}$ was employed, a re-parameterisation of the TIP4P model, optimised for the combination with Ewald methods (see below). There are numerous solvent models ${ }^{199-202}$ but it is important to note that each force field needs an adaptation to the water model used. For ff99SB, this is the modified parameter set frcmod.tip4pew (used in this work) implemented in AMBER.

An ideal solvent should stretch indefinitely in all directions to enable free dynamics of the solute while ensuring a homogenous environment. For optimum computational performance, however, the number of solvent molecules should be as small as possible. How is this conflict solved? The solute is placed in the centre of a box, which is filled homogenously with solvent molecules and potential counterions. The ideal geometry of this box would be an asymmetric enlarged shell proportional to the surface of the solute. Practicable geometries are usually a cube or a truncated octahedron (Figure 3.2 shows an example of truncated octahedral solvation.).


Figure 3.2 OT molecule in a truncated octahedral water box. Left side: schematic view. Right side: particle view.

Periodic boundary conditions imitate the "infinite" expansion of the solvent via imaging the solutesolvent box in all Cartesian dimensions. If an atom leaves the centre box during a simulation step, it is mirrored back into the centre box on the opposite side. This is a mathematical trick, resulting in no error in potential energy as long as the half box dimension is larger than the cut-off for non-
bonded molecular interactions. This cut-off is usually set to 8-10 $\AA .{ }^{\text {. }}$ The particle-mesh Ewald (PME) method ${ }^{203,204}$ is a modified form of the Ewald summation algorithm ${ }^{205}$ to evaluate the quantities of large periodic systems, here the potential energy in periodic boundary environment. PMEMD and PMEMD.CUDA ${ }^{179,206}$ are implementations of PME in AMBER optimised for high-speed parallel performance on CPUs and GPUii (see Appendix A7). For the peptides studied here, the truncated octahedral water box was chosen, which leads to an average of $97 \%$ solvent atoms in each simulation.

Besides explicit solvation, several methods have been developed for implicit solvation, primarily the generalised Born ${ }^{207,208}$ and the Poisson-Boltzmann models ${ }^{209-211}$ for protein force fields. The solvent is represented by a dielectric continuum instead of individual water molecules, which makes simulations faster (less atoms). Results are reasonable for macroscopic values (e.g. solvation energies, $\mathrm{pK}_{\mathrm{s}}$ estimation, redox potentials), but tend to overemphasise salt-bridges ${ }^{212}$ and cannot simulate atomistic solvent-solute interactions (e.g. water bridges). The reaction-field (RF) approach ${ }^{213,214}$ is an alternative to the PME method. It uses a combination of explicit solvation and a dielectric continuum after a certain cut-off distance to simulate solvation, which makes the technique fast. PME, however, is more widely used and RF is not the standard method in AMBER.

Temperature, Pressure, Density. The MD simulations of the peptides here were performed under standard conditions of $300 \mathrm{~K}^{\mathrm{iii}}$ and periodic boundary pressure conditions with adjustable volume to ensure the appropriate solvent density (target $\sim 1 \mathrm{~g} \mathrm{~cm}^{-3}$ for water). The average fluctuation of the solvent density and temperature should be as small as possible. Constant temperature (which corresponds to a constant kinetic energy) and pressure are ensured via a Berendsen coupling algorithm (weak coupling to an external bath). ${ }^{215}$

Simulation Lengths. As already noted, one of the aims of MD simulation is to study protein dynamics on a realistic timescale and to converge ideally to a thermodynamic equilibrium. ${ }^{216}$ The limits for this lie in the hardware and software. ${ }^{217}$ The two develop mutually, and simulations are currently expanding to the $\mu s$-scale. ${ }^{27,181,182,218}$ Of course, the term long-scale simulations in the title of this thesis for $\mu s$-scale MD simulations is relatively and perhaps in the near future, $\mu s$-scale simulations will be short-scale. Nevertheless, during the time of this research project, the computational requirement for $\mu s$-scale MD simulations in terms of necessary CPU time was still high. The real runtime of MD simulations for small systems ${ }^{\text {iv }}$ need not be faster than for large

[^7]systems ${ }^{\text {i }}$ surprisingly. Small systems cannot be parallelised as effective as large ones, which profit more from high-performance multicore supercomputers. Most MD simulations in this work were performed with AMBER $10^{168,219,220}$ on an 8-node cluster of Intel CPUs (Xeon E5462) with an average production time of 41 days to simulate $1 \mu$ s of peptide. In 2015 , several jobs were performed on NVIDIA GPUs (Tesla K20c and C2075) with the AMBER $14^{206}$ GPU (CUDA) version ${ }^{221-223}$ with a 4-fold better performance ( $9 \mathrm{~d} / \mu \mathrm{s}$ ). A summary of the performances of MD simulations in this work is given (Appendix A7).

Beside the hardware, the length of the simulation time-step is an intrinsic time-restricting factor. Time-step lengths cannot be chosen arbitrarily for a reliable simulation. The maximum time step should be 10 times shorter than the fastest motion to be studied. ${ }^{145}$ In an all-atom MM force field, this would be the vibrations of X-H bonds ( 10 fs to 10 ps ), requiring a simulation time-step of $<1 \mathrm{fs}$. The SHAKE algorithm ${ }^{224}$ allows a time step of 2 fs to be used by constraining the C-H bonds during a simulation step followed by a short relaxation of C-H bonds, which reduces the total runtime. The SHAKE algorithm was used for all MD simulations in this work.

## Simulation Tools

The AMBER software package includes special simulation tools (LEaP, SANDER) to prepare and run an MD simulation. ${ }^{168}$ Examples of how to set up the initial parameters and run a minimisation and simulation are given in Appendix A7.

## Structure Analysis

The result of an MD simulation is the time evolution (trajectory) of atom coordinates. The motion of the simulated peptides may be visualised as a video clip (an example is given online as Supporting Information of Paper 1). A video observation is similar to an experiment and provides a qualitative description of the peptide dynamics: for example, different fluctuations of tail and ring become clear, main interconversions of the backbone can be observed and the dynamics of intramolecular hydrogen bonds can be visualised.

[^8]The methods and tools used in this thesis for quantitative analysis and characterisation of dynamics and conformations are described below.

Clustering. Before it is possible to describe the characteristics of conformations produced by the MD simulation, it is necessary to cluster them, grouping similar conformations together. Classical clustering methods use a pairwise metric to compare Cartesian coordinates. The algorithms are numerous ${ }^{225}$ but their performance depends on the square of the number of data points, causing them to slow down exponentially the data performance with increasing data volume. DASH, ${ }^{141}$ in contrast, clusters torsion ensembles (e.g. the $\Phi \Psi$ backbone torsions) using a sequential algorithm following the time-evolved trajectory of conformations. This enables the program to process large data volumes produced by long-scale MD simulations without an exponential decrease in performance. At the beginning of this project, the performance and consistency of DASH was tested against average linkage and means, two standard classical-clustering methods implemented in AMBER ptraj (for details, see Appendix A7). All these cluster methods are able to determine the main conformational types of the peptides studied but DASH proved to have a significantly better performance (see Appendix A7). DASH results in a state trajectory of accurate concordance with the time-evolved root mean square deviation (RMSD) coordinates of a MD simulation without requesting a predefined number of clusters. Classical clustering methods cannot easily distinguish between frequent intermediate conformations and long-lived main conformations. In DASH, however, a conformation needs to persist for a minimum lifetime to be considered as a relevant conformation (cluster centre). These advantages made DASH the optimum cluster method for the long-scale MD simulations in this thesis. During this project, the workflow of the DASH program applied to AMBER trajectories was automated as a Perl script called amberDASH. This requires only a few inputs to automatically extract torsion angles from the AMBER coordinate trajectory, to run the DASH analysis, and to produce coordinate files of representative states (cluster centres) in PDB format. Details are given in Appendix A7. DASH versions 2.10 b 1 to $2.11 \mathrm{~b} 2^{226}$ have been used during this project.

Ptraj, Cpptraj. After identifying the main conformations their characteristics need to be determined. In principle, any structural data that change significantly between representative conformations can be taken as characteristics for a state. This ranges from basic geometric data (e.g. interatomic distances, angles, or torsions) to coarser scale properties (e.g. RMSD, radii of gyration, secondary structure propensities, or hydrogen-bond populations). For the characterisation of cyclic peptides, the determination of secondary structure propensities and hydrogen-bond populations of distinct conformational types identified with DASH proved very
useful. RMSD trajectories were used to generate 2D visualisations of the MD simulations, whereas radius of gyration, distance and torsion trajectories were used for supplementary monitoring of the dynamics of motions or for the identification of key parameters, e.g. key torsions for interconversions.

The programs used here to extract the above properties and to perform the necessary analyses were ptraj and cpptraj (extended C++ version of ptraj) included in AmberTools. ${ }^{142,143}$ Secondary structure and hydrogen bond analyses will be explained in more detail; the standard analysis routines are described in the AmberTools user manuals.
 identify secondary structure motifs such as turns, sheets or helices and to calculate their populations. DSSP defined $\beta$-turns by the Lewis distance criterion ${ }^{228}$ for $C_{i}$ and ${ }^{C} \alpha_{i+3}(r<7 \AA)$ rather than ideal torsion angles and a high populated hydrogen bond. ${ }^{229}$

The analysis tool hbond in ptraj tracks distances and angles of atom triplets. To analyse the intramolecular hydrogen bonds of the cyclic peptides, the triplets were defined by carbonyl oxygens as acceptor atom ( O ), hydrogen atom $(\mathrm{H})$ and amide nitrogens as hydrogen-donor atom ( N ) with a distance cutoff of $\mathrm{r}_{\mathrm{O}-\mathrm{N}}=3.5 \AA$ and an angle cutoff of $120^{\circ}$ (deviation from a linear $\mathrm{O}-\mathrm{H}-\mathrm{N}$ configuration).

Principal Component Analysis (PCA). PCA is a data reduction method that projects highdimensional datasets with many variables onto a small number of new variables that describe most of the variability in the data. It calculates the eigenvectors (principal components, PCs) of the covariance matrix. PCs with an eigenvalue $>1$ are usually assumed to contain a significant amount of the variance in the system. ${ }^{230}$ The first PC points in the direction of maximum variability (highest variance); the second and following PCs give orthogonal directions of decreasing variance. Here, the data to be analysed were the conformations with their $\Phi \psi$ torsions as variables. 2D and 3D plots of the conformations in relation to the significant PCs allow groups with common properties (like clusters) to be visualised. For further reading, reference is made to e.g. ${ }^{231-233}$ PCA was used in two ways:
(i) The first objective was to investigate whether the overall conformations of the cyclic peptides could be characterised solely by their ring conformations (ring-state types). For this, principal components of the overall torsion space were calculated and a 3D plot of the first three PCs was drawn with each conformation colour coded according to its ring-state type. If each visible cluster in the PCA plot were assigned a unique colour, this would indicate that the ring-state types do

[^9]characterise the overall conformation. In addition, this would show that clustering by independent methods (PCA and DASH) provides equivalent results.
(ii) The second objective was to analyse the correlations between torsions in the ring and the tail. The weights (squared PC coefficients) of the descriptive variables (torsions) measure their contribution to each PC. If significant PCs are loaded equally strongly with ring and tail torsions, then correlation of ring and tail conformations can be assumed and independent motion is unlikely. For further details and examples, see Chapters 4 (Paper 1) and 6 (Papers 3).

In the early stages of the project, PCA was performed with the online application SARcaddle, ${ }^{234}$ later a dedicated PCA routine was implemented in DASH ${ }^{226}$ (an example output is shown in Appendix A7).

Circular Similarity. The consistency of assignments to conformational types was confirmed by calculation of torsion similarities using the program dashsim. The algorithm is explained in the Supporting Information of Paper 3 (Appendix A3, p S10) and a brief description of the functionality of dashsim is given in Appendix A7.

## NMR Spectroscopy

Dynamic molecular processes cover a wide range of timescales ranging from bond vibrations of femto- or nanoseconds to conformational interconversion processes like protein folding lasting up to several seconds or even minutes. NMR is classically the method of choice to study molecular dynamics experimentally. ${ }^{136}$ However, there is a "blind spot"i between fast timescale dynamics $<10 \mu \mathrm{~s}$ and slow timescale dynamics $>10 \mathrm{~ns}$, which is difficult or not accessible to common NMR techniques. ${ }^{136}$ Fast conformational interconversions that fall into this gap are only observable as averaged ensemble with a single set of signals under standard conditions. ${ }^{133}$ In the literature (cf. Tables 2.3 to 2.6 ), the structure of the peptides of this thesis is characterised ambiguously both as single-conformation and unstructured in aqueous solution suggesting fast conformational equilibria within the timescale of this gap.

In the framework of this thesis, the experimental chemical shifts of different nuclei $\left({ }^{1} \mathrm{H},{ }^{13} \mathrm{C},{ }^{15} \mathrm{~N}\right)$ were determined for AVP, UII, and URP with standard 1D- and 2D-NMR techniques. The NMR experimental data served to validate the in silico results of the MD simulations. The validation technique is explained in Chapter 5 (Paper 2). Experimental details are given in Chapters 5 and 6 (Papers 2 and 3 and the corresponding Appendices A2 and A3).

[^10]
## DFT Calculations of NMR Chemical Shifts

Being able to calculate NMR observables is of interest for many reasons. For example, accurate chemical-shift predictions can facilitate NMR assignments and re-assignments, allow diastereomers to be distinguished, confirm suggested structures and enable the study of conformational processes. ${ }^{235}$ In this work, NMR chemical shifts were used to evaluate the in silico determined conformational equilibria of the cyclic peptides.

DFT is a widely used theoretical approach to calculate atomic and molecular properties, including magnetic properties such as NMR chemical shifts. ${ }^{236}$ Simplified, it uses the electron density as basic function for quantum mechanical calculations instead of a complicated all-electron wavefunction. This makes the approach applicable for larger systems and has the additional advantage of the electron density being an experimental observable. Nevertheless, the cyclic peptides in this work still represent a large system for DFT. The level of theory for the DFT calculations was B3LYP/6-31G(d). B3LYP ${ }^{237,238}$ is a popular hybrid functional for exchange and correlation energy expressions that has proven successful for many applications and includes a contribution from Hartree-Fock exchange. ${ }^{239} 6-31 \mathrm{G}(\mathrm{d})^{240}$ is a split-valence-plus-polarisation basis set to calculate the electronic wave function. It is relatively small, yet still appropriate to give accurate results while being computationally feasible for the cyclic peptides here.

Nuclear magnetic resonances arise due to the interaction of an external magnetic field with the magnetic moment of nuclei with unpaired $\operatorname{spin}\left(e . g .{ }^{1} \mathrm{H},{ }^{15} \mathrm{~N},{ }^{13} \mathrm{C}\right)$. The electrons close to the nuclei affect the external magnetic field and the effective local magnetic field varies depending on this shielding ${ }^{241,242}$ (Appendix A6). Thus, chemical shifts of the NM resonances are caused by varying electron distribution related to the local conformation around the nuclei. An increase of the local magnetic field (shielding) effects an up-field shift and a decrease (deshielding) is followed by a downfield shift. Two well-established techniques to calculate nuclear magnetic shieldings within DFT are IGLO ${ }^{243}$ (Individual Gauges for Localised Orbitals) and GIAO ${ }^{244,245}$ (Gauge-Invariant Atomic Orbital). GIAOs are known to give more accurate results with small basis sets than IGLO ${ }^{244}$ and show a fast convergence of calculated chemical shieldings. ${ }^{246}$ Here, the standard implementation of GIAO in Gaussian09 ${ }^{247}$ was used at the level of theory mentioned above, representing approximately the minimum DFT level for reliable NMR observables. ${ }^{248,249}$ For the quantum-mechanical evaluation of the relationship of structure and nuclear magnetic shielding, the fundamental theory of magnetic properties and an in depth discussion of density-functional theory, the reader is referred to the specialised literature. ${ }^{235,239,250-253}$

Solvent effects were simulated with the common polarizable continuum model (PCM) ${ }^{254}$ for water representing an implicit solvation. The calculations of the magnetic shielding tensors for the peptide nuclei were preceded by DFT geometry optimisation (consistent DFT level). Linear regression parameters to convert the absolute isotropic nuclear magnetic shielding ( $\sigma$, dimensionless) into chemical shifts ( $\delta, \mathrm{ppm}$ ) were obtained by correlation of well-established chemical shifts of small organic molecules with DFT calculated magnetic shieldings at the same level of theory as used for the calculation of the peptides. Linear regression against several reference compounds provides a better error cancellation than simple referencing to only one NMR standard (e.g. DSS, TMS ${ }^{\text {i }}$ ). In this way, NMR chemical shifts $\left({ }^{1} \mathrm{H},{ }^{13} \mathrm{C},{ }^{15} \mathrm{~N}\right)$ have been calculated for AVP, UII and URP and methodological details are given in Chapters 5 and 6 and the Supporting Information (Appendices $A 2$ and $A 3)$.

## Statistical Evaluation

The objective of the computational simulations in this thesis was to generate a realistic description of the structure and dynamics of the cyclic peptides. Single conformations and equilibrium mixtures are models for the "real" conformation and the hypothesis is that an equilibrium mixture of relevant conformations will yield a better description than any single conformation.

To test this hypothesis, experimental observables, e.g. NMR chemical shifts, were compared with the corresponding values calculated from the models. The model that fits best is assumed to describe the "real situation" most accurately. For this, different error metrics were used and the fundamentals of these statistic methods are explained.

Linear regression. ${ }^{255-257}$ Before analysing error metrics, a scatter plot of experimental data against calculated data was drawn to visualise their correspondence. The relation between the two sets of data can be expressed mathematically with a simple linear regression (Eq. (3.6) and (3.7)):

$$
\begin{gather*}
y=m x+a  \tag{3.6}\\
m \text { slope; } a \text { intersection } \\
y^{\prime}=m^{\prime} x  \tag{3.7}\\
m^{\prime} \text { slope; intersection }=0
\end{gather*}
$$

The regression straight line is the line to which all points are positioned as closely as possible. If the intersection of this straight line is set to the origin (Eq. (3.7)), different models can be compared directly. A measure of the agreement between the model and the experimental values is the

[^11]coefficient of determination ( $\mathrm{R}^{2}$ ). Its ideal value is 1 and the worst case 0 . In this work, diagrams were plotted within Microsoft ${ }^{\circledR}$ Excel ${ }^{\circledR} 2013$ using the standard least squares method for simple linear regression to determine $R^{2}$.

Error metrics. Metrics are a measure of the differences between pairs of values. In the case of model vs. experiment, ideally, the pairs of values (e.g. the NMR chemical shifts for particular atoms) should be identical. The smaller the error metrics, the higher the accuracy of the model. Standard error metrics used in this project were the mean signed error (MSE), mean unsigned error (MUE), and root mean square error (RMSE). In addition, two new metrics were defined, the weighted RMSE (WRMSE) and the coefficient of distinctiveness $\Delta_{0}$.

The MSEi, Eq. (3.8), is the mean of all individual pair differences and indicates mean systematic deviations for the entire dataset.

$$
\begin{equation*}
M S E=\frac{\sum_{i=1}^{N}\left(\hat{y}_{i}-y_{i}\right)}{N} \tag{3.8}
\end{equation*}
$$

$\hat{y}_{i}$ calculated value (e.g. chemical shift); $y_{i}$ experimental observable; $i$ atom; $N$ total number of atoms

The MUE, Eq. (3.9), is more significant than the MSE because it is based on absolute pair differences.

$$
\begin{equation*}
M U E=\frac{\sum_{i=1}^{N}\left|\hat{y}_{i}-y_{i}\right|}{N} \tag{3.9}
\end{equation*}
$$

$\hat{y}_{i}$ calculated value (e.g. chemical shift); $y_{i}$ experimental observable; $i$ atom $i ; N$ total number of atoms

The RMSE, Eq. (3.10), also known as RMS deviation, gives the root of the mean of all squared differences. In contrast to the MUE, it weights large deviations more than small ones.

$$
\begin{equation*}
R M S E=\sqrt{\frac{\sum_{i=1}^{N}\left(\hat{y}_{i}-y_{i}\right)^{2}}{N}} \tag{3.10}
\end{equation*}
$$

$\hat{y}_{i}$ calculated value (e.g. chemical shift); $y_{i}$ experimental observable; $i$ atom; $N$ total number of atoms

To enhance the significance of the error metrics further, the weighted RMSE (WRMSE) was introduced. It not only punishes large individual errors but also weights the dependence on conformation by introducing the standard deviation of the models $\left(\sigma_{\mathrm{i}}\right)$. Errors of particular values with large standard deviation are weighted more strongly than those that depend less strongly on conformation. $\sigma_{i}$ is large for values that show strong deviations between different conformations. The WRMSE is given in Eq. (3.11).

$$
\begin{equation*}
W R M S E=R M S E \cdot \sqrt{\frac{\sigma_{i}}{\bar{\sigma}}}=\sqrt{\frac{\sum_{i=1}^{N}\left(\hat{y}_{i}-y_{i}\right)^{2} \sigma_{i}}{\sum_{i=1}^{N} \sigma_{i}}}, \sigma_{i}=\sqrt{\frac{\sum_{j=1}^{M}\left(\hat{y}_{i j}-\overline{\hat{y}}_{i j}\right)^{2}}{M}} \tag{3.11}
\end{equation*}
$$

$\sigma_{i}$ standard deviation of calculated values i of all models; $\bar{\sigma}$ average or arithmetic mean of $\sigma_{i} ; \hat{y}_{i j}$ calculated value for atom i and model $\mathrm{j} ; \overline{\hat{y}}_{i j}$ average or arithmetic mean of calculated value for atom i of all models; $i$ atom; $j$ model; $M$ total number of models

[^12]The second new metric, the coefficient of distinctiveness $\left(\Delta_{\sigma}\right)$, was designed to estimate the significance of MUEs. As has been explained for the WRMSE, the standard deviation of model values $\left(\sigma_{\mathrm{i}}\right)$ is proportional to the diversity of conformations. Thus, $\sigma_{\mathrm{i}}$ is used to estimate the distinctiveness of the overall error metrics by weighting particular MUEs of atoms with high conformational diversity between models less than others (cf. Eq. (3.12)). Ideally, models should differ enough (large $\sigma_{i}$ ) to make the decision for "the best" model significant. The limiting error value of $\Delta_{\sigma} \leq 1$ was introduced to characterise a model that is able to discriminate between different conformations. A detailed discussion is given in Chapter 5 (Paper 2).

$$
\begin{equation*}
\Delta_{\sigma}=\frac{\sum_{i=1}^{N} \frac{\left|\hat{y}_{i}-y_{i}\right|}{\sigma_{i}}}{N} \tag{3.12}
\end{equation*}
$$

$\Delta_{\sigma}$ Coefficient of distinctiveness; $\left|\hat{y}_{i}-y_{i}\right|$ particular MUE for values of atom i ; $\sigma_{i}$ standard deviation of calculated values $i$ of all models; $\hat{y}_{i}$ calculated value for atom $i ; i$ atom; $N$ total number of atoms

Methodological details of how to model the conformational equilibria and an in-depth discussion of the evaluation technique are given with the results for AVP in Chapter 5 (Paper 2).

Fitting methods. In theory, statistical methods could also be used to estimate the equilibrium conformations via statistical fitting of the calculated variables (NMR chemical shifts) to experimental values. A statistical approach was tested for AVP (Chap. 5, Paper 2). The methods applied were partial least squares regression (PLS) and bagged multiple linear regression (MLR). The first is related to PCA and uses variances in its regression approach while the latter uses linear combinations of descriptors (here chemical shifts of different conformations) to define the best model. However, the results have little predictive power if the majority of calculated variables are highly correlated, as they are in the case of the calculated NMR spectra. Thus, in this research, the relative populations of relevant conformations were determined via enhanced sampling methods.

DP4 probability. ${ }^{258}$ Goodman and co-workers offer an easy to use Java-applet to test NMR chemical shift assignments. The required input is a set of experimental chemical shifts $\left({ }^{1} \mathrm{H},{ }^{13} \mathrm{C}\right)$ and the corresponding calculated chemical shifts of diastereomers. Their comparison of calculated and observable shifts results in a probability of correct assignment, called DP4 probability. In this work, the input was modified by using different conformations rather than diastereomers. The application was used to test whether the in silico predicted chemical shifts of the conformational equilibria were assigned the highest DP4 probability. For details, see Chapters 5 and 6 and the corresponding Supporting Information.

## Summary

In summary, most methods used in this thesis were standard applications to guarantee a maximum of compatibility for cooperative research projects (e.g. standard MD force field, standard DFT parameters). Within the standard methods, the state-of-the-art parameters were chosen where possible to achieve maximum accuracy (e.g. TIP4P-Ew water instead of TIP3P, $\mu s$-scale run-times instead of ns-scale, ab initio DFT optimised conformations instead of MD minimised). For analyses beyond established methods, new methods and metrics were tested, applied and developed (e.g. DASH, $\Delta_{\sigma}$ )

## ReSUlts and Discussion

## Chapter 4: Conformation and Dynamics of $\mathrm{Arg}^{8}$-Vasopressin in Solution (Paper 1)

The results in this section have been published in:

Haensele E, Banting L, Whitley DC, Clark T. Conformation and dynamics of 8-Arg-vasopressin in solution. J Mol Model. 2014;20(11):2485(17). ${ }^{1}$

The paper is given as postprint.

## Foreword

The application of new protocols and methods to known systems is a classical scientific approach to establish their reliability. Long-scale MD simulations' have not been reported for cyclic peptide hormones to date and DASH as a high-performance clustering methods for long trajectories has been tested here. AVP is a prime example for structural research in general and for bioactive flexible peptides in particular. As it is one of the first synthesised peptides, ${ }^{259}$ a multitude of structural data can be found in the literature, as has been outlined in the Introduction (Chap. 2). This is a comfortable situation to test the reliability of the extended timescale MD simulations and to test the performance and accuracy of the analysis method DASH ( $c f$. Appendix A7).

Paper 1 reports the results of $11 \mu s$ unrestrained MD simulation of AVP with the AMBER force field ff99SB and explicit water solvation. Three of the main conformations identified (saddle, twisted saddle and open) resemble known data (cf. Table 2.4), which shows the method is able to reproduce known conformations. A further, previously unknown, main conformation was also found and characterised (the clinched open conformation, shown in Fig. 4.1). Based on the data of the $11 \mu \mathrm{~s}$ simulate, it was assumed to be a minority population. However, the extended MD simulation to $23 \mu \mathrm{~s}$ (cf. Paper 2) showed an increased population of this conformation and the enhanced sampling studies (by Dr. Saleh) identified the clinched open conformation as the second most frequent main conformation of AVP.

[^13]The clustering method DASH demonstrated excellent performance on long trajectories. Conformations were not only clustered for the complete peptide sequence (overall conformations) but also separately for main motifs (ring and tail) which led to a classification of main conformations of AVP based on conformational ring types. The paper explains in detail the conformational clustering of AVP and presents an optimised protocol for the analysis and clustering of long-scale MD simulations of flexible peptides.




Figure 4.1a-c AVP representative for the ring-state type clinched open. Transannular hydrogen bonds are not significantly populated. Turns are centred at residues 4,5 (open $\beta$-turn type $\mathrm{VIII} / \mathrm{I}$ ). The ring-state type clinched open of AVP corresponds to the ring-state type omega of UII and URP. Depiction: (a) backbone (sticks), sidechains (lines), disulphide bridge (sticks), nonpolar hydrogens hidden, residues labelled; (b) backbone (cartoon), sidechains (lines), nonpolar hydrogens hidden, residues labelled; (c) surface.

## Contribution of Authors

The results are the product of a joint research project between the University of Portsmouth (UK) and the FAU Erlangen-Nürnberg (D) within the framework of the European "Peptide Research Network of Excellence" (PeReNE).

MD simulations, data analyses and protocol optimisations were performed by Haensele.
Principal component analyses were performed by Prof. Clark.
Dr. Whitley extended the routines of DASH and improved the usability of the application. The source code of amberDASH was written (DW) based on an idea of Haensele, which facilitates the DASH-clustering of AMBER trajectories (see Appendix A7).

Linked Appendices: A1: Reprint Supporting Information Paper 1; A7: Hardware and Software.

## Postprint of Paper 1

Haensele E, Banting L, Whitley DC, Clark T. Conformation and Dynamics of 8-Arg-Vasopressin in Solution. J Mol Model. 2014;20(11):2485(17). ${ }^{\text {i }}$


Table of Content Graphic
(Representative conformations of AVP)


#### Abstract

Arginine-vasopressin has been subjected to a long (11 $\mu \mathrm{s}$ ) molecular-dynamics simulation in aqueous solution. Analysis of the results by DASH and principal components analyses reveals four main ring conformations that move essentially independently of the faster-moving tail region. Two of these conformations (labelled saddle) feature well defined $\beta$-turns in the ring and conserved transannular hydrogen bonds, whereas the other two (open) feature neither. The conformations have been identified and defined and are all of sufficient stability to be considered candidates for biologically active conformations in in their cognate receptors.


Keywords. Vasopressin -Molecular Dynamics - DASH Analysis - Peptides - Principal Component Analysis

[^14]
## Introduction

8-Arginine-vasopressin (AVP, also known simply as vasopressin (VP), antidiuretic hormone (ADH) or argipressin), one of the first biologically active peptides to be synthesised by du Vigneaud in 1954, ${ }^{259}$ is a nonapeptide with a six-membered cyclic moiety (Cys ${ }^{1}-$ Tyr $^{2}-$ Phe $^{3}-\mathrm{Gln}^{4}-\mathrm{Asn}^{5}-\mathrm{Cys}^{6}$ ) closed by a Cys $^{1}$-Cys ${ }^{6}$ disulphide bridge, and an $\alpha$-amidated three residue tail ( $\mathrm{Pro}^{7}-$ Arg $^{8}-\mathrm{Gly}^{9}-\mathrm{NH}_{2}$ ).

AVP is a neurohypophyseal hormone and belongs to the vasopressin family of the evolutionary lineage vasotocin-vasopressin. Vasopressin-like hormones are found in all vertebrates, with AVP being the mammalian form. They all possess a basic amino acid, such as arginine or lysine, in position eight and are all involved in water homeostasis (for reviews see inter alia ${ }^{20,37,44}$ ).

AVP is synthesised in the magnocellular neurons of the posterior pituitary gland ${ }^{260}$ complexed with neurophysin, its carrier protein. ${ }^{98}$ The function of NP is to target, package and store AVP before release into the bloodstream. ${ }^{44}$ The receptors activated by AVP belong to the transmembrane G-protein coupled receptor superfamily. ${ }^{20}$

Once secreted into the blood stream, AVP is implicated in myriad physiological functions within the endocrine and neurocrine systems. Examples of its hormone function in addition to water homeostasis ${ }^{20,37,44}$ include regulation of blood pressure, ${ }^{261,262}$ antipyretic ${ }^{263}$ and analgesic effects. ${ }^{264}$ AVP acts as secretagogue for adrenocorticotropin, ${ }^{36,41,44}$ glucagon and insulin. ${ }^{265}$ The peptide is thought to mediate social and sexual behaviour, especially aggression, anxiety and pair-bonding. ${ }^{42}$ Furthermore, AVP is believed to enhance memory and facilitate learning ${ }^{44}$ and to be involved in the pathophysiology of clinical disorders such as autism, ${ }^{266}$ and may even play a role in circadian rhythm misalignments, like jet lag. ${ }^{267}$

Lowered AVP release in humans effects an increased blood sodium concentration (hypernatremia), excessive urine production (polyuria) and thirst. This may in turn lead to diabetes insipidus treatable by administration of AVP and AVP analogues. ${ }^{268}$ In contrast, heightened AVP release causes hyponatremia, which may result in brain diseases and lung cancer ${ }^{269,270}$ and can be treated with AVP-receptor antagonists. ${ }^{271}$ AVP can be used in emergency medicine as an alternative to epinephrine in the event of cardiac arrest. ${ }^{39}$

To date, the only fully resolved crystal structure of AVP is as part of a trypsin complex (PDB ID: 1YF4). ${ }^{97}$ This structure contains a remarkably different backbone conformation to those found for the closely related peptide hormones 8 -Lys-vasopressin (PDB ID: 1JK) ${ }^{98}$ and oxytocin (PDB ID: 1NPO) ${ }^{77}$ in their NP-complexes in the solid state.

The conformational characteristics of the peptide structures in the physiologically relevant neurophysin-complexes are a saddle-like ring with $\beta$-turns involving residues 3,4/4,5 and a high occurrence of transannular hydrogen bonds, primarily between $\operatorname{Tyr}^{2} \mathrm{O}$ and $\mathrm{Asn}^{5} \mathrm{NH}$
( $c f$. Scheme 4.1b). The tripeptide tail is only resolved in the OT-NP complex (PDB ID: 1NPO) where it is extended or folded and possibly stabilized by a hydrogen bond $\mathrm{Cys}^{6} \mathrm{O}-\mathrm{Gly}{ }^{9} \mathrm{NH}$ (cf. Scheme 4.2b).
a


clinched_open
4,5 $\beta$-turn type VIII/I

d

twisted_saddle
$3,4 \beta$-turn type II
H-[Cys1Tyr2Phe3Gln4Asn5Cys6]Pro7Arg8Gly9-NH2

Scheme 4.1a-d Main conformational types of the cyclic part of AVP. (a) open: no intramolecular hydrogen bonds and no classical $\beta$-turn types; (b) saddle: $\beta$-turn type I centred at $3,4 / 4,5$ and stabilised by a transannular hydrogen bond from $\mathrm{Tyr}^{2} \mathrm{O}$ to $\mathrm{Asn}^{5} \mathrm{NH}$ and $\mathrm{Cys}{ }^{6} \mathrm{NH}$; (c) clinched open: minor propensity for $\beta$-turns type VIII or I centred at 4,5; (d) twisted saddle: $\beta$-turn type II centred at 3,4 with hydrogen bond $\mathrm{Tyr}^{2} \mathrm{O}$ to $\mathrm{Asn}^{5} \mathrm{NH}$


extended
b

folded
H-[Cys1Tyr2Phe3Gln4Asn5Cys6]Pro7Arg8Gly9-NH2

Scheme 4.2a,b Main conformational types of the N-terminal tail of AVP. (a) extended tail: no turns, no significantly populated hydrogen bonds; (b) folded tail: $\beta$-turn type II centred at residues 7 and 8 , hydrogen bond from Cys60 to Gly9NH

NMR studies suggest rapid interchange between the $\beta$-turn conformations of AVP in solution, although a folded (saddle) geometry appears to be maintained. ${ }^{99}$ The polarity of the solvent seems only to affect formation of intramolecular hydrogen bonds. In DMSO, a hydrogen bond is indicated between $\mathrm{Tyr}^{2} \mathrm{O}$ and $\mathrm{Asn}^{5} \mathrm{NH}^{99}$ but apparently not in water. ${ }^{103}$ Studies in sodium dodecyl sulphate (SDS) micelles suggest the lipophilic regions of the ring interact with a membrane, while the hydrophilic tail is exposed to the aqueous phase. Again, in this study the cyclic backbone of the AVP ring attached to the micelles appears similar to the NP-complexed form. ${ }^{100}$

These saddle-like conformations with a strongly puckered ring and the $\beta$-turns mentioned above have been confirmed computationally as "low-energy conformations" inter alia by Liwo et al. ${ }^{81}$ via Monte Carlo and molecular-dynamics simulations.

In contrast, the conformation of AVP within the trypsin complex (PDB ID: 1YF4) is characterised by an unfolded, more planar ring conformation, here designated as open, with no significant internal hydrogen bonds and an extended tail (cf. Scheme 4.1a). AVP is an efficient inhibitor of trypsin, ${ }^{97}$ although this is not known to be a true physiological function of AVP. The open conformation adopted in this trypsin complex can nevertheless be regarded as a bioactive conformation.

To our knowledge, little attention has been paid to an open conformation or its potential role in receptor binding with the vasopressin-receptor V2R. ${ }^{272}$

The V2R agonist-binding-pocket, common to all VP and OT receptor types, is located in a cleft within the transmembrane (TM) domains and AVP has been proposed to be almost completely buried within the receptor channel. ${ }^{272,273}$ The hydrophobic ring residues $\left(\mathrm{Cys}^{1}-\mathrm{Tyr}^{2}-\right.$ Phe $^{3}$ ) are predicted to interact with residues of the TM-helices to activate signal transduction, while the tail points outside the TM-core, interacting with an extracellular loop via its hydrophilic residue Arg ${ }^{8}$. The interaction between $\mathrm{Arg}^{8}$ and the extracellular loops is also thought to be a key in receptor recognition. ${ }^{20,22}$ Current models for interactions of peptide hormones with their receptors suggest multi-step mechanisms in which the peptide first contacts the cell membrane and then diffuses to the receptor until it finally finds its position to trigger receptor activities. ${ }^{24,25}$ These events are probably accompanied by conformational changes of the ligand and concomitant allosteric effects on the receptors. ${ }^{63}$ A flexible ligand exists in solution as an equilibrium involving several conformations of differing bioactivities. A conformation that has not yet been recognised with "slow" experimental techniques, such as NMR, might nevertheless be the important conformation for triggering biological effects such as receptor recognition and activation or inhibition. ${ }^{63,70,274}$

Thus, we have now investigated the conformational dynamics of this peptide in solution in depth with modern computational methods and analysis tools with special regard to the open
conformation, which is evident in the largely ignored 1YF4 X-ray structure of AVP and is significantly different from the known saddle conformation.

Molecular-dynamics simulations have proven to be an accurate tool for describing the atomistic details of the conformational dynamics of biological systems in solution (e.g. ${ }^{225}$ ). Rapidly developing computational methods, increasing computational performance and improved force fields now make it possible to reveal new structural aspects of systems such as AVP, especially because microsecond simulations are now possible for a peptide of this size.

We now report an unrestrained $11 \mu \mathrm{~s}$ MD simulation of the AVP-1YF4-peptide in explicit water solvent at 300 K using AMBER $10^{219}$ and a detailed analysis of the resulting conformational space with several analysis tools contained in Ptraj ${ }^{142}$ and DASH ${ }^{141}$ - a fast conformational analysis tool for MD simulations developed especially for long trajectories for which classical clustering algorithms scale poorly.

## Methods

## Molecular-Dynamics Simulation

The AMBER 10 program suite ${ }^{219}$ was used to optimise geometries and for the MD simulations. The X-ray structure of AVP from the trypsin complex (PDB ID: 1YF4) ${ }^{97}$ was chosen as the initial conformation. The peptide was placed in a truncated octahedron water box (box size (XYZ) = $38.97 \AA^{3}$ ) using the TIP4P-Ew water model. ${ }^{197,275}$ Two chloride counterions were added to neutralise the system. The simulation system consisted of a total of 4,792 atoms, including 1,162 4-site water molecules and 142 AVP atoms.

The system was optimised using 500 steps of steepest-descent optimisation followed by 8,945 of conjugated-gradient minimisation at constant volume.

Molecular-dynamics simulations were carried out using the AMBER ff99SB force field ${ }^{140}$ under constant temperature ( $T=300 \mathrm{~K}$, Berendsen coupling ${ }^{215}$ of 1.0 ps to an external heat bath) and constant pressure ( $p=1 \mathrm{~atm}$ ) periodic boundary conditions with a non-bonded cut off of 8 Å. The SHAKE ${ }^{224}$ algorithm was employed for hydrogen atoms with a simulation time step of 2 fs . Energies were calculated using the Particle Mesh Ewald method ${ }^{203}$ and coordinate 'snapshots' were written every picosecond. AVP was simulated in explicit water at 300 K for $11 \mu \mathrm{~s}$.

## DASH Analysis

Conformational clustering was performed with DASH, Version 2.10. ${ }^{141}$ DASH is a fast conformational analysis tool for MD simulations developed especially for long trajectories for which classical pairwise distance-metric clustering algorithms (C $\alpha$ ) scale poorly. It analyses time series of torsion angles, e.g. the trajectories of the $\Phi \Psi$ dihedral angles of the protein/peptide backbone during the MD simulation. The result is a time series of DASH states called a DASH state trajectory. A DASH state is simply an ensemble of torsion angles that is representative for a main conformation (equivalent to a conformational cluster). No predetermined number of states is required, in contrast to clustering algorithms that use a similarity matrix, such as those implemented in AMBER tools. ${ }^{142} \mathrm{~A}$ conformation must persist for a minimum number of time steps before it is identified as a DASH state, which gives an accurate representation of significant conformational changes. The DASH software is released under the terms of the GNU General Public License and can be downloaded from the University of Portsmouth website. ${ }^{276}$

## Principal Component Analysis

The principal component analysis was conducted using the dihedral angles extracted from the simulation (11,000 snapshots) using SAR-caddle. ${ }^{234}$ Kaiser's eigenvalue-one test ${ }^{230}$ was used to determine the number of significant PCs. Weights are simply the squares of the coefficients of the torsional angles in the relevant PC.

Further details of the calculations and analyses are given in the Supporting Information (Appendix A1).

## Results and Discussion

## Ring Conformations

Trajectory (Transitions). An $11 \mu \mathrm{~s}$ MD simulation of AVP in solution reveal the high conformational flexibility and fluctuation of this peptide (see SI Video S1). Figure 4.2a shows the trajectory of conformational changes of the C $\alpha$-backbone atoms 1 to 9 of AVP as root mean square deviation from the minimised starting conformation (PDB ID: 1YF4). Average RMSD values of distinct time windows from the trajectory are given in Table 4.1. Significant RMSD changes indicate significant conformational changes, but despite a high fluctuation, there are only few substantial RMSD changes during the $11 \mu \mathrm{~s} \mathrm{MD}$ simulation. The most obvious transition is at $1.46 \mu \mathrm{~s}$. Limiting the RMSD calculation either to the ring (Fig. 4.2b) or to the tail C $\alpha$-atoms (Fig. 4.2d) shows that the major overall transition of the peptide (Fig. 4.2a) corresponds to a change of the ring conformation. The radius of gyration of the ring system (Fig. 4.2c) reveals further distinct transitions between differently folded ring conformations at 5.90, 6.43 and $7.19 \mu \mathrm{~s}$. The tail, however, fluctuates with a much higher frequency, apparently between two conformational states that are distributed evenly over the simulation. The video clip (SI, Video S1) suggests that these two tail states may be assigned to an extended state (Scheme 4.2a), in which the tail points away from the ring, and a folded state (Scheme 4.2b) in which the tail turns toward the lower face of the ring. The high frequency of transitions between the two tail states indicates a high flexibility of the tail, significantly higher than the ring.

Table 4.1 Average root mean square deviations (avRMSD) and average radii of gyration (avRadGyr) for significant trajectory time windows and backbone $\mathrm{C} \alpha$ alignments of $\mathrm{Arg}^{8}$-vasopressin

| Alignment |  | Trajectory time window [ $\mu \mathrm{S}$ ] |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| avRMSD [Å] |  | $\begin{aligned} & 0-1.46 \\ & \text { open } \end{aligned}$ | 1.46-5.90 <br> saddle | 5.90-6.43 <br> variants | 6.43-7.19 clinched open | 7.1-11.00 twisted open |
|  | overall ${ }^{\text {a }}$ | 1.825 | 2.930 | 2.683 | 2.274 | 2.756 |
|  | ring ${ }^{\text {b }}$ | 0.950 | 1.807 | 1.765 | 1.592 | 1.717 |
|  | tail ${ }^{\text {c }}$ | 0.991 | 1.157 | 1.102 | 1.164 | 1.068 |
| avRadGyr [Å] | ring | 4.077 | 3.278 | 3.569 | 3.870 | 3.500 |



Figure 4.2a-d Root mean square deviations and radius of gyration (RadGyr) of Arg $^{8}$-vasopressin during $11 \mu \mathrm{~s}$ MD simulation (Reference: minimised initial MD structure, AVP ${ }_{1 \text { YF4 }}$ ). (a) RMSD of $C \alpha-$ backbone atoms 1 to 9 (overall); (b) RMSD of C $\alpha$-backbone atoms 2 to 6 (ring); (c) Radius of gyration of C $\alpha$-backbone atoms 2 to 6 (ring); (d) RMSD of C $\alpha$-backbone atoms 7 to 9 (tail). Dotted lines indicate significant changes of the RMSD/RadGyr and mark time windows of different ring conformations (denoted as open, saddle, variants, clinched open and twisted saddle)

DASH State Analysis. A DASH analysis of all $16 \Phi \Psi$ dihedral angles (T16) of the AVP backbone (C $\alpha$ 2 to 9) during the $11 \mu \mathrm{~s}$ MD simulation results in 35 conformational states. Every DASH state represents, like a cluster, a conformation that is representative for an ensemble of similar backbone conformations. The 35 overall states can be clustered into four groups of states with common structural characteristics for the cyclic part of the peptide (Fig. 4.3a-d) and a fifth group of states ("variants", Appendix A1 Table S1 and Fig. S1) that does not match one of the main groups. This fifth group occurs between 5.90 and $6.43 \mu \mathrm{~s}$. A detailed table of the sequence of DASH states (DASH state trajectory) during the $11 \mu \mathrm{~s}$ simulation is available as Supplementary Material (Appendix A1 Table S2).


Figure 4.3a-d Main overall conformations of Arg $^{8}$-vasopressin: Representative states in water resulting from a DASH state analysis of backbone dihedrals $\Phi \Psi 2$ to 9 . Absolute populations for every group of conformations are given in parentheses and refer to $11 \mu \mathrm{~s}$ MD. (a) Representatives with open ring conformation; (b) representatives with saddle ring conformation; (c) representatives with clinched open ring conformation; (d) representatives with twisted saddle ring conformation. Depiction: backbone $=$ cartoon, side chains = lines, representatives are only labelled for the main populated state of each group. Residues are only labelled for each major populated state

DASH Ring-State Analysis. As the RMSD trajectories suggest that the tail movements do not affect the main ring conformation, we first focused the DASH analysis on the ring dihedrals $\Phi \Psi 2$ to 6 (T10). Each DASH state now represents an ensemble of similar ring-backbone conformations shown in Figure 4.4 and Table 4.2. In order to distinguish between DASH overall states and DASH ring states, DASH overall states are denoted as T16 and DASH ring states as T10.


Figure 4.4a-d Main ring conformations of $\mathrm{Arg}^{8}$-vasopressin. Main representative ring states in water resulting from a DASH state analysis of backbone dihedrals $\Phi \psi 2$ to 6 . Absolute population of each state during $11 \mu \mathrm{~s}$ MD are given in parentheses. (a) open ring states; (b) saddle ring states; (c) clinched open ring states; (d) twisted saddle ring states. Depiction: backbone = cartoon, sidechains = lines. Residues are only labelled for the major populated state each and the N -terminal tail is not shown in (a) to (d) for clarity. For illustration, a ring alignment of the backbone cartoons of the 4 main ring state ( $T 10 \_8,1,4,6$ ) including the tail, is shown above (a) to (d).

The initial 35 overall states are now reduced to twelve ring states. These ring states can be assigned clearly to the main time windows of the trajectory between the transitions at $1.46,5.90,6.43$, and $7.10 \mu$ (Fig. 4.2a-c). Furthermore, analysing the T10 and T16 DASH state trajectories (Fig. 4.5 and Appendix A1 Table S2), shows that each overall state can be assigned to a distinct ring state (see Table 4.2).


Figure 4.5a-c DASH state trajectories for (a) overall (T16), (b) ring (T10), and (c) tails (T6) states. For a better understanding, the corresponding RMSD trajectories for overall ( $\mathrm{C} \alpha 2$ to 9), ring (Ca 2-6) and tail (C $\alpha$ 7-9) alignments are shown in the background. States are numbered consecutively on the second $y$ axis, thus every horizontal line is the trajectory of a single DASH state and illustrates its individual distribution during the simulation. The transitions between time windows of main ring conformations are marked with vertical dashed lines.

Table 4.2 Representative states of the main overall and ring conformations of Arg8-vasopressin \$

| T16 | State population (T16) |  | T10 | State population (T10) |  | Conformational characteristics |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| State | $\begin{aligned} & \text { abs } \\ & \text { [\%] } \end{aligned}$ | rel <br> [\%] | State | $\begin{aligned} & \text { abs } \\ & \text { [\%] } \end{aligned}$ | rel [\%] | $\beta$-turn type ${ }^{\text {a }}$ | Turn centre | bonds ${ }^{\text {b }}$ |
| open (0 to $1.455 \mu \mathrm{~s}=1.455 \mu \mathrm{~s}$ ) |  |  |  |  |  |  |  |  |
| 27 | 8.62 | 64.74 | 8 | 12.40 | 93.75 |  |  |  |
| 28 | 3.25 | 24.60 | 8 |  |  |  |  |  |
| 29 | 0.65 | 4.95 | 8 |  |  |  |  |  |
| 30 | 0.75 | 5.70 | 9 | 0.83 | 6.25 |  |  |  |
| total | 13.28 | 100.00 |  | 13.23 | 100.00 | no classical turns | 2,3 | ( $\mathrm{Tyr}^{2} \mathrm{OG} \mathrm{ln}^{4} \mathrm{NH}$ ) |
| saddle (1.455 to $5.900 \mu \mathrm{~s}=4.445 \mu \mathrm{~s}$ ) |  |  |  |  |  |  |  |  |
| 1 | 0.95 | 2.34 | 1 | 35.97 | 89.02 |  |  |  |
| 2 | 0.74 | 1.82 | 1 |  |  |  |  |  |
| 3 | 19.65 | 48.63 | 1 |  |  |  |  |  |
| 4 | 7.88 | 19.51 | 1 |  |  |  |  |  |
| 5 | 1.22 | 3.03 | 1 |  |  |  |  |  |
| 6 | 5.60 | 13.87 | 1 |  |  |  |  |  |
| 7 | 3.07 | 7.60 | 2 | 4.10 | 10.13 |  |  |  |
| 8 | 0.35 | 0.87 | 2 |  |  |  |  |  |
| 9 | 0.35 | 0.87 | 2 |  |  |  |  |  |
| 10 | 0.25 | 0.62 | 2 |  |  |  |  |  |
| total | 40.06 | 99.15 |  | 40.07 | 99.16 | 1/(I) | 3,4/4,5 | $\mathrm{Tyr}^{2} \mathrm{OAsn}^{5} \mathrm{NH}$, Tyr ${ }^{2} \mathrm{OCys}^{6} \mathrm{NH}$ |
| clinched open ( 6.429 to $7.187 \mu \mathrm{~s}=0.758 \mu \mathrm{~s}$ ) |  |  |  |  |  |  |  |  |
| 12 | 1.87 | 27.18 | 4 | 4.80 | 69.66 | (VIII) |  |  |
| 13 | 1.41 | 20.45 | 4 |  |  |  |  |  |
| 14 | 1.45 | 20.98 | 4 |  |  |  |  |  |
| 15 | 0.23 | 3.30 | 5 | 2.09 | 30.34 | I |  |  |
| 16 | 0.89 | 12.93 | 5 |  |  |  |  |  |
| 17 | 0.62 | 8.97 | 5 |  |  |  |  |  |
| 18 | 0.43 | 6.20 | 5 |  |  |  |  |  |
| total | 6.89 | 100.00 |  | 6.89 | 100.00 | (VIII) /I | 4,5 | $\left(\mathrm{Phe}^{3} \mathrm{OCHs}^{6} \mathrm{NH}\right)$ |
| twisted saddle ( 7.187 to $11.000 \mu \mathrm{~s}=3.813 \mu \mathrm{~s}$ ) |  |  |  |  |  |  |  |  |
| 19 | 14.04 | 36.32 | 6 | 21.8 | 57.62 |  |  |  |
| 20 | 3.24 | 9.34 | 6 |  |  |  |  |  |
| 21 | 0.85 | 2.44 | 6 |  |  |  |  |  |
| 22 | 3.81 | 9.91 | 6 |  |  |  |  |  |
| 23 | 0.26 | 0.76 | 7 | 13.33 | 37.11 |  |  |  |
| 24 | 9.84 | 27.98 | 7 |  |  |  |  |  |
| 25 | 2.07 | 5.01 | 7 |  |  |  |  |  |
| 26 | 1 | 2.86 | 7 |  |  |  |  |  |
| total | 35.10 | 94.62 |  | 35.13 | 94.73 | II | 3,4 | Tyr ${ }^{2} \mathrm{OAsn}{ }^{5} \mathrm{NH}$ |
| Stotal | 95.33 |  |  | 95.32 |  |  |  |  |

${ }^{5}$ Listed are the population and conformational characteristics of the main overall states (T16) and ring states (T10) of AVP (minor and transient state variants: see Table S1). Absolute populations refer to $11 \mu \mathrm{~s} \mathrm{MD}(100 \%)$. Relative populations refer to the main time windows of each conformational group (open, saddle, clinched open or twisted saddle). Characteristics of each ring conformation are given by $\beta$-turn types, turn centres, and transannular hydrogen bonds (Hbonds). T16 = overall states defined by $\Phi \Psi 2$ to 9; T10 = ring states defined by $\Phi \Psi 2$ to 6 . a Parentheses indicate distorted versions of ideal $\beta$-turn types. ${ }^{\text {b }}$ Hydrogen bonds in parentheses are only populated $20-40 \%$. Abbreviations: see $p$. xii

In other words, each overall state can be considered as a main ring conformation combined with a distinct tail-conformation, as will be discussed in detail below. Table 4.2 shows absolute and relative populations of overall and ring states and how they correspond. Absolute populations refer to the total simulation time of $11 \mu s$ and relative populations refer to the individual lengths of a conformational time window. The main ring conformations and the corresponding main windows are denoted as (a) open (0 to $1.46 \mu \mathrm{~s}$ ), (b) saddle (1.46 to $5.90 \mu \mathrm{~s}$ ), (c) clinched open ( $6.43-7.19 \mu \mathrm{~s}$ )
and (d) twisted saddle ( 7.19 to $11 \mu \mathrm{~s}$ ) to reflect common structural characteristics. The fifth window identified on the RMSD plot between 5.90 and $6.43 \mu$ s contains variants of the main ring conformations and will not be discussed in detail here. This work is focused on AVP's main conformational states, which correspond to the four main trajectory windows. Other, short-lived states are observed during the simulation, but do not play a significant role and will only be defined in the Supporting Information (Appendix A1).

Populations of the Conformations. The four main ring conformations (open, saddle, clinched open and twisted saddle) are present for more than $95 \%$ of the simulation time. As a result of the DASH ring analysis, every conformational group is represented by two ring states (T10), a main state with a relative population of up to $94 \%$ and a less populated state. Both major and minor states are present for 95 to $100 \%$ of the relevant time window. Figure 4.4 shows the $\mathrm{C} \alpha 1$ to 6 alignment of the ring states for each main ring conformation. Frequent interconversions between the representative states occur within each main conformational window. The DASH state mean angles (Table 4.3 and Appendix A1 Fig. S2) reveal that the major and minor ring states of a distinct conformational group (open, saddle, twisted saddle, clinched open) differ significantly (>60 ) for only one torsional angle. This is $\Phi 6$ for the open ( $72 \%$ ) and saddle ( $66^{\circ}$ ) states and $\Psi 5$ for the clinched open states $\left(73^{\circ}\right) .{ }^{i}$ The maximum torsion difference for twisted saddle states is $\Phi 6=52^{\circ}$.

Table 4.3 DASH state mean angles ( $\Phi \Psi$ ) of the main ring states (T10) of $\mathrm{Arg}^{8}$-vasopressin

| $\begin{gathered} \mathrm{T} 10 \\ \text { state } \end{gathered}$ | $\begin{gathered} \mathrm{Tyr}^{2} \\ \Phi \end{gathered}$ | $\begin{gathered} \mathrm{Tyr}^{2} \\ \Psi \end{gathered}$ | Phe ${ }^{3}$ <br> Ф | $\begin{gathered} \text { Phe }^{3} \\ \psi \end{gathered}$ | $\begin{gathered} \mathrm{G} \ln ^{4} \\ \Phi \end{gathered}$ | $\begin{gathered} \mathrm{G} \ln ^{4} \\ \Psi \end{gathered}$ | $\begin{gathered} \mathrm{Asn}^{5} \\ \Phi \end{gathered}$ | $\begin{gathered} \text { Asn }^{5} \\ \psi \end{gathered}$ | $\begin{gathered} \text { Cys }^{6} \\ \Phi \end{gathered}$ | $\begin{gathered} \text { Cys } \\ \psi \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| open |  |  |  |  |  |  |  |  |  |  |
| 8 | -112.54 | 134.53 | 55.31 | 3.41 | -135.33 | 152.15 | -75.09 | 124.68 | -127.16 | 148.39 |
| stddev | 37.81 | 18.46 | 9.08 | 31.34 | 23.92 | 18.2 | 18.32 | 32.08 | 31.88 | 23.33 |
| 9 | -98.98 | 129.37 | 56.09 | 0.76 | -135.73 | 153.49 | -66.41 | 113.78 | -55.29 | 126.93 |
| stddev | 54.64 | 26.48 | 9.27 | 31.72 | 23.88 | 23.1 | 31.29 | 80.23 | 61.52 | 40.84 |
| saddle |  |  |  |  |  |  |  |  |  |  |
| 1 | -80.2 | 143.87 | $-62.88{ }^{\text {a }}$ | $-21.36{ }^{\text {a }}$ | -86.73 ${ }^{\text {a }}$ | $-7.38{ }^{\text {a }}$ | -113.37 | -27.13 | -126.42 | 133.12 |
| stddev | 20.52 | 12.37 | 9.44 | 13.4 | 17.2 | 16.94 | 21.14 | 22.14 | 20.16 | 33.23 |
| 2 | -84.29 | 147.09 | -57.99 a | $-27.01^{\text {a }}$ | $-85.13^{\text {a }}$ | $-7.63{ }^{\text {a }}$ | -122.03 | -6.72 | -60.49 | 142.38 |
| stddev | 23.05 | 13.93 | 10.95 | 15.59 | 17.53 | 16.62 | 20.55 | 41.47 | 32.18 | 24.51 |
| clinched open |  |  |  |  |  |  |  |  |  |  |
| 4 | -95.37 | -19 | -101.27 | 156.57 | -67.65 b | $-19.06{ }^{\text {b }}$ | $-112.46{ }^{\text {b }}$ | $86.89{ }^{\text {b }}$ | -117.42 | 145.84 |
| stddev | 28.15 | 22.75 | 29.46 | 14.56 | 16.85 | 23.84 | 28.66 | 61.3 | 36.21 | 21.54 |
| 5 | -90.52 | -18.35 | -116.2 | 151.18 | $-68.06^{\text {b }}$ | $-20.5{ }^{\text {b }}$ | $-88.17{ }^{\text {b }}$ | $14.01^{\text {b }}$ | -82.72 | 144.88 |
| stddev | 28.3 | 18.64 | 30.65 | 13.16 | 22.02 | 26.74 | 20.39 | 33.03 | 29.6 | 16.17 |
| twisted saddle |  |  |  |  |  |  |  |  |  |  |
| 6 | -86.02 | 162.33 | $-52.48{ }^{\text {a }}$ | $127.66{ }^{\text {a }}$ | $55.04{ }^{\text {a }}$ | $12.34{ }^{\text {a }}$ | -107.29 | -7.44 | -122.17 | 144.18 |
| stddev | 29.44 | 13.88 | 16.16 | 14.69 | 9.01 | 21.14 | 29.86 | 48.29 | 28.23 | 23.53 |
| 7 | -115.65 | 174.87 | $-52.78{ }^{\text {a }}$ | 129.79 ${ }^{\text {a }}$ | $57.39{ }^{\text {a }}$ | $8.38{ }^{\text {a }}$ | -114.1 | -16.45 | -70.67 | 148.3 |
| stddev | 24.26 | 19.63 | 19 | 13.91 | 8.24 | 20.56 | 25.07 | 29.84 | 19.33 | 13.72 |

${ }^{\text {a,b }}$ Torsions corresponding to $\beta$-turns: ${ }^{\text {a }}$ turn propensity $>80 \%,{ }^{\text {b }}$ turn propensity $40-65 \%$. Ideal $\Phi \Psi(i+1, i+2): \beta$-turn type $\mathrm{I}\left(-60^{\circ},-30^{\circ},-\right.$ $\left.90^{\circ}, 0^{\circ}\right)$, type II $\left(-60^{\circ},+120^{\circ},+80^{\circ}, 0^{\circ}\right)$, type VIII $\left(-60^{\circ},-30^{\circ},-120^{\circ}, 120^{\circ}\right) .22^{27,277}$ stddev $=$ standard deviation.

[^15]These result in different disulphide-bridge conformations for each state. Although the disulphidebridge torsions were not included in the DASH ring-state analysis, their conformations are probably characteristic (see Fig. 4.4a-d, disulphide-bridges are shown as lines). RMSD differences between states of the same ring conformation are small, $\leq 0.25 \AA$, in comparison to RMSD differences between states of different ring conformations, 0.9 to $2.2 \AA$ (Appendix A1 Table S3). The saddle and the twisted saddle ring conformations are the most populated structures, with absolute populations of 40 and $35 \%$, respectively. The open conformations, open and clinched open, occur only $13 \%$ and $7 \%$ of the time.

Secondary Structure and Hydrogen Bonds. The secondary structure was determined by means of ring-internal turn propensities, turn types and hydrogen bonds. Turn propensities and hydrogenbond occupancies were calculated using AmberTools, and turn types were identified by comparing the DASH mean-angles with ideal $\beta$-turn type torsions. Turn propensities and hydrogen-bond populations are given in Tables 4.4 and 4.5 and the torsion-angle ensembles for every main DASH ring state in Table 4.3 and the results are illustrated in Scheme 4.1.

Table 4.4 Turn propensities [\%] for the main ring conformations of Arg $^{8}$-vasopressin

| Turn centre <br> residue | open | Main ring conformation $/$ Trajectory time-window <br> saddle | clinched open | twisted saddle |
| :---: | :---: | :---: | :---: | :---: |
| Cys $^{1}$ | 0.00 | 0.00 | 0.00 | 0.00 |
| Tyr $^{2}$ | 20.20 | 0.00 | 0.00 | 0.18 |
| Phe $^{3}$ | 20.20 | 94.10 | 0.03 | 90.57 |
| Gln $^{4}$ | 0.08 | 93.93 | 46.28 | 93.80 |
| Asn $^{5}$ | 0.07 | 89.33 | 46.28 | 61.93 |
| Cys $^{6}$ | 0.00 | 2.53 | 0.00 | 0.01 |
| Pro $^{7}$ | 3.80 | 18.57 | 20.99 | 10.82 |
| Arg $^{8}$ | 3.80 | 17.32 | 20.99 | 10.82 |
| Gly $^{9}$ | 0.00 | 0.00 | 0.00 | 0.00 |

Abbreviations: see p. xii.

Table 4.5 Occupancies of intramolecular hydrogen bonds (\%) and corresponding turn centres for the main ring conformations of $\mathrm{Arg}^{8}$-vasopressin

| H-bond |  | Main ring conformation / Trajectory time-window |  |  |  | Turn centre residues |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| O... | ...HN | open | saddle | cl.open | tw.saddle |  |
| Cys ${ }^{1}$ | Gln ${ }^{4}$ | 12.03 | 0.00 | 0.00 | 2.24 | 2, 3 |
| Tyr ${ }^{2}$ | Asn ${ }^{5}$ | 0.00 | 95.70 | 0.00 | 82.60 | 3, 4 |
| Tyr ${ }^{2}$ | Cys ${ }^{6}$ | 0.00 | 83.19 | 0.00 | 37.28 | 3, 4, 5 |
| Tyr ${ }^{2}$ | Gln ${ }^{4}$ | 38.57 | 2.04 | 0.01 | 0.02 | 3 |
| Phe ${ }^{3}$ | Cys ${ }^{6}$ | 0.00 | 4.86 | 27.93 | 0.04 | 4, 5 |
| Phe ${ }^{3}$ | Asn ${ }^{5}$ | 0.13 | 2.41 | 10.21 | 23.83 | 4 |
| GIn ${ }^{4}$ | Cys ${ }^{6}$ | 8.78 | 0.06 | 18.67 | 1.60 | 5 |
| Asn ${ }^{5}$ | Tyr ${ }^{2}$ | 0.00 | 0.22 | 0.00 | 6.59 | 3, 4 |
| Cys ${ }^{6}$ | Gly ${ }^{9}$ | 2.20 | 10.82 | 12.11 | 5.67 | 7, 8 |

The saddle (Scheme 4.1b, Fig. 4.4b) and related twisted saddle (Scheme 4.1d, Fig. 4.4d) ring conformations are the most highly populated, occurring for $75 \%$ of $11 \mu \mathrm{~s}$ (Table 4.2). Both feature
a highly populated (more than $90 \%$ ) turn at residues $\mathrm{Phe}^{3}$ and $\mathrm{Gln}^{4}$. The saddle is characterised by a further turn centred at $\operatorname{Asn}^{5}$ (89\%). This turn also occurs in the twisted saddle but is less highly populated ( $62 \%$ ). The DASH-state mean-angles (Table 4.3 and Appendix A1 Table S4) reveal a $\beta$-turn type I centred at 3,4 for the saddle conformation in addition to a slightly distorted $\beta$-turn type I centred at 4,5. These $\beta$-turns are stabilised by highly populated hydrogen bonds (83-96 \%) between the carbonyl-oxygen of $\operatorname{Tyr}^{2}\left(\operatorname{Tyr}^{2} \mathrm{O}\right)$ and the amide-hydrogen of $\mathrm{Asn}^{5}\left(\mathrm{Asn}{ }^{5} \mathrm{NH}\right)$, and between $\operatorname{Tyr}^{2} \mathrm{O}$ and $\mathrm{Cys}^{6} \mathrm{NH}$. In the twisted saddle ring conformation, however, only the $\mathrm{Tyr}^{2} \mathrm{O}-$ Asn ${ }^{5} \mathrm{NH}$ hydrogen bond is highly populated ( $83 \%$ ) and the 3,4 centred turn is now a classical $\beta$-turn type II. The difference between a $\beta$-turn type I and type II is simply the orientation of the central peptide bond 3,4.

The twisted saddle conformation shows a slight tendency to form a $\mathrm{Tyr}^{2} \mathrm{NH}-\mathrm{Asn}^{5} \mathrm{O}$ hydrogen bond (7 \% occupancy). A Tyr2NH-Asn5O hydrogen bond has also been suggested on the basis of NMR experiments. ${ }^{99}$ A rearrangement from saddle to twisted saddle or changing the 3,4 $\beta$-turn from type I to type II twists the ring making it more open (cf. radius of gyration, Fig. 4.2c), whereas the main orientation of the side chains 2 to 4 remains unchanged. This may be necessary to facilitate AVP entry and/or fit into different GPCR pockets. There is no direct transition between saddle and twisted saddle in the $11 \mu \mathrm{~s} \mathrm{MD}$, suggesting that interconversion of the two ring conformations may occur via one or more conformational intermediates, e.g. the clinched open conformation or the variants that are observed between 5.90 and $6.43 \mu \mathrm{~s}$.

The relatively sparsely populated clinched open ring conformation (Scheme 4.1c, Fig. 4.4c) is significantly less folded than the two saddle conformations but more than the open. The most highly populated intramolecular hydrogen bond is Phe ${ }^{3} \mathrm{O}-\mathrm{Cys}^{6} \mathrm{NH}(28 \%$, Table 4.5) and turns centred at Gln ${ }^{4}$ and Asn ${ }^{5}$ occur about half of the time ( $46 \%$, Table 4.4). Loosely defined turns are thus more likely than ideal $\beta$-turns. The DASH ring-state mean-angles show a very high fluctuation of $\Psi 5$ (standard deviation $= \pm 61^{\circ}$, Table 4.3) so unambiguous turn-type assignment is not possible. The clinched open ring structure can be classified as a flexible ring conformation with a tendency to form a $\beta$-turn type VIII or type I centred at 4,5.

Finally, the open ring conformation, the starting conformation for the simulation, shows none of the ideal turn structures (Scheme 4.1a, Fig. 4.4a). There is a slight tendency to centre ring turns at residues $\mathrm{Tyr}^{2}$ and $\mathrm{Phe}^{3}$ (20 \%, Table 4.5) accompanied by sparsely populated hydrogen-bonding interactions of $\mathrm{Tyr}^{2} \mathrm{O}$ and $\mathrm{Gln}^{4} \mathrm{NH}(39 \%)$, and $\mathrm{Cys}^{1} \mathrm{O}$ and $\mathrm{Gln}^{4} \mathrm{NH}$ ( $12 \%$ ). Summarising, this ring conformation can be readily classified as open as it has no significantly populated intramolecular hydrogen bonds and no defined $\beta$-turns.

Transition Key Torsions. A torsion angle is defined as a key torsion if its value changes significantly ( $>90^{\circ}$ ) from one ring conformation to another. Figure 4.6 shows the differences of the mean torsions for the main ring conformations open, saddle, clinched open and twisted saddle represented by the main ring states (T10, Table 4.2). Only dihedrals $\Phi 2, \Phi 5$ and $\Phi \psi 6$ do not show large differences, all other torsions can be qualified as key torsions for interconversions between the main ring conformations. A complete list of key-torsion angle differences between main ring conformations is given in Table S5 (Appendix A1).

DASH ring-state mean-angles


Figure 4.6 DASH state mean angles $(\Phi \Psi)$ of the main ring conformations of Arg $^{8}$-vasopressin. open, saddle, clinched open, and twisted saddle represented by the main ring states T10_8, 1, 4, and 6

Direct transitions only occurred between (i) open and saddle and (ii) clinched open and twisted saddle. The key torsions for these transitions are (i) $\Phi 3, \Psi 4, \Psi 5$ (Scheme 4.3a,b) and (ii) $\Psi 2, \Phi 4$, $\psi 5$ (Scheme 4.3c,d). Changes of these torsions correlate with rotations of the corresponding peptide bonds and the relative orientation of carbonyl oxygens and amide hydrogens, and elucidate the mechanism of interconversions. For example, to convert open to saddle, the Tyr ${ }^{2}$ carbonyl-oxygen and the amide hydrogens of $\mathrm{Asn}^{5}$ and $\mathrm{Cys}^{6}$ should point into the ring. Torsions $\Phi$ 3, $\Psi 4$ and $\psi 5$ are the key torsions responsible for turning these atoms into the ring and thus to enable the characteristic intramolecular hydrogen bond to be formed. To interconvert from clinched open to twisted saddle, the hydrogen bond $\mathrm{Phe}^{3} \mathrm{O}-\mathrm{Cys}^{6} \mathrm{NH}$ must be replaced by one between $\mathrm{Tyr}^{2} \mathrm{O}$ and $\mathrm{Asn}^{5} \mathrm{NH}$. This is accomplished by rotating $\Psi 2$ and $\Phi 4$, which turns $\mathrm{Tyr}^{2} \mathrm{O}$ into the ring displacing $\mathrm{Phe}^{3} \mathrm{O}$.

A concomitant rotation of $\Psi 5$ causes Cys ${ }^{6} \mathrm{NH}$ to turn thereby weakening the hydrogen bond between Phe ${ }^{3} \mathrm{O}$ and $\mathrm{Cys}^{6} \mathrm{NH}$. These ring interconversions have so far proved too complex for their thermodynamics to be determined by simple umbrella sampling and are therefore now being investigated using dual-topology thermodynamic integration.
a


$$
\text { open } \xrightarrow{1.46 \mu \mathrm{~s}}
$$


saddle
$3,4 / 4,5 \beta$-turn type I

clinched open
d

twisted saddle
$3,4 \beta$-turn type II

Scheme 4.3a-d Key torsions for the interconversion of the main ring conformations of AVP. ( $\mathbf{a}, \mathbf{b}$ ) interconversion open to saddle at $1.46 \mu \mathrm{~s}(11 \mu \mathrm{~s} \mathrm{MD})$; $(\mathbf{c}, \mathbf{d})$ interconversion clinched open to twisted saddle at $7.10 \mu \mathrm{~s}(11 \mu \mathrm{~s} \mathrm{MD})$

Disulphide Bridge. One remaining important feature of the ring conformations is the chiral disulphide dihedral $\chi 3$ ( $\Varangle \mathrm{Cys}^{2} \mathrm{C} \beta-\mathrm{Cys}^{2} \mathrm{~S}-\mathrm{Cys}^{6} \mathrm{~S}-\mathrm{Cys}{ }^{6} \mathrm{C} \beta$ ), Figure 4.7 shows the dynamics of this torsion. The disulphide bridge adopts two main conformations for $\chi 3$ with average values of either $+88.9^{\circ}(\mathrm{g})$ or $-86.6^{\circ}\left(\mathrm{g}^{\prime}\right)$. Interconversions between these two states do not necessarily correspond to transitions between different time windows of the ring conformations but are rather frequent
independent occurrences. Each main ring conformation can exhibit conformations of the disulphide bridge conformations with negative and positive dihedrals. Transitions between these disulphide conformations occur independently of the main ring conformation. The positive torsion angle is favoured by $78.2 \%$ to $21.8 \%$ and is consistent with experimental evidence (see e.g. ${ }^{110}$ ). The simulation suggests that $\mathrm{g} / \mathrm{g}^{\prime}$ transitions are more frequent for open ring conformations than for saddle.


Figure 4.7 Trajectory of the disulphide-bridge torsion Cys $2 \times 3$ ( $\angle C S S C$ ). Horizontal dashed lines $=$ average disulphide bridge torsions, vertical dashed lines = transitions between time windows of main ring conformations.

## Tail Conformations

As described above, the RMSD trajectory of the $\mathrm{C} \alpha 7$ to 9 segment (Fig. 4.2d) suggests two equally distributed main conformations for the tail, whereas the DASH analysis of the tail dihedrals $\Phi \Psi 7$ to 9 allows these dynamic conformations to be classified in detail. The results are given in Table 4.6, Scheme 4.2 and Figure 4.8. There are six distinct tail states (T6) that reveal two major tail conformations, (i) an extended tail conformation with no significant turns, and (ii) a tail conformation with a 7,8 $\beta$-turn type II, here denoted as folded. Each main conformation is represented by two DASH states, differing in torsions $\Phi \Psi 9$ (Appendix A1 Fig. S3). These torsions are only responsible for the orientation of the C-terminal $\mathrm{CONH}_{2}$-group and do not affect the extended or folded conformation.

AVP favours the extended conformation of the tail significantly with an absolute population of $81 \%$ during the simulation vs. $17 \%$ for the folded $7,8 \beta$-turn type II conformation. The preference for the
extended tail conformation is most likely due to the bulky residue $\mathrm{Arg}^{8}$, which causes steric clashes when the tail is folded.

Two further transient conformations can be identified, a hybrid tail conformation (absolute population $2.0 \%$ ), which is not completely extended but has no defined folding, and a 7,8 $\beta$-turn type I structure (absolute population $0.8 \%$ ).

Table 4.6 Population and distribution of tail conformations ${ }^{\S}$

| T6 state ${ }^{\text {a }}$ |  | Tail state population (T6) |  |  | twisted saddle$\begin{gathered} (7.19-11.00 \mu \mathrm{~s}) \\ \text { rel [\%] } \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | $\begin{gathered} (0-11.0 \mu \mathrm{~s}) \\ \text { abs [\%] } \end{gathered}$ | $\begin{gathered} \text { open } \\ (0-1.46 \mu \mathrm{~s}) \\ \text { rel [\%] } \end{gathered}$ | $\begin{gathered} \text { saddle } \\ (1.46-5.90 \mu \mathrm{~s}) \\ \text { rel }[\%] \end{gathered}$ | $\begin{gathered} \text { clinched open } \\ (6.43-7.19 \mu \mathrm{~s}) \\ \text { rel [\%] } \end{gathered}$ |  |
| extended |  |  |  |  |  |
| 3 | 61.44 | 69.22 | 56.02 | 37.99 | 68.34 |
| 4 | 19.59 | 24.39 | 20.32 | 30.35 | 15.10 |
| total | 81.03 | 93.61 | 76.34 | 68.34 | 83.44 |
| 7,8 6-turn type II |  |  |  |  |  |
| 5 | 2.52 | 0.00 | 3.87 | 0.00 | 2.75 |
| 6 | 13.61 | 4.91 | 15.31 | 26.12 | 12.51 |
| total | 16.13 | 4.91 | 19.18 | 26.12 | 15.26 |
| 7,8 8-turn type I |  |  |  |  |  |
| 2 | 0.83 | 0.00 | 1.82 | 0.00 | 0.28 |
| distorted turn |  |  |  |  |  |
| 1 | 2.00 | 1.48 | 2.66 | 5.54 | 1.02 |
| Stotal | 100.00 | 100.00 | 100.00 | 100.00 | 100.00 |

${ }^{5}$ The first column contains the DASH states (T6) that represent the tail conformations of Arg $^{8}$-vasopressin during $11 \mu \mathrm{~s}$ MD simulation. Absolute populations refer to the total simulation time of $11 \mu \mathrm{~s}$. Relative populations refer to the time windows of the main ring conformation (open, saddle, clinched open, and twisted saddle). $\mathrm{T} 6=$ tail states defined by $\Phi \psi 7$ to 9 . Abbreviations: see p. xii.
a


T6_states 3 (61.4\%) and 4 (19.6\%)
extended


T6_states 5 (2.5\%) and 6 (13.6\%)
folded

Figure 4.8a,b Tail conformations of $\mathrm{Arg}^{8}$-vasopressin. Main representative tail states resulting from a DASH state analysis of backbone dihedrals $\Phi \Psi 7$ to 9 . Absolute population are given in parentheses. (a) extended tail conformations; (b) folded tail conformations with $\beta$-turn centred at residues 7 and 8. Depiction: tail = sticks, ring and side chains = lines. Residues are only labelled for each major populated state.

Figure 4.5 shows the DASH state trajectories for all overall states (T16), ring states (T10) and tail states (T6). There are 176 transitions between the six T6 tail states but only 77 transitions between the twelve T10 ring states, confirming that the tail is significantly more flexible than the ring.

The most striking result, however, is that the tail states do not correlate directly with ring states in terms of transitions or formation of distinct conformational groups. In fact, similarly to the two states of the disulphide bridge, all tail states are distributed evenly over the entire simulation independently of the ring conformation. This is shown convincingly by a principal component analysis of the torsion angles throughout the simulation. As is shown in Figure 4.9a, there are six significant principal components (PCs) according to the eigenvalue-one test, of which PCs 5 and 6 have eigenvalues just barely larger than unity and are therefore at best marginally non-trivial. Figure 4.9b shows the weights (squared coefficients) of the contributions of the individual torsions to PCs 1 and 2 and Figure 4.9c those of PCs 3 and 4.The former are clearly localised on the ring and the latter on the tail. The contributions of ring torsions in PCs 3 and 4 and of tail fluctuations in 1 and 2 are very small. Interactive 3D-plots of the first four PCs are given as HTML-pages in the Online Supporting Material. Interestingly, these show that the two twisted saddle states, although very similar, are clearly separated in PC-space. This separation is mostly due to PC2.


Figure 4.9a-c Summaries of the principal component analysis of the torsion angles during the simulation. (a) Eigenvalue plot; (b) weights of the torsion angles for principal components 1 and 2; (c) weights of the torsion angles for principal components 3 and 4

Thus, every overall state can be described in a modular manner as a combination of a ring and a tail state. The matrix of all main-state combinations found in this simulation is given in Table 4.7. Although the conformational changes of the ring and tail are not correlated, the relative populations of extended and folded tail states vary depending on the ring conformation (see Table 4.6). The highest preference for a folded tail is found for the clinched open ring ( $26 \%$ relative population), the lowest ( $5 \%$ ) for an open ring conformation. The saddle and twisted saddle ring conformations are found together with a folded tail 20 and $15 \%$ of their occurrence, respectively. Again, the sterically demanding $\operatorname{Arg}^{8}$ residue is most likely responsible for these preferences; the propensity to form a folded tail depends on the available space.

${ }^{\S}$ A matrix of overall states (T16) as combination of the ring and tail states (T10 and T6) that represent the main ring and tail conformations (open, saddle, clinched open, twisted saddle, extended, and folded). The states result from DASH analyses of torsions $\Phi \boldsymbol{\omega} 2$ to 9 (T16, overall states), 2 to 6 (T10, ring states) and 7 to 9 (T6, tail states). The assignment is based on the corresponding DASH state trajectories. PDBs of all states are provided in the Online Supplementary Material.

## Conclusions

A single long $(11 \mu \mathrm{~s})$ simulation of AVP in water has revealed details of its conformational behaviour and possible biologically active conformations. Conformational changes on the MD timescale are frustratingly slow, so that, even from the long simulation, we cannot estimate the free-energy
difference between the ring conformations from their concentrations. However, the conformational rearrangements are clearly fast on the NMR timescale, in agreement with the experimental results.

The simulation reveals four distinct ring conformations that are essentially independent of the faster tail motions. The saddle and twisted saddle ring conformations exhibit $\beta$-turns centred at residues $3,4 / 4,5$ as expected from experiments and are fixed by transannular hydrogen bonds. The alternative open and clinched open conformation do not feature transannular H-bridges. The saddle structure identified in the simulation corresponds closely to that found in crystal structure 1JK4.

The simulation is quite consistent with Sikorska and Rodziewicz-Motowidlo's NMR results. ${ }^{103}$ They suggest two main conformations, both with $3,4 \beta$ II-turns. One is proposed to exhibit a $4,5 \beta$ III'-turn and the other a type $l^{\prime}$-turn at this position. Our simulations also reveal turns at 3,4 and 4,5 to be dominant in aqueous solution. The $3,4 \beta$-turn type II is found in our twisted saddle conformation, but only with a sparsely populated 4,5 turn; a significantly high turn propensity at residues 4 and 5 is found in our saddle conformation but here in combination with a $\beta$-turn type lat residues 3 and 4. The two studies agree well about the tail conformation, which we found to be approximately $80 \%^{i}$ extended.

The open structure featured in the simulation corresponds closely to the AVP conformation found in the crystal structure of the trypsin complex (PDB ID: 1YF4) and features neither a well characterised $\beta$-turn nor conserved transannular hydrogen bonds. The clinched open conformation identified in the simulation is apparently new and probably represents an intermediate minority conformation involved in inter-saddle rearrangements.ii

In general, the simulation is compatible with the known experimental data, which allows us to be confident about its accuracy, even though it is limited to $11 \mu$ s and exhibits only a few transitions between major rings states. Above all, the main conformations found can all be considered as candidates for biologically active conformations in different receptors as they are clearly easily accessible thermodynamically. We are now carrying out extensive thermodynamic integration studies to define the thermodynamics of the major conformations in solution.

Technically, DASH has proven to be an extremely useful and effective analysis tool for such simulations. In particular, its beneficial scaling helps to analyse such long simulations. The finding that the movements of the ring and the tail are largely independent facilitates the analysis considerably.

[^16]The conformational distribution demonstrated in this work can now serve as a basis for comparison with those simulated for AVP docked into receptor pockets and for extended simulations of NMR and circular-dichroism spectra. Above all, however, MD simulations have proven once more to be useful, and perhaps the most powerful, tools for analysing the conformational behaviour of peptide hormones of comparable size to AVP.

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## Chapter 5: Deciphering NMR-Data for Conformational Equilibria: Arginine-Vasopressin (Paper 2)

The results in this section have been published in:

Haensele E, Saleh N, Read C M, Banting L, Whitley D C, Clark T. Can Simulations and Modeling Decipher NMR Data for Conformational Equilibria? Arginine-Vasopressin. J Chem Inf Model. 2016;56(9):1798-807. ${ }^{2}$

The paper is given as postprint.

## Foreword

As has been shown in the previous chapter, long-scale MD simulations are able to identify the main conformational types of a flexible peptide. AVP demonstrates four main ring conformations saddle, twisted saddle, clinched open and open that are combined with two tail conformations extended and folded. ${ }^{1}$ However, what are the relative populations of these conformations in solution? Unfortunately, even the extension of the $11 \mu \mathrm{~s}$ unrestrained MD simulation to $23 \mu s^{i}$ showed no converged sampling of the main ring conformations. Thus, metadynamics enhanced sampling studies were performed to determine the relative populations.

These calculations predict a ratio of approximately $70 \%$ folded (saddle, twisted saddle) conformations and $30 \%$ open (clinched open, open) conformations for AVP in solution. ${ }^{2}$ As this is a purely in silico result, validation by comparison with experiment was required. The results are published in Paper 2 (see postprint below).

Deciphering Technique. The paper gives a detailed description of the statistical analysis of the linear regression of calculated and experimental data of AVP and discusses the significance of results in depth. However, the evaluation of the calculated conformational equilibria is not the only result, the protocol or "deciphering technique" itself is even more important a result. Thus, an illustration shall be given in advance. Figure 5.1 shows the logical flowchart of the evaluation technique. The numbering follows the explanation in the paper (see Postprint of Paper 2). The technique performs best for ${ }^{1} \mathrm{H}$ chemical shifts of AVP and holds promise of being extended to

[^17]flexible molecules in general to decipher their experimental NMR data for conformational equilibria in solution.

The workflow to determine and evaluate fast conformational equilibria can be explained as follows: On the experimental side (green), NMR experiments are performed to gain experimental data (e.g. chemical shifts, NOE distances, coupling constants). On the in silico side (blue), the corresponding data are calculated for representative single conformations and for the predicted mixture of main conformations. To this, unrestrained long-scale MD simulations (1) are combined with enhanced sampling (2) and DFT calculations (3a). Finally, experimental data and calculated data of single conformations (3a) and equilibrium mixtures (3b) are directly compared via linear regression (4) and the model with the highest accordance to experiments is chosen as the best assignment.

As anticipated, the best assignment for the AVP conformations to the experimental data was a 70:30 equilibrium of folded and open (unfolded) conformations as predicted in silico.


Figure $5.1 \quad$ Technique to decipher NMR-data of flexible peptides in solution (flowchart). Right side (blue frame): Deciphering technique. Direct comparison of calculated spectra for relevant single-conformations (3a) and conformational ensembles (3b). Relevant conformations are identified with unrestrained long-scale MD simulations (1) and relative populations are calculated from enhanced sampling methods, e.g. metadynamics or replica exchange MD simulations (2). Left side (grey): Reality check. Relative populations resulting from least square fits of calculated single-conformations and experimental NMR-data.

## Contribution of Authors

The results are the product of a joint research project of the University of Portsmouth (UK) and the FAU Erlangen-Nürnberg (D).

Metadynamics simulations of relevant conformations of AVP were performed by Dr. Saleh in Prof. Clark's group. Representative conformations were chosen by Haensele.
NMR experiments were carried out by Dr. Read. Spectra assignment and analysis was performed by Haensele. Experimental interatomic distances were derived from NOESY spectra (Dr. Read). The corresponding interatomic distances in the relevant conformations were extracted from MD trajectories by Haensele.

DFT optimisations and calculations of NMR shielding tensors were performed by Prof. Clark with coordinate files of representative conformations of AVP from the long-scale MD simulation (Haensele). Further data processing, e.g. shielding/shift conversion, was done by Haensele.

Long-scale MD simulations, conformational analyses (DASH), NMR-modelling and statistical evaluation were performed by Haensele.

DP4 probabilities were calculated by Dr. Whitley.
Comparative calculations of PLS regression and bagged MLR via SARcaddle were performed by Prof. Clark. He also introduced the two novel error metrics WRMSE and $\Delta_{\sigma}$ to access the significance of statistical models. The according statistical analyses and application of the new error metrics were calculated by Haensele.

Linked Appendices: A2: Reprint Supporting Information Paper 2, A4: Additional Analysis.

## Postprint of Paper 2

Haensele E, Saleh N, Read CM, Banting L, Whitley DC, Clark T. Can Simulations and Modeling Decipher NMR Data for Conformational Equilibria? Arginine-Vasopressin. J Chem Inf Model. 2016;56(9):1798-807. ${ }^{\text {i }}$


Table of Content Graphic
(Equilibrium of folded and open (unfolded) conformations of AVP)


#### Abstract

Arginine vasopressin (AVP) has been suggested by molecular-dynamics (MD) simulations to exist as a mixture of conformations in solution. The ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ NMR chemical shifts of AVP in solution have been calculated for this conformational ensemble of the ring conformations (identified from a $23 \mu \mathrm{~s}$ molecular-dynamics simulation). The relative free energies of these conformations were calculated using classical metadynamics simulations in explicit water. Chemical shifts for representative conformations were calculated using density-functional theory. Comparison with experiment and analysis of the results suggests that the ${ }^{1} \mathrm{H}$ chemical shifts are most useful for assigning equilibrium concentrations of the conformations in this case. ${ }^{13}$ C chemical shifts distinguish less clearly between conformations and the distances calculated from the nuclear Overhauser effect do not allow the


[^18]conformations to be assigned clearly. The ${ }^{1} \mathrm{H}$ chemical shifts can be reproduced with a standard error of less than $0.24 \mathrm{ppm}\left(<2.2 \mathrm{ppm}\right.$ for ${ }^{13} \mathrm{C}$ ). The combined experimental and theoretical results suggest that AVP exists in an equilibrium of approximately $70 \%$ saddle-like and $30 \%$ clinched open conformations. Both newly introduced statistical metrics designed to judge the significance of the results and Smith and Goodman's DP4 probabilities are presented.

## Introduction

Many biologically important molecules, especially peptide hormones, exist as an equilibrium mixture of two or more conformations in solution. ${ }^{278,279}$ Identifying these conformations and their relative free energies is important because, as long as the conformations in solution are competitive in energy then each is a candidate as the biologically active conformation, which need not be the same in all receptors.

X-ray crystallography usually only provides single snapshots that give little insight into dynamic equilibria, so that NMR spectroscopy becomes the experimental method of choice. Unfortunately, the most common technique used to determine structures in solution, using the nuclear Overhauser effect ${ }^{280}$ is often not sufficient to determine even a single structure uniquely, and even less so for conformational equilibria. In this respect, the $r^{-6}$ distance dependence of the NOE ( $r$ is the internuclear distance) prevents simple averaging of the structures and renders interpretation more difficult, even when MD simulations are used as the basis for ensemble calculations. ${ }^{281}$ Chemical shifts are not often used to determine conformations in solution because they are not directly related to interatomic distances. A reliable technique for calculating chemical shifts for a given geometry is thus needed and density-functional theory (DFT) calculations now provide such a technique at a reasonable computational cost. ${ }^{282,283}$ When a regression equation was used to convert atomic screening to chemical shifts, accuracies of $\pm 0.15 \mathrm{ppm}$ and $\pm 2.2$ were obtained for ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shifts, respectively. ${ }^{284}$ Unfortunately, what might naively be considered the most informative chemical shifts in peptides and proteins, those of the acidic ( $\mathrm{pK}_{\mathrm{a}} \approx 15$ ) amide NH protons often involved in hydrogen bonds, are also strongly affected by exchange phenomena in aqueous solution. ${ }^{285,286}$ These effects increase their chemical shifts compared to those calculated for the pure NH protonation state in continuum water. The inclusion of explicit water molecules in the DFT calculations can improve the results, ${ }^{285,286}$ but in the case of vasopressin, a nonapeptide, this would lead to extensive sampling problems and make the technique computationally intractable. A further difficulty is that the superficially attractive technique of calculating the chemical shifts of the possible conformations in the equilibrium and fitting a linear combination to
the experimental chemical shifts by regression lacks predictive power because the calculated chemical shifts of the conformations are strongly correlated, so that least-squares fits are seldom unique. This means that, although the fitted results are good, the coefficients of the individual conformations may not necessarily be meaningful because of their strongly correlated chemical shifts. This problem is most visible in bagging regression models, where the coefficients obtained in the different component models vary widely, but is also inherent in partial least squares models, where it is less obvious. These problems have been addressed by Smith and Goodman, ${ }^{258,287}$ who used chemical shifts exclusively to distinguish between pairs of diastereomers and proposed improved metrics to overcome the fitting problem. Unfortunately, most of their metrics were designed to assist assignment of spectra to pairs of chiral molecules for which both experimental spectra are available. However, their DP4 probabilities ${ }^{258}$ are applicable in the present case, as demonstrated by Nazarski et al.,,$^{288}$ but even using these probabilities as a metric does not solve the problem of linearly dependent descriptors. We have therefore resorted to MD simulations to avoid the fitting problem. We have investigated the use of MD simulations and DFT chemical-shift calculations combined with NMR experiments to assign the conformational equilibrium in solution for 8-arginine-vasopressin (AVP), a flexible peptide hormone.

AVP is the human form of vasopressin, a peptide hormone of the vasopressin family. Vasopressinrelated peptides, which include vasopressin, oxytocin, urotensin II and a variety of other non-human tocins, are G-protein coupled receptor ligands that share the common feature of a six-residue ring closed by a disulphide bridge. Although the peptides are very closely related, the conformation of the six-residue ring differs in X-ray crystal structures of AVP (1YF4), ${ }^{97} 8$-lysinevasopressin (1JK4) ${ }^{98}$ and oxytocin (1NPO), ${ }^{77}$ suggesting that multiple bioactive conformations may be operative, depending on the binding site.

The ring conformations for these peptide hormones can be classified broadly into open and saddle ${ }^{i}$ types, shown in Scheme 5.1. The open ring conformations, 1, such as that found in PDB-entry 1YF4, do not feature transannular hydrogen bonds and exhibit a flat, open ring structure. In contrast, the saddle conformations, 2, (PDB entries 1JK4 and 1NPO) feature a ring that is folded with possible transannular hydrogen bonds, resulting in a saddle-like shape that features well-defined $\beta$-turns at residues 3 and 4 and/or 4 and 5 .

[^19]

Scheme 5.1 The open and saddle conformational types for AVP. The ring backbone bonds are shown as broad lines and the $\beta$-turns in magenta.

NMR studies of AVP ${ }^{99,103}$ have concentrated on the cis/trans-isomerisation across the Cys ${ }^{6}$-Pro ${ }^{7}$ peptide bond and have assumed only folded (saddle) ring conformations. The trans-isomer predominates in solution, although the cis-isomer can be identified in the NMR spectrum. It will not be discussed here because the cis/trans-interconversion is slow on the NMR timescale. Recent extensive MD simulations ${ }^{1}$ suggest that AVP exists in an equilibrium between several interconverting ring conformations in aqueous solution. The NMR studies summarised in Table 1 of Reference 103 indicate that the ring can adopt diverse structures, all of which, however, have been interpreted as containing well-defined turns, as found in the saddle conformation. Exact knowledge of the ring conformational equilibrium is, however, important, as the biologically relevant conformations of AVP have not been identified. We therefore now report a combined theoretical (MD simulations, DFT modelling) and NMR study of the conformational equilibrium of AVP in aqueous solution that compares chemical shifts and interatomic distances calculated without experimental input with data derived from experiments.

## Methods

Complete computational and experimental details are given in the Supporting Information (Appendix A2); the procedure will only be described briefly here. Measured chemical-shift and NOE data are compared directly with those predicted essentially without experimental input. These predictions are based on:

## 1) Identifying the Relevant Conformations of AVP in Solution from Extended Timescale,

 Unconstrained MD Simulations. Our previous ${ }^{1} 11 \mu s$ MD simulation of AVP in solution was extended to $23 \mu$ s to improve sampling. Even this simulation, however, proved insufficient to deduce equilibrium concentrations of individual conformations, as identified using DASH. ${ }^{141}$ We therefore, used the conformations identified in the $23 \mu$ s simulation to define the path variable for subsequent metadynamics simulations. ${ }^{151}$
## 2) Calculating the Relative Free Energies of these Conformations in Solution Using Metadynamics.

The single path variable used for the metadynamics is simply a numerical assignment to one of the five most prevalent conformations found in the long MD simulation. These conformational assignments are made using the root-mean-square deviation from the individual conformations. This criterion allowed over $90 \%$ of the frames from the $23 \mu$ s simulation to be assigned. In order to make the collective variable as "physical" as possible, the numbering of the conformations was chosen so that the $23 \mu$ s simulation exhibited transitions between adjacently numbered conformations, thus ensuring that paths between neighbouring conformations exist.


Figure 5.2 The numerical order of the conformations used in the metadynamics collective variable. The conformational assignments are plotted against simulation time for the five most populated DASH states observed in the $23 \mu$ s unconstrained simulation. The conformations 1-4 can interconvert as follows: $1-2,2-3,3-4$. The direct 4-5 interconversion is also seen but conformations 5 were not included (see text).

Figure 5.2 shows the numerical assignment of the conformations. The variants cluster of conformations, which proved to be least stable and only occurred after the original $11 \mu \mathrm{~s}$ simulation, was not included in the further analysis (for details, see the Supporting Information, Appendix A2).
3) Calculating Geometries for Cluster Centres and NMR Chemical Shifts with DFT. Cluster centres for the four most populated ring conformations (including two different tail conformations for saddle and clinched open to give a total of six representative structures) were taken from the $23 \mu \mathrm{~s}$ simulation and optimised with Gaussian09 ${ }^{247}$ at the B3LYP ${ }^{237,238} / 6-31 G(d)^{240}$ level using the standard polarizable continuum model (PCM) for water. ${ }^{254}$ The optimised geometries are given in the Supporting Information (Appendix A2). Dispersion corrections were not used, as we do not expect them to be appropriate for PCM calculations in a polar solvent. Note that this neglect of dispersion corrections can only affect the DFT-optimised geometries because the relative DFT energies are not used in the analysis. Relative free energies include dispersion because they were obtained exclusively from force-field based simulations with explicit solvent. Magnetic shieldings were calculated on the optimised structures using the gauge-independent atomic orbital (GIAO) technique ${ }^{244}$ at the B3LYP/6-31G(d) level with PCM water. The regression technique for converting calculated isotropic magnetic shielding to chemical shifts in solution ${ }^{284}$ was extended to enable B3LYP/6-31G(d) calculations with PCM-water to reproduce ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shifts in $\mathrm{D}_{2} \mathrm{O}$ relative to (3-trimethylsilyl)propane sulphonic acid (DSS). Details of the training set and the results are given in the Supporting Information (Appendix A2). The regression equations are:

$$
\begin{gather*}
\delta\left({ }^{1} H\right)=-0.9912 \sigma_{H}+32.05 \\
\delta\left({ }^{13} C\right)=-1.0833 \sigma_{C}+203.97 \tag{5.1}
\end{gather*}
$$

where $\delta$ is the chemical shift and $\sigma$ the calculated isotropic atomic magnetic shielding, both in ppm. The root-mean-square deviations from experiment for the training set are 0.18 ppm for ${ }^{1} \mathrm{H}$ and 1.96 ppm for ${ }^{13} \mathrm{C}$.

Chemical shifts for each optimised cluster-centre conformation were calculated using Eq. (5.1) and ensemble chemical shifts (denoted as equilibrium in the following) obtained by linear combination of the individual shifts according to the calculated equilibrium concentrations. ${ }^{1} \mathrm{H}^{\mathrm{N}}$ chemical shifts were not included, as in practice, these are subject to wide variation by hydrogen bonding, pH and solvent-based environmental changes and are generally not reproduced well by calculations on a single protonation state.
4) Direct Comparison of Experimental and Calculated Spectra or Measurements. The ensemble NMR spectra calculated in step (3) can be compared with experimental data. We have assigned the ${ }^{1} \mathrm{H}$, and ${ }^{13} \mathrm{C}$ chemical-shifts almost fully, in two different aqueous solution conditions at pH 4.7 and pH 6.0. The former pH is that given on dissolving the peptide in $\mathrm{H}_{2} \mathrm{O}$ and the latter was chosen to be compatible with the MD simulations. To complete the set of known experimental NMR data we
report for the first time ${ }^{15} \mathrm{~N}$ shifts at natural abundance. NOESY and TOCSY NMR spectra gave NOEs and facilitated assignment (see the Supporting Information, Appendix A2, for details).

Both the quality of fit between the calculated and experimental parameters and whether the fit for the calculated equilibrium mixture of conformations is better than that for any of the individual contributing conformations serve to validate the approach. This is often not a straightforward analysis problem, ${ }^{258,287,288}$ so that we have defined two statistical metrics below that are designed to test the significance of the differences in correlations of the chemical shifts calculated for individual conformations with the experimental data.

## Results and Discussion

## Unconstrained Molecular Dynamics

A $23 \mu s$ unrestrained MD simulation of $A r g^{8}$-vasopressin was performed with explicit watersolvation at 300 K using the AMBER ffg9SB force field ${ }^{133}$ (details are given in the Supporting Information, Appendix A2). The conformational space was clustered using DASH ${ }^{141}$ and compared with the conformations (clusters) found in the first $11 \mu \mathrm{~s}$ of the simulation. ${ }^{1}$ These main clusters, open, saddle, clinched open, and twisted saddle, dominated the simulation (Fig. 5.3).


Figure 5.3 RMSD of $\mathrm{C}_{1-6}$ (grey), and the corresponding clusters of ring and overall conformations of $23 \mu \mathrm{~s}$ unrestrained MD simulation of $\mathrm{Arg}^{8}$-vasopressin. The main clusters (ring conformations) are labelled.

They have been described in detail. ${ }^{1}$ Even after $23 \mu \mathrm{~s}$, the simulation exhibited too few interconversions between the main clusters to estimate reliable equilibrium populations directly. Thus, we chose the representatives (cluster centres) of the four main clusters to calculate their free
energies and relative populations with metadynamics. A fifth cluster, variantsi', which occurred for the first and only time at the end of the $23 \mu$ s simulation, was also added to the selection. A description of this cluster of conformations is given in the Supporting Information (Appendix A2). The conformational clusters open, saddle, clinched open and twisted saddle represent $86.4 \%$ of all conformations found for AVP in the simulation, and variants $7.4 \%$ to give a total of $93.8 \%$ that can be assigned to the five clusters. The rest are transient states not discussed here further. We showed ${ }^{1}$ previously that the tail moves independently of the ring conformation of AVP, adopting either folded or extended conformations, which interconvert frequently and rapidly. Thus, it is possible to take the individual populations of these tail conformations directly from the $23 \mu \mathrm{~s}$ MD simulation.

## Metadynamics

A well-tempered metadynamics simulation ${ }^{289}$ using four walkers converged within 200 ns to give the relative free energies of the five conformations shown in Table 5.1.

Table 5.1 Equilibrium populations and relative free energies ( $\Delta \Delta G$ ) from the metadynamics simulation ${ }^{\S}$

|  | saddle | clinched open | twisted saddle | open | variants |
| :--- | :---: | :---: | :---: | :---: | :---: |
| $\Delta \Delta \mathrm{G}\left(\mathrm{kcal} \mathrm{mol}^{-1}\right)$ | 0.0 | 0.5 | 3.0 | 2.0 | 3.5 |
| \% at equilibrium (5 conformations) | 68.5 | 29.5 | 0.4 | 1.4 | 0.2 |
| \% at equilibrium (4 conformations) | $68.7 \pm 3.9$ | $29.5 \pm 4.0$ | $0.4 \pm 0.1$ | $1.4 \pm 0.5$ | - |

${ }^{5}$ The $\Delta \Delta \mathrm{G}$ values are converged to approximately $\pm 0.2 \mathrm{kcal} \mathrm{mol}^{-1}$. The equilibrium concentrations are given at 298 K . Errors are based on $\pm 0.2 \mathrm{kcal} \mathrm{mol}^{-1}$ energetic uncertainty and are given as $\pm$ one standard deviation.

These results can be compared with those obtained by least squares fitting the calculated NMR chemical shifts to observations, although the latter, as outlined above, may not be significant. The comparison therefore serves at best as a rough test as to whether the equilibrium concentrations obtained from the simulations are similar to those that would give the best fit. Figure 5.4 shows the equilibrium concentrations calculated from free-energy differences obtained in the metadynamics simulations and those obtained by fitting two different regression models to the experimental chemical shifts.

[^20]

Figure 5.4 Calculated equilibrium concentrations (\%, 298K) for the saddle, clinched open, open and twisted saddle conformations. The fitted values are taken from partial least squares (PLS) and bagged multiple linear regression (MLR) fits. The variants conformations are not found to be significant. Bagged MLR and PLS calculations were performed with SAR-caddle. ${ }^{234}$ The error bars given for the bagged MLR results are the standard deviations of five fitting runs.

As the calculated chemical shifts for the individual conformations correlate strongly, fitting does not yield a robust statistical model, as demonstrated by the scatter in the fitted results. Whereas the regression models differ as to whether the saddle or clinched open conformation is the most prevalent in the solution equilibrium, the metadynamics results indicate that the population of the saddle conformation is highest. The fitted equilibrium concentration can serve, however, as a reality check for the metadynamics results. The metadynamics equilibrium is quite compatible with the optimum PLS-fits for this dataset (Fig. 5.4), which is encouraging, and we emphasise once more that, in contrast to the regression data, those calculated for the metadynamics equilibrium use essentially no experimental data. The exception is the standard set of chemical shifts used to obtain Eq. (5.1) to convert shielding to ppm. However, the training dataset (given in the Supporting Information, Appendix A2) only contains small organic molecules, which can be considered independent of AVP. The conformations were identified from the $23 \mu \mathrm{~s}$ MD-simulation, the chemical shifts calculated for B3LYP/6-31G(d)-optimised geometries and the equilibrium calculated from the free energies obtained from the metadynamics simulations.

Figure 5.5 shows the B3LYP/6-31G(d) (in PCM water) optimised structure of the major saddle conformation. The C-terminal tail adopts two conformations. ${ }^{1,99}$ The extended conformation, which positions the guanidinium moiety of $\mathrm{Arg}^{8}$ close to the ring was present in the $23 \mu \mathrm{~s} \mathrm{MD}$ simulation for approximately $73 \%$ of the occurrence time for the saddle conformation (Fig. 5.5a). The folded tail conformation (Fig. 5.5b) makes up the remaining 27 \%. In this case, error estimates are difficult because probable errors depend on how well the simulation has converged, which is unknown. We
estimate from the length and convergence of the simulation that the above concentrations have uncertainties of at most $\pm 5 \%$. The equilibrium between these two tail conformations is fast on the simulation timescale, so that we can refine the calculation of the NMR chemical shifts by treating the saddle conformation as a 73:27 mixture of the two conformations shown in Figure 5.5. The clinched open conformation is treated similarly (63\% extended: $37 \%$ folded, see the Supporting Information, Appendix A2). This results in some improvements in the agreement between calculations and experiment, as shown in Table 5.2 below.


Figure 5.5a,b Optimised structures of the saddle conformation obtained at the B3LYP/6-31G(d) level in PCM water solvent. The ring atoms as spheres: (a) the extended tail conformation, (b) the folded equivalent.

Figure 5.6 shows plots of the results of the final computational model compared with experiment for both ${ }^{13} \mathrm{C}$ and ${ }^{1} \mathrm{H}$ chemical shifts.



Figure 5.6 Plots of the calculated vs. experimental ${ }^{13} \mathrm{C}$ and ${ }^{1} \mathrm{H}$ chemical shifts using the equilibrium model for both ring and tail conformations. $\delta(\mathrm{ppm})$ are relative to DSS (3-(trimethylsilyl)propane sulphonic acid). The NH-protons are outliers due to hydrogen bonding and exchange effects. ${ }^{285,286}$

## Is the Statistical Analysis for the Calculated Equilibrium Significant?

This question has been addressed several times in the literature. ${ }^{288,290,291}$ These studies have been summarised by Smith and Goodman, ${ }^{258,287}$ who also proposed improved metrics for judging the goodness of fit between calculated and experimental chemical shifts. As outlined above, many of their metrics were designed to assist assignment of spectra to pairs of diastereomers for which both experimental spectra are available and are inapplicable in this case. We have resorted to conventional metrics such as mean signed (MSE) and unsigned error (MUE), coefficient of determination $\left(\mathrm{R}^{2}\right)$ and root-mean-square error (RMSE) as a specific test of the significance of the conclusions, but have also defined a weighted RMSE (WRMSE) in the spirit of Smith and Goodman and have used their DP4 probability ${ }^{258}$ as an additional check.

The WRMSE is defined as;

$$
\begin{equation*}
W R M S E=\frac{\sqrt{\sum_{i=1}^{N}\left(\hat{y}_{i}-y_{i}\right)^{2} \sigma_{i}}}{\sqrt{\sum_{i=1}^{N} \sigma_{i}}} \tag{5.2}
\end{equation*}
$$

where $\hat{y}_{i}$ and $y_{i}$ are the predicted and observed chemical shifts for atom $i$, respectively, and $\sigma_{i}$ is the standard deviation of the calculated chemical shifts for atom $i$ over all conformations.

WRMSE is equivalent to RMSE if all $\sigma_{i}$ are equal and otherwise weights the contributions of the atoms that display a wide range of chemical shifts between the conformations more heavily than those with little variation.

A second specific test of the significance of the conclusions is the mean absolute error expressed in units of the standard deviation over all conformations, $\Delta_{\sigma}$ :

$$
\begin{equation*}
\Delta_{\sigma}=\frac{\sum_{i=1}^{N} \frac{\left|\hat{y}_{i}-y_{i}\right|}{\sigma_{i}}}{N} \tag{5.3}
\end{equation*}
$$

$\Delta_{\sigma}$ expresses the significance of the MUE in terms of the total spread of calculated chemical shifts for the individual conformations. Ideally $\Delta_{\sigma} \leq 1$ indicates that on average the deviation between experimental and calculated results is below the standard deviation between the different conformations; the model can discriminate between conformations. We arbitrarily assign a limit of $\Delta_{\sigma} \leq 1.5$ to indicate reliable discrimination between conformations. The results are shown in Table 5.2.

Table 5.2 Statistics of the comparison of ${ }^{13} \mathrm{C}$ and ${ }^{1} \mathrm{H}$ chemical shifts for AVP at pH 6.0 and 4.7 in aqueous solution ${ }^{\S}$

| Conformation Ring | Tail | MSE | MUE | RMSE | WRMSE | $\Delta_{\sigma}$ | $\mathrm{R}^{2}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| ${ }^{13} \mathrm{C}, \mathrm{pH} 6.0$ |  |  |  |  |  |  |  |
| saddle | extended | 0.87 | 1.69 | 2.33 | 2.74 | 1.40 | 0.9965 |
|  | folded | 0.52 | 1.75 | 2.52 | 3.18 | 1.26 | 0.9958 |
|  | equilibrium | 0.78 | 1.62 | 2.23 | 2.68 | 1.32 | 0.9968 |
| clinched open | extended | 0.74 | 2.27 | 3.15 | 3.75 | 1.71 | 0.9936 |
|  | folded | 0.78 | 2.18 | 2.94 | 3.48 | 1.71 | 0.9943 |
|  | equilibrium | 0.76 | 2.16 | 2.98 | 3.56 | 1.65 | 0.9942 |
| twisted saddle | extended | 0.73 | 1.70 | 2.23 | 2.66 | 1.42 | 0.9969 |
| open | extended | 1.18 | 2.49 | 3.72 | 5.24 | 1.93 | 0.9807 |
| Equilibrium | extended | 0.84 | 1.55 | 2.19 | 2.50 | 1.34 | 0.9969 |
| Equilibrium | equilibrium | 0.78 | 1.46 | 2.12 | 2.45 | 1.26 | 0.9971 |
| ${ }^{13} \mathrm{C}, \mathrm{pH} 4.7$ |  |  |  |  |  |  |  |
| saddle | extended | 0.95 | 1.73 | 2.37 | 2.74 | 1.47 | 0.9964 |
|  | folded | 0.60 | 1.76 | 2.55 | 3.19 | 1.31 | 0.9957 |
|  | equilibrium | 0.85 | 1.66 | 2.26 | 2.68 | 1.39 | 0.9967 |
| clinched open | extended | 0.82 | 2.36 | 3.28 | 3.93 | 1.79 | 0.993 |
|  | folded | 0.85 | 2.28 | 3.09 | 3.67 | 1.80 | 0.9938 |
|  | equilibrium | 0.83 | 2.26 | 3.13 | 3.74 | 1.74 | 0.9937 |
| twisted saddle | extended | 0.80 | 1.78 | 2.32 | 2.75 | 1.50 | 0.9966 |
| open | extended | 1.25 | 2.56 | 3.77 | 5.29 | 2.00 | 0.9904 |
| Equilibrium | extended | 0.91 | 1.63 | 2.28 | 2.58 | 1.43 | 0.9967 |
| Equilibrium | equilibrium | 0.85 | 1.54 | 2.20 | 2.54 | 1.35 | 0.9969 |
| ${ }^{1} \mathrm{H}, \mathrm{pH} 6.0$ |  |  |  |  |  |  |  |
| saddle | extended | 0.06 | 0.22 | 0.31 | 0.37 | 1.02 | 0.9706 |
|  | folded | 0.02 | 0.31 | 0.38 | 0.42 | 1.43 | 0.9571 |
|  | equilibrium | 0.05 | 0.23 | 0.29 | 0.33 | 1.03 | 0.9748 |
| clinched open | extended | 0.05 | 0.22 | 0.28 | 0.30 | 1.13 | 0.9773 |
|  | folded | -0.02 | 0.33 | 0.43 | 0.51 | 1.57 | 0.9441 |
|  | equilibrium | 0.02 | 0.20 | 0.25 | 0.26 | 1.11 | 0.9800 |
| twisted saddle | extended | -0.03 | 0.42 | 0.58 | 0.79 | 1.62 | 0.9486 |
| open | extended | 0.01 | 0.30 | 0.48 | 0.68 | 1.09 | 0.9674 |
| Equilibrium | extended | 0.05 | 0.20 | 0.26 | 0.30 | 0.93 | 0.9793 |
| Equilibrium | equilibrium | 0.04 | 0.18 | 0.23 | 0.25 | 0.93 | 0.9832 |
| ${ }^{1} \mathrm{H}, \mathrm{pH} 4.7$ |  |  |  |  |  |  |  |
| saddle | extended | 0.04 | 0.23 | 0.32 | 0.37 | 1.03 | 0.9692 |
|  | folded | 0.00 | 0.31 | 0.38 | 0.43 | 1.43 | 0.9562 |
|  | equilibrium | 0.02 | 0.23 | 0.29 | 0.34 | 1.04 | 0.9735 |
| clinched open | extended | 0.02 | 0.22 | 0.29 | 0.31 | 1.12 | 0.9753 |
|  | folded | -0.04 | 0.33 | 0.43 | 0.51 | 1.54 | 0.9446 |
|  | equilibrium | 0.00 | 0.21 | 0.26 | 0.27 | 1.12 | 0.9789 |
| twisted saddle | extended | -0.03 | 0.42 | 0.58 | 0.79 | 1.62 | 0.9496 |
| open | extended | 0.01 | 0.30 | 0.48 | 0.68 | 1.09 | 0.9672 |
| Equilibrium | extended | 0.03 | 0.21 | 0.27 | 0.31 | 0.95 | 0.9777 |
| Equilibrium | equilibrium | 0.02 | 0.19 | 0.24 | 0.26 | 0.94 | 0.9820 |

${ }^{\S}$ The best performing model is indicated in bold for each parameter. The amide protons are omitted, as outlined in the text.

Surprisingly, the ${ }^{1} \mathrm{H}$ chemical shifts give the clearest and most consistent picture; they indicate that the experimental ${ }^{1} \mathrm{H}$ shifts are best in agreement with the equilibrium model that uses metadynamics free-energy differences for the ring conformations and equilibrium concentrations from the unconstrained simulation for the faster tail equilibrium. This model is quite consistently the best for ${ }^{13} \mathrm{C}$; only $\Delta_{\sigma}$ at pH 4.7 indicates the saddle conformation with a folded tail to fit better than the calculated equilibrium. However, WRMSE is always larger than RMSE and $\Delta_{\sigma}$
approximately 1.3 , so that we must conclude that the ${ }^{13} \mathrm{C}$ chemical shifts are not sensitive enough to conformation to allow us to assign values to the conformational equilibrium unequivocally.

The situation for the ${ }^{1} \mathrm{H}$ chemical shifts is clearer; with the exception of the MSE, all metrics indicate that the model that uses the metadynamics free energies for the ring conformations and the distributions of the tail conformations from the $23 \mu$ s unconstrained simulation matches the experimental data best. Most importantly, in contrast to the ${ }^{13} \mathrm{C}$ results, WRMSE is close to RMSE for the equilibrium models and $\Delta_{\sigma}$ is less than one.

The DP4 probabilities lead to exactly the same conclusions as the metrics reported in Table 5.2. The conformational model that considers the equilibrium distributions of both the ring and the tail fits the experimental data best and ${ }^{1} \mathrm{H}$ chemical shifts allow firmer conclusions than ${ }^{13} \mathrm{C}$. However, the DP4 probabilities also allow tentative conclusions to be reached from the ${ }^{13} \mathrm{C}$ chemical shifts; the equilibrium conformational model gives a 60-75 \% probability of being correct, although this probability is close to $100 \%$ for ${ }^{1} \mathrm{H}$. Table 5.3 shows that Smith and Goodman's DP4 probabilities ${ }^{258}$ provide very strong support for these conclusions.

Table 5.3 DP4 probabilities for the AVP conformations at pH 6.0 and 4.7 in aqueous solution ${ }^{\S}$

| Conformation Ring | Tail | pH 6 |  | ${ }^{13} \mathrm{C}$ and ${ }^{1} \mathrm{H}$ | $\begin{aligned} & \mathrm{pH} 4.7 \\ & { }^{13} \mathrm{C} \end{aligned}$ | ${ }^{1} \mathrm{H}$ | ${ }^{13} \mathrm{C}$ and ${ }^{1} \mathrm{H}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| saddle | extended | 1.7 | 0.0 | 0.0 | 4.7 | 0.0 | 0.0 |
|  | folded | 0.0 | 0.0 | 0.0 | 0.1 | 0.0 | 0.0 |
| clinched open | extended | 0.0 | 0.0 | 0.0 | 0 | 0.0 | 0.0 |
|  | folded | 0.0 | 0.0 | 0.0 | 0 | 0.0 | 0.0 |
| twisted saddle | extended | 0.3 | 0.0 | 0.0 | 0.2 | 0.0 | 0.0 |
| open | extended | 0.0 | 0.0 | 0.0 | 0.0 | 0.0 | 0.0 |
| saddle | equilibrium | 4.2 | 0.0 | 0.0 | 12.7 | 0.0 | 0.0 |
| clinched open | equilibrium | 0.0 | 0.2 | 0.0 | 0.0 | 0.5 | 0.0 |
| Equilibrium | extended | 19.8 | 0.2 | 0.0 | 19.1 | 0.2 | 0.1 |
|  | equilibrium | 74.0 | 99.6 | 100.0 | 63.2 | 99.3 | 99.9 |

${ }^{\S}$ The best performing model is indicated in bold. The probabilities were calculated using the data from the Supporting Information (Appendix A2) with the DP4 app. ${ }^{258}$ The amide protons are omitted, as outlined in the text.

As outlined above, the differences in the statistical metrics would not be as convincing if they were based on a fitting procedure. However, as the identification of possible conformations, the calculation of equilibrium concentrations and the chemical-shift calculations are all ab initio, in the sense that they are completely independent of experimental data (with the exception of the regression equations (5.1)), we consider the quality of the agreement between experimental and calculated chemical shifts to be significant. RMSEs lower than 0.24 ppm for ${ }^{1} \mathrm{H}$ (without ${ }^{1} \mathrm{NH}$ ) and 2.2 for ${ }^{13} \mathrm{C}$ are as good as, or better than, those reported previously using a variety of techniques, ${ }^{280,281,283,284}$ and these values are only slightly larger than the standard errors obtained for the training set of small molecules ( 0.18 and 1.96 ppm for ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$, respectively). In order to
strengthen these conclusions, we have carried out a sensitivity analysis to see how sensitive WRMSE and $\Delta_{\sigma}$ are to the equilibrium concentrations. For this analysis, we used both a binary mixture of the majority saddle and clinched open conformations (WRMSE and $\Delta_{\sigma}$ ) and the full equilibrium with four components (WRMSE' and $\Delta_{\sigma}{ }^{\prime}$ ).

## Sensitivity Analysis

Figure 5.7 shows the dependence of WRMSE and $\Delta_{\sigma}$ on the percentage of the saddle conformation in the binary mixture. Both react quite sensitively to the concentrations at equilibrium and exhibit clear minima. For ${ }^{13} \mathrm{C}$, the two curves correspond closely with a common minimum at the metadynamics values of $70 \%$ saddle and $30 \%$ clinched open. The two metrics agree less well for the ${ }^{1} \mathrm{H}$ data; WRMSE gives a minimum at approximately $35 \%$ saddle and $\Delta_{\sigma}$ at approximately $60 \%$. As three of four metrics give minima close to the metadynamics prediction, we feel that Figure 5.7 supports our conclusions.


Figure 5.7 The dependence of WRMSE and $\Delta_{\sigma}$ on the concentrations in mixtures of saddle and clinched open conformations at pH 6.0. The vertical dashed lines indicate the metadynamics equilibrium. WRMSE and $\Delta_{\sigma}$ refer to the binary mixture and WRMSE' and $\Delta_{\sigma}{ }^{\prime}$ to the four-component equilibrium. The corresponding plots for pH 4.7 are very similar.

## Nuclear Overhauser Effect

An independent check of the conformational assignment compares the interatomic distances provided by nuclear Overhauser effect (NOE) data with those obtained from the simulations (details of the calculations are given in the Supporting Information, Appendix A2). The correlation obtained for the observed NOEs and the statistics of the agreement between experiment and simulation are shown in Table 5.4.

Table 5.4 Statistics of the comparison of calculated and observed NOE distances for AVP §

| Conformation |  | pH 4.7 |  |  |  | pH 6.0 |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Ring | Tail | MSE | MUE | RMSE | $\mathrm{R}^{2}$ | MSE | MUE | RMSE | $\mathrm{R}^{2}$ |
| saddle | extended | 0.33 | 0.56 | 0.74 | 0.549 | -0.12 | 0.36 | 0.45 | 0.553 |
|  | folded | -0.33 | 0.52 | 0.68 | 0.622 | -0.16 | 0.37 | 0.48 | 0.084 |
|  | equilibrium | 0.33 | 0.55 | 0.71 | 0.575 | -0.11 | 0.32 | 0.39 | 0.176 |
| clinched open | extended | 0.41 | 0.56 | 0.81 | 0.370 | -0.06 | 0.31 | 0.39 | 0.553 |
|  | folded | -0.38 | 0.56 | 0.80 | 0.417 | -0.07 | 0.32 | 0.41 | 0.514 |
|  | equilibrium | 0.40 | 0.56 | 0.80 | 0.395 | -0.06 | 0.31 | 0.39 | 0.543 |
| twisted saddle | extended | 0.37 | 0.55 | 0.75 | 0.527 | -0.13 | 0.35 | 0.45 | 0.340 |
| open | extended | 0.32 | 0.56 | 0.72 | 0.551 | -0.11 | 0.35 | 0.44 | 0.337 |
| Equilibrium | extended | 0.36 | 0.54 | 0.72 | 0.533 | -0.11 | 0.32 | 0.39 | 0.366 |
| Equilibrium | equilibrium | 0.36 | 0.53 | 0.71 | 0.557 | -0.12 | 0.33 | 0.40 | 0.344 |

${ }^{5} \mathrm{pH} 6.0$ and 4.7 in aqueous solution The best performing model is indicated in bold for each parameter. Details of the derivation of both experimental and simulated distances are given in the Supporting Information (Appendix A2).

At pH 4.7, highest $\mathrm{R}^{2}(0.622)$ is found for the saddle conformation with folded tail but this model is not favoured clearly by any other metric. The metadynamics equilibrium considering the tail conformation is always close to the best values found but the differences are not significant. All conformations perform similarly (there are, for instance, five conformations with an RMSE of 0.39 Å). The saddle and clinched open conformations with the extended tail conformation give the best coefficients of determination $(0.553)$ but the data are in general inconclusive. The small number of NOE distances available at pH 6.0 also does not allow a definitive conformational determination but tend towards clinched open with the extended tail conformation. Thus, the NOE simulations are compatible with the chemical-shift results but not definitive. These results illustrate the difficulties pointed out by Zagrovic and van Gunsteren ${ }^{281}$ that NOE studies can, in fact, often be ambiguous; especially for highly flexible structures where intramolecular hydrogen bond distances may "average" by fast equilibria of different conformations.


Figure 5.8 Plots of the calculated vs. experimental interatomic distances at pH 4.7 (cf. Appendix A2 Fig. S3)

Figure 5.8 shows the correlation between experimental at pH 4.7 and $\mathrm{r}^{-6}$ time-averaged interatomic distances for the metadynamics equilibrium.

## Conclusions

We have reported an attempt to assign conformations for the equilibrium structures of AVP in aqueous solution by simulating the equilibrium and comparing calculated chemical shifts directly with experiment. This procedure avoids fitting and uses only minimal unconnected experimental data to parameterise the regression equation for the calculated chemical shifts. Our models reproduce the experimental data very well (RMSE $<0.24 \mathrm{ppm}$ for ${ }^{1} \mathrm{H}$ and $<2.2 \mathrm{ppm}$ for ${ }^{13} \mathrm{C}$ ) but the question remains as to whether the agreement is significant enough to allow conclusions about the equilibrium mixture of conformations.

The proton NMR results present the strongest argument, even though amide protons cannot be included because they are shifted from the calculations for the pure NH-protonation state by exchange. The ${ }^{13} \mathrm{C}$ data are reproduced well, but the diagnostic metrics are not as clear, indicating that the ${ }^{13} \mathrm{C}$ chemical shifts are less sensitive to conformation than ${ }^{1} \mathrm{H}$ and therefore less suitable for our purpose.

The calculated equilibrium concentrations are, however, comparable to those found for an optimal fit, so that we can be confident that they are close to reality, although the regression models suffer from strongly correlated descriptors.

We conclude that the conformational equilibrium for AVP in aqueous solution consists of approximately $70 \%$ saddle, $30 \%$ clinched open conformations and that the free-energy penalty for clinched open as a biologically active conformation is approximately $0.5 \mathrm{kcal} \mathrm{mol}^{-1}$.

It is conceivable that the folded, saddle-like type of conformations comprises a higher amount of twisted saddle than predicted by metadynamics. In fact, the representative conformations of saddle and twisted saddle are closely related; they only differ in the turn type of the $\beta$-turn at residues 3 and 4. This is also reflected in a very high correlation of the ${ }^{13} \mathrm{C}$ chemical shifts for saddle and twisted saddle $\left(R^{2}=0.997\right)$ in contrast to ${ }^{1} H\left(R^{2}=0.949\right)$. A similar sensitivity analysis to that shown in Figure 5.7 indicates that the ${ }^{13} \mathrm{C}$ data are compatible with mixtures from $10 \%$ to $50 \%$ twisted saddle in the saddle-like component of the equilibrium and the ${ }^{1} \mathrm{H}$ data with approximately $70: 30$ saddle : twisted saddle. We are currently unable to resolve this discrepancy between long unbiased simulation and metadynamics. In any case, all data are consistent with the conservative conclusion that the equilibrium consists of $70 \%$ saddle-type and $30 \%$ open-type conformations (Scheme 5.1).

One important result of this work is to show that modern MD-simulations and DFT calculations provide data that can be compared directly with experiment without fitting. In this respect, as suggested by Smith and Goodman, ${ }^{258,287}$ chemical shifts prove to be more useful than NOEs and, surprisingly, in this example ${ }^{1} \mathrm{H}$ chemical shifts present a clearer picture than ${ }^{13} \mathrm{C}$, as also found by Nazarski et al. ${ }^{288}$ Smith and Goodman's DP4 probabilities ${ }^{258}$ suggest very clearly that, of those considered, our equilibrium model agrees best with experiment.

The methodology used does not require the unconstrained MD simulation to be long enough to be able to determine equilibrium concentrations. Its function is to identify the conformations (and the transitions between them) for subsequent determination of the free energy differences, here metadynamics simulations. For this reason, and for economy of computer time, we have used the cluster centres for each conformation, rather than calculating shifts for a large number of snapshots in an ensemble model.

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Associated Content. The Supporting Information is available free of charge on the ACS Publication website at DOI: 10.1021/acs.jcim.6b00344. Computational and experimental (NMR) details and Gaussian Archive Entries for the B3LYP/6-31G(d)-optimised geometries (PDF).

# Chapter 6: Conformation and Dynamics of Human Urotensin II and Urotensin-Related Peptide in Aqueous Solution (Paper 3) 

The results in this section have been published in:

Haensele E, Mele N, Miljak M, Read C M, Whitley D C, Banting L, Delépée C, Sopkova-de Oliveira Santos J, Lepailleur A, Bureau R, Essex J W, Clark T. Conformation and Dynamics of Human Urotensin II and UrotensinRelated Peptide in Aqueous Solution. J Chem Inf Model. 2017. doi: 10.1021/acs.jcim.6b00706. ${ }^{3}$

The paper is given as postprint.

## Foreword

The results in Chapter 4 (Paper 1) proved that long-scale MD simulations, in combination with DASH, are suited to identify and characterise the main conformational types of cyclic peptide hormones with the example of AVP. In Chapter 5 (Paper 2), a technique was introduced to determine in silico conformational equilibria including the validation via comparison of DFT calculated chemical shifts with experimental shifts. The significance of the results was tested intensively and discussed for AVP. Consequently, the protocol was applied to UII and URP, for which only few and seemingly contradictory conformational data are available (cf. Table 2.6). The results are given in this chapter (Paper 3) and may be outlined as follows:

Firstly, the conformational space and dynamics of UII and URP was explored extensively using unrestrained long-scale molecular-dynamics simulations, different force fields and ion concentrations, enhanced sampling with replica exchange MD simulations, DASH clustering and principal component analysis (PCA). This resulted in the classification of the main conformations for UII and URP, a tentative explanation of distinct behaviour of UII and URP ascribed to possible ring/tail interaction in UII and the in silico prediction of their conformational equilibria in solution. Parallel, NMR experiments were performed for UII and URP in aqueous solution at different pH to gain comparison values for the evaluation of the in silico equilibria. Hitherto unpublished ${ }^{15} \mathrm{~N}$ chemical shifts of UII and URP were determined and a complete assignment of the cis-Pro ${ }^{3}$ isomer of Ull was possible.

Finally, the equilibrium populations of open and folded conformations of UII and URP, as predicted by REMD, were confirmed by statistical evaluation following the technique described in Chapter 5 (Paper 2).

The conformational equilibria were identified as 72 \% folded and 28 \% open conformations for UII and $86 \%$ folded : $14 \%$ open for URP, respectively.

## Contribution of Authors

The results are the product of a joint research project of the Universities of Portsmouth (UK), Southampton (UK), Caen (F), and the FAU Erlangen-Nürnberg (D) supported by the European "Peptide Research Network of Excellence" (PeReNE).

REMD simulations were carried out by Miljak and Mele of Prof. Essex's group.
NMR experiments were carried out by Dr. Read. Spectra assignments and analysis were performed by Haensele.

Two $1 \mu \mathrm{~s}$ CHARMM MD simulations were contributed by Delépée of Prof. Bureau's group. Torsion trajectories were re-analysed by Haensele to ensure the consistency of analysis methods. New cluster centres were used as initial conformations for further long-scale MDs by Haensele.

The program DASH was extended with a routine to perform principal component analyses by DW. A modified version was developed by DW to analyse REMD trajectories. He also wrote the program dashsim to compare conformations based on circular similarities of torsions (cf. Appendix A7). Circular similarities were calculated by Haensele to ensure compatibility of conformational assignments from the differing sources.

DFT optimisations and calculations of NMR shielding tensors were performed by Prof. Clark. Further data processing, e.g. shielding/shift conversion, NMR modelling and statistical evaluation was done by Haensele.

The project was managed by Haensele (comprehensive data-processing and junction of results) supported and supervised by Dr. Banting and Prof. Clark.

Linked Appendices: A3: Supporting Information Paper 3; A7: Hardware and Software.

## Postprint of Paper 3

Haensele E, Mele N, Miljak M, Read C M, Whitley D C, Banting L, Delépée C, Sopkova-de Oliveira Santos J, Lepailleur A, Bureau R, Essex J W, Clark T. Conformation and Dynamics of Human Urotensin II and Urotensin-Related Peptide in Aqueous Solution. J Chem Inf Model. 2017:298-310. ${ }^{\text {i }}$


Table of Content Graphic
(Equilibrium of open (unfolded) and folded conformations of UII)


#### Abstract

Conformation and dynamics of the vasoconstrictive peptides human urotensin II and urotensinrelated peptide have been investigated by both unrestrained and enhanced-sampling moleculardynamics simulations and NMR spectroscopy. These peptides are natural ligands of the G-protein coupled urotensin II receptor (UTR) and have been linked to mammalian pathophysiology. UII and URP cannot be characterised by a single structure but exist as an equilibrium of two main classes of ring conformations, open and folded, with rapidly interchanging subtypes. The open states are characterised by turns of various types centred at $K^{8} Y^{9}$ or $F^{6} W^{7}$ predominantly with no or only

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sparsely populated transannular hydrogen bonds. The folded conformations show multiple turns stabilised by highly populated transannular hydrogen bonds comprising centres $F^{6} W^{7} K^{8}$ or $W^{7} K^{8} Y^{9}$. Some of these conformations have not been characterised previously. The equilibrium populations that are experimentally difficult to access were estimated by replica-exchange MD simulations and validated by comparison of experimental NMR data with chemical shifts calculated with densityfunctional theory. UII exhibits approximately 72 \% open : $28 \%$ folded conformations in aqueous solution. URP shows very similar ring conformations as UII but differs in an open:folded equilibrium shifted further toward open conformations $(86: 14)$ possibly arising from the absence of folded $N$ terminal tail/ring interaction. The results suggest that the different biological effects of UII and URP are not caused by differences in ring conformations but rather by different interactions with the UTR.

## Introduction

The neuropeptide urotensin II was originally found in the urophysis of teleost fishes. ${ }^{292}$ A human homologue ${ }^{293}$ of the orphan receptor GPR14 ${ }^{294}$ (a G-protein coupled receptor that is very similar to the somatostatin receptor first isolated from rats) was identified in 1999. ${ }^{121-123}$ UII is the natural ligand of this receptor, now called the urotensin II receptor (UTS2R, UTR).

All vertebrate isoforms of UII show a highly conserved C-terminal sequence: a cyclic 6-residue moiety (CFWKYC) closed by a disulphide bridge and flanked by valine as extra-annular residue (Scheme 6.1a). ${ }^{295}$ The length of the N-terminus of human UII is four residues but this is species variable, so that the total peptide length ranges from 11 residues for human UII up to 17 for hamster UII. ${ }^{23,295-297}$ Urotensin-related peptide (URP) is a paralog of UII. ${ }^{48}$ It has the same C-terminal cyclic moiety as UII but the extra-annular $N$-terminus of UII is replaced by a single alanine at position 1 in URP (Scheme 6.1b). ${ }^{124}$ The 6-membered ring closed by a disulphide bridge is a common motif with other hormone peptides, such as $\mathrm{Arg}^{8}$-vasopressin and Leu ${ }^{8}$-oxytocin.

UII is the most potent vasoconstrictive natural peptide known ${ }^{293}$ and both UII and URP are thought to be involved in important physiological processes such as cardiovascular regulation, and endocrine and behavioural effects. ${ }^{21,23,48,295}$ Consequently, they are linked to a multitude of pathophysiological processes such as atherosclerosis, heart failure, and many more. ${ }^{21,23,48,295,298}$

Although UII and URP show similar potency at the UTR ${ }^{124,125,299}$ and apparently have overlapping binding sites, ${ }^{300}$ their signalling outcomes may, nevertheless, differ. ${ }^{21}$ Ull can behave as an almost irreversible UTR agonist, and the two peptides can affect astrocyte activity differently. ${ }^{301,302}$ The
effects of UII or URP are often not conserved across species ${ }^{43,23,303}$ and may even be opposite (vasoconstrictive and vasodilative) within the same species ${ }^{304}$


ACFWKYCV

Scheme 6.1a,b (a) Human urotensin II and (b) urotensin-related peptide

In summary, the urotensinergic system is far from being well understood. Multiallosteric interactions of receptor and ligands or biased agonism that ultimately trigger different functions have been hypothesised. ${ }^{47}$

Biological activity studies have shown that the ring sequence $\mathrm{Ul}_{(4-11)}$ is necessary to retain full agonistic potency ${ }^{299,305}$ and that the motif WKY is essential for receptor activation. ${ }^{128,305}$ An intact bridge also seems essential ${ }^{299,306,307}$ but need not be a disulphide. ${ }^{306}$ However, recently, the first acyclic peptide agonist for UTR has been described, a UII analogue still suggesting WKY as receptor activating motif. ${ }^{308}$

Nuclear magnetic resonance studies in water ${ }^{109,128}$ and dimethyl sulphoxide, ${ }^{129}$ supported by circular dichroism (CD) spectroscopy, ${ }^{109}$ have been interpreted to indicate an unstructured form for human UII with no classical turns or intramolecular hydrogen bonds. However, Lescot et al. ${ }^{126}$ inferred, from NMR studies, a widened 7,8,9 $\gamma$-turn and a 8,9,10 $\gamma$-turn with close $W^{7} O-\gamma^{9} H^{N}$ and $\mathrm{K}^{8} \mathrm{O}-\mathrm{C}^{10} \mathrm{H}^{\mathrm{N}}$ distances for the human UII conformation in water, thus localizing a turn centre in the ring at residues $\mathrm{K}^{8}$ and $\mathrm{Y}^{9}$. All NMR investigations show the N -terminal tail to be more flexible than the ring. URP has been suggested from the NMR experiments by Chatenet et al. ${ }^{125}$ to have an inverse 4,5,6 $\gamma$-turn centred at $K^{5}$ in water with the intramolecular hydrogen bond $W^{4} O-\gamma^{6} H^{N}$. NMR experiments by Brancaccio et al., ${ }^{127}$ however, suggest structural flexibility in aqueous solution and a high similarity of URP and UII ring conformations. Carotenuto et al. ${ }^{109}$ made NMR studies of UII and the smaller URP-like version, Ull $_{(4-11)}$, in sodium dodecyl sulphate (SDS) micelles mimicking a cell-surface environment. They found two slowly exchanging states: one specified as $\beta$-hairpin with a $\beta$-turn type II' centred at $\mathrm{W}^{7}$ and $\mathrm{K}^{8}$ and another weakly populated, apparently, with a more
flexible and random structure. The highly structured state was suggested to be the active conformation in the receptor-binding pocket. Analogous experiments for URP in SDS micelles suggested a very similar structure. ${ }^{127}$

We now report unrestrained molecular-dynamics simulations of human UII and URP with the AMBER ffg9SB force field on extended timescales (see Table S1 and Figs. S1-S6 of the Supporting Information, SI, Appendix A3). These simulations are designed to investigate the conformational space of the peptides as completely as possible. To rule out small force-field artefacts that might become important for such small peptides, we have also performed additional unrestrained microsecond-scale MD simulations with the CHARMM c36b2 force field. These simulations revealed no significant difference between the conformations obtained with the two force fields, so that we concentrate on the AMBER results, which are more extensive. Replica-exchange moleculardynamics simulations have been used to improve the conformational sampling and to obtain thermodynamic information. The results are compared with NMR-spectroscopic experiments and a statistical model of the conformational equilibrium in aqueous solution is given.

## Methods

## Molecular-Dynamics Simulations

MD simulations of the peptides UII and URP were performed with AMBER 10, ${ }^{168,219}$ AMBER 14 CUDA, ${ }^{206,221-223}$ and CHARMM c36b2. ${ }^{171}$ AMBER calculations used the ff99SB force field. ${ }^{140}$ Comparison simulations with CHARMM parameter set ${ }^{171}$ were used to rule out force-field artefacts. REMD simulations were performed with AMBER. All simulations were carried out with unrestrained distances and explicit water solvation. Further simulation details are given in the Supporting Information (pp S3-S8, Appendix A3).

## Conformational Analysis

Conformational clustering of the backbone dihedrals (overall states) was performed with DASH. ${ }^{141,309}$ Additional sub-clustering of the ring and tail conformations led to a classification of UII and URP conformations in terms of distinct ring-state types. As representatives, the overall conformations of highest similarity to each ring-state type were chosen, equivalent to cluster centres (Appendix A3 Table S2). Hydrogen-bond populations and secondary structure motifs of characteristic conformations were calculated from corresponding sections of the MD trajectories using AmberTools with default settings. ${ }^{142,206,219}$ Consistency of type assignments of states from different simulations was ensured by comparing the circular similarities of ring torsions, turn
propensities and $\mathrm{C} \alpha$ alignments. Further details are given in the Supporting Information (p S9, Appendix A3).

## Principal Component Analysis

A possible correlation of ring and tail motions was analysed with principal component analysis implemented in DASH. ${ }^{309}$ Torsion weights were calculated from the coefficients of the relevant principal components. The number of significant PCs was determined by Kaiser's eigenvalue-one test. ${ }^{230}$ PC clustering was visualised via 3D-scatter plots of the three most significant principal components colour-coded according to the assigned DASH states in SAR-caddle. ${ }^{234}$ Further details are given in the Supporting Information (p S13-S14, Appendix A3).

## NMR

NMR spectra were recorded for human UII and URP at $\mathrm{pH} 3.0 / 3.5$ and pH 6.0 in $\mathrm{H}_{2} \mathrm{O}$ and $\mathrm{D}_{2} \mathrm{O}$ on a Varian Inova 600 MHz spectrometer. Proton resonance assignments were achieved using $2 \mathrm{D}{ }^{1} \mathrm{H}-{ }^{1} \mathrm{H}$ total chemical shift correlation spectroscopy (TOCSY) ${ }^{310}$ and ${ }^{1} \mathrm{H}-{ }^{1} \mathrm{H}$ nuclear Overhauser effect spectroscopy (NOESY) NMR spectra. ${ }^{311}$ Resonance assignments of carbon and nitrogen at natural abundance were achieved through standard ${ }^{13} \mathrm{C}-{ }^{-1} \mathrm{H}$ gradient heteronuclear single quantum coherence (gHSQC) and ${ }^{15} \mathrm{~N}-{ }^{1} \mathrm{H}$ gHSQC experiments. ${ }^{136,312,313}$ Details of sample preparation and NMR experiments are given in the Supporting Information (pp S15-19, Appendix A3).

## Density-Functional Theory Calculations on Representative Conformations

The geometries of representative conformations for UII and URP derived from the DASH analysis were first optimised at the B3LYP ${ }^{237,238,314,315} / 6-31 \mathrm{G}(\mathrm{d})^{240,316-319}$ level with Gaussian 09, Revision C.01. ${ }^{247}$ Water solvation was simulated with the default Polarizable Continuum Model (PCM) using the integral equation formalism variant (IEFPCM). ${ }^{254}$ The DFT-optimised structures were then used to calculate the magnetic shielding tensors in solution at the same level of theory and converted to ${ }^{1} \mathrm{H},{ }^{13} \mathrm{C}$, and ${ }^{15} \mathrm{~N}$ chemical shifts using regression formulas based on standard sets of chemical shifts and calculated values. The regression formulae and calculated chemical shifts are given in the Supporting Information (Appendix A3 pp S20-24, Fig. S7, Tables S9-S11).

## Equilibrium Models and Experimental Evaluation

Free energies and relative populations (equilibrium models) for the representative conformations of UII and URP were calculated from extended REMD simulations. For each peptide, three simulations of 500 ns were performed starting from different initial conformations (UII: omega-lopen, folded-I, lasso; URP: omega-Iopen, omega-II, lasso). ${ }^{1} \mathrm{H}$ chemical shifts for the equilibria were
calculated via linear combination of the calculated shifts for the representative conformations according to the populations suggested by REMD. The calculated shifts of representatives and conformational equilibria were then compared by linear regression with our experimental data for nonexchangeable ${ }^{1} \mathrm{H}$ chemical shifts of UII and URP in aqueous solution at pH 6.0 and pH 3.5 , respectively. We have recently published details of chemical-shift comparisons for the closely related vasopressin and have suggested statistical metrics for judging whether conformational equilibria suggested by simulations are consistent with experiment. ${ }^{2}$ Here, we used REMD to determine equilibrium populations, rather than the metadynamics. This substitution is tested here.

Further details are given in the Supporting Information (Appendix A3 pp S25-S29, Figs. S8-S9, Tables S13-S15).

## Results and Discussion

## Conformations of Urotensin II

In total, $35 \mu$ s of unrestrained MD simulations with the AMBER ff99SB force field supplemented with $1.3 \mu \mathrm{~s}$ CHARMM c36b2 trajectories were used to explore the conformational space of UII (Tables S1-S2 of the SI, Appendix A3). The conformational analysis led to the classification summarised in Table 6.1. Ull exhibits two main types of ring states, unfolded open and saddle-like folded ring conformations, which are subdivided into a total of 11 subtypes, each defined by its main turn centre. Secondary structure propensities and populations of transannular hydrogen bonds are given in Tables 6.2 and 6.3.

Open Ring-State Types. Turns in this class are centred at residues $K^{8} Y^{9}$ or $F^{6} W^{7}$ (Table 6.3) with turns fluctuating around ideal $\beta$-turn angles (Table S3 of the SI, Appendix A3). The majority of these turns have no or only sparsely populated transannular $\mathrm{O}_{\mathrm{i}}-\mathrm{H}_{\mathrm{i}+3}$ hydrogen bonds (Table 6.2). Only type $\operatorname{scoop}(6,7 \beta-I)$ and omega-I $I_{\text {boond }}(8,9 \beta-I)$ exhibit significant transannular hydrogen-bond populations but the latter frequently interconverts with the open omega-lopen state ( $8,9 \beta-\mathrm{VIII}$ ) resulting in an average population of 44.3 \% equivalent to an open turn. Additionally, a ring state was found with no defined $\beta$-turns in the ring (circle), a loop structure closed by hydrogen bond $W^{7} O-C^{5} \mathrm{H}^{\mathrm{N}}$. The interpreted structures based on NMR studies of UII in aqueous solution resemble the open ringstate types (e.g., turn centres at residues $8,9^{47}$ or no transannular hydrogen bonds ${ }^{109}$ ). Furthermore, the open omega conformations of UII show significant similarities to the clinched open states of the
related peptide $\mathrm{Arg}^{8}$-vasopressin (AVP) ${ }^{1}$ (Table 6.4). The clinched open conformation of AVP, however, is only populated approximately $30 \%$ in aqueous solution. ${ }^{2}$

Folded Ring-State Types. The second main cluster comprises saddle-like ring conformations with multiple turns, centred either at residues $F^{6} W^{7} K^{8}$ or $W^{7} K^{8} Y^{9}$ (Tables 6.1 and 6.3). This class shows highly populated transannular hydrogen bonds that stabilise the folded conformations of the ring (Table 6.2). Subtype folded-I (turns centred at $W^{7} K^{8} Y^{9}$ comprising a $7,8 \beta-I$ turn) corresponds to the saddle state of AVP; subtype folded-IVb2 (a peptide-bond rotamer of folded-I with a $7,8 \beta$-II turn) is equivalent to the twisted saddle state of AVP. Interestingly, for AVP, the folded saddle conformation is the most highly populated in aqueous solution, ${ }^{2,103}$ whereas for UII a folded conformation ( $\beta$-hairpin centred at $W^{7} K^{8}$ ) has only been identified experimentally in SDS micelles. ${ }^{109}$ The SDS conformation resembles the folded conformations found in our MD simulations.

Table 6.1 Classification of ring conformations of UII §


[^22]Table 6.1 continued

${ }^{\S}$ Ring-state types are characterised by their turn centres (blue) and the donor oxygen for transannular hydrogen-bond interactions (red). Side chains are indicated by the 1-letter code of the residue. Turn types and corresponding hydrogen bonds populated $>70 \%$ are listed. ${ }^{\text {a }}$ Mean torsion angles (Appendix A3 Table S3) and coordinate files of representatives are given in the SI (ID = ID of representative).

Table 6.2 Hydrogen-bond populations and corresponding turn centres of Ull ring-state types §


[^23]Table 6.3 Secondary-structure populations (\%) a for ring-state types of UII

${ }^{\text {a Populations }>75 \% \text { (classical turns) and }>25 \% \text { (potentially open turn) are shown in bold and italics, respectively (for notation of }}$ secondary-structure elements, see SI , Appendix A ). ${ }^{\mathrm{b}} \mathrm{T}=$ turn, $\mathrm{P}=$ parallel sheet, $\mathrm{H}=3_{10}$-helix.

Table 6.4 Similarity of ring torsions of $\mathrm{UlI}_{(5-10)}, \mathrm{URP}_{(2-8)}$, and $\operatorname{AVP}_{(1-6)}$

| Conformation (ring-state type) ${ }^{\text {a }}$ |  |  |  |  | Circular similarity ${ }^{\text {b }}$ |  |  | Turn type |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| UII |  | URP |  | AVP | UII/URP | UII/AVP | UII | URP | AVP |
| Open |  |  |  |  |  |  |  |  |  |
| 1 omega-Iopen | 3 r | omega-Iopen | 12 | cl.open | 0.95 | 0.88 | $8,9 \beta$-VIII | 5,6 $\beta$-VIII | $4,5 \beta-\mathrm{VIII} \mathrm{dist}_{\text {d }} / \mathrm{l}$ |
| 2 omega-l $l_{\text {hbond }}$ | $1 r$ | omega- $I_{\text {hbond }}$ | 12 | cl.open | 0.99 | 0.83 | 8,9 $\beta$ - | 5,6 $\beta$-I | $4,5 \beta-\mathrm{VIII} \mathrm{dist} / \mathrm{I}$ |
| 3 omega-II |  | omega-II |  | - | 0.93 | - | 8,9 $\beta$-II | 5,6 $\beta$-II | 4,5 $\beta$-II |
| 4 lasso | 6 r | (lasso45pbr) | 27 | (open) | $0.55^{\text {c }}$ | $0.55^{\text {d }}$ | 6,7 $\beta$ - | $3,4 \beta-\mathrm{VIII}_{\text {dist }}$ | 2,3 |
| 5 scoop | - | - |  | - | - | - | 6,7 $\beta$ - | - | - |
| 10 circle | - | - |  | - | - | - | (5-9 loop) | - | - |
| Folded |  |  |  |  |  |  |  |  |  |
| 6 folded-I | - | - | 3 | saddle | - | 0.93 | 7,8,9 (7,8 $\beta-1)$ | - | 3,4,5 (3,4 $\beta$-I) |
| 7 folded-IVb2 | 4 r | hybrid | 19 | tw.saddle | 0.89 | 0.95 | 7,8,9 (7,8 $\beta$-II) | 4,5,6 $\gamma$ | 3,4,5 (3,4 $\beta$-II) |
|  |  | sheet |  | - | 0.67 | - | - | 4,5 (ap.sheet $\beta$-II) | - |
| 11 inv-folded | - | - |  | - | - | - | 6,7,8 ( $3_{10}$-helix) | - | - |
| 8 folded-II | - | - |  | - | - | - | 7,8,9 (p.sheet) | - | - |
| 9 folded-III | - | - |  | - | - | - | 6,7,8 (6,7 $\beta$-III') | - | - |

${ }^{2}$ Coordinate files of UII representative (UII 1 to 11, URP $1 r$ to $6 r$ ) are given in the SI (Appendix A3); coordinate files of AVP representatives (T16_3,12,19,27) have been published previously ${ }^{2}$. ${ }^{\text {b }}$ Circular similarity of corresponding ring torsions ( $1.00=$ identical; for methodological details see SI, Appendix A3). ${ }^{\mathrm{c}}$ RMSD ${ }_{\text {cA-ring }}=0.714 \AA$. ${ }^{d} R M S D_{\text {cA-ring }}=0.218 \AA$ (AVPopen is a peptide-bond rotamer of Ullasso which has the same backbone shape but a different peptide bond orientation at residues 2,3 ). Abbreviations: UII = human urotensin II, URP = urotensinrelated peptide, $\mathrm{AVP}=\mathrm{Arg}^{8}$-vasopressin (representative T16 states ${ }^{1}$ ), cl.open $=$ clinched open, $\mathrm{ap}=$ antiparallel, $\mathrm{p}=$ parallel, dist $=$ distorted, $\mathrm{pbr}=$ peptide-bond rotamer, inv = inverse.

Are Tail and Ring Conformation of Urotensin II Mutually Dependent? As described above, the structure of UII can be characterised by its ring conformation and by treating the N -terminus as an additional residue. A principal-component analysis (PCA) of the overall torsion space supports this approach. It clusters the overall conformations of UII in accordance to the ring-state types clustered with DASH ${ }^{141}$ (Fig. 6.1).


Figure 6.1 PCA clusters of UII conformations. 3D-scatter plot of the three main PCs of the overall backbone torsion space of UII. Each dot represents a conformational snapshot of UII from the MD simulations. Conformations are colour-coded by DASH ring-state types. PCA confirms that DASH clustering of ring conformations is suitable for characterizing the overall structure of UII.

Nevertheless, the tail remains of special interest, as it is the only structural difference between UII and URP. DASH clustering (Figs. S1-S6 of the SI, Appendix A3) reveals that the basic conformation of the N-terminal tail is extended or folded with the majority of folded tail-conformations caused by a single turn centred at either $P^{3} D^{4}$ or $D^{4} C^{5}$ of turn types $\beta-I / V I I I$ or II, as shown in Figure 6.2.


Figure 6.2a-e Tail-state types of UII. Hydrogen and oxygen atoms of hydrogen bonds are represented as spheres.

The relative populations of extended and folded tail states in the MD simulations vary significantly ( $c f$. Figs. S1-S6 of the SI, Appendix A3). Some ring-state types show frequent interconversions of extended and folded tail states, others none or few; and the extended:folded ratio for some types is not consistent between simulations. This raises the question as to whether tail and ring states might be mutually dependent. A qualitative answer is given by analysing the weights of ring and tail torsions of the main significant PCs for each type of ring conformation (Appendix A3 Table S4). If both ring and tail torsions are significantly loaded on one PC, correlation can be assumed. The results are summarised in Table 6.5. Few ring-state types (folded-I and folded-IVb2) show unambiguously that ring and tail torsions are not correlated, whilst omega-I types show uncorrelated ring/tail motions only if the tail is exclusively extended (Appendix A3 Fig. S1). For all other types, the PCA results suggest interdependence of ring and tail conformations. This contrasts with AVP, where the tail (the three C-terminal residues) moves essentially independently of the ring. ${ }^{1}$ A tentative explanation is the longer tail in UII of four residues facilitates interactions with the ring (e.g. by hydrogen bonding). Mutual dependence of ring and tail conformations is a dynamic property that differentiates UII from URP (no tail) and could modulate different bioactivities.

Table 6.5 Relative populations (\%), a interconversion frequencies ${ }^{\mathrm{b}}$ and correlation ${ }^{\mathrm{c}}$ of extended and folded tail conformation for UII ring-state types

| Ring-state type | Correlation ring/tail | Tail co extended (\%) | rmation ${ }^{\text {d }}$ folded (\%) | Interconversion extended/folded | MD ${ }^{\text {e }}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| open |  |  |  |  |  |
| omega-Inbond/open | no | 100.0 (A) | - | - | 1 |
|  | yes | 38.1 (A) | 61.9 (B) | few | III |
|  | yes | 37.7 (A) | 62.3 (C) | frequent | IV |
| omega-II | yes | 100.0 (A) | - | - | III |
|  | yes | 61.9 (A) | 38.1 (C) | frequent | XI |
| scoop | yes | 100.0 (A) | - | - | III |
| lasso | yes | 40.8 (A) | 59.2 (C) | frequent | IV |
| circle | yes | 100.0 (A) | - | - | IV |
| folded |  |  |  |  |  |
| folded-I | no | 88.6 (A) | 11.4 (B) | few | II |
| folded-IVb2 | no | 90.2(A) | 9.80 (B) | few | III |
| inv-folded | yes | 10.7 (A) | 89.3 (C) | few | XI |
| folded-II | yes | - | 100.0 (C) | - | V |
| folded-III | yes | - | 100.0 (D,E,C) ${ }^{\text {f }}$ | - | V |

${ }^{\text {a }}$ Populations are relative to the length of analysed sections occupied by single ring-state types in the MD simulations listed. ${ }^{\mathrm{b}} \mathrm{c} f$. DASH tail-state trajectories. ${ }^{c}$ Qualitative results from the overall torsion space PCA: If relevant PCs (Eigenvalue >1.0) correspond to both ring and tail torsions, then correlation was assumed (for details, see SI, Appendix A3). ${ }^{\text {d }}$ Turn types (Fig. 6.2) are in parentheses. ${ }^{e}$ MD = MD simulation (DASH ring and tail-state trajectories are given in Figs. S1-S6 of the SI, Appendix A3). ${ }^{\dagger} 40.9 \%$ (D) $+32.9 \%$ (E) $+26.2 \%$ (C).

## Conformations of Urotensin-Related Peptide

In total, $22.8 \mu \mathrm{~s}$ MD were analysed for URP (Table S1 of the SI, Appendix A3). In the MD simulations, the majority of URP conformations ( $98.4 \%$ ) belong to the open class of omega ring-state types (Table 6.6 and Appendix A3 Table S3) with the turn centred at residues $K^{5}$ and $Y^{6}$ and a circular similarity of more than $90 \%$ to the omega states of UII (Table 6.4).

Table 6.6 Classification of ring conformations of URP\$

${ }^{\text {s }}$ Ring-state types are characterised by their turn centres (blue) and the donor oxygen for transannular hydrogen-bond interactions (red). Side chains are indicated by the single-letter code of the residue. Turn types and corresponding hydrogen bonds populated $>70 \%$ are listed. ${ }^{\text {a }}$ Mean torsion angles (Appendix A3 Table S3) and coordinate files of representatives are given in the SI (ID = ID of representative). ${ }^{\mathrm{b}} 48$ \% population.

A high similarity of UII and URP ring conformation was postulated also by Brancaccio et al. based on their NMR studies. ${ }^{127}$ Hydrogen-bond populations at $\mathrm{Y}^{4} \mathrm{O}-\mathrm{C}^{7} \mathrm{H}^{N}$ and turn propensities at $\mathrm{K}^{5} \mathrm{Y}^{6}$ of URP's omega type resembles the data of the corresponding UII conformations (Tables 6.2 and 6.3).

Conformations with turns different to $K^{5}{ }^{6}$ are only found as transient states with low absolute populations. There is a variant of the UII lasso type with a type VIII $\beta$-turn centred at $\mathrm{F}^{3} \mathrm{~W}^{4}$. Two further transient states are comparable with the folded conformations of UII. One (denoted as sheet) forms an antiparallel $\beta$-sheet with a $\beta$-II turn at $\mathrm{W}^{4} \mathrm{~K}^{5}$, the other (denoted as hybrid) exhibits a $\gamma$-turn at $W^{4} K^{5} Y^{6}$ and shows $89 \%$ similarity to the ring torsions of the folded-IVb2 state of UII. The sheet type resembles the postulated single-conformer structure of URP in SDS micelle solution. ${ }^{127}$ The hybrid type is reminiscent of Chatenet's NMR-based single-conformer description of URP in aqueous solution. ${ }^{125}$

## Determination of UII and URP Equilibrium Populations

Most of the ring-state types described above exhibit significant lifetimes during MD simulation and, therefore, represent candidates for the main conformations in solution. However, interconversions are too infrequent to derive equilibrium populations directly from the MD simulations. We therefore performed extended REMD simulations of UII and URP to determine the relative population of the states and, hence, to calculate their free energies. NMR experiments were carried out to validate these in silico equilibria via comparison of calculated and experimental chemical shifts using the statistical metrics reported previously. ${ }^{2}$

NMR Experiments. ${ }^{1} \mathrm{H},{ }^{13} \mathrm{C}$, and ${ }^{15} \mathrm{~N}$ chemical shifts could be assigned for Ull and URP in $\mathrm{H}_{2} \mathrm{O}$ at $\mathrm{pH} 3.0 / 3.5$ and 6.0, with the exception of C and N atoms without directly bonded protons and some rapidly exchangeable $\mathrm{H}^{\mathrm{N}}$ atoms at pH 6.0 . Our ${ }^{1} \mathrm{H}$ chemical shifts of UII and URP agree well with those already published ${ }^{109,125-127}$ and are complemented by our results for ${ }^{13} \mathrm{C}$ and ${ }^{15} \mathrm{~N}$ shifts at the different pH values. The experimental shift lists are given in the Supporting Information (Appendix A3 Tables S5-S8). The pH was varied to see if changing the protonation state induces significant conformational changes. A change to acidic pH values protonates charged carboxylic acid-containing residues ( $E^{1}, D^{3}$, and the C-terminal $\mathrm{V}^{11}$ in UII; the C-terminal $\mathrm{V}^{8}$ in URP) and this can affect the local electronic structure, as seen by changes in NMR chemical shifts of these residues and their immediate neighbours. The UII peptide is more affected by pH , changing its protonation state from -1 at pH 6.0 to +2 at pH 3.0 , whereas URP only changes from +1 at pH 6.0 to +2 at pH 3.0. However, these pH -dependent changes are small compared to those that occur if the solvent is changed from water to an SDS micelle containing aqueous solution, with no buffer added. ${ }^{109,127}$ A significant conformational change such as that found in SDS micelles ${ }^{109,127}$ can be excluded. Thus, it can be assumed that the most highly populated conformations of UII and URP at pH 6.0 resemble the published NMR structures in aqueous solution. We eschewed a further classical structure determination using experimental nuclear Overhauser effect (NOE) distances or
coupling constants and focused on determining conformational equilibrium concentrations via ${ }^{1} \mathrm{H}$ chemical shifts, which proved to be most efficient for vasopressin. ${ }^{2}$ In this context, it is important to note that, while observed NMR chemical shifts represent the time average of the shifts of all structures in a dynamic equilibrium, this is not true of distances derived from NOE peaks. This is because the distance-dependence of the NOE depends on the inverse sixth power $\left(r^{-6}\right),{ }^{320}$ so that simply averaging the distance ( r ) will yield incorrect results. Thus, short contacts that occur infrequently can give rise to significant NOE peaks, even though the time-averaged interatomic distance may be large.

For the same reason, NOE peaks that result from several different conformations in equilibrium can masquerade as a single fictitious conformation. A second set of resonances representing a minor population ( $\sim 10 \%$ of the total) was also observed in the UII NMR spectra. This was identified as the cis-Pro ${ }^{3}$ isomer of UII and fully sequentially assigned. As the cis/trans conversion in peptides is known to be slow on the NMR timescale ${ }^{321,322}$ it will not contribute to fast equilibria and is not discussed here.

Conformational Equilibrium of Urotensin II. The relative populations for the representative conformations of UII from three REMD simulations (with different initial conformations) are given in Table 6.7. This table covers approximately $80 \%$ of the conformational REMD snapshots, the remaining $20 \%$ (circular similarity of ring torsions < $65 \%$ ) are transients that cannot be assigned unambiguously to the representatives. All three REMD simulations predict a similar ratio of open to folded conformations and thus, the simulations can be assumed converged for these main conformational types. Unfortunately, the population of the individual subtypes of open and folded has not converged and differs strongly between the three REMD simulations (Table 6.7). However, convergence would necessitate significantly longer simulation times, which are currently unobtainable.

A statistical comparison of the calculated and experimental chemical shifts of UII at pH 6 is given in Table 6.8. All open:folded equilibria of UII correspond better to the experimental values than any single conformation. The best agreement was found for equilibrium REMD-I, predicting a ratio of 72 \% open and 28 \% folded conformations for UII in aqueous solution. A plot of the predicted vs. experimental shifts is shown in Figure 6.3. Correlation of calculated and experimental ${ }^{15} \mathrm{~N}$ chemical shifts also confirms the ratio of 72:28 open to folded as the equilibrium that gives the best agreement, although the number of shifts is very small (Table S14 of the SI, Appendix A3).

The correlation of calculated ${ }^{13} \mathrm{C}$ chemical shifts with experimental shifts is satisfactory for the equilibria but gives the best fit for the omega-I open conformations (Table S13 of the SI, Appendix A3). However, the correlation within the calculated sets of ${ }^{13} \mathrm{C}$ shifts is too high to give unambiguously
distinguishable models (Appendix A3 Fig. S8). This was also found for AVP² and is further discussed in the Supporting Information (Appendix A3).

Table 6.7 Relative free energies ( $\left.\Delta \Delta \mathrm{G}, \mathrm{kcal} \mathrm{mol}^{-1}\right)^{\mathrm{a}}$ and relative populations (\%) ${ }^{\mathrm{b}}$ of representative conformations for UII from REMD simulations

| UII representatives |  | REMD simulations (UII) |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | REMD- ${ }^{\text {c }}$ |  | REMD-II |  | REMD-III |  | stddev ${ }^{\text {d }}$ |  |
| Conformation | ID ${ }^{\text {e }}$ | $\Delta \Delta \mathrm{G}$ | pop\% | $\Delta \Delta \mathrm{G}$ | pop\% | $\Delta \Delta \mathrm{G}$ | pop\% | $\Delta \Delta \mathrm{G}$ | pop\% |
|  |  |  |  | open |  |  |  |  |  |
| omega-Iopen | 1 | 0.39 | 15.19 | 1.08 | 8.72 | 1.09 | 8.98 | $\pm 0.33$ | $\pm 2.99$ |
| omega-Inbond | 2 | 0.41 | 14.76 | 1.45 | 4.68 | 1.19 | 7.69 | $\pm 0.44$ | $\pm 4.22$ |
| omega-II | 3 | 1.04 | 5.07 | 2.21 | 1.29 | 1.55 | 4.10 | $\pm 0.48$ | $\pm 1.61$ |
| lasso | 4 | 0.00 | 29.75 | 0.00 | 54.11 | 0.00 | 56.73 | $\pm 0.00$ | $\pm 12.15$ |
| scoop | 5 | 1.43 | 2.67 | 3.08 | 0.30 | 3.37 | 0.20 | $\pm 0.85$ | $\pm 1.14$ |
| circle | 10 | 1.12 | 4.53 | 2.16 | 1.39 | 2.08 | 1.68 | $\pm 0.47$ | $\pm 1.42$ |
| $\Sigma$ open |  |  | 72.0 |  | 70.5 |  | 79.4 |  |  |
| folded |  |  |  |  |  |  |  |  |  |
| folded-I | 6 | 1.67 | 1.76 | 1.71 | 3.00 | 2.00 | 1.82 | $\pm 0.15$ | $\pm 0.57$ |
| folded-IVb2 | 7 | 2.28 | 0.63 | 3.01 | 0.34 | 3.13 | 0.28 | $\pm 0.38$ | $\pm 0.15$ |
| inv-folded | 11 | 0.35 | 16.39 | 1.02 | 9.67 | 0.75 | 15.96 | $\pm 0.28$ | $\pm 3.07$ |
| folded-II | 8 | 1.21 | 3.89 | 1.34 | 5.58 | 1.84 | 2.56 | $\pm 0.27$ | $\pm 1.24$ |
| folded-III | 9 | 1.02 | 5.37 | 0.95 | 10.92 | - | 0.00 | $\pm 0.04$ | $\pm 4.46$ |
| $\Sigma$ folded |  |  | 28.0 |  | 29.5 |  | 20.6 |  |  |

${ }^{\text {a }}$ Average standard deviation of all $\Delta \Delta \mathrm{G}$ is $0.37 \mathrm{kcal} \mathrm{mol}^{-1}$. ${ }^{\text {b }}$ Total population of assigned representatives: REMD-I $82 \%$, II $77 \%$, III $87 \%$. The REMD-I equilibrium gives the best agreement with experiment. ${ }^{d}$ stddev $=$ standard deviation. ${ }^{e}$ Coordinate files are available as Online Supporting Material. ID = ID of representative.

Table 6.8 Statistical error values (ppm), coefficients of distinctiveness ( $\Delta_{\sigma}$ ), and determination ( $\mathrm{R}^{2}$ ) for the linear regression of calculated and experimental ${ }^{1} \mathrm{H}$ chemical shifts of UII in aqueous solution at $\mathrm{pH} 6.0^{\text {a }}$

| UII representatives and equilibria (open:folded) | MSE | MUE | RMSD | WRMSE | $\boldsymbol{\Delta}_{\boldsymbol{o}}$ | $\mathbf{R}^{2}$ |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: |
| omega-Iopen | -0.09 | 0.38 | 0.51 | 0.56 | 1.11 | 0.9338 |
| omega-Inbond | -0.02 | 0.31 | 0.42 | 0.46 | 0.99 | 0.9556 |
| omega-II | 0.03 | 0.33 | 0.43 | 0.46 | 1.02 | 0.9533 |
| lasso | 0.03 | 0.29 | 0.35 | 0.38 | 0.96 | 0.9682 |
| scoop | 0.03 | 0.41 | 0.50 | 0.54 | 1.26 | 0.9383 |
| circle | 0.00 | 0.30 | 0.40 | 0.42 | 0.95 | 0.9622 |
| folded-I | 0.04 | 0.32 | 0.39 | 0.43 | 1.06 | 0.9627 |
| folded-IVb2 | 0.11 | 0.32 | 0.39 | 0.40 | 1.01 | 0.9661 |
| inv-folded | 0.06 | 0.34 | 0.42 | 0.44 | 1.14 | 0.9547 |
| folded-II | 0.05 | 0.40 | 0.49 | 0.55 | 1.15 | 0.9355 |
| folded-III | -0.04 | 0.37 | 0.45 | 0.50 | 1.19 | 0.9456 |
| Equilibrium REMD-I (72:28) | 0.01 | 0.21 | 0.26 | 0.27 | 0.75 | 0.9824 |
| Equilibrium REMD-II (70:30) | 0.01 | 0.22 | 0.28 | 0.29 | 0.78 | 0.9799 |
| Equilibrium REMD-III (79:21) | 0.02 | 0.23 | 0.29 | 0.30 | 0.81 | 0.9791 |

[^24]

Figure 6.3 Linear regression of calculated ${ }^{1} \mathrm{H}$ chemical shifts for the best predicted equilibria of open and folded conformations of UII and URP against experimental chemical shifts of nonexchangeable ${ }^{1} \mathrm{H}$ of UII and URP in aqueous solution at $\mathrm{pH} 6.0,298 \mathrm{~K}$

Smith and Goodman have proposed the so-called DP4-metric, which they designed especially to discriminate between conformations on the basis of the agreement between calculated and experimental NMR chemical shifts. ${ }^{258}$ The DP4 probability is based on Bayes' theorem and is intended to provide an objective assessment of how likely it is that a given diastereomer (or in our case equilibrium distribution of conformations, is correct based on calculated and experimental chemical shifts. In our case the DP4 probabilities for both ${ }^{13} \mathrm{C}$ and ${ }^{1} \mathrm{H}$ shifts help confirm that the chemical shift ensemble resulting from equilibrium REMD-I (72:28) has the highest probability of being a correct assignment (Table S15 of the SI, Appendix A3) in comparison to the single conformations or the equilibria REMD-II and -III. Finally, the dependence of DP4 ("best-fit probability") on variations of the open:folded ratio also results in a clear maximum for an equilibrium at approximately $70: 30$ (Fig. 6.4), in accordance with our prediction.

Besides the experimental shifts of UII at pH 6 , a second set of experimental shifts at pH 3 was measured and compared with the calculated shifts. The statistical metrics (data not shown) are extremely close to those at pH 6 , which suggests conformational independence of UII for different protonation states ( +2 at $\mathrm{pH} 3,-1$ at pH 6 ).

The seemingly contradictory experimental single-conformer interpretations of UII's structure in $\mathrm{H}_{2} \mathrm{O}$ (no classical turns ${ }^{109}$ vs. widened 7,8,9+8,9,10 $\gamma$-turns ${ }^{126}$ ) are more precisely a fast (on the NMR timescale) equilibrium of major open and minor folded ring conformations, rather than any single conformation. A folded conformation has so far only been proposed from NMR experiments in SDS micelles, and was suggested to be the bioactive conformation in the UII receptor (UTR). ${ }^{109}$ Our results indicate that the proposed bioactive folded-type conformations already exist in aqueous
solution to a significant extent, hidden in the fast equilibrium and that, if it is the bioactive conformation, it is selected by preferential binding to the receptor from the conformational ensemble.


Figure 6.4 Dependence of DP4 probabilities on the open:folded ratio of UII. Open and folded subtype mixtures correspond to the relative concentrations of the 11 -component equilibrium REMD-I. The maximum probability (most likely ratio) is approximately 70:30 open:folded.

Conformational Equilibrium of Urotensin-Related Peptide. Three REMD simulations of URP starting from different initial conformations gave the relative free energies and populations listed in Table 6.9. The representatives cover approximately $70 \%$ of all REMD conformations. The remaining $30 \%$ (circular similarity of ring torsions < $65 \%$ ) are transient conformations that could not be assigned unambiguously. The overall ratio of open:folded conformations from different REMD simulations are again similar and can be regarded as converged.

Table 6.9 Relative free energies ( $\left.\Delta \Delta \mathrm{G}, \mathrm{kcal} \mathrm{mol}^{-1}\right)^{\mathrm{a}}$ and relative populations (\%) ${ }^{\mathrm{b}}$ of representative conformations for URP from three different REMD simulations

| URP representatives |  | REMD simulations (URP) |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | REMD-IV ${ }^{\text {c }}$ |  | REMD-V |  | REMD-VI |  | stddev ${ }^{\text {d }}$ |  |
| Conformation | ID ${ }^{\text {e }}$ | $\Delta \Delta G$ | \% | $\Delta \Delta \mathrm{G}$ | \% | $\Delta \Delta \mathrm{G}$ | \% | $\Delta \Delta \mathrm{G}$ | \% |
| open |  |  |  |  |  |  |  |  |  |
| omega-Iopen | 3 r | 0.34 | 18.92 | 1.38 | 5.80 | 0.45 | 19.70 | $\pm 0.47$ | $\pm 6.38$ |
| omega-Inbond | 1 r | 0.08 | 29.73 | 0.49 | 26.09 | 0.33 | 24.24 | $\pm 0.17$ | $\pm 2.28$ |
| omega-II | $2 r$ | 0.00 | 33.78 | 0.00 | 59.42 | 0.00 | 42.42 | $\pm 0.00$ | $\pm 10.65$ |
| lasso | 6r | 1.26 | 4.05 | 1.79 | 2.90 | 1.32 | 4.55 | $\pm 0.24$ | $\pm 0.69$ |
| $\Sigma$ open |  |  | 86.5 |  | 94.2 |  | 90.9 |  |  |
| folded |  |  |  |  |  |  |  |  |  |
| sheet | $5 r$ | 0.71 | 10.14 | 1.38 | 5.80 | 1.73 | 2.27 | $\pm 0.42$ | $\pm 3.22$ |
| hybrid | 4 r | 1.36 | 3.38 | - | 0.00 | 1.08 | 6.82 | $\pm 0.14$ | $\pm 2.78$ |
| $\Sigma$ folded |  |  | 13.5 |  | 5.8 |  | 9.1 |  |  |

[^25]The model that agrees best with experiment is the equilibrium from REMD-IV (calculated ${ }^{1} \mathrm{H}$ chemical shifts for URP are given in Table S12 of the SI, Appendix A3) predicting a ratio of $86 \%$ open and $14 \%$ folded conformations for URP with a predominance of omega conformations (Table 6.10 and Fig. 6.3). This result is further supported by the DP4 assignment probabilities (Appendix 3 Table S15).

Table 6.10 Statistical error values (ppm), coefficients of distinctiveness ( $\Delta_{\sigma}$ ) and determination ( $\mathrm{R}^{2}$ ) for the linear regression of calculated and experimental ${ }^{1} \mathrm{H}$ chemical shifts of URP in aqueous solution at $\mathrm{pH} 6.0^{\text {a }}$

| URP representatives and equilibria (open:folded') | MSE | MUE | RMSD | WRMSE | $\boldsymbol{\Delta}_{\boldsymbol{\sigma}}$ | $\mathbf{R}^{2}$ |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| omega-Iopen | -0.02 | 0.27 | 0.37 | 0.43 | 1.02 | 0.9774 |
| omega-I hoond | -0.09 | 0.32 | 0.44 | 0.55 | 0.99 | 0.9624 |
| omega-II | -0.11 | 0.40 | 0.53 | 0.64 | 1.20 | 0.9456 |
| lasso | -0.08 | 0.41 | 0.52 | 0.64 | 1.26 | 0.9489 |
| sheet | -0.05 | 0.28 | 0.38 | 0.43 | 1.01 | 0.9755 |
| hybrid | -0.01 | 0.33 | 0.44 | 0.53 | 1.12 | 0.9666 |
| Equilibrium REMD-IV (86:14) | -0.08 | 0.22 | 0.29 | 0.31 | 0.78 | 0.9847 |
| Equilibrium REMD-V (94:6) | -0.10 | 0.29 | 0.38 | 0.44 | 0.91 | 0.9723 |
| Equilibrium REMD-VI (91:9) | -0.08 | 0.25 | 0.31 | 0.35 | 0.84 | 0.9815 |

${ }^{\text {a }}$ Best results are shown in bold. MSE = Mean Square Error; MUE = Mean Unsigned Error; RMSD = Root Mean Square Deviation; WRMSE $=$ Weighted Root MSE; $\Delta_{\sigma}=$ coefficient of distinctiveness; $R^{2}=$ coefficient of determination.

Equilibrium REMD-VI also performs better than any single conformation. Only equilibrium REMD-V fits worse than the omega- $I_{\text {open }}$ conformation. It is noteworthy that the average ratio of the frequently interconverting conformations omega $I_{\text {open }}$ and omega- $I_{\text {hbond }}$ in the long-scale MD simulations is $42: 58$. This resembles the relative populations of REMD-IV (39:61) and $\mathrm{VI}(45: 55)$ but not REMD-V (18:82). Insufficient convergence of the omega- $I_{\text {open }}$ : omega- $I_{\text {hbond }}$ ratio may explain the poor performance of equilibrium REMD-V.

How Do the Conformational Equilibria of URP and UII Differ? Both exhibit predominantly open conformations in aqueous solution but UII shows a higher population of folded conformations (UII: $28 \%$, URP: $14 \%$ ). This result is consistent with the possible interdependence of ring and tail conformation in UII but not URP, and supports the hypothesis that the N -terminal tail facilitates the formation of folded ring conformations.

## Conclusions

Conformation and dynamics of UII and URP in aqueous solution were explored and classified by combining computational and experimental methods. The two peptides exhibit similar ring conformations. The structures of both UII and URP in aqueous solution cannot be described by
single conformations. As found previously for Arg $^{8}$-vasopressin, ${ }^{2}$ UII and URP exist in solution in a conformational equilibrium between open and folded (saddle-like) ring conformations and in combination with extended and folded tail conformations. In contrast to vasopressin, however, the ring and tail conformations of UII are not independent of each other, so that UII behaves differently to URP, as URP lacks the tail region. Folded (saddle-like) conformations of URP appear only transiently in unrestricted MD simulations and the equilibrium distribution of conformations that results from REMD simulations and agrees best with experimental ${ }^{1} \mathrm{H}$ chemical shifts is $86 \%$ open to 14 \% folded. The corresponding equilibrium for UII is 72 \% open:28 \% folded.

These data suggest that the free-energy penalty for a possible folded biologically active conformation is approximately $1.1 \mathrm{kcal} \mathrm{mol}^{-1}$ for URP but considerably smaller (approximately $0.6 \mathrm{kcal} \mathrm{mol}^{-1}$ ) for UII, probably because of ring/tail interactions in UII. This difference may be significant in determining different effects of the two peptides on binding to the Ull-receptor (UT2SR, UTR). The high similarity of ring conformations of UII and URP supports Brancaccio's finding ${ }^{127}$ that differences in the biological function are not related to differences in ring conformations. UII and URP show the same conformational main types as the structurally related GPCR-ligand $\mathrm{Arg}^{8}$-vasopressin. However, both prefer open-type conformations in solution, in strong contrast to AVP (70 \% folded conformations).

All thermodynamically accessible representative conformations of UII and URP can serve as templates for 3D ligand-based drug design or docking, the structural data are given in the Supporting Information (online).

The NMR data reported here supplement and complete published data. They include an almost complete assignment of the spectra of the cis-Pro ${ }^{3}$ isomers of UII. We have developed a novel and robust procedure to extract conformational equilibria from NMR data by combining experiment with enhanced sampling simulations.

The protocol was developed on AVP ${ }^{2}$ and tested here on UII and URP. It seems a powerful tool for exploring the conformational equilibria of intrinsically flexible peptides. In the case of UII and URP, we have used REMD to determine the calculated equilibrium concentrations, rather than the metadynamics procedure used for AVP. Future work will evaluate a variety of enhanced-sampling protocols in order to determine the most suitable for peptide conformational equilibria. The protocol tested and published ${ }^{2}$ for Arg $^{8}$-vasopressin and based on proton chemical shifts also yields well-defined predictions for UII and URP, here using REMD to determine the calculated equilibrium concentrations.

Unfortunately, we have little information about the lifetimes of the individual conformations. The conformational equilibria are fast on the NMR timescale but too slow for us to be able to sample them adequately in unbiased simulations.

Associated Content. Supporting Information. The Supporting Information is available free of charge on the ACS Publications website at DOI: 10.1021/acs.jcim.6b00706.

Details of MD simulations, conformational analysis, principal component analysis, NMR experiments, DFT calculations, REMD equilibrium models, ${ }^{13}$ C linear regression, sensitivity analysis of metrics, ${ }^{15} \mathrm{~N}$ linear regression, Tables of experimental and calculated ${ }^{1} \mathrm{H},{ }^{13} \mathrm{C},{ }^{15} \mathrm{~N}$ chemical shifts. (PDF). Coordinate files of representatives. (ZIP)

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## Chapter 7: Related Peptides and General Conformational Classification

The results in this section are not published yet.


Table of Content Graphic
(Representative conformations of OT)

## Foreword

The three preceding chapters showed how to characterise and study the conformation and dynamics of the cyclic peptide hormones AVP, UII and URP. For AVP, four representative conformations, open, clinched open, saddle and twisted saddle, were identified that can be classified as either open, without significant transannular hydrogen bonds, or folded, with saddlelike conformations that are stabilised by highly populated transannular hydrogen bonds and multiple turns comprising $\beta$-turns at residues $\mathrm{Phe}^{3}$ and $\mathrm{Gln}^{4}$. The four main conformations of AVP are highly similar to the open and folded conformations found for UII, lasso, omega-I, folded-I and folded-IVb2 (cf. Table 6.4). This suggests that a conformational classification in terms of common open and folded ring-state types may be generally applicable to cyclic peptides similar to AVP. To test this concept, the conformations of the related peptides oxytocin, deamino-oxytocin, and the
analogue carbetocin were clustered by analysis of long-scale MD simulations following the same protocols as for AVP, UII and URP. Supplementary Information for this chapter is given in Appendix 8.

## Molecular-Dynamics Simulations of OT, dOT and CT

Oxytocin. For OT, a total of $50 \mu \mathrm{~s}$ MD simulations were performed in four MD runs with different initial conformations: (i) a saddle conformation of OT from the X-ray structure, PDB ID: 1NPO (Fig. 2.2), (ii) an open conformation generated by a high-temperature (800K) short-scale MD simulation, (iii) a clinched open conformation modelled from the AVP representative T16_12 by mutating Phe ${ }^{3}$ to $\mathrm{Il}^{3}$ and $\mathrm{Arg}^{8}$ to Leu ${ }^{8}$, and (iv) a twisted saddle conformation modelled in the same way from the AVP representative T16_19. The coordinate files of the representative conformations of AVP were given as Online Supporting Information to Paper 1.

Deamino-Oxytocin. The X-ray structure PDB ID: 1XY1 (Fig. 2.1) of dOT was used as starting conformation for a single $3 \mu \mathrm{~s}$ MD simulation. This conformation resembled the ring-state type twisted saddle of AVP (Fig. 4.4).

Carbetocin. Starting conformations for CT were homology-modelled from the saddle and open conformations (i) and (ii) of OT (see above), and each conformation was simulated for $5 \mu \mathrm{~s}$.

Schemes of the primary structures of OT, dOT and CT are given in Chapter 2 (Scheme 2.1). Further simulation details of OT, dOT and CT are given in Table A8.1 (Appendix A8).

## Dynamics and Conformation of OT, dOT and CT

Figures of the RMSD and DASH state trajectories of the MD simulations are given in Appendix A8 (Figs. A8.1 to A8.7). DASH ring states, corresponding overall states and representative conformations for OT, dOT and CT (Table A8.2) and the mean angles of representatives (Table A8.3) are listed in Appendix A8.

Oxytocin. Two of the four MD simulations, OT_MD-I (Fig. A8.1) and OT_MD-IV (Fig. A8.4), show a transition between the main classes of open and folded ring-state types. Simulations OT_MD-II (Fig. A8.2) and OT_MD-III (Fig. A8.3) only show interconversions between open conformations. This indicates kinetic trapping, as already observed in the simulations of AVP, UII and URP, and
necessitates enhanced sampling to access relative populations of conformation. The tail frequently interconverts between extended and folded conformations giving similar RMSD plots as for AVP. Thus, its motion can be assumed to be independent. Future PC analyses can be performed to substantiate this observation. Extended tail conformations are significantly favoured (absolute populations of approximately 80-90 \%). The dynamics of OT seems very similar to AVP; however, the present results do not allow clear conclusions regarding the flexibility of OT compared to AVP. NMR modelling will show if the ratio of open and folded OT conformations differ from AVP. In principle, the same representative conformations as for AVP were identified for OT (open, clinched open, saddle, and twisted saddle). In addition, some significantly populated variants of open, clinched open and twisted saddle emerged:
(i) a 4,5 peptide bond rotamer of clinched open denoted as clinched open ${ }_{45 \text { pbr }}$ (clop 45pbr ) that was also found for AVP (Appendix A2 Fig. S2) but weakly populated,
(ii) a 2,3 peptide bond rotamer of the open (unfolded) ring-state type denoted as open 23pbr (Fig. 7.1) resembling the lasso conformation of UII (Fig. 6.1), and
(iii) a $3_{10}$-helix (1 to 5 ) variant (Fig. 7.2) of the twisted saddle conformation denoted as twisted saddle $e_{\text {helix }}$ comparable to the inverse-folded conformation of UII but with different screw-sense.

In simulation OT_MD-III (Fig. A8.3), a 3,4 peptide-bond rotamer of open ${ }_{23 p b r}$ denoted as open $2334 p b r$ (Fig. 7.3) was identified as a transient species and will be mentioned here because it corresponds to the lasso ${ }_{45 p b r}$ conformation, a representative of URP.


Figure 7.1a-c OT representative for the ring-state type open $2_{23 p b r}$. Open $_{23 p b r}$ is a peptide bond rotamer of the open ring-state type enabling hydrogen-bonding interactions with the sidechain carbonyl-O of $\mathrm{G} \mathrm{ln}^{4}$. The ring-state type open 23pbr $^{0}$ of OT corresponds to the ring-state type lasso of UII. Depiction: (a) backbone (sticks), sidechains (lines), disulphide bridge (sticks), nonpolar hydrogens hidden, residue numbers labelled, hydrogen bonding interaction (dashed line); (b) backbone (cartoon), sidechains (lines), disulphide bridge (lines), nonpolar hydrogens hidden, residue numbers labelled; (c) surface.


Figure 7.2a-c OT representative for the ring-state type twisted saddle ${ }_{h e l i x}$. Twisted saddle $e_{\text {helix }}$ is a variant of the twisted saddle ring-state type with $\sim 70 \%$ circular similarity of ring torsions. The ring adopts a $3_{10}-$ helical form comprising residues 1 to 5 with hydrogen bonds $\mathrm{Cys}^{1} \mathrm{O}-\mathrm{G} \mathrm{ln}^{4} \mathrm{H}$ and $\mathrm{Tyr}^{2} \mathrm{O}-\mathrm{Asn}{ }^{5} \mathrm{H}$. Depiction: (a) backbone (sticks), sidechains (lines), disulphide bridge (sticks), nonpolar hydrogens hidden, residue numbers labelled, hydrogen bonding interaction (dashed line); (b) backbone (cartoon), sidechains (lines), disulphide bridge (lines), nonpolar hydrogens hidden, residue numbers labelled; (c) surface.


Figure 7.3a-c Transient variant open $2_{2334 p b r}$ of the ring-state type open $23 p b r$. Open $2334 p b r$ is a peptide bond rotamer of the open ${ }_{23 p b r}$ ring-state and corresponds to the conformation type lasso ${ }_{45 p b r}$ of URP. Depiction: (a) backbone (sticks), sidechains (lines), disulphide bridge (sticks), nonpolar hydrogens hidden, residue numbers labelled, hydrogen bonding interaction (dashed line); (b) backbone (cartoon), sidechains (lines), disulphide bridge (lines), nonpolar hydrogens hidden, residue numbers labelled; (c) structure.

Deamino-Oxytocin. For dOT, only $3 \mu \mathrm{~s}$ MD simulations have been performed so far. The dynamics resembles simulation MD-IV of OT and only shows interconversions between the conformational type twisted saddle and its helical variant twisted saddle $e_{\text {helix, }}$, except for a transient occurrence of a conformation, denoted as open 23var $^{i}$, that corresponds to the scoop type of UII. The higher frequency of interconversions may indicate a higher flexibility of dOT. This may mean that the N -terminal $\mathrm{NH}_{3}{ }^{+}$ has a stabilising effect on the ring conformation. dOT is a superagonist compared to OT suggesting that flexibility may correspond to activity.

Carbetocin. The MD simulation, starting with the folded saddle conformation, soon interconverted to the ring-state type open followed by interconversions to open ${ }_{23 p b r}$ and clinched open ${ }_{45 p b r}$. The second MD simulation, starting with an open conformation, behaved inversely and the initial open conformation interconverted to the saddle type after $3 \mu \mathrm{~s}$. Hence, CT exhibits three of the four main ring-state types of AVP and OT, saddle, clinched open and open, only the twisted saddle type was not found yet.

[^26]Hydrogen-Bond Populations and Secondary-Structure Propensities. Hydrogen-bond populations and secondary-structure propensities of the representative conformations of OT, dOT and CT are given in Table 7.1. Values for AVP are added from Table 4.4 and 4.5 for comparison. Only populations higher than $10 \%$ are listed. The peptides of a particular ring-state type show similar hydrogen-bond and secondary-structure populations. This confirms that the two properties are suitable as diagnostic characteristics for ring-state types. It can nicely be seen how folded ring-state types exhibit highly populated transannular hydrogen bonds and well-defined turns in the ring, whereas the open ring-state types show no or only weakly populated $\beta$-turn centres and hydrogen bonds. The ring-state type variants, clinched open $4_{45 p b r}$ and open ${ }_{23 p b r}$ can position the residue $\mathrm{Gln}^{4}$ above the ring, which enables occasional interactions of the sidechain carboxy-O with amide protons of the ring.

Table 7.1 Hydrogen-bond populations (\%) and secondary-structure propensities (\%) of representative ring-state types of cyclic peptide hormones (AVP, OT, dOT, CT)


[^27]
## Comparison of AVP, OT, dOT and CT with UII and URP

UII and URP share the same motif of a cyclic 6-residue moiety with the peptide group of AVP, OT, dOT and CT. Their ring conformations can be classified similarly to the peptides as open (unfolded) or folded. However, their sequences, sequence lengths, the position of the ring within the sequence and the ratio of open and folded conformations differ significantly. The sequence similarity of AVP, OT, dOT and CT seems high enough to result in the same representative conformations (saddle, twisted saddle, clinched open, open and their variants). It has been shown for both groups of peptides that particular ring-state types can be characterised by their turn types and hydrogenbond populations and that turn centres differ distinctly for open and folded conformations. The question arises as to whether a general classification of conformations for peptide hormones with similar cyclic 6-residue motifs is possible based only on the positions of the turn centres (Fig. 7.4) in the ring independently of the sequence.


Figure 7.4 Conformational classification of peptide hormones with a 6-residue ring motif. Folded ring conformations show turns at residues $i+2$ and $i+3$, open (unfolded) ring conformations either at $i+1, i+2$ or $i+3, i+4$. The bridge is symbolised with $B$ and $B^{\prime}(=S$ for disulphide bridges).

To answer this question, a comprehensive analysis of the circular similarity of ring torsions $\Phi \Psi$ i+1 to $\mathrm{i}+4$ and $\Phi \mathrm{i}+5$ of all peptides studied in this work was performed (Table A8.4).

The striking result is the finding that almost all representative conformations of AVP-like peptides (AVP, OT, dOT, CT) can be assigned to representative conformations of UII and URP with ring torsion similarities of $>90 \%$. Ring-state subtypes scoop, lasso ${ }_{45 p b r}$ and folded-II/III of UII/URP were found for dOT and OT as transients. The ring-state subtype open of AVP, OT and CT was not found for UII
and URP but conformational variants were found (open 23pbr $=$ lasso, open 23var $^{*}=s c o o p$, open 2334pbr $=$ lasso $_{45 \mathrm{pbr}}$ ). Helical variants were identified for UII, OT and dOT, however, with different screwsenses.

In Tables 7.2 to 7.4, the assignment of representative ring-state types of AVP, OT, dOT and CT to representatives of UII and URP is illustrated. Table 7.2 includes the ring-state types of the folded class that all comprise residues $\mathrm{i}+2$ and $\mathrm{i}+3$ as turn centres. Tables 7.3 and 7.4 provide the ring-state types of the open class subdivided by conformations with turns centres at $i+1, i+2$ and $i+3, i+4$.

Table 7.2 Folded (saddle-like) ring-state types with turns centred at $\mathrm{i}+2, \mathrm{i}+3$ : a tabular assignment of representative conformations of AVP, OT, CT, dOT ( $\mathrm{i}=1$ ) to UII ( $\mathrm{i}=5$ ) and URP ( $\mathrm{i}=2$ )

| Ring-state types with turns centred at i+2,i+3 |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |
| saddle | folded-I | Turn Type | Hbonds ${ }^{\text {a }}$ > 70 \% | Circular Similarities |
| AVP, OT, CT |  | $\text { i+2,i+3 } \beta-1,$ <br> multiple turn i+1 to i+5/6 | ${ }^{i+1} \mathrm{O}-\left({ }^{(+4} \mathrm{H},{ }^{\text {i }}\right.$ + H$)$ | $\begin{array}{ll}\text { AVP/UII } & 93 \% \\ \text { OT/UII } & 94 \% \\ \text { CT/UII } & 95 \%\end{array}$ |
| twisted saddle | folded-IVb2, hybrid, sheet | Turn Type | Hbonds > 70 \% | Circular Similarities |
|  |  | i+2,i+3 $\beta$-II | ${ }^{i+1} \mathrm{O}-{ }^{\text {i }}$ + H | AVP/UII $95 \%$ <br> OT/UII $94 \%$ <br> dOT/UII $91 \%$ <br> AVP/URP $91 \%$ <br> OT/URP $92 \%$ <br> dOT/URP $91 \%$ <br> UII/URP $89 \%$ |
| saddle ${ }_{\text {var }}{ }^{*}$ | folded-III (folded-III) ${ }^{\text {b }}$ | Turn Type | Hbonds > 70 \% | Circular <br> Similarities |
|  |  | parallel sheet i+1 to i+5 | ${ }^{1} \mathrm{O}-\left({ }^{+3} \mathrm{H},{ }^{+1+4} \mathrm{H},{ }^{\text {i }}\right.$ + H$)$ | CT/UII $96 \%$ |
| twisted saddle ${ }_{\text {helix }}$ | (inv-folded) | Turn Type | Hbonds > 70 \% | Circular Similarities |
| от, dOT |  <br> UII | $3_{10}$-helix <br> i to i+4 |  | (OT/dOT 37 \%) <br> (dOT/UII $37 \%$ ) |

[^28]Table 7.3 Open (unfolded) ring-state types with turns centred at $i+1, i+2$ : a tabular assignment of representative conformations of AVP, OT, CT, dOT ( $\mathrm{i}=1$ ) to UII ( $\mathrm{i}=5$ ) and URP ( $\mathrm{i}=2$ )

| Ring-state types with turns centred at i+1,i+2 |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |
| open ${ }_{23 \text { bbr }}$ | lasso | Turn Type | $\begin{gathered} \text { Hbonds }^{\mathrm{a}}> \\ 70 \% \end{gathered}$ | Circular <br> Similarities |
| от, ст |  | i+1,i+2 ( $\beta$-1) | - | $\begin{array}{ll} \text { OT/UII } 92 \% \\ \text { CT/UII } & 91 \% \end{array}$ |
| open ${ }_{23 \mathrm{var}}{ }^{*}$ | scoop | Turn Type | Hbonds > 70 \% | Circular Similarities |
|  |  | i+1,i+2 $\beta$ - | $\left(\mathrm{O}_{\mathrm{i}} \mathrm{H}_{\mathrm{i}+3}\right)^{\text {b }}$ | OT/UII 72 \% |
| open 2334pbr $^{*}$ | lasso45pbr | Turn Type | Hbonds > 70 \% | Circular Similarities |
|  |  | $i+1, i+2 \beta-\mathrm{VIII}$ | - | OT/URP $94 \%$ |
| open |  | Turn Type | Hbonds > 70 \% | Circular Similarities |
|  | - | $(i+1, i+2,$ <br> undefined) | - | - |
|  | circle | Turn Type | Hbonds > $70 \%$ | Circular Similarities |
| - |  | (-) | - | - |

[^29]Table 7.4 Open (unfolded) ring-state types with turns centred at $i+3, i+4$ : a tabular assignment of representative conformations of AVP, OT, CT, dOT ( $\mathrm{i}=1$ ) to UII ( $\mathrm{i}=5$ ) and URP ( $\mathrm{i}=2$ )

## Ring-state types with turns centred at i+3,i+4

| clinched open | omega-I | Turn Type | Hbonds ${ }^{\text {a }}$ > 70 \% | Circular Similarities |
| :---: | :---: | :---: | :---: | :---: |
|  |  | $i+3, i+4 \beta-$ <br> I/VIII | _b | AVP/UII $88 \%$ <br> OT/UII $86 \%$ <br> AVP/URP $88 \%$ <br> OT/URP $86 \%$ |
| clinched open ${ }_{45 p b r}$ | omega-II | Turn Type | Hbonds > 70 \% | Circular <br> Similarities |
| AVP, OT, CT |  | i+3,i+4 $\beta$-II | - |   <br> AVP/UII $96 \%$ <br> OT/UII $95 \%$ <br> CT/UII $95 \%$ <br> AVP/URP $95 \%$ <br> OT/URP $94 \%$ <br> CT/URP $95 \%$ |

${ }^{\text {a }}$ Hydrogen-bond population. ${ }^{\mathrm{b}}$ Related to omega- $I_{a v}$

## Conformational Classification of Cyclic Peptide Hormones

## (with 6-residue ring moiety closed by a disulphide bridge)

The following general conformational classification is suggested based on the occurrence of highly similar ring conformations for all peptides studied in this work and the previous finding that the ring conformations are the principal conformational characteristic of these peptides ( $c f$. Chaps. 4 and 6):

1. Main Conformational Classes: Open and Folded. The ring conformations can be generally classified as either folded with highly populated transannular hydrogen bonds or open (unfolded) without significantly populated transannular hydrogen bonds. Folded (saddle-like) conformations always comprise residues $i+2$ and $i+3$ as turn centres, often as part of a multiple turn with highly populated transannular hydrogen bond(s) and well-defined $\beta$-turns. Unfolded (open) conformations exhibit turn centres at residues $i+1, i+2$ or $i+3, i+4$ and show no or only weakly populated transannular hydrogen bonds.

(Figure A7.4)
2. Ring-State Types. The main classes of open (unfolded) and folded (saddle-like) ring conformations comprise several conformational subtypes that are characterised by their turn centres, turn types and the population of transannular hydrogen bonds. Representative subtypes are denoted as ring-state types. Four relevant ring-state types have been identified for AVP:
saddle, twisted saddle, clinched open, open.
The MD simulations of OT revealed several variants of these ring-state types, e.g.: twisted saddle ${ }_{\text {helix, }}$, clinched open ${ }_{45 p b r,}$ open $_{23 p b r}$, open $_{2334 p b r}$

These variants are mainly peptide-bond rotamers of the four main ring-state types of AVP with similar backbone shapes. ' Highly similar ring-state types were also found for UII, e.g.:
folded-I (= saddle), folded-IVb2 (= twisted saddle), omega-I (= clinched open), omega-II (= clinched open ${ }_{45 \mathrm{pbr}}$ ), $\operatorname{lasso}\left(=\right.$ open $\left._{23 p b r}\right)$ and $\operatorname{lasso}_{45 p b r}\left(=\right.$ open $_{2334 p b r}{ }^{*}$, open)

[^30]An illustrated summary of the representative ring-state types of all peptides studied in this work is given in Tables 7.2 to 7.4. Detailed descriptions are given in the associated chapters.
3. Tail Conformations: Extended and Folded. The N- or C-terminal tails can be regarded as additional residue of the ring with individual conformation. The 3-and 4-membered tails of the investigated peptides adopt two main conformations, extended or folded. The extended form is usually favoured, most likely to minimise sterically hindrance. Ull's ring-state types, however, exhibits in part higher populated folded tail conformations. Folded tails comprise $\beta$-turns that include one of the bridge residues probably induced by the Pro-residues of the tails (cf. Scheme 4.2). Figures of representative tail conformations for AVP and UII are given in Figures 4.8 and 6.2.
4. Overall Conformations. Overall conformations can be described as combination of ring and tail conformations (cf. Table 4.7):
overall conformation $=$ ring conformation + tail conformation
For the majority of overall conformations, the tail moves essentially independently of the ring with more frequent interconversions but a correlation of ring and tail conformations cannot be excluded, as has been found for UII. It can be assumed that the probability of ring-tail interaction increases with tail length.

## Final Conclusions and Outlook

## Summary and Conclusions

Extensive $\mu s$-scale MD simulations were performed to study the conformational space of peptide hormones with a cyclic 6-residue moiety as putative bioactive motif.

Conformational Classification. A general classification of conformations of peptides with the above-mentioned ring motif has been proposed (Chap. 7) based on the identification of main conformations for AVP, OT, dOT, CT, UII and URP. A detailed description of representative conformations for each peptide studied was given (Chaps. 4-7) and their similarity was discussed (Chap. 7).

All peptides studied exhibit similar ring conformations, independent of their primary sequence. They can be assigned to two main classes of ring conformations: open and folded. The open class comprises largely unfolded ring conformations with turns centred at $\mathbf{i}+1, i+2$ or $i+3, i+4$ and no significantly populated transannular hydrogen bonds (Tables 7.3-7.4). The second class comprises strongly folded conformations and turns centred at residues $i+2, i+3$ with highly populated transannular hydrogen bonds (Table 7.2). The short N-terminal tail of AVP (3 residues) moves essentially independently of the ring and the same can be assumed for OT, dOT and CT. Peptides with these short N-terminal tails clearly prefer extended tail conformations. UII, however, exhibits several overall conformations where ring and tail (4 residues, C-terminal) are correlated, which might account for the different bioactivities of UII and URP (Chap. 5). The ring conformation is the main conformational characteristic of the cyclic peptides, which was proven by PCA; overall conformations can be regarded as modular combinations of ring and tail conformations (Chap. 4).

Conformational Equilibria in Aqueous Solution. The frequency of interconversions between main conformations in the MD simulations was too low to deduce equilibrium populations. The AMBER force field showed a clear bias towards main potential minima. For this reason, enhanced sampling was performed for AVP, UII and URP in the research groups of Prof. Clark (AVP, metadynamics) and Prof. Essex (UII/URP, replica exchange MD) that resulted in in silico approximations for equilibrium concentrations and confirmed the selection of representative conformations resulting from longscale MD simulations. A technique was developed and introduced to validate the in silico equilibria via direct comparison of DFT-calculated ${ }^{1} \mathrm{H}$ chemical shifts with the experimentally observable NMR chemical shifts (Chap. 5). Accordingly, the best approximation for AVP is an equilibrium of $70 \%$ folded (saddle-like) and $30 \%$ open (unfolded) conformations; for UII and URP, in contrast, open
conformations are favoured with open:folded ratio of 72:28 (UII) and 86:14 (URP). The results help explain the seemingly contradictory structural descriptions in the literature of either singleconformations and flexible, disordered conformations (a literature review was given in Tables 2.3 to 2.6): Single-conformation descriptions are in accord with the major conformations of the in silico equilibria, which is the folded saddle conformation for AVP and OT and the open omega-I (= clinched open) conformation for UII and URP; a structural description as flexible or disordered indicates fast interconversions of multiple conformations, which is confirmed by the in silico predictions in this thesis.

DASH. The analysis method DASH, used for clustering, proved to perform excellently for processing the demanding volumes of data and the user interface was optimised for application to AMBER trajectories (amberDASH).

NMR. Experimental ${ }^{15} \mathrm{~N}$ chemical shifts of AVP, UII and URP and the assignment of ${ }^{1} \mathrm{H},{ }^{13} \mathrm{C}$ and ${ }^{15} \mathrm{~N}$ chemical shifts of cis-Pro ${ }^{3}$-UII from this work (Appendices A2 and A3) complement published NMR data. ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shifts of AVP, UII and URP are in accord with NMR data in the literature. ${ }^{103,109,127}$

## Relevance and Outlook

Development of Validation Technique. The validation technique served well to predict the equilibrium populations of the peptides in this study and promises to be generally applicable to interpret NMR spectra of intrinsically flexible peptides or peptide sequences. For NMR-modelling of cyclic peptides, structurally related to the peptides in this work, it is recommended to choose a maximum number of representative subtypes, refined by their overall states with folded and extended tails, to model the main classes of open and folded conformations with maximum accuracy. However, the method needs to be developed further and several problems need to be addressed, e.g.: (i) The convergence problem of MD simulations. Even enhanced sampling does not guarantee convergence. However, the surprisingly consistent REMD-results for the ratio of main conformational types (open and folded) of UII and URP despite the non-convergence of the substate populations are promising. It suggests that reliable results can be expected as soon as the main conformational types are converged. Further convergence will refine the accuracy of the model but will not alter the magnitude of the ratio. Currently, enhanced-sampling protocols are tested for flexible peptides in the groups of Prof. Clark and Prof. Essex to find the most suitable one.
(ii) The significance of models needs further improvement, e.g. by model refinement via clustering of sidechain conformations. (iii) The reliability and general applicability of the method should be evaluated by further examples. Presently, OT is being processed.

Drug Design and Docking Calculations. The results are relevant for drug design and docking calculations as each thermodynamically stable conformer can be a bioactive conformation in terms of multi-allosteric interactions with the receptor. Even less populated conformations can be extracted continuously from a solution equilibrium (population shift). Thus, all representative conformations in this work (Chaps. 4-7) may offer templates for drug design and docking calculations and the general classification may help to predict main conformations of similar peptides. For drug design, one representative for each turn-centre in the ring should be chosen (cf. Fig. 7.4), e.g. a saddle (folded-l), an open $n_{23 p b r}$ (lasso) and a clinched open (omega-l) conformation. For docking simulations, at least one open and one folded conformation should be considered, e.g. an open $23 p b r$ and a saddle (folded-I) conformation. The conformational classification can also be used to define a reasonable selection of starting conformations for MD simulations of structurally related peptides via homology modelling.

Subsequent Simulations. AVP representatives of this work have already been established as initial conformations and reference for subsequent research projects. Saleh et al., for example, studied the binding free energy of the interaction between AVP and its renal receptor V2R with moleculardynamics simulations and metadynamics enhanced-sampling and suggested a three-site mechanism. ${ }^{28}$ The simulations revealed atomistic details of the bioactive conformations of AVP, yet unpublished: According to their simulations, AVP undergoes multiple conformational interconversions along the binding path. A vestibule and an intermediate site of V2R required folded conformations of AVP. However, the ligand interconverted to open conformations (mainly clinched open) frequently when crossing the barrier between intermediate and orthosteric site. The final conformation in the binding pocket found was a saddle conformation.

Flexibility. In the Introduction of this thesis it was mentioned that flexibility and even disorder may affect bioactivity. For the peptides investigated in this work, the ratio of open and folded conformations could serve as measure for their flexibility in terms of "the higher the population of folded conformations - the lower the disorder" or "the higher the population of open conformations - the higher the flexibility". This already characterises URP as being more flexible than UII and might be a further factor related to different bioactivities towards UTR. From experiments, it is known that AVP is more flexible ${ }^{101}$ than OT and a partial agonist of OTR. Calculations of OT equilibria are currently in progress. If the conformational equilibrium of OT is shifted to folded conformations
relative to AVP, its lower flexibility would be confirmed and could be related to AVP's agonism towards V2R. The same applies for dOT, a known super-agonist for OTR. The known order of agonistic activity ( $\mathrm{dOT}>\mathrm{OT}>\mathrm{AVP}$ ) towards OTR could be compared with their folded:open ratio of conformations in relation to flexibility. UII and URP, finally, show a significant preference of open conformations in solution in contrast to AVP, suggesting a significantly higher flexibility. Future simulations of ligand-receptor interactions may show if this notable property difference is implicated in different reaction paths.

Further Possible Projects. Even if the main conformational types of the 6-membered cyclic peptides seem to be quite independent of the residues, a correlation of the primary sequence to the open:folded conformational equilibrium, and thus the flexibility, is very likely. This putative relation could be studied by calculation of further open:folded equilibria of sequence mutants.

The present MD trajectories still provide plenty material for the study of further atomistic details. For example, in Chapter 4 (Paper 1), key-torsions for conformational interconversions were analysed for AVP. These may help understand the mechanisms of conformational interconversions, so that they can be used to define reaction coordinates. This approach could be pursued for the other peptides. Another example is the bridge, which was discussed for AVP (Chap. 4). Main conformational types of the bridges and a potential mutual interdependence with ring conformations should be analysed for all peptides to complete the conformational classification. As already mentioned, the clustering of sidechain conformations deems it necessary to improve the accuracy of in silico equilibrium models and, for this, suitable analysis protocols need to be tested. A further project, not completed yet, studies the cis/trans isomerisation of the proline residues in AVP and UII. First results for AVP indicate that a trans/cis-Pro ${ }^{7}$ interconversion via a single-path rotation of the peptide bond does not affect the ring conformation. Results may give insight into the implication of Pro cis/trans mutation for bioactivity.

## ApPENDICES

## A 1: Reprint Supporting Information Paper 1

The Supporting Information is available on the Springer Link Publications website at DOI:10.1007/s00894-014-2485-0.

## Supporting Information

## Conformation and Dynamics of 8-ArgVasopressin in Solution

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## Supporting Information

## Supplementary Tables

## Table S 1. Population and conformational characteristics of variants

Absolute populations refer to $11 \mu \mathrm{~s}(100 \%)$ and correspond to the absolute lifetime of each state during the whole simulation. The conformational characteristic of each ring state is given by its turns and hydrogen bonds (Hbonds).

| T16 | T10 | State p | ulation | Conformational characteristics |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| State | State | abs [ns] | abs [\%] | $\beta$-turn type ${ }^{[8]}$ | Turn center ${ }^{[b]}$ | H bonds |

intermediate saddle
(trajectory time-windows 1455-1466 and 1733-1759 ns)
hybrid conformation of T10_states 1 (saddle) and 8 (open)

| 11 | 3 | 38 | 0.3 | (VIII) | $(3,4)$ | no Hbonds |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |

variant I
(trajectory time-windows 5930-6017, 6090-6218, 8713-8804, 10209-10254, 10306-10320 ns

| $\mathbf{3 1 , 3 2 , 3 3}$ | 10 | 365 | 3.3 | III' (or I') | 3,4 | 2O5NH |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |

(trajectory time-windows 6017-6048, 10254-10306 ns)

| (trajectory time-windows 6017-6048, 10254-10306 ns) |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 34 | 11 | 88 | 0.8 | III' (or $\mathrm{I}^{\prime}$ ) | $3,4 / 2,3$ | $205 \mathrm{NH} / 104 \mathrm{NH}$ |

(trajectory time-window 5900-5930 ns)
possibly a hybrid conformation of T10_states 4 (clinched open) and 6 (twisted saddle)


## Supporting Information

Table S 2. DASH state trajectory of ring, overall and tail states

Ring (T10) and overall states (T16) are listed in their sequential order during the $11 \mu \mathrm{~s}$ MD simulation with their individual time-windows (bout lengths) and transition points (TS). States are grouped in correspondence to their common ring conformation. Conformational characteristics are given in terms of turn centers, $\beta$-turn types and hydrogen bonds. Parenthesis indicate either distorted ideal turns or only low populated hydrogen bond ( $\ll 50 \%$ on $11 \mu \mathrm{SMD}$ ). Tail states (T6) are not listed explicitly, but the percentage population of each possible tail conformation is given relative to main ring conformations (open, saddle, clinched saddle, and twisted saddle).


## Supporting Information

| Bout <br> [ns] | $\begin{gathered} \hline \text { TS } \\ {[\mathrm{ns}]} \\ \hline \end{gathered}$ | max <br> OCC | Turn | Hbond | $\begin{gathered} \hline \mathrm{T} 10 \\ \text { states } \end{gathered}$ | $\begin{gathered} \mathrm{T} 16 \\ \text { states } \end{gathered}$ | $\begin{gathered} \hline \mathrm{T6}^{[a]} \\ \text { states } \\ \hline \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 257 | 7105 | * | 4,5 (VIII) | (306H) | 4 | 12,13,14 |  |
| 47 | 7151 |  |  |  | 5 | 17 |  |
| 14 | 7165 |  |  |  | 4 | 13 |  |
| 22 | 7187 |  |  |  | 5 | 22 |  |
|  |  |  | twisted saddle (7187-11000 ns) |  |  |  |  |
| 186 | 7372 |  |  |  | 6 | 19.2 |  |
| 37 | 7409 |  |  |  | 7 | 24 |  |
| 114 | 7523 |  |  |  | 6 | 19,20 |  |
| 14 | 7537 |  |  |  | 7 | 24 |  |
| 12 | 7548 |  |  |  | 6 | 19 |  |
| 12 | 7560 |  |  |  | 7 | 24 |  |
| 22 | 7581 |  |  |  | 6 | 19 |  |
| 190 | 7771 |  |  |  | 7 | 24,25,26 |  |
| 107 | 7878 |  |  |  | 6 | 19,20 |  |
| 90 | 7968 |  |  |  | 7 | 24,25 |  |
| 89 | 8057 |  |  |  | 6 | 19,20 |  |
| 255 | 8312 |  |  |  | 7 | 23,24,26 |  |
| 402 | 8713 | * | 3,4 II | 2 O H | 6 | 19,20,21,22 |  |
| 91 | 8804 |  |  |  | 10 | 31,32 |  |
| 26 | 8830 |  |  |  | 6 | 20 |  |
| 17 | 8847 |  |  |  | 7 | 24 |  |
| 233 | 9080 |  |  |  | 6 | 19 |  |
| 14 | 9094 |  |  |  | 7 | 24 | 83.4\% extended |
| 12 | 9106 |  |  |  | 6 | 20 | 15.3\% 7,8-b-turn type II |
| 155 | 9260 |  |  |  | 7 | 24,25 | $1.2 \%$ distorted turn |
| 65 | 9325 |  |  |  | 6 | 19 | 0.3 \% 7,8-b-turn type I |
| 26 | 9350 |  |  |  | 7 | 24 |  |
| 80 | 9430 |  |  |  | 6 | 19,20 |  |
| 194 | 9624 | * | 3,4 II | 2 OH | 7 | 24,25,26 |  |
| 320 | 9943 |  |  |  | 6 | 19,21,22 |  |
| 39 | 9982 |  |  |  | 7 | 24 |  |
| 52 | 10034 |  |  |  | 6 | 19 |  |
| 141 | 10174 |  |  |  | 7 | 24 |  |
| 35 | 10209 |  |  |  | 6 | 19,20 |  |
| 45 | 10254 |  |  |  | 10 | 31 |  |
| 52 | 10306 | * | 3,4 III' (or I') |  | 11 | 34 |  |
| 14 | 10320 |  |  |  | 10 | 31 |  |
| 111 | 10430 |  |  |  | 6 | 19,20 |  |
| 92 | 10522 |  |  |  | 7 | 24,25,26 |  |
| 109 | 10631 |  |  |  | 6 | 19,20 |  |
| 120 | 10751 |  |  |  | 7 | 24 |  |
| 227 | 10978 |  |  |  | 6 | 19,21,22 |  |
| 23 | 11001 |  |  |  | 7 | 24 |  |

## Supporting Information

Table S 3. RMSD differences [ $\AA$ ] between representative ring states (T10)

This table supplements Figure 3 ("Main ring conformations of 8-Arg-vasopressin")

| T10 ring states | $\mathbf{8}$ | $\mathbf{9}$ | $\mathbf{1}$ | $\mathbf{2}$ | $\mathbf{4}$ | $\mathbf{5}$ | 6 | $\mathbf{7}$ |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | open | open | saddle | saddle | cl.open | cl.open | tw.saddle | tw.saddle |
| open | 8 | 0 | 0.233 | 1.004 | 1.050 | 1.812 | 1.833 | 1.311 | 1.378 |
| open | 9 |  | 0 | 0.938 | 1.019 | 1.713 | 1.806 | 1.132 | 1.200 |
| saddle | 1 |  |  | 0 | 0.169 | 2.193 | 2.145 | 0.946 | 0.833 |
| saddle | 2 |  |  |  | 0 | 2.234 | 2.167 | 1.0744 | 0.966 |
| cl.open | 4 |  |  |  |  | 0 | 0.173 | 1.661 | 1.903 |
| cl.open | 5 |  |  |  |  |  | 0 | 1.682 | 1.920 |
| tw.saddle | 6 |  |  |  |  |  |  | 0 | 0.251 |
| tw.saddle | 7 |  |  |  |  |  |  | 0 |  |

$\bar{T} 10$ state $=$ representative ring conformation resu ting from a DASH andilysis of backibone dihedrals $\Phi / \psi 2$ to 6; d.open $=$ clinched
open; tw.saddle $=$ twisted saddle

Table S 4. Dihedral angles $\Phi / \Psi$ and $\beta$-turns

Listed are the mean torsion angle ensembles for each representative ring conformation and the corresponding ideal $\beta$-type torsions.

| T10 ${ }^{\text {a }}$ | Torsion angle ['] |  |  |  |  |  |  |  |  |  | Turns |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| state | $\begin{gathered} \mathrm{Tyr}^{2} \\ \Phi \\ \hline \end{gathered}$ | $\begin{gathered} \text { Tyr² }^{2} \\ \\ \hline \end{gathered}$ | $\begin{gathered} \text { Phe } \\ \hline \text { D } \\ \hline \end{gathered}$ | Phe ${ }^{3}$ | $\begin{array}{r} \mathrm{Gln}^{4} \\ \Phi \\ \hline \end{array}$ | $\begin{array}{r} \mathrm{Gln}^{4} \\ \Psi \\ \hline \end{array}$ | $\begin{array}{r} \text { Asn }^{5} \\ \Phi \\ \hline \end{array}$ | $\begin{array}{r} \text { Asn } \\ \psi \\ \hline \end{array}$ | $\begin{array}{r} \mathrm{Cys}^{6} \\ \Phi \\ \hline \end{array}$ | $\begin{array}{r} \text { Cys }^{6} \\ 4 \\ \hline \end{array}$ | center | type |
| open (13.2\%) |  |  |  |  |  |  |  |  |  |  |  |  |
| 8 | -112.54 | 134.53 | 55.31 | 3.41 | -135.33 | 152.15 | -75.09 | 124.68 | -127.16 | 148.39 |  |  |
| StdDev | 37.81 | 18.46 | 9.08 | 31.34 | 23.92 | 18.2 | 18.32 | 32.08 | 31.88 | 23.33 |  |  |
| 9 | -98.98 | 129.37 | 56.09 | 0.76 | -135.73 | 153.49 | -66.41 | 113.78 | -55.29 | 126.93 |  |  |
| StdDev | 54.64 | 26.48 | 9.27 | 31.72 | 23.88 | 23.1 | 31.29 | 80.23 | 61.52 | 40.84 |  |  |
| saddle (40.1\%) ${ }^{\text {b }}$ |  |  |  |  |  |  |  |  |  |  |  |  |
| 1 | -80.2 | 143.87 | -62.88 | -21.36 | -86.73 | -7.38 | -113.37 | -27.13 | -126.42 | 133.12 |  |  |
| StdDev | 20.52 | 12.37 | 9.44 | 13.4 | 17.2 | 16.94 | 21.14 | 22.14 | 20.16 | 33.23 |  |  |
|  |  |  | -60 | -30 | -90 | 0 |  |  |  |  | 3,4 | type I |
|  |  |  |  |  | -60 | -30 | -90 | 0 |  |  | 4,5 | (type I) |
| 2 | -84.29 | 147.09 | -57.99 | -27.01 | -85.13 | -7.63 | -122.03 | -6.72 | -60.49 | 142.38 |  |  |
| StdDev | 23.05 | 13.93 | 10.95 | 15.59 | 17.53 | 16.62 | 20.55 | 41.47 | 32.18 | 24.51 |  |  |
|  |  |  | -60 | -30 | -90 | 0 |  |  |  |  | 3,4 | type I |
|  |  |  |  |  | -60 | -30 | -90 | 0 |  |  | 4,5 | (type I) |
| clinched open (6.9\%) |  |  |  |  |  |  |  |  |  |  |  |  |
| 4 | -95.37 | -19 | -101.27 | 156.57 | -67.65 | -19.06 | -112.46 | 86.89 | -117.42 | 145.84 |  |  |
| StdDev | 28.15 | 22.75 | 29.46 | 14.56 | 16.85 | 23.84 | 28.66 | 61.3 | 36.21 | 21.54 |  |  |
|  |  |  |  |  | -60 | -30 | -120 | 120 |  |  | 4,5 | type VIII |
| 5 | -90.52 | -18.35 | -116.2 | 151.18 | -68.06 | -20.5 | -88.17 | 14.01 | -82.72 | 144.88 |  |  |
| StdDev | 28.3 | 18.64 | 30.65 | 13.16 | 22.02 | 26.74 | 20.39 | 33.03 | 29.6 | 16.17 |  |  |
|  |  |  |  |  | -60 | -30 | -90 | 0 |  |  | 1,5 | type I |


| ddile (35.1\%) |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 6 | -86.02 | 162.33 | -52.48 | 127.66 | 55.04 | 12.34 | -107.29 | -7.44 | -122.17 | $\begin{array}{r} 144.18 \\ 23.53 \end{array}$ |  | type II |
| stdDev | 29.44 | 13.88 | 16.16 | 14.69 | 9.01 | 21.14 | 29.86 | 48.29 | 28.23 |  | 3,4 |  |
|  |  |  | -60 | 120 | 80 | 0 |  |  |  |  |  |  |
| 7 | -115.65 | 174.87 | -52.78 | 129.79 | 57.39 | 8.38 | -114.1 | -16.45 | -70.67 | 148.3 |  |  |
| StdDev | 24.26 | 19.63 | 19 | 13.91 | 8.24 | 20.56 | 25.07 | 29.84 | 19.33 | 13.72 |  |  |
|  |  |  | 60 | 120 | 80 | 0 |  |  |  |  | 3,4 | type II |
| Intermediate saddife (0.3\%) |  |  |  |  |  |  |  |  |  |  |  |  |
| 3 | -68.56 | 163.21 | -72.91 | -0.62 | -125.2 | 146.92 | 26.03 | 63.46 | -105.36 | 135.68 |  |  |
| StdDev | 13.39 | 18.34 | 10.4 | 21.2 | 24.04 | 15.76 | 51.49 | 53.77 | 36.37 | 21.37 |  |  |
|  |  |  | -60 | -30 | -120 | 120 |  |  |  |  | 3,4 | (type VIII) |
| variant 1(3.3\%) |  |  |  |  |  |  |  |  |  |  |  |  |
| 10 | -83.42 | 142.17 | 50.15 | 31.15 | 53.69 | 20.44 | -102.4 | 67.7 | -109.12 | 150.49 |  |  |
| StdDev | 35.83 | 15.34 | 8.86 | 19.44 | 16.39 | 18.56 | 27.79 | 60.36 | 34.19 | 20.15 |  |  |
|  | -90 | 120 | 60 | 30 | 60 | 30 | -90 | 60 | -120 | $(120,0)$ | 3,4 | type III' |
|  |  |  | 60 | 30 | 90 | 0 |  |  |  |  | 3,4 | (type P') |
| variant $\boldsymbol{\\|}$ ( $0.8 \%$ ) |  |  |  |  |  |  |  |  |  |  |  |  |
| 11 | -72.18 | 142.55 | 49.74 | 32.67 | 56.77 | 17.51 | -122.61 | 118.01 | -94.72 | 143.74 |  |  |
| StdDev | 25.09 | 13.26 | 7.79 | 11.24 | 6.91 | 20.65 | 26.37 | 21.41 | 22.96 | 21.72 |  |  |
|  | -60 | 120 | 60 | 30 | 60 | 30 | -120 | 120 | -90 | 120 | 3,4 | type III' |
|  |  |  | 60 | 30 | 90 | 0 |  |  |  |  | 3,4 | (type 19) |
|  | -60 | 120 | 80 | 0 |  |  |  |  |  |  | 2,3 | (type III) |
| variant III (0.3\%) |  |  |  |  |  |  |  |  |  |  |  |  |
| 12 | -82.3 | 158.41 | 60.66 | 170.49 | -76.27 | -19.49 | -113.78 | 103.37 | -79.86 | 137.76 |  |  |
| StdDev | 24.16 | 18.87 | 7.43 | 21.95 | 17.98 | 22.45 | 29.57 | 68.16 | 30.38 | 15.54 |  |  |
|  | -60 | 120 | 80 | 0 | -80 | 0 | -120 | 120 | -60 | 120 | 2,3 | (type III) |

Table S 5. Key torsions and torsion differences of main ring conformations of 8-Arg-vasopressin

The main ring conformations are represented by the major DASH ring state each.

|  | T10 state n | $\begin{array}{r} \text { key } \\ \text { torsion } \end{array}$ | open <br> $\Delta$ tors <br> [ n$]$-[8] | $\begin{array}{r} \text { key } \\ \text { torsion } \end{array}$ | saddle $\Delta$ tors [n]-[1] | key torsion | cl.open $\Delta$ tors [n]-[4] |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| saddle | 1 | Ф3 | -118.19 |  |  |  |  |
|  |  | $\Psi 4$ | -159.53 |  |  |  |  |
|  |  | $\Psi 5$ | -151.81 |  |  |  |  |
| cl.open | 4 | $\Psi 2$ | -153.53 | $\Psi 2$ | 162.87 |  |  |
|  |  | Ф3 | -156.58 | $\Psi 3$ | 177.93 |  |  |
|  |  | $\Psi 3$ | 153.16 | $\Psi 5$ | 114.02 |  |  |
|  |  | $\Psi 4$ | -171.21 |  |  |  |  |
| tw.saddle | 6 | Ф3 | -107.79 | $\Psi 3$ | 149.02 | $\Psi 2$ | 181.33 |
|  |  | $\Psi 3$ | 124.25 | Ф4 | 141.77 | Ф4 | 122.69 |
|  |  | Ф4 | 190.37 |  |  | $\Psi 5$ | -94.33 |
|  |  | $\Psi 4$ | -139.81 |  |  |  |  |
|  |  | $\Psi 5$ | -132.12 |  |  |  |  |

tors $=$ torsion difference of key torsions in [ ${ }^{\circ}$ ] between interconverting ring conformations, $\mathrm{n}=$ state
number, $\mathrm{T} 10=$ DASH ring state analysis of ring torsions $\Phi / \Psi 2$ to 9 , cl.open $=$ clinched open, tw.saddle $=$ twisted saddle

## Supplementary Figures

## Figure S 1. Conformational variants

a

c

b

d


Figure S 1. Conformational variants of 8-Arg-vasopressin during $11 \mu \mathrm{~S}$ MD that are not exactly assignable to a main conformational group (open, saddle, clinched open or twisted saddle). The states result from a DASH state analysis of backbone dihedrals $\Phi / \Psi 2$ to 9 . Populations are given in parenthesis and refer to $11 \mu \mathrm{~S}$ MD simulation.

## Supporting Information

Figure S 2. DASH torsion-angle ensembles for the main ring conformations


Figure S 2. DASH torsion angle ensembles for the main ring conformations of 8-Argvasopressin open, saddle, clinched open and twisted saddle. Each conformational group is represented by two ring states resulting from a DASH analysis of ring torsions $\Phi / \Psi 2$ to 6 (T10). The minor state is depicted as dashed line.

Figure S 3. DASH torsion-angle ensembles for all tail conformations


Figure S 3. DASH torsion angle ensembles for all tail conformations of 8-Arg-vasopressin on $11 \mu \mathrm{~s}$ MD. Extended and $\beta$-turn type II tail conformations are represented by two ring states each, distorted and type I by one single state. The states resulting from a DASH analysis of ring torsions $\Phi / \Psi 7$ to 8 . Minor states are depicted as dashed lines. In addition the $\mathrm{i}+\mathbf{1}, \mathrm{i}+2$ torsions of an ideal $\beta$-turn type II (red) and type I (yellow) are given as dotted lines in the diagram of the distorted turn conformation.

## Supplementary Information: Methods

## DASH state analysis

To classify the relevant conformational states, the data density of the $11 \mu \mathrm{~s} \mathrm{MD}$ trajectory was reduced to 22,000 snapshots ( 2 snapshot/ns). To determine the overall states, torsion angles phipsi 2 to 9 were analysed. Referring to the total number of 16 torsions analysed, this analysis setup was called T16. The default bout length (time-window) of 20 frames was chosen meaning that a torsion angle ensemble has to persist/exist a minimum time of here 10 ns on the $11 \mu \mathrm{~s}$ MD trajectory to be considered as representative conformational state. The DASH analysis was run within AmberDASH, an interface that extracts torsions angles from AMBER netcdf trajectories followed by a DASH analysis and a final extraction of representatives for each state in PDB format. Representative ring conformations were determined by reducing the 16 overall torsions to the 10 ring torsions phipsi 2 to 6 using the same parameters as for the T16 analysis. This setup was denoted T10 referring to the number of analyzed torsions. Finally a separate analysis of 6 tail torsions phipsi 7 to 9 was made (T6), again with consisten parameters. As representative of a the DASH state, the frame/snapshot with the highest similarity to a given DASH state mean angle ensemble was chosen and output as PDB structure.

## Ptraj

Trajectories of conformational data like root mean square deviations (RMSD) and radii of gyration (RadGyr) were calculated using Ptraj, the analysis tools of AMBER tools ${ }^{[31]}$ within the AMBER program package ${ }^{[30]}$.

## Hbond-analysis

Hydrogen bonding interactions between all backbone amide N and H atoms, and all carbonyl O atoms were calculated via Ptraj Hbond analysis. This analysis measures distances and angles between triplets of atoms ${ }^{[31]}$ and calculates the procentual occurance of hydrogen bonds over a considered simulation period. Here, a hydrogen bond is defined by a maximum OH distance of $3.5 \AA$ and a O..H..N cutoff angle of $120^{\circ}$. A total input data sets was created taking every 100th frame of the $11 \mu s$ trajectory. Trajectory time-windows referring to representative conformational ring states were analyzed separately.

## Secondary structure analysis

The secondary structure was calculated for the atom selection backbone $\mathrm{C} \alpha$-atoms 1-9 using the DSSP method (define secondary structure of proteins) of Kabsch \& Sander ${ }^{[43]}$ via Ptraj. Every trajectory time-window referring to a conformational ring state was analyzed separately taking every 100th frame.

## Supporting Information

## Animated Multimedia Application

## Video S 1. $\mathbf{1 1}$ بs Molecular Dynamics of 8-Arg-Vasopressin in Water at 300 K

The simulation starts with the open 1YF4 conformation. Significant transitions of ring conformations are at $1.4 \mu \mathrm{~s}$ (open/saddle), $5.9 \mu \mathrm{~s}$ (saddle/variants), $6.4 \mu \mathrm{~s}$ (variants/clinched open), and $7.1 \mu$ (clinched open/twisted saddle). Depiction: backbone C $\alpha$ 1-9 $=$ cartoon; side chains = lines; $\mathrm{Tyr}^{2} \mathrm{O} / \mathrm{Phe}^{3} \mathrm{O} / \mathrm{Asn}^{5} \mathrm{NH}=$ spheres ( O red, H white); water molecules are not shown.

File: AVP VideoClip.MP4

## Interactive 3D-plots of Principle Components

Interactive 3D-plots of the first four PCs are given as HTML-pages in the Supporting Material. Simply download and unzip the folder below and doubleclick the html-files to open in your standard browser.

Zip-Folder: torsions_3D_PCA_Plots.zip

DASH States (PDB)

## T16 overall states

Representative overall states of 8-Arg-Vasopressin

Zip-Folder: T16_states.zip

T10 ring states

Representative ring states of 8-Arg-Vasopressin

Zip-Folder: T10_states.zip

T6 tail states

Representative ring states of 8-Arg-Vasopressin

Zip-Folder: T10_states.zip

## A 2: Reprint Supporting Information Paper 2

The Supporting Information is available on the ACS Publications website at DOI: 10.1021/acs.jcim.6b00344.

## Supporting Information

## Can Simulations and Modeling Decipher NMR Data for Conformational Equilibria? Arginine-Vasopressin

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## Supporting Information

## Computational details

Long-scale molecular dynamics simulation

Table S1 Parameters for the unrestrained long-scale molecular-dynamics simulation of $\mathrm{Arg}^{8}$-vasopressin

| Force field | $\mathrm{ffg9SB}^{1}$ (Amber 10, Amber 14 CUDA) ${ }^{2}$ |
| :---: | :---: |
| Initial conformation | open (PDB ID: 1YF4); ${ }^{3}$ neutralized with $2 \mathrm{Cl}^{-}$(ions08. lib, frcmod.ionsjc_tip4pew ${ }^{4,5}$ ) |
| Solvation | explicit, TIP4PEw, ${ }^{6}$ truncated octahedral box |
| Temperature and Pressure | $\mathrm{T}=300 \mathrm{~K}, \mathrm{p}=1 \mathrm{bar}$ (Berendsen coupling, ${ }^{7} 1.0 \mathrm{ps} \mathrm{external} \mathrm{heath} \mathrm{bath)}$ |
| Minimization | 8,945 steps: 500 steps steepest-descent followed by conjugate-gradient method |
| Molecular dynamics | 2 fs time steps, SHAKE algorithm, ${ }^{8} 8.0$ Å non-bonded cut-off, Particle Mesh Ewald method, ${ }^{9}$ periodic boundary conditions |
| Simulation time | 23,000 ns |

## Representative conformations of $\mathrm{Arg}^{8}$-vasopressin

Analysis of the conformational space of $11 \mu \mathrm{~S}$ MD simulation revealed 4 main ring conformations for AVP: open, saddle, clinched open, twisted saddle. A detailed description of the conformations has been published previously. ${ }^{10}$

The most populated overall state of each cluster (ring-state type, main ring conformation) was chosen as representative for further DFT and NMR calculations; saddle and clinched open each of with extended and folded tail. The mean torsions of the representatives are given in Table S2.

Table S2 Mean backbone torsions and standard deviations ( $\pm$ ) of representative conformationas of $\mathrm{Arg}^{8}$-vasopressin

| Tyr ${ }^{2}$ | phi | saddle $_{\text {ext }}$ <br> state ${ }^{\text {a }}$ |  | saddle $_{\text {folt }}$ <br> state6 |  | cl.open $_{\text {ext }}$ <br> state12 |  | cl.open $n_{\text {fott }}$ state14 |  | tw.saddle state19 |  | open <br> state27 |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | -80.9 | $\pm 21.4$ | -78.5 | $\pm 18.5$ | -101.2 | $\pm 28.8$ | -86.8 | $\pm 25.4$ | -84.6 | $\pm 29.0$ | -112.0 | $\pm 37.9$ |
|  | psi | 144.2 | $\pm 12.8$ | 143.2 | $\pm 11.6$ | -16.4 | $\pm 23.3$ | -22.9 | $\pm 21.1$ | 162.1 | $\pm 13.1$ | 134.6 | $\pm 18.8$ |
| Phe ${ }^{3}$ | phi | -63.0 | $\pm 9.5$ | -62.7 | $\pm 9.1$ | -99.9 | $\pm 32.8$ | -106.6 | $\pm 26.0$ | -52.0 | $\pm 16.8$ | 54.9 | $\pm 12.0$ |
|  | psi | -20.7 | $\pm 13.6$ | -22.5 | $\pm 12.5$ | 157.4 | $\pm 13.5$ | 154.5 | $\pm 16.0$ | 127.3 | $\pm 15.1$ | 4.4 | $\pm 31.3$ |
| $\mathrm{Gln}^{4}$ | phi | -86.5 | $\pm 17.4$ | -89.2 | $\pm 16.3$ | -66.4 | $\pm 18.0$ | -69.4 | $\pm 11.3$ | 55.0 | $\pm 8.4$ | -135.9 | $\pm 23.8$ |
|  | psi | -7.6 | $\pm 17.8$ | -4.7 | $\pm 16.5$ | -18.2 | $\pm 25.7$ | -21.8 | $\pm 18.7$ | 12.4 | $\pm 21.1$ | 151.6 | $\pm 19.2$ |
| $A s n^{5}$ | phi | -113.3 | $\pm 21.2$ | -113.8 | $\pm 21.0$ | -112.1 | $\pm 27.8$ | -109.9 | $\pm 30.4$ | -106.1 | $\pm 29.4$ | -75.4 | $\pm 19.8$ |
|  | psi | -27.4 | $\pm 21.8$ | -26.4 | $\pm 23.3$ | 74.5 | $\pm 62.7$ | 92.8 | $\pm 57.7$ | -8.7 | $\pm 47.3$ | 124.7 | $\pm 31.9$ |
| Cys ${ }^{\text {b }}$ | phi | -126.3 | $\pm 20.0$ | -126.6 | $\pm 21.0$ | -111.1 | $\pm 34.9$ | -117.3 | $\pm 38.9$ | -120.8 | $\pm 28.3$ | -128.8 | $\pm 30.4$ |
|  | psi | 132.7 | $\pm 34.5$ | 139.8 | $\pm 23.1$ | 145.9 | $\pm 19.2$ | 145.6 | $\pm 20.1$ | 143.8 | $\pm 24.2$ | 149.0 | $\pm 22.7$ |
| Pro ${ }^{7}$ | phi | -67.8 | $\pm 11.3$ | -64.6 | $\pm 11.1$ | -66.3 | $\pm 11.1$ | -64.8 | $\pm 11.5$ | -67.7 | $\pm 11.2$ | -67.5 | $\pm 11.5$ |
|  | psi | -63.0 | $\pm 11.3$ | -62.7 | $\pm 11.3$ | -99.9 | $\pm 32.8$ | -106.6 | $\pm 26.0$ | -52.0 | $\pm 16.8$ | 53.3 | $\pm 12.0$ |
| $\mathrm{Arg}^{8}$ | phi | -20.8 | $\pm 13.8$ | 150.3 | $\pm 12.5$ | 150.3 | $\pm 16.0$ | 150.3 | $\pm 16.0$ | 127.3 | $\pm 15.1$ | 4.4 | $\pm 31.3$ |
|  | psi | -86.5 | $\pm 17.4$ | -89.2 | $\pm 16.3$ | -69.4 | $\pm 18.0$ | -69.4 | $\pm 11.3$ | 55.0 | $\pm 8.4$ | -135.9 | $\pm 23.8$ |

Abbreviations: clinched (cl.); twisted (tw.); ext (extended); fold (folded)

## Supporting Information

After extending the MD-simulation to $23 \mu \mathrm{~s}$, the conformational space was again clustered using DASH ${ }^{11}$. The resulting representatives were assigned to the former representatives already defined for the first $11 \mu \mathrm{~s}$ of the MD simulation via circular similarity of backbone torsions in order to ensure consistency. From the $23 \mu \mathrm{~s}$ MD simulation the representatives of the five most populated ring state types were chosen in order to calculate their free energies and populations. The first four clusters were the already identified main conformations from the $11 \mu \mathrm{~s} \mathrm{MD}$; the additional conformation (variants) was seen for the first time after $11 \mu \mathrm{~s}$. Variants is a clinched open variant; a rotamer of the peptide-bond between residue GIn ${ }^{4}$ and $\mathrm{Asn}^{5}$ of the clinched open conformation (Figure S1). Variants was added to the selection, although low populated in the simulation, because it occurred only once and at the end of the $23 \mu$ simulation with no following interconversion. Thus, it could not be ruled out that this cluster might be another main cluster of AVP. However, the thermodynamic calculations (metadynamics) showed that the conformation is the least stable (cf. main text) and it was not considered further for DFT-NMRcalculations.


Figure S1 Representative for the ring-state type variants (grey). Left: stick depiction of variants. Right: cartoon depiction of variants and ring alignment with the representative for clinched open (blue).
Variants is a 4,5 peptide-bond rotamer of clinched open as illustrated in the zoom. The conformation variants occurred for the first time at the end of $23 \mu \mathrm{~s}$ MD simulation of $\mathrm{Arg}^{8}$-vasopressin and is expected to be populated insignificantly in aqueous solution according to thermodynamic calculations.

Cartesian coordinates of the B3LYP/6-31G(d) optimized geometries are given below as Gaussian Archive Entries.

## Supporting Information

## Metadynamics simulations

We used a combination of metadynamics, ${ }^{12,13}$ in its well-tempered variant (WT), ${ }^{14}$ the multiple-walker technique ${ }^{15}$ and the path collective variable ( PCV$)^{16,17}$ to determine the free-energy differences between AVP conformations (identified from the $23 \mu$ strajectory) in water. Four main ring conformers identified previously ${ }^{10}$ and one new found in the extended $23 \mu \mathrm{~s}$ MD simulation were used as starting geometries for the metadynamics simulations. The PCV used was a numerical assignment to the most similar AVP conformer based on the RMSD of the backbone atoms of the ring residues. An analysis of the unbiased $23 \mu \mathrm{~s}$ MD trajectory using this PCV showed that $90 \%$ of the frames can be uniquely assigned to one of the five ring conformers. We were therefore able to use this single PCV for the metadynamics simulation.

The simulation boxes and topologies used for the AMBER MD simulations were converted to GROMACS ${ }^{18}$ format. The simulation configuration used the same water model, temperature and thermodynamic ensemble as the reference unbiased simulation. Particle mesh Ewald (PME) was used to treat electrostatic interactions, using a cut-off distance of 1.0 nm and each of the five models were equilibrated for 20 ns . Gaussian hills with an initial height of $0.6 \mathrm{kcal} \mathrm{mol}^{-1}$ applied every ps were used. The Gaussian functions were rescaled in the WT scheme using a bias factor of 10 . The metadynamics simulations were performed using GROMACS with the PLUMED plug-in. ${ }^{19}$

## Supporting Information

## Calculation of chemical shifts and correlation with experimental values

Representative structures were taken from the $23 \mu \mathrm{~S}$ MD simulation and optimized using the B3LYP hybrid density functional, ${ }^{20}$ the $6-31 \mathrm{G}(\mathrm{d})$ basis set ${ }^{21}$ and the default polarizable continuum model (PCM) for water solvent using Gaussian09. ${ }^{22}$ These optimized structures were then used to calculate ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shifts using the GIAO formalism, ${ }^{23}$ again with PCM-water. The chemical shifts were obtained from the calculated magnetic shielding using the correlation formulae given in the main text. These formulae were obtained by linear regression of a training set of experimental chemical shifts ${ }^{24}$ and the corresponding shielding values at level B3LYP/6-31G* with PCM-water (Figure S2).


Figure S2 Linear regression of magnetic shielding at level B3LYP/6-31G(d) with PCM water and a training set of experimental chemical shifts (ppm) for ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$

Table S3-4 show the calculated ${ }^{13} \mathrm{C}$ and ${ }^{1} \mathrm{H}$ chemical shifts ( $\delta \mathrm{ppm}$ ) for the individual conformations and the equilibrium mixtures (Eq. 1-4) calculated from the metadynamics free-energy differences, both assuming a single (extended) tail conformation and using the extended:folded equilibrium determined from the $23 \mu \mathrm{~s}$ MD simulation for each representative conformation.
$\delta_{\text {saddle }_{\text {eq }}}=0.7314 \times \delta_{\text {saddle }_{\text {ext }}}+0.2686 \times \delta_{\text {saddle }_{\text {fold }}}$
$\delta_{\text {cl.open }_{\text {eq }}}=0.6263 \times \delta_{\text {cl.open }}^{\text {ext }}=0.3737 \times \delta_{\text {cl.open }}^{\text {fold }}$ open
$\delta_{\text {equitibrium }_{\text {ext }}}=0.6865 \times \delta_{\text {saddie }_{\text {ext }}}+0.2951 \times \delta_{\text {clopen }_{\text {ext }}}+0.0043 \times \delta_{\text {tw.saddle }}+0.0141 \times \delta_{\text {open }}$
$\delta_{\text {equilibrium }_{\text {eq }}}=0.6865 \times\left(0.7314 \times \delta_{\text {saddle }_{\text {ext }}}+0.2686 \times \delta_{\text {saddie }_{\text {fold }}}\right)+0.2951 \times\left(0.6263 \times \delta_{\text {cl.open }_{\text {ext }}}+0.3737 \times\right.$
$\delta_{\text {cl.open }}^{\text {fold }}()+0.0043 \times \delta_{\text {tw.saddie }}+0.0141 \times \delta_{\text {open }}$

## Supporting Information

Table S3 Calculated ${ }^{13} \mathrm{C}$ chemical shifts (B3LYP/6-31G(d), PCM water) of $\mathrm{Arg}^{8}$-vasopressin

| res | atom | Calculated ${ }^{13} \mathrm{C}$ chemical shifts (ppm) |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Individual conformations |  |  |  |  |  |  |  | Metady namics equilibrium |  |
|  |  |  | Saddle |  |  | ched op |  | Twisted saddle | Open | Equilibrium | Equilibrium |
|  |  | ext | fold | equil ${ }^{\text {a }}$ | ext | fold | equil ${ }^{\text {b }}$ | ext | ext | ext ${ }^{\text {c }}$ | equilibrium ${ }^{\text {d }}$ |
| $\mathrm{Cys}^{1}$ | $C^{\alpha}$ | 57.90 | 57.27 | 57.73 | 56.81 | 58.08 | 57.28 | 57.23 | 58.08 | 57.58 | 57.60 |
| $\mathrm{Cys}^{1}$ | $c^{\beta}$ | 43.53 | 43.38 | 43.49 | 49.46 | 49.98 | 49.66 | 46.52 | 45.04 | 45.32 | 45.34 |
| Tyr ${ }^{2}$ | $C^{\alpha}$ | 63.12 | 63.82 | 63.30 | 65.73 | 65.80 | 65.76 | 58.02 | 63.64 | 63.87 | 64.01 |
| Tyr ${ }^{2}$ | $c^{\beta}$ | 37.72 | 39.58 | 38.22 | 40.42 | 40.46 | 40.44 | 39.97 | 42.43 | 38.59 | 38.94 |
| Tyr ${ }^{2}$ | $c^{81}$ | 133.17 | 131.80 | 132.80 | 134.21 | 134.62 | 134.37 | 135.89 | 134.23 | 133.51 | 133.30 |
| Tyr ${ }^{2}$ | $c^{62}$ | 131.08 | 133.13 | 131.63 | 133.02 | 132.52 | 132.83 | 133.95 | 133.37 | 131.70 | 132.02 |
| Tyr ${ }^{2}$ | $c^{\text {E1 }}$ | 118.14 | 117.08 | 117.85 | 115.46 | 114.56 | 115.13 | 115.79 | 115.83 | 117.31 | 117.01 |
| Tyr ${ }^{2}$ | $c^{\text {c2 }}$ | 118.09 | 116.37 | 117.63 | 115.90 | 115.61 | 115.79 | 117.39 | 116.41 | 117.42 | 117.07 |
| Phe ${ }^{3}$ | $C^{\alpha}$ | 62.93 | 62.34 | 62.77 | 54.22 | 56.81 | 55.19 | 62.29 | 62.98 | 60.36 | 60.54 |
| Phe ${ }^{3}$ | $C^{\beta}$ | 37.98 | 38.02 | 37.99 | 41.37 | 44.82 | 42.66 | 40.51 | 39.87 | 39.02 | 39.40 |
| Phe ${ }^{3}$ | $c^{81}$ | 131.31 | 131.04 | 131.23 | 134.45 | 133.75 | 134.19 | 131.16 | 130.93 | 132.23 | 132.10 |
| Phe ${ }^{3}$ | $c^{82}$ | 131.63 | 131.33 | 131.55 | 133.42 | 131.86 | 132.84 | 133.24 | 134.32 | 132.20 | 131.98 |
| Phe ${ }^{3}$ | $c^{81}$ | 131.22 | 131.40 | 131.27 | 130.95 | 131.08 | 131.00 | 131.95 | 130.27 | 131.13 | 131.18 |
| Phe ${ }^{3}$ | $c^{\text {c2 }}$ | 131.67 | 131.34 | 131.58 | 130.01 | 131.21 | 130.46 | 131.21 | 129.58 | 131.15 | 131.22 |
| Phe ${ }^{3}$ | $c^{3}$ | 129.93 | 129.83 | 129.90 | 129.57 | 128.92 | 129.32 | 128.48 | 128.24 | 129.79 | 129.70 |
| GIn ${ }^{4}$ | $c^{\alpha}$ | 57.93 | 56.76 | 57.61 | 61.15 | 58.78 | 60.26 | 61.77 | 55.39 | 58.86 | 58.38 |
| Gln ${ }^{4}$ | $c^{\beta}$ | 30.23 | 27.62 | 29.53 | 28.74 | 27.92 | 28.44 | 25.60 | 40.73 | 29.92 | 29.35 |
| Gln ${ }^{4}$ | $c^{*}$ | 34.65 | 29.18 | 33.18 | 29.41 | 29.45 | 29.42 | 33.47 | 33.86 | 33.09 | 32.08 |
| $A s n^{5}$ | $c^{\alpha}$ | 58.15 | 56.35 | 57.67 | 53.20 | 52.10 | 52.79 | 53.70 | 53.33 | 56.61 | 56.15 |
| $A s n^{5}$ | $c^{\beta}$ | 41.48 | 43.06 | 41.90 | 36.42 | 35.29 | 36.00 | 42.79 | 40.79 | 39.98 | 40.15 |
| $\mathrm{Cys}^{6}$ | $C^{\alpha}$ | 55.48 | 54.06 | 55.10 | 53.99 | 55.27 | 54.47 | 55.96 | 52.63 | 55.00 | 54.88 |
| $\mathrm{Cys}^{6}$ | $c^{\beta}$ | 45.80 | 49.45 | 46.78 | 50.39 | 48.02 | 49.50 | 46.15 | 52.71 | 47.25 | 47.67 |
| Pro ${ }^{7}$ | $C^{\alpha}$ | 66.11 | 66.08 | 66.10 | 66.59 | 66.73 | 66.64 | 65.76 | 66.07 | 66.25 | 66.26 |
| Pro ${ }^{7}$ | $c^{\beta}$ | 31.87 | 32.15 | 31.95 | 31.93 | 32.19 | 32.03 | 31.61 | 31.67 | 31.88 | 31.96 |
| Pro ${ }^{7}$ | $C^{r}$ | 26.37 | 27.70 | 26.73 | 27.51 | 27.54 | 27.52 | 26.92 | 26.81 | 26.72 | 26.97 |
| Pro ${ }^{7}$ | $c^{\delta}$ | 51.28 | 51.17 | 51.25 | 50.72 | 51.23 | 50.91 | 49.90 | 50.72 | 51.10 | 51.13 |
| Arg ${ }^{8}$ | $C^{\alpha}$ | 56.93 | 58.60 | 57.38 | 56.10 | 58.71 | 57.08 | 56.21 | 55.59 | 56.66 | 57.26 |
| $\mathrm{Arg}^{8}$ | $c^{\beta}$ | 36.06 | 32.65 | 35.14 | 36.20 | 33.57 | 35.22 | 36.46 | 35.94 | 36.10 | 35.18 |
| $\mathrm{Arg}^{8}$ | $C^{\gamma}$ | 30.23 | 26.10 | 29.12 | 28.70 | 27.17 | 28.13 | 27.37 | 28.20 | 29.74 | 28.81 |
| $\mathrm{Arg}^{8}$ | $c^{\delta}$ | 44.58 | 44.90 | 44.66 | 46.36 | 45.84 | 46.16 | 44.45 | 46.34 | 45.13 | 45.13 |
| $\mathrm{Gly}^{9}$ | $c^{\text {a }}$ | 42.47 | 44.61 | 43.04 | 42.59 | 46.31 | 43.98 | 42.80 | 42.54 | 42.51 | 43.31 |

## Supporting Information

Table S4 Calculated ${ }^{1} \mathrm{H}$ chemical shifts (B3LYP/6-31G(d), PCM water) of $\mathrm{Arg}^{8}$-vasopressin

| res | atom | Calculated ${ }^{1} \mathrm{H}$ chemical shifts (ppm) |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | Saddle |  |  | ched op |  | Twisted saddle | Open | Equilibrium | Equilibrium |
|  |  | ext | fold | equil ${ }^{\text {a }}$ | ext | fold | equil ${ }^{\text {b }}$ | ext | ext | extendedt ${ }^{\text {c }}$ | equilibrium ${ }^{\text {d }}$ |
| Cys ${ }^{1}$ | $\mathrm{H}^{\alpha}$ | 3.87 | 3.91 | 3.88 | 3.63 | 4.26 | 3.86 | 4.40 | 4.10 | 3.80 | 3.88 |
| Cys ${ }^{1}$ | $\mathrm{H}^{\text {Pa }}$ | 3.39 | 3.69 | 3.47 | 3.37 | 2.65 | 3.10 | 2.84 | 3.10 | 3.38 | 3.35 |
| Cys ${ }^{1}$ | $\mathrm{H}^{\mathrm{Pb}}$ | 3.05 | 2.74 | 2.97 | 3.32 | 4.20 | 3.65 | 3.49 | 2.85 | 3.13 | 3.17 |
| Tyr ${ }^{2}$ | $\mathrm{H}^{\text {a }}$ | 4.52 | 4.26 | 4.45 | 3.95 | 3.81 | 3.90 | 4.87 | 4.40 | 4.35 | 4.29 |
| Tyr ${ }^{2}$ | $\mathrm{H}^{\mathrm{\beta a}}$ | 3.14 | 3.20 | 3.16 | 3.11 | 2.87 | 3.02 | 3.12 | 3.12 | 3.13 | 3.12 |
| Tyr ${ }^{2}$ | $\mathrm{H}^{\mathrm{Bb}}$ | 3.99 | 2.75 | 3.66 | 2.95 | 2.64 | 2.84 | 2.75 | 2.98 | 3.66 | 3.40 |
| Tyr ${ }^{2}$ | $\mathrm{H}^{61}$ | 7.37 | 7.24 | 7.33 | 7.33 | 5.73 | 6.73 | 7.48 | 7.18 | 7.36 | 7.15 |
| Tyr ${ }^{2}$ | $\mathrm{H}^{62}$ | 7.25 | 6.95 | 7.17 | 7.25 | 7.09 | 7.19 | 7.54 | 7.37 | 7.25 | 7.18 |
| Tyr ${ }^{2}$ | $\mathrm{H}^{\text {E1 }}$ | 7.10 | 6.41 | 6.91 | 6.72 | 6.32 | 6.57 | 6.74 | 6.71 | 6.98 | 6.81 |
| Tyr ${ }^{2}$ | $\mathrm{H}^{\varepsilon 2}$ | 6.52 | 6.42 | 6.49 | 6.56 | 6.49 | 6.54 | 6.94 | 6.73 | 6.54 | 6.51 |
| Phe ${ }^{3}$ | $\mathrm{H}^{\alpha}$ | 4.64 | 5.02 | 4.75 | 4.48 | 4.71 | 4.57 | 4.03 | 3.52 | 4.58 | 4.67 |
| Phe ${ }^{3}$ | $\mathrm{H}^{\mathrm{\beta a}}$ | 3.68 | 3.71 | 3.69 | 3.12 | 2.62 | 2.94 | 2.72 | 2.47 | 3.49 | 3.44 |
| Phe ${ }^{3}$ | $\mathrm{H}^{\mathrm{Bb}}$ | 2.73 | 2.74 | 2.73 | 3.19 | 3.20 | 3.19 | 2.63 | 3.90 | 2.88 | 2.88 |
| Phe ${ }^{3}$ | $\mathrm{H}^{\text {¢1 }}$ | 7.08 | 7.10 | 7.09 | 7.15 | 7.41 | 7.25 | 7.49 | 7.10 | 7.11 | 7.14 |
| Phe ${ }^{3}$ | $\mathrm{H}^{82}$ | 7.07 | 7.17 | 7.09 | 7.57 | 7.56 | 7.57 | 7.26 | 7.61 | 7.23 | 7.24 |
| Phe ${ }^{3}$ | $\mathrm{H}^{\text {E1 }}$ | 7.37 | 7.42 | 7.38 | 7.66 | 7.56 | 7.63 | 7.56 | 7.34 | 7.46 | 7.45 |
| Phe ${ }^{3}$ | $\mathrm{H}^{\varepsilon 2}$ | 7.43 | 7.47 | 7.44 | 7.52 | 7.60 | 7.55 | 7.51 | 7.30 | 7.46 | 7.47 |
| Phe ${ }^{3}$ | $\mathrm{H}^{\text {c }}$ | 7.39 | 7.40 | 7.39 | 7.48 | 7.64 | 7.54 | 7.44 | 7.24 | 7.41 | 7.43 |
| Gln ${ }^{4}$ | $\mathrm{H}^{\alpha}$ | 4.45 | 4.79 | 4.54 | 4.12 | 4.27 | 4.17 | 3.28 | 4.26 | 4.34 | 4.42 |
| Gln ${ }^{4}$ | $\mathrm{H}^{\mathrm{Ba}}$ | 2.05 | 1.38 | 1.87 | 2.60 | 1.55 | 2.21 | 1.76 | 1.25 | 2.20 | 1.96 |
| Gln ${ }^{4}$ | $\mathrm{H}^{\mathrm{Bb}}$ | 2.26 | 2.52 | 2.33 | 1.84 | 2.40 | 2.05 | 2.37 | 2.37 | 2.14 | 2.25 |
| Gln ${ }^{4}$ | $\mathrm{H}^{\text {va }}$ | 2.00 | 1.81 | 1.95 | 2.12 | 2.31 | 2.19 | 1.51 | 2.19 | 2.03 | 2.02 |
| Gln ${ }^{4}$ | $\mathrm{H}^{\vee b}$ | 2.25 | 2.20 | 2.23 | 2.23 | 2.38 | 2.29 | 0.50 | 2.66 | 2.24 | 2.25 |
| Asn ${ }^{5}$ | $\mathrm{H}^{\alpha}$ | 4.73 | 4.93 | 4.78 | 4.71 | 4.61 | 4.68 | 4.97 | 5.10 | 4.73 | 4.76 |
| $\mathrm{Asn}^{5}$ | $\mathrm{H}^{\mathrm{Ba}}$ | 2.75 | 2.36 | 2.64 | 2.50 | 2.32 | 2.44 | 2.71 | 2.63 | 2.67 | 2.58 |
| $\operatorname{Asn}^{5}$ | $\mathrm{H}^{\mathrm{Bb}}$ | 2.63 | 2.84 | 2.68 | 3.31 | 2.84 | 3.14 | 2.39 | 2.50 | 2.83 | 2.81 |
| Cys ${ }^{6}$ | $\mathrm{H}^{\alpha}$ | 5.09 | 5.05 | 5.08 | 5.03 | 4.72 | 4.91 | 4.66 | 4.43 | 5.06 | 5.02 |
| Cys ${ }^{6}$ | $\mathrm{H}^{\mathrm{\beta a}}$ | 2.78 | 2.48 | 2.70 | 3.18 | 2.96 | 3.10 | 3.23 | 2.86 | 2.90 | 2.82 |
| $\mathrm{Cys}^{6}$ | $\mathrm{H}^{\mathrm{Bb}}$ | 2.97 | 3.19 | 3.03 | 3.41 | 3.41 | 3.41 | 3.72 | 3.34 | 3.11 | 3.15 |
| Pro ${ }^{7}$ | $\mathrm{H}^{\alpha}$ | 4.16 | 4.07 | 4.14 | 4.20 | 4.00 | 4.12 | 4.19 | 4.16 | 4.17 | 4.13 |
| Pro ${ }^{7}$ | $\mathrm{H}^{\beta \text { a }}$ | 1.95 | 2.12 | 1.99 | 2.05 | 2.16 | 2.09 | 1.93 | 2.03 | 1.98 | 2.02 |
| Pro ${ }^{7}$ | $\mathrm{H}^{\mathrm{Bb}}$ | 2.23 | 2.37 | 2.27 | 2.37 | 2.36 | 2.37 | 2.23 | 2.34 | 2.27 | 2.30 |
| Pro ${ }^{7}$ | $\mathrm{H}^{\text {va }}$ | 2.26 | 2.47 | 2.32 | 2.39 | 2.50 | 2.43 | 2.25 | 2.17 | 2.30 | 2.35 |
| Pro ${ }^{7}$ | $\mathrm{H}^{\text {¢ }}$ | 2.03 | 2.09 | 2.05 | 2.11 | 2.12 | 2.11 | 1.99 | 2.01 | 2.06 | 2.07 |
| Pro ${ }^{7}$ | $\mathrm{H}^{\text {¢a }}$ | 3.95 | 3.80 | 3.91 | 3.90 | 4.10 | 3.97 | 3.66 | 3.68 | 3.93 | 3.92 |
| Pro ${ }^{7}$ | $\mathrm{H}^{6 b}$ | 3.79 | 3.69 | 3.76 | 3.74 | 4.14 | 3.89 | 3.54 | 3.60 | 3.77 | 3.80 |
| $\mathrm{Arg}^{8}$ | $\mathrm{H}^{\alpha}$ | 4.31 | 3.86 | 4.19 | 4.33 | 3.80 | 4.13 | 4.41 | 4.32 | 4.32 | 4.18 |
| $\mathrm{Arg}^{8}$ | $\mathrm{H}^{\mathrm{Ba}}$ | 1.88 | 2.38 | 2.02 | 1.46 | 2.29 | 1.77 | 1.68 | 1.39 | 1.75 | 1.93 |
| $\mathrm{Arg}^{8}$ | $\mathrm{H}^{\mathrm{\beta b}}$ | 2.51 | 1.71 | 2.29 | 2.21 | 1.98 | 2.13 | 2.05 | 2.20 | 2.41 | 2.24 |
| $\mathrm{Arg}^{8}$ | $\mathrm{H}^{\mathrm{YaF}}$ | 1.86 | 2.00 | 1.90 | 1.80 | 1.97 | 1.86 | 1.98 | 1.84 | 1.84 | 1.89 |
| $\mathrm{Arg}^{8}$ | $\mathrm{H}^{\text {¢ }}$ | 2.19 | 2.28 | 2.22 | 2.06 | 2.23 | 2.12 | 2.19 | 1.83 | 2.15 | 2.18 |
| $\mathrm{Arg}^{8}$ | $\mathrm{H}^{\text {¢ }}$ | 3.38 | 3.17 | 3.32 | 3.40 | 3.55 | 3.45 | 3.16 | 3.28 | 3.38 | 3.36 |

## Supporting Information

| $\mathrm{Arg}^{8}$ | $\mathrm{H}^{66}$ | 3.27 | 3.09 | 3.22 | 3.33 | 3.18 | 3.27 | 3.32 | 3.40 | 3.29 | 3.24 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathrm{Gly}^{9}$ | $H^{\text {ab }}$ | 4.37 | 4.57 | 4.43 | 4.43 | 3.28 | 4.00 | 4.38 | 4.39 | 4.39 | 4.30 |
| $\mathrm{Gly}^{9}$ | $H^{\text {ab }}$ | 3.26 | 4.34 | 3.55 | 3.29 | 3.81 | 3.48 | 3.27 | 3.24 | 3.27 | 3.53 |
| $\overline{\mathrm{Tyr}^{2}}$ | $\mathrm{H}^{\mathrm{N}}$ | 6.03 | 5.52 | 5.90 | 5.21 | 5.48 | 5.31 | 8.92 | 6.62 | 5.81 | 5.75 |
| Phe ${ }^{3}$ | $\mathrm{H}^{N /}$ | 4.93 | 5.17 | 4.99 | 5.40 | 6.28 | 5.73 | 4.90 | 5.90 | 5.08 | 5.22 |
| $\mathrm{G} / \mathrm{n}^{4}$ | $H^{N}$ | 4.97 | 4.62 | 4.88 | 5.26 | 5.30 | 5.28 | 5.59 | 6.03 | 5.08 | 5.02 |
| $\mathrm{G} / \mathrm{n}^{4}$ | $\mathrm{H}^{\text {E21 }}$ | 4.52 | 4.45 | 4.50 | 4.39 | 4.41 | 4.39 | 4.25 | 4.44 | 4.48 | 4.47 |
| $\mathrm{G} / \mathrm{n}^{4}$ | $\mathrm{H}^{\text {E22 }}$ | 5.18 | 4.82 | 5.08 | 4.92 | 4.81 | 4.88 | 4.48 | 6.34 | 5.12 | 5.04 |
| Asn ${ }^{5}$ | $\mathrm{H}^{\mathrm{N}}$ | 6.49 | 6.97 | 6.62 | 6.39 | 5.58 | 6.09 | 6.40 | 5.53 | 6.44 | 6.44 |
| $A s n^{5}$ | $\mathrm{H}^{621}$ | 4.54 | 4.40 | 4.50 | 4.50 | 4.40 | 4.47 | 4.86 | 5.03 | 4.54 | 4.50 |
| $\mathrm{Asn}^{5}$ | $\mathrm{H}^{622}$ | 5.20 | 5.04 | 5.16 | 4.98 | 4.86 | 4.93 | 5.17 | 5.39 | 5.14 | 5.10 |
| Cys ${ }^{6}$ | $\mathrm{H}^{\mathrm{N}}$ | 6.98 | 7.32 | 7.07 | 5.98 | 6.36 | 6.12 | 6.85 | 6.12 | 6.67 | 6.78 |
| Arg ${ }^{8}$ | $\mathrm{H}^{\mathrm{N}}$ | 5.75 | 6.01 | 5.82 | 5.69 | 5.92 | 5.78 | 5.80 | 5.62 | 5.73 | 5.81 |
| $\mathrm{Arg}^{8}$ | $\mathrm{H}^{\text {E }}$ | 3.83 | 4.07 | 3.90 | 4.62 | 4.00 | 4.39 | 4.39 | 4.67 | 4.08 | 4.05 |
| $\mathrm{Gly}^{9}$ | $\mathrm{H}^{\mathrm{N}}$ | 4.88 | 6.60 | 5.35 | 4.99 | 7.12 | 5.79 | 4.97 | 4.95 | 4.92 | 5.47 |
| $\left(\mathrm{Gly}^{9}\right) \mathrm{NH}_{2}$ | $\mathrm{H}^{\mathrm{NL}}$ | 4.76 | 7.23 | 5.42 | 4.77 | 6.67 | 5.48 | 4.76 | 4.78 | 4.76 | 5.43 |
| $\left(\mathrm{Gly}^{9}\right) \mathrm{NH}_{2}$ | $\mathrm{H}^{\text {N2 }}$ | 4.43 | 4.88 | 4.55 | 4.43 | 4.29 | 4.38 | 4.41 | 4.43 | 4.43 | 4.50 |

## Calculation of interatomic distances and correlation with experimental values

To calculate interatomic distances, the longest sections of the $23 \mu \mathrm{~s}$ MD trajectory of $\mathrm{Arg}^{8}$-vasopressin that were occupied entirely by a distinct ring state were chosen ( 278 ns saddle $e_{\text {ext }}, 212 \mathrm{~ns}$ saddle ${ }_{\text {fold }}, 136 \mathrm{~ns}$ clinched open ext ; 67 ns clinched open foid, 191 ns twisted saddle and 220 ns open). The individual distance-trajectories corresponding to the experimental NOE distances were extracted from each representative MD-section. The equilibrium distances are calculated as the $1 / 6$ power means of the distances within each state, weighted according to the distribution given by the metadynamics simulations (Eq. 5-8).
$r_{\text {equilibrium }}^{\text {ext }}=\left(0.6865 \times r_{\text {saddt }_{\text {ext }}}^{1 / 6}+0.2951 \times r_{\text {cl.open }_{\text {ext }}}^{1 / 6}+0.0043 \times r_{\text {tw.saddte }}^{1 / 6}+0.0141 \times r_{\text {open }}^{1 / 6}\right)^{6}$
$r_{\text {equilibrium }_{\text {eq. }}}=\left[0.6865 \times\left(0.7314 \times r_{\text {sadde }_{\text {ext }}}^{1 / 6}+0.2686 \times r_{\text {saddle }_{\text {fold }}}^{1 / 6}\right)+0.2951 \times\left(0.6263 \times r_{\text {cl.open }_{\text {ext }}}^{1 / 6}+0.3737 \times\right.\right.$


The distances for the main states (saddle and clinched open) were refined by taking the relative populations of extended and folded tail conformations (Eq. 5-6) into consideration.
$r_{\text {saddle }_{\text {eq. }}}=\left(0.7314 \times r_{\text {saddle }_{\text {ext }}}^{1 / 6}+0.2686 \times r_{\text {saddle }_{\text {fold }}}^{1 / 6}\right)^{6}$
$r_{\text {cl.open }}^{\text {eq. }}=\left(0.6263 \times r_{\text {cl.open }}^{\text {ext }} 1 /{ }^{1 / 6}+0.3737 \times r_{\text {cl.open }}^{\text {fold }} 1\right)^{6}$

## Supporting Information

The results of the statistical analysis of the correlation between calculated and experimental distances are given in the main text. Figure S 3 shows the plot of calculated vs. experimental interatomic distances at pH 6.0 and pH 4.7 and calculated distances are listed in Table S5. Mean unsigned errors (MUE) and root mean square deviations (RMSD) are the same order of magnitude as the experimental error limits ( $\mathrm{pH} 6.0 \pm 0.5 \AA, \mathrm{pH} 4.7$ $\pm 0.7 \AA$ ) for all individual conformations and equilibrium distances calculated from metadynamics. The results are discussed in the main text. At pH 6.0 , the number of experimental distances is decreased due to proton exchange. As long as only a small number of experimental distances are available and if the experimental error limits are relatively higher than the differences between representative conformations, the linear regression remains insignificant.


Figure S3 Linear regression of calculated equilibrium and experimental NOE distances at pH 6.0 (left) and pH 4.7 (right). Open blue circles indicate the equilibrium conformations with extended tail. The arrow bars show the error limits of the experimental NOE constraints.

## Supporting Information

| Table S |  |  |  | Interatomic distances (A) |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  | Individual conformations |  |  |  | Metadynamics equilibrium |  |
| res | atom | res | atom | Saddle ${ }^{\text {a }}$ equilibrium | Clinched open ${ }^{\text {b }}$ equilibrium | Twisted saddle extended | Open extended | Equilibrium ${ }^{\circ}$ extended | Equilibrium ${ }^{\text {d }}$ equilibrium |
| Cys ${ }^{1}$ | $H^{\alpha}$ | Cys ${ }^{1}$ | $\mathrm{H}^{\text {Ba }}$ | 2.49 | 2.66 | 2.61 | 2.98 | 2.53 | 2.55 |
| Cys ${ }^{1}$ | $\mathrm{H}^{\text {a }}$ | Cys ${ }^{1}$ | $\mathrm{H}^{\text {¢b }}$ | 2.94 | 2.69 | 2.55 | 2.51 | 2.94 | 2.85 |
| Cys ${ }^{1}$ | $\mathrm{H}^{\mathrm{Ba}}$ | Cys ${ }^{1}$ | $\mathrm{H}^{\text {Fb }}$ | 1.76 | 1.75 | 1.75 | 1.75 | 1.76 | 1.76 |
| Cys ${ }^{1}$ | $\mathrm{H}^{\alpha}$ | Tyr ${ }^{2}$ | H | 2.26 | 2.28 | 2.33 | 2.30 | 2.26 | 2.27 |
| Cys ${ }^{1}$ | $\mathrm{H}^{\alpha}$ | Phe ${ }^{3}$ | H | 6.30 | 4.00 | 6.39 | 6.16 | 5.55 | 5.53 |
| Cys ${ }^{1}$ | $\mathrm{H}^{\mathrm{Ba}}$ | Cys ${ }^{6}$ | H | 5.44 | 5.88 | 4.76 | 4.30 | 5.68 | 5.55 |
| Cys ${ }^{1}$ | $\mathrm{H}^{\mathrm{\beta a}}$ | Cys ${ }^{6}$ | $H^{\alpha}$ | 5.94 | 5.09 | 4.95 | 5.22 | 5.71 | 5.66 |
| Tyr ${ }^{2}$ | H | Tyr ${ }^{2}$ | $\mathrm{H}^{\alpha}$ | 2.88 | 2.93 | 2.89 | 2.93 | 2.89 | 2.89 |
| Tyr ${ }^{2}$ | $\mathrm{H}^{\text {a }}$ | Tyr ${ }^{2}$ | $\mathrm{H}^{\text {®a }}$ | 2.53 | 2.50 | 2.49 | 2.59 | 2.56 | 2.52 |
| Tyr ${ }^{2}$ | $\mathrm{H}^{\text {a }}$ | Tyr ${ }^{2}$ | $\mathrm{H}^{\mathrm{Bb}}$ | 2.90 | 2.64 | 3.01 | 2.78 | 2.81 | 2.82 |
| Tyr ${ }^{2}$ | $\mathrm{H}^{\alpha}$ | Tyr ${ }^{2}$ | $H^{\delta} *\left(H^{\delta 1}\right)$ | 4.03 | 3.83 | 4.25 | 3.46 | 4.03 | 3.96 |
| Tyr ${ }^{2}$ | $\mathrm{H}^{\mathrm{\beta a}}$ | Tyr ${ }^{2}$ | $\mathrm{H}^{\mathrm{\beta b}}$ | 1.75 | 1.74 | 1.75 | 1.75 | 1.75 | 1.75 |
| Tyr ${ }^{2}$ | $\mathrm{H}^{\mathrm{Ba}}$ | Tyr ${ }^{2}$ | $H^{6 *}\left(H^{\delta 1}\right)$ | 3.24 | 3.22 | 3.57 | 2.91 | 3.22 | 3.23 |
| Tyr ${ }^{2}$ | $\mathrm{H}^{\mathrm{Pb}}$ | Tyr ${ }^{2}$ | $H^{\delta *}\left(H^{\delta 1}\right)$ | 2.66 | 2.88 | 2.41 | 3.17 | 2.70 | 2.73 |
| Tyr ${ }^{2}$ | $\mathrm{H}^{61}$ | Tyr ${ }^{2}$ | $H^{\varepsilon} *\left(H^{\text {E1 }}\right)$ | 2.48 | 2.47 | 2.48 | 2.49 | 2.48 | 2.48 |
| Tyr ${ }^{2}$ | H | Phe ${ }^{3}$ | H | 4.63 | 2.30 | 4.57 | 4.36 | 3.81 | 3.80 |
| Tyr ${ }^{2}$ | $\mathrm{H}^{\alpha}$ | Phe ${ }^{3}$ | H | 2.28 | 3.38 | 2.38 | 2.20 | 2.57 | 2.57 |
| Tyr ${ }^{2}$ | $\mathrm{H}^{\mathrm{Ba}}$ | Phe ${ }^{3}$ | H | 3.97 | 4.12 | 3.90 | 3.94 | 3.96 | 4.01 |
| Phe ${ }^{3}$ | H | Phe ${ }^{3}$ | $\mathrm{H}^{\text {a }}$ | 2.77 | 2.91 | 2.78 | 2.23 | 2.80 | 2.80 |
| Phe ${ }^{3}$ | H | Phe ${ }^{3}$ | $H^{\text {Pa }}$ | 3.18 | 2.89 | 2.49 | 3.30 | 3.00 | 3.09 |
| Phe ${ }^{3}$ | H | Phe ${ }^{3}$ | $\mathrm{H}^{\mathrm{fb}}$ | 2.47 | 2.88 | 2.48 | 3.78 | 2.62 | 2.60 |
| Phe ${ }^{3}$ | $\mathrm{H}^{\alpha}$ | Phe ${ }^{3}$ | $\mathrm{H}^{\text {Pa }}$ | 2.40 | 2.57 | 2.45 | 2.77 | 2.47 | 2.46 |
| Phe ${ }^{3}$ | $H^{\text {a }}$ | Phe ${ }^{3}$ | $\mathrm{H}^{\text {®b }}$ | 2.60 | 2.78 | 2.98 | 2.66 | 2.68 | 2.66 |
| Phe ${ }^{3}$ | $H^{\text {a }}$ | Phe ${ }^{3}$ | $H^{6} *\left(H^{61}\right)$ | 4.04 | 3.59 | 3.18 | 3.41 | 3.75 | 3.89 |
| Phe ${ }^{3}$ | $\mathrm{H}^{\mathrm{Ba}}$ | Phe ${ }^{3}$ | $\mathrm{H}^{\text {¢b }}$ | 1.74 | 1.75 | 1.75 | 1.75 | 1.74 | 1.74 |
| Phe ${ }^{3}$ | $\mathrm{H}^{\mathrm{Ba}}$ | Phe ${ }^{3}$ | $H^{6 *}\left(H^{61}\right)$ | 2.95 | 3.01 | 2.88 | 3.06 | 3.00 | 2.97 |
| Phe ${ }^{3}$ | $\mathrm{H}^{\mathrm{Fb}}$ | Phe ${ }^{3}$ | $H^{6} *\left(H^{61}\right)$ | 3.10 | 3.05 | 3.28 | 3.00 | 3.10 | 3.09 |
| Phe ${ }^{3}$ | $\mathrm{H}^{61}$ | Phe ${ }^{3}$ | $H^{\varepsilon *}\left(H^{\text {E1 }}\right)$ | 2.47 | 2.47 | 2.47 | 2.48 | 2.47 | 2.47 |
| Phe ${ }^{3}$ | $\mathrm{H}^{\text {E1 }}$ | Phe ${ }^{3}$ | $\mathrm{H}^{\zeta}$ | 2.48 | 2.48 | 2.48 | 2.48 | 2.48 | 2.48 |
| Phe ${ }^{3}$ | $\mathrm{H}^{\text {a }}$ | Gln ${ }^{4}$ | H | 3.49 | 2.38 | 2.15 | 3.06 | 3.11 | 3.11 |
| Phe ${ }^{3}$ | $\mathrm{H}^{\mathrm{Ba}}$ | Gln ${ }^{4}$ | H | 4.11 | 3.61 | 4.13 | 4.17 | 3.96 | 3.96 |
| Phe ${ }^{3}$ | $\mathrm{H}^{\mathrm{Pb}}$ | Gln ${ }^{4}$ | H | 3.86 | 3.44 | 4.19 | 4.12 | 3.65 | 3.74 |
| GIn ${ }^{4}$ | H | $\mathrm{Gln}^{4}$ | $H^{\alpha}$ | 2.92 | 2.82 | 2.23 | 2.94 | 2.88 | 2.89 |
| $\mathrm{Gln}^{4}$ | H | Gln ${ }^{4}$ | $\mathrm{H}^{\text {Ba }}$ | 2.58 | 2.76 | 3.49 | 3.11 | 2.67 | 2.64 |
| $\mathrm{Gln}^{4}$ | H | $\mathrm{Gln}^{4}$ | $\mathrm{H}^{\mathrm{Bb}}$ | 3.39 | 2.97 | 3.94 | 3.27 | 3.22 | 3.26 |
| $\mathrm{Gln}^{4}$ | H | $\mathrm{Gln}^{4}$ | $H^{r^{*}}\left(H^{\text {ra }}\right)$ | 3.49 | 3.21 | 3.37 | 3.75 | 3.41 | 3.40 |
| $\mathrm{Gln}^{4}$ | $\mathrm{H}^{\text {a }}$ | Gln ${ }^{4}$ | $\mathrm{H}^{\text {Ba }}$ | 2.89 | 2.70 | 2.95 | 2.68 | 2.81 | 2.83 |
| $\mathrm{Gln}^{4}$ | $\mathrm{H}^{\text {a }}$ | $\mathrm{Gln}^{4}$ | $\mathrm{H}^{\mathrm{Bb}}$ | 2.55 | 2.58 | 2.52 | 2.67 | 2.57 | 2.56 |
| GIn ${ }^{4}$ | $\mathrm{H}^{\text {a }}$ | Gln ${ }^{4}$ | $\mathrm{H}^{\nu^{*}}\left(\mathrm{H}^{\text {ra }}\right)$ | 2.90 | 3.24 | 2.68 | 3.12 | 3.05 | 3.00 |
| $\mathrm{Gln}^{4}$ | $\mathrm{H}^{\mathrm{Ba}}$ | $\mathrm{Gln}^{4}$ | $\mathrm{H}^{\text {Eb }}$ | 1.76 | 1.75 | 1.76 | 1.76 | 1.76 | 1.76 |
| $\mathrm{Gln}^{4}$ | $\mathrm{H}^{\mathrm{Ba}}$ | $\mathrm{Gln}^{4}$ | $H^{\nu^{*}}\left(H^{\text {ra }}\right)$ | 2.84 | 2.86 | 2.92 | 2.94 | 2.84 | 2.85 |
| GIn ${ }^{4}$ | $\mathrm{H}^{\text {E1 }}$ | $\mathrm{Gln}^{4}$ | $\mathrm{H}^{\text {E2 }}$ | 1.75 | 1.75 | 1.75 | 1.75 | 1.75 | 1.75 |
| GIn ${ }^{4}$ | $H^{\text {a }}$ | Cys ${ }^{6}$ | H | 4.62 | 4.85 | 4.02 | 5.80 | 4.70 | 4.70 |

## Supporting Information

| res | atom | res | atom | Interatomic distances ( $\AA$ ) |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  | Individual conformations |  |  |  | Metadynamics equilibrium |  |
|  |  |  |  | Saddle ${ }^{\text {a }}$ <br> equilibrium | Clinched open ${ }^{\text {b }}$ equilibrium | Twisted saddle extended | Open extended | Equilibrium ${ }^{\text {c }}$ extended | Equilibrium ${ }^{\text {d }}$ equilibrium |
| $\mathrm{Asn}^{5}$ | H | Asn ${ }^{5}$ | $\mathrm{H}^{\alpha}$ | 2.96 | 2.94 | 2.94 | 2.86 | 2.95 | 2.95 |
| Asn ${ }^{5}$ | H | Asn ${ }^{5}$ | $H^{\beta *}\left(H^{\beta a}\right)$ | 2.86 | 3.10 | 2.81 | 2.63 | 2.94 | 2.93 |
| $\mathrm{Asn}^{5}$ | $\mathrm{H}^{\text {a }}$ | Asn ${ }^{5}$ | $H^{\beta *}\left(H^{\beta a}\right)$ | 2.54 | 2.49 | 2.50 | 2.49 | 2.52 | 2.52 |
| $\mathrm{Asn}^{5}$ | $\mathrm{H}^{81}$ | Asn ${ }^{5}$ | $\mathrm{H}^{82}$ | 1.75 | 1.75 | 1.75 | 1.75 | 1.75 | 1.75 |
| $A s n^{5}$ | H | Cys ${ }^{6}$ | H | 2.17 | 3.49 | 2.49 | 4.30 | 2.51 | 2.53 |
| Asn ${ }^{5}$ | $H^{\alpha}$ | $\mathrm{Cys}^{5}$ | H | 3.53 | 2.58 | 3.32 | 2.26 | 3.22 | 3.21 |
| Cys ${ }^{6}$ | H | Cys ${ }^{5}$ | $\mathrm{H}^{\alpha}$ | 2.97 | 2.92 | 2.94 | 2.93 | 2.95 | 2.95 |
| Cys ${ }^{6}$ | H | Cys ${ }^{5}$ | $\mathrm{H}^{\text {ba }}$ | 2.83 | 2.80 | 3.19 | 2.70 | 2.73 | 2.82 |
| Cys ${ }^{6}$ | H | $\mathrm{Cys}^{5}$ | $\mathrm{H}^{\text {bb }}$ | 3.68 | 3.17 | 3.25 | 3.65 | 3.62 | 3.52 |
| Cys ${ }^{6}$ | $\mathrm{H}^{\alpha}$ | Cys ${ }^{6}$ | $\mathrm{H}^{\text {®a }}$ | 2.93 | 2.72 | 2.61 | 2.96 | 2.94 | 2.86 |
| Cys ${ }^{6}$ | $\mathrm{H}^{\alpha}$ | Cys ${ }^{5}$ | $\mathrm{H}^{\mathrm{Fb}}$ | 2.44 | 2.70 | 2.57 | 2.54 | 2.48 | 2.51 |
| Cys ${ }^{6}$ | $\mathrm{H}^{\mathrm{Ba}}$ | Cys ${ }^{5}$ | $\mathrm{H}^{\mathrm{Pb}}$ | 1.75 | 1.75 | 1.75 | 1.75 | 1.75 | 1.75 |
| Cys ${ }^{6}$ | H | $\mathrm{PrO}^{7}$ | $\mathrm{H}^{\text {¢a }}$ | 4.78 | 5.03 | 5.02 | 4.96 | 4.81 | 4.86 |
| Cys ${ }^{6}$ | H | $\mathrm{PrO}^{7}$ | $\mathrm{H}^{\text {bb }}$ | 4.20 | 4.74 | 4.72 | 4.62 | 4.25 | 4.36 |
| Cys ${ }^{6}$ | $\mathrm{H}^{\alpha}$ | $\mathrm{PrO}^{7}$ | $\mathrm{H}^{\text {fa }}$ | 2.50 | 2.58 | 2.66 | 2.63 | 2.51 | 2.52 |
| Cys ${ }^{6}$ | $\mathrm{H}^{\text {a }}$ | $\mathrm{PrO}^{7}$ | $\mathrm{H}^{\text {¢b }}$ | 2.49 | 2.36 | 2.34 | 2.36 | 2.48 | 2.45 |
| Pro ${ }^{7}$ | $H^{\alpha}$ | $\mathrm{PrO}^{7}$ | $\mathrm{H}^{\text {Ba }}$ | 2.84 | 2.84 | 2.84 | 2.84 | 2.84 | 2.84 |
| Pro ${ }^{7}$ | $\mathrm{H}^{\alpha}$ | Pro ${ }^{7}$ | $\mathrm{H}^{\mathrm{Fb}}$ | 2.31 | 2.31 | 2.31 | 2.31 | 2.31 | 2.31 |
| Pro ${ }^{7}$ | $\mathrm{H}^{\alpha}$ | $\mathrm{PrO}^{7}$ | $\mathrm{H}^{*}$ | 3.66 | 3.65 | 3.65 | 3.65 | 3.65 | 3.65 |
| Pro ${ }^{7}$ | $\mathrm{H}^{\mathrm{Ba}}$ | Pro ${ }^{7}$ | $\mathrm{H}^{\mathrm{Fb}}$ | 1.78 | 1.78 | 1.78 | 1.79 | 1.78 | 1.78 |
| Pro ${ }^{7}$ | $\mathrm{H}^{\mathrm{Ba}}$ | Pro ${ }^{7}$ | $\mathrm{H}^{*}$ | 2.45 | 2.46 | 2.46 | 2.46 | 2.45 | 2.45 |
| Pro ${ }^{7}$ | $\mathrm{H}^{\mathrm{Pb}}$ | $\mathrm{PrO}^{7}$ | $\mathrm{H}^{*}$ | 2.50 | 2.49 | 2.49 | 2.49 | 2.50 | 2.50 |
| Pro ${ }^{7}$ | $\mathrm{H}^{* *}$ | Pro ${ }^{7}$ | $\mathrm{H}^{\text {\% }}$ * | 2.29 | 2.29 | 2.29 | 2.29 | 2.29 | 2.29 |
| Pro ${ }^{7}$ | $\mathrm{H}^{\text {cb }}$ | Pro ${ }^{7}$ | $\mathrm{H}^{\text {8b }}$ | 1.78 | 1.78 | 1.79 | 1.78 | 1.78 | 1.78 |
| Pro ${ }^{7}$ | $\mathrm{H}^{\text {a }}$ | $\mathrm{Arg}^{8}$ | H | 2.33 | 2.26 | 2.38 | 2.36 | 2.34 | 2.31 |
| $\mathrm{Arg}^{8}$ | H | $\mathrm{Arg}^{8}$ | $\mathrm{H}^{\text {a }}$ | 2.75 | 2.68 | 2.93 | 2.94 | 2.93 | 2.73 |
| $\mathrm{Arg}^{8}$ | H | $\mathrm{Arg}^{8}$ | $\mathrm{H}^{\text {Pa }}$ | 2.94 | 2.98 | 2.77 | 2.75 | 2.77 | 2.95 |
| Arg ${ }^{8}$ | H | $\mathrm{Arg}^{8}$ | $\mathrm{H}^{\text {Pb }}$ | 3.50 | 3.55 | 3.34 | 3.34 | 3.39 | 3.51 |
| $\mathrm{Arg}^{8}$ | $\mathrm{H}^{\text {a }}$ | $\mathrm{Arg}^{8}$ | $\mathrm{H}^{\text {¢a }}$ | 2.84 | 2.86 | 2.81 | 2.81 | 2.83 | 2.84 |
| $\mathrm{Arg}^{8}$ | $\mathrm{H}^{\text {a }}$ | Arg ${ }^{8}$ | $\mathrm{H}^{\text {¢b }}$ | 2.57 | 2.57 | 2.60 | 2.59 | 2.59 | 2.57 |
| $\mathrm{Arg}^{8}$ | $\mathrm{H}^{\text {Ba }}$ | Arg ${ }^{8}$ | $\mathrm{H}^{\text {¢b }}$ | 1.75 | 1.75 | 1.76 | 1.76 | 1.75 | 1.75 |
| $\mathrm{Arg}^{8}$ | $\mathrm{H}^{\text {Ba }}$ | $\mathrm{Arg}^{8}$ | $\mathrm{H}^{\text {\%* }}$ | 2.57 | 2.56 | 2.57 | 2.58 | 2.56 | 2.57 |
| $\mathrm{Arg}^{8}$ | $\mathrm{H}^{\mathrm{Fb}}$ | $\mathrm{Arg}^{8}$ | $\mathrm{H}^{*}$ * | 2.60 | 2.59 | 2.60 | 2.61 | 2.59 | 2.60 |
| $\mathrm{Arg}^{8}$ | $\mathrm{H}^{* *}$ | Arg ${ }^{8}$ | $\mathrm{H}^{6}$ * | 2.40 | 2.40 | 2.40 | 2.39 | 2.40 | 2.40 |
| $\mathrm{Gly}^{9}$ | H | Gly ${ }^{9}$ | $\mathrm{H}^{\alpha 1,2}$ | 2.49 | 2.50 | 2.50 | 2.50 | 2.50 | 2.50 |
| $\mathrm{Gly}^{9}$ | $H^{\alpha 1,2}$ | Gly ${ }^{9}$ | $\mathrm{H}^{\mathrm{N1}, 2}$ | 3.07 | 3.09 | 3.00 | 3.00 | 3.00 | 3.07 |
| Gly ${ }^{9}$ | $\mathrm{H}^{\mathrm{N} 1}$ | Gly ${ }^{9}$ | $\mathrm{H}^{\mathrm{N} 2}$ | 1.75 | 1.75 | 1.75 | 1.75 | 1.75 | 1.75 |

## Experimental details

## Sample preparation for NMR

Arg ${ }^{8}$-vasopressin was obtained from Bachem (UK) Ltd as the trifluoroacetate salt of the chemically synthesized peptide, having a purity (by HPLC) of $>96 \%$. Mass spectrometry of the synthesized material gave a molecular mass of 1084.55 Da , in close agreement to the calculated molecular mass of 1086.26 Da for the reduced form of the peptide.

Samples of 5.0 mg dry weight were dissolved in $320 \mu \mathrm{l}$ of $90 \% \mathrm{H}_{2} \mathrm{O} / 10 \% \mathrm{D}_{2} \mathrm{O}$ to give a peptide concentration of 14.4 mM . The pH of the sample was measured to be 4.7 and NMR spectra were recorded without adjustment. In addition the sample was dried by lyophilization, then redissolved in $320 \mu \mathrm{l}$ of 20 mM potassium phosphate buffer ( pH 6.5 ) in $90 \% \mathrm{H}_{2} \mathrm{O} / 10 \% \mathrm{D}_{2} \mathrm{O}$ and NMR spectra were recorded at a pH measured as 6.0. NMR spectra of $\mathrm{Arg}^{8}$-vasopressin in $\mathrm{D}_{2} \mathrm{O}$ at both pH 4.7 and pH 6.0 were recorded at least 2 h after redissolving the extensively dried samples in $99.9 \% \mathrm{D}_{2} \mathrm{O}$ (Sigma Aldrich).

## NMR experiments

NMR spectroscopy was performed on a Varian Inova 600 MHz spectrometer, equipped with 5 -channels, a 5 mm triple resonance $\left({ }^{1} \mathrm{H} /{ }^{13} \mathrm{C} /{ }^{15} \mathrm{~N}\right)$ coldprobe and actively shielded pulse field $z$-axis gradients.
Proton resonance assignments were achieved using a combination of $2 \mathrm{D}{ }^{1} \mathrm{H}-{ }^{1} \mathrm{H}$ total chemical shift correlation spectroscopy (TOCSY), ${ }^{25}$ and ${ }^{1} \mathrm{H}-{ }^{1} \mathrm{H}$ nuclear Overhauser effect spectroscopy (NOESY) NMR spectra. ${ }^{26}$ Spectra were acquired as 2048 complex points, with 32 transients for each of 512 increments and a spectral width of 10.0 ppm in both dimensions. Mixing times of 60 and 75 ms for the TOCSY experiment and 200 and 300 ms for the NOESY experiment were used. Water suppression was achieved through use of the watergate 3919 sequence. ${ }^{27}$

Resonance assignments for carbon and nitrogen at natural abundance were obtained through the use of gradient heteronuclear single quantum coherence ( gHSQC ) experiments. A standard ${ }^{13} \mathrm{C}-{ }^{-1} \mathrm{H}$ gHSQC NMR spectrum, ${ }^{28,29}$ was acquired as 1024 complex points in t2 (observe ${ }^{1} \mathrm{H}$ dimension) and 280 increments in t 1 (indirect ${ }^{13} \mathrm{C}$ dimension) using 32 transients over spectral widths of $6000.60 \mathrm{~Hz}(10.0 \mathrm{ppm})$ and $21114.68 \mathrm{~Hz}(140.0 \mathrm{ppm})$ respectively. The transmitter offsets were initially set to the water position in the ${ }^{1} \mathrm{H}$ and to 70 ppm in the ${ }^{13} \mathrm{C}$ dimension, but other combinations of offset and sweep width were later used to focus on the aliphatic and aromatic regions. A 2D sensitivity enhanced ${ }^{15} \mathrm{~N}-{ }^{1} \mathrm{H}$ gHSQC NMR spectrum ${ }^{28,30,31}$ was acquired as 2048 complex points in t2 (observe ${ }^{1} \mathrm{H}$ dimension) and 128 increments in $t 1$ (indirect ${ }^{15} \mathrm{~N}$ dimension) using 32 transients over spectral widths of 6000.60 $\mathrm{Hz}(10.0 \mathrm{ppm})$ and $2431.06 \mathrm{~Hz}(40.0 \mathrm{ppm})$ respectively. The transmitter offsets were set to the water position in the ${ }^{1} \mathrm{H}$ and to 120 ppm in the ${ }^{15} \mathrm{~N}$ dimension. States-TPPI quadrature detection was employed in the ${ }^{15} \mathrm{~N}$ dimension. ${ }^{32}$

## Supporting Information

Spectral processing and format conversion was performed using NMRPipe ${ }^{33}$ and visualized with NMRView ${ }^{34}$. $\mathrm{Arg}^{8}$-vasopressin spectra were assigned using Analysis v2.0.7 from the CCPNMR software suite. ${ }^{35}$ Proton and ${ }^{13} \mathrm{C}$ chemical shifts were referenced to 3 -trimethyl silyl propane sulfonic acid (DSS) and ${ }^{15} \mathrm{~N}$ chemical shifts were referenced to an external liquid ammonia. The ${ }^{1} \mathrm{H},{ }^{13} \mathrm{C}$ and ${ }^{15} \mathrm{~N}$ chemical shifts of the major populated trans-Pro ${ }^{7}$ isomer of $\mathrm{Arg}^{8}$-vasopressin in $\mathrm{H}_{2} \mathrm{O} / \mathrm{pH} 4.7, \mathrm{D}_{2} \mathrm{O} / \mathrm{pH} 4.7, \mathrm{H}_{2} \mathrm{O} / \mathrm{pH} 6.0, \mathrm{D}_{2} \mathrm{O} / \mathrm{pH} 6.0$ are given in Table S6-9. The volumes of assigned peaks were determined using the box sum method in Analysis with an $r^{-6}$ distance calibration against the fixed distance between the $\mathrm{Tyr}^{2} \mathrm{H}^{\delta}$ and $\mathrm{H}^{\varepsilon}$ atoms. A $20 \%$ change (the default) in the calculated target distance was taken. These experimentally derived distances are listed in Table S10.

## Supporting Information

## Experimental ${ }^{1} \mathrm{H},{ }^{13} \mathrm{C}$ and ${ }^{15} \mathrm{~N}$ chemical shifts

Table S6 Experimental NMR chemical shifts ( $\delta \mathrm{ppm}$ ) of $\mathrm{Arg}^{8}$-vasopressin in $\mathrm{H}_{2} \mathrm{O}$ at $\mathrm{pH} 6.0 / 298 \mathrm{~K}$

| Residue | $\mathrm{H}^{\mathrm{N}}$ | N | $\mathrm{H}^{\alpha}$ | $C^{\alpha}$ | Others |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Cys ${ }^{1}$ | - | - | 3.97 | 56.18 | $\begin{aligned} & 3.27: H^{\text {Ba }} ; 3.12: H^{\text {Eb }} \\ & 44.23: C^{B_{3}} \end{aligned}$ |
| Tyr ${ }^{2}$ | 8.57 ? | $123.79^{\text {? }}$ | 4.64 | $58.02 ?$ | $\begin{aligned} & 2.80 \mathrm{H}^{\text {Ba }} ; 2.96: \mathrm{H}^{\text {Bb }} ; 7.05: \mathrm{H}^{5} * ; 6.83: \mathrm{H}^{\varepsilon} * \\ & 39.10: \mathrm{C}^{\mathrm{B}} ; 133.34: \mathrm{C}^{5 *} ; 118.46: \mathrm{C}^{\varepsilon} * \end{aligned}$ |
| Phe ${ }^{3}$ | 8.04 | 122.55? | 4.54 | 58.37 | $\begin{aligned} & 3.01: \mathrm{H}^{\text {ba }} ; 3.31: \mathrm{H}^{\text {sb }} ; 7.23: \mathrm{H}^{\delta *} ; 7.40: \mathrm{H}^{\varepsilon *} ; 7.37: \mathrm{H}^{\text {}} \\ & 39.42: \mathrm{C}^{\mathrm{B}} ; 131.99: \mathrm{C}^{\delta *} ; 131.81: \mathrm{C}^{\varepsilon *} ; 130.17: \mathrm{C}^{\zeta} \end{aligned}$ |
| $\mathrm{Gln}^{4}$ | 8.32 | 120.80 | 4.12 | 57.82 | $\begin{aligned} & 2.05: \mathrm{H}^{\text {Ba; }} ; 2.12: \mathrm{H}^{\text {sb}} ; 2.29: \mathrm{H}^{\gamma *} ; 6.89: \mathrm{H}^{\varepsilon a} ; 7.53: \mathrm{H}^{\varepsilon b} \\ & 28.66: \mathrm{C}^{\mathrm{BB}^{5} ; 33.99: \mathrm{C}^{\prime} ; 114.24: \mathrm{N}^{\varepsilon}} \end{aligned}$ |
| $A s n^{5}$ | 8.30 | 118.20 | 4.77 | - | $\begin{aligned} & 2.86: H^{\beta^{6}} ; 6.92: H^{5 \mathrm{a}} ; 7.63: \mathrm{H}^{\delta b} \\ & 38.74: \mathrm{C}^{B /} ; 114.53: \mathrm{N}^{\mathrm{B}} \end{aligned}$ |
| Cys ${ }^{6}$ | 8.15 | 122.39 | 4.89 | - | $\begin{aligned} & 3.18: \mathrm{H}^{B a} ; 2.93: \mathrm{H}^{\mathrm{Bb}} \\ & 41.69: \mathrm{C}^{[3} \end{aligned}$ |
| trans-Pro ${ }^{7}$ | - | - | 4.45 | 63.52 | $\begin{aligned} & 1.93: \mathrm{H}^{\mathrm{ka}} ; 2.31: \mathrm{H}^{\mathrm{sb}} ; 2.06: \mathrm{H}^{\nu} * ; 3.73: \mathrm{H}^{5 \mathrm{a}} ; 3.83: \mathrm{H}^{8 \mathrm{bb}} \\ & 32.16: \mathrm{C}^{\mathrm{CB}} ; 27.60: \mathrm{C}^{\nu} ; 50.79: \mathrm{C}^{5} \end{aligned}$ |
| Arg ${ }^{8}$ | 8.63 | 123.97 | 4.32 | 56.45 | $\begin{aligned} & 1.80: \mathrm{H}^{\mathrm{BC}} ; 1.90: \mathrm{H}^{\mathrm{Bb}} ; 1.67: \mathrm{H}^{\nu} ; 3.22: \mathrm{H}^{\delta} * ; 7.22: \mathrm{H}^{\varepsilon} \\ & 30.76: \mathrm{C}^{\mathrm{B}} ; 27.28: \mathrm{C}^{\gamma} ; 43.46: \mathrm{C}^{5} ; 86.76: \mathrm{N}^{\epsilon} \end{aligned}$ |
| Gly ${ }^{9}$ | 8.45 | 113.01 | 3.93* | 45.06 |  |
| $\mathrm{NH}_{2}{ }^{10}$ | - | - | - | - | $7.09: \mathrm{H}^{\mathrm{N1}} ; 7.48: \mathrm{H}^{\mathrm{N} 2} ; 109.16: \mathrm{N}$ |

Table S7 Experimental NMR chemical shifts ( $\delta \mathrm{ppm}$ ) of Arg $^{8}{ }^{-}$-vasopressin in $\mathrm{D}_{2} \mathrm{O}$ at $\mathrm{pH} 6.0 / 298 \mathrm{~K}$

| Residue | $\mathrm{H}^{\mathrm{N}}$ | N | $\mathrm{H}^{\alpha}$ | $\mathrm{C}^{\alpha}$ | Others |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Cys ${ }^{1}$ | - | - | 3.98 | 56.01 | $\begin{aligned} & 3.28: \mathrm{H}^{B a} ; 3.12: \mathrm{H}^{\mathrm{Bb}} \\ & 44.20: \mathrm{C}^{B^{3}} \end{aligned}$ |
| Tyr ${ }^{2}$ | - | - | 4.64 | 58.02 | $\begin{aligned} & 2.81: H^{\text {Ba; }} ; 2.97: H^{\text {BE }} ; 7.06: H^{5} ; ; 6.83: H^{\epsilon_{*}} \\ & 39.11: C^{\text {B/ }} ; 133.35: C^{5 *} ; 118.38: \mathrm{C}^{\varepsilon *} \end{aligned}$ |
| Phe ${ }^{3}$ | 8.05 | - | 4.54 | 58.33 | $\begin{aligned} & 3.01: \mathrm{H}^{\text {fad }} ; 3.31: \mathrm{H}^{\text {Bb }} ; 7.23: \mathrm{H}^{5} ; 7.40: \mathrm{H}^{\varepsilon} * ; 7.37: \mathrm{H}^{\zeta} \\ & 39.37: \mathrm{C}^{\mathrm{B}} ; 131.99: \mathrm{C}^{5 *} ; 131.81: \mathrm{C}^{\varepsilon *} ; 130.18 \mathrm{C}^{\mathrm{E}} ; \end{aligned}$ |
| Gln ${ }^{4}$ | - | - | 4.12 | 57.75 | $\begin{aligned} & 2.05: \mathrm{H}^{\mathrm{Bj}} ; 2.13: \mathrm{H}^{\mathrm{Bb}} ; 2.29: \mathrm{H}^{\psi *} ; 6.89: \mathrm{H}^{\xi \mathrm{E}} ; 7.53: \mathrm{H}^{\mathrm{Eb}} \\ & 28.60: \mathrm{C}^{\mathrm{B}} ; 33.93: \mathrm{C}^{\gamma^{2}} \end{aligned}$ |
| $A s n^{5}$ | 8.31 | - | 4.78 | 53.08 | $\begin{aligned} & 2.86: H^{\text {® }} * 6.92: H^{\delta \mathrm{d}} ; 7.63: \mathrm{H}^{\delta \mathrm{b}} \\ & 38.66: \mathrm{C}^{\mathrm{B}^{\mathrm{B}}} \end{aligned}$ |
| Cys ${ }^{\text {b }}$ | 8.15 | - | 4.90 | 54.27 | $\begin{aligned} & 3.19: H^{B a} ; 2.93: H^{B b} \\ & 41.67: \mathrm{C}^{B \mathrm{~B}} \end{aligned}$ |
| trans-Pro ${ }^{7}$ | - | - | 4.46 | 63.51 | $\begin{aligned} & \text { 1.94:H } \mathrm{H}^{\text {हaj }} ; 2.32: \mathrm{H}^{\text {sb }} ; 2.07: \mathrm{H}^{\gamma *} ; 3.74: \mathrm{H}^{\delta \mathrm{a}} ; 3.84: \mathrm{H}^{\delta \mathrm{b}} \\ & 32.16: \mathrm{C}^{\mathrm{B}} ; 27.61: \mathrm{C}^{\gamma} ; 50.80: \mathrm{C}^{\delta} \end{aligned}$ |
| Arg ${ }^{8}$ | 8.62 | - | 4.32 | 56.36 | $\begin{aligned} & 1.81: H^{\mathrm{Ba}} ; 1.91: \mathrm{H}^{\mathrm{Bb}} ; 1.68: \mathrm{H}^{\mathrm{Y} *} ; 3.23: \mathrm{H}^{\delta^{\sigma}} \\ & 30.72: \mathrm{C}^{\mathrm{B}} ; 27.28: \mathrm{C}^{\mathrm{Y}} ; 43.34: \mathrm{C}^{\delta^{\mathrm{S}}} \end{aligned}$ |
| Gly ${ }^{9}$ | 8.46 | - | 3.92* | 44.93 |  |
| $\mathrm{NH}_{2}{ }^{10}$ | - | - | - | - | - |

## Supporting Information

| Residue | $\mathrm{H}^{\mathrm{N}}$ | N | $\mathrm{H}^{\text {a }}$ | $\mathrm{C}^{\alpha}$ | Others |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Cys ${ }^{1}$ | - | - | 4.29 | 55.39 | $\begin{aligned} & 3.46: H^{B 3} ; 3.25: H^{B 6} \\ & 42.87: C^{B 3} \end{aligned}$ |
| Tyr ${ }^{2}$ | 8.90 | 125.26 | 4.67 | - | $\begin{aligned} & 2.85: H^{\text {Ba }} ; 2.95: \mathrm{H}^{\text {Bb }} ; 7.07: \mathrm{H}^{\delta} ; 6.84: \mathrm{H}^{€} * \\ & 39.25: \mathrm{C}^{6^{5}} ; 133.36: \mathrm{C}^{\delta *} ; 118.49: \mathrm{C}^{\mathrm{C}^{*}} \end{aligned}$ |
| Phe ${ }^{3}$ | 8.15 | 123.04 | 4.48 | 58.63 | $\begin{aligned} & \text { 3.01:H }{ }^{\text {Ba }} ; 3.30: H^{\beta b} ; 7.22: H^{\delta *} ; 7.40: H^{€ *} ; 7.38: H^{\zeta} \\ & \text { 39.31:C } C^{B^{5}} ; 131.96: \mathrm{C}^{\delta_{*}} ; 131.81: \mathrm{C}^{\mathrm{C}^{*}} ; 130.17: \mathrm{C}^{\zeta} \end{aligned}$ |
| $\mathrm{Gln}^{4}$ | 8.32 | 121.11 | 4.12 | 57.93 |  |
| $A s n^{5}$ | 8.33 | 118.14 | 4.80 | - | $\begin{aligned} & 2.88: H^{[5} * ; 6.93: H^{\delta \mathrm{a}} ; 7.63: \mathrm{H}^{\text {sb }} \\ & 38.83: \mathrm{C}^{B} ; 114.55: \mathrm{N}^{\delta} \end{aligned}$ |
| Cys ${ }^{6}$ | 8.14 | 122.09 | 4.92 | - | $\begin{aligned} & 3.21::^{B J} ; 2.94: H^{B 5} \\ & 41.28: C^{B 3} \end{aligned}$ |
| trans-Pro ${ }^{7}$ | - | - | 4.46 | 63.48 | $\begin{aligned} & \text { 1.94:H }{ }^{\text {Bad } ; 2.32: H^{\text {Sb }} ; 2.07: H^{* *} ; 3.75: \mathrm{H}^{5 \mathrm{a}} ; 3.85: \mathrm{H}^{\text {5b }}} \\ & 32.18: \mathrm{C}^{B ;} ; 27.60: \mathrm{C}^{\mathrm{r}} ; 50.80: \mathrm{C}^{\delta} \end{aligned}$ |
| Arg ${ }^{8}$ | 8.65 | 124.06 | 4.32 | 56.50 |  |
| Gly ${ }^{9}$ | 8.44 | 112.97 | 3.94* | 45.04 |  |
| $\mathrm{NH}_{2}{ }^{10}$ | - | - | - | - | 7.09: $\mathrm{H}^{\mathrm{N1}} ; 7.48: \mathrm{H}^{\text {N2 }} ; 109.17: \mathrm{N}$ |

tentative assignment; *degenerate atoms

Table S9 Experimental NMR chemical shifts ( $\delta \mathrm{ppm}$ ) of $\mathrm{Arg}^{8}$-vasopressin in $\mathrm{D}, \mathrm{O}$ at $\mathrm{pH} 4.7 / 298 \mathrm{~K}$

| Residue | $\mathrm{H}^{\mathrm{N}}$ | N | $\mathrm{H}^{\alpha}$ | $\mathrm{C}^{\alpha}$ | Others |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathrm{Cys}^{1}$ | - | - | 4.29 | 55.22 | $\begin{aligned} & 3.46: \mathrm{H}^{\mathrm{Ba}} ; 3.25: \mathrm{H}^{\mathrm{kb}} \\ & 42.83: \mathrm{C}^{\mathrm{B}^{3}} \end{aligned}$ |
| Tyr ${ }^{2}$ | - | - | 4.66 | 58.12 | $\begin{aligned} & 2.85: H^{\text {Ba }} ; 2.96: \mathrm{H}^{\mathrm{Bb}} ; 7.07: \mathrm{H}^{\delta} * 6.84: \mathrm{H}^{\varepsilon *} \\ & 39.27: \mathrm{C}^{\mathrm{BB}_{3}} ; 133.37: \mathrm{C}^{\delta *} ; 118.42: \mathrm{C}^{\varepsilon^{*} *} \end{aligned}$ |
| Phe ${ }^{3}$ | - | - | 4.47 | 58.59 | $\begin{aligned} & 3.02: \mathrm{H}^{\mathrm{si}} ; 3.30: \mathrm{H}^{\mathrm{sb}} ; 7.21: \mathrm{H}^{\delta} * 7.40: \mathrm{H}^{\varepsilon} * ; 7.37: \mathrm{H}^{\zeta} \\ & 39.28: \mathrm{C}^{\mathrm{B}^{\xi}} ; 131.96: \mathrm{C}^{\delta_{*}} ; 131.81: \mathrm{C}^{*} ; 130.18: \mathrm{C}^{\zeta} ; \end{aligned}$ |
| $\mathrm{Gln}^{4}$ | 8.33 | - | 4.12 | 57.85 | $\begin{aligned} & 2.05: \mathrm{H}^{B j} ; 2.13: \mathrm{H}^{[6]} ; 2.30: \mathrm{H}^{*} ; 6.90: \mathrm{H}^{\text {Ea }} ; 7.54: \mathrm{H}^{\text {b }} \\ & 28.58: \mathrm{C}^{B ;} ; 33.89: \mathrm{C}^{\gamma} \end{aligned}$ |
| $A s{ }^{5}$ | 8.30 | - | 4.81 | 53.04 | $\begin{aligned} & 2.89: H^{1^{3} *} ; 6.94: H^{\delta \mathrm{c}} ; 7.63: \mathrm{H}^{5 b} \\ & 38.75: \mathrm{C}^{3^{3}} \end{aligned}$ |
| Cys ${ }^{6}$ | - | - | 4.92 | 53.97 | $\begin{aligned} & 3.21: \mathrm{H}^{(3 a} ; 2.93: \mathrm{H}^{[6]} \\ & 41.26: \mathrm{C}^{3^{3}} \end{aligned}$ |
| trans-Pro ${ }^{7}$ | - | - | 4.46 | 63.49 | $\begin{aligned} & \text { 1.94:H } H^{\mathrm{Ba}} ; 2.33: \mathrm{H}^{\mathrm{Bb}} ; 2.07: \mathrm{H}^{* *} ; 3.75: \mathrm{H}^{5 \mathrm{a}} ; 3.85: \mathrm{H}^{5 b} \\ & 32.18: \mathrm{C}^{B \mathrm{~B}} ; 27.61: \mathrm{C}^{\mathrm{V}} ; 50.81: \mathrm{C}^{\delta} \end{aligned}$ |
| Arg ${ }^{8}$ | 8.65 | - | 4.31 | 56.41 | $\begin{aligned} & 1.82: H^{\text {Ba }} ; 1.91: H^{\text {Bb }} ; 1.68: \mathrm{H}^{\gamma} * 3.23: \mathrm{H}^{5} * \\ & 30.71: \mathrm{C}^{B^{3}} ; 27.28: \mathrm{C}^{\gamma} ; 43.34: \mathrm{C}^{\delta} \end{aligned}$ |
| Gly ${ }^{9}$ | 8.45 | - | 3.93* | 44.91 |  |
| $\mathrm{NH}_{2}{ }^{10}$ | - | - | - | - | 7.48: $\mathrm{H}^{\mathrm{N}}$ * |

## Experimental NOE distances

Table S10 Experimental NOE distances of $\mathrm{Arg}^{8}$-vasopressin

|  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  | pH 4.7 |  |  | H 6. |  |
| res | atom | res | atom | Constraint |  |  | Constraint |  |  |
|  |  |  |  | $\mathrm{r}_{\text {exp }}$ | + | - | $\mathrm{r}_{\text {exp }}$ | + | - |
| $\mathrm{Cys}^{1}$ | $\mathrm{H}^{\text {a }}$ | Cys ${ }^{1}$ | $\mathrm{H}^{\text {®a }}$ | 2.4 | 0.5 | 0.5 | 2.3 | 0.5 | 0.5 |
| Cys ${ }^{1}$ | $\mathrm{H}^{\text {a }}$ | $\mathrm{Cys}^{1}$ | $\mathrm{H}^{\text {¢b }}$ | 2.8 | 0.6 | 0.6 | 2.3 | 0.5 | 0.5 |
| Cys ${ }^{1}$ | $\mathrm{H}^{\mathrm{Pa}}$ | $\mathrm{Cys}^{1}$ | $\mathrm{H}^{\mathrm{pb}}$ | 2.0 | 0.3 | 0.4 | 2.0 | 0.2 | 0.4 |
| Cys ${ }^{1}$ | $\mathrm{H}^{\text {a }}$ | Tyr ${ }^{2}$ | H | 4.1 | 0.8 | 0.8 | - | - | - |
| Cys ${ }^{1}$ | $\mathrm{H}^{\text {a }}$ | Phe ${ }^{3}$ | H | 5.5 | 1.1 | 1.1 | - | - | - |
| Cys ${ }^{1}$ | $\mathrm{H}^{\text {Pa }}$ | Cys ${ }^{6}$ | H | 4.5 | 0.9 | 0.9 | - | - | - |
| Cys ${ }^{1}$ | $\mathrm{H}^{\text {Ba }}$ | Cys ${ }^{6}$ | $H^{\alpha}$ | 4.5 | 0.9 | 0.9 | - | - | - |
| Tyr ${ }^{2}$ | H | Tyr ${ }^{2}$ | $\mathrm{H}^{\alpha}$ | 4.4 | 0.9 | 0.9 | - | - | - |
| Tyr ${ }^{2}$ | $\mathrm{H}^{\alpha}$ | Tyr ${ }^{2}$ | $H^{\text {fa,b }}$ | 2.3 | 0.5 | 0.5 | 2.2 | 0.4 | 0.4 |
| Tyr ${ }^{2}$ | $\mathrm{H}^{\text {a }}$ | Tyr ${ }^{2}$ | $\mathrm{H}^{\text {¢b,ab }}$ | 2.4 | 0.5 | 0.5 | 2.3 | 0.5 | 0.5 |
| Tyr ${ }^{2}$ | $\mathrm{H}^{\text {a }}$ | Tyr ${ }^{2}$ | $\mathrm{H}^{6}$ * | 4.2 | 0.8 | 0.8 | - | - | - |
| Tyr ${ }^{2}$ | $\mathrm{H}^{\text {®a }}$ | Tyr ${ }^{2}$ | $\mathrm{H}^{\mathrm{Fb}}$ | 1.8 | 0 | 0.4 | 2.1 | 0.3 | 0.4 |
| Tyr ${ }^{2}$ | $\mathrm{H}^{\mathrm{\beta a}}$ | Tyr ${ }^{2}$ | $\mathrm{H}^{\text {\% }}$ * | 4.4 | 0.9 | 0.9 | - | - | - |
| Tyr ${ }^{2}$ | $\mathrm{H}^{\mathrm{Fb}}$ | Tyr ${ }^{2}$ | $\mathrm{H}^{\text {\% }}$ * | 4.3 | 0.9 | 0.9 | - | - | - |
| Tyr ${ }^{2}$ | $\mathrm{H}^{81}$ | Tyr ${ }^{2}$ | $\mathrm{H}^{\text {e }}$ * | 2.5 | 0.5 | 0.5 | 2.6 | 0.5 | 0.5 |
| Tyr ${ }^{2}$ | H | Phe ${ }^{3}$ | H | 5.8 | 1.2 | 1.2 | - | - | - |
| Tyr ${ }^{2}$ | $\mathrm{H}^{\alpha}$ | Phe ${ }^{3}$ | H | 3.2 | 0.6 | 0.6 | 3.3 | 0.7 | 0.7 |
| Tyr ${ }^{2}$ | $\mathrm{H}^{\mathrm{Ba}}$ | Phe ${ }^{3}$ | H | 4.4 | 0.9 | 0.9 | - | - | - |
| Phe ${ }^{3}$ | H | Phe ${ }^{3}$ | $\mathrm{H}^{\alpha}$ | 3.1 | 0.6 | 0.6 | 3.3 | 0.7 | 0.7 |
| Phe ${ }^{3}$ | H | Phe ${ }^{3}$ | $\mathrm{H}^{\text {Ba }}$ | 4.2 | 0.8 | 0.8 | - | - | - |
| Phe ${ }^{3}$ | H | Phe ${ }^{3}$ | $\mathrm{H}^{\text {¢b }}$ | 3.8 | 0.8 | 0.8 | - | - | - |
| Phe ${ }^{3}$ | $\mathrm{H}^{\alpha}$ | Phe ${ }^{3}$ | $\mathrm{H}^{\text {Ba }}$ | 3.2 | 0.6 | 0.6 | 3.0 | 0.6 | 0.6 |
| Phe ${ }^{3}$ | $H^{\text {a }}$ | Phe ${ }^{3}$ | $\mathrm{H}^{\text {bb }}$ | 3.4 | 0.7 | 0.7 | - | - | - |
| Phe ${ }^{3}$ | $\mathrm{H}^{\text {a }}$ | Phe ${ }^{3}$ | $\mathrm{H}^{\text {\% * }}$ | 4.7 | 0.9 | 0.9 | - | - | - |
| Phe ${ }^{3}$ | $\mathrm{H}^{\text {Ba }}$ | Phe ${ }^{3}$ | $\mathrm{H}^{\text {¢b }}$ | 2.1 | 0.4 | 0.4 | 2.1 | 0.4 | 0.4 |
| Phe ${ }^{3}$ | $\mathrm{H}^{\text {Ba }}$ | Phe ${ }^{3}$ | $\mathrm{H}^{\text {\% }}$ | 2.8 | 0.6 | 0.6 | - | - | - |
| Phe ${ }^{3}$ | $\mathrm{H}^{\mathrm{Bb}}$ | Phe ${ }^{3}$ | $\mathrm{H}^{\text {\% }}$ * | 4.0 | 0.8 | 0.8 | - | - | - |
| Phe ${ }^{3}$ | $\mathrm{H}^{81}$ | Phe ${ }^{3}$ | $\mathrm{H}^{\text {E** }}$ | 2.6 | 0.5 | 0.5 | 2.6 | 0.5 | 0.5 |
| Phe ${ }^{3}$ | $\mathrm{H}^{\text {E1 }}$ | Phe ${ }^{3}$ | $\mathrm{H}^{\zeta}$ | 2.0 | 0.3 | 0.4 | 2.2 | 0.4 | 0.4 |
| Phe ${ }^{3}$ | H | GIn ${ }^{4}$ | H | - | - | - | 3.7 | 0.7 | 0.7 |
| Phe ${ }^{3}$ | $\mathrm{H}^{\text {a }}$ | GIn ${ }^{4}$ | H | 3.3 | 0.7 | 0.7 | 3.3 | 0.7 | 0.7 |
| Phe ${ }^{3}$ | $\mathrm{H}^{\text {Pa }}$ | $\mathrm{Gln}^{4}$ | H | 3.5 | 0.7 | 0.7 | - | - | - |
| Phe ${ }^{3}$ | $\mathrm{H}^{\mathrm{Fb}}$ | Gln ${ }^{4}$ | H | 3.2 | 0.6 | 0.6 | - | - | - |
| GIn ${ }^{4}$ | H | $\mathrm{GIn}^{4}$ | $\mathrm{H}^{\alpha}$ | 3.1 | 0.6 | 0.6 | - | - | - |
| GIn ${ }^{4}$ | H | $\mathrm{Gln}^{4}$ | $\mathrm{H}^{\text {Ba }}$ | 3.5 | 0.7 | 0.7 | - | - | - |
| GIn ${ }^{4}$ | H | $\mathrm{Gln}^{4}$ | $\mathrm{H}^{\mathrm{Fb}}$ | 3.8 | 0.8 | 0.8 | - | - | - |
| GIn ${ }^{4}$ | H | $\mathrm{GIn}^{4}$ | $\mathrm{H}^{\vee^{*}}\left(\mathrm{H}^{\text {®a }}\right)$ | 4.4 | 0.9 | 0.9 | - | - | - |
| GIn ${ }^{4}$ | $\mathrm{H}^{\alpha}$ | GIn ${ }^{4}$ | $\mathrm{H}^{\text {Ba }}$ | 2.9 | 0.6 | 0.6 | 2.5 | 0.5 | 0.5 |
| GIn ${ }^{4}$ | $\mathrm{H}^{\alpha}$ | GIn ${ }^{4}$ | $\mathrm{H}^{\mathrm{Bb}}$ | 2.7 | 0.5 | 0.5 | 2.5 | 0.5 | 0.5 |
| GIn ${ }^{4}$ | $H^{\alpha}$ | $\mathrm{Gln}^{4}$ | $\mathrm{H}^{\nu^{*}}\left(\mathrm{H}^{\vee a}\right)$ | 3.9 | 0.8 | 0.8 | 2.5 | 0.5 | 0.5 |
| GIn ${ }^{4}$ | $\mathrm{H}^{\mathrm{Ba}}$ | $\mathrm{Gln}^{4}$ | $\mathrm{H}^{\mathrm{Pb}}$ | 2.1 | 0.3 | 0.4 | - | - | - |

## Supporting Information

| res | atom | res | atom | pH 4.7 |  |  | pH 6.0 |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  | Constraint |  |  | Constraint |  |  |
|  |  |  |  | $\mathrm{r}_{\text {exp }}$ | + | - | $\mathrm{r}_{\text {exp }}$ | + | - |
| $\mathrm{Gln}^{4}$ | $\mathrm{H}^{\text {Ba }}$ | $\mathrm{Gln}^{4}$ | $\mathrm{H}^{v^{*}}\left(\mathrm{H}^{\text {va }}\right)$ | 2.4 | 0.5 | 0.5 | 2.5 | 0.5 | 0.5 |
| Gln ${ }^{4}$ | $\mathrm{H}^{\text {E1 }}$ | Gln ${ }^{4}$ | $\mathrm{H}^{\text {®2 }}$ | 1.8 | 0.0 | 0.4 | 1.8 | 0.1 | 0.4 |
| GIn ${ }^{4}$ | $\mathrm{H}^{\text {a }}$ | Cys ${ }^{6}$ | H | 5.0 | 1.0 | 1.0 | - | - | - |
| $\mathrm{Gln}^{4}$ | $\mathrm{H}^{\text {a }}$ | Asn ${ }^{5}$ | H | - | - | - | 3.0 | 0.6 | 0.6 |
| Asn ${ }^{5}$ | H | Asn ${ }^{5}$ | $\mathrm{H}^{\alpha}$ | 3.0 | 0.6 | 0.6 | - | - | - |
| Asn ${ }^{5}$ | H | Asn ${ }^{5}$ | $\mathrm{H}^{\text {®** }}$ | 3.4 | 0.7 | 0.7 | - | - | - |
| $A s n^{5}$ | $\mathrm{H}^{\alpha}$ | $A s n^{5}$ | $\mathrm{H}^{\text {® }}$ * | 3.2 | 0.6 | 0.6 | 2.9 | 0.6 | 0.6 |
| $A s n^{5}$ | $\mathrm{H}^{61}$ | Asn ${ }^{5}$ | $\mathrm{H}^{62}$ | 1.7 | 0.1 | 0.3 | 1.7 | 0 | 0.3 |
| $A s n^{5}$ | H | Cys ${ }^{5}$ | H | 3.1 | 0.6 | 0.6 | 3.5 | 0.7 | 0.7 |
| $A s n^{5}$ | $\mathrm{H}^{\alpha}$ | Cys ${ }^{6}$ | H | 3.3 | 0.7 | 0.7 | - | - | - |
| Cys ${ }^{6}$ | H | Cys ${ }^{5}$ | $\mathrm{H}^{\text {a }}$ | 2.8 | 0.6 | 0.6 | - | - | - |
| Cys ${ }^{6}$ | H | Cys ${ }^{6}$ | $\mathrm{H}^{\text {Ba }}$ | 3.2 | 0.6 | 0.6 | - | - | - |
| Cys ${ }^{6}$ | H | Cys ${ }^{6}$ | $\mathrm{H}^{\text {bb }}$ | 4.0 | 0.8 | 0.8 | - | - | - |
| Cys ${ }^{6}$ | $\mathrm{H}^{\text {a }}$ | Cys ${ }^{6}$ | $\mathrm{H}^{\text {Ba }}$ | 2.5 | 0.5 | 0.5 | 2.9 | 0.6 | 0.6 |
| $\mathrm{Cys}^{\text {b }}$ | $\mathrm{H}^{\alpha}$ | $\mathrm{Cys}^{6}$ | $\mathrm{H}^{\mathrm{\beta b}}$ | 2.5 | 0.5 | 0.5 | 2.8 | 0.6 | 0.6 |
| Cys ${ }^{6}$ | $\mathrm{H}^{\mathrm{Ba}}$ | Cys ${ }^{6}$ | $\mathrm{H}^{\mathrm{Fb}}$ | 2.0 | 0.3 | 0.4 | 2.0 | 0.3 | 0.4 |
| Cys ${ }^{6}$ | H | $\mathrm{PrO}^{7}$ | $\mathrm{H}^{\text {ba }}$ | 5.1 | 1.0 | 1.0 | - | - | - |
| Cys ${ }^{6}$ | H | $\mathrm{PrO}^{7}$ | $\mathrm{H}^{\text {b b }}$ | 4.9 | 1.0 | 1.0 | - | - | - |
| Cys ${ }^{6}$ | $H^{\alpha}$ | $\mathrm{PrO}^{7}$ | $\mathrm{H}^{\text {ba }}$ | 3.7 | 0.7 | 0.7 | - | - | - |
| Cys ${ }^{6}$ | $\mathrm{H}^{\text {a }}$ | Pro ${ }^{7}$ | $\mathrm{H}^{\text {¢b }}$ | 3.6 | 0.7 | 0.7 | - | - | - |
| Pro ${ }^{7}$ | $\mathrm{H}^{\text {a }}$ | Pro ${ }^{7}$ | $\mathrm{H}^{\text {Ba }}$ | 2.2 | 0.4 | 0.4 | 2.3 | 0.5 | 0.5 |
| Pro ${ }^{7}$ | $\mathrm{H}^{\alpha}$ | $\mathrm{PrO}^{7}$ | $\mathrm{H}^{\text {¢b }}$ | 2.0 | 0.2 | 0.4 | 2.3 | 0.5 | 0.5 |
| Pro ${ }^{7}$ | $\mathrm{H}^{\text {a }}$ | Pro ${ }^{7}$ | $\mathrm{H}^{火^{*}}$ | 3.8 | 0.8 | 0.8 | - | - | - |
| Pro ${ }^{7}$ | $\mathrm{H}^{\mathrm{Ba}}$ | Pro ${ }^{7}$ | $\mathrm{H}^{\mathrm{Bb}}$ | 2.6 | 0.5 | 0.5 | 2.4 | 0.5 | 0.5 |
| Pro ${ }^{7}$ | $\mathrm{H}^{\mathrm{Pa}}$ | Pro ${ }^{7}$ | $\mathrm{H}^{v^{*}}$ | 2.4 | 0.5 | 0.5 | 2.4 | 0.5 | 0.5 |
| Pro ${ }^{7}$ | $\mathrm{H}^{\mathrm{pb}}$ | $\mathrm{PrO}^{7}$ | $\mathrm{H}^{v^{*}}$ | 2.6 | 0.5 | 0.5 | 2.6 | 0.5 | 0.5 |
| Pro ${ }^{7}$ | $\mathrm{H}^{* *}$ | $\mathrm{PrO}^{7}$ | $\mathrm{H}^{6}$ * | 3.4 | 0.7 | 0.7 | 2.9 | 0.6 | 0.6 |
| Pro ${ }^{7}$ | $\mathrm{H}^{\text {cb }}$ | $\mathrm{PrO}^{7}$ | $\mathrm{H}^{\text {cb }}$ | 2.4 | 0.5 | 0.5 | 2.2 | 0.4 | 0.4 |
| Pro ${ }^{7}$ | $H^{\text {a }}$ | $\mathrm{Arg}^{8}$ | H | 2.8 | 0.6 | 0.6 | 2.9 | 0.6 | 0.6 |
| Arg ${ }^{8}$ | H | $\mathrm{Arg}^{8}$ | $\mathrm{H}^{\text {a }}$ | 2.8 | 0.6 | 0.6 | 3.5 | 0.7 | 0.7 |
| Arg ${ }^{8}$ | H | $\mathrm{Arg}^{8}$ | $\mathrm{H}^{\text {Ba }}$ | 4.2 | 0.8 | 0.8 | - | - | - |
| Arg ${ }^{8}$ | H | $\mathrm{Arg}^{8}$ | $\mathrm{H}^{\text {bb }}$ | 4.5 | 0.9 | 0.9 | - | - | - |
| Arg ${ }^{8}$ | $\mathrm{H}^{\alpha}$ | $\mathrm{Arg}^{8}$ | $\mathrm{H}^{\text {¢a }}$ | 3.1 | 0.6 | 0.6 | 2.8 | 0.6 | 0.6 |
| Arg ${ }^{8}$ | $\mathrm{H}^{\text {a }}$ | $\mathrm{Arg}^{8}$ | $\mathrm{H}^{\text {¢b }}$ | 2.9 | 0.6 | 0.6 | 2.8 | 0.6 | 0.6 |
| Arg ${ }^{8}$ | $\mathrm{H}^{\mathrm{Ba}}$ | $\mathrm{Arg}^{8}$ | $\mathrm{H}^{\text {¢b }}$ | 2.2 | 0.4 | 0.4 | 2.1 | 0.4 | 0.4 |
| Arg ${ }^{8}$ | $\mathrm{H}^{\mathrm{Ba}}$ | $\mathrm{Arg}^{8}$ | $\mathrm{H}^{\gamma *}$ | 2.5 | 0.5 | 0.5 | 2.4 | 0.5 | 0.5 |
| Arg ${ }^{8}$ | $\mathrm{H}^{\mathrm{Pb}}$ | $\mathrm{Arg}^{8}$ | $\mathrm{H}^{\gamma *}$ | 2.7 | 0.5 | 0.5 | 2.6 | 0.5 | 0.5 |
| Arg ${ }^{8}$ | $\mathrm{H}^{* *}$ | $\mathrm{Arg}^{8}$ | $\mathrm{H}^{6}$ * | 2.7 | 0.5 | 0.5 | - | - | - |
| $\mathrm{Gly}^{9}$ | H | $\mathrm{Gly}^{9}$ | $H^{\alpha 1,2}$ | 2.5 | 0.5 | 0.5 | - | - | - |
| Gly ${ }^{9}$ | $\mathrm{H}^{01,2}$ | Gly ${ }^{9}$ | $\mathrm{H}^{\mathrm{N1}, 2}$ | 4.8 | 1.0 | 1.0 | - | - | - |
| Gly ${ }^{9}$ | $\mathrm{H}^{\mathrm{NI}}$ | Gly ${ }^{9}$ | $\mathrm{H}^{\mathrm{N} 2}$ | 1.6 | 0.1 | 0.3 | 1.9 | 0.1 | 0.4 |

## Gaussian archive entries for the B3LYP/6-31G(d)-optimized geometries.

## Saddle, folded:

$1 \backslash 1 \backslash$ FAU-CCC-CCDH171\FOpt $\backslash$ RB3LYP $\backslash 6$-31G (d) \C46H67N15012S2 (2+) \CLARK\09-E eb-2016 olded tail conformation $\backslash \backslash 2,1 \backslash \mathrm{~N},-1.4938370366,-0.6015217359,12.69638104$ $71 \backslash \mathrm{H},-0.9903782545,-1.5308378805,12.7504989922 \backslash \mathrm{H},-0.8120518054,0.15181$ $10275,12.8326961217 \backslash \mathrm{H},-1.864119398,-0.5033399292,11.7454588633 \backslash \mathrm{C},-2.60$ $5792741,-0.5379161939,13.7155775749 \backslash \mathrm{H},-3.1272650232,0.4092089179,13.56$ $57956249 \backslash \mathrm{C},-3.5365011596,-1.7319516155,13.4178273726 \backslash \mathrm{H},-4.0811751524,-$ $1.5399616501,12.4899417702 \backslash \mathrm{H},-2.9239088163,-2.6256043932,13.2846564448$ $\backslash 5,-4.7416176025,-2.0836913771,14.7794126001 \backslash \mathrm{C},-1.9074363272,-0.570973$ $56,15.0898536924 \backslash 0,-0.8862951443,-1.2401765695,15.2457431489 \backslash \mathbb{N},-2.440$ $4259855,0.191763833,16.0614987713 \backslash \mathrm{H},-3.2752259189,0.737835376,15.08177$
 9674, 084054, 8731772, 675079684810.054535776 .50778674418 .765309077110 .222
 13346913, $.5425644,20.9031226035 \backslash 1, .757371642,3.05480283,20.938$ $6124061 \mathrm{c},-0.865351264,2.2135865057,22.09151411510,-0.361481414,2.503$ $448726,23.326783623, H_{1}, 49387074,2.95460359,23.230085509,-2.10$ $471384,1.5665240756,22.03475754$ (H, $-2.6222336217,1.332471125,22.959$ $8151025 \backslash C,-2.6623940603,1.2428382407,20.7983366683 \backslash H,-3.6314359279,0$. $501133008,20.7687275015 \backslash \mathrm{C},-1.7067274053,-1.1312443015,17.9970141985 \backslash 0$ $-2.6443626237,-1.9348709493,17.9161253668 \backslash \mathrm{~N},-0.5555920276,-1.415201642$ $7,18.6453494755 \backslash \mathrm{H}, 0.1663074328,-0.7047273746,18.6843521394 \backslash \mathrm{C},-0.168134$ $9355,-2.7860094021,18.9854756442 \backslash \mathrm{H},-0.537534714,-3.4365174647,18.18462$ $97966 \backslash \mathrm{C}, 1.3726669538,-2.9263203407,19.0328974749 \backslash \mathrm{H}, 1.5725283117,-3.973$ $7235764,19.2774503306 \backslash \mathrm{H}, 1.7561772452,-2.749113278,18.0226104799 \backslash \mathrm{C}, 2.06$ $15343458,-2.0068742125,20.0207203673 \backslash \mathrm{C}, 2.0609839625,-2.2959298728,21.3$ $953418302 \backslash \mathrm{H}, 1.5876309794,-3.2069291943,21.7519664203 \backslash \mathrm{C}, 2.6739387047,-1$ $.4344992468,22.3054729819 \backslash \mathrm{H}, 2.6668246519,-1.6806729184,23.3636938642 \backslash \mathrm{C}$ , 3.2997791612,-0.2665222104,21.8586034026\H, $3.7791063265,0.4020902253$, $22.5682300898 \backslash \mathrm{C}, 3.3146070867,0.0283748682,20.4948489335 \backslash \mathrm{H}, 3.8083755581$ , 0. $9269438007,20.1350873444 \backslash \mathrm{C}, 2.70216177,-0.8381541307,19.5841647418 \backslash \mathrm{H}$ , 2.7389460203,-0.611565498B,18.5203585808\С, $-0.829064977,-3.3772836854$ , 20.242780506 $10,-0.6402312765,-4.5649587972,20.5072987981 \backslash \mathrm{~N},-1.6492466$ $899,-2.5741577546,20.9682027117 \backslash \mathrm{H},-1.7082217143,-1.5920724623,20.72512$ $62504 \backslash \mathrm{C},-2.5423014686,-3.1180508137,21.9838685387 \backslash \mathrm{H},-2.0725706153,-4.0$ 278007727,22.3632085842\C,-2.7519176721,-2.1493289437,23.1593931226\H, $-3.211200055,-1.2239997959,22.7918853644 \backslash \mathrm{H},-3.4696748711,-2.618930618$, $23.8358922006 \backslash \mathrm{C},-1.4710140576,-1.8002429392,23.9206241204$ (H, -0.7059466 $155,-1.3986527806,23.2451290556 \backslash \mathrm{H},-1.6876597,-0.9989111824,24.63940870$ $11 \backslash \mathrm{C},-0.8807494765,-2.9750428888,24.7001135588 \backslash 0,-1.4510693245,-4.0599$ $639721,24.8169051415 \backslash \mathrm{~N}, 0.3422637719,-2.7377648967,25.2492507726 \backslash \mathrm{H}, 0.72$ $04032898,-3.4234539713,25.8900005475 \backslash \mathrm{H}, 0.723703374,-1.8030035166,25.29$ $55736956 \backslash C_{,}-3.9075817202,-3.5680319732,21.4111438628 \backslash 0,-4.7114370312$, $4.1550173662,22.1368177205 \backslash \mathrm{~N},-4.1346624855,-3.2780298514,20.1042144663$ $\backslash \mathrm{H},-3.4352202799,-2.7548987318,19.585618415 \backslash \mathrm{C},-5.3639930836,-3.6369881$ $053,19.4152832151 \backslash \mathrm{H}_{1}-6.024910324,-4.0886938439,20.154357237 \backslash \mathrm{C},-6.05510$ $38056,-2.3819830441,18.8376025408 \backslash \mathrm{H},-6.1158433098,-1.6408114656,19.643$ $3182007 \backslash \mathrm{H},-5.4511319711,-1.9439134656,18.0372511848 \backslash \mathrm{C},-7.4881686262,-2$ $.6719956463,18.3923706592 \backslash 0,-8.2783092774,-3.2763225652,19.1167914113 \backslash$ $\mathrm{N},-7.8278221938,-2.2027472811,17.1669773814 \backslash \mathrm{H},-8.7790383209,-2.3175369$ $864,16.8423413805 \backslash \mathrm{H},-7.1901959993,-1.67480329,16.5887016921 \backslash \mathrm{C},-5.1485$ $67525,-4.7190357307,18.3321312567 \backslash 0,-5.9325317146,-5.6632134075,18.23$ $2804478 \backslash \mathrm{~N},-4.0892121103,-4.540785298,17.4929332952 \backslash \mathrm{H},-3.4457399182,-3$ $7644007415,17.6274043324 \backslash \mathrm{C},-3.7506141093,-5.5281018133,16.484120581 \backslash \mathrm{H}$ $-4.5304351037,-6.2863551843,16.535687226 \backslash \mathrm{C},-3.6623321009,-4.9553085587$ $15.0574077918 \backslash \mathrm{H},-2.8167264157,-4.2677961541,14.9859798717 \backslash \mathrm{H},-3.480058$ ' $9647,-5.7733933854,14.3531005866 \backslash \mathrm{~S},-5.1637652684,-4.0927309583,14.4239$ $9647,-5.7733933854,14.3531005866 \backslash \mathrm{~S},-5.1637652684,-4.0927309583,14.4239$ $3419392298,16.9790470217 \backslash \mathrm{~N},-2.2136163182,-7.4511441477,16.8514741095$ $-3.2203930696,-8.4895605436,16.5400175803 \backslash \mathrm{H}_{2}-3.8156211585,-8.20848842$
 $51,15.669073099,-3.8918135316,-8.630964882,17.3951743856 \backslash,-2.36119$ $7938,-9.734872905,16.2828067978 \backslash \mathrm{H},-2.017148384,-9.7339270737,15.2442$ 73027,

 3021, $70250674196,16.173211139510,0.0798547885,-7.6570532438,14.0601$ $654681 \backslash N, 1.3444592008,-7.2534937567,16.7005121883 \backslash \mathrm{H}, 1.4274408752,-7.24$
$85036015,17.7086027115 \backslash \mathrm{C}, 2.5229786673,-6.8087824372,15.9517310657 \backslash \mathrm{H}, 3$ $1395847589,-6.2927669933,16.6974354844 \backslash C, 3.3972826753,-7.9481405505,15$ $.3931836215 \backslash \mathrm{H}, 4.3169858817,-7.4850403446,15.0204550582 \backslash \mathrm{H}, 3.6793493526$, $-8.583563539,16.2412655589 \backslash \mathrm{C}, 2.7785773507,-8.8078169378,14.2842398386$ H, 1.8647521376, -9.2947649909,14.6374663678\H, $2.5065000127,-8.16907795$ $4,13.4374922454 \backslash \mathrm{C}, 3.7688136265,-9.8771905086,13.8186136687 \backslash \mathrm{H}, 4.6919860$ $591,-9.4092104322,13.4542050558 \backslash \mathrm{H}, 4.0258198598,-10.5351477023,14.65801$ $28772 \backslash \mathrm{~N}, 3.1726922716,-10.6813251871,12.7438235291 \backslash \mathrm{H}, 2.2788137323,-10.3$ $7999347,12.3778290395 \backslash \mathrm{C}, 3.7479322491,-11.7394793342,12.1692084122 \backslash \mathrm{~N}, 4$. $9599930663,-12.1498613985,12.5617732133 \backslash \mathrm{H}, 5.4117490229,-11.7450380218$ $13.3683095963 \backslash \mathrm{H}, 5.3470088616,-13.0155039561,12.2129797708 \backslash \mathrm{~N}, 3.10501300$ $22,-12.411507185,11.2000604547 \backslash \mathrm{H}, 2.2735681473,-12.0230103239,10.776976$ $483 \backslash \mathrm{H}, 3.5961741641,-13.1063802632,10.6548133481 \backslash \mathrm{C}, 2.2100891808,-5.7216$ 554212,14.9008818785\0,2.9334176821,-5.5776821502,13.9158899051\N,1.17 $33350483,-4.8881731464,15.1822028085 \backslash \mathrm{H}, 0.5541471777,-5.085936346,15.96$ $3319407 \backslash \mathrm{C}, 0.8168717704,-3.7991957615,14.2975529267 \backslash \mathrm{H}, 0.4155025021,-2$. $653757221,14.875506144 \backslash \mathrm{H}, 1.7187641795,-3.4532564342,13.7845240038 \backslash \mathrm{C},-0$ $.2132817309,-4.1249627755,13.2171219534 \backslash 0,-0.6702757754,-3.2130221091$, $12.4976405632 \backslash \mathrm{~N},-0.5796689504,-5.4026585811,13.0691652248 \backslash \mathrm{H},-0.2675266$ $131,-6.1444916948,13.6949608566 \backslash \mathrm{H},-1.2667189567,-5.6266958827,12.36040$ $94465 \backslash \backslash$ Version=ES64L-G09RevD.01\State=1-A $\backslash$ HF=-4313.5927691 \RMSD=3.591 $-09 \backslash$ RMSF $=3.036 \mathrm{e}-06 \backslash$ Dipole $=13.4501097,-4.2290357,-17.452117 \backslash$ Quadrupole $=$ $-127.3751545,152.9779912,-25.6028367,-153.0985891,-9.8813411,143.23000$ $92 \backslash \mathrm{PG}=\mathrm{C} 01[\mathrm{X}(\mathrm{C} 46 \mathrm{H} 67 \mathrm{~N} 15012 \mathrm{S2})] \backslash \backslash$ @

## Saddle, extended:

$1 \backslash 1 \backslash$ FAU-CCC-CCDH171 \FOpt $\$ RB3LYP $\backslash 6-31 G(d) \backslash C 46 H 67 N 15012 S 2(2+)$ \CLARK $\backslash 23-A$ pr-2015 $\backslash 0 \backslash \backslash$ \# b31yp/6-31g (d) opt name=clark scrf=pcm <br>AVP_10us_T16_3-5a ddle $\backslash \backslash 2,1 \backslash \mathrm{~N},-5.2438321567,-5.6490704753,-16.3542613855 \backslash \mathrm{H},-5.5 \overline{9} 361 \overline{2} 3 \overline{7} 41$ $,-5.6194867886,-17.3196982834 \backslash \mathrm{H},-4.2388925628,-5.4434193036,-16.389696$ 2299 पH, $-5.7092717337,-4.8938011157,-15.8344195378 \backslash \mathrm{C},-5.5245781916,-6.9$ $806887529,-15.6947633282 \backslash \mathrm{H},-5.1779390577,-7.7451622323,-16.3917974115 \backslash$ $C,-4.7497007695,-7.0391067826,-14.3699953292 \backslash \mathrm{H},-3.6876353832,-6.85190$ $245,-14.5479475133 \backslash \mathrm{H}_{1}-5.143333902,-6.2883430372,-13.6806020209 \backslash \mathrm{~S}_{,}-4.95$ $25760774,-8.7199371575,-13.6174522588 \backslash \mathrm{C},-7.051774079,-7.022519435,-15$. $4805573825 \backslash 0,-7.6089593165,-6.0544907688,-14.9434026512 \backslash \mathrm{~N},-7.691413028$ $6,-8.1086850389,-15.9204083914 \backslash \mathrm{H},-7.15767149,-8.861476026,-16.33834847$ $14 \backslash \mathrm{C},-9.1434609539,-8.2707895853,-15.850703176 \backslash \mathrm{H},-9.5983708043,-7.3735$ $894984,-16.2824037378 \backslash \mathrm{C},-9.5173112668,-9.5157327937,-16.6978849388 \backslash \mathrm{H}$, $9.031071766,-9.379277505,-17.672557498 \backslash \mathrm{H},-9.0758349435,-10.4016055616$ $-16.2275114132 \backslash C,-11.0032207558,-9.7232081954,-16.8923445562 \backslash C,-11.637$ $8648783,-10.8658104557,-16.3810211422 \backslash \mathrm{H},-11.0422509135,-11.6080582817$ $-15.8534932167 \backslash \mathrm{C},-13.003503726,-11.0833309846,-16.5627430592$ \H, -13.488 $2196155,-11.9665270216,-16.1551223304 \backslash \mathrm{C},-13.7632349429,-10.1445558123$, $-17.270779857110,-15.0986020453,-10.3939985696,-17.4150740099$ (H,-15.51 $23524365,-9.6620986448,-17.9011716291 \backslash,-13.1460397028,-9.0062965525$. $17.8039453512 \backslash \mathrm{H},-13.7314215119,-8.2823733684,-18.365695679 \backslash \mathrm{C},-11.77949$ $48419,-8.8053061424,-17.6144167232 \backslash \mathrm{H},-11.315542432,-7.9219373531,-18$. $479052846 \backslash \mathrm{C},-9.5967405498,-8.3894782115,-14.3797016025 \backslash 0,-8.8337005022$ ,-8.8140549592,-13.5018836335\N,-10.8673823352,-8.0136888415,-14.11131 $07724 \backslash \mathrm{H},-11.4571064426,-7.6872336609,-14.8691635824 \backslash \mathrm{C},-11.3476882406$, $7.8424569001,-12.7387450498 \backslash \mathrm{H},-10.5165651648,-7.4352823044,-12.155064$ $052 \backslash \mathrm{C},-12.4981965238,-6.8097296457,-12.6651579457 \backslash \mathrm{H},-12.7506351129,-6$ $7215750472,-11.6038436473 \backslash \mathrm{H},-12.092712098,-5.8433370038,-12.9821523956$ $\backslash \mathrm{C},-13.7334006281,-7.1452510183,-13.4759368123 \backslash \mathrm{C},-14.6592150372,-8.097$ $4042677,-13.0176740417 \backslash \mathrm{H},-14.4972659528,-8.5846372311,-12.0595575162 \backslash$ $40426,-13.01523888754,-8.4095361546,-13.7692261839 \backslash \mathrm{H},-16.5003014471,-9.14473$ $8668,-13.3962357461 \backslash \mathrm{C},-16.0241052785,-7.7711943798,-14.9918621357 \backslash \mathrm{H},-1$ $6.9091161752,-8.0121115841,-15.5740235545 \backslash \mathrm{C},-15.118416223,-6.814938218$ $6.909116152,-8.0121115841,-15.5740235545 \backslash \mathrm{C},-15.118416223,-6.814938218$ $6,-15.4521600425 \backslash \mathrm{H},-15.2954536166,-6.3029735791,-16.3939513091 \mathrm{C},-13.9$ $829446161,-6.5044822609,-14.6975706893 \backslash \mathrm{H},-13.2930043885,-5.742914132$, -$425706,-9.0891676901,-10.7717517816 \backslash \mathrm{~N},-11.7188591452,-10.3000844549,-1$ $425706,-9.0891676901,-10.7717517816 \backslash \mathrm{~N},-11.7188591452,-10.3000844549,-1$ $2.6975622374 \backslash \mathrm{H},-11.6370808614,-10.2567181232,-13.7076084038 \backslash \mathrm{C},-11.795$ $11.0609558448 \backslash \mathrm{C},-12.6513227593,-12.609222876,-12.9197455566 \backslash \mathrm{H},-12.2494$ $11.0628,-12.74532840,-13.0290370122 \backslash \mathrm{H}, 1255295499,-13,5714761726$ 12 $3087662447 \mathrm{C}, 14.128678577,-12$ (12088499152,
 $-13.3781245518) \mathrm{C}, 14.0314478253,-13.1911720002,13.751902218210,-14.49$ 80557541, 13.652146661, 14.0123793010 $10,16.1578607309,-13.5115716488$ 17. 2751516107 H 16.7536075213 .14 .1238645106 -13.8166284057 H -16.5
 $8,-11.7311839683 \backslash 0,-10.3322737665,-13.2712608892,-11.110937336 \backslash \mathrm{~N},-9.32$
$97540584,-11.5160345524,-12.1774072926 \backslash \mathrm{H},-9.4780086904,-10.6599440727$, $-12.7009430424 \backslash \mathrm{C},-7.9635200384,-11.9752918257,-11.9890587593 \backslash \mathrm{H},-8.029$ $19482,-12.9762661512,-11.5611641328 \backslash \mathrm{C},-7.1946910342,-12.0173121028,-13$ $.3325401676 \backslash \mathrm{H},-7.1541582613,-11.0171630548,-13.770066191 \backslash \mathrm{H},-6.16908419$ $36,-12.3483219697,-13.1356807214 \backslash \mathrm{C},-7.8756015796,-12.9349328128,-14.34$ $51902503 \backslash 0,-8.6192309814,-12.4994700529,-15.2278291764 \backslash \mathrm{~N},-7.6356407107$ , $-14.2580567544,-14.187564745 \backslash \mathrm{H},-8.0737846834,-14.9183431663,-14.81604$ $71502 \backslash \mathrm{H},-6.9936084718,-14.6175853385,-13.4957886861 \backslash \mathrm{C},-7.1892310303,-1$ $1.1421468423,-10.9428825122 \backslash 0,-6.5765957924,-11.7031115191,-10.0352298$ $682 \backslash \mathrm{~N},-7.2014861167,-9.7901538361,-11.1170879648 \backslash \mathrm{H},-7.7935133544,-9.37$ $32304752,-11.8311918714 \backslash \mathrm{C},-6.6100208541,-8.8951457605,-10.1323138753 \backslash \mathrm{H}$ $,-6.0173889475,-9.5274517724,-9.4739439546 \backslash C,-5.7110280082,-7.81051706$ $44,-10.747054146 \backslash \mathrm{H},-6.2801670908,-7.1379447389,-11.3907026509 \backslash \mathrm{H},-5.280$ $3419659,-7.2056705306,-9.9411634413 \backslash 5,-4.2506392382,-8.4325927305,-11$ $6831496068 \backslash C,-7.7591078363,-8.203358775,-9.3701570951 \backslash 0,-8.5421511667$ $-7.4537917616,-9.9850158165 \backslash \mathrm{~N},-7.9202176724,-8.4648884395,-8.064675439$ $3 \backslash \mathrm{C},-7.0399898429,-9.2726007907,-7.1880631605 \backslash \mathrm{H},-5.9949272361,-8.98090$ $42852,-7.3144342891 \backslash \mathrm{H},-7.1406804158,-10.3343534051,-7.4374787963 \backslash \mathrm{C},-7$ $5593202313,-8.9573538026,-5.7783651119 \backslash \mathrm{H},-7.0429711432,-8.0777906074$, $5.3821196467 \backslash \mathrm{H},-7.3978923077,-9.7900950474,-5.0894885593 \backslash \mathrm{C},-9.04680697$ $83,-8.6422112753,-5.9976870977 \backslash \mathrm{H},-9.4884637614,-8.0559689085,-5.18758$ $8624 \backslash \mathrm{H},-9.6271359605,-9.5649869551,-6.1011956978 \backslash \mathrm{C},-9.0617160244,-7.88$ $62028897,-7.3459703896 \backslash \mathrm{H},-9.9785435505,-8.0691289553,-7.9133648856 \backslash \mathrm{C}$, $8.8717063525,-6.3683559595,-7.1637130908 \backslash 0,-7.7569774383,-5.848119992$ $,-7.1108972137 \backslash \mathrm{~N},-10.0332833278,-5.67303761,-7.0645675997 \backslash \mathrm{H},-10.907221$ $8015,-6.1818095582,-6.9826609674 \backslash \subset,-10.1072026736,-4.2759235101,-6.661$ $0432904 \backslash \mathrm{H},-9.0880581415,-3.9507169097,-6.4344316362 \backslash \mathrm{C},-10.7323427033$, $3.3686525045,-7.7522125802 \backslash H,-11.623117456,-3.8742710103,-8.1461547679$ $\backslash \mathrm{H},-11.0896253774,-2.4545601032,-7.2642503114 \backslash \mathrm{C},-9.809308724,-2.951529$ \H, $-11.0896253774,-2.4545601032,-7.2642503114 \backslash \mathrm{C},-9.809308724,-2.951529$ $354688,-2.3987165396,-8.5085650298 \backslash \mathrm{C},-9.3098972482,-4.0979728641,-9.79$ $354688,-2.3987165396,-8.5085650298 \backslash C,-9.3098972482,-4.0979728641,-9.79$ 09902416\H,-8.5810686701,-4.7144091024,-9.2578514257\H,-10.1438883228 $-4.7412967762,-10.0921795566 \backslash \mathrm{~N},-8.6939047148,-3.5396161745,-11.003937$ $76244058,-12.1018913514 \backslash N,-8.5191138566,-5696920106,-12.1294311461$ $76244058,-12.1018913514 \backslash \mathrm{~N},-8.5191138566,-5.5696920106,-12.1294311461 \backslash \mathrm{H}$ , $-12.9976400969 \backslash \mathrm{~N},-7.9570130934,-3.6001763649,-13.2040419614 \backslash \mathrm{H},-894429$ $477906,-2.6151449259,-13.3298175196 \backslash \mathrm{H},-7.7789098529,-4.1491042245,-14$ $0369149485 \backslash \mathrm{C},-10.9950080061,4.1933165636,5,408034399210,-11.93588223$ 52014 $42,-4.9712643471,-5.2475256702 \backslash \mathrm{~N},-10.6756495596,-3.2056353013,-4.53335$ $96156 \backslash \mathrm{H},-9.92$.
 , $-11.0243808297,-2.414573019,-2.636120128 \backslash C,-12.5754636271,-1.71324973$
 4717802751. $.0517802751 \backslash \mathrm{H},-14.04046522,-0.4800677065,3678130$. L-G09RevC. $01 \backslash$ St ate $=1-\mathrm{A} \backslash \mathrm{HF}=-4313.5939836 \backslash \mathrm{RMSD}=4.734 \mathrm{e}-09 \backslash$ RMSF $=5.834 \mathrm{e}-06$
 16, 56.1172084, 2S2) ] <br>@

## Clinched open, folded:

$1 \backslash 1 \backslash$ FAU-CCC-CCDH172 \FOpt $\backslash$ RB3LYP $\backslash 6-31 G(d) \backslash C 46 H 67 N 15012 S 2(2+) \backslash C L A R K \backslash 09-E$ eb-2016 0 ( with folded tail conformation $\backslash 2,1 \backslash \mathrm{~N},-4.6682334799 .8 .0993140401,13.31$ $31705382 \backslash \mathrm{H},-5.4455683387,7.8609298261,13.9367649039 \backslash \mathrm{H},-3.9137849027 .8$. $51705382 \backslash \mathrm{H},-5.4455683387,7.8609298261,13.9367649039 \backslash \mathrm{H},-3.9137849027,8$. $5642922186,13.8529211236 \backslash \mathrm{H},-4.287253024,7.2210351736,12.9444587875 \backslash \mathrm{C}$, .3445834089 СС, $-6.2289566695,9.9295751679,12.6766037168$ (H, -7.0091715035 $0.2969004206,13.1077449991$ H, $-5.8921985738,106599018823,13.417708400$ , $9.2969004206,13.1077449991 \backslash \mathrm{H},-5.8921985738,10.6599018823,13.417708400$ $0526.11 .94707240310,-2.9370252525,9.9615305362,12.8496246507 \backslash \mathrm{~N},-3.6551$ $614883,10.4664836688,10.74981844421 \mathrm{H}-4.3053031726,10.2279471715,1050$ $614883,10.4664836688,10.7498184442 \backslash \mathrm{H},-4.3053031726,10.2279471715,10.00$ $92802115 \backslash \mathrm{C},-2.4239397414,11.1858245286,10.3940607696 \backslash \mathrm{H},-1.5733278493,1$ $0.5682264845,10.6947407768 \backslash C,-2.3834567456,11.4005907394,8.8590818851$ H, $580511477 \backslash \mathrm{C}, 02235136,11.8056399072,8305091341 \mathrm{C}, 0.73756151$ $34,13.1341960957,7.9930310539 \backslash \mathrm{H},-1.5048631877 .13 .8952011658,8.10496788$ 37,13.134196095, 9 964, $70912.9549325292,6.867314166 \backslash \mathrm{H} .3240159891,12.1928134868,6.80623601$ 10.12. $4490496235,11.2060571255,7.68278602931 \mathrm{H}, 2.0199679729,10.449046$ $83,7.5567171748 \backslash \mathrm{C},-0.00968363,10.8514307881,8.1663365243 \backslash \mathrm{H},-0.20332481$
$23,9.8091956483,8.4107661371 \backslash C,-2.2573846566,12.5043864906,11.17770635$ $79 \backslash 0,-1.1327157912,12.9177546425,11.4490449676 \backslash \mathrm{~N},-3.4040991886,13.1686$ $824344,11.479775856 \backslash \mathrm{H}_{\mathrm{r}}-4.290686099,12.691286644,11.3619228817 \backslash \mathrm{C},-3.431$ $7071847,14.3165196902,12.3662821095 \backslash \mathrm{H},-2.4125741241,14.4644901369,12$. $333542365 \backslash \mathrm{C},-3.9262670584,15.6144466131,11.6591180015 \backslash \mathrm{H},-4.9742993887$, $15.4735231636,11.3697353027 \backslash \mathrm{H},-3.9068613291,16.4209949098,12.40243103$ $6 \backslash \mathrm{C},-3.1122427775,16.0364254437,10.4554185252 \backslash \mathrm{C},-3.6274224787,15.89896$ $25091,9.1599342777 \backslash \mathrm{H}_{1}-4.6130301916,15.4613719437,9.0207759923 \backslash \mathrm{C},-2.899$ $4417098,16.3347276396,8.0491151438 \backslash \mathrm{H},-3.3210814243,16.2296398646,7.053$ $001413 \backslash \mathrm{C},-1.6382080258,16.9098229347,8.22026056 \backslash \mathrm{H},-1.0729192225,17.255$ $4921415,7.3590849411 \backslash \mathrm{C},-1.1104798182,17.0443720008,9.5080274139 \backslash \mathrm{H},-0.1$ $317835238,17.4943204874,9.6514692509 \backslash \mathrm{C},-1.8437150951,16.6136853996,10$. $6143139681 \backslash \mathrm{H},-1.4312505417,16.7385786474,11.6131399887 \backslash \mathrm{C},-4.3932043631$ ,14.0037319264,13.5284958171\0,-5.2893281039,13.1654274857,13.40810032 $66 \backslash \mathrm{~N},-4.2611667208,14.7683678712,14.6440577408 \backslash \mathrm{H},-3.4666108482,15.3900$ $04613,14.7322659759 \backslash \mathrm{C},-5.2087890894,14.6531526134,15.7520611742 \backslash \mathrm{H},-5.3$ $844292729,13.5944510175,15.9533050968 \backslash$ С, $-4.6736809637,15.3262476099,17$ $.0278315136 \backslash \mathrm{H},-4.4643826201,16.3831768723,16.8247937515 \backslash \mathrm{H},-5.475673131$ $2,15.2899622246,17.7701004532 \backslash C,-3.4243978184,14.6618900475,17.6153033$ $574 \backslash \mathrm{H},-2.6089163754,14.610630812,16.8841023719 \backslash \mathrm{H},-3.0492723824,15.2836$ $552509,18.4387145236 \backslash \mathrm{C}_{r}-3.6941925394,13.2659629408,18.1797870601 \backslash 0,-4$ $8311622434,12.8464223525,18.4006806993 \backslash \mathrm{~N},-2.5849203604,12.5238664493$, $8.4252653948 \backslash \mathrm{H},-2.6862918005,11.6369956969,18.9006330501 \backslash \mathrm{H},-1.65342815$ $77,12.9036971634,18.3318217957 \backslash \mathrm{C},-6.5943947396,15.2219831457,15.3838 \mathrm{~B}$ $2557 \backslash 0,-7.6208099417,14.7493910912,15.8818836014 \backslash \mathrm{~N},-6.6011086652,16.27$ $197177,14.5272429111 \backslash \mathrm{H},-5.7278703555,16.5317715418,14.086984881 \backslash \mathrm{C},-7.8$ $34811949,16.8430568549,13.9856479062 \backslash \mathrm{H},-8.5869745613,16.8105520262,14$. $7759472663 \backslash \mathrm{C},-7.608321904,18.2849119199,13.5468277475 \backslash \mathrm{H},-7.1617648998$ $18.8490547293,14.3743719965 \backslash \mathrm{H},-6.9069317085,18.3204513481,12.706662018$ $5 \backslash \mathrm{C},-8.9233146417,18.9511597396,13.1465406458 \backslash 0,-10.0176327374,18.4392$
 $60884214,206593368131,12.7851278979) \mathrm{H}-7,8970596321,20.5815400148,12$ $60884214,20.6693368131,12.2851278979 \backslash \mathrm{H},-7.8970596321,20.5815400148,12$ $3646418039 \backslash \mathrm{C},-8.3032911123,15.9591870406,12.806661352 \backslash 0,-8.0788615555$, 8\H, -8.9742090959,14.6276348889.14.1953187656\C $-9.2059515061,13.72669$ $8 \backslash \mathrm{H},-8.9742090959,14.6276348889,14.1953187656 \backslash \mathrm{C},-9.2059515061,13.72669$ $02771,12.2628461332 \backslash \mathrm{H}_{\mathrm{r}}-8.4924147025,13.815200588,11.4429312296 \backslash \mathrm{C},-9.0$ $.5620507188 \backslash \mathrm{H},-9.8567152059,12.2127636137,13.6706456984 \backslash \mathrm{~S},-8.997115672$
 , 10.9220237510 1\0, 11.50 433685 13 3335137938, $4330444917 \backslash \mathrm{H}, 90712102,9$
 394620, 103886
 $2400969781 \mathrm{H}, 11.83617146616 .0423058254,8.47049928061 \mathrm{C}, 12.21740746$ 940 $12,14.5871237678,10.031788333 \backslash \mathrm{H},-12.5545035018,15.4454900943,10.62219$ 841 , 13.20
 , 14.510 865,11. $52795153,12.4425970659,9.9242384393 \backslash \mathrm{H},-17.2652922404,11.9451076858,10$ $3662189911 \backslash \mathrm{H},-16.7646015001,13.3507553497,9.4341727641 \backslash \mathrm{C},-15.758776714$ , 11.5027481905,8.8921492902\H, $-14.889999737,11.9685043151,8.4153671067$ $\backslash \mathrm{H},-15.3903046263,10.6029697236,9.3931241967 \backslash \mathrm{C},-16.7481678482,11.04950$ $22783,7.8148502498 \backslash \mathrm{H}_{1}-16.2920667211,10.273194696,7.188474528 \backslash \mathrm{H},-17.644$ $1645883,10.6284734729,8.2826155541 \backslash \mathrm{~N},-17.1645612293,12.1824019987,6.9$ $55374188 \backslash \mathrm{H},-16.4823169182,12.9141027307,6.8182579454 \backslash \mathrm{C},-18.3034290738$ $12.2597927825,6.2819015618 \backslash \mathrm{~N},-19.1330461587,11.2110002926,5.217907566$ $\mathrm{H},-18.8004316725,10.2750782633,6.3998588584 \backslash \mathrm{H},-20.0295308186,11.293737$ $5201,5.7592567127 \backslash \mathrm{~N},-18.6242873386,13.4024517914,5.6571799586 \backslash \mathrm{H},-18.19$ $39272157,14.2762130013,5.9271122494 \backslash \mathrm{H},-19.4514034455,13.4591171818,5.0$ $800779077 \backslash \mathrm{C},-15.0663174955,11.7182555966,12.000855228 \backslash 0,-15.7361364557$ , $10.6850844169,12.0491030467 \backslash \mathrm{~N},-13.9816869185,11.9224565565,12.789024$ $235 \backslash \mathrm{H},-13.3956339526,12.7449733928,12.6699409801 \backslash \mathrm{C},-13.5056416607,10.8$ $744533884,13.6692773544 \backslash \mathrm{H},-12.8198105603,11.321392088,14.3947718291 \backslash \mathrm{H}$ $-14.342446348,10.441826948 \mathrm{~B}, 14.2228168529 \backslash$ C, $-12.7686729154,9.704517182$ $8,12.9976678454 \backslash 0,-12.5320672351,8.6842689788,13.6463701879 \backslash \mathrm{~N},-12.3833$ $909922,9.8871476241,11.7159987309 \backslash \mathrm{H},-12.6016210048,10.722883909,11.178$ $6756797 \backslash \mathrm{H},-11.8827108197,9.1376263655,11.2579064837 \backslash$ VVersion=ES64L-G09 RevD.O1 State=-A $\backslash$ HF=-4313.5754649 (RMSD=7.546e-09\RMSF=2.142e-06\Dipol e=-9.3182369,-3.6441124,-8.9227906\Quadrupole=207.4827637,-101.2244415 $,-106.2583222,-49.7858048,259.7104929,20.5083893 \backslash \mathrm{PG}=\mathrm{CO} \quad[\mathrm{X}(\mathrm{C} 46 \mathrm{H} 67 \mathrm{~N} 150]$ 2S2)] <br>【

## Clinched open, extended:

$1 \backslash 1 \backslash$ FAU-CCC-CCDH172 \FOpt $\backslash$ RB3LYP $\backslash 6-31 \mathrm{G}(\mathrm{d})$ \C46H67N15012S2 (2+) \CLARK\23-A pr-2015 \a <br>\# b31yp/6-31g (d) opt name=clark scrf=pcm <br>AVP_10us_T16-12_C $1_{-}$open $\backslash \backslash 2,1 \backslash \mathrm{~N},-9.3435783672,-12.4949768434,2.5153303585 \backslash \overline{\mathrm{H}},-9 . \overline{6} 943 \overline{9} 19 \overline{8} 7$ $4,-13.1779261134,1.8211119347 \backslash \mathrm{H},-10.137759484,-11.9119649439,2.7978609$ $187 \backslash \mathrm{H},-8.9856452812,-12.9745120635,3.3534778048 \backslash \mathrm{C},-8.2632699003,-11.69$ $26504466,1.8506910731 \backslash \mathrm{H}_{\mathrm{r}}-8.2705617264,-10.696151436,2.294555961 \backslash \mathrm{C},-6.8$ $837520222,-12.3633918603,2.0156760588 \backslash \mathrm{H},-6.8257688226,-13.2805771336,1$ $.4253666584 \backslash \mathrm{H},-6.1235026876,-11.6700761369,1.6497814328 \backslash \mathrm{~S},-6.485045714$ $3,-12.7753040285,3.7803917189 \backslash \mathrm{C},-8.6556394425,-11.663084404,0.35477259$ $34 \backslash 0,-9.442834375,-12.5063183906,-0.0764313241 \backslash N,-8.0492226972,-10.737$ $2055623,-0.4108728957 \backslash \mathrm{H},-7.5003032481,-10.0074763586,0.0288637766 \backslash \mathrm{C},-8$ $.3507957576,-10.6218631595,-1.8434661608 \backslash \mathrm{H},-9.433694848,-10.5390852481$ , $-1.9716805145 \backslash \mathrm{C},-7.661840712,-9.3504767688,-2.3978935499 \backslash \mathrm{H},-7.9734032$ 46561 $\mathbf{C}$-8 46561 C, $-8.003903426,-9.049051210,-3.0410226 \mathrm{~J} 6,-7.1201780121,-9.36$ $99683064,-4.880816833 \backslash \mathrm{H},-6.1669696601,-9.8395773539,-4.6499570604 \backslash \mathrm{C},-7$ $.4329860119,-9.0948366248,-6.2103359879 \backslash \mathrm{H},-6.7420075617,-9.3422812609$, -7.01163 . $424,-8.234211565,-7.8438523201 \backslash \mathrm{H},-9.7824642485,-7.810723148,-7.9250062$ $723 \backslash \mathrm{C},-9.5474381556,-8.1532546391,-5.5008769667 \backslash \mathrm{H},-10.4929458973,-7.67$ $13905694,-5.7387562383 \backslash \mathrm{C},-9.2174120299,-8.4340247781,-4.1758667164 \backslash \mathrm{H},-$ $9.9184248048,-8.1618094597,-3.390081482 \backslash C,-7.9472897027,-11.8945969526$ , $-2.6186675536 \backslash 0,-8.6491823811,-12.322762511,-3.5294435316 \backslash \mathrm{~N},-6.751616$ $3134,-12.4378376066,-2.2581203596 \backslash \mathrm{H},-6.3144371123,-12.0968330395,-1.41$ $11013975 \backslash \mathrm{C},-6.3193791154,-13.7513446303,-2.7012723588 \backslash \mathrm{H},-6.9059386829$, $-13.9880814192,-3.5917154799 \backslash \subset,-4.8126599214,-13.7527597315,-3.0966154$ $778 \backslash \mathrm{H},-4.5268960777,-14.7826970217,-3.3387146214 \backslash \mathrm{H},-4.7378963989,-13.1$ $738562702,-4.0231704128 \backslash \mathrm{C},-3.8724796663,-13.1723240148,-2.0585817905 \backslash \mathrm{C}$ $,-3.2588287184,-13.9830613242,-1.0933461534 \backslash \mathrm{H},-3.4353038451,-15.054145$ $3147,-1.0852429002 \backslash \mathrm{C},-2.4022355179,-13.436853137,-0.1354771533 \backslash \mathrm{H},-1.94$ $12037425,-14.0951724657,0.594847959 \backslash \mathrm{C},-2.1428733201,-12.0639265999,-0$. $1266055002 \backslash \mathrm{H},-1.4741977041,-11.6375694373,0.6163378135 \backslash \mathrm{C},-2.7404271543$ $,-11.24458692,-1.0869710781 \backslash \mathrm{H},-2.5372938635,-10.1770244323,-1.09739859$ O1\C, $-3.594362353,-11.7961886362,-2.0452108713 \backslash \mathrm{H},-4.0433967374,-11.153$ $2434477,-2.798350334 \backslash \mathrm{C}_{1}-6.6427508728,-14.7677921034,-1.5894493133 \backslash 0,-6$ $.5630657494,-14.4727911578,-0.3979463884 \backslash N,-7.012278106,-16.0193101805$ , $-1.9926502619 \backslash \mathrm{H},-7.1994018351,-16.1682057147,-2.9764826851 \backslash \mathrm{C},-7.63629$ $98611,-16.9347958272,-1.0375372291 \backslash \mathrm{H},-8.2666373312,-16.3383700024,-0.3$ $69427189 \backslash$ C, $-8.5358652487,-17.9685670983,-1.7429211058 \backslash \mathrm{H},-9.0253071056$, $-18.5665353424,-0.9703519707 \backslash \mathrm{H},-9.3284720359,-17.4212269878,-2.2658368$ $579 \backslash \mathrm{C},-7.8254396097,-18.9174571044,-2.7161826912 \backslash \mathrm{H},-7.4189631193,-18.3$ $857266926,-3.5839140537 \mathrm{VH},-6.9729044273,-19.4045836409,-2.2240303836 \backslash$ ,-8.7649118842,-20.0314588911,-3.1839296409\0,-9.6809402273,-20.456616 $7731,-2.4800959841 \backslash \mathrm{~N},-8.5050124718,-20.5252631753,-4.419591129 \backslash \mathrm{H}_{\mathrm{r}}-9.02$ $84653765,-21.3261840502,-4.7472817129 \backslash \mathrm{H},-7.7162153618,-20.2184058851$, $4.9702468876 \backslash \mathrm{C},-6.6375840192,-17.6282262506,-0.0990620009 \backslash 0,-7.0490308$ $996,-18.1234921974,0.9647070557 \backslash N,-5.3589543873,-17.7054604215,-0.5044$ $245002 \backslash \mathrm{H},-5.1172286238,-17.240955376,-1.3722607612 \backslash \mathrm{C},-4.3009557169,-18$ $.3614104429,0.265520001 \backslash \mathrm{H},-4.7787534082,-19.1234226302,0.8827481359 \backslash \mathrm{C}$, $-3.2953772326,-19.0202638288,-0.6756855734 \backslash \mathrm{H},-3.8298845266,-19.6482281$ $705,-1.3975808388 \backslash \mathrm{H},-2.7508043772,-18.2562755949,-1.2411611748 \backslash \mathrm{C},-2.30$ $10559253,-19.8796248561,0.1032133477 \backslash 0,-2.3989200201,-20.0518117631,1$. $3192942622 \backslash \mathrm{~N},-1.3177563658,-20.4363532038,-0.6409733303 \backslash \mathrm{H},-0.640170377$ $3,-21.0383353717,-0.1929320713 \backslash \mathrm{H},-1.2527900089,-20.3061849217,-1.64044$ $23222 \backslash \mathrm{C},-3.6030480579,-17.3276931838,1.1823896445 \backslash 0,-2.6058377048,-16$. 23222\C,-3.6030480579,-17.3276931838,1.1823896445\0, $-2.6058377048,-16$. $4036880636,0.8193450618 \backslash \mathrm{~N},-4.2088472346,-17.141917444,2.3792195914 \backslash \mathrm{H},-$ $4.9799334821,-17.7382954429,2.6494156477 \backslash \mathrm{C},-3.6788976679,-16.273853645$ $2,3.4161793005 \backslash \mathrm{H},-2.6079239531,-16.1601954914,3.2251400695 \backslash \mathrm{C},-4.275234$ $4936,-14.8464946642,3.3677731086 \backslash \mathrm{H},-3.7684768342,-14.1964532142,4.0843$ $.8212676908,3.7642276456 \backslash \mathrm{C},-3.922198901,-16.9751102738,4.7669324101 \backslash 0$, $-4.9049537338,-17.7254094348,4.8982743606 \backslash \mathrm{~N},-0589303322,-16.74619717$ $-4.9049537338,-17.7254094348,4.8982743606 \backslash \mathrm{~N},-3.0589303322,-16.7461971$ $79,5.7693332339 \mathrm{~V},-1.8511459651,-15.8918696519,5.7476761376 \backslash \mathrm{H},-2.04501$ $2714726 \backslash \mathrm{C},-1.5310031459,-15.7103510971,7.2352770505 \ \mathrm{H},-2.122638718 \mathrm{~B},-1$

 ,-1.980206716,-17.0403618387,7.857997365\H, $-2.1628410488,-16.974068880$ 1, 132 $3132,-17.4010834079,7.0707191659 \backslash \mathrm{H},-3.3593601658,-18.4802260698,6.9216$ $061887 \backslash \mathrm{C},-4.536336925,-16.8643396032,7.7487488756 \backslash 0,-4.9078245324,-15$.
$6983620451,7.6147857195 \backslash \mathrm{~N},-5.1819152691,-17.7800265345,8.5098901124 \backslash \mathrm{H}$,
$-4.7975947571,-18.7102628522,8.6263391978 \backslash C,-6.41003242,-17.5121331267$ , $9.239051148 \backslash \mathrm{H},-6.5302751141,-16.4267456375,9.2848365681 \backslash \mathrm{C},-7.62963612$ $49,-18.158284796,8.5359824771 \backslash \mathrm{H},-7.4172954959,-19.2310759924,8.4344304$ O3 $\backslash \mathrm{H},-8.5036501134,-18.0746748481,9.1931667268 \backslash \mathrm{C},-7.9319421489,-17.547$ $4565544,7.1611505699 \backslash \mathrm{H}_{\mathrm{t}}-8.3745383606,-16.5510507656,7.2808301856 \backslash \mathrm{H},-7$ $0018940286,-17.4183505993,6.5973501471 \backslash$ C, $-8.8906961675,-18.4408858717$ $6.3628231391 \backslash \mathrm{H},-8.4364326524,-19.4186969684,6.1733725401 \backslash \mathrm{H},-9.81091706$ $39,-18.6157205937,6.9276914232 \backslash N,-9.2954638628,-17.8743669169,5.071257$ $6459 \backslash \mathrm{H},-10.1336120417,-17.3079585699,5.0534173659 \backslash \mathrm{C},-8.6935905986,-18$. $1021815836,3.8988040903 \backslash \mathrm{~N},-7.4969263392,-18.7222051623,3.844490038 \backslash \mathrm{H}$, $6.7924842302,-18.5158197539,4.5476857932 \backslash \mathrm{H},-7.1183854593,-18.845852347$ $7,2.9094047276 \backslash \mathrm{~N},-9.2884682641,-17.7594583712,2.7525739524 \backslash \mathrm{H},-10.26939$ $78288,-17.5226164764,2.7150135435 \backslash H,-8.7469676304,-17.8072159832,1.889$ $1350585 \backslash \mathrm{C},-6.2798588702,-18.1163065079,10.6428512316 \backslash 0,-5.6651680774$, $19.1686044428,10.8211063758 \backslash \mathrm{~N},-6.900297617,-17.4276340844,11.634309282$ $1 \backslash \mathrm{H},-7.4758691547,-16.6374292213,11.3734456094 \backslash \mathrm{C},-7.1414388091,-18.01$ $0229179,12.9305920101 \backslash \mathrm{H}_{\mathrm{r}}-6.3232757073,-18.711403165,13.1440339298 \backslash \mathrm{H},-7$ $.1304883899,-17.2387529481,13.6988635488 \backslash \mathrm{C},-8.4753234882,-18.789031182$ ,12.9738280657\0,-9.1410270253,-19.0047519619,11.9642805376\N $\mathrm{N}_{t}-8.83855$ $29665,-19.2022184436,14.2103740872 \backslash \mathrm{H},-8.2616531748,-19.0482034484,15.0$ $253856991 \backslash \mathrm{H},-9.6715021997,-19.7648823499,14.3193959866 \backslash$ Version=EM64L G09RevC. $01 \backslash$ State $=1-\mathrm{A} \backslash \mathrm{HF}=-4313.5925 \backslash \mathrm{RMSD}=4.425 \mathrm{e}-09 \backslash \mathrm{RMSF}=2.938 \mathrm{e}-06 \backslash \mathrm{Dipol}$ $e=-4.2029982,2.790374,2.1439386 \backslash$ Quadrupole $=-50.5993335,-28.3678385,78$ $967172,-45.4992104,-34.5696073,1.9057859$ \PG=C01 [X(C46H67N15012S2)] <br>@

## Twisted saddle, extended:

\1\FAU-CCC-CCDH173\FOpt $\$ RB3LYP 6 6-31G(d) \C46H67N15012S2 (2+) \CLARK $23-A$ pr-2015\0<br>\#b31yp/6-31g(d) opt name=clark scrf=pcm <br>AVP_10us_T16_19_ W_saddle $\backslash 2,1 \backslash \mathrm{~N}, 6.1686704246,7.3143387257,-9.0049356261 \backslash \overline{\mathrm{H}}, 6.2 \overline{4} 644 \overline{8} 66 \overline{1} 6$ , $\overline{7} .0336633398,-9.9968301557 \backslash \mathrm{H}, 5.7786842663,6.5201520252,-8.4846886719 \backslash$ H, $7.1046279972,7.4980372998,-8.6285305788 \backslash \mathrm{C}, 5.2619704319,8.5217194046$ $-8.9562854103 \backslash \mathrm{H}, 4.8465765776,8.5965721412,-7.9506218898 \backslash \mathrm{C}, 6.108311363$ , $9.7577187113,-9.30753096 \backslash \mathrm{H}, 6.8292900672,9.9488660217,-8.5091476943 \backslash \mathrm{H}$ 6. $6402670504,9.5923032143,-10.2485309433 \backslash \mathrm{~S}, 5.0259532188,11.2533136141$ $-9.4807022099 \backslash \mathrm{C}, 4.1845937524,8.2296067293,-10.0260006242 \backslash 0,4.547806786$ $5,7.7282614454,-11.0946008937 \backslash \mathrm{~N}, 2.9344861728,8.5616722227,-9.681267642$ $6 \backslash \mathrm{H}, 2.7628448765,8.9023152245,-8.7239647619 \backslash \mathrm{C}, 1.8075514336,8.444611962$ , $-10.5958956128 \backslash \mathrm{H}, 2.1421517805,7.8230968338,-11.4318538812 \backslash \mathrm{C}, 0.6261057$ $682,7.734436115,-9.8679485066 \backslash \mathrm{H}, 1.0757375305,6.9018978986,-9.315233947$ 5\H,0.2031188209,8.4142971504,-9.1203589226\C,-0.4764921979, 7.20312220 $71,-10.7622793046 \backslash \mathrm{C},-1.7572573522 .7 .7736152701,-10.7582864448 \backslash \mathrm{H}_{\mathrm{r}}-1.959$ $2971356,8.6354491118,-10.1272657604 \backslash \mathrm{C},-2.781175117,7.2685155079,-11.56$ $18238894 \backslash \mathrm{H},-3.7674038676,7.7259129528,-11.5405023952 \backslash \mathrm{C},-2.535242593,6$ $1693008044,-12.3912652802 \backslash 0,-3.4884893434,5.6243728648,-13.2019124264$ $\mathrm{H},-4.3193891404,6.1173783273,-13.1003313265 \backslash \mathrm{C},-1.2622169969,5.58331912$ $7,-12.4083493121 \backslash \mathrm{H},-1.0825727588,4.7270654187,-13.0511547541 \backslash \mathrm{C},-0.2528$ $79153,6.0973100565,-11.6008452398 \backslash \mathrm{H}, 0.7254097731,5.622203492,-11.61636$ $39265 \backslash \mathrm{C}, 1.4552197467,9.849000539,-11.1519444706 \backslash 0,2.0940408393,10.8564$ $627898,-10.821750848 \backslash \mathrm{~N}, 0.4210594744,9.9164403827,-12.012025794 \backslash \mathrm{H}_{\mathrm{r}},-0.12$ $09957964,9.0817172873,-12.2018124635 \backslash \mathrm{C},-0.0402056301,11.1832364292,-1$ $.5794147029 \backslash \mathrm{H}, 0.7795796467,11.6219773572,-13.1587061823 \backslash \mathrm{C},-1.234508577$ $3,10.872671172,-13.5074813744 \backslash \mathrm{H},-0.9105082139,10.0772763725,-14.191322$ $0257 \backslash \mathrm{H},-2.0404875873,10.4603754617,-12.8912003976 \backslash \mathrm{C},-1.7550666352,12.0$ $434055904,-14.3161152504 \backslash \mathrm{C},-0.9521632747,12.6685458545,-15.2840089848$ $\mathrm{H}, 0.0705317054,12.3312531994,-15.4361131257 \backslash \mathrm{C},-1.4565198249,13.7050378$ $51,-16.069256914 \backslash \mathrm{H},-0.8222444926,14.1737286774,-16.816551577 \backslash \mathrm{C},-2.7813$ $51,-16.069256914$ (H, $-0.8222444926,14.1737286774,-16.816551577 \backslash,-2.7813$ $5410197989 \backslash \mathrm{C},-3.5895295564,13.5118716365,-14.9510085854 \backslash \mathrm{H},-4.622785239$ $5410197989 \backslash C,-3.5895295564,13.5118716365,-14.9510085854 \backslash \mathrm{H},-4.622785239$ $4,13.8236823966,-14.8248600303 \backslash \mathrm{C},-3.074572036,12.4841450229,-14.155011$
$8869 \backslash \mathrm{H},-3.7108840037,12.007253571,-13.4138163624 \backslash \mathrm{C},-0.4550572185,12.15$ $8869 \backslash \mathrm{H},-3.108840037,12.007253571,-13.4138163624 \backslash \mathrm{C},-0.4550512185,12.15$ $33249846,-11.4469118388 \backslash 0,-1.2679842464,11.8241154289,-10.5843956494 \backslash \mathrm{~N}$
$, 0.1394659204,13.3742185679,-11.4827228789 \backslash \mathrm{H}, 0.8236571015,13.55389942$, $-12.2046164434 \backslash \mathrm{C},-0.1482233007,14.4526014188,-10.5318127874 \backslash \mathrm{H}, 0.599087$ -12.2046164434 C, $-0.148223367,14.4526014188,-10.5318127874 \backslash \mathrm{H}, 0.599087$ $14819 \backslash \mathrm{H},-2.3018964068,14.2977948145,-10.5642350193 \backslash \mathrm{H},-1.6826608052,15$.

 $.8758225059,16.4569571,-12.22543664294,-1.704855553,15.047153562$,

 $16.0755542357,14.07210944061 \mathrm{C} 0.1141091075,14.0386690055,-0.062922771$ $5 \backslash 0,-0.5404892668,14.5091779877,-8.1377828084 \backslash 1.189956344,13.214964$ $282,-8.87135928 \backslash \mathrm{H}, 1.5432983442,12.7108298051,-9.6820831962 \backslash \mathrm{C}, 1.4736978$
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 680 , 22.150 RMSE 4 995e061Dipole 9. 4610691 -7.3547137, 3.705128610uadrupole 5.21 16244, $99.149813,23.9381885,41.9635208,27.3753322,-55.70982661 \mathrm{G}, 51$ . X(C46H67N15012S2)] <br>®

## Open, extended:

$1 \backslash 1 \backslash$ FAU-CCC-CCDH173\FOpt $\backslash$ RB3LYP $\backslash 6-31 \mathrm{G}(\mathrm{d})$ \C46H67N15012S2 (2+) \CLARK $\backslash 24-\mathrm{A}$ pr-2015 \0<br>\# b31yp/6-31g(d) opt name=clark scrf=pcm <br>AVP 10us T27 open $\backslash \backslash 2,1 \backslash \mathrm{~N}, 0.4475246287,-3.1779434367,-3.5701330464 \backslash \mathrm{H},-0.5341706 \overline{603},-2.88$ $25080235,-3.5394377666 \backslash \mathrm{H}, 0.630961857,-3.882061537,-2.8241126635 \backslash \mathrm{H}, 0.60$ $74771251,-3.6323651944,-4.4749533667 \backslash \mathrm{C}, 1.4175750482,-2.0519324222,-3.3$ $157507722 \backslash \mathrm{H}, 1.8408115906,-1.7474456493,-4.2748450585 \backslash \mathrm{C}, 0.7357973228,-0$ $.8704294347,-2.6217975522 \backslash \mathrm{H}, 0.2391520442,-1.1935284468,-1.7028613464 \backslash \mathrm{H}$ $, 1.501583425,-0.1383286191,-2.3667457184 \backslash \mathrm{~S},-0.4811951036,-0.038392031$, $-3.7510888461 \backslash \mathrm{C}, 2.5086337441,-2.6800778896,-2.403645719 \backslash 0,2.2747360951$ $-3.7510888461 \mathrm{C}, 2.5086337441,-2.6800778896,-2.40364571910,2.2747360951$ \H,3.7734897951,-1.1160030541,-2.7988812368\C,4.7570159515,-2.44729703 $67,-1.4427791763 \backslash \mathrm{H}, 4.3336708144,-3.0453028042,-0.6330636844 \backslash \mathrm{C}, 5.717857$ $67,-1.4427791763 \backslash \mathrm{H}, 4.3336708144,-3.0453028042,-0.6330636844 \backslash \mathrm{C}, 5.717857$ $94894 \backslash \mathrm{H}, 6.1025607642,-2.7124058126,-3.1072051567 \backslash \mathrm{C}, 6.8572977336,-3.912$ $94894 \backslash \mathrm{H}, 6.1025607642,-2.7124058126,-3.1072051567 \backslash \mathrm{C}, 6.8572977336,-3.912$ 267516351,-2.4143144137,-2.0603180018\C, $9.1699249165,-3.8324500002,-0$ 267501,-4
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## Supporting Information

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## Supporting Information

## Conformation and Dynamics of Human Urotensin II and

## Urotensin Related Peptide in Aqueous Solution

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#### Abstract

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[^31]
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## MD simulations

## Methodological details

Amber long-scale MD simulation. Amber long-scale ( $>5 \mu \mathrm{~s}$ ) simulations were started with (a) peptide conformations modelled corresponding to experimental data (MD-I,-II,-IXa), ${ }^{1,2}$ (b) random or minor populated states from short-term ( 12 ns ), high-temperature ( $400,550,700 \mathrm{~K}$ ) Amber MD simulations (MD-IXb,-IXC,-IXd), (c) Amber REMD simulations (MD-V,-XI) and (d) CHARMM simulations (MD-III,-IV). The TIP4P-Ew water model ${ }^{3,4}$ with a truncated octahedral water box was used. The system was neutralized with $\mathrm{Na}^{+}$for urotensin-II (UII) and $\mathrm{Cl}^{-}$for urotensin-related peptide (URP), either by simple charge equalization or with multiple counterions $\left(\mathrm{Na}^{+}\right.$and $\left.\mathrm{Cl}^{-}\right)$to mimic physiological ion concentration. Energy was minimized at constant volume and the method was switched after 500 steps steepest descent to 9,500 steps conjugated gradient. Production runs were performed at constant temperature ( $T=300 \mathrm{~K}$, Berendsen coupling ${ }^{5}$ of 1.0 ps to an external heat bath) and constant pressure ( $\mathrm{p}=1 \mathrm{~atm}$ ) periodic boundary conditions with a non-bonded cut off of $8 \AA$. The SHAKE ${ }^{6}$ algorithm was employed for hydrogen atoms with a simulation time step of 2 fs . Electrostatic energies were calculated using the Particle Mesh Ewald (PME) method ${ }^{7}$ and coordinate 'snapshots' were written every 1 or 10 picosecond.

CHARMM simulation. Further simulations (MD-VI,-X) were carried out using CHARMM c36b2 ${ }^{8}$ with parameter set $36 .^{8}$ Initial structures for UII and URP originated from the NMR structures by Chatenet and Leprince et al. ${ }^{2,9}$ Each peptide was surrounded by a cubic box of TIP3P water molecules. The systems were neutralized by adding seven sodium and six chloride ions to the UII waterbox and four sodium and five chloride ions to the URP waterbox. All systems were simulated in the canonical ensemble (NVT) using periodic boundary conditions. The van der Waals interactions were brought smoothly to zero at $13 \AA$ using a switching function while the electrostatic contribution was calculated using the PME summation method ${ }^{7}$. The system was heated to 300 K in 120 ps and equilibrated for 1 ns with velocity rescaling. The temperature of the systems was coupled to a Berendsen thermostat ${ }^{5}$ using a coupling constant of 5 ps . The SHAKE ${ }^{6}$ algorithm was applied to the hydrogens thus allowing an integration time-step of 2 fs .

REMD simulation. REMD was first proposed by Sugita and Okamoto. ${ }^{10}$ In this approach a number of simulations are performed in parallel at different temperatures in a canonical ensemble. Periodically, pairs of replicas are exchanged following the Metropolis criteria based on the temperature and the potential energy of each replica (see Equation 1). Each replica is simulated for a period of time after the swapping, thus allowing a replica movement in temperature space. In a successful exchange, the S3

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two replicas swap their temperatures and a scaling factor involving the previous and the new target temperatures then rescales the associated velocities of all the atoms.

$$
\text { Probability of accepting the } \operatorname{swap}(i, j)=\left\{\begin{array}{c}
1, \text { if } \Delta \leq 0  \tag{1}\\
e^{-\Delta}, \text { if } \Delta>0^{\prime}
\end{array}\right.
$$

with $\Delta=\left(1 / k T_{i}-1 / k T_{j}\right) *\left(V_{j}-V_{i}\right), k=$ Boltzmann constant, $V=$ potential energy, $T=$ temperature

$$
\begin{equation*}
\text { Rescaling assignment for the replica i: } v_{\text {inew }}=\sqrt{\frac{T_{\text {inew }}}{T_{\text {iold }}}} * v_{\text {iold }} \tag{2}
\end{equation*}
$$

The mobility of the replicas in temperature space is governed by a range of factors including the time between swaps, the thermostat parameters, the temperature distribution of the replicas and the size of the system. ${ }^{11,12}$

Three different configurations of the peptides UII (lasso, folded and omega) and URP (lasso, omega- $I_{\text {open }}$ and omega-II), extracted from the long-scale MD studies, were simulated for 500 ns using the PMEMD module in AMBER 12. ${ }^{13}$ The temperature range was generated using the online generator http://folding.bmc.uu.se/remd/ with an overall expected acceptance ratio among replicas between $25-35 \%$ and provided 64 replicas from 298 K to $543 \mathrm{~K} .{ }^{14}$ The Amber ff99SB force field was used with explicit TIP3P water model. The initial structures were solvated in a cubic box with periodic boundary conditions and neutralized with $1 \mathrm{Na}^{+}$for UII and $1 \mathrm{Cl}^{-}$for URP. The Particle Mesh Ewald method was used for long-range interactions using a $10 \AA$ cutoff. Bonds involving hydrogen were constrained using the SHAKE algorithm with a tolerance of $0.00001 \AA$. REMD simulations were performed in the NVT ensemble using a Langevin thermostat for the temperature coupling with a collision frequency of $1 \mathrm{ps}^{-1} .200 \mathrm{ps}$ of NVT simulation was used to equilibrate the initial state to the desired temperature for each replica, following a rescaling of the velocities. Using these equilibrated replicas, 500 ns of REMD simulation was performed on each replica, resulting in $32 \mu \mathrm{~s}$ of molecular dynamics (REMD-I,-II,-III,$I V,-V,-V I)$. All exchanges between neighboring replicas were allowed every 2 ps in the NVT ensemble.

A summary of simulation details is given in Table S1. RMSD trajectories of long-scale (>5 $\mu \mathrm{s}$ ) MD simulations for UII are shown in Figure S1 to Figure S6.

| Simulation | Time ( $\mu \mathrm{s}$ ) | Initial conformation | Resulting ring-state types | NAtoms (WAT)* |
| :---: | :---: | :---: | :---: | :---: |
| UII (11 residues, 181 atoms, charge -1) |  |  |  |  |
| MD: Amber ff99sb/ TIP4PEw/ trunc.oct. / 1Na+/300K/1 bar/8Å cutoff/ PME/ PBC/ Shake |  |  |  |  |
| MD-I | 5 | omega-l open | omega-t | 6154 (1493) |
| MD-II | 5 | folded-i | folded-t | 5754 (1393) |
| MD-III | 10 | lasso | lasso, omega-ll, omega-i, scoop, folded-IVb2 | 6642 (1615) |
| MD-V | 5 | folded-ll | folded-II, folded-III | 4338 (1039) |
| MD-XI | 5 | inv-folded | inv-folded, lasso, omega-il | 5402 (1305) |
| MD: Amber ff99sb/ TIP4PEw/ trunc.oct./ $7 \mathrm{Na}^{+}, 6 \mathrm{Cl} / 300 \mathrm{~K} / 1 \mathrm{bar} / 8 \AA$ cutoff/ PME/ PBC/ Shake |  |  |  |  |
| MD-IV | 5 | omega-l open | omega-l, circle, lasso | 10082 (2472) |
| MD: CHARMM c36b2/ TIP3P/cubic/ $7 \mathrm{Na}^{+}, 6 \mathrm{Cl} / \mathrm{NVT} / 300 \mathrm{~K} / 13 \AA$ cutoff/ PME/ PCB |  |  |  |  |
| MD-VI | 1.3 | omega-lopen | omega-l, lasso, scoop | 6899 (2235) |
| REMD: REMD: Amber ff99sb/ TIP3P / cubic/ $1 \mathrm{Na}^{+} / 298 \mathrm{~K} / 1$ bar/ $10 \AA$ cutoff/ PME/ PBC/ Shake |  |  |  |  |
| REMD-I | 0.5 | omega-l open | omega- $1 / 11$, lasso, scoop, circle, folded $-1 / 11 / I I / / I V b 2$, inv-folded | 6632 (2150) |
| REMD-II | 0.5 | folded-l | omega- $1 / / 1$, lasso, scoop, circle, folded- $-1 / 1 / / 1 / 1 / / \mathrm{vb} 2$, inv-folded | 6476 (2098) |
| REMD-III | 0.5 | lasso | omega- $1 / 11$, lasso, scoop, circle, folded $-1 / 11 / / 1 v b 2$, inv-folded | 6845 (2221) |
| total 37.8 |  |  |  |  |
| URP (8 residues, 136 atoms, charge +1 ) |  |  |  |  |
| MD: Amber ff99sb/ TIP4Pew/ trunc.oct./ 1Cl/ 300K/ 1bar/ 8 Å cutoff/ PME/ PBC/ Shake |  |  |  |  |
| MD-Ixa | 5 | URP omega-l open | omega-l, sheet, hybrid | 4153 (1004) |
| MD-IXb | 5 | URP omega-i hbond | omega-1 | 3633 (874) |
| MD-IXc | 5 | URP 406H | omega-1 | 3965 (957) |
| MD-IXd | 5 | URP antip. 8-sheet | omega-1 | 5021 (1221) |
| MD: CHARMM c36b2/ TIP3P/cubic/ $4 \mathrm{Na}^{+}, 5 \mathrm{Cl} / \mathrm{NVT} / 300 \mathrm{~K} / 13$ Å cutoff/ PME/ PCB |  |  |  |  |
| MD-X | 1.3 | omega-l open | omega-l, omega-II, lasso $_{45 \text { pbr }}$ | 4648 (1501) |
| REMD: Amber ff99sb/ TIP3P/ cubic/ 1Cl/ 298K/ 1bar/ $10 \AA$ cutoff/ PME/ PBC/ Shake |  |  |  |  |
| REMD-IV | 0.5 | URP omega-t open | omega-1/II, lasso, folded (sheet, hybrid) | 5561 (1808) |
| REMD-V | 0.5 | URP omega-ll | omega-l/II, lasso, folded (sheet, hybrid) | 6278 (2047) |
| REMD-VI | 0.5 | URP lasso | omega-1/11, lasso, folded (sheet, hybrid) | 5948 (1937) |
| total | 22.8 |  |  |  |

## Supporting Information

## Trajectories

Figure S1 to Figure S6 show RMSD and DASH-state trajectories for Ull of all long-scale (>5 $\boldsymbol{\mu}$ s) Amber MD simulations. The long-scale Amber MD simulations for URP resulted in only one major populated ring-state type (omega- $I$ ) and hence not shown. State populations and assignment of representatives are given in Table S2.


Figure S2 RMSD and DASH trajectories of simulation MD-II ( $5 \mu \mathrm{~s}$ )
Trajectories of DASH states (overall, ring, N-terminal-tail) and RMSD ( $\mathrm{C}^{a} 5-10$, ring; $C^{\alpha}$ 1-5, tail) of UII. Initial conformation: folded- $t$. The main ring-state type folded- $t$ persists for the complete MD simulation comprising two C -terminus variants. Overall states are combinations of folded- 1 ring states with extended or folded N termini. Folded-i matches the saddle conformation of AVP.


Figure S4 RMSD and DASH trajectories of simulation MD-IV ( $5 \mu \mathrm{~s}$ )
Trajectories of DASH states (overall, ring N-terminal-tail) and RMSD ( $\mathrm{C}^{\alpha} 5-10$, ring; $C^{\alpha} 1-5$, tail) of UII. Initial conformation omega-i. Main ring-state types are labelled. The simulation only shows unfolded states with few interconversions of main ring-state types. MD-IV is the only Amber simulation mimicking physiological ion concentration and the circle conformation was only found under these conditions. Tail and ring state are strongly correlated for the circle type. Omega and lasso states show frequen interconversions of folded and extended N termini. Note: omega-I in MD-I showed only extended tail states. This suggests an influence of counter-ions on the population of overall conformation in the MD simulations. However, as relative populations cannot be deduced from the MD simulations (due to sparse interconversions), this effect has not been investigated further here. Lasso is similar to AVP's open ring-state type.
 simulation MD-XI ( $5 \mu \mathrm{~s}$ )
Trajectories of DASH states (overall, ring, N-terminal-tail) and RMSD (C ${ }^{\alpha} 5-10$, ring; ( $1-5$, tail) of Ull. Initial conformation invfolded. Main ring-state types are labelled. The simulation shows an interconversion to the unfolded/open states lasso and omega-II. No similar conformation to invfolded has been found for AVP, yet.

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## Conformational analysis

## Clustering

Conformational clustering was performed by analyzing backbone $\phi \psi$ dihedral angles with DASH ${ }^{15-17}$. The conformations of UII were clustered using the whole structure to obtain overall states, and separately as ring and $N$-terminal tail states. Overall states are defined by the torsion range $\phi \psi$ 2-10 (T18), ring states by $\psi 5, \phi \psi 6-9, \phi 10$ (T10), and $N$-tail states by $\psi 1, \phi \psi 2-4, \psi 5$ (T8). The ring states were further grouped into ring-state types. States assigned to the same ring-state type show identical turn centers and highly similar backbone cartoons but may comprise several subtypes with different turn types or hydrogen bond populations (each ring-state subtype may further comprise different disulfide bridge conformations and $\mathrm{C} / \mathrm{N}$-termini orientations). To analyze the N -tail states, the tail torsions of all long-scale MDs (MD-I to V, and XI) were clustered via DASH and grouped according to their secondary structure motifs. Relative populations of tail-state types for each ring-state type were calculated via their DASH state distribution in ring-state type sections. A list of all identified DASH states is given in Table S2. The DASH state trajectories are given in Figure S1 to Figure S6 together with the RMSD trajectories. The most populated overall states corresponding to characteristic ring states (except for MD VI where only ring states were available) were taken as representatives for the ringstate types. Mean ring torsions of these representatives are given in Table S3. Finally, snapshots of the MD trajectory with maximum similarity to the representative states were extracted to provide 3D structures of the representatives. The coordinate files are available as supplementary files.

## Circular similarity

The consistency of the state assignment resulting from different simulations was ensured by comparison of the circular similarity of ring torsions. Circular similarity is defined as

$$
\begin{gather*}
S(\boldsymbol{x}, \boldsymbol{y})=1-D(\boldsymbol{x}, \boldsymbol{y}) / 180 \sqrt{n}  \tag{3}\\
D(\boldsymbol{x}, \boldsymbol{y})=\sqrt{d\left(x_{1}, y_{1}\right)^{2}+\cdots+d\left(x_{n}, y_{n}\right)^{2}} \tag{4}
\end{gather*}
$$

where
is the distance between two states. Each Dash state is represented by the vector of mean torsion angles $x=\left(x_{1}, \ldots, x_{n}\right)$ and the distance between two angles (in degrees) is

$$
\begin{equation*}
d\left(x_{i}, y_{i}\right)=\min \left(\left|x_{i}-y_{i}\right|, 360-\left|x_{i}-y_{i}\right|\right) \tag{5}
\end{equation*}
$$

$\mathrm{S}(\mathrm{x}, \mathrm{y})$ lies in $[0,1]$, with a value of 1 for identical states, and 0 for dissimilar states. Cosine similarity is defined as

$$
\begin{equation*}
S(\boldsymbol{x}, \boldsymbol{y})=\cos (\Theta)=\frac{x \cdot y}{\|\boldsymbol{x}\| \cdot\|\boldsymbol{y}\|}=\frac{\sum_{i=1}^{n} x_{i} \times y_{i}}{\sqrt{\sum_{i=1}^{n}\left(x_{i}\right)^{2}} \times \sqrt{\sum_{i=1}^{n}\left(y_{i}\right)^{2}}} \tag{6}
\end{equation*}
$$

$S(x, y)$ lies in $[-1,1]$, with 1 meaning identical, 0 dissimilar and -1 opposite similarity. In cases of marginal torsion similarity, assignments were based on backbone CA atoms alignment and root mean square deviation (RMSD).

## Notation of secondary structure elements

Turns were labelled by their turn centers, residues $i+1$ and $i+2$ (e.g. " 8,9 B-turn type-I", meaning a turn from residue $7(i)$ to $9(i+3)$ centered at residues 8 and 9 with $\phi \psi$-angles for a type-I turn at residue 8 $(i+1)$ and $9(i+2))$. The assignment to a distinct turn type was made if the trajectory of the $\phi \psi$ dihedrals $(i+1, i+2)$ showed a continued fluctuation around the ideal torsion values ( $c f$. Table S3).
$\beta$-turns were denoted as either open or classical (hydrogen-bonded or hbond) depending on the population of the hydrogen bond from $\mathrm{O}_{i}$ to $\mathrm{NH}_{i+3}$ and the turn propensity at turn centers $i+1$ and $i+2$, with the following criteria:
a) Classical $\beta$-turn (hbond): hydrogen-bond population $>70 \pm 10 \%$, turn propensity $>75 \%$
b) Open $\beta$-turn (open): hydrogen-bond population $<50 \pm 10 \%$, turn propensity $<75 \%$

The open $\beta$-turn is in accord with the more recent definition by Lewis et al. ${ }^{18}$ using a distance criterion of $<7.0 \AA$ for $\mathrm{Ca}_{\mathrm{i}}-\mathrm{Ca}_{\mathrm{i}+3}$ rather than the postulated hydrogen bond (classical definition by Ramachandran and Venkatachalam ${ }^{19}$ ).

## Supporting Information

DASH states of UII and URP

| MD | Ring state |  | Overall state |  |  | Representative |  | Ring-state type |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | T10 | Pop (\%) | T18 | Pop (\%) | $\begin{gathered} \text { CircSim } \\ \text { T18 vs. T10 } \end{gathered}$ | ID ${ }^{\text {b }}$ | CircSim Rep vs. T10 |  |
| UII |  |  |  |  |  |  |  |  |
| 1 | 5 | 22.5 | 17* | 13.1 | 0.99 | 1 | 0.99 | omega-lopen |
|  | 3 | 21.8 | 4 | 16.2 | 0.99 | 1 | 0.93 | omega-topen |
|  | 6 | 2.2 | 9 | 1.3 | 0.99 | 1 | 0.90 | omega-lopen |
|  | 1 | 29.3 | 1* | 23.1 | 1.00 | 2 | 1.00 | omega-thbond |
|  | 4 | 13.6 | 15 | 5.0 | 0.97 | 2 | 0.84 | omega-thbond |
|  | 2 | 10.6 | 3 | 1.4 | 0.99 | 2 | 0.92 | omega-thbond |
| II | 1 | 78.1 | 1* | 36.1 | 0.99 | 6 | 0.99 | folded-1 |
|  | 2 | 21.9 | 2 | 13.3 | 0.99 | 6 | 0.90 | folded-1 |
| III | 2 | 15.3 | 19 | 2.7 | 0.98 | 1 | 0.94 | omega-topen |
|  | 4 | 14.4 | 13* | 11.2 | 0.98 | 3 | 0.98 | omega--ll |
|  | 1 | 7.3 | 18 | 2.0 | 0.99 | 2 | 0.93 | omega-inbond |
|  | 3 | 0.4 | 3 | 0.4 | 1.00 | 4 | 0.91 | lasso |
|  | 6 | 7.8 | 15 | 6.3 | 0.99 | 5 | 0.93 | scoop |
|  | 9 | 0.2 | 8 | 0.3 | 1.00 | 5 | 0.58 | scoop-var2 |
|  | 5 | 0.3 | 14 | 0.3 | 1.00 | 5 | 0.59 | scoop-var1 |
|  | 10 | 47.8 | 16* | 2.2 | 1.00 | 7 | 1.00 | folded-IVb2 |
|  | 11 | 4.9 | 17 | 0.9 | 0.97 | 7 | 0.84 | folded-iVb2 |
|  | 7 | 1.1 | 6 | 1.1 | 1.00 | 5 | 0.53 | Na-helix |
|  | 8 | 0.4 | 7 | 0.3 | 1.00 | 5 | 0.55 | Na-helix |
| IV | 8 | 19.5 | 15 | 6.95 | 0.99 | 2 | 0.98 | omega-inbond |
|  | 11 | 2.5 | 18 | 1.15 | 0.97 | 2 | 0.88 | omega-intond |
|  | 9 | 6.5 | 5 | 5.91 | 0.99 | 1 | 0.92 | omega-topen |
|  | 12 | 2.1 | 19 | 1.5 | 0.97 | 1 | 0.99 | omega-topen |
|  | 6 | 1.2 | 2 | 1.16 | 1.00 | 1 | 0.69 | omega-topen |
|  | 3 | 22.7 | 1* | 13.34 | 0.99 | 4 | 0.99 | lasso |
|  | 5 | 4.1 | 13 | 2.33 | 0.97 | 4 | 0.95 | lasso |
|  | 10 | 0.9 | 20 | 5.87 | 0.90 | 4 | 0.88 | tasso |
|  | 7 | 3.2 | 14 | 3.01 | 0.97 | 4 | 0.77 | lasso |
|  | 4 | 1.3 | 12 | 1.24 | 1.00 | 4 | 0.57 | lasso-var |
|  | 1 | 25.1 | 8* | 21.93 | 1.00 | 10 | 1.00 | circle |
|  | 2 | 11.0 | 10 | 10.63 | 1.00 | 10 | 0.72 | circle-var |
| v | 1 | 13.5 | 2* | 12.6 | 1.00 | 8 | 1.00 | folded-il |
|  | 2 | 86.5 | 1* | 35.3 | 0.99 | 9 | 0.99 | folded-ili |
| VI | 3 | 55.3 | 7 | 37.9 | 0.99 | 2 | 0.86 | omega--inbond |
|  | 4 | 12.4 | 5 | 12.0 | 1.00 | 2 | 0.67 | omega-tinbond |
|  | 5 | 17.7 | 6 | 17.9 | 1.00 | 1 | 0.91 | omega-topen |
|  | 1 | 6.3 | 1 | 6.3 | 1.00 | 4 | 0.88 | lasso |
|  | 2* | 8.3 | 3 | 7.5 | 0.99 | 5 | 1.00 | scoop |
| XI | 6 | 55.7 | 14 | 19.46 | 0.99 | 3 | 0.98 | omega-il |
|  | 7 | 0.7 | 7 | 3.24 | 0.98 | 3 | 0.94 | omega-il |
|  | 3 | 25.3 | 4* | 23.43 | 1.00 | 11 | 0.99 | inv-fotded |
|  | 2 | 12.2 | 3 | 8.14 | 0.99 | 11 | 0.74 | inv-folded |
|  | 1 | 4.2 | 1 | 3.03 | 0.99 | 4 | 0.97 | lasso |
|  | 5 | 1.3 | 6 | 0.86 | 0.97 | 4 | 0.78 | lasso |
|  | 4 | 0.5 | 5 | 0.57 | 1.00 | 4 | 0.89 | lasso |
| URP |  |  |  |  |  |  |  |  |
|  | T10 | Pop (\%) | T14 | Pop (\%) | T14 vs. T10 | ID | Rep vs. 110 |  |
| IXa | 1 | 58.29 | 1* | 30.02 | 0.97 | 1 r | 0.97 | omega-insond |
|  | 2 | 36.30 | 4* | 35.58 | 1.00 | 3 r | 1.00 | omega-topen |
|  | 3 | 2.81 | 5* | 2.81 | 1.00 | 4 r | 1.00 | hybrid |
|  | 4 | 2.60 | 6* | 2.60 | 1.00 | 5 r | 1.00 | sheet |
| IXb | 1 | 63.80 | 1,2 | 63.73 | 0.97 | 1 r | 0.98 | omega-intond |
|  | 2 | 36.20 | 3 | 36.27 | 1.00 | 3 r | 0.99 | omego-topen |
| IXc | 1 | 51.88 | 1 | 32.50 | 0.98 | 1 r | 0.98 | omega-thbond |
|  | 2 | 48.12 | 3 | 48.30 | 1.00 | 3 r | 0.99 | omega-topen |
| IXd | 1 | 56.12 | 1 | 32.90 | 0.98 | 1 r | 0.98 | omega-tinoond |
|  | 2 | 43.88 | 3 | 44.22 | 1.00 | 3 r | 0.98 | omega-topen |
| X | 1 | 13.93 | 1 | 13.93 | 1.00 | 1 r | 0.86 | omega-inbond |
|  | 2 | 16.76 | 2 | 16.76 | 1.00 | 3 r | 0.94 | omega-lopen |
|  | 4 | 66.91 | 4 | 66.91 | 1.00 | 2 r | 1.00 | omega-il |
|  | 3 | 2.40 | 3* | 2.40 | 1.00 | 6 r | 1.00 | lassoaspoir |

${ }^{*} \mathrm{~T} 18 / \mathrm{T} 14$ states chosen as representatives. ${ }^{\text {a }}$ Ring states ( T 10 ), corresponding overall states ( T 18 ) and representatives of all long-scale MD simulations. Listed are the populations relative to MD simulation times and the similarities of ring torsions. Coordinate files of the representatives are available as supplementary files. ${ }^{\mathrm{b}}$ ID of representative.
Ring torsions of UII and URP representatives
Table S3 Ring torsions of the representative DASH states for UII and URPa

| UII |  |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Ring-state type | ID ${ }^{\text {b }}$ | $\mathrm{C}^{5} \boldsymbol{\Psi}$ | $F^{6} \Phi$ | $F^{6} \boldsymbol{\psi}$ | $W^{7} \Phi$ | $\mathbf{w}^{\top} \boldsymbol{\psi}$ | $\mathrm{K}^{8}$ Ф | $\kappa^{8} \boldsymbol{\psi}$ | $\gamma^{9} \Phi$ | $\gamma^{9} \boldsymbol{\psi}$ | $\mathrm{C}^{10}$ ¢ | Turn type | ideal |
| omega-l open | 1 | 154.83 | -83.82 | -12.26 | -111.33 | 166.81 | -65.25* | -24.57* | -134.32* | 131.66* | -125.02 | open $8,9 \beta$-VIII | $-60^{\circ},-30^{\circ},-120^{\circ},+120^{\circ}$ |
| std dev |  | 19.85 | 23.42 | 22.84 | 28.45 | 13.9 | 12.27 | 16.4 | 17.69 | 27.35 | 24.64 |  |  |
| omega-thbond | 2 | 134.44 | -126.75 | 10.58 | -102.00 | 158.07 | -59.98* | -13.17* | -95.59* | -6.35* | -124.15 | 8,9 $\beta$-1 | -60 $,-30^{\circ},-90^{\circ}, 0^{\circ}$ |
| std dev |  | 14.61 | 16.19 | 20.79 | 29.75 | 10.36 | 17.59 | 26.48 | 24.98 | 18.51 | 21.14 |  |  |
| omega-II | 3 | 145.15 | -81.52 | -15.15 | -111.26 | 159.42 | -73.19* | 153.41* | 54.80* | 33.84* | -95.12 | open 8,9 $\beta$-II | $-60^{\circ},+120^{\circ},+80^{\circ}, 0^{\circ}$ |
| std dev |  | 11.87 | 16.96 | 20.11 | 27.85 | 11.45 | 13.58 | 10.52 | 8.46 | 14.93 | 21.24 |  |  |
| lasso | 4 | 15.06 | -77.66* | -28.46* | -119.47* | -12.57* | -111.90 | 157.70 | -72.59 | 132.29 | -129.70 | open 6,7 $\beta$-1 | $-60^{\circ},-30^{\circ},-90^{\circ}, 0^{\circ}$ |
| std dev |  | 37.19 | 27.00 | 14.54 | 20.04 | 22.42 | 30.75 | 15.22 | 14.9 | 16.01 | 23.35 |  |  |
| scoop | 5 | 131.08 | -59.68* | -39.31* | -99.71* | 9.14* | 75.12 | -12.23 | -116.95 | 125.99 | -119.38 | 6,7 $\beta$ - | $-60^{\circ},-30^{\circ},-90^{\circ}, 0^{\circ}$ |
| $s t d$ dev |  | 23.84 | 10.79 | 10.21 | 11.47 | 17.13 | 10.18 | 57.34 | 54.92 | 34.13 | 35.1 |  |  |
| folded-t | 6 | 143.34 | -104.63 | 138.18 | -57.40* | -26.51* | -72.79* | -16.95* | -129.24 | -11.58 | -118.97 | 7,8 $\beta$-1 | $-60^{\circ},-30^{\circ},-90^{\circ}, 0^{\circ}$ |
| std dev |  | 29.46 | 30.66 | 15.58 | 13.41 | 12.85 | 15.63 | 13.48 | 16.01 | 27.44 | 29.46 |  |  |
| folded-IVb | 7 | 150.13 | -69.04 | 158.25 | -52.46* | 126.54* | 53.30* | 15.23* | -93.38 | -25.19 | -112.04 | 7,8 $\beta$-II | $-60^{\circ},+120^{\circ},+80^{\circ}, 0^{\circ}$ |
| std dev |  | 15.51 | 16.51 | 10.85 | 17.33 | 16.29 | 8.99 | 21.67 | 22.97 | 17.46 | 20.51 |  |  |
| folded-11 | 8 | -9.69 | -66.59 | 137.54 | 56.81* | 7.28* | -115.82* | -47.2* | -149.04* | -16.75* | -113.94 | (multiple turn) |  |
| $s t d$ dev |  | 8.39 | 13.67 | 13.98 | 7.84 | 21.32 | 24.52 | 13.04 | 12.18 | 19.43 | 24.63 |  |  |
| folded-III | 9 | 16.21 | 50.18* | 28.16* | 53.92* | 12.33* | -131.79* | -22.02* | -118.18 | 24.93 | -87.49 | (multiple turn, 6,7 $\beta$-III') | $+60^{\circ},+30^{\circ},+60^{\circ},+30^{\circ}$ |
| std dev |  | 9.66 | 8.58 | 9.63 | 7.23 | 18.91 | 18.53 | 14.45 | 14.12 | 13.64 | 16.91 |  |  |
| circle | 10 | 27.94 | -143.87 | -21.53 | -138.06 | -39.58 | -135.59 | -47.95 | -142.81 | 145.86 | -145.90 | (loop) |  |
| std dev |  | 9.85 | 10.77 | 12.59 | 13.91 | 17.21 | 13.68 | 17.07 | 12.86 | 11.10 | 11.94 |  |  |
| inv-folded | 11 | 0.05 | -65.79* | -25.58* | -61.99* | -21.41* | -117.49* | 22.84* | 54.86* | 18.75* | 54.59* | (multiple turn) |  |
| std dev |  | 9.82 | 9.48 | 11.29 | 10.10 | 11.02 | 11.25 | 9.32 | 8.15 | 10.70 | 7.98 |  |  |
| URP |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Ring-state type | ID | $\mathrm{C}^{2} \boldsymbol{\Psi}$ | $F^{3} \Phi$ | $\mathrm{F}^{3} \boldsymbol{\psi}$ | $\mathrm{W}^{4} \Phi$ | $W^{4} \Psi$ | $\mathrm{K}^{5}$ Ф | $\mathrm{K}^{5} \boldsymbol{\Psi}$ | $\gamma^{6} \Phi$ | $\gamma^{6} \boldsymbol{\psi}$ | $\mathrm{C}^{7}$ © | Turn type | ideal |
| omega-l open | 3 r | 144.82 | -112.69 | -9.94 | -113.22 | 168.37 | -61.36* | -24.06* | -129.43* | 133.87* | -125.04 | open $5,6 \beta$-VIII | $-60^{\circ},-30^{\circ},-120^{\circ},+120^{\circ}$ |
| std dev |  | 17.04 | 29.49 | 23.49 | 29.24 | 14.25 | 16.90 | 18.78 | 19.66 | 33.20 | 30.06 |  |  |
| omega-thbond | 1 r | 140.05 | -124.10 | 8.70 | -103.66 | 157.23 | -59.67* | -13.75* | -95.18* | -7.29* | -127.26 | 5,6 $\beta$-1 | $-60^{\circ},-30^{\circ},-90^{\circ}, 0^{\circ}$ |
| std dev |  | 13.91 | 18.00 | 20.79 | 28.96 | 9.86 | 14.95 | 25.57 | 26.02 | 13.91 | 27.13 |  |  |
| omega-il | 2 r | 135.34 | -102.91 | -3.40 | -117.26 | 158.25 | -66.06* | 144.59* | 68.19* | 43.16* | -75.91 | open $5,6 \beta$-II | $-60^{\circ},+120^{\circ},+80^{\circ}, 0^{\circ}$ |
| std dev |  | 19.76 | 23.01 | 25.13 | 35.34 | 16.75 | 21.69 | 14.39 | 13.08 | 18.89 | 28.52 |  |  |
| lasso | 6 r | 126.55 | -109.98* | -12.55* | -132.39* | 136.74* | 54.15 | -167.73 | -86.43 | 129.84 | -114.06 | open $3,4 \beta$-VIII | $-60^{\circ},-30^{\circ},-120^{\circ},+120^{\circ}$ |
| std dev |  | 20.18 | 25.75 | 20.18 | 24.68 | 16.00 | 34.20 | 50.95 | 35.36 | 15.37 | 24.13 |  |  |
| hybrid | 4 r | 164.74 | -89.11 | 149.79 | -70.56* | 142.40* | 57.70* | -23.58* | -113.44 | 2.58 | -113.03 | 4,5 3-11 | $-60^{\circ},+120^{\circ},+80^{\circ}, 0^{\circ}$ |
| std dev |  | 13.91 | 35.37 | 55.82 | 32.98 | 16.30 | 10.91 | 31.06 | 25.81 | 42.48 | 32.09 |  |  |
| sheet | 5 r | 150.47* | -110.99* | -151.64* | -73.84* | 97.87* | 57.40* | -8.54* | -139.35* | 136.65* | -129.53* | 2-7 antip.-sheet (4,5 $\beta$-11) | $-60^{\circ},+120^{\circ},+80^{\circ}, 0^{\circ}$ |
| std dev |  | 18.30 | 34.75 | 84.03 | 27.82 | 49.50 | 9.06 | 39.45 | 21.60 | 34.64 | 21.67 |  |  |

## Supporting Information

## Principal component analysis

Overall torsion-trajectories were prepared from sections of the MD trajectories that were occupied exclusively by a single ring-state type. The correlation of ring and tail states was analyzed with principal component analysis (PCA) by comparing the weights of tail and ring torsions of the significant PCS with eigenvalue $>1.00$ (Table S4). If the significant PCs correspond mainly to either tail or ring torsions, then the dynamics of ring and tail conformations can be regarded as independent, while significant weightings of both ring and tail torsions on a leading PC indicates that ring and tail conformations affect each other.

Table S4 Principal component weights of ring and tail torsions

omega-II (MD-XI, 2179-5001, 62:38 ext:fold): yes



## Supporting Information



## NMR

## Sample preparation

Human UII and URP were obtained from Bachem (UK) Ltd as the trifluoroacetate salt of the chemically synthesized peptide, each having a purity (by HPLC) of $>95 \%$. Mass spectrometry of the synthesized material gave molecular masses of 1388.3 and 1018.44 Da for UII and URP respectively, in close agreement to the calculated molecular masses of 1388.60 and 1017.26 Da for the reduced forms of the UII and URP peptides. Samples of 5.0 mg dry weight were dissolved in $320 \mu \mathrm{l}$ of $90 \% \mathrm{H}_{2} \mathrm{O} / 10 \% \mathrm{D}_{2} \mathrm{O}$ to give peptide concentrations of 11.25 mM (UII) and 14.80 mM (URP) respectively. The pH of the samples was measured to be 3.0/3.5 and NMR spectra were recorded without adjustment. In addition, samples were dried by lyophilization, then redissolved in $320 \mu \mathrm{l}$ of 20 mM potassium phosphate buffer ( pH 6.5 ) in $90 \% \mathrm{H}_{2} \mathrm{O} / 10 \% \mathrm{D}_{2} \mathrm{O}$ and NMR spectra were recorded at a pH measured as 6.0. NMR spectra of UII and URP in $\mathrm{D}_{2} \mathrm{O}$ at both $\mathrm{pH} 3.0 / 3.5$ and pH 6.0 were recorded at least 2 h after redissolving the extensively dried samples in 99.9\% D20 (Sigma Aldrich).

## NMR experiments

NMR spectroscopy was performed on a Varian Inova 600 MHz spectrometer, equipped with $5-$ channels, a 5 mm triple resonance $\left({ }^{1} \mathrm{H} /{ }^{13} \mathrm{C} /{ }^{15} \mathrm{~N}\right)$ coldprobe and actively shielded pulse field z-axis gradients. ${ }^{1} \mathrm{H}-{ }^{1} \mathrm{H}$ TOCSY and ${ }^{1} \mathrm{H}-{ }^{1} \mathrm{H}$ NOESY spectra were acquired as 2048 complex points, with 32 transients for each of 512 increments and a spectral width of 12.0 ppm in both dimensions. Mixing times of 75 and 90 ms for the TOCSY experiment and 200 and 300 ms for the NOESY experiment were utilized. Water suppression was achieved through use of the watergate sequence. $\mathrm{A}^{13} \mathrm{C}-{ }^{1} \mathrm{H}$ gHSQC spectrum was acquired as 1024 complex points in the observe ${ }^{1} \mathrm{H}$ dimension and 280 increments in the indirect ${ }^{13} \mathrm{C}$ dimension using 32 transients over spectral widths of 12.0 and 140 ppm for the ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ dimensions respectively. The ${ }^{13} \mathrm{C}$ transmitter offset was initially set at 70 ppm , but other combinations of offset and sweep width were used to focus onto the aliphatic and aromatic regions of the spectrum. $\mathrm{A}^{15} \mathrm{~N}-{ }^{1} \mathrm{H}$ gHSQC ${ }^{20-22}$ spectrum was recorded with spectral widths of 12.0 ppm with 1024 complex points in the observe ${ }^{1} \mathrm{H}$ dimension and 30 ppm with 128 increments in the indirect ${ }^{15} \mathrm{~N}$ dimension respectively. The ${ }^{15} \mathrm{~N}$ transmitter offset was set to 120 ppm . $\mathrm{A}^{15} \mathrm{~N}-{ }^{1} \mathrm{H}$ gHSQC spectrum of the URP sample was additionally recorded with the ${ }^{15} \mathrm{~N}$ transmitter offset to 50 ppm in order to confirm the Lys ${ }^{5} \mathrm{H}^{\zeta^{*}}$ and $\mathrm{N}^{3}$ chemical shifts. In all experiments, States-TPPI quadrature detection was employed in the indirect dimension. ${ }^{23}$

Spectral processing and format conversion was performed using NMRPipe ${ }^{24}$ and visualized with NMRView. ${ }^{25}$ Spectra obtained for the UII and URP peptides were assigned using Analysis v2.3.1 from

## Supporting Information

the CcpNMR software suite. ${ }^{26,27}$ Proton and ${ }^{13} \mathrm{C}$ chemical shifts were referenced to 3-trimethyl silyl propane sulfonic acid (DSS) and ${ }^{15} \mathrm{~N}$ chemical shifts were referenced to an external liquid ammonia. A second set of resonances representing a minor population ( $\sim 10 \%$ of the total) was also observed in the UII NMR spectra. Downfield chemical shift changes in the $\mathrm{Pro}^{3} \mathrm{C}^{\beta}$ and an upfield shift of $\operatorname{Pro}^{3} \mathrm{C}^{\gamma}$ that are diagnostic of a cis-Pro conformation rather than the trans-Pro conformation was found ${ }^{28,29}$. A $\Delta \beta \gamma=4.7 \mathrm{ppm}$ for the trans- $\operatorname{Pro}^{3} \Delta \beta \gamma=9.69 \mathrm{ppm}$ for the cis-Pro ${ }^{3}$ conformations agrees closely with the statistical analyses of Schubert et al. ${ }^{30}$ and Shen and $\mathrm{Bax}^{31}$. In addition there was the expected strong Thr $r^{2} \mathrm{H}^{\alpha}$ to $\mathrm{Pro}^{3} \mathrm{H}^{\alpha}$ NOE in the cis-Pro conformation as opposed to the strong $\mathrm{Thr}^{2} \mathrm{H}^{\alpha}$ to $\mathrm{Pro}^{3} \mathrm{H}^{\delta}$ NOEs of the trans-Pro conformation ${ }^{32}$. A minor Ull conformation due to cis-isomerization of Pro ${ }^{3}$ was thus identified and fully sequentially assigned.

The ${ }^{1} \mathrm{H},{ }^{13} \mathrm{C}$ and ${ }^{15} \mathrm{~N}$ chemical shifts of the major populated trans-Pro ${ }^{3}$ and minor populated cis-Pro ${ }^{3}$ isomers of UII at pH 3.0, and pH 6.0 are given in Table S5 and Table S6. The ${ }^{1} \mathrm{H},{ }^{13} \mathrm{C}$ and ${ }^{15} \mathrm{~N}$ chemical shifts of URP at pH 3.5 , and pH 6.0 are given in Table S7 and Table S8.

## Supporting Information

Experimental chemical shifts $\left({ }^{1} \mathrm{H},{ }^{13} \mathrm{C},{ }^{15} \mathrm{~N}\right)$

Table S5 $\quad{ }^{1} \mathrm{H},{ }^{13} \mathrm{C},{ }^{15} \mathrm{~N}$ NMR chemical shifts (ppm) of Ull in $\mathrm{H}_{2} \mathrm{O} / \mathrm{D}_{2} \mathrm{O}$ at $\mathrm{pH} 3.0 / 298 \mathrm{~K}$. a

| Residue | $\mathrm{H}^{\mathrm{N}}$ | N | $\mathrm{H}^{\alpha}$ | $\mathrm{C}^{\alpha}$ | Others |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Glu ${ }^{1}$ | - | - | 4.67 | 52.20 | $\begin{aligned} & \text { 2.17: } \mathrm{H}^{B *} ; 2.53: \mathrm{H}^{*} \\ & 28.94: \mathrm{C}^{B} ; 32.24: \mathrm{C}^{\gamma} \end{aligned}$ |
| Thr ${ }^{2}$ | 8.78 | 122.61 | 4.67 | 60.09 | $\begin{aligned} & 4.18: \mathrm{H}^{\mathrm{B}} ; 1.30: \mathrm{H}^{2}{ }^{2} \\ & 69.92: \mathrm{C}^{\mathrm{B}} ; 21.76: \mathrm{C}^{\mathrm{V}} \end{aligned}$ |
| trans-Pro ${ }^{3}$ | - | - | 4.39 | 63.54 | $\begin{aligned} & 1.91: \mathrm{H}^{\mathrm{Ba}} ; 2.30: \mathrm{H}^{\mathrm{Bb}} ; 2.03: \mathrm{H}^{\mathrm{r}} ; 3.74: \mathrm{H}^{\delta \mathrm{a}} ; 3.87: \mathrm{H}^{\delta \mathrm{b}} \\ & 32.32: \mathrm{C}^{\mathrm{B}} ; 27.58: \mathrm{C}^{\gamma} ; 51.31: \mathrm{C}^{\delta} \end{aligned}$ |
| Asp ${ }^{4}$ | 8.52 | 120.47 | 4.54 | 53.19 | $\begin{aligned} & 2.82: H^{B *} \\ & 38.26: C^{B} \end{aligned}$ |
| Cys ${ }^{5}$ | 8.00 | 121.00 | 4.59 | 55.75 | $\begin{aligned} & 2.87: \mathrm{H}^{\mathrm{Ba}} ; 3.15: \mathrm{H}^{\mathrm{Bb}} \\ & 41.94: \mathrm{C}^{\mathrm{B}} \end{aligned}$ |
| Phe ${ }^{6}$ | 7.90 | 125.41 | 4.57 | 57.73 | $\begin{aligned} & \text { 2.61:H3a; 2.93: } \mathrm{H}^{\mathrm{Bb}} ; 7.00: \mathrm{H}^{6 *} ; 7.23: \mathrm{H}^{*} ; 7.24: \mathrm{H}^{\mathrm{z}} \\ & 39.21: \mathrm{C}^{\mathrm{B}} ; 131.84: \mathrm{C}^{6 *} ; 131.50: \mathrm{C}^{\mathrm{E} *} ; 130.00: \mathrm{C}^{\mathrm{b}} \end{aligned}$ |
| Trp ${ }^{7}$ | 7.55 | 122.36 | 4.74 | 57.15 | $\begin{aligned} & 3.06: \mathrm{H}^{\mathrm{Ba}} ; 3.37: \mathrm{H}^{\mathrm{Bb}} ; 7.23: \mathrm{H}^{\delta 1} ; 10.28: \mathrm{H}^{\varepsilon 1} ; 7.59: \mathrm{H}^{\varepsilon 3} ; 7.56: \mathrm{H}^{〔 2} ; 7.23: \mathrm{H}^{〔 3} ; \\ & 7.31: \mathrm{H}^{\mathrm{n} 2} \\ & 30.07: \mathrm{C}^{\mathrm{B}} ; 127.49: \mathrm{C}^{81} ; 121.14: \mathrm{C}^{\varepsilon 3} ; 115.09: \mathrm{C}^{72} ; 122.45: \mathrm{C}^{73} ; 125.04: \mathrm{C}^{\mathrm{n} 2} \\ & 132.10: \mathrm{N}^{\varepsilon 1} \end{aligned}$ |
| Lys ${ }^{8}$ | 7.92 | 122.04 | 3.97 | 58.15 | $\begin{aligned} & 1.55: \mathrm{H}^{B *} ; 0.98: \mathrm{H}^{v} ; 1.05: \mathrm{H}^{\vee b} ; 1.55: \mathrm{H}^{\delta *} ; 2.88: \mathrm{H}^{\varepsilon *} ; 7.53: \mathrm{H}^{{ }^{*}} \\ & 32.71: \mathrm{C}^{B} ; 24.63: \mathrm{C}^{\gamma} ; 29.20: \mathrm{C}^{\delta} ; 42.19: \mathrm{C}^{E} \\ & 34.79: \mathrm{N}^{\mathrm{B}} \end{aligned}$ |
| Tyr ${ }^{9}$ | 7.65 | 117.72 | 4.63 | 57.48 | $\begin{aligned} & 3.07: \mathrm{H}^{B^{*}} ; 7.10: \mathrm{H}^{\delta *} ; 6.79: \mathrm{H}^{\mathrm{E} *} \\ & 38.12: \mathrm{C}^{B} ; 133.42: \mathrm{C}^{\delta^{*} ;} ; 118.36: \mathrm{C}^{6 *} \end{aligned}$ |
| Cys ${ }^{10}$ | 7.99 | 122.55 | 4.73 | 55.79 | $\begin{aligned} & 3.07: H^{B *} \\ & 43.10: C^{B} \end{aligned}$ |
| Val ${ }^{11}$ | 8.11 | 122.99 | 4.20 | 62.02 | $\begin{aligned} & 2.19: \mathrm{H}^{\beta} ; 0.97: \mathrm{H}^{\mathrm{ra} *} ; 0.97: \mathrm{H}^{\mathrm{bb} *} \\ & 32.99: \mathrm{C}^{\mathrm{B}} ; 20.32: \mathrm{C}^{\mathrm{y}} ; 21.33: \mathrm{C}^{\mathrm{yb}} \end{aligned}$ |
| Glu ${ }^{1}$ | - | - | 4.14 | 55.33 | $\begin{aligned} & \text { 2.17: } \mathrm{H}^{1 *} ; 2.58: \mathrm{H}^{\gamma} \\ & 28.92: \mathrm{C}^{\mathrm{B}} ; 32.13: \mathrm{C}^{\gamma} \end{aligned}$ |
| Thr ${ }^{2}$ | 8.59 | 120.67 | 4.46 | 59.48 | $\begin{aligned} & 4.06: \mathrm{H}^{\mathrm{B}} ; 1.21: \mathrm{H}^{\mathrm{Y}^{2} *} \\ & 70.87: \mathrm{C}^{\mathrm{B}} ; 21.45: \mathrm{C}^{\gamma} \end{aligned}$ |
| cis-Pro ${ }^{3}$ | - | - | 4.82 | 63.27 | $\begin{aligned} & \text { 2.13: } \mathrm{H}^{\mathrm{Ba}} ; 2.40: \mathrm{H}^{\mathrm{Bb}} ; 1.84: \mathrm{H}^{\mathrm{a}} ; 1.96: \mathrm{H}^{\mathrm{b}} ; 3.53: \mathrm{H}^{\delta \mathrm{a}} ; 3.62: \mathrm{H}^{\text {bb }} \\ & 34.68: \mathrm{C}^{\mathrm{B}} ; 24.99: \mathrm{C}^{\mathrm{V}} ; 50.26: \mathrm{C}^{\delta} \end{aligned}$ |
| Asp ${ }^{4}$ | 8.74 | 121.45 | 4.63 | 53.29 | $\begin{aligned} & 2.88: H^{B *} \\ & \text { (): }: C^{B} \end{aligned}$ |
| Cys ${ }^{5}$ | 8.02 | 121.35 | 4.63 | 55.40 | $\begin{aligned} & 2.87: \mathrm{H}^{B a} ; 3.14: \mathrm{H}^{\mathrm{Bb}} \\ & 42.73: \mathrm{C}^{B} \end{aligned}$ |
| Phe ${ }^{6}$ | 8.04 | 125.07 | 4.57 | (57.73) | $\begin{aligned} & \text { 2.68: } \mathrm{H}^{\mathrm{Ba}} ; 2.93: \mathrm{H}^{\mathrm{Bb}} ; 7.04: \mathrm{H}^{6 *} ;(): \mathrm{H}^{* *} ; 7.28: \mathrm{H}^{3} \\ & 39.28: \mathrm{C}^{\mathrm{B}} ; 131.85: \mathrm{C}^{8 *} ;(): \mathrm{C}^{\mathrm{C} *} ;(): \mathrm{C}^{8} \end{aligned}$ |
| Trp ${ }^{7}$ | 7.62 | 122.88 | 4.71 | (57.15) |  |
| Lys ${ }^{8}$ | 7.83 | 122.04 | 3.92 | 58.22 | $\begin{aligned} & 1.52: \mathrm{H}^{\mathrm{B}} ; 0.92: \mathrm{H}^{\gamma \mathrm{y}} ; 0.97: \mathrm{H}^{\vee b} ; 1.52: \mathrm{H}^{6 *} ; 2.87: \mathrm{H}^{\mathrm{E}} ;(): \mathrm{H}^{\zeta^{*}} \\ & \text { ():C }:\left(0: \mathrm{C}^{\mathrm{\gamma}} ;(): \mathrm{C}^{\delta} ;(): \mathrm{C}^{\varepsilon}\right. \\ & (): \mathrm{N}^{\mathrm{Z}} \end{aligned}$ |
| Tyr ${ }^{9}$ | 7.70 | 117.87 | 4.65 | (57.48) | $\begin{aligned} & 3.05: \mathrm{H}^{\mathrm{Ba}} ; 3.11: \mathrm{H}^{\mathrm{Bb}} ; 7.14: \mathrm{H}^{\delta *} ; 6.83: \mathrm{H}^{\varepsilon *} \\ & \text { (): }: \mathrm{C}^{\mathrm{B}} ; 133.32: \mathrm{C}^{\delta *} ; 118.27: \mathrm{C}^{\mathrm{E} *} \end{aligned}$ |
| Cys ${ }^{10}$ | 8.00 | 122.42 | 4.75 | 57.31 | $\begin{aligned} & 3.02: \mathrm{H}^{\beta^{*}} \\ & 43.13: \mathrm{C}^{B} \end{aligned}$ |
| Val ${ }^{11}$ | 8.12 | (122.99) | 4.20 | (62.02) | $\begin{aligned} & 2.17: \mathrm{H}^{\beta} ; 1.08: \mathrm{H}^{\text {ra* }} ; 1.08: \mathrm{H}^{\mathrm{bb}} \\ & 32.25: \mathrm{C}^{\mathrm{B}} ; 20.33: \mathrm{C}^{\text {va }} ; 21.33: \mathrm{C}^{\text {bb }} \end{aligned}$ |

${ }^{3}$ Upper half trans-Pro ${ }^{3}$ isomer of UII; lower half cis-Pro ${ }^{3}$ isomer of UII. SL1, MS1:A trans, MS1:C cis. Some resonances, indicated by 0), are
not assigned because they are too close to resonances of the main isomer (trans-Pro ${ }^{3}$ ); Resonances not observed are indicated with -.

## Supporting Information

| Residue | $\mathrm{H}^{\mathrm{N}}$ | N | $\mathrm{H}^{\alpha}$ | $\mathrm{C}^{\text {a }}$ | Others |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Glu ${ }^{1}$ | - | - | 4.13 | 55.79 | $\begin{aligned} & 2.10: \mathrm{H}^{\mathrm{Ba}} ; 2.11: \mathrm{H}^{\mathrm{Bb}} ; 2.33: \mathrm{H}^{\mathrm{ya}} ; 2.36: \mathrm{H}^{\mathrm{yb}} \\ & 30.49: \mathrm{C}^{\mathrm{B}} ; 35.89: \mathrm{C}^{\mathrm{y}} \end{aligned}$ |
| Thr ${ }^{2}$ | 8.41 | 121.84 | 4.68 | 59.99 | $\begin{aligned} & 4.19: \mathrm{H}^{\mathrm{B}} ; 1.27: \mathrm{H}^{\mathrm{V} 2} \\ & 69.87: \mathrm{C}^{\mathrm{B}} ; 21.77: \mathrm{C}^{\gamma} \end{aligned}$ |
| trans-Pro ${ }^{3}$ | - | - | 4.39 | 63.59 | $\begin{aligned} & 1.92: \mathrm{H}^{\mathrm{Ba}} ; 2.29: \mathrm{H}^{\mathrm{Bb}} ; 2.02: \mathrm{H}^{\gamma} ; 3.73: \mathrm{H}^{\delta \mathrm{a}} ; 3.85: \mathrm{H}^{\delta b} \\ & 32.29: \mathrm{C}^{8} ; 27.57: \mathrm{C}^{r} ; 51.27: \mathrm{C}^{6} \end{aligned}$ |
| Asp ${ }^{4}$ | 8.39 | 121.71 | 4.46 | 54.71 | $\begin{aligned} & 2.60: \mathrm{H}^{\beta *} \\ & 41.09: \mathrm{C}^{\mathrm{B}} \end{aligned}$ |
| Cys ${ }^{5}$ | 8.05 | 120.67 | 4.58 | 55.78 | $\begin{aligned} & 2.88: H^{\text {Ba }} ; 3.19: \mathrm{H}^{\mathrm{Bb}} \\ & 41.37: \mathrm{C}^{\text {B }} \end{aligned}$ |
| Phe ${ }^{\text {6 }}$ | 7.99 | 125.18 | 4.50 | 58.41 | $\begin{aligned} & 2.76: \mathrm{H}^{\mathrm{Ba}} ; 2.87: \mathrm{H}^{\mathrm{Bb}} ; 6.94: \mathrm{H}^{\delta *} ; 7.22: \mathrm{H}^{*} ; 7.23: \mathrm{H}^{\mathrm{Z}} \\ & 39.10: \mathrm{C}^{\mathrm{B}} ; 131.76: \mathrm{C}^{\delta *} ; 131.54: \mathrm{C}^{\varepsilon *} ; 130.02: \mathrm{C}^{\mathrm{C}} \end{aligned}$ |
| Trp ${ }^{7}$ | 7.64 | 121.79 | 4.70 | 57.07 | $\begin{aligned} & 3.12: \mathrm{H}^{\mathrm{Ba}} ; 3.36: \mathrm{H}^{\mathrm{Bb}} ; 7.23: \mathrm{H}^{51} ; 10.25: \mathrm{H}^{\mathrm{E} 1} ; 7.58: \mathrm{H}^{\mathrm{\varepsilon}} ; 7.55: \mathrm{H}^{72} ; 7.21: \mathrm{H}^{73} ; \\ & 7.28: \mathrm{H}^{\mathrm{T} 2} \\ & \text { 29.90:C } \mathrm{C}^{\mathrm{B}} ; 127.57: \mathrm{C}^{81} ; 121.18: \mathrm{C}^{83} ; 115.02: \mathrm{C}^{22} ; 122.41: \mathrm{C}^{73} ; 124.99: \mathrm{C}^{2} \\ & 132.03: \mathrm{N}^{\varepsilon 1} \end{aligned}$ |
| Lys ${ }^{8}$ | 7.73 | 121.57 | 4.04 | 57.46 | $\begin{aligned} & 1.54: \mathrm{H}^{B^{*}} ; 0.98: \mathrm{H}^{\text {va }} ; 1.04: \mathrm{H}^{v b} ; 1.54: \mathrm{H}^{6 *} ; 2.87: \mathrm{H}^{\varepsilon}{ }^{*} \\ & 33.02: \mathrm{C}^{B} ; 24.53: \mathrm{C}^{*} ; 29.53: \mathrm{C}^{\delta} ; 42.07: \mathrm{C}^{\varepsilon} \\ & -: \mathrm{N}^{\mathrm{K}} \end{aligned}$ |
| Tyr ${ }^{9}$ | 7.71 | 118.41 | 4.62 | 57.53 | $\begin{aligned} & 3.03: \mathrm{H}^{\mathrm{Ba}} ; 3.05: \mathrm{H}^{\mathrm{Bb}} ; 7.10: \mathrm{H}^{\delta *} ; 6.79: \mathrm{H}^{\text {® }} \\ & 38.13: \mathrm{C}^{B} ; 133.36: \mathrm{C}^{\delta *} ; 118.35: \mathrm{C}^{\varepsilon *} \end{aligned}$ |
| Cys ${ }^{10}$ | 8.14 | 123.80 | 4.65 | 55.71 | $\begin{aligned} & 3.02: \mathrm{H}^{\mathrm{Ba}} ; 3.19: \mathrm{H}^{\mathrm{Bb}} \\ & 42.88: \mathrm{C}^{\mathrm{B}} \end{aligned}$ |
| Val ${ }^{11}$ | 7.72 | 126.83 | 4.02 | 63.85 | $\begin{aligned} & 2.10: \mathrm{H}^{\mathrm{B}} ; 0.91: \mathrm{H}^{\mathrm{ra} *} ; 0.91: \mathrm{H}^{\mathrm{b} *} \\ & 33.44: \mathrm{C}^{3} ; 20.31: \mathrm{C}^{\mathrm{ra}} ; 21.73: \mathrm{C}^{\mathrm{rb}} \end{aligned}$ |
| Glu ${ }^{1}$ | - | - | 4.07 | 55.85 | $\begin{aligned} & 2.08: \mathrm{H}^{\mathrm{Ba}} ; 2.13: \mathrm{H}^{\mathrm{Bb}} ; 2.42: \mathrm{H}^{\mathrm{y}} ;(): \mathrm{H}^{\mathrm{vb}} \\ & (): \mathrm{C}^{\mathrm{B}} ; 35.98: \mathrm{C}^{\mathrm{y}} \end{aligned}$ |
| Thr ${ }^{2}$ | 8.20 | 120.94 | 4.48 | 59.70 | $\begin{aligned} & 4.07: \mathrm{H}^{\mathrm{B}} ; 1.19: \mathrm{H}^{{ }^{2} *} \\ & 70.60: \mathrm{C}^{3} ; 21.21: \mathrm{C}^{\downarrow 2} \end{aligned}$ |
| cis-Pro ${ }^{3}$ | - | - | 4.83 | 63.37 | $\begin{aligned} & 2.16: H^{\beta a} ; 2.35: H^{\beta b} ; 1.84: H^{\mathrm{\gamma a}} ; 1.95: \mathrm{H}^{\mathrm{b} b} ; 3.52: \mathrm{H}^{\delta \mathrm{a}} ; 3.60: \mathrm{H}^{\delta b} \\ & 34.58: \mathrm{C}^{\mathrm{B}} ; 24.90: \mathrm{C}^{\gamma} ; 50.25: \mathrm{C}^{\delta} \end{aligned}$ |
| Asp ${ }^{4}$ | 8.56 | 123.61 | 4.55 | 54.66 | $\begin{aligned} & 2.68: \mathrm{H}^{\beta *} \\ & 41.39: \mathrm{C}^{\mathrm{B}} \end{aligned}$ |
| Cys ${ }^{5}$ | 8.08 | 120.68 | 4.58 | (55.78) | $\begin{aligned} & 2.92: \mathrm{H}^{\mathrm{Ba}} ; 3.21: \mathrm{H}^{\text {Bb }} \\ & 42.22: \mathrm{C}^{\text {B }} \end{aligned}$ |
| Phe ${ }^{6}$ | 7.94 | 124.93 | 4.48 | (58.41) | $\begin{aligned} & \text { 2.75: } \mathrm{H}^{\mathrm{Ba}} ; 2.85: \mathrm{H}^{\mathrm{Bb}} ; 6.94: \mathrm{H}^{\delta *} ; 7.22: \mathrm{H}^{\mathrm{E}} ; 7.23: \mathrm{H}^{3} \\ & \text { ():C } \mathrm{C}^{\mathrm{B}} ;(): \mathrm{C}^{\delta *} ; 131.54: \mathrm{C}^{\varepsilon *} ;(): \mathrm{C}^{\mathrm{C}} \end{aligned}$ |
| Trp ${ }^{7}$ | 7.77 | 122.50 | 4.64 | 57.23 | $\begin{aligned} & 3.12: \mathrm{H}^{\mathrm{Ba}} ; 3.36: \mathrm{H}^{\mathrm{Bb}} ;(): \mathrm{H}^{\delta 1} ; 10.25: \mathrm{H}^{\varepsilon 1} ;(): \mathrm{H}^{\mathrm{E}} ;(0): \mathrm{H}^{22} ;(): \mathrm{H}^{23} ;(): \mathrm{H}^{\mathrm{n} 2} \\ & (): \mathrm{C}^{\mathrm{B}} ;(): \mathrm{C}^{11} ;(): \mathrm{C}^{\mathrm{E} 3} ;(): \mathrm{C}^{\mathrm{C}^{2}} ;(): \mathrm{C}^{73} ;(): \mathrm{C}^{\mathrm{n} 2} \\ & 131.66: \mathrm{N}^{\varepsilon 1} \end{aligned}$ |
| Lys ${ }^{8}$ | 7.64 | 121.57 | 3.98 | 57.57 | $\begin{aligned} & 1.53: H^{B^{*}} ; 0.97: H^{v a} ; 1.03: H^{\gamma^{b}} ;(): H^{\delta *} ; 2.75: \mathrm{H}^{\varepsilon} ; 2.86: \mathrm{H}^{\mathrm{E} *} \\ & (): \mathrm{C}^{B} ;(): \mathrm{C}^{*} ;(): \mathrm{C}^{\delta} ;(): \mathrm{C}^{\varepsilon} \\ & -: \mathrm{N}^{\mathrm{Z}} \end{aligned}$ |
| Tyr ${ }^{9}$ | 7.75 | 118.50 | 4.62 | (57.53) | $\begin{aligned} & 3.01: \mathrm{H}^{B a} ; 3.08: \mathrm{H}^{\mathrm{Bb}} ;(): \mathrm{H}^{\delta *} ;(): \mathrm{H}^{\varepsilon *} \\ & (): \mathrm{C}^{B} ;(): \mathrm{C}^{\delta *} ; 0: \mathrm{C}^{\mathrm{E} *} \end{aligned}$ |
| Cys ${ }^{10}$ | 8.20 | 123.80 | 4.65 | (55.71) | $\begin{aligned} & 2.87: \mathrm{H}^{\mathrm{Ba}} ; 3.20: \mathrm{H}^{\mathrm{Bb}} \\ & 42.88: \mathrm{C}^{\mathrm{B}} \end{aligned}$ |
| Val ${ }^{11}$ | 7.75 | 126.82 | 4.02 | (63.85) |  |

${ }^{3}$ Upper half trans-Pro ${ }^{3}$ isomer of UII; lower half cis-Pro isomer of UII. SL2, MS2:A trans, MS2:B,C cis. Some resonances are not assigned because they are too close to resonances of the main isomer (trans-Pro ${ }^{3}$ ); these resonances are in parentheses (). Resonances not observed are marked with dash -.

## Supporting Information

Table S7 ${ }^{1} \mathrm{H},{ }^{13} \mathrm{C},{ }^{15} \mathrm{~N}$ NMR chemical shifts ( ppm ) of URP in $\mathrm{H}_{2} \mathrm{O} / \mathrm{D}_{2} \mathrm{O}$ at $\mathrm{pH} 3.5 / 298 \mathrm{~K}$ a

| Residue | $\mathrm{H}^{\mathrm{N}}$ | N | $\mathrm{H}^{\text {a }}$ | $\mathrm{C}^{\text {a }}$ | Others |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Ala ${ }^{1}$ | - | - | 4.03 | 51.83 | $\begin{aligned} & 1.41: H^{B *} \\ & 19.59: C^{B} \end{aligned}$ |
| Cys ${ }^{2}$ | 8.61 | 120.59 | 4.65 | 55.61 | $\begin{aligned} & 2.99: H^{B a} ; 3.12: H^{B b} \\ & 42.94: C^{B} \end{aligned}$ |
| Phe ${ }^{3}$ | 8.25 | 126.40 | 4.64 | 57.55 | $\begin{aligned} & 2.61: \mathrm{H}^{\mathrm{Ba}} ; 2.96: \mathrm{H}^{\mathrm{Bb}} ; 7.05: \mathrm{H}^{6 *} ; 7.26: \mathrm{H}^{*} ; 7.24: \mathrm{H}^{\mathrm{Z}} \\ & 39.50: \mathrm{C}^{\mathrm{B}} ; 131.84: \mathrm{C}^{6 *} ; 129.99: \mathrm{C}^{\varepsilon *} ; 127.45: \mathrm{C}^{\mathrm{C}} \end{aligned}$ |
| Trp ${ }^{4}$ | 7.60 | 123.09 | 4.75 | 57.11 | $\begin{aligned} & 3.07: \mathrm{H}^{\mathrm{Ba}} ; 3.39: \mathrm{H}^{\mathrm{Bb}} ; 7.24: \mathrm{H}^{81} ; 10.31: \mathrm{H}^{\mathrm{E} 1} ; 7.64: \mathrm{H}^{\mathrm{E} 3} ; 7.58: \mathrm{H}^{72} ; 7.25: \mathrm{H}^{73} ; \\ & 7.32: \mathrm{H}^{\mathrm{T}} ; \\ & 30.10: \mathrm{C}^{\mathrm{B}} ; 131.54: \mathrm{C}^{81} ; 121.19: \mathrm{C}^{\varepsilon 3} ; 115.07: \mathrm{C}^{22} ; 122.45: \mathrm{C}^{33} ; 125.07: \mathrm{C}^{2} \\ & 132.09: \mathrm{N}^{\varepsilon 1} \end{aligned}$ |
| Lys ${ }^{5}$ | 7.89 | 122.18 | 3.88 | 58.54 | $\begin{aligned} & 1.51: \mathrm{H}^{B *} ; 0.91: \mathrm{H}^{\mathrm{v}} ; 0.98: \mathrm{H}^{\vee \mathrm{b}} ; 1.51: \mathrm{H}^{\delta *} ; 2.86: \mathrm{H}^{\varepsilon *} ; 7.54: \mathrm{H}^{\mathrm{C}^{*}} \\ & 32.45: \mathrm{C}^{B} ; 24.67: \mathrm{C}^{\mathrm{r}} ; 29.18: \mathrm{C}^{\delta} ; 42.05: \mathrm{C}^{\varepsilon} \\ & 34.80: \mathrm{N}^{\mathrm{z}} \end{aligned}$ |
| Tyr ${ }^{6}$ | 7.66 | 117.32 | 4.68 | 57.23 | $\begin{aligned} & 3.05: \mathrm{H}^{\mathrm{Ba}} ; 3.14: \mathrm{H}^{\mathrm{Bb}} ; 7.12: \mathrm{H}^{\delta *} ; 6.80: \mathrm{H}^{\mathrm{E} *} \\ & 38.33: \mathrm{C}^{\mathrm{B}} ; 133.46: \mathrm{C}^{\delta *} ; 118.34: \mathrm{C}^{\mathrm{E*}} \end{aligned}$ |
| Cys ${ }^{7}$ | 8,01 | 122.19 | 4.80 | 56.10 | $\begin{aligned} & 3.09: \mathrm{H}^{B *} \\ & 42.95: \mathrm{C}^{B} \end{aligned}$ |
| Val ${ }^{8}$ | 8.10 | 123.25 | 4.20 | 62.36 | $\begin{aligned} & 2.19: \mathrm{H}^{B} ; 0.97: \mathrm{H}^{\mathrm{ra}} ; 0.98: \mathrm{H}^{\mathrm{vb} *} \\ & 33.16: \mathrm{C}^{B} ; 20.30: \mathrm{C}^{\mathrm{ra}} ; 21.41: \mathrm{C}^{\mathrm{\gamma b}} \end{aligned}$ |

SL1, MS1:A. Resonances not observed are marked with dash -.

Table S8 $\quad{ }^{1} \mathrm{H},{ }^{13} \mathrm{C},{ }^{15} \mathrm{~N}$ NMR chemical shifts ( ppm ) of URP in $\mathrm{H}_{2} \mathrm{O} / \mathrm{D}_{2} \mathrm{O}$ at $\mathrm{pH} 6.0 / 298 \mathrm{~K}$

| Residue | $\mathrm{H}^{\mathrm{N}}$ | N | $\mathrm{H}^{\text {a }}$ | $\mathrm{C}^{\alpha}$ | Others |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Ala ${ }^{1}$ | - | - | 4.02 | 51.86 | $\begin{aligned} & 1.41: \mathrm{H}^{\beta *} \\ & 19.69: \mathrm{C}^{\mathrm{B}} \end{aligned}$ |
| Cys ${ }^{2}$ | - | - | 4.69 | 55.66 | $\begin{aligned} & 2.97: \mathrm{H}^{\mathrm{Ba}} ; 3.09: \mathrm{H}^{\mathrm{Bb}} \\ & 43.31: \mathrm{C}^{\text {B }} \end{aligned}$ |
| Phe ${ }^{3}$ | 8.29 | 126.17 | 4.63 | 57.54 | $\begin{aligned} & 2.62: \mathrm{H}^{\mathrm{Ba}} ; 2.97: \mathrm{H}^{\mathrm{Bb}} ; 7.05: \mathrm{H}^{\delta *} ; 7.25: \mathrm{H}^{*} ; 7.22: \mathrm{H}^{〔} \\ & 39.53: \mathrm{C}^{B} ; 131.89: \mathrm{C}^{\delta *} ; 129.97: \mathrm{C}^{\varepsilon *} ; 127.40: \mathrm{C}^{\zeta} \end{aligned}$ |
| Trp ${ }^{4}$ | 7.67 | 123.17 | 4.72 | 57.13 | $\begin{aligned} & 3.11: \mathrm{H}^{\mathrm{Ba}} ; 3.39: \mathrm{H}^{\mathrm{Bb}} ; 7.22: \mathrm{H}^{61} ; 10.29: \mathrm{H}^{\varepsilon 1} ; 7.63: \mathrm{H}^{\mathrm{\varepsilon}} ; 7.56: \mathrm{H}^{〔 2} ; 7.23: \mathrm{H}^{73} ; \\ & 7.30: \mathrm{H}^{\mathrm{n} 2} \\ & \text { 29.88:C } \mathrm{C}^{\mathrm{B}} ; 131.52: \mathrm{C}^{\delta 1} ; 121.19: \mathrm{C}^{83} ; 115.05:: \mathrm{C}^{\mathrm{C}^{2}} 122.44: \mathrm{C}^{73} ; 125.05: \mathrm{C}^{\mathrm{n}^{2}} \\ & 132.07: \mathrm{N}^{\varepsilon 1} \end{aligned}$ |
| Lys ${ }^{5}$ | 7.86 | 121.81 | 3.88 | 58.39 | $\begin{aligned} & 1.50: \mathrm{H}^{B *} ; 0.86: \mathrm{H}^{\mathrm{Va}} ; 0.93: \mathrm{H}^{\mathrm{vb}} ; 1.49: \mathrm{H}^{\delta *} ; 2.83: \mathrm{H}^{\varepsilon *} \\ & 32.46: \mathrm{C}^{3} ; 24.66: \mathrm{C}^{\gamma} ; 29.26: \mathrm{C}^{\delta} ; 42.03: \mathrm{C}^{\varepsilon} \\ & -: \mathrm{N}^{\mathrm{s}} \end{aligned}$ |
| Tyr ${ }^{6}$ | 7.64 | 117.77 | 4.69 | 57.15 |  |
| Cys ${ }^{7}$ | 8.12 | 122.99 | 4.84 | 56.22 | $\begin{aligned} & 3.03: H^{B a} ; 3.10: H^{B b} \\ & 43.38: C^{B} \end{aligned}$ |
| Val ${ }^{8}$ | 7.85 | 127.08 | 4.06 | 63.85 | $\begin{aligned} & 2.13: \mathrm{H}^{\mathrm{B}} ; 0.94: \mathrm{H}^{\mathrm{a} *} ; 0.94: \mathrm{H}^{\mathrm{b} *} \\ & 33.65: \mathrm{C}^{\beta} ; 20.31: \mathrm{C}^{\mathrm{\gamma a}} ; 21.76: \mathrm{C}^{\mathrm{\gamma b}} \end{aligned}$ |

${ }^{3}$ SL2, MS2:A. Resonances not observed are marked with dash -

## Supporting Information

## DFT calculations

## ${ }^{1} \mathrm{H}$ regression formula

Conversion of magnetic shielding at level B3LYP/6-31G(d)+PCM water to chemical shifts ${ }^{33}$

$$
\begin{equation*}
\delta\left({ }^{1} H\right)=-0.9912 \sigma_{H}+32.05 \tag{7}
\end{equation*}
$$

$\delta\left({ }^{1} \mathrm{H}\right)={ }^{1} \mathrm{H}$ chemical shift $(\mathrm{ppm}) ; \sigma_{\mathrm{H}}=\mathrm{B} 3 \mathrm{LYP} / 6-31 \mathrm{G}(\mathrm{d})$-SCRF isotropic shielding
${ }^{13} \mathrm{C}$ regression formula
Conversion of magnetic shielding at level B3LYP/6-31G(d)+PCM water to chemical shifts ${ }^{33}$

$$
\begin{equation*}
\delta\left({ }^{13} C\right)=-1.0833 \sigma_{C}+203.97 \tag{8}
\end{equation*}
$$

$\delta\left({ }^{13} \mathrm{C}\right)={ }^{13} \mathrm{C}$ chemical shift ( ppm ) ; $\sigma_{\mathrm{C}}=\mathrm{B} 3 \mathrm{LYP} / 6-31 \mathrm{G}(\mathrm{d})$-SCRF isotropic shielding

## ${ }^{15} \mathrm{~N}$ regression formula

A new correlation was calculated for ${ }^{15} \mathrm{~N}$ chemical shifts based on experimental and calculated values for ammonia, ammonium, tetramethyl ammonium, tetramethyl urea, dimethylformamide, nitromethane and nitrate (Figure S7). ${ }^{34}$ The resulting regression equation is:

$$
\begin{equation*}
\delta\left({ }^{15} N\right)=-0.985 \sigma_{N}+254.23 \tag{9}
\end{equation*}
$$

$\delta\left({ }^{15} \mathrm{~N}\right)={ }^{15} \mathrm{~N}$ chemical shift $(\mathrm{ppm}) ; \sigma_{\mathrm{C}}=\mathrm{B} 3 \mathrm{LYP} / 6-31 \mathrm{G}(\mathrm{d})$-SCRF isotropic shielding
where $\delta\left({ }^{15} \mathrm{~N}\right.$ ) is the ${ }^{15} \mathrm{~N}$ chemical shift ( ppm ) and $\sigma_{\mathrm{N}}$ is the B3LYP/6-31G(d)-SCRF calculated isotropic shielding. This equation gives a mean unsigned error of 5.9 ppm and a root-mean-square deviation of 7.1 ppm for the seven reference compounds.


Figure $\mathbf{S 7}$ Regression formula for ${ }^{15} \mathrm{~N}$
Correlation between calculated isotropic magnetic shielding at B3LYP/6-31G(d)-SCRF level and a training set of experimental standard ${ }^{15} \mathrm{~N}$ chemical shifts and

The calculated chemical shifts are given in Table S9 to Table S12.
Calculated chemical shifts $\left({ }^{1} \mathrm{H},{ }^{13} \mathrm{C},{ }^{15} \mathrm{~N}\right)$


Supporting Information




Table S12 Calculated ${ }^{1} \mathrm{H}$ chemical shifts (ppm) of URP a

| Atoms |  | Representatives |  |  |  |  |  | UII Equilibria open:folded |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | open conformations |  |  |  | folded conformations |  |  |  |  |
|  |  | omega-1 open | omega-1 hbond | omega-II | lasso | hybrid | sheet | $\begin{gathered} 86: 14 \\ \text { REMD-IV } \\ \hline \end{gathered}$ | $\begin{gathered} 94: 6 \\ \text { REMD-V } \\ \hline \end{gathered}$ | $\begin{gathered} 91: 9 \\ \text { REMD-VI } \\ \hline \end{gathered}$ |
| ALA ${ }^{1}$ | HA | 3.88 | 3.94 | 3.88 | 3.94 | 4.14 | 4.16 | 3.93 | 3.91 | 3.92 |
| ALA ${ }^{1}$ | HB1 | 1.54 | 1.62 | 1.44 | 1.61 | 1.82 | 1.28 | 1.55 | 1.52 | 1.53 |
| ALA ${ }^{1}$ | HB2 | 1.74 | 1.30 | 1.67 | 1.14 | 1.55 | 1.48 | 1.53 | 1.56 | 1.56 |
| ALA ${ }^{1}$ | HB3 | 1.57 | 1.13 | 1.21 | 1.27 | 1.94 | 1.22 | 1.33 | 1.25 | 1.31 |
| CYS ${ }^{2}$ | HA | 4.06 | 3.91 | 4.04 | 4.22 | 4.26 | 5.01 | 4.07 | 4.03 | 4.06 |
| $\mathrm{CYS}^{2}$ | HB2 | 3.60 | 3.33 | 2.82 | 3.30 | 3.14 | 2.70 | 3.17 | 3.03 | 3.14 |
| $\mathrm{CYS}^{2}$ | HB3 | 2.61 | 3.55 | 2.37 | 2.87 | 2.97 | 2.78 | 2.86 | 2.74 | 2.77 |
| PHE ${ }^{3}$ | HA | 5.04 | 4.72 | 4.58 | 4.74 | 4.81 | 4.62 | 4.74 | 4.66 | 4.73 |
| PHE ${ }^{3}$ | HB2 | 2.56 | 1.48 | 3.88 | 3.83 | 3.52 | 2.27 | 2.82 | 3.15 | 2.97 |
| PHE ${ }^{3}$ | HB3 | 3.72 | 3.31 | 2.67 | 2.57 | 3.18 | 3.08 | 3.12 | 2.92 | 3.07 |
| PHE ${ }^{3}$ | HD1 | 7.11 | 7.19 | 7.43 | 7.52 | 7.68 | 7.38 | 7.33 | 7.37 | 7.33 |
| PHE ${ }^{3}$ | HE1 | 7.26 | 7.27 | 7.42 | 7.42 | 7.41 | 7.41 | 7.34 | 7.37 | 7.35 |
| PHE ${ }^{3}$ | HZ | 7.34 | 7.14 | 7.22 | 7.26 | 7.43 | 7.32 | 7.24 | 7.22 | 7.24 |
| PHE ${ }^{3}$ | HE2 | 7.46 | 7.20 | 6.90 | 7.16 | 7.53 | 7.31 | 7.18 | 7.06 | 7.15 |
| PHE ${ }^{3}$ | HD2 | 7.50 | 6.95 | 7.17 | 7.25 | 7.43 | 6.89 | 7.19 | 7.15 | 7.20 |
| TRP ${ }^{7}$ | HA | 5.16 | 4.72 | 4.57 | 4.49 | 4.78 | 4.50 | 4.74 | 4.65 | 4.73 |
| TRP ${ }^{7}$ | HB2 | 3.26 | 2.62 | 3.93 | 2.83 | 3.31 | 3.04 | 3.28 | 3.48 | 3.37 |
| TRP ${ }^{7}$ | HB3 | 3.67 | 2.72 | 3.21 | 3.75 | 3.29 | 4.07 | 3.21 | 3.13 | 3.23 |
| TRP ${ }^{7}$ | HD1 | 7.58 | 7.22 | 7.73 | 7.09 | 7.30 | 7.31 | 7.46 | 7.54 | 7.51 |
| TRP ${ }^{7}$ | HZ2 | 7.44 | 7.34 | 7.49 | 7.30 | 7.35 | 7.49 | 7.41 | 7.44 | 7.43 |
| TRP ${ }^{7}$ | HH2 | 7.33 | 7.29 | 7.33 | 7.29 | 7.29 | 7.23 | 7.31 | 7.32 | 7.32 |
| TRP ${ }^{7}$ | HZ3 | 7.43 | 7.34 | 7.29 | 7.27 | 7.24 | 7.32 | 7.33 | 7.31 | 7.33 |
| TRP ${ }^{7}$ | HE3 | 8.31 | 7.65 | 7.60 | 8.47 | 7.56 | 8.28 | 7.80 | 7.67 | 7.80 |
| LYS ${ }^{8}$ | HA | 3.92 | 4.04 | 4.35 | 3.22 | 2.46 | 3.43 | 3.91 | 4.10 | 3.99 |
| LYS ${ }^{8}$ | HB2 | 1.99 | 1.95 | 2.02 | 1.88 | 1.07 | 2.40 | 1.90 | 1.94 | 1.93 |
| LYS ${ }^{\text {8 }}$ | HB3 | 1.43 | 2.16 | 1.96 | 2.61 | 2.11 | 2.20 | 1.97 | 2.01 | 1.95 |
| LYS ${ }^{\text {8 }}$ | HG2 | -0.31 | 1.62 | 1.83 | 2.06 | 0.31 | 1.14 | 1.19 | 1.57 | 1.25 |
| LYS ${ }^{8}$ | HG3 | 0.79 | 1.96 | 1.87 | 1.70 | 0.66 | 0.75 | 1.52 | 1.75 | 1.56 |
| LYS ${ }^{\text {8 }}$ | HD2 | 1.57 | 2.07 | 1.88 | 2.12 | 1.63 | 0.36 | 1.81 | 1.91 | 1.83 |
| LYS ${ }^{\text {8 }}$ | HD3 | 1.44 | 2.11 | 2.41 | 2.07 | 1.20 | 1.59 | 1.97 | 2.19 | 2.03 |
| LYS ${ }^{8}$ | HE2 | 2.95 | 3.71 | 3.43 | 3.66 | 2.71 | 3.04 | 3.34 | 3.44 | 3.35 |
| LYS ${ }^{8}$ | HE3 | 2.96 | 3.57 | 3.43 | 3.66 | 3.18 | 2.21 | 3.32 | 3.43 | 3.34 |
| TYR ${ }^{9}$ | HA | 4.39 | 4.67 | 3.70 | 4.28 | 4.75 | 4.57 | 4.28 | 4.07 | 4.19 |
| TYR ${ }^{9}$ | HB2 | 2.88 | 3.82 | 3.34 | 2.77 | 2.72 | 2.84 | 3.29 | 3.39 | 3.29 |
| TYR ${ }^{9}$ | HB3 | 2.89 | 2.57 | 3.47 | 2.47 | 3.96 | 3.32 | 3.10 | 3.20 | 3.12 |
| TYR ${ }^{9}$ | HD1 | 7.13 | 7.24 | 7.27 | 6.99 | 7.34 | 7.62 | 7.24 | 7.25 | 7.24 |
| TYR ${ }^{9}$ | HE1 | 6.50 | 6.48 | 6.77 | 6.35 | 6.89 | 6.94 | 6.63 | 6.67 | 6.64 |
| TYR ${ }^{9}$ | HE2 | 6.85 | 6.68 | 7.01 | 7.23 | 6.83 | 6.64 | 6.86 | 6.91 | 6.89 |
| TYR ${ }^{9}$ | HD2 | 7.40 | 7.23 | 6.50 | 6.67 | 7.39 | 7.11 | 7.00 | 6.80 | 6.93 |
| CYS ${ }^{10}$ | HA | 4.50 | 4.83 | 3.67 | 4.22 | 3.93 | 5.08 | 4.27 | 4.05 | 4.19 |
| CYS ${ }^{10}$ | HB2 | 2.10 | 3.17 | 2.83 | 3.20 | 2.21 | 2.91 | 2.75 | 2.85 | 2.74 |
| CYS ${ }^{10}$ | HB3 | 2.95 | 3.86 | 3.43 | 2.63 | 3.04 | 2.62 | 3.37 | 3.47 | 3.36 |
| VAL ${ }^{11}$ | HA | 3.28 | 3.56 | 3.23 | 3.17 | 3.18 | 3.60 | 3.34 | 3.31 | 3.32 |
| VAL ${ }^{11}$ | HB | 2.37 | 2.32 | 1.83 | 1.64 | 1.61 | 1.99 | 2.05 | 1.97 | 2.03 |
| VAL ${ }^{11}$ | 1HG1 | 1.07 | 1.13 | 1.00 | 0.94 | 0.91 | 1.18 | 1.05 | 1.03 | 1.04 |
| VAL ${ }^{11}$ | 2HG1 | 1.17 | 0.99 | 0.88 | 0.83 | 1.78 | 1.52 | 1.08 | 0.98 | 1.04 |
| VAL ${ }^{11}$ | 3HG1 | 0.91 | 0.95 | 1.89 | 1.88 | 0.83 | 1.03 | 1.29 | 1.53 | 1.38 |
| VAL ${ }^{11}$ | 1HG2 | 0.93 | 1.15 | 1.74 | 0.87 | 0.84 | 1.80 | 1.29 | 1.46 | 1.34 |
| VAL ${ }^{11}$ | 2HG2 | 1.01 | 1.03 | 0.86 | 0.91 | 0.78 | 1.25 | 0.94 | 0.91 | 0.93 |
| VAL ${ }^{11}$ | 3HG2 | 0.75 | 0.64 | 0.96 | 1.35 | 1.20 | 1.05 | 0.87 | 0.89 | 0.88 |

Mag shielding $\sigma_{H}$ at level

## Supporting Information

## REMD equilibrium models

## UII and URP equilibrium equations

UII and URP models were built by the following linear combinations of the calculated chemical shifts of representative conformations. The models were applied to experimental ${ }^{1} \mathrm{H}$ (UII/URP, main paper) and ${ }^{15} \mathrm{~N}$ (UII) chemical shifts.

## Equilibrium UII REMD-I (72:28)

$\delta_{\text {Eq.VIIa }}=0.1519 \delta_{\text {omega-I }_{\text {open }}}+0.1476 \delta_{\text {omega-I }_{\text {hbond }}}+0.0507 \delta_{\text {omega-II }}+0.2975 \delta_{\text {lasso }}+$
$0.0267 \delta_{\text {scoop }}+0.0453 \delta_{\text {circle }}+0.0176 \delta_{\text {folded-I }}+0.0063 \delta_{\text {folded-IVb } 2}+$
$0.1639 \delta_{\text {inv-folded }}+0.0389 \delta_{\text {folded-II }}+0.0537 \delta_{\text {folded-III }}$
Equilibrium UII REMD-II (70:30)

Equilibrium URP REMD-IV (86:14)

$$
\delta_{\text {Eq.VHIa }}=0.1892 \delta_{\text {omega-I open }}+0.2973 \delta_{\text {omega-I }_{\text {hbond }}}+0.3378 \delta_{\text {omega-II }}+0.0405 \delta_{\text {lasso }}+
$$

$$
\begin{equation*}
0.0338 \delta_{\text {sheet }}+0.1014 \delta_{\text {hybrid }} \tag{13}
\end{equation*}
$$

## Equilibrium URP REMD-V (94:6)

$\delta_{\text {Eq.VIIIb }}=0.0580 \delta_{\text {omega-I open }}+0.2609 \delta_{\text {omega-I }_{\text {hbond }}}+0.5942 \delta_{\text {omega-II }}+0.0290 \delta_{\text {lasso }}+$
$0.0001 \delta_{\text {sheet }}+0.0579 \delta_{\text {hybrid }}$
Equilibrium URP REMD-VI (91:9)

$$
\begin{align*}
& \delta_{E q . V H I L}=0.1970 \delta_{\text {omega-I open }}+0.2424 \delta_{\text {omega-I }_{\text {hbond }}}+0.4242 \delta_{\text {omega-II }}+0.0455 \delta_{\text {lasso }}+ \\
& 0.0227 \delta_{\text {sheet }}+0.0682 \delta_{\text {hybrid }} \tag{15}
\end{align*}
$$

$$
\begin{align*}
& \delta_{\text {Eq.VIIb }}=0.0872 \delta_{\text {omega-I }}^{\text {open }}=0.0468 \delta_{\text {omega-I }}^{\text {nbond }} \text { }+0.0129 \delta_{\text {omega-II }}+0.5411 \delta_{\text {lasso }}+ \\
& 0.0030 \delta_{\text {scoop }}+0.0139 \delta_{\text {circle }}+0.0300 \delta_{\text {folded }-I}+0.0034 \delta_{\text {folded-IVb } 2}+ \\
& 0.0967 \delta_{\text {inv-folded }}+0.0558 \delta_{\text {folded-II }}+0.1092 \delta_{\text {folded-III }}  \tag{11}\\
& \text { Equilibrium UII REMD-III (79:29) } \\
& \delta_{\text {Eq.VIIc }}=0.0898 \delta_{\text {omega-I }}^{\text {open }}=0.0769 \delta_{\text {omega-I }}^{\text {hbond }} \text { }+0.0410 \delta_{\text {omega-II }}+0.5673 \delta_{\text {lasso }}+ \\
& 0.0020 \delta_{\text {scoop }}+0.0168 \delta_{\text {circle }}+0.0182 \delta_{\text {folded-I }}+0.0028 \delta_{\text {folded-IVb } 2}+ \\
& 0.1596 \delta_{\text {inv-folded }}+0.0256 \delta_{\text {folded-II }}+0.0000 \delta_{\text {folded-III }} \tag{12}
\end{align*}
$$

## Supporting Information

## Linear regression of UII ${ }^{13} \mathrm{C}$ chemical shifts and sensitivity analysis

Linear regression of UII calculated and experimental ${ }^{13} \mathrm{C}$ chemical shifts. The ${ }^{13} \mathrm{C}$ statistics favor the conformation omega-lopen to be most similar to the experiment ( pH 6 ) followed by the equilibrium REMD-I which matches best for ${ }^{1} \mathrm{H}$-metrics (Table S13). However, the ${ }^{13} \mathrm{C}$-models show less distinctiveness $\left(\Delta_{\sigma}\right)$ than ${ }^{1} \mathrm{H}$ and the calculated chemical shifts are stronger correlated ( $\mathrm{R}^{2}{ }_{13 \mathrm{C}}=0.9970$; $\mathrm{R}^{2}{ }_{1 \mathrm{H}}=0.9676$ ). This already makes the ${ }^{13} \mathrm{C}$-models less reliable than the ${ }^{1} \mathrm{H}$-models (Figure $\mathbf{S 8}$ ).

Analysis of ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ metrics-sensitivities. Nevertheless, a sensitivity analysis (examining the dependence of metrics on variation of the equilibrium ratio) has been made to test if the ${ }^{1} \mathrm{H}$ equilibrium-models underestimate the concentration of open-type conformations especially the omega-lopen conformation. This question is further interesting because omega-lopen resembles the conformation that has been suggested for UII in $\mathrm{H}_{2} \mathrm{O}$ by Lescot et al. ${ }^{35}$ (taking into account the different descriptions of turn-types). Figure $\mathbf{S 9} 9$ shows the dependence of the metrics WRMSE and $\Delta_{\sigma}$ on the concentration of open conformations in open:folded mixtures $\left({ }^{1} \mathrm{H},{ }^{13} \mathrm{C}\right)$ and omega-l $l_{\text {open }}$ conformations in omega-l $l_{\text {open }}$ :folded mixtures $\left({ }^{1} \mathrm{H}\right)$. The open:folded models are mixtures of the 11 representatives with relative subtype concentrations corresponding to the equilibrium REMD-I. The plots for ${ }^{1} \mathrm{H}$ metrics (Figure S9a) show defined minima for open:folded mixtures with no preference for $100 \%$ open much less $100 \%$ omega-lopen conformations. Absolute error values are lower for the ${ }^{1} \mathrm{H}$ models if all 11 representatives are used. This makes them more reliable than the models with omega-lopen as sole representative for the open type. The highest distinctiveness $\left(\Delta_{0}\right)$ is found for open:folded concentrations around 70:30 which resembles the REMD-prediction; the ${ }^{1} \mathrm{H}$-WRMSE minimum of the 11-component model is slightly shifted to lower concentrations of open conformations. If the open type is solely represented by the omega-lopen conformation, the minimum shifts even more to lower concentrations and an open:folded ratio (20:80) that is no longer in accordance with the majority of metrics. The analogous analysis for ${ }^{13} \mathrm{C}$ (Figure $\mathbf{S 9 b}$ ) shows a poor coefficient of distinctiveness for all open:folded ratios. Nevertheless, all minima suggest the optimum open:folded ratio is approximately 70:30 independent of the subtype mixture of open conformations.

## Supporting Information

Table S13 Statistical metrics for the linear regression of calculated and experimental ${ }^{\text {b }}{ }^{13} \mathrm{C}$ chemical shifts of UII ${ }^{c}$

| UII representatives and equilibria (open:folded) | MSE | MUE | RMSD | WRMSE | $\Delta_{\sigma}$ | $\mathrm{R}^{\mathbf{2}}$ |  | UII: ${ }^{13} \mathrm{C}$ chemical shifts |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| omega-l open | -0.37 | 2.03 | 2.54 | 2.77 | 1.53 | 0.9953 | 150 |  |
| omega-1 hbond | -1.39 | 2.54 | 3.39 | 3.78 | 1.71 | 0.9916 |  |  |
| omega-ll | -1.33 | 2.67 | 3.46 | 3.98 | 1.77 | 0.9913 |  | omega-1 ${ }_{\text {open }}$ |
| fasso | -1.19 | 2.57 | 3.34 | 3.82 | 1.84 | 0.9917 | 100 | $\begin{aligned} & y=0.9992 x \\ & R^{2}=0.9953 \end{aligned}$ |
| scoop | -0.53 | 3.08 | 4.04 | 5.10 | 1.92 | 0.9893 |  |  |
| circle | -1.44 | 2.51 | 3.35 | 3.88 | 1.70 | 0.9917 | 믄 |  |
| folded-i | -1.48 | 2.59 | 3.52 | 3.94 | 1.73 | 0.9911 |  | REMD-1 |
| folded-IVb2 | -1.42 | 2.42 | 3.05 | 3.38 | 1.68 | 0.9935 |  | ( $72 \%$ open : $28 \%$ folded) |
| inv-folded | -1.34 | 2.91 | 3.78 | 4.35 | 1.85 | 0.9902 |  | $\begin{gathered} y=0.0061 x \\ R^{2}=0.9945 \end{gathered}$ |
| foided-II | -1.06 | 2.78 | 3.70 | 4.17 | 1.86 | 0.9898 | 0 |  |
| folded-III | -1.07 | 2.89 | 3.61 | 4.23 | 1.94 | 0.9903 |  | $50 \quad 100$ |
| Equilibrium REMD-I (72:28) | -1.13 | 2.15 | 2.74 | 2.94 | 1.57 | 0.9945 |  | Experimental $\delta_{13 \mathrm{c}}$ (ppm), pH 6.0, 298 K |
| Equilibrium REMD-If (70:30) | -1.14 | 2.20 | 2.90 | 3.17 | 1.62 | 0.9938 |  | en |
| Equilibrium REMD-III (79:21) | -1.17 | 2.20 | 2.91 | 3.16 | 1.63 | 0.9938 |  | - omegatopen - EqRembr |

${ }^{6}$ GIAO, B3LYP/6-31G*, PCM water. ${ }^{\text {b }} \mathrm{H}_{2} \mathrm{O} / \mathrm{D}_{2} \mathrm{O}, \mathrm{pH} 6.0,298 \mathrm{~K}$. ${ }^{\text {c }}$ The best results are shown in bold. MSE $=$ Mean standard error, MUE $=$ Mean unsigned error, RMSD= Root mean square deviation, WRMSE weighted root mean square error, $\Delta \sigma=$ coefficient of distinctiveness ( $<=1.0$ indicates that the average deviation between experimental and calculated values is less than the standard deviation between different conformations ${ }^{33}$


Figure S8 Correlation of ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ models
Linear regression of calculated ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ chemical shifts of models "REMD-equilibrium I (open:folded 72:28)" and "omega$l_{\text {open" }}$. The ${ }^{13} \mathrm{C}$ chemical shifts of the equilibrium model show a high correlation (similarity) to those of the single, which makes the ${ }^{13} \mathrm{C}$-models less distinctive.

## Supporting Information



Figure 59 Metrics sensitivity.
Sensitivity analysis of the dependence of WRMSE and $\Delta_{\sigma}$ on different open:folded ratio of UII: (a) ${ }^{1} \mathrm{H}$ chemical shifts, (b) ${ }^{13} \mathrm{C}$ chemical shifts. Solid lines open:folded mixtures; dashed lines omega-i $\mathrm{l}_{\text {open }}$ :folded mixtures; [1]= omega-lopen conformation; dashed vertical line = REMD-equilibrium I (72:28); WRMSE= weighted root mean square error; $\Delta_{\sigma}=$ coefficient of distinctiveness. Subtype concentrations of open and folded type are scaled from REMD-I concentrations

## Linear regression of UII ${ }^{15} \mathrm{~N}$ chemical shifts

Linear regression of the experimental ${ }^{15} \mathrm{~N}$ chemical shifts (Table S6) with calculated shifts (Table S11) gives the same result as the ${ }^{1} \mathrm{H}$ regression. In both cases, the best performing model is the equilibrium REMD-I predicting a ratio of 72:28 for open and folded conformations of UII in aqueous solution (Table S14). However, the ${ }^{15} \mathrm{~N}$ regression was only based on a data set of 10 experimental values which is reflected in bad coefficients of determinations compared to the ${ }^{1} \mathrm{H}$ models. ${ }^{15} \mathrm{~N}$ modelling thus confirms the ${ }^{1} \mathrm{H}$ results but is not suitable to be used as a stand-alone method.

Table S14 Statistical metrics for the linear regression of calculated and experimental ${ }^{b}{ }^{15} \mathrm{~N}$ chemical shifts of UII ${ }^{c}$

${ }^{2}$ GIAO, B3LYP/6-31G*, PCM water. ${ }^{\text {b }} \mathrm{H}_{2} \mathrm{O} / \mathrm{D}_{2} \mathrm{O}, \mathrm{pH} 6.0,298 \mathrm{~K}$. ${ }^{\text {c }}$ The best results are shown in bold. MSE $=$ Mean standard error, MUE $=$ Mea unsigned error, RMSD $=$ Root mean square deviation, WRMSE $=$ weighted root mean square error, $\Delta \sigma=$ coefficient of distinctiveness $\ll=1.0$ indicates that the average deviation between experimental and calculated values is less than the standard deviation between different conformations) ${ }^{33}$

## Supporting Information

## DP4 probabilities for UII and URP assignments

The DP4 probability by Smith and Godman ${ }^{35}$ is a probability that the assignment of a set of calculated shifts to one set of experimental shifts is correct. The application is available under http://wwwjmg.ch.cam.ac.uk/tools/nmr/DP4/.
Table S15 lists the DP4 probabilities separately for ${ }^{13} \mathrm{C}$ and ${ }^{1} \mathrm{H}$ assignments and for the recommended combination of ${ }^{1} \mathrm{H}$ and ${ }^{13} \mathrm{C}$ for the single conformations and the REMD equilibria of UII and URP. ${ }^{1} \mathrm{H}$ and ${ }^{1} \mathrm{H} /{ }^{13} \mathrm{C}$ DP4 probabilities favor unequivocally the open:folded ratio of 72:28 for UII and 86:14 for URP to be the best possible assignment in accordance with our predictions based on REMD-populations. DP4 probabilities only using ${ }^{13} \mathrm{C}$ chemical shifts are not unambiguous. The possible reasons have already been discussed for our metrics (too low distinctiveness because of too high correlation of the compared models).

Table S15 DP4 probabilities for correct assignment of calculated to experimental chemical shifts of single conformations and equilibrium mixtures of UII and URP

| UII representatives and equilibria (open:folded) | DP4 probability (\%) |  |  |
| :---: | :---: | :---: | :---: |
|  | ${ }^{13} \mathrm{C}$ | ${ }^{1} \mathrm{H}$ | ${ }^{13} \mathrm{C}+{ }^{1} \mathrm{H}$ |
| omega-lopen | 24.6 | 0.0 | 0.0 |
| omega-lobond | 0.0 | 0.0 | 0.0 |
| omega-II | 0.0 | 0.0 | 0.0 |
| lasso | 0.0 | 0.0 | 0.0 |
| scoop | 0.0 | 0.0 | 0.0 |
| circle | 0.0 | 0.0 | 0.0 |
| folded-1 | 0.0 | 0.0 | 0.0 |
| folded-IVb2 | 0.0 | 0.0 | 0.0 |
| inv-folded | 0.0 | 0.0 | 0.0 |
| folded-II | 0.0 | 0.0 | 0.0 |
| folded-III | 0.0 | 0.0 | 0.0 |
| Equilibrium REMD-I (72:28) | 68.5 | 100.0 | 100.0 |
| Equilibrium REMD-11 (70:30) | 3.5 | 0.0 | 0.0 |
| Equilibrium REMD-III (79:21) | 3.4 | 0.0 | 0.0 |
| URP representatives and equilibria (open:folded) | ${ }^{13} \mathrm{C}$ | ${ }^{1} \mathrm{H}$ | ${ }^{13} \mathrm{C}+{ }^{1} \mathrm{H}$ |
| omega-lopen | 0.0 | 0.0 | 0.0 |
| omega-lihbond | 0.0 | 0.0 | 0.0 |
| omega-ll | 7.6 | 0.0 | 0.0 |
| lasso | 0.0 | 0.0 | 0.0 |
| sheet | 0.0 | 0.0 | 0.0 |
| hybrid | 1.5 | 0.0 | 0.0 |
| Equilibrium REMD-IV (86:14) | 16.8 | 100.0 | 100.0 |
| Equilibrium REMD-V (94:6) | 19.9 | 0.0 | 0.0 |
| Equilibrium REMD-VI (91:9) | 54.2 | 0.0 | 0.0 |

## 3D structural data

Coordinate files in PDB format of representative conformations of UII and URP are attached in the supplementary file: Representative_conformations_of_UII_and_URP.zip

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## A 4: Additional Analyses

## Convergence of Tail Conformations for AVP

The high frequency of folded/extended interconversions during the $11 \mu \mathrm{~s}$ MD simulation of AVP suggested that the ratio folded:extended states had converged. Further evidence for this was provided by a comparative analysis of the populations of the T6 tail states after 11 and $23 \mu \mathrm{~s}$. Independent of the simulation time, the populations of folded and extended states showed no significant changes (Table A4.1).

Table A4.1 Populations of tail conformations from 11 and $23 \mu \mathrm{~s}$ MD simulation of AVP

| Tail state (T6) | Tail state population (\%) |  |
| :---: | :---: | :---: |
|  | 0-11 $\mathrm{s}^{\text {a }}$ | 0-23 ${ }^{\text {s }}$ |
| Extended Tail |  |  |
| 3 | 61.4 | 61.2 |
| 4 | 19.6 | 20.4 |
| Total | 81.0 | 81.6 |
| Folded Tail |  |  |
| 7,8 8-turn type II |  |  |
| 5 | 2.5 | 1.5 |
| 6 | 13.6 | 14.4 |
| 7,8 8-turn type I |  |  |
| 1 | 2.0 | 1.4 |
| distorted |  |  |
| 2 | 0.8 | 1.2 |
| Total | 19.0 | 18.4 |

Data Consistency AVP (11 $\mu \mathrm{s}$ ) vs. AVP ( $23 \mu \mathrm{~s}$ )

For the NMR-modelling, ${ }^{2}$ representative overall states with extended and folded tail were chosen for the saddle and clinched open conformation, and the exact ratio of these states were calculated to refine the conformational equilibria. Two questions arise:
(i) Is the ratio of the two single representative states (one with extended, the other with folded tail) in accordance with the extended/folded tail-populations deduced from all overall states $(23 \mu s)$ ?
(ii) Are the populations of extended and folded tail states deduced from $23 \mu \mathrm{~s}$ (all overall states) in accordance with the previously published populations ${ }^{1}$ deduced from $11 \mu \mathrm{~s}$ ?
Table A4.2 lists the populations of extended and folded tail conformations deduced from all overall states $(23 \mu \mathrm{~s})$ and tail states ( $11 \mu \mathrm{~s}$ ). The populations are sufficiently consistent to draw the following conclusions:
(i) The representatives used for NMR modelling are suitable to represent the conformational subtypes of the ring conformations saddle and clinched open with extended or folded tail.
(ii) The populations of tail conformations in relation to the ring conformations deduced from $23 \mu \mathrm{~s}$ are in accordance with those published previously for $11 \mu \mathrm{~s}$.

Table A4.2 Population of tail conformations for the four main ring conformations of AVP
Tail conformation

|  | All overall states (T16) |  |  | All tail states (T6) | Representatives (T16) |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Ring conformation | $\mathbf{2 3 \mu s}$ MD |  | $\mathbf{1 1 \mu s ~ M D}$ |  | $23 \mu s$ MD |  |
|  | ext | fold | ext | fold | ext | fold |
| saddle | 77.06 | 22.94 | $76.34^{\mathrm{a}}$ | $23.66^{\mathrm{a}}$ | $73.14^{\mathrm{b}}$ | $26.86^{\mathrm{b}}$ |
| cl.open | 71.87 | 28.13 | $68.34^{\mathrm{a}}$ | $31.66^{\mathrm{a}}$ | $62.63^{\mathrm{b}}$ | $37.37^{\mathrm{b}}$ |
| tw.saddle | 89.28 | 10.72 | $83.44^{\mathrm{a}}$ | $16.56^{\mathrm{a}}$ | 82.54 | 17.46 |
| open | 90.15 | 9.85 | $93.61^{\mathrm{a}}$ | $6.39^{\mathrm{a}}$ | 87.99 | 12.01 |

${ }^{\text {a }}$ data published in reference ${ }^{1 ;}{ }^{\text {b }}$ data published in reference ${ }^{2}$

## Circular Similarity: Representative Conformations vs. Literature

## Oxytocin.

Table A4.3 Circular similarity of OT representatives (this work) and conformations from the literature §

| OT $^{\text {a }}$ | Lippens $^{92 \mathrm{~b}}$ | Ward $^{93 \mathrm{c}}$ | Nikiforovich $^{94 \mathrm{~d}}$ |
| :--- | :---: | :---: | :---: |
| saddle | 0.55 | 0.45 | 0.45 |
| tws | 0.63 | 0.42 | 0.43 |
| twshelix | 0.46 | 0.51 | 0.52 |
| int.saddle | 0.46 | 0.42 | 0.42 |
| open23pbr | 0.45 | 0.40 | 0.40 |
| open | 0.30 | 0.36 | 0.37 |
| clop | 0.68 | 0.45 | 0.45 |
| clop45pbr $^{\text {s }}$ | 0.60 | 0.44 | 0.44 |

${ }^{\$}$ Maximum similarities are highlighted. ${ }^{\text {a }}$ Representative conformations of OT from a total of $50 \mu \mathrm{SDD}$ simulations (EH, this work). ${ }^{\text {b }}$ OT
 Table 5" (potential energy minimised conformation).

Urotensin II, Urotensin-Related Peptide.
Table A4.4 Circular similarity of UII and URP representatives (this work) and conformations from the literature §

| Ull ${ }^{\text {a }}$ | ID ${ }^{\text {b }}$ | Grieco ${ }^{129}{ }^{\text {c }}$ | URP ${ }^{\text {a }}$ | ID ${ }^{\text {b }}$ | Chatenet ${ }^{125}$ d |
| :---: | :---: | :---: | :---: | :---: | :---: |
| folded-I | 6 | 0.56 | hybrid <br> sheet |  |  |
| folded-IVb2 | 7 | 0.67 |  | 4r | 0.57 |
|  |  |  |  | 5 r | 0.55 |
| folded-II | 8 | 0.40 |  |  |  |
| folded-III | 9 | 0.37 |  |  |  |
| circle | 10 | 0.46 |  |  |  |
| inv.folded | 11 | 0.41 |  |  |  |
| omega-lopen | 1 | 0.54 | omega-lopen | 3 r | 0.86 |
| omega-linbond | 2 | 0.67 | omega-Inbond | 1 r | 0.73 |
| omega-II | 3 | 0.54 | omega-II | $2 r$ | 0.62 |
| lasso | 4 | 0.47 | lasso | 6r | 0.59 |
| scoop | 5 | 0.62 |  |  |  |

[^32]
## A 5: Classical Turn Types

A turn can be defined by the turn centres involved and the $\Phi \Psi$ torsion angles at these residues. The sequence of torsions defines the turn type. All residues involved in a turn are numbered consecutively ( $\mathrm{i}, \mathrm{i}+1, \mathrm{i}+2, \mathrm{i}+3 \ldots$...). Ideal turn types as defined by Venkatachalam et al. ${ }^{277}$ and Richardson et al. ${ }^{58}$ are given in Table A5.1 (for further turn types, see e.g. ${ }^{323}$ ). A turn is denoted as classical if the neighbour residues of the turn centres form a hydrogen bond. However, approximately $25 \%$ of all $\beta$-turns do not possess a hydrogen bond as stipulated by Venkatachalam. Therefore, Lewis et al. ${ }^{228}$ suggested a distance maximum of $7 \AA$ for $C \alpha_{i}$ to $C \alpha_{i+3}$ as a new criterion to define a $\beta$-turn. If there is no hydrogen bond and the dihedrals fluctuate around ideal torsion angles, the turn can be denoted as open turn. The notation for turns and other secondary-structure elements used in this thesis is explained in the Supporting Information of Paper 3 (Appendix A3, p S10).

Table A5.1 Ideal turn types

| Turn type | Torsion |  |  |  | Distance $\mathrm{Ca}_{\mathrm{ij}, \mathrm{i}+3}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | $\Phi_{i+1}$ | $\Psi_{i+1}$ | $\Phi_{i+2}$ | $\Psi_{i+2}$ |  |
| $\beta-1$ | $-60^{\circ}$ | $-30^{\circ}$ | $-90^{\circ}$ | $0^{\circ}$ | $\mathrm{d}_{\alpha \alpha}<7 \AA$ |
| $\beta-I I I(\sim I){ }^{\text {a }}$ | $-60^{\circ}$ | $-30^{\circ}$ | -60 ${ }^{\circ}$ | $-30^{\circ}$ | $\mathrm{d}_{\alpha \alpha}<7 \AA$ |
| $\beta$-VIII | $-60^{\circ}$ | $-30^{\circ}$ | $-120^{\circ}$ | $120^{\circ}$ | $\mathrm{d}_{\alpha \alpha}<7 \AA$ |
| $\beta-11$ | $-60^{\circ}$ | $120^{\circ}$ | $80^{\circ}$ | $0^{\circ}$ | $\mathrm{d}_{\alpha \alpha}<7 \AA$ |
| $\beta-l^{\prime}$ | $+60^{\circ}$ | $+30^{\circ}$ | $+90^{\circ}$ | $0^{\circ}$ | $\mathrm{d}_{\alpha \alpha}<7 \AA$ |
| $\beta-I I I^{\prime}\left(\approx I^{\prime}\right)^{\text {a }}$ | $+60^{\circ}$ | $+30^{\circ}$ | $+60^{\circ}$ | $+30^{\circ}$ | $\mathrm{d}_{\alpha \alpha}<7 \AA$ |
| $\beta-11$ | $+60^{\circ}$ | $-120^{\circ}$ | $-80^{\circ}$ | $0^{\circ}$ | $\mathrm{d}_{\alpha \alpha}<7 \AA$ |
| 310 -helix ${ }^{\text {b }}$ | -49 ${ }^{\circ}$ | $-26^{\circ}$ | -49 ${ }^{\circ}$ | $-26^{\circ}$ | $\left(\mathrm{O}_{\mathrm{i}-3} \mathrm{H}_{\mathrm{i}}\right)_{\mathrm{n}}$ |
| $\chi_{\text {classical }}$ | $+75^{\circ}$ | -65 ${ }^{\circ}$ |  |  |  |
| Yinverse | $-75^{\circ}$ | $+65^{\circ}$ |  |  |  |

## A 6: Physical Laws and Definitions

This chapter is thought to supplement the physical laws and quantities used in this work with some background knowledge. General sources have been textbooks of physics ${ }^{324}$, textbooks of chemical physics ${ }^{325}$ and special lexica ${ }^{326}$. Topics are given alphabetical.

Coulomb's Law. Electrostatic force:

$$
F=k_{e} \frac{q_{1} q_{2}}{r^{2}}=\frac{1}{4 \pi \varepsilon_{0}} \frac{q_{1} q_{2}}{r^{2}}
$$

$k_{e}$ Coulomb constant, $q_{1} q_{2}$ charges of atom 1 and $2, r$ distance between atom 1 and $2, \varepsilon_{0}$ electric constant

Ergodic Hypothesis. The ergodic hypothesis comes from the statistical mechanics and says that the time-average equals the ensemble-average if the trajectory of a dynamic system has passed every possible point (in its phase space). ${ }^{326}$

Force and Force Constant. A physical quantity that changes the state of a body, e.g. the position of a body and thus, his potential energy. A force constant in this context defines the shape of the harmonic potential that is used to approximate the potential energy of the system.

$$
\begin{gathered}
\vec{F}=m \vec{a} \\
m \text { mass, } \vec{a} \text { velocity }
\end{gathered}
$$

## Gibb's Free Energy.

$$
G=H-T S=U+p V-T S
$$

with $G$ Gibb's free energy, $H$ free enthalpy, $T$ temperature, $S$ entropy, $U$ potential energy (inner energy), $p$ pressure, $V$ volume
In biochemistry, the free standard enthalpy is defined as

$$
\begin{gathered}
\Delta G_{m}^{\prime 0}=-R T \ln K_{e q}, \quad R=N_{A} k_{B} \\
R=8.3144598 \frac{\mathrm{~J}}{\mathrm{Kmol}}=0.001987204 \frac{\mathrm{kcal}}{\mathrm{Kmol}} \\
N_{A}=6.022140857 \cdot 10^{23} \frac{1}{\mathrm{~mol}}, \quad k_{B}=1.38064852 \cdot 10^{-23} \frac{\mathrm{~J}}{\mathrm{~K}}
\end{gathered}
$$

with $R$ ideal gas constant, $T$ absolute temperature, $K_{e q}$ equilibrium constant, $N_{A}$ Avogadro constant, $k_{B}$ Boltzmann constant
Biochemical standard conditions: $25^{\circ} \mathrm{C}(298.15 \mathrm{~K}), \mathrm{p}=1$ atm, $\mathrm{a}_{\mathrm{i}}=1$ (chemical activity), $\mathrm{pH}=7$

## Hook's Law.

$$
V(l)=\frac{k}{2}\left(l-l_{0}\right)^{2}
$$

$V(l)$ potential energy relative to position, $k$ force constant, $l$ position, $l_{0}$ origin

Lennard-Jones Potential. Approximation of the non-bonding interactions (energy) between uncharged atoms. Attractive interactions are e.g. van-der-Waal's forces or permanent dipoledipole interactions.

$$
V(r)=4 \varepsilon\left[\left(\frac{\sigma}{r}\right)^{12}-\left(\frac{\sigma}{r}\right)^{6}\right] \quad \text { and } \quad r_{\min }=\sqrt[6]{\sigma}
$$

$\varepsilon$ depth of potential minimum [J], $\sigma$ distance where $\mathrm{V}(\mathrm{r})=0, r$ distance between atoms; $\left(\frac{\sigma}{r}\right)^{12}$ Pauli repulsion; $\left(\frac{\sigma}{r}\right)^{6}$ attractive long-range term (v.d.Waals force or dispersion force)


Figure A6.1 Lennard-Jones Potential

## Newton's Laws of Motion. ${ }^{148}$

(1) "Corpus omne perseverare in statu suo quiescendi vel movendi uniformiter in directum, nisi quatenus illud a viribus impressis cogitur statum suum mutare"i
(2) „Mutationem motus proportionalem esse vi motrici impressae, et fieri secundum lineam rectam qua vis illa imprimitur. "ii

$$
\vec{v} \propto \vec{F}(\text { Euler's form: } \vec{F}=m \vec{a})
$$

(3) "Actioni contrariam semper et aequalem esse reactionem: sive corporum duorum actiones in se mutuo semper esse aequales et in partes contrarias dirigi. " (action = reaction) iii

$$
\vec{F}_{A \rightarrow B}=\vec{F}_{B \rightarrow A}
$$

(4) (Superposition principle)

$$
\vec{F}_{r e s}=\vec{F}_{1}+\vec{F}_{1}+\cdots+\vec{F}_{n}
$$

[^33]Nuclear Magnetic Shielding Tensor. ${ }^{246}$ The nuclear magnetic shielding (dimensionless unit) is a $2^{\text {nd }}$ order property of the electronic energy under the influence of a magnetic field. The shielding tensor is antisymmetric. Exchange of $\alpha$ and $\beta$ results different quantities.

$$
\sigma_{\alpha \beta}=\frac{\delta^{2} E}{\delta \mu_{\alpha} \delta B_{\beta}}
$$

$E$ total electronic energy of the molecule; $B$ external magnetic field; $\mu$ magnetic moment of nucleus.
Root Mean Square Deviation. A measure of the geometrical difference between two conformations.

$$
R M S D=\sqrt{\frac{1}{N} \sum_{i=1}^{N} \delta_{i}^{2}}
$$

RMSD root mean square deviation, $N$ number of atoms; $\delta$ coordinate difference of atom $i$ relative to intial conformation

## A 7: Hardware and Software

This chapter gives background information on hardware and software used in this project. It comprises the sections Simulation Tools, Analysis Tools, and Graphic Tools.

## Simulation Tools

## LEaP (AmberTools)

LEaP (Link Edit and Parm) is a program for the preparation of topology and initial coordinate files. It can be used via a graphics interface or in text mode. Detailed instructions are given in the AmberTools manuals. ${ }^{142,143}$

Example. Preparation of topology and initial coordinate files for the unrestrained simulation MD-XI of UII based on coordinates of a significantly populated state (inv-folded) found in REMD simulation REMD-I. ${ }^{3}$

LEaP input file

```
verbosity 0
#
source leaprc.ff99SB
loadoff ions08.lib
mod3 = loadamberparams frcmod.tip4pew
jc_ions = loadamberparams frcmod.ionsjc_tip4pew
prōt = loadpdb 11_UIIre_21440_state1.pd\overline{b}
bond prot.5.SG prōt.10.\overline{SG}
addions prot Na+ 0
solvateoct prot TIP4PEWBOX 8.0
saveamberparm prot uii_invf.top uii_invf.crd
```

Input file giving the instructions to build a topology file uii_invf.top and an initial coordinate file uii_invf.crd of structure
11_Ullre_21440_state1.pdb with counterions (addions...) to get a total charge of 0 , solvation with a truncated octahedral box of TIP4P-Ew water and a non-bonded cut-off of $8 \AA$ (solvateoct...), a disulphide linkage of residues 5 and 10 (bond...) and the parameters for force field ffggsb (source...) with matching water model (mod3...) and ion parameters (jc_ions...).
Command line: tleap -f input_file

## SANDER

SANDER is the main program within the AMBER package to run energy minimisations and MD simulations. Here, the PMEMD implementation for high-performance parallel processing was used. Example files for energy minimisation and MD simulation are given below.

## Minimisation Example. Input file for energy minimisation.



Parameter setup to perform a minimisation (imin=1) of maximum 10,000 steps (maxcyc) with 500 steps steepest descent (ncyc) continued by conjugated gradient minimisation under periodic boundary conditions and constant volume ( $n t b=1$ ); no restraints ( $n t r=0$ ); restart file is written back to the original solvation box (iwrap=1); non-bonded cutoff is $8 \AA$ (cut=8, default for PME); results are written to the output every $50^{\text {th }}$ step the ( $n t p r=50$, $=$ every 0.1 ps ); every $50^{\text {th }}$ step a restart file is written (ntwr); every $50^{\text {th }}$ step coordinates are written to a coordinate file ( $n t w x=50$ ).

Command line (GPU): pmemd.cuda - O -i min.in -c min.crd -o min.out -r min.rst -x min.trj -p uii_invf.top
(with -i input, -c coordinate file, -o output file, -r restart file, -x trajectory file, -p topology)
Command line (CPU, 8 cores): mpirun -np 8 pmemd -O -i min.in -c min.crd -o min.out -r min.rst -x min.trj -p uii_invf.top (with -np number of cores)

## MD Simulation Example.

## Input 1, unrestrained MD simulation starting from a minimised conformation

```
Heating to 300K
&cntrl
    irest=0, ntx=1, imin=0, nmropt=0, nstlim=125000000, dt=0.002,
    nsnb=25, cut=8.0,
    ntt=1, tautp=1.0, tempi=0.0, temp0=300.0,
    ntc=2, ntf=2, ntb=2,
    ntp=1, taup=1.0, pres0=1.0,
    ntpr=5000, ntwr=5000, ntwx=5000, ntr=0, iwrap=1, ioutfm=1,
    &end
```

Instructions to start a new (irest=0), unrestrained ( $n t r=0$ ) MD simulation; reading the initial file without velocities ( $n t x=1$ ); no minimisation (imin=0); 125,000,000 MD-steps to be performed ( $n s t l i m,=250 \mathrm{~ns}$ ); maximum time step 0.002 ps ( $d t$ ); default frequency of non-bonded list updates ( $n s n b=25$ ); 8 Å non-bonded cutoff (cut); constant temperature via weak coupling ( $n t t=1$ ) of 1.0 ps to external bath (tautp $=1.0$ ); intital temperature 0 K (tempi), reference temperature default (temp0=300.0); use SHAKE algorithm ( $n t c=2$ ); omit force evaluation involving H -atoms if SHAKE is on ( $n t f=2$ ); constant pressure periodic boundary conditions ( $n t b=2$ ) with isotropic position scaling ( $n t p=1$ ), default relaxation time in ps (taup=1.0), and 1 bar (default) reference pressure (pres0); results (ntpr), coordinates (ntwr), and restart files ( $n t w x$ ) are written to outputs every $5000^{\text {th }}$ step ( $=10 \mathrm{~ns}$ ); restart file is written back to the original solvation box (iwrap=1); NETCDF format for trajectory files output files (ioutfm=1)

Command line (GPU): pmemd.cuda -O -i md1.in -c md1.crd -o md1.out -r md1.rst -x md1.trj -p uii_invf.top (with -i input file 1, -c coordinate file 1 ( $=\mathrm{min} . c r d$ ), -o output file $1,-r$ restart file $1,-x$ trajectory file $1,-p$ topology) Command line (CPU, 8 cores): mpirun -np 8 pmemd -O -i md1.in -c md1.crd -o md1.out -r md1.rst -x md1.trj -p uii_invf.top (with -np number of cores)

## MD Simulation Example.

## Input 2, subsequent restarts

```
production, T = 300K
&cntrl
    irest=1, ntx=5, imin=0, nmropt=0, nstlim=125000000, dt=0.002,
    nsnb=25, cut=8.0,
    ntt=1, tautp=1.0, tempi=0.0, temp0=300.0,
    ntc=2, ntf=2, ntb=2,
    ntp=1, taup=1.0, pres0=1.0,
    ntpr=5000, ntwr=5000, ntwx=5000, ntr=0, iwrap=1, ioutfm=1,
    &end
```

Instructions to continue (irest=1) a MD simulation using coordinates, velocities and box size from an external input file (here the NETCDF trajectory file of the preceding MD simulation run); all other parameters are identical with Input 1.

Command line (GPU): pmemd.cuda -O -i md2.in -c md2.crd -o md2.out -r md2.rst -x md2.trj -p uii_invf.top ( with -i input file $2,-\mathrm{c}$ coordinate file 2 ( $=\mathrm{md} 1 . c r d$ ), -o output file $2,-r$ restart file $2,-x$ trajectory file $2,-\mathrm{p}$ topology) Command line (CPU, 8 cores): mpirun -np 8 pmemd -O -i md2.in -c md2.crd -o md2.out -r md2.rst -x md2.trj -p uii_invf.top (like GPU command, with -np number of cores)

## AMBER 10 on CPUs (Central Processing Unit)

From 2011 to 2016, most MD simulations were performed with the AMBER_10 PMEMD implementation of SANDER, Release $10-14^{219}$ on eight Harpertown Intel Xeon E5462 cores (@ 2.83 GHz ), a multi-node cluster of the Computer-Chemie-Centre of the FAU Erlangen-Nürnberg (for performance, see Table A7.1).

## AMBER 14 on GPUs (Graphics Processing Unit)

In 2015 and 2016, MD simulations were also performed with the AMBER_14 PMEMD.CUDA (Computer Unified Device Architecture Language) implementation of SANDER, Release 14 ${ }^{206,221,222}$ on a 4,800 MB NVIDIA Tesla K20c graphic card with 2496 CUDA cores (@ 0.71 GHz ) and a 5,375 MB NVIDIA C2075 graphic card with 448 CUDA cores (@1.15 GHz), two single node machines of the Computer-Chemie-Centre of the FAU Erlangen-Nürnberg (for performance, see Table A7.1).

Performance of AMBER 10 (CPU) and AMBER 14 (GPU) MD simulations

Table A7.1 Performance of AMBER 10 (CPU) and AMBER 14 (GPU) on unrestrained MD simulations of cyclic peptides

| System Size |  |  |  | Performance |  |  |  |  | Reference |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Peptide |  | NAtoms ${ }^{\text {a }}$ | \% water ${ }^{\text {b }}$ | $\mu \mathrm{s}{ }^{\text {c }}$ | $\begin{gathered} \mathrm{d} / \mu \mathrm{s} \\ (\mathrm{CPU})^{\mathrm{d}} \end{gathered}$ | $\begin{gathered} \mathrm{ns} / \mathrm{d} \\ (\mathrm{CPU}) \mathrm{d} \end{gathered}$ | $\begin{gathered} d / \mu s \\ (G P U)^{e} \end{gathered}$ | $\begin{gathered} \mathrm{ns} / \mathrm{d} \\ (\mathrm{GPU})^{\mathrm{e}} \end{gathered}$ | MD-ID ${ }^{\text {d }}$ | Thesis |
| AVP | 142 | 4792 | 97.0 | 23.0 | 38.2 | 26.2 | 7.5 | 133.3 | MinMD_1YF4 | Chapter 4, $5^{1,2}$ |
| UII | 181 | 6154 | 97.0 | 5.0 | 48.8 | 20.5 | - | - | UII_MD-I | Chapter $6^{3}$ |
|  | 181 | 5754 | 96.8 | 5.0 | 45.1 | 22.2 | - | - | UII_MD-II | Chapter $6^{3}$ |
|  | 181 | 6642 | 97.3 | 10.0 | 34.6 | 28.9 | 10.4 | 96.2 | UII_MD-III | Chapter $6^{3}$ |
|  | 181 | 10082 | 98.1 | 5.0 | 88.4 | 11.3 | 15.9 | 62.9 | UII_MD-IV | Chapter $6^{3}$ |
|  | 181 | 4338 | 95.8 | 5.0 | - | - | 7.3 | - | UII_MD-v | Chapter $6^{3}$ |
|  | 181 | 5402 | 96.6 | 5.0 | - | - | 9.5 | - | UII_MD-XI | Chapter $6^{3}$ |
| URP | 136 | 4153 | 96.7 | 5.0 | 30.7 | 32.6 | - | - | URP_MD-IXa | Chapter $6^{3}$ |
|  | 136 | 3633 | 96.2 | 5.0 | 28.6 | 35.0 | - | - | URP_MD-IXb | Chapter $6^{3}$ |
|  | 136 | 3965 | 96.5 | 5.0 | 29.6 | 33.8 | - | - | URP_MD-IXc | Chapter $6^{3}$ |
|  | 136 | 5021 | 97.3 | 5.0 | 38.8 | 25.8 | - | - | URP_MD-IXd | Chapter $6^{3}$ |
| OT | 136 | 4029 | 96.6 | 15.0 | 29.9 | 33.4 | 9.1 | 109.9 | OT_MD-I | Chapter 7 |
|  | 136 | 4985 | 97.3 | 15.0 | 38.5 | 26.0 | 6.5 | 153.8 | от_MD-ІІ | Chapter 7 |
|  | 136 | 6241 | 97.8 | 10.0 | 46.3 | 21.6 | 10.6 | 94.3 | OT_MD-III | Chapter 7 |
|  | 136 | 5121 | 97.3 | 10.0 | 42.0 | 23.8 | 8.4 | 119.0 | OT_MD-IV | Chapter 7 |
| dOT | 133 | 3961 | 96.6 | 3.0 | 29.5 | 33.9 | - | - | dOT_MD-1 | Chapter 7 |
| CT | 138 | 4446 | 96.9 | 5.3 | 32.7 | 30.6 | - | - | CT_MD-I | Chapter 7 |
|  | 138 | 6802 | 98.0 | 5.0 | 58.5 | 17.1 |  | - | CT_MD-II | Chapter 7 |
| $a v$ | 151 | 5307 | 97.0 | - | 41.3 | 26.4 | 9.5 | 109.09 |  |  |
| total | - | - | - | 141.3 | - | - | - | - |  |  |

[^34]
## Analysis Tools

## DASH

Principles and Parameters. A conformation can be defined by the sequence of $\Phi \Psi$ torsions on which a DASH analysis is based. The torsions are extracted from the coordinate files of the MD simulations with ptraj (or cpptraj) and gathered as a torsion trajectory. This torsion trajectory is the input for the DASH program. DASH clusters the torsion space as a time series of DASH states. A DASH state is characterised by mean torsion angles (cluster centre). The representative of such a mean torsion ensemble is the torsion-trajectory snapshot with the highest similarity to the mean torsions. To visualise the representative, the corresponding frame of the original AMBER trajectory with the Cartesian coordinates can be extracted. The main parameters for DASH are the bout length $(I)$ and the number of steps $(\mathrm{n})$ (analysed frames) that define the minimum lifetime of a state:

$$
\text { state lifetime }=\frac{\text { bout length }(l)}{\text { time steps }(n)} * \text { simulation time }
$$

Reducing the minimum state lifetime will increase the number of final states by means of subclustering main conformations. A state refinement can be achieved if the number of time steps is increased while the minimum lifetime is held constant. In this thesis, a bout length of $\mathrm{I}=20$ was chosen as standard for DASH analyses, which equals a minimum lifetime of 10 ns for a distinct ensemble of mean torsions to be considered as DASH state. This gives a reasonable number of DASH states to classify main conformations with maximum performance.

Performance and Accuracy. A comparison of the performance of the classical pairwise-metrics cluster methods average-linkage and means against DASH is shown in Table A7.2. For these calculations, the ring conformations were clustered by the $C \alpha$ and $S$ atoms of the ring (averagelinkage and means) and the dihedral angles $\Phi \Psi 2-6$ and $1 \times 2,1 \times 3,6 \chi 2$ (DASH), respectively. The first five microseconds of the MD simulation of AVP ${ }^{1,2}$ were chosen as dataset. Average-linkage is a hierarchical bottom-up algorithm starting with individual conformations that are iteratively merged to a defined final number of clusters. Means is a refinement algorithm starting with a predefined number of seeds that are resorted (refined). Both methods require a predefined number of clusters. DASH is a sequential analysis method and does not need any predefined number of clusters. The RMSD trajectory of the ring ( $\mathrm{C} \alpha, \mathrm{S}$ ) and the DASH state trajectories of the analysis of 10,000 and 5,000,000 frames are shown in Figure A7.1. The cluster results of average-linkage and mean are shown in Figures A7.2 to A7.4.

A significant conformational transition occurs at $1.46 \mu \mathrm{~s}$ (Fig. A7.1), which is the interconversion from ring type open to saddle. All methods tested reproduce these two main conformational ring types but differ in the description of subtypes. Means had difficulty identifying unambiguously populated ( $>80 \%$ ) cluster bins within the open section. Cluster bins of average-linkage were more highly populated (Fig. A7.4) but the method showed poor performance compared to means, even with small datasets of 5,000 time steps. DASH performed almost 30 times faster than means when 10,000 time steps were analysed. Even when every single frame of the simulation was analysed (= 5 million conformations), the run time of DASH was less than one hour. Classical cluster methods cannot process such data volumes (cf. means: doubling the data volume from 5,000 to 10,000 time steps already quadrupled the runtime).

Table A7.2 Performance of clustering methods DASH, Average-Linkage and Means

| Method | Time steps | Defined <br> Clusters | Final <br> Clusters | Main <br> Clusters ${ }^{\text {a }}$ | Runtime <br> [min] | Cluster <br> Trajectories |
| :--- | ---: | :---: | :---: | :---: | :---: | :---: |
| Reans | 5,000 | 5 | 5 | 3 | 13 | Fig. A7.2 |
| Av.Linkage | 5,000 | 5 | 5 | 2 | 45 | Fig. A7.4 |
| Means | 10,000 | 5 | 5 | 3 | 58 | Fig. A7.3 |
| DASH | 10,000 | - | 10 | 6 | 2 | Fig. A7.1 |
| DASH | $5,000,000$ | - | 16 | 5 | 55 | Fig. A7.1 |

${ }^{\text {a }}$ Population $>5 \% .{ }^{\text {b }}$ Ring and disulphide bridge torsions (T13ss: $\Phi \Psi 2-6,1 \times 2,1 \times 3,6 \times 2$ ) or ring and sulphur atoms (:1-6@CA, $\left.\mathrm{S}^{*}\right)$.


Figure A7.1
RMSD and DASH state trajectory of $5 \mu \mathrm{~s}$ MD simulation of AVP


Figure A7.2 Means clustering AVP 5,000snaps(1 snap/ns)|:1-6@CA,S*|5 $\mu \mathrm{s}|\mathrm{cl05}| 50$ win


Figure A7.3 Means clustering AVP 10,000snaps(2 snap/ns)|:1-6@CA,S*|5 ${ }^{\text {s }|c l 05| 50 ~ w i n ~}$

```
## Condensed Map 
```

Figure A7.4 Average-Linkage clustering AVP 5,000snaps(1 snap/ns)|:1-6@CA,S*|5 $\mu \mathrm{s}|\mathrm{cl} 05| 50$ win

## AmberDASH

Initial versions of the Perl script amberDASH by David Whitley in 2013 were programmed based on specifications by EH to simplify the workflow of DASH analyses on AMBER trajectories. It can be used in combination with MDASH, ${ }^{327}$ the current version of DASH.

## Documentation.

```
AMBERDASH2(1) User Contributed Perl Documentation AMBERDASH2(1)
NAME
    amberDASH - Dash interface for AMBER trajectories
SYNOPSIS
    amberdash [options] seed [-- dash_options]
        Run dash on trajectories generated by the AMBER molecular dynamics package (http://ambermd.org/).
OPTIONS
    -help
        Print help message and exit.
    -version
        Print version number and exit.
    -debug
        Print progress messages on stderr.
    -keep
        Keep all the intermediate files that are normally deleted when the program exits.
    -keep-dash-input
        Keep the dash input file seed.dash.in which is normally deleted when the program exits.
    -keep-ptraj-input
        Keep the ptraj input file seed.ptraj.in which is normally deleted when the program exits.
    -no-dash
        Generate (and keep) the dash input file seed.dash.in but do not run dash.
    -progress
        Print output from the ptraj command on stdout. Useful for monitoring progress when reading large trajectories.
    -snap
        Write PDB files containing snapshots representing the dash states.
    -backbone r1:r2
        Analyse the sequence of backbone torsion angles from residue r1 to residue r2.
DASH OPTIONS
    The dash_options are described in the dash documentation. The dash flags -N (number of frames) and -T (number of torsions) are
    not required; they are supplied automatically by amberDASH.
INPUT FILES
    Several input files are required, specified by the seed prefix, in order to identify the topology, the torsion angles and the trajectory.
    The topology is always specified by an AMBER topology file seed.top. The torsion angles may be specified either by the -backbone
    option or by a file seed.tor. The -backbone option takes precedence. The trajectory may be specified either as a single AMBER
    trajectory file seed.trj, or by a sequence of trajin commands in a text file seed.trajin. If seed.trajin exists, it is used and seed.trj is
    ignored; otherwise seed.trj is used. The seed.trajin approach is necessary if the trajectory spans several files or a subset of the
    trajectory is required via start, stop and offset arguments to trajin.If snapshots are required (-snap) and the trajectory is specified
    in seed.trajin, the trajin commands in seed.trajin must include start, stop and offset fields. Otherwise the script is unable to locate
    the representative dash states in the trajectory and the snapshots are omitted.
    seed.top
    An AMBER topology file corresponding to the trajectory to be analysed.
    seed.trajin
        A text file containing trajin commands to extract the trajectory to be analysed. Any lines not containing trajin commands are
        ignored.
    seed.trj
        An AMBER trajectory file.
    seed.tor
        A text file defining the torsion angles to be analysed. Each torsion angle is specified by a whitespace-separated line with five
        fields:
            name mask1 mask2 mask3 mask4
        Here name is an identifier and mask1, ..., mask4 are AMBER atom masks defining the torsion angle. Lines starting with '#' are
        treated as comments and ignored. This file must be prepared manually by the user.
```

OUTPUT FILES
seed.dash.out
The dash output file.
seed.ptraj.out
The output from the ptraj command to extract the torsions.
If -snap is specified, the following files are written for each dash state:
seed.stateN.frame
The PDB file containing the representative frame frame for dash state N .
seed.ptraj.stateN.out
The output from the ptraj command to generate the PDB file for dash state N .
If -keep is specified, the following intermediate files are retained:
seed.ptraj.in
The input file for the ptraj command to extract the torsions.
seed.name
The torsion angles for each torsion name.
seed.dash.in
The dash input file obtained by joining the torsion angle files.
If -keep-ptraj and -snap are specified, the following files are retained:
seed.ptraj.stateN.in
The input file for the ptraj command to generate the PDB file for dash state N .
INSTALLATION
The programs dash and either ptraj or cpptraj are required. If they are not on the PATH their full pathnames must be specified at the top of the amberDASH script. cpptraj reads large trajectories faster than ptraj, while ptraj calculates statistics for the torsion angles.

## NOTE

All the output files will be clobbered by the next run of the script for the same seed.

## REFERENCE

D. W. Salt, B. D. Hudson, L. Banting, M. J. Ellis and M. G. Ford

DASH: A novel analysis method for molecular-dynamics simulation data.
Analysis of ligands of PPAR-gamma, J. Med. Chem., 48, 3214-3220, 2005.

## ACKNOWLEDGEMENT

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```
AUTHOR
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```

perl v5.18.1 2015-12-08

Command line (GPU): amberdash2.pl [options] seed [-- dash_options]
Options: -help (print help message and exit); -version (print version number and exit); -debug (print progress messages on stderr); -keep (keep all intermediate files); -keep-dash-input (keep the dash input file); -keep-ptraj-input (keep the ptraj input file); -no-dash (keep the dash input file but do not run dash); -progress (print output from the ptraj command on stdout); -snap (write PDB files containing snapshots representing the dash states); -backbone r1:r2 (analyse the sequence of backbone torsion angles from residue r1 to residue r2). For full documentation, use the command "perldoc amberdash2.pl".

## Example. DASH ring-state analysis

Command-line with torsion trajectory output labelled with ring states for further analysis with SARcaddle (PCA)
amberdash2.pl -keep-dash-input -progress -snap seed -- -L Ullonvf_5us_T10_dash-label.in
Input: AMBER trajectory (coordinates in netcdf format): seed.trajin

```
trajin /delta3/haensele/Urotensin II/MinMD_invfolded/md1.trj 1 25000 50
    trajin /delta3/haensele/Urotensin II/MinMD_invfolded/md2.trj 1 75000 50
```

Input with definition of torsions to be analysed: seed.tor

```
# Ring
psi5 :5@N :5@CA :5@C :6@N
phi6 :5@C :6@N :6@CA :6@C
psi6 :6@N :6@CA :6@C :7@N
phi7 :6@C :7@N :7@CA :7@C
psi7 :7@N :7@CA :7@C :8@N
phi8 :7@C :8@N :8@CA :8@C
psi8 :8@N :8@CA :8@C :9@N
phi9 :8@C :9@N :9@CA :9@C
psi9 :9@N :9@CA :9@C :10@N
phi10 :9@C :10@N :10@CA :10@C
```

Input topology: seed.top (AMBER topology file used for the MD simulation)
Output file seed.dash.in (torsion trajectory defined by seed.tor) = Input for DASH:
$-3.0233-67.6670-1.3856-66.3812-17.5568-132.0548 \quad 20.696455 .5236 \quad 25.883654 .8955$ $-11.6154-62.8468-14.5486-59.1280-33.9189-116.468132 .100953 .9973 \quad 29.783544 .3236$ $\begin{array}{llllllllllllllllll}9.3207 & -74.3252 & -10.2949 & -56.7112 & -46.4321 & -97.9060 & 18.3238 & 56.7269 & 8.3868 & 57.5924\end{array}$

Output file seed.dash.out (result of DASH analysis)


| [1] | 47.49 | 37.56 | 17.02 | 22.98 | 19.76 | 28.18 | 17.96 | 16.85 | 15.29 | 28.91 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| [2] | 12.91 | 10.15 | 11.28 | 11.48 | 11.28 | 15.99 | 12.17 | 9.38 | 44.66 | 37.14 |
| [3] | 9.75 | 9.46 | 10.23 | 8.69 | 10.31 | 13.72 | 9.46 | 8.13 | 10.63 | 8.02 |
| [4] | 12.24 | 8.58 | 13.50 | 13.65 | 11.45 | 18.49 | 18.27 | 17.56 | 30.59 | 27.57 |
| [5] | 36.05 | 26.81 | 17.82 | 27.51 | 18.28 | 30.35 | 9.79 | 15.67 | 23.01 | 33.10 |
| [6] | 15.52 | 22.76 | 21.09 | 27.75 | 15.77 | 14.73 | 11.84 | 8.52 | 17.66 | 21.31 |
| [7] | 11.87 | 20.41 | 19.11 | 24.05 | 11.51 | 13.09 | 10.96 | 7.99 | 17.21 | 21.36 |
| [DASH_STATE_TRAJECTORY] |  |  |  |  |  |  |  |  |  |  |
| State | Frames | Cumul | tive |  |  |  |  |  |  |  |
| [3] | 2529 |  | 2529 |  |  |  |  |  |  |  |
| [2] | 1224 |  | 3753 |  |  |  |  |  |  |  |
| [4] | 54 |  | 3807 |  |  |  |  |  |  |  |
| [1] | 276 |  | 4083 |  |  |  |  |  |  |  |
| [5] | 44 |  | 4127 |  |  |  |  |  |  |  |
| [1] | 141 |  | 4268 |  |  |  |  |  |  |  |
| [5] | 89 |  | 4357 |  |  |  |  |  |  |  |
| [6] | 3836 |  | 8193 |  |  |  |  |  |  |  |
| [7] | 26 |  | 8219 |  |  |  |  |  |  |  |
| [6] | 815 |  | 9034 |  |  |  |  |  |  |  |
| [7] | 43 |  | 9077 |  |  |  |  |  |  |  |
| [6] | 924 |  | 0001 |  |  |  |  |  |  |  |
| [DASH_STATE_TRANSITIONS] |  |  |  |  |  |  |  |  |  |  |
| 11 |  |  |  |  |  |  |  |  |  |  |
| [DASH_STATE_BOUTS] |  |  |  |  |  |  |  |  |  |  |
| [1] 276 141 |  |  |  |  |  |  |  |  |  |  |
| [2] 1224 |  |  |  |  |  |  |  |  |  |  |
| [3] 2529 |  |  |  |  |  |  |  |  |  |  |
| [4] 54 |  |  |  |  |  |  |  |  |  |  |
| [5] 4489 |  |  |  |  |  |  |  |  |  |  |
| [6] 3836815924 |  |  |  |  |  |  |  |  |  |  |
| [7] 2643 |  |  |  |  |  |  |  |  |  |  |
| [CPU_TIME] |  |  |  |  |  |  |  |  |  |  |
| Input : 0.2s |  |  |  |  |  |  |  |  |  |  |
| Dash : 0.1s |  |  |  |  |  |  |  |  |  |  |
| Total : | 0.3 s |  |  |  |  |  |  |  |  |  |

Output labelled with ring states for further analysis with SARcaddle (PCA).

$$
\begin{aligned}
& -3.0233-67.6670-1.3856-66.3812-17.5568-132.054820 .696455 .523625 .883654 .89553 \\
& \begin{array}{lllllllllllllllllllll}
-11.6154 & -62.8468 & -14.5486 & -59.1280 & -33.9189 & -116.4681 & 32.1009 & 53.9973 & 29.7835 & 44.3236 & 3
\end{array} \\
& 9.3207-74.3252-10.2949-56.7112-46.4321-97.906018 .3238 \quad 56.72698 .3868 \quad 57.59243
\end{aligned}
$$

## Principal Component Analysis (PCA) in DASH

Recent versions of DASH include a routine to calculate principal components of the torsion angle trajectory.

Example. Analysis of the correlation of torsions for distinct ring-state types of UII.
Input: Overall torsion trajectories extracted from sections of MD simulations exclusively occupied by a distinct ring-state type.

Command line: dash2-p-i <input>-o <output1>-L <arg>
(with -p calculate principal components; -i specify input file (torsion trajectory); -o specify output file; -L write input data with state labels to file <arg>)

Output (PCA part)

```
DASH, version 2.11b5
Mon Jul 13 12:43:21 2015
[TRAJECTORY]
file : /delta3/haensele/Urotensin II/MinMD ALL/analysis pca/T18 trajectory state-
type sections/omega-I UIInmr 1-10001.pca.in
```

| $\begin{aligned} & \hline \text { angles : } 18 \\ & \text { frames : } 10001 \end{aligned}$ |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| [OPTIONS] |  |  |  |  |  |  |  |
| winsize : 11 |  |  |  |  |  |  |  |
| binsize : 4 |  |  |  |  |  |  |  |
| runlen : 3 |  |  |  |  |  |  |  |
| fmax : 2.4 |  |  |  |  |  |  |  |
| smin : 48 |  |  |  |  |  |  |  |
| boutlen : 20 |  |  |  |  |  |  |  |
| smooth : 40 |  |  |  |  |  |  |  |
| roughen : 20 |  |  |  |  |  |  |  |
| [PCA SUMMARY] |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |
|  | PC1 | PC2 | PC3 | PC4 | PC5 | PC6 | ... |
| Variance | 2.3517 | 1.8056 | 1.5347 | 1.2906 | 1.1824 | 1.1521 | ... |
| Explained | 0.1306 | 0.1003 | 0.0853 | 0.0717 | 0.0657 | 0.0640 | ... |
| Cumulative | 0.1306 | 0.2310 | 0.3162 | 0.3879 | 0.4536 | 0.5176 | $\ldots$ |
| [PCA COEFFICIENTS] |  |  |  |  |  |  |  |
| PC1 | PC2 | PC3 | PC4 | PC5 | PC6 | PC7 | ... |
| -0.0202 | 0.0432 | -0.0033 | 0.0225 | -0.4801 | 0.5317 | 0.0803 | ... |
| 0.0549 | -0.0299 | -0.0554 | 0.0213 | 0.4403 | -0.4711 | 0.2742 | ... |
| 0.0047 | -0.0374 | 0.0027 | 0.0924 | -0.2532 | -0.2940 | 0.4537 | ... |
| 0.0109 | -0.0227 | -0.0789 | 0.1385 | -0.4225 | -0.2298 | 0.5141 | ... |
| -0.0073 | 0.0961 | -0.1842 | 0.1565 | -0.4011 | -0.3613 | -0.2844 | ... |
| -0.1945 | 0.2383 | 0.0257 | -0.2245 | 0.3108 | 0.2065 | 0.3194 | ... |
| -0.0114 | 0.1415 | -0.0975 | 0.0485 | 0.0525 | 0.3118 | 0.3782 | ... |
| 0.0229 | 0.0427 | -0.0332 | -0.0016 | -0.0354 | -0.0865 | -0.3111 | ... |
| -0.3313 | 0.3904 | -0.0299 | -0.3284 | -0.0636 | -0.0771 | 0.0360 | ... |
| 0.3171 | -0.4295 | 0.3210 | -0.2718 | -0.0816 | -0.0045 | 0.0530 | ... |
| 0.0027 | 0.1420 | -0.4721 | 0.5708 | 0.1741 | 0.1104 | -0.0477 | ... |
| 0.1829 | 0.0027 | -0.1343 | -0.0157 | 0.0418 | 0.1224 | 0.0859 | $\ldots$ |
| 0.2235 | 0.2234 | 0.4589 | 0.3963 | 0.0606 | 0.0168 | 0.0336 | ... |
| -0.0742 | -0.4396 | -0.5239 | -0.2192 | 0.0195 | 0.0531 | 0.0349 | ... |
| 0.4940 | 0.2683 | -0.0156 | -0.0738 | 0.0092 | 0.0197 | 0.0093 | ... |
| -0.5209 | -0.1515 | 0.2783 | 0.2276 | -0.0037 | 0.0076 | -0.0043 | ... |
| 0.0898 | 0.4576 | -0.1185 | -0.3495 | -0.1452 | -0.1615 | -0.0703 | ... |
| -0.3677 | 0.0538 | 0.1545 | -0.0428 | -0.0598 | -0.1242 | -0.0664 | $\ldots$ |
| [PCA_WEIGHTS] |  |  |  |  |  |  |  |
| PC1 | PC2 | PC3 | PC4 | PC5 | PC6 | PC7 | ... |
| 0.0004 | 0.0019 | 0.0000 | 0.0005 | 0.2305 | 0.2828 | 0.0065 | $\ldots$ |
| 0.0030 | 0.0009 | 0.0031 | 0.0005 | 0.1939 | 0.2219 | 0.0752 | ... |
| 0.0000 | 0.0014 | 0.0000 | 0.0085 | 0.0641 | 0.0864 | 0.2058 | $\ldots$ |
| 0.0001 | 0.0005 | 0.0062 | 0.0192 | 0.1785 | 0.0528 | 0.2643 | ... |
| 0.0001 | 0.0092 | 0.0339 | 0.0245 | 0.1609 | 0.1305 | 0.0809 | $\ldots$ |
| 0.0378 | 0.0568 | 0.0007 | 0.0504 | 0.0966 | 0.0427 | 0.1020 | ... |
| 0.0001 | 0.0200 | 0.0095 | 0.0024 | 0.0028 | 0.0972 | 0.1430 | ... |
| 0.0005 | 0.0018 | 0.0011 | 0.0000 | 0.0013 | 0.0075 | 0.0968 | ... |
| 0.1098 | 0.1524 | 0.0009 | 0.1078 | 0.0040 | 0.0059 | 0.0013 | ... |
| 0.1006 | 0.1845 | 0.1030 | 0.0738 | 0.0067 | 0.0000 | 0.0028 | $\ldots$ |
| 0.0000 | 0.0202 | 0.2229 | 0.3258 | 0.0303 | 0.0122 | 0.0023 | ... |
| 0.0335 | 0.0000 | 0.0180 | 0.0002 | 0.0017 | 0.0150 | 0.0074 | $\ldots$ |
| 0.0499 | 0.0499 | 0.2106 | 0.1570 | 0.0037 | 0.0003 | 0.0011 | ... |
| 0.0055 | 0.1932 | 0.2744 | 0.0481 | 0.0004 | 0.0028 | 0.0012 | $\ldots$ |
| 0.2441 | 0.0720 | 0.0002 | 0.0055 | 0.0001 | 0.0004 | 0.0001 | ... |
| 0.2714 | 0.0229 | 0.0774 | 0.0518 | 0.0000 | 0.0001 | 0.0000 | ... |
| 0.0081 | 0.2094 | 0.0140 | 0.1222 | 0.0211 | 0.0261 | 0.0049 | ... |
| 0.1352 | 0.0029 | 0.0239 | 0.0018 | 0.0036 | 0.0154 | 0.0044 | ... |
| [PCA_CENTROID] |  |  |  |  |  |  |  |
| ANGLE1 | ANGLE2 | ANGLE3 | ANGLE4 | ANGLE5 | ANGLE6 | ANGLE7 | $\ldots$ |
| -95.2916 | 138.7798 | -67.9813 | 126.0465 | -94.2493 | 42.5560 | -114.4368 | ... |

## Dashsim

Dashsim is a C++ script written by David Whitley to enable direct comparison of DASH states in the output files of different DASH analyses. A comparison of torsion angle sections from any source is possible (similar to RMSD alignments) if the number of torsions is identical and the DASH output format is used. A sample input is given below. The script calculates the circular similarity of the compared torsion angles. Further details on the algorithm and principle of the method is given in Appendix A3 (p S10). Command line: dashsim file1 file2

Example. Comparison of representative conformations of OT from long-scale MD simulations with torsion angles from molecular mechanics calculations published 1991 by Ward et al. ${ }^{93}$

Input file 1: torsion angles of representative conformations for OT (dash output format)

```
DASH, output version 2.10b1
[TRAJECTORY]
file : various
angles : 10
frames : undefined
# Ring torsions of OT representatives
# OT T10= phi2 psi2 phi3 psi3 phi4 psi4 phi5 psi5 phi6 psi6
[DASH STATE MEAN ANGLES]
[10t] 
[2ot] -111.29 -30.18 -121.25 
[3ot] -104.82 128.47 48.21 19.89 -138.34 149.28 -77.04 121.74 -130.4 145.9
[4ot] 
[5ot] -89.74 -19.86 -101.05 158.29 -71.09 148.76 51.7 
[60t] -88.3 161.35
[70t] 
[99ot] -76.0 161.57 7 1.98 
```

Input file 2: torsion angles from molecular mechanics calculations published by Ward et al. $1991{ }^{93}$ (dash output format)

```
[TRAJECTORY]
file : article Ward 1991
angles : 10
frames : undefined
# ring torsions of OT from Ward }1991\mathrm{ Ward DJ, Chen Y, Platt E, Robson B (1991) Development and testing of
protocols for computer-aided design of peptide drugs, using oxytocin. J Theor Biol 148 (2):193-227; Conf
1-8 from energy calculation (Molecular Mechanic calculation), Conf MD lowest energy conformaer from MD
simulation
# OT T10= phi2 psi2 phi3 psi3 phi4 psi4 phi5 psi5 phi6 psi6
[DASH STATE MEAN ANGIES]
[\mp@subsup{COnf }{}{-}1]
[Conf 2] 
[Conf 3] -55.06 -35.08 -45.21 -34.92 -104.99 -68.65 -168.27 132.02 -165.96 140.12
[Conf 4] -117.91 -177.95 -71.74 74.33 -156.29 -168.00 -67.47 88.85 -119.80 150.36
[Conf 5] -70.10
[Conf 6] -115.99 126.80 64.33 -114.65 -112.70 5.54 -95.67 -175.72 -161.32 158.51
[Conf 7] -107.63 -106.92 
[Conf 8] -70.32 134.04 -39.05 110.04 163.08 -176.74 -63.35 
[Conf MD] -62.51 -42.11 --84.06 147.02 
```

Output circular similarity representative conformations of OT vs. MM Ward et al. ${ }^{93}$

| ```reading file OT_T16T10.dashsim.in angles = 10 reading DASH_STATE_MEAN_ANGLES states = 8 reading file OT_Ward1991_T10.dashsim.in angles = 10 reading DASH_STATE_MEAN_ANGLES states = 10``` |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  |  |  |  |  |
| Circular Similarity Matrix <br> $A=$ representative conformations of OT from long-scale MD (EH) <br> B = conformations of OT by MM calculation (Ward 1991) |  |  |  |  |  |  |  |  |  |  |
|  | B1 | B2 | B3 | B4 | B5 | B6 | B7 | B8 | B9 | B10 |
| A1 | 0.45 | 0.45 | 0.45 | 0.45 | 0.45 | 0.45 | 0.45 | 0.45 | 0.45 | 0.45 |
| A2 | 0.40 | 0.40 | 0.40 | 0.40 | 0.40 | 0.40 | 0.40 | 0.40 | 0.40 | 0.40 |
| A3 | 0.37 | 0.37 | 0.37 | 0.37 | 0.36 | 0.36 | 0.36 | 0.36 | 0.37 | 0.37 |
| A4 | 0.45 | 0.45 | 0.45 | 0.45 | 0.45 | 0.45 | 0.45 | 0.45 | 0.45 | 0.45 |
| A5 | 0.44 | 0.44 | 0.44 | 0.44 | 0.44 | 0.44 | 0.44 | 0.44 | 0.44 | 0.44 |
| A6 | 0.43 | 0.43 | 0.43 | 0.43 | 0.43 | 0.43 | 0.43 | 0.42 | 0.43 | 0.43 |
| A7 | 0.52 | 0.52 | 0.52 | 0.52 | 0.51 | 0.51 | 0.51 | 0.51 | 0.52 | 0.52 |
| A8 | 0.42 | 0.42 | 0.42 | 0.42 | 0.42 | 0.42 | 0.42 | 0.42 | 0.42 | 0.42 |

Result: Maximum similarity 51-52 \% of Ward B1-10i to OT A7 (twisted saddle)

## Graphic Tools

Figures and posters were prepared with PyMOL 1.3 (educational product), ${ }^{328}$ POV-Ray 3.6.2, ${ }^{329}$ Gnuplot 5.0, ${ }^{330}$ Chimera 1.10, ${ }^{331}$ ChemBioDraw Ultra 13, ${ }^{332}$ Microsoft 2013 Excel, ${ }^{333}$ Adobe Photoshop CS5, ${ }^{334}$ and Adobe Illustrator CS5. ${ }^{335}$

[^35]
## A 8: Supporting Information Chapter 7

## MD Simulations and Dynamics

## Simulation Parameters

Table A8.1 Summary of MD simulation details of OT, dOT and $C T^{\S}$

| Simulation | Time ( $\mu \mathrm{s}$ ) | Initial conformation | Resulting ring-state types | NAtoms (WAT)* |
| :---: | :---: | :---: | :---: | :---: |
| OT (9 residues, 136 atoms, charge +1 ) |  |  |  |  |
| MD: AMBER ff99sb/ TIP4PEw/ trunc.oct. / 1Cl/ 300K/ 1bar/ 8Å cutoff/ PME/ PBC/ Shake |  |  |  |  |
| OT_MD-I | 15 | saddle | saddle, open ${ }_{23 p b r}$ | 4029 (973) |
| OT_MD-II |  | open | open, open $23 p b r$, cl.open, cl.open45pbr | 4985 (1212) |
| OT_MD-III | 10 | cl.open | cl.open, cl.open ${ }_{45 p b r}$ | 6241 (1526) |
| OT_MD-IV | 10 | tw.saddle | tw.saddle, tw.saddle ${ }_{\text {helix, }}$ cl.open | 5121 (1246) |
| dOT (9 residues, 133 atoms, charge 0) |  |  |  |  |
| MD: AMBER ff99sb/ TIP4PEw/ trunc.oct. / 300K/ 1bar/ 8Å cutoff/ PME/ PBC/ Shake |  |  |  |  |
| dOT_MD | 3 | tw.saddle | tw.saddle, tw.saddlenelix | 3961 (957) |
| CT (9 residues, 138 atoms, charge 0) |  |  |  |  |
| MD: AMBER ff99sb/ TIP4PEw/ trunc.oct. / 300K/ 1bar/ 8Å cutoff/ PME/ PBC/ Shake |  |  |  |  |
| CT_MD-I | 5 | saddle | saddle, open, open ${ }_{23 p b r}$, cl.open ${ }_{45 p b r}$ | 4446 (1077) |
| CT_MD-II | 5 | open | open, saddle | 6802 (1666) |

${ }^{3}$ Force-field parameters for dOT and CT were modified within ff99SB using semi-empirical partial charges and force constants of similar atom combinations from e.g. alanine ( -CH 3 ), threonine ( $\mathrm{CH} 2-\mathrm{O}-\mathrm{H}$ ) and methionine ( $-\mathrm{CH} 2-\mathrm{S}-$ ). *NAtoms: total number of atoms; WAT: number of water molecules.

## RMSD and DASH State Trajectories

OT_MD-I

 10 ns for folded tail conformations. Overall states T16_23 and T16_25 of OT_MD-II were chosen as representatives for the ring-state types open ext and open $n_{\text {fold }}$; overall state T16_17 of OT_MD-II was chosen as representative for the ring-state type clinched open ${ }_{45 \text { pbrr.fold }}$ (subscript ext $=$ extended tail, fold $=$ folded tail).

Figure A8.3 RMSD and DASH trajectories of simulation OT_MD-III ( $10 \mu \mathrm{~s}$ ).

Trajectories of DASH states (T18 overall blue, T10 ring red, T6 C-terminal tail green) and RMSD (C $\alpha$ 1-6, ring; C $\alpha$ 6-9, tail). Initial conformation clinched open. Main ringstate types are labelled. The simulation only shows open conformations of ringstate type clinched open (clop), clinched open $_{45 \mathrm{pbr}}\left(\right.$ clop $_{45 \mathrm{pbr}}$ ) and a transient open variant, open ${ }_{2334 p b r}$ resembling the URP lasso $_{45 \mathrm{pbr}}$ representative. The tail exhibits frequent interconversions predominated by extended ( $92.5 \%{ }_{10 \mu \mathrm{~s}}$ ) conformations; folded tail-state types ( $7.5 \%_{10 \mu s}, 7,8 \beta$-II). The RMSD trajectory shows a higher frequency of extended and folded tail conformations indicating a state lifetime < 10 ns for folded tail conformations. Overall states T16_1 and T16_2 of OT_MD-III were chosen as representatives for the ringstate types clinched open ${ }_{\text {ext }}$ and clinched open fold; overall state T16_4 of OT_MD-III was chosen as representative for the ringstate type clinched open ${ }_{45 \text { pbbrext }}$ (subscript ext $=$ extended tail, fold $=$ folded tail $)$.


Figure A8.4 RMSD and DASH trajectories of simulation OT_MD-IV (10 $\mu \mathrm{s}$ ).

Trajectories of DASH states (T18 overall blue, T10 ring red, T6 C-terminal tail green) and RMSD (C $\alpha$ 1-6, ring; C $\alpha$ 6-9, tail). Initial conformation twisted saddle. Main ringstate types are labelled. The first $8 \mu \mathrm{~s}$, the simulation shows frequent interconversions within the folded ringstate types twisted saddle (tws) and the $3_{10}$-helical variant twisted saddle helix (tws ${ }_{\text {helix }}$ ), then interconverts to the open ring-state type clinched open (clop). The tail exhibits frequent interconversions between extended ( $88.0 \%_{10 \mu \mathrm{~s}}$ ) and folded tail-state types ( $\left.12.0 \%_{10 \mu s,} 7,8 \beta-I I\right)$. The RMSD trajectory shows a higher frequency of extended and folded tail conformations indicating a state lifetime $<10 \mathrm{~ns}$ for folded tail conformations. Overall states T16_9 and T16_12 of OT_MD-IV were chosen as representatives for the ring-state types twisted saddle ext and twisted saddle $e_{\text {fold }}$; overall state T16_18 and T16_20 of OT_MD-IV were chosen as representatives for the ring-state types twisted saddle $_{\text {helix,ext }}$ and twisted saddle helix,fold (subscript ext $=$ extended tail, fold $=$ folded tail).

Figure A8.5 RMSD and DASH trajectories of simulation dOT_MD $(3 \mu \mathrm{~s})$.

Trajectories of DASH states (T18 overall blue, T 10 ring red, T 8 C-terminal tail green) and RMSD (C $\alpha$ 1-6, ring; C $\alpha$ 6-9, tail). Initial conformation twisted saddle (PDB ID: 1XY1). Main ring-state types are labelled. dOT shows occasional interconversion to the 310-helical variant twisted saddlehelix (twshelix). After $1 \mu \mathrm{~s}$ a scoop-like transient was identified (denoted as twisted saddlehelix-var) with an open/folded hybrid structure that might be an intermediate for open/folded interconversions. The tail exhibits frequent interconversions between extended ( $94.9 \%_{3 \mu s}$ ) and folded tail-state types ( $5.1 \%_{3 \mu \mathrm{~s}} 7,8 \beta-\mathrm{II}$ ). Within the sections of the saddle ring-state types, interconversions seem to be independent of the ring conformation (highly frequent interconversions), whereas for the twisted saddle sections a folded tail-conformations seems to be favoured that may suggest correlation of ring and tail conformation. Overall states T16_4 and T16_7 of dOT_MD were chosen as representatives for the ring-state types twisted saddle and twisted saddlehelix.


CT_MD-II



Figure A8.6 RMSD and DASH trajectories of simulation CT_MD-I (5.25 $\mu \mathrm{s}$ ).

Trajectories of DASH states (T18 overall blue, T10 ring red, T8 C-terminal tail green) and RMSD (C $\alpha$ 1-6, ring; C $\alpha$ 6-9, tail). Initial conformation saddle. Main ring-state types are labelled. After 428 ns the initially folded conformation saddle interconverts step-wise to open (unfolded) ring-state types open, open $23 p b r$ and clinched open $_{45 \text { pbr }}\left(\right.$ clop $\left._{45 \mathrm{pbr}}\right)$. The interconversion from open ${ }_{23 p b r}$ to clop $_{45 p b r}$ passes the transient state intermediate saddle (*). The tail exhibits frequent interconversions between extended ( 91.9 \%5.25 $\mathrm{s}_{\mathrm{s}}$ ) and folded tail-state types ( $8.1 \%_{5.25 \mu \mathrm{~s}} 7,8 \quad \beta$-II). The RMSD trajectory shows a higher frequency of extended and folded tail conformations indicating a state lifetime < 10 ns for folded tail conformations. Overall states T16_2 and T16_8 of CT_MD-I were chosen as representatives for the ring-state types open $_{23 p b r}$ and clinched open ${ }_{45 p b r}$ that resemble the ring-state types lasso and omega-II of UII/URP.

Figure A8.7 RMSD and DASH trajectories of simulation CT_MD-II ( $5 \mu \mathrm{~s}$ ).

Trajectories of DASH states (T18 overall blue, T10 ring red, T8 C-terminal tail green) and RMSD (C $\alpha$ 1-6, ring; C $\alpha$ 6-9, tail). Initial conformation open. Main ring-state types are labelled. After $3.2 \mu \mathrm{~s}$ the initially unfolded conformation open interconverts to the ring-state type saddle (folded). The transient state $\left(^{*}\right)$ at $3.1 \mu \mathrm{~s}$ is a saddlevariant with high similarity to the folded-II type of UII ( $96 \%$ ). The transient state ( ${ }^{*}$ ) at $1.2 \mu \mathrm{~s}$ is a variant of the intermediate saddle ring-state type and a conformational hybrid of open and folded ring-state types. The tail exhibits frequent interconversions between extended ( $89.7 \%{ }_{5 \mu \mathrm{~s}}$ ) and folded tail-state types ( 10.3 \% 5.25 $^{\text {s }} 7,8 \beta-$ II). The RMSD trajectory shows a higher frequency of extended and folded tail conformations indicating a state lifetime < 10 ns for folded tail conformations. Overall states T16_9 and T16_2 of CT_MD-II were chosen as representatives for the ring-state types open and saddle of CT that resemble the ring-state types lasso ${ }_{56 p b r}$ and folded-I of UII/URP.

## Conformations and Circular Similarity

## DASH States and Representative Conformations

Table A8.2 Absolute populations and circular similarities of DASH ring states, corresponding overall states and representatives of the MD simulations of OT, dOT and $\mathrm{CT}^{\S}$

|  | MD | Ring state ${ }^{\text {a }}$ |  | Overall state ${ }^{\text {b }}$ |  |  | Representative ${ }^{\text {c }}$ |  | Ring-state type |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | T10 | Pop (\%) | T16 | Pop (\%) | $\begin{aligned} & \text { circsim } \\ & \text { T16 vs. T10 } \end{aligned}$ | ID ${ }^{\text {b }}$ | circsim T10 vs. Rep |  |
| OT | OT_MD-I | 2 | 45.5 | 7 | 17.7 | 1.00 | I_T16_7 | 1.00 | $s^{\text {add }}{ }^{\text {ext }}$ |
|  |  |  |  | 10 | 15.3 | 0.99 | I_T16_10 | 0.99 | saddle $_{\text {fold }}$ |
|  |  | 1 | 33.7 | 3 | 20.8 | 1.00 | I_T16_7 | 0.92 | saddle |
|  |  | 4 | 8.8 | 13 | 6.3 | 1.00 | I_T16_7 | 0.88 | saddle |
|  |  | 3 | 0.9 | 11 | 0.4 | 1.00 | I_T16_7 | 0.67 | saddle |
|  |  | Total | 88.9 |  |  |  |  | ext:fold ${ }^{\text {d }}=$ | 77.9: 22.1 |
|  |  | 5 | 10.9 | 17 | 4.4 | 0.98 | I_T16_17 | 0.98 | open $_{23 \mathrm{pbr}}$ |
|  |  | 6 | 0.2 | 20 | 0.2 | 1.00 | I_T16_17 | $\begin{aligned} & 0.59 \\ & \text { ext:fold }^{d}= \end{aligned}$ | $\begin{aligned} & \text { open }_{2356 \mathrm{pbr}} \\ & 100: 0 \end{aligned}$ |
|  |  | Total | 11.1 |  |  |  |  |  |  |
|  | OT_MD-II | 7 | 41.9 | 15 | 25.7 | 1.00 | III_T16_4 | 0.99 | clop $_{45 \mathrm{pbr}}$ |
|  |  | 10 | 39.8 | 23 | 19.4 | 1.00 | II_T16_23 | 1.00 | open $_{\text {ext }}$ |
|  |  |  |  | 25 | 4.8 | 0.99 | II_T16_20 | 0.99 | open $_{\text {fold }}$ |
|  |  | 8 | 0.4 | 18 | 0.3 | 1.00 | II_T16_23 | 0.70 | open |
|  |  | Total | $40.2$ |  |  |  |  | ext:fold ${ }^{\text {d }}=$ | 88.0 : 12.0 |
|  |  | 2 | 1.9 | 4 | 1.0 | 0.99 | I_T16_17 | 0.96 | open 23 pbr |
|  |  | 4 | 2.3 | 9 | 1.5 | 0.99 | III_T16_1 | 0.97 | clop |
|  |  | 5 | 2.0 | 11 | 1.6 | 1.00 | III_T16_1 | 0.93 | clop |
|  |  | 3 | 1.9 | 7 | 1.4 | 0.99 | III_T16_1 | 0.98 | clop |
|  |  | 6 | 0.6 | 12 | 0.6 | 1.00 | III_T16_1 | 0.94 | clop |
|  |  | Total | 6.8 |  |  |  |  | - |  |
|  |  | 9 | 2.2 | 19 | 1.6 | 1.00 | - |  | int.saddle |
|  | OT_MD-III | 1 | 83.8 | 1 | 77.1 | 1.00 | III_T16_1 | 1.00 | clop $_{\text {ext }}$ |
|  |  |  |  | 2 | 6.7 | 0.98 | III_T16_2 | 0.98 | clop fold |
|  |  |  |  |  |  |  |  | ext:fold ${ }^{\text {d }}=$ | 92.0: 8.0 |
|  |  | 3 | 14.4 | 4 | 13.7 | 1.00 | III_T16_4 | 1.00 | clop $_{45 \text { pbr.ext }}$ |
|  |  |  |  | 5 | 0.7 | 0.98 | II_T16_17 | 0.98 | clop ${ }_{\text {45pbr.fold }}$ |
|  |  |  |  |  |  |  |  | ext:fold ${ }^{\text {a }}=$0.62 | 95.3: 4.7 <br> open $_{2334 p b r}$ |
|  |  | 2 | 1.8 | 3 | 1.8 | 1.00 | III_T16_4 |  |  |
|  | OT_MD-IV | 8 | 28.4 | 18 | 12.5 | 0.99 | IV_T16_18 | 0.99 |  |
|  |  |  |  | 20 | 2.0 | 1.00 | IV_T16_20 | 1.00 | $t w S_{\text {helix.fold }}$ |
|  |  | 10 | 15.7 | 23 | 10.5 | 1.00 | IV_T16_18 | $\begin{aligned} & 0.84 \\ & 0.84 \\ & 0.82 \\ & \text { ext:fold }^{d}= \end{aligned}$ | tws ${ }_{\text {helix }}$ <br> $t w s_{\text {helix }}$ <br> $t w s_{\text {helix }}$ $95.8: 4.2$ |
|  |  | 9 | 1.7 | 21 | 1.3 | 0.97 | $\begin{aligned} & \text { IV_T16_18 } \\ & \text { IV_T16_18 } \end{aligned}$ |  |  |
|  |  | 11 | 0.7 | 25 | 0.8 | 1.00 |  |  |  |
|  |  | $\begin{gathered} \text { Total } \\ 5 \end{gathered}$ | 46.5 |  |  |  | IV_T16_18 |  |  |
|  |  |  | 26.5 | 9 | 11.7 | 0.99 | IV_T16_12 | 0.99 | tws ${ }_{\text {ext }}$ |
|  |  |  |  | 12 | 5.2 | 0.98 |  | 0.98 | $t w S_{\text {fold }}$ |
|  |  | 6 | 7.7 | 13 | 3.8 | 1.00 | IV_T16_9 | 0.90 | tws |
|  |  | 7 | 0.234.4 | $(9,13)$ | - |  | IV_T16_9 | $\begin{aligned} & 0.84 \\ & \text { ext:fold }^{d}= \end{aligned}$ | tws |
|  |  | Total |  |  |  |  |  |  |  |
|  |  | 3 | 16.4 | 5 | 9.6 | 0.99 | III_T16_1 | $0.98$ | $\begin{aligned} & 76.5: 23.5 \\ & \text { clop } \end{aligned}$ |
|  |  | 1 | 16.4 1.5 | $3$ | 0.6 |  | III_T16_1 | $0.92$ | clop |
|  |  | 2 | 0.8 | 4 | 0.2 | $0.80$ | III_T16_1 | $\begin{aligned} & 0.85 \\ & \text { ext:fold }^{d}= \\ & 0.64 \end{aligned}$ | clop <br> 91.4:8.6 <br> open $_{2334 p b r}$ |
|  |  | Total | 18.7 |  |  |  |  |  |  |
|  |  | 4 | 0.5 | $(6,7)$ | 81.0 | - | III_T16_1 |  |  |
| dOT | dOT_MD | $2$ | 87.3 | 4 |  | 1.00 | T16_4 | 1.00 | tws |
|  |  | Total | 87.3 |  |  |  |  | ext:fold ${ }^{\text {d }}=$ | 95.9: 4.1 |
|  |  | 3 | 9.9 | 7 | 4.7 | 0.96 | T16_7 | 0.96 | tws ${ }_{\text {helix_fold }}$ |
|  |  | Total | 9.9 |  |  |  |  | ext:fold ${ }^{\text {d }}=$ | 52.0:48.0 |
|  |  | 1 | 2.9 | 2 | 1.9 | 0.97 | - | - | open $_{\text {var }}$ |
| CT | CT_MD-I | 8 |  | 16 | 20.4 | 1.00 | II_T16_9 |  |  |
|  |  | Total | 36.7 |  |  |  |  | $\text { ext:fold }{ }^{d}=$ | 92.7:7.3 |
|  |  | 4 | 32.1 | 8 | 18.8 | 1.00 | I_T16_8 | 1.00 | clop $_{45 \mathrm{pbr}}$ |
|  |  | Total | 32.1 |  |  |  |  | ext:fold ${ }^{\text {d }}=$ | 88.1:11.9 |
|  |  | 2 | 17.9 | 2 | 10.8 | 1.00 | I_T16_2 | 1.00 | open $_{23 \mathrm{pbr}}$ |
|  |  | 3 | 3.2 | 5 | 2.44 | 0.99 | I_T16_2 | 0.95 | open 23 pbr |
|  |  | Total | 21.1 |  |  |  |  | $\text { ext:fold }{ }^{d}=$ | 95.7:4.3 |
|  |  | 5 | 1.44 | 11 | 1.44 | 1.00 | - |  | int.saddle |
|  |  | 1 | 0.46 | 1 | 0.46 | 1.00 | - | - | open $_{2356 \mathrm{pbr}}$ |
|  | CT_MD-II | 1 | 59.7 | 1 | 20.5 | 1.00 | II_T16_1 | 1.00 | saddle |
|  |  | Total | 59.7 |  |  |  |  | ext:fold ${ }^{\text {d }}=$ | 90.5:9.5 |
|  |  | 4 | 37.1 | 9 | 34.3 | 1.00 | II_T16_9 | 1.00 | open |
|  |  | Total | 37.1 |  |  |  |  |  | 87.7:12.3 |
|  |  | 2 | 1.8 | 5 | 1.1 | 1.00 | - |  | saddle $_{\text {var }}$ (= folded-II) |
|  |  | 3 | 1.5 | 6 | 0.8 | 1.00 | - | - | int.saddle ${ }_{\text {var }}$ |

[^36]
## Mean Angles of Representative Conformations

Table A8.3 Mean angles of DASH states for representative and transient conformations of all peptides investigated §

|  | $\Phi_{i+1}$ | $\Psi_{i+1}$ | $\Phi_{i+2}$ | $\Psi_{i+2}$ | $\Phi_{i+3}$ | $\Psi_{i+3}$ | $\Phi_{i+4}$ | $\Psi_{i+4}$ | $\Phi_{i+5}$ | Representative |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | AVP |  |  |  |  |  |  |  |  |  |
| saddle, tws clop, open | see Table S2 of Supporting Information Paper 2 (Appendix A2) |  |  |  |  |  |  |  |  |  |
| clop $_{45 \text { sbbr }}{ }^{*}$ | -84.3 | -10.9 | -120.7 | 160.1 | -74.1 | 148.6 | 52.8 | 42.3 | -79.6 | MD_23us_T16_18 |
|  | 22.2 | 17.9 | 27.9 | 11.5 | 14.1 | 11.1 | 8.6 | 16.7 | 21.0 | stddev |
| int.saddle* | -68.6 | 163.2 | -72.9 | -0.6 | -125.2 | 146.9 | 26.0 | 63.5 | -105.4 | MD_11us_T10_3 |
|  | 13.4 | 18.3 | 10.4 | 21.2 | 24.0 | 15.8 | 51.5 | 53.8 | 36.4 | stddev |
|  | OT |  |  |  |  |  |  |  |  |  |
| saddle | -94.0 | 146.4 | -62.7 | -16.6 | -90.1 | -5.7 | -121.4 | -23.0 | -130.1 | $\begin{aligned} & \text { MD-I_T16_7 } \\ & \text { stddev } \end{aligned}$ |
|  | 25.5 | 17.2 | 10.1 | 16.1 | 18.5 | 17.2 | 20.5 | 23.5 | 23.6 |  |
| tws | -88.3 | 161.4 | -58.3 | 136.9 | 56.1 | 9.6 | -110.4 | -15.2 | -118.4 | MD-IV_T16_9 |
|  | 30.5 | 16.8 | 20.7 | 20.4 | 8.3 | 25.8 | 30.4 | 40.3 | 28.8 |  |
| twShelix | -87.3 | 137.5 | 44.4 | 32.7 | 55.4 | 25.8 | -84.8 | 17.5 | -110.1 | $\begin{aligned} & \text { MD-IV_T16_18 } \\ & \text { stddev } \end{aligned}$ |
|  | 42.6 | 14.0 | 7.8 | 11.5 | 8.5 | 15.2 | 21.2 | 43.5 | 36.7 |  |
| clop | -95.3 | -19.7 | -106.7 | 157.3 | -67.7 | -22.5 | -100.2 | 67.5 | -108.5 | $\begin{aligned} & \text { MD-III_T16_1 } \\ & \text { stddev } \end{aligned}$ |
|  | 29.7 | 24.4 | 28.8 | 15.0 | 24.5 | 23.7 | 29.8 | 52.9 | 40.1 |  |
| clop $_{45 \text { pbr }}$ | -89.7 | -19.9 | -101.1 | 158.3 | -71.1 | 148.8 | 51.7 | 47.5 | -76.4 | $\begin{aligned} & \text { MD-III_T16_4 } \\ & \text { stddev } \end{aligned}$ |
|  | 26.2 | 17.6 | 28.3 | 11.4 | 25.8 | 20.2 | 8.9 | 17.4 | 23.2 |  |
| open | -104.8 | 128.5 | 48.2 | 19.9 | -138.3 | 149.3 | -77.0 | 121.7 | -130.4 | $\begin{aligned} & \text { MD-II_T16_23 } \\ & \text { stddev } \end{aligned}$ |
|  | 37.6 | 12.8 | 8.1 | 19.0 | 17.7 | 14.5 | 14.8 | 29.4 | 30.7 |  |
| open $_{23 \mathrm{pbr}}$ | -111.3 | -30.2 | -121.3 | -6.9 | -114.4 | 151.3 | -68.5 | 107.7 | -129.9 | $\begin{aligned} & \text { MD-I_T16_17 } \\ & \text { stddev } \end{aligned}$ |
|  | 33.8 | 53.7 | 28.6 | 20.5 | 31.5 | 17.0 | 44.4 | 40.0 | 27.6 |  |
| open $_{2334 \mathrm{pbr}}$ * | -114.2 | -22.9 | -132.7 | 149.3 | 60.1 | 171.4 | -79.5 | 129.8 | -128.5 | $\begin{aligned} & \text { MD-III_T16_3 } \\ & \text { stddev } \end{aligned}$ |
|  | 27.6 | 16.3 | 18.8 | 22.3 | 8.3 | 31.3 | 21.7 | 22.6 | 27.1 |  |
| int.saddle* | -76.0 | 161.6 | -72.0 | -0.2 | -128.5 | 148.6 | 51.6 | 35.0 | -113.6 | $\begin{aligned} & \text { MD-II_T10_9 } \\ & \text { stddev } \end{aligned}$ |
|  | 21.5 | 18.8 | 18.7 | 18.7 | 21.6 | 17.8 | 19.5 | 29.0 | 33.9 |  |
|  | dOT |  |  |  |  |  |  |  |  |  |
| tws | -98.6 | 158.9 | -58.8 | 138.2 | 56.4 | 8.0 | -123.0 | -22.5 | -91.3 | $\begin{aligned} & \text { MD_T16_4 } \\ & \text { stddev } \end{aligned}$ |
|  | 28.5 | 13.7 | 11.3 | 10.6 | 8.0 | 21.0 | 26.1 | 32.5 | 32.8 |  |
| twShelix | -67.7 | 132.7 | 44.0 | 32.1 | 54.7 | 22.9 | -87.2 | 24.1 | -105.9 | $\begin{aligned} & \text { MD_T16_7 } \\ & \text { stddev } \end{aligned}$ |
|  | 27.0 | 12.1 | 7.5 | 10.7 | 8.4 | 13.8 | 21.9 | 40.4 | 37.9 |  |
| open23var* | -131.4 | -19.9 | -138.7 | 60.9 | 55.2 | 27.6 | -115.0 | 25.5 | -84.6 | $\begin{aligned} & \text { MD_T16_2 } \\ & \text { stddev } \end{aligned}$ |
|  | 32.1 | 13.0 | 14.7 | 28.2 | 8.2 | 18.2 | 27.6 | 18.7 | 24.8 |  |
|  | CT |  |  |  |  |  |  |  |  |  |
| saddle | -117.4 | 147.7 | -61.6 | -19.9 | -86.1 | -8.7 | -120.2 | -29.3 | -120.2 | $\begin{aligned} & \text { MD-II_T16_01 } \\ & \text { stddev } \end{aligned}$ |
|  | 30.4 | 13.8 | 10.2 | 16.1 | 17.6 | 16.8 | 20.6 | 18.0 | 29.4 |  |
| clop $_{45 \text { bbr }}$ | -87.4 | -7.8 | -110.4 | 157.4 | -73.7 | 150.3 | 51.4 | 47.0 | -74.3 | $\begin{aligned} & \text { MD-I_T16_8 } \\ & \text { stddev } \end{aligned}$ |
|  | 19.45 | 19.44 | 27.54 | 10.01 | 12.12 | 10.74 | 8.42 | 15.42 | 19.51 |  |
| open | -90.3 | 124.8 | 48.1 | 24.5 | -135.4 | 157.7 | -74.6 | 118.1 | -127.3 | $\begin{aligned} & \text { MD-II_T16_9 } \\ & \text { stddev } \end{aligned}$ |
|  | 37.0 | 15.8 | 8.0 | 17.4 | 18.9 | 15.8 | 20.0 | 35.9 | 34.8 |  |
| open23pbr | -124.3 | -29.2 | -129.7 | -9.8 | -119.2 | 159.1 | -72.8 | 122.8 | -125.5 | $\begin{aligned} & \text { MD-I_T16_2 } \\ & \text { stddev } \end{aligned}$ |
|  | 43.09 | 17.14 | 18.98 | 19.54 | 28.66 | 11.31 | 18.24 | 32.05 | 31.47 |  |
| int.saddle* | -82.0 | 164.3 | -73.3 | -0.4 | -133.3 | 147.6 | 50.4 | 34.4 | -90.0 | $\begin{aligned} & \text { MD-I_T16_11 } \\ & \text { stddev } \end{aligned}$ |
|  | 17.83 | 37.6 | 16.34 | 35.72 | 21.61 | 14.24 | 9.38 | 23.04 | 32.64 |  |
| int.saddlevar* | -104.7 | 129.5 | 48.9 | 19.6 | -122.7 | 27.5 | 53.0 | 42.8 | -95.6 | $\begin{aligned} & \text { MD-II_T16_6 } \\ & \text { stddev } \end{aligned}$ |
|  | 38.7 | 13.1 | 6.7 | 22.7 | 20.5 | 48.9 | 9.3 | 34.4 | 37.3 |  |
| saddlevar ${ }^{*}$ | -60.7 | 129.1 | 49.1 | 10.3 | -120.9 | -33.9 | -142.5 | -29.6 | -115.8 | MD-II_T16_5 |
|  | 21.2 | 15.4 | 8.8 | 31.8 | 20.9 | 21.6 | 23.2 | 19.2 | 33.3 | stddev |
|  | UI |  |  |  |  |  |  |  |  |  |
| folded-I, -IVb2 <br> folded-II,-II <br> inv-folded <br> $\Omega-I,-I I$ <br> lasso, scoop <br> circle | see Table S3 of Supporting Information Paper 3 (Appendix A3) |  |  |  |  |  |  |  |  |  |
|  | URP |  |  |  |  |  |  |  |  |  |
| hybrid, sheet $\Omega-I-I I$ lasso45pbr | see Table S3 of Supporting Information Paper 3 (Appendix A3) |  |  |  |  |  |  |  |  |  |

${ }^{5}$ AVP ( $\mathrm{i}=1$ ), OT ( $\mathrm{i}=1$ ), dOT ( $\mathrm{i}=1$ ), CT ( $\mathrm{i}=1$ ), UII ( $\mathrm{i}=5$ ) and URP ( $\mathrm{i}=2$ )

## Circular Similarity of Representative and Transient＊Conformations

Table A8．4 Circular similarity ${ }^{\S}$ of ring torsions ${ }^{\text {a }}$ of representative and transient conformations of AVP，OT， $\mathrm{COT}, \mathrm{CT}, \mathrm{UII}$ ， and URP ${ }^{\mathrm{b}}$

| Circular <br> Similarity of Ring <br> Torsions |  | AVP |  |  |  |  |  | OT |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | 0 0 0 0 0 | $\underset{y}{n}$ | $\frac{0}{0}$ | $\begin{aligned} & \text { * } \\ & \frac{\grave{a}}{2} \\ & \frac{2}{2} \\ & \frac{0}{U} \end{aligned}$ | $\begin{aligned} & \check{む} \\ & \text { ¿ } \end{aligned}$ |  | $\begin{aligned} & 0 \\ & 0 \\ & 0 \\ & 0 \\ & 0 \end{aligned}$ | $\underset{\sim}{n}$ |  | $\frac{0}{0}$ | $\begin{aligned} & \frac{亠 㐅}{2} \\ & \frac{2}{4} \\ & \frac{2}{6} \end{aligned}$ | $\begin{aligned} & \vdots \\ & \stackrel{\varrho}{0} \end{aligned}$ |  |  | $*$ $\stackrel{*}{0}$ 0 0 0 $\pm$ $\stackrel{1}{E}$ |
| AVP | saddle <br> tws <br> clop <br> clop $_{45 p b r}$＊ <br> open <br> int．saddle＊ | 1.00 | 0.62 | 0.51 | 0.36 | 0.52 | 0.57 | 0.97 | 0.60 | 0.64 | 0.51 | 0.36 | 0.53 | 0.47 | 0.30 | 0.56 |
|  |  | 0.62 | 1.00 | 0.56 | 0.41 | 0.43 | 0.44 | 0.62 | 0.97 | 0.74 | 0.55 | 0.42 | 0.45 | 0.37 | 0.47 | 0.44 |
|  |  | 0.51 | 0.56 | 1.00 | 0.56 | 0.39 | 0.39 | 0.52 | 0.56 | 0.48 | 0.97 | 0.56 | 0.42 | 0.54 | 0.58 | 0.37 |
|  |  | 0.36 | 0.41 | 0.56 | 1.00 | 0.40 | 0.54 | 0.36 | 0.41 | 0.37 | 0.57 | 0.96 | 0.42 | 0.58 | 0.60 | 0.54 |
|  |  | 0.52 | 0.43 | 0.39 | 0.40 | 1.00 | 0.66 | 0.53 | 0.41 | 0.56 | 0.38 | 0.41 | 0.96 | 0.55 | 0.41 | 0.62 |
|  |  | 0.57 | 0.44 | 0.39 | 0.54 | 0.66 | 1.00 | 0.57 | 0.43 | 0.49 | 0.40 | 0.54 | 0.67 | 0.61 | 0.40 | 0.93 |
| OT | saddle <br> tws <br> twS helix | 0.97 | 0.62 | 0.52 | 0.36 | 0.53 | 0.57 | 1.00 | 0.61 | 0.63 | 0.51 | 0.36 | 0.54 | 0.48 | 0.31 | 0.55 |
|  |  | 0.60 | 0.97 | 0.56 | 0.41 | 0.41 | 0.43 | 0.61 | 1.00 | 0.71 | 0.55 | 0.41 | 0.44 | 0.36 | 0.46 | 0.42 |
|  |  | 0.64 | 0.74 | 0.48 | 0.37 | 0.56 | 0.49 | 0.63 | 0.71 | 1.00 | 0.47 | 0.38 | 0.57 | 0.39 | 0.40 | 0.48 |
| clop <br> clop $_{45 \text { pbr }}$ <br> open <br> open $_{23 p b r}$ <br> open $_{2334 \mathrm{pbr}}{ }^{*}$ <br> int．saddle＊ |  | 0.51 | 0.55 | 0.97 | 0.57 | 0.38 | 0.40 | 0.51 | 0.55 | 0.47 | 1.00 | 0.57 | 0.41 | 0.54 | 0.59 | 0.37 |
|  |  | 0.36 | 0.42 | 0.56 | 0.96 | 0.41 | 0.54 | 0.36 | 0.41 | 0.38 | 0.57 | 1.00 | 0.44 | 0.58 | 0.60 | 0.54 |
|  |  | 0.53 | 0.45 | 0.42 | 0.42 | 0.96 | 0.67 | 0.54 | 0.44 | 0.57 | 0.41 | 0.44 | 1.00 | 0.57 | 0.42 | 0.63 |
|  |  | 0.47 | 0.37 | 0.54 | 0.58 | 0.55 | 0.61 | 0.48 | 0.36 | 0.39 | 0.54 | 0.58 | 0.57 | 1.00 | 0.56 | 0.58 |
|  |  | 0.30 | 0.47 | 0.58 | 0.60 | 0.41 | 0.40 | 0.31 | 0.46 | 0.40 | 0.59 | 0.60 | 0.42 | 0.56 | 1.00 | 0.37 |
|  |  | 0.56 | 0.44 | 0.37 | 0.54 | 0.62 | 0.93 | 0.55 | 0.42 | 0.48 | 0.37 | 0.54 | 0.63 | 0.58 | 0.37 | 1.00 |
| dOT | tws <br> twShelix <br> open $_{23 \mathrm{var}}{ }^{*}$ | 0.60 | 0.93 | 0.55 | 0.40 | 0.40 | 0.41 | 0.60 | 0.94 | 0.70 | 0.55 | 0.40 | 0.42 | 0.35 | 0.44 | 0.40 |
|  |  | 0.63 | 0.73 | 0.48 | 0.37 | 0.55 | 0.49 | 0.63 | 0.71 | 0.96 | 0.47 | 0.38 | 0.56 | 0.39 | 0.40 | 0.47 |
|  |  | 0.52 | 0.59 | 0.67 | 0.50 | 0.38 | 0.38 | 0.52 | 0.59 | 0.55 | 0.67 | 0.51 | 0.39 | 0.55 | 0.62 | 0.37 |
| CT | saddle <br> clop $_{45 \text { pbr }}$ <br> open <br> open 23 pbr <br> int．saddle＊ <br> int．saddle ${ }_{\text {var }}$＊ <br> saddle $_{\text {var }}$＊ | 0.93 | 0.61 | 0.51 | 0.35 | 0.52 | 0.55 | 0.95 | 0.60 | 0.63 | 0.50 | 0.35 | 0.52 | 0.47 | 0.30 | 0.54 |
|  |  | 0.37 | 0.42 | 0.56 | 0.98 | 0.42 | 0.55 | 0.36 | 0.42 | 0.38 | 0.57 | 0.97 | 0.44 | 0.58 | 0.60 | 0.55 |
|  |  | 0.52 | 0.45 | 0.42 | 0.44 | 0.94 | 0.68 | 0.53 | 0.43 | 0.56 | 0.41 | 0.45 | 0.97 | 0.57 | 0.42 | 0.63 |
|  |  | 0.45 | 0.35 | 0.52 | 0.56 | 0.55 | 0.59 | 0.45 | 0.33 | 0.36 | 0.52 | 0.56 | 0.56 | 0.96 | 0.56 | 0.55 |
|  |  | 0.55 | 0.44 | 0.36 | 0.54 | 0.61 | 0.92 | 0.55 | 0.43 | 0.48 | 0.37 | 0.54 | 0.62 | 0.58 | 0.38 | 0.96 |
|  |  | 0.58 | 0.47 | 0.43 | 0.46 | 0.63 | 0.66 | 0.58 | 0.45 | 0.58 | 0.43 | 0.47 | 0.63 | 0.44 | 0.28 | 0.67 |
|  |  | 0.76 | 0.55 | 0.47 | 0.31 | 0.54 | 0.46 | 0.76 | 0.53 | 0.62 | 0.47 | 0.32 | 0.54 | 0.38 | 0.25 | 0.48 |
| UII | ```folded-I folded-IVb2 folded-II folded-III inv-folded \Omega-Iopen \Omega-Inbond \Omega-II lasso scoop circle``` | 0.93 | 0.62 | 0.53 | 0.36 | 0.52 | 0.54 | 0.94 | 0.61 | 0.65 | 0.53 | 0.35 | 0.53 | 0.48 | 0.33 | 0.52 |
|  |  | 0.62 | 0.95 | 0.55 | 0.43 | 0.42 | 0.45 | 0.62 | 0.94 | 0.73 | 0.55 | 0.43 | 0.44 | 0.36 | 0.45 | 0.44 |
|  |  | 0.75 | 0.54 | 0.46 | 0.32 | 0.57 | 0.47 | 0.75 | 0.53 | 0.63 | 0.45 | 0.33 | 0.57 | 0.39 | 0.27 | 0.50 |
|  |  | 0.58 | 0.43 | 0.49 | 0.32 | 0.47 | 0.42 | 0.57 | 0.42 | 0.53 | 0.49 | 0.34 | 0.49 | 0.41 | 0.29 | 0.39 |
|  |  | 0.43 | 0.31 | 0.42 | 0.50 | 0.36 | 0.50 | 0.43 | 0.30 | 0.37 | 0.44 | 0.51 | 0.38 | 0.49 | 0.28 | 0.49 |
|  |  | 0.47 | 0.51 | 0.88 | 0.51 | 0.37 | 0.35 | 0.46 | 0.51 | 0.42 | 0.86 | 0.51 | 0.40 | 0.51 | 0.60 | 0.32 |
|  |  | 0.57 | 0.62 | 0.83 | 0.57 | 0.38 | 0.41 | 0.57 | 0.63 | 0.51 | 0.84 | 0.57 | 0.40 | 0.50 | 0.52 | 0.40 |
|  |  | 0.36 | 0.41 | 0.55 | 0.96 | 0.40 | 0.53 | 0.36 | 0.41 | 0.37 | 0.56 | 0.95 | 0.43 | 0.58 | 0.60 | 0.54 |
|  |  | 0.45 | 0.35 | 0.52 | 0.56 | 0.55 | 0.60 | 0.45 | 0.34 | 0.37 | 0.51 | 0.56 | 0.57 | 0.92 | 0.56 | 0.56 |
|  |  | 0.47 | 0.54 | 0.60 | 0.39 | 0.39 | 0.41 | 0.47 | 0.53 | 0.52 | 0.60 | 0.40 | 0.41 | 0.54 | 0.56 | 0.38 |
|  |  | 0.50 | 0.34 | 0.62 | 0.41 | 0.46 | 0.40 | 0.51 | 0.33 | 0.36 | 0.61 | 0.40 | 0.45 | 0.65 | 0.47 | 0.39 |
| URP | hybrid | 0.59 | 0.91 | 0.59 | 0.40 | 0.39 | 0.40 | 0.59 | 0.92 | 0.69 | 0.59 | 0.40 | 0.41 | 0.33 | 0.48 | 0.39 |
|  | sheet | 0.52 | 0.70 | 0.62 | 0.39 | 0.45 | 0.41 | 0.53 | 0.69 | 0.62 | 0.61 | 0.41 | 0.47 | 0.45 | 0.55 | 0.39 |
|  | $\Omega$－Inbond | 0.57 | 0.62 | 0.83 | 0.57 | 0.37 | 0.41 | 0.57 | 0.63 | 0.51 | 0.84 | 0.57 | 0.40 | 0.50 | 0.53 | 0.40 |
|  | $\Omega$－Iopen | 0.46 | 0.51 | 0.88 | 0.50 | 0.37 | 0.35 | 0.47 | 0.51 | 0.42 | 0.86 | 0.50 | 0.40 | 0.51 | 0.61 | 0.32 |
|  | $\Omega-11$ | 0.36 | 0.42 | 0.54 | 0.95 | 0.40 | 0.54 | 0.37 | 0.41 | 0.37 | 0.55 | 0.94 | 0.42 | 0.56 | 0.59 | 0.55 |
|  | lasso $_{45 p b r}$ | 0.34 | 0.45 | 0.62 | 0.60 | 0.41 | 0.40 | 0.35 | 0.45 | 0.40 | 0.63 | 0.60 | 0.43 | 0.58 | 0.94 | 0.37 |

${ }^{5}$ Similarities $>0.65$ are highlighted in green，$>0.90$ in red．Transient states are marked with＊．${ }^{a} \Phi \Psi^{i+1}$ to i＋4 and $\Phi i+5$ ．
${ }^{\mathrm{b}}$ AVP（ $\mathrm{i}=1$ ），OT $(\mathrm{i}=1)$ ，dOT（ $\mathrm{i}=1$ ），CT（ $\mathrm{i}=1$ ），UII（ $\mathrm{i}=5$ ）and URP（ $\mathrm{i}=2$ ）．Abbreviations：int．saddle＝hybrid of open an saddle， open $_{23 \text { var }}{ }^{*}=$ scoop－like hybrid of open $_{23 \text { bbr }}$ and cl．open，saddle ${ }_{\text {var }}=$ folded－II，int．saddle ${ }_{\text {var }}=$ hybrid of int．saddle and saddle ${ }_{\text {var }}$ ．

Table A8.4 continued

| Circular <br> Similarity of Ring Torsions |  | dOT |  |  | UII |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | さ̌ |  |  | $\begin{aligned} & \frac{1}{0} \\ & \frac{0}{0} \end{aligned}$ | $\begin{aligned} & N \\ & \frac{N}{1} \\ & \frac{1}{0} \\ & \frac{0}{0} \end{aligned}$ | $\begin{aligned} & \text { y } \\ & \frac{0}{0} \\ & \frac{0}{0} \end{aligned}$ | $\begin{aligned} & \equiv \stackrel{1}{0} \\ & \frac{0}{0} \\ & \frac{0}{0} \end{aligned}$ |  | $\frac{\stackrel{\Sigma}{c}}{\dot{c}}$ |  | $\stackrel{\text { ci }}{\text { c }}$ | Ô | \% | $\stackrel{0}{0}$ |
| AVP | saddle <br> tws <br> clop <br> clop $_{45 p b r}{ }^{*}$ <br> open <br> int.saddle* | 0.60 | 0.63 | 0.52 | 0.93 | 0.62 | 0.75 | 0.58 | 0.43 | 0.47 | 0.57 | 0.36 | 0.45 | 0.47 | 0.50 |
|  |  | 0.93 | 0.73 | 0.59 | 0.62 | 0.95 | 0.54 | 0.43 | 0.31 | 0.51 | 0.62 | 0.41 | 0.35 | 0.54 | 0.34 |
|  |  | 0.55 | 0.48 | 0.67 | 0.53 | 0.55 | 0.46 | 0.49 | 0.42 | 0.88 | 0.83 | 0.55 | 0.52 | 0.60 | 0.62 |
|  |  | 0.40 | 0.37 | 0.50 | 0.36 | 0.43 | 0.32 | 0.32 | 0.50 | 0.51 | 0.57 | 0.96 | 0.56 | 0.39 | 0.41 |
|  |  | 0.40 | 0.55 | 0.38 | 0.52 | 0.42 | 0.57 | 0.47 | 0.36 | 0.37 | 0.38 | 0.40 | 0.55 | 0.39 | 0.46 |
|  |  | 0.41 | 0.49 | 0.38 | 0.54 | 0.45 | 0.47 | 0.42 | 0.50 | 0.35 | 0.41 | 0.53 | 0.60 | 0.41 | 0.40 |
| OT | saddle <br> tws <br> twShelix <br> clop <br> clop45pbr <br> open <br> open ${ }_{23 p b r}$ <br> open $_{2334 \text { pbr }}{ }^{*}$ <br> int.saddle* | 0.60 | 0.63 | 0.52 | 0.94 | 0.62 | 0.75 | 0.57 | 0.43 | 0.46 | 0.57 | 0.36 | 0.45 | 0.47 | 0.51 |
|  |  | 0.94 | 0.71 | 0.59 | 0.61 | 0.94 | 0.53 | 0.42 | 0.30 | 0.51 | 0.63 | 0.41 | 0.34 | 0.53 | 0.33 |
|  |  | 0.70 | 0.96 | 0.55 | 0.65 | 0.73 | 0.63 | 0.53 | 0.37 | 0.42 | 0.51 | 0.37 | 0.37 | 0.52 | 0.36 |
|  |  | 0.55 | 0.47 | 0.67 | 0.53 | 0.55 | 0.45 | 0.49 | 0.44 | 0.86 | 0.84 | 0.56 | 0.51 | 0.60 | 0.61 |
|  |  | 0.40 | 0.38 | 0.51 | 0.35 | 0.43 | 0.33 | 0.34 | 0.51 | 0.51 | 0.57 | 0.95 | 0.56 | 0.40 | 0.40 |
|  |  | 0.42 | 0.56 | 0.39 | 0.53 | 0.44 | 0.57 | 0.49 | 0.38 | 0.40 | 0.40 | 0.43 | 0.57 | 0.41 | 0.45 |
|  |  | 0.35 | 0.39 | 0.55 | 0.48 | 0.36 | 0.39 | 0.41 | 0.49 | 0.51 | 0.50 | 0.58 | 0.92 | 0.54 | 0.65 |
|  |  | 0.44 | 0.40 | 0.62 | 0.33 | 0.45 | 0.27 | 0.29 | 0.28 | 0.60 | 0.52 | 0.60 | 0.56 | 0.56 | 0.47 |
|  |  | 0.40 | 0.47 | 0.37 | 0.52 | 0.44 | 0.50 | 0.39 | 0.49 | 0.32 | 0.40 | 0.54 | 0.56 | 0.38 | 0.39 |
| dOT | tws <br> twShelix open $_{23 \text { var }}$ * | 1.00 | 0.70 | 0.60 | 0.61 | 0.91 | 0.53 | 0.42 | 0.30 | 0.50 | 0.63 | 0.40 | 0.32 | 0.51 | 0.32 |
|  |  | 0.70 | 1.00 | 0.54 | 0.65 | 0.73 | 0.63 | 0.55 | 0.37 | 0.43 | 0.51 | 0.37 | 0.38 | 0.53 | 0.36 |
|  |  | 0.60 | 0.54 | 1.00 | 0.54 | 0.58 | 0.42 | 0.42 | 0.43 | 0.61 | 0.68 | 0.50 | 0.52 | 0.72 | 0.53 |
| CT | saddle <br> clop ${ }_{45 p b r}$ <br> open <br> open $_{23 \text { pbr }}$ <br> int.saddle* <br> int.saddle var $^{*}$ * <br> saddle ${ }_{\text {var }}{ }^{*}$ | 0.60 | 0.63 | 0.53 | 0.95 | 0.61 | 0.73 | 0.54 | 0.42 | 0.46 | 0.57 | 0.35 | 0.44 | 0.46 | 0.51 |
|  |  | 0.41 | 0.38 | 0.51 | 0.36 | 0.43 | 0.33 | 0.33 | 0.51 | 0.51 | 0.57 | 0.95 | 0.56 | 0.39 | 0.41 |
|  |  | 0.42 | 0.56 | 0.38 | 0.52 | 0.44 | 0.59 | 0.50 | 0.37 | 0.40 | 0.40 | 0.44 | 0.57 | 0.41 | 0.45 |
|  |  | 0.32 | 0.36 | 0.53 | 0.45 | 0.33 | 0.38 | 0.38 | 0.46 | 0.51 | 0.48 | 0.55 | 0.91 | 0.53 | 0.67 |
|  |  | 0.41 | 0.48 | 0.38 | 0.52 | 0.45 | 0.49 | 0.39 | 0.52 | 0.32 | 0.40 | 0.54 | 0.56 | 0.38 | 0.38 |
|  |  | 0.43 | 0.57 | 0.37 | 0.57 | 0.47 | 0.65 | 0.52 | 0.54 | 0.38 | 0.46 | 0.46 | 0.43 | 0.37 | 0.40 |
|  |  | 0.53 | 0.63 | 0.42 | 0.75 | 0.55 | 0.96 | 0.70 | 0.42 | 0.42 | 0.51 | 0.33 | 0.38 | 0.41 | 0.43 |
| UII | folded-I <br> folded-IVb2 <br> folded-II <br> folded-III <br> inv-folded <br> $\Omega$-Iopen <br> $\Omega-I_{\text {hbond }}$ <br> $\Omega$-II <br> lasso <br> scoop <br> circle | 0.61 | 0.65 | 0.54 | 1.00 | 0.61 | 0.75 | 0.56 | 0.43 | 0.50 | 0.58 | 0.36 | 0.45 | 0.49 | 0.53 |
|  |  | 0.91 | 0.73 | 0.58 | 0.61 | 1.00 | 0.54 | 0.44 | 0.32 | 0.49 | 0.62 | 0.43 | 0.34 | 0.52 | 0.31 |
|  |  | 0.53 | 0.63 | 0.42 | 0.75 | 0.54 | 1.00 | 0.68 | 0.41 | 0.41 | 0.50 | 0.33 | 0.38 | 0.40 | 0.45 |
|  |  | 0.42 | 0.55 | 0.42 | 0.56 | 0.44 | 0.68 | 1.00 | 0.47 | 0.45 | 0.46 | 0.33 | 0.42 | 0.49 | 0.48 |
|  |  | 0.30 | 0.37 | 0.43 | 0.43 | 0.32 | 0.41 | 0.47 | 1.00 | 0.38 | 0.42 | 0.49 | 0.47 | 0.41 | 0.46 |
|  |  | 0.50 | 0.43 | 0.61 | 0.50 | 0.49 | 0.41 | 0.45 | 0.38 | 1.00 | 0.72 | 0.51 | 0.51 | 0.60 | 0.66 |
|  |  | 0.63 | 0.51 | 0.68 | 0.58 | 0.62 | 0.50 | 0.46 | 0.42 | 0.72 | 1.00 | 0.56 | 0.46 | 0.53 | 0.54 |
|  |  | 0.40 | 0.37 | 0.50 | 0.36 | 0.43 | 0.33 | 0.33 | 0.49 | 0.51 | 0.56 | 1.00 | 0.55 | 0.38 | 0.41 |
|  |  | 0.32 | 0.38 | 0.52 | 0.45 | 0.34 | 0.38 | 0.42 | 0.47 | 0.51 | 0.46 | 0.55 | 1.00 | 0.54 | 0.65 |
|  |  | 0.51 | 0.53 | 0.72 | 0.49 | 0.52 | 0.40 | 0.49 | 0.41 | 0.60 | 0.53 | 0.38 | 0.54 | 1.00 | 0.65 |
|  |  | 0.32 | 0.36 | 0.53 | 0.53 | 0.31 | 0.45 | 0.48 | 0.46 | 0.66 | 0.54 | 0.41 | 0.65 | 0.65 | 1.00 |
| URP | hybrid <br> sheet <br> $\Omega-I_{\text {boond }}$ <br> $\Omega$-Iopen <br> $\Omega$-II <br> lasso45pbr | 0.91 | 0.68 | 0.61 | 0.60 | 0.89 | 0.52 | 0.42 | 0.29 | 0.54 | 0.65 | 0.40 | 0.31 | 0.53 | 0.36 |
|  |  | 0.67 | 0.62 | 0.63 | 0.55 | 0.66 | 0.45 | 0.34 | 0.32 | 0.62 | 0.52 | 0.40 | 0.44 | 0.71 | 0.51 |
|  |  | 0.62 | 0.51 | 0.68 | 0.58 | 0.62 | 0.49 | 0.46 | 0.42 | 0.72 | 0.99 | 0.56 | 0.46 | 0.53 | 0.54 |
|  |  | 0.50 | 0.43 | 0.62 | 0.50 | 0.49 | 0.40 | 0.42 | 0.37 | 0.95 | 0.73 | 0.50 | 0.50 | 0.59 | 0.67 |
|  |  | 0.42 | 0.37 | 0.51 | 0.38 | 0.43 | 0.33 | 0.31 | 0.50 | 0.53 | 0.56 | 0.93 | 0.54 | 0.39 | 0.42 |
|  |  | 0.44 | 0.40 | 0.60 | 0.37 | 0.44 | 0.31 | 0.31 | 0.28 | 0.63 | 0.56 | 0.59 | 0.57 | 0.60 | 0.48 |

Table A8.4 continued

|  | Circular <br> Similarity of Ring <br> Torsions | CT |  |  |  |  |  |  | URP |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | $\begin{aligned} & 0 \\ & 0 \\ & 0 \\ & 0 \\ & 0 \end{aligned}$ | $\begin{aligned} & \frac{2}{2} \\ & \frac{2}{2} \\ & \frac{0}{6} \end{aligned}$ | $\begin{aligned} & \check{む} \\ & \stackrel{0}{0} \end{aligned}$ |  | $\begin{aligned} & * \\ & \stackrel{\rightharpoonup}{0} \\ & \stackrel{0}{0} \\ & 0 \\ & \vdots \\ & \stackrel{y}{E} \end{aligned}$ | $\begin{array}{r}* \\ \\ \\ 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ \hline\end{array}$ |  | - | \# | cic | $\frac{\text { ¢ }}{\text { ¢ }}$ | $\stackrel{\stackrel{\rightharpoonup}{1}}{\text { ( }}$ |  |
| AVP | saddle <br> tws <br> clop <br> clop $_{45 p b r}{ }^{*}$ <br> open <br> int.saddle* | 0.93 | 0.37 | 0.52 | 0.45 | 0.55 | 0.58 | 0.76 | 0.59 | 0.52 | 0.57 | 0.46 | 0.36 | 0.34 |
|  |  | 0.61 | 0.42 | 0.45 | 0.35 | 0.44 | 0.47 | 0.55 | 0.91 | 0.70 | 0.62 | 0.51 | 0.42 | 0.45 |
|  |  | 0.51 | 0.56 | 0.42 | 0.52 | 0.36 | 0.43 | 0.47 | 0.59 | 0.62 | 0.83 | 0.88 | 0.54 | 0.62 |
|  |  | 0.35 | 0.98 | 0.44 | 0.56 | 0.54 | 0.46 | 0.31 | 0.40 | 0.39 | 0.57 | 0.50 | 0.95 | 0.60 |
|  |  | 0.52 | 0.42 | 0.94 | 0.55 | 0.61 | 0.63 | 0.54 | 0.39 | 0.45 | 0.37 | 0.37 | 0.40 | 0.41 |
|  |  | 0.55 | 0.55 | 0.68 | 0.59 | 0.92 | 0.66 | 0.46 | 0.40 | 0.41 | 0.41 | 0.35 | 0.54 | 0.40 |
| OT | saddle <br> tws <br> twShelix <br> clop <br> clop45pbr <br> open <br> open ${ }_{23 p b r}$ <br> open $_{2334 p b r}{ }^{*}$ <br> int.saddle* | 0.95 | 0.36 | 0.53 | 0.45 | 0.55 | 0.58 | 0.76 | 0.59 | 0.53 | 0.57 | 0.47 | 0.37 | 0.35 |
|  |  | 0.60 | 0.42 | 0.43 | 0.33 | 0.43 | 0.45 | 0.53 | 0.92 | 0.69 | 0.63 | 0.51 | 0.41 | 0.45 |
|  |  | 0.63 | 0.38 | 0.56 | 0.36 | 0.48 | 0.58 | 0.62 | 0.69 | 0.62 | 0.51 | 0.42 | 0.37 | 0.40 |
|  |  | 0.50 | 0.57 | 0.41 | 0.52 | 0.37 | 0.43 | 0.47 | 0.59 | 0.61 | 0.84 | 0.86 | 0.55 | 0.63 |
|  |  | 0.35 | 0.97 | 0.45 | 0.56 | 0.54 | 0.47 | 0.32 | 0.40 | 0.41 | 0.57 | 0.50 | 0.94 | 0.60 |
|  |  | 0.52 | 0.44 | 0.97 | 0.56 | 0.62 | 0.63 | 0.54 | 0.41 | 0.47 | 0.40 | 0.40 | 0.42 | 0.43 |
|  |  | 0.47 | 0.58 | 0.57 | 0.96 | 0.58 | 0.44 | 0.38 | 0.33 | 0.45 | 0.50 | 0.51 | 0.56 | 0.58 |
|  |  | 0.30 | 0.60 | 0.42 | 0.56 | 0.38 | 0.28 | 0.25 | 0.48 | 0.55 | 0.53 | 0.61 | 0.59 | 0.94 |
|  |  | 0.54 | 0.55 | 0.63 | 0.55 | 0.96 | 0.67 | 0.48 | 0.39 | 0.39 | 0.40 | 0.32 | 0.55 | 0.37 |
| dOT | tws | 0.60 | 0.41 | 0.42 | 0.32 | 0.41 | 0.43 | 0.53 | 0.91 | 0.67 | 0.62 | 0.50 | 0.42 | 0.44 |
|  | twShelix | 0.63 | 0.38 | 0.56 | 0.36 | 0.48 | 0.57 | 0.63 | 0.68 | 0.62 | 0.51 | 0.43 | 0.37 | 0.40 |
|  | $\text { open }_{23 v a r}{ }^{*}$ |  | 0.51 | 0.38 | 0.53 | 0.38 | 0.37 | 0.42 | 0.61 | 0.63 | 0.68 | 0.62 | 0.51 | 0.60 |
| CT | saddle <br> clop45pbr <br> open <br> open $_{23 p b r}$ <br> int.saddle* <br> int.saddle var $^{*}$ <br> saddle ${ }_{\text {var }}{ }^{*}$ | 1.00 | 0.36 | 0.51 | 0.44 | 0.54 | 0.58 | 0.75 | 0.59 | 0.53 | 0.57 | 0.46 | 0.36 | 0.34 |
|  |  | 0.36 | 1.00 | 0.45 | 0.56 | 0.55 | 0.47 | 0.32 | 0.40 | 0.39 | 0.56 | 0.50 | 0.95 | 0.60 |
|  |  | 0.51 | 0.45 | 1.00 | 0.56 | 0.63 | 0.63 | 0.56 | 0.41 | 0.45 | 0.40 | 0.40 | 0.43 | 0.43 |
|  |  | 0.44 | 0.56 | 0.56 | 1.00 | 0.56 | 0.42 | 0.37 | 0.31 | 0.44 | 0.47 | 0.51 | 0.54 | 0.57 |
|  |  | 0.54 | 0.55 | 0.63 | 0.56 | 1.00 | 0.67 | 0.47 | 0.40 | 0.39 | 0.40 | 0.31 | 0.55 | 0.37 |
|  |  | 0.58 | 0.47 | 0.63 | 0.42 | 0.67 | 1.00 | 0.64 | 0.43 | 0.42 | 0.45 | 0.37 | 0.47 | 0.28 |
|  |  | 0.75 | 0.32 | 0.56 | 0.37 | 0.47 | 0.64 | 1.00 | 0.52 | 0.44 | 0.51 | 0.40 | 0.33 | 0.29 |
| UII | folded-I <br> folded-IVb2 <br> folded-II <br> folded-III <br> inv-folded <br> $\Omega$-Iopen <br> $\Omega-I_{\text {hbond }}$ <br> $\Omega$-II <br> lasso <br> scoop <br> circle | 0.95 | 0.36 | 0.52 | 0.45 | 0.52 | 0.57 | 0.75 | 0.60 | 0.55 | 0.58 | 0.50 | 0.38 | 0.37 |
|  |  | 0.61 | 0.43 | 0.44 | 0.33 | 0.45 | 0.47 | 0.55 | 0.89 | 0.66 | 0.62 | 0.49 | 0.43 | 0.44 |
|  |  | 0.73 | 0.33 | 0.59 | 0.38 | 0.49 | 0.65 | 0.96 | 0.52 | 0.45 | 0.49 | 0.40 | 0.33 | 0.31 |
|  |  | 0.54 | 0.33 | 0.50 | 0.38 | 0.39 | 0.52 | 0.70 | 0.42 | 0.34 | 0.46 | 0.42 | 0.31 | 0.31 |
|  |  | 0.42 | 0.51 | 0.37 | 0.46 | 0.52 | 0.54 | 0.42 | 0.29 | 0.32 | 0.42 | 0.37 | 0.50 | 0.28 |
|  |  | 0.46 | 0.51 | 0.40 | 0.51 | 0.32 | 0.38 | 0.42 | 0.54 | 0.62 | 0.72 | 0.95 | 0.53 | 0.63 |
|  |  | 0.57 | 0.57 | 0.40 | 0.48 | 0.40 | 0.46 | 0.51 | 0.65 | 0.52 | 0.99 | 0.73 | 0.56 | 0.56 |
|  |  | 0.35 | 0.95 | 0.44 | 0.55 | 0.54 | 0.46 | 0.33 | 0.40 | 0.40 | 0.56 | 0.50 | 0.93 | 0.59 |
|  |  | 0.44 | 0.56 | 0.57 | 0.91 | 0.56 | 0.43 | 0.38 | 0.31 | 0.44 | 0.46 | 0.50 | 0.54 | 0.57 |
|  |  | 0.46 | 0.39 | 0.41 | 0.53 | 0.38 | 0.37 | 0.41 | 0.53 | 0.71 | 0.53 | 0.59 | 0.39 | 0.60 |
|  |  | 0.51 | 0.41 | 0.45 | 0.67 | 0.38 | 0.40 | 0.43 | 0.36 | 0.51 | 0.54 | 0.67 | 0.42 | 0.48 |
| URP | hybrid | 0.59 | 0.40 | 0.41 | 0.31 | 0.40 | 0.43 | 0.52 | 1.00 | 0.71 | 0.65 | 0.55 | 0.40 | 0.52 |
|  |  | 0.53 | 0.39 | 0.45 | 0.44 | 0.39 | 0.42 | 0.44 | 0.71 | 1.00 | 0.52 | 0.63 | 0.41 | 0.58 |
|  | $\Omega$-I $I_{\text {hbond }}$ | 0.57 | 0.56 | 0.40 | 0.47 | 0.40 | 0.45 | 0.51 | 0.65 | 0.52 | 1.00 | 0.73 | 0.56 | 0.56 |
|  | $\Omega$-Iopen | 0.46 | 0.50 | 0.40 | 0.51 | 0.31 | 0.37 | 0.40 | 0.55 | 0.63 | 0.73 | 1.00 | 0.53 | 0.64 |
|  | S-II | 0.36 | 0.95 | 0.43 | 0.54 | 0.55 | 0.47 | 0.33 | 0.40 | 0.41 | 0.56 | 0.53 | 1.00 | 0.59 |
|  | lasso45pbr | 0.34 | 0.60 | 0.43 | 0.57 | 0.37 | 0.28 | 0.29 | 0.52 | 0.58 | 0.56 | 0.64 | 0.59 | 1.00 |

## Coordinate Files

Coordinate files of representative and several transient conformations as discussed in the main text (*).

## OT, saddle (FOLDED)

## OT_MD-I_15us_T16_7

ATOMM $1 \overline{\mathrm{~N}}$ CYX $\overline{1} \quad-17 . \overline{7} 63-7.98913 .5060 .000 .00$ $\begin{array}{lllll}\text { ATOM } & 1 \text { N CYX } & 1 & -1.763 & -7.989 \\ 2 & \text { H1 CYX } & 1 & -17.506 & 0.00 \\ \text { ATOM } & -8.951 & 13.627 & 0.00 & 0.00\end{array}$ ATOM 3 H2 CYX 1 ATOM 4 H3 CYX 1 ATOM 5 CA CYX 1 -16.556-7.260 13.2620 .000 .00 ATOM 6 HA CYX 1 -16.879 -6.22513 .1480 .000 .00 ATOM 7 CB CYX 1 - $15.737-7.31414 .4530 .000 .00$ ATOM 8 HB2CYX 1 -16345-7.290 15.3580 .000 .00 ATOM 9 HB3CYX 1 - $15.199-8.26014 .4970 .000 .00$ ATOM 10 SG CYX $11-14.584-5.90014 .6960 .000 .00$
 ATOM 12 O CYX $11-15.963-8.58211 .4460 .000 .00$ ATOM 13 N TYR 2 -15.203 -6.449 11.4080 .000 .00 ATOM 14 H TYR 2 -15.018-5.551 11.832 0.000 .00 ATOM 15 CA TYR 2 -14.419-6.591 10.216 0.000 .00 ATOM 16 HA TYR $2-14.923-7.2379 .4980 .000 .00$ ATOM 17 CB TYR $2-14.576-5.2559 .4680 .000 .00$ ATOM 18 HB2 TYR 2 -15.642 -5.099 9.3040 .000 .00 ATOM 19 HB3 TYR 2 2 $-14.186-4.47510 .1230 .000 .00$
 ATOM 21 CD1TYR $2-14.449-5.9697 .0180 .000 .00$ ATOM 22 HD1 TYR 2 -15.457-6.341 7.1220 .000 .00 ATOM 23 CE1TYR 2 -13.778 -6.114 5.7820 .000 .00 ATOM 24 HE1 TYR $2-14.286-6.6124 .9690 .000 .00$ ATOM 25 CZ TYR 2 -12.539 -5.418 5.6110 .000000 ATOM 26 OH TYR 2 -11.816-5.666 4.5040 .000 .00 ATOM 27 HH TYR 2 -12.268 $-6.250 \quad 3.8910 .000 .00$ ATOM 28 CE2 TYR $22-11.973-4.6296 .6230 .000 .00$ ATOM 29 HE2 TYR 2 - $-11.076-4.0606 .4290 .000 .00$ ATOM 30 CD2 TYR $22-12.633-4.6017 .8880 .000 .00$ ATOM 31 HD2 TYR $2-12.184-4.0288 .6860 .000 .00$ ATOM 32 C TYR 2 -12.923-6.962 10.2650 .000 .00 ATOM 33 O TYR 2 -12.236-6.539 11.182 0.00 0.00 ATOM 34 N ILE 3 -12.386 -7.642 9.2530 .000 .00 ATOM 35 H ILE $3-13.003-8.0038 .5400 .000 .00$ ATOM 36 CA ILE $\quad 3 \quad-11.096-8.357 \quad 9.2840 .000 .00$ ATOM 37 HA ILE $3-11.134-9.01410 .1530 .000 .00$ ATOM 38 CB ILE 3 3 $-10.924-9.238 \quad 8.0510 .000 .00$ ATOM 39 HB ILE $3-10.028-9.8198 .2680 .000 .00$ ATOM 40 CG2ILE 3 -12.060-10.267 8.1320 .000 .00 ATOM 41HG21ILE 3 -13.041-9.871 7.8670 .000 .00 ATOM 42 HG22ILE $3-11.945-11.0447 .3760 .000 .00$ ATOM 43 HG23ILE 3 -11.976-10.788 9.0860 .000 .00 ATOM 44 CG1ILE $3 \quad-10.729-8.5226 .7310 .000 .00$ ATOM 45 HG 12 ILE $\quad 3 \quad-11.679-8.042 \quad 6.4950 .000 .00$ ATOM 46 HG13ILE 3 -9.948-7.770 6.8420 .000 .00 ATOM 47 CD1 ILE $\quad 3 \quad-10.483-9.2895 .4250 .00 \quad 0.00$

ATOM 48HD11ILE $3-10.730-8.5624 .6520 .000 .00$ ATOM 49 HD12ILE 3 -9.442-9.590 5.3030 .000 .00 ATOM 50HD13ILE $3-11.127-10.1625 .3150 .000 .00$ ATOM 51 C ILE 3 -9.879-7.420 9.4910 .000 .00 ATOM 52 O ILE $3-8.887-7.89310 .1050 .000 .00$ ATOM 53 N GLN 4 -9.952-6.140 9.1010 .000 .00 ATOM 54 H GLN 4 -10.750 -5.763 8.6090 .000 .00 ATOM 55 CA GLN $4 \quad-8.830-5.199 \quad 9.4270 .000 .00$ ATOM 56 HA GLN 4 ATOM 57 CB GLN $4 \quad-8.485-4.2808 .3770 .000 .00$
 ATOM 59 RBB GLN 4 60 CG GN $4=8.070=5.0197 .0680 .000 .00$ TOM 61 HG2 GL 4 4 $-7.410-5.8337 .3670 .000 .00$ M 62 HG3 6 LN 4 $-7.396-4.1836 .0500 .000 .00$ $-7.062-3.0216 .2470 .00000$ $7.245-4.7434 .901000000$ TOM 65 NE2 GLN ATOM 66 HE21GLN 4 -6.786 -4.224 4.1660 .000 .00 ATOM 67 HE22 GLN 4 -7.611-5.680 4.8160 .000 .00 ATOM 68 C GLN $-9.072-4.52510 .7830 .000 .00$ ATOM 690 GLN 4 -8.230-3.717 11.2360 .000 .00 ATOM 70 N ASN 5 -10.121 -4.828 11.5160 .000 .00 ATOM 71 H ASN $5-0.777-5.54311 .2390 .000 .00$ ATOM 72 CA ASN $5-10423-4.29312 .8430 .000 .00$ ATOM 73 HA ASN 5 -9.674 -3.538 13.0820 .000 .00 ATOM 74 CB ASN $5 \quad-11.765-3.45312 .8130 .000 .00$ ATOM 75 HB2 ASN 5 -11.851 -2.85311 .9080 .000 .00 ATOM 76 HB3 ASN 5 $5-12.580-4.13112 .5620 .000 .00$ ATOM 77 CG ASN 5 $5-12.008-2.64114 .0570 .000 .00$ ATOM 78 OD1ASN 5 -13.080 -2.794 14.6240 .000 .00 ATOM 79 ND2 ASN 5 -11.068 -1.944 14.6400 .000 .00 ATOM 80HD21ASN 5 -11.322-1.592 15.5530 .000 .00 ATOM 81HD22 ASN 5 -10.238-1.750 14.0990 .000 .00 ATOM 82 C ASN 5 -10.422-5.347 13.9880 .000 .00 ATOM 83 O ASN 5 -9.934-5.077 15.0970 .000 .00 ATOM 84 N CYX 6 6 $-10.795-6.56513 .6630 .000 .00$ ATOM 85 H CYX 6 -11.221 -6.77612 .7720 .000 .00 ATOM 86 CA CYX 6 -10.911-7.689 14.6220 .000 .00 ATOM 87 HA CYX 6 -10.281-7.506 15.4930 .000 .00 ATOM 88 CB CYX 6 -12.346 -7.90015 .1070 .000 .00 ATOM 89 HB2 CYX 6 -12.942 -8.24814 .2630 .000 .00 ATOM 90 HB3 CYX 6 -12.293 -8.842 15.6540 .000 .00 ATOM 91 SG CYX 6 -13.244-6.638 16.1000 .000 .00 ATOM 92 C CYX 6 - $-10.419-8.99814 .0270 .000 .00$ ATOM 93 O CYX 6 - 6 -10.641 -9.286 12.8020 .000 .00 ATOM 94 N PRO 7 -9.942-9.930 14.8900 .000 .00

ATOM 95 CD PRO $7 \quad-9.416-9.61516 .2490 .000 .00$ ATOM 96 HD2 PRO 7 -10.353 -9.579 16.8060 .000 .00 ATOM 97 HD3PRO $7 \quad 7 \quad-8.803-8.72216 .1290 .00 \quad 0.00$ ATOM 98 CG PRO 7 -8.532-10.762 16.6040 .000 .00 ATOM 99 HG2 PRO 7 -8.642-10.981 17.666 0.000 .00 ATOM 100 HG3PRO 7 -7.525-10.555 16.241 0.000 .00 ATOM 101 CB PRO 7 -9.044-11.899 15.778 0.000 .00 ATOM 102 HB2PRO 7 -9.816-12.499 16.260 0.000 .00 ATOM 103 HB3PRO 7 -8.224-12.561 15.501 0.000 .00 ATOM 104 CA PRO $7 \quad-9.445-11.22314 .4690 .000 .00$ ATOM 105 HA PRO $7 \quad-8.527-11.07313 .9010 .000 .00$ ATOM 106 C PRO $7 \quad-10.500-12.05813 .6960 .000 .00$ ATOM 107 O PRO 7 -11.702-12.080 13.9850 .000 .00 ATOM 108 N LEU 8 -10.064-12.859 12.687 0.000 .00 ATOM 109 H LEU 8 -9.081-12.758 12.4790 .000 .00 ATOM 110 CA LEU 8 -10.833-13.794 11.832 0.000 .00 ATOM 111 HA LEU 8 -11.899-13.661 12.0160 .000 .00 ATOM 112 CB LEU 8 -10.468-13.255 10.361 0.00 0.00 ATOM 113 HB2LEU 8 -10.959-12.287 10.2600 .000 .00 ATOM 114 HB3LEU 8 -9.403-13.111 10.1810 .000 .00 ATOM 115 CG LEU 8 -10.861-14.135 9.1450 .000 .00 ATOM 116 HG LEU 8 -10.448-15.138 9.2590 .000 .00 ATOM 117 CDILEU 8 -12.341-14.043 8.9850 .000 .00 ATOM 118HD11LEU 8 -12.619-13.089 8.537 0.00 0.00 ATOM 119HD12LEU 8 -12.622-14.843 8.3010 .000 .00 ATOM 120HD13LEU 8 -12852-14.153 9.9410000000 ATOM 121 CD2LEU 8 -10.142-13.606 7.9120 .000 .00 ATOM 122 HD21LEU 8 -9.054-13.676 7.927 0.00 0.00 ATOM 123 HD22 LEU 8 -10.428-14.197 7.0420 .000 .00 ATOM 124HD23LEU 8 -10.512-12.615 7.6470 .000 .00 ATOM 125 C LEU 8 -10.531-15.316 12.150 0.000 .00 ATOM 126 O LEU 8 -9.477-15.910 11.8820 .000 .00 ATOM 127 N GLY 9 -11.517-16.021 12.5760 .000 .00 ATOM 128 H GLY 9 -12.296-15.514 12.972 0.000 .00 ATOM 129 CA GLY 9 -11.503-17.506 12.559 0.000 .00 ATOM 130 HA2 GLY $9 \quad-10.667-17.97813 .0740 .000 .00$ ATOM 131 HA3GLY 9 -12.433-17.824 13.031 0.000 .00 ATOM 132 C GLY 9 - $11.643-18.13811 .0610 .000 .00$ ATOM 1330 GLY 9 ATOM 134 N NHE $10-11.520-19.44110 .9900 .000 .00$ ATOM 135 HN1NHE 10 -11.554-20.046 11.798 0.000 .00 ATOM 136 HN2 NHE 10 -11.701-19.891 10.105 0.000 .00 TER 137 NHE 10 ATOM 138 Cl Cl- $11 \quad 3.195-13.42612 .9370 .000 .00$ TER $139 \mathrm{Cl}-1$ END

## OT, twisted saddle (FOLDED)

## OT_MD-IV_10us_T16_9

ATOM 1 N CYX 1 1 $5.684-13.4121 .7660 .000 .00$ ATOM 2 H1 CYX 1 6.619-13.755 1.5980 .000 .00 ATOM 3 H2 CYX 1 5.740-12.870 2.6160 .000 .00 ATOM 4 H3 CYX $1 \begin{array}{llll}5.412-12.787 & 1.0210 .00 & 0.00\end{array}$ ATOM 5 CA CYX $1 \begin{array}{llllll} & 4.771-14.527 & 1.903 & 0.00 & 0.00\end{array}$ ATOM 6 HA CYX $1 \begin{array}{lllllllllllll} & 4.908-14.830 & 2.941 & 0.00 & 0.00\end{array}$ ATOM 7 CB CYX $193.333-14.1841 .7060 .000 .00$ ATOM 8 HB2 CYX $112.655-15.0121 .9140 .000 .00$ ATOM 9 HB3CYX 1 3.135-13.370 2.4040 .000 .00 ATOM 10 SG CYX $112.988-13.4570 .0240 .000 .00$ ATOM 11 C CYX 1 5.161-15.697 0.9760 .000 .00 ATOM 12 O CYX 1 5.637-15.439 -0.154 0.00 0.00 ATOM 13 N TYR 2 5.062-16.924 1.4530 .000 .00 ATOM 14 H TYR $2 \quad 4.540-17.01023130 .000 .00$ ATOM 15 CA TYR 2 5.483-18.174 0.7970 .000 .00 ATOM 16 HA TYR 2 2 $6.519-18.0100 .4990 .000 .00$ ATOM 17 CB TYR $2 \quad 5.326-19.371 \quad 1.7170 .000 .00$ ATOM 18 HB2 TYR 2 5.822-19.262 2.6820 .000 .00 ATOM 19 HB3 TYR 2 4.253-19.536 1.8180 .000 .00 ATOM 20 CG TYR 2 5.930-20.655 1.1710 .000 .00 ATOM 21 CD1TYR $2 \quad 7.338-20.6730 .9500 .000 .00$ ATOM 22 HD1 TYR $2 \quad 7.899-19.7991 .2460 .000 .00$ ATOM 23 CE1TYR $2 \quad 7.928-21.8070 .3160 .000 .00$ ATOM 24 HE1 TYR 2 8.953-21.685-0.002 0.00 0.00 ATOM 25 CZ TYR 2 7.065-22.884 -0.0850 .000 .00 ATOM 26 OH TYR 2 7.603-23.892 -0.815 0.000 .00 ATOM 27 HH TYR 2 6.912-24.465-1.156 0.00 0.00 ATOM 28 CE2 TYR 2 5.673-22.851 0.2610 .000 .00 ATOM 29 HE2 TYR 2 4.991-23.627-0.052 0.00 0.00 ATOM 30 CD2TYR $2 \quad 5.099-21.732 \quad 0.9110 .000 .00$ ATOM 31 HD2 TYR $2 \quad 4.026-21.7181 .0270 .000 .00$ ATOM 32 C TYR 2 4.646-18.346-0.488 0.00 0.00 ATOM 33 O TYR 22 3.465-17.962 -0.453 0.00 0.00

ATOM 48HD11ILE 3 4.355-22.096-5.158 0.000 .00 ATOM 49HD12 ILE 3 5.118-23.333-4.090 0.00 0.00 ATOM 50HD13ILE 3 3.831-22.393-3.505 0.00 0.00 ATOM 51 C ILE 3 3.070-20.071-2.445 0.00 0.00 $\begin{array}{llllll}\text { ATOM } & 51 \text { C ILE } & 3 & 3.070-20.071-2.445 & 0.00 & 0.00 \\ \text { ATOM } & 52 \text { O ILE } & 3 & 3.073-20.931-1.567 & 0.00 & 0.00\end{array}$ $\begin{array}{lllllllllll}\text { ATOM } & 52 & 0 & \text { 1LE } & 3 & 3.073-20.931-1.567 & 0.00 & 0.00 \\ \text { ATOM } & 53 & \mathrm{~N} & \text { GLN } & 4 & 1.975-19.710 & -3.063 & 0.00 & 0.00\end{array}$ $\begin{array}{lllllllllll}\text { ATOM } & 53 & \mathrm{~N} & \text { GLN } & 4 & 1.975-19.710 & -3.063 & 0.00 & 0.00 \\ \text { ATOM } & 54 & 4 \\ \text { GLN } & 4 & 2.079-19.145 & -3.893 & 0.00 & 0.00\end{array}$ ATOM 55 ATOM 5 ATOM 57 CB GLN $4 \quad 0.033-19.508-3.4100 .000 .00$ ATOM 58 HB2 GLN $4 \quad 1.228-22.392-3160.000 .00$ ATOM 59 HB3 GLN 4 ATOM 60 CG GLN 4 0.330-21.763-4.741 0.000 .00 ATOM 61 HG2 GLN 4 -0.481-21.079-4.992 0.00 0.00 ATOM 62 HG3 GLN 4 1.234-21.363-5.200 0.00 0.00 ATOM 63 CD GLN $4 \quad-0.020-23.141-5.2950 .000 .00$ ATOM 64 OE1 GLN 4 0.797-23.844 -5.845 0.00 0.00 ATOM 65 NE2 GLN 4 -1.294-23.548-5.245 0.000 .00 ATOM 66 HE21GLN 4 -1.458-24.515-5.488 0.000 .00 ATOM 67 HE22 GLN 4 -1.983-23.021-4.729 0.000 .00 ATOM 68 C GLN 4 0.058-19.960 -1.398 0.00 0.00 ATOM 69 O GLN 4 -1.091-20.320-1.176 0.000 .00 ATOM 70 N ASN 5 0.663-19.290 -0.407 0.000 .00 ATOM 71 H ASN 5 1.475-18.761 -0.692 0.000 .00 ATOM 72 CA ASN $5-0.017-18.9300 .8640 .000 .00$ ATOM 73 HA ASN 5 -0.808-19.666 1.0070 .000 .00 ATOM 74 CB ASN 5 0.987-19.123 1.9690 .000 .00 ATOM 75 HB2ASN 5 1.777-19.850 1.7800 .000 .00 ATOM 76 HB3ASN 5 1.477-18.158 2.1020 .000 .00 ATOM 77 CG ASN $5 \quad 0.359-19.436 \quad 3.3490 .000 .00$ ATOM 78 ODIASN 5 - $-0.452-20.3423 .4930 .000 .00$ ATOM 79 ND2 ASN $5 \quad 0.837-18.9444 .4990 .000 .00$ ATOM 80 HD21 ASN 5 $\quad 0.387-19.218 \quad 5.3610 .00 \quad 0.00$

ATOM 95 CD PRO 7 -3.008-13.580 -1.193 0.000 .00 ATOM 96 HD2PRO 7 -2.422-12.669 -1.310 0.000 .00 ATOM 97 HD3 PRO 7 -2.960-13.892 -0.150 0.000 .00 ATOM 98 CG PRO 7 -4.479-13.346-1.359 0.00 0.00 ATOM 99 HG2 PRO 7 - $4.718-12.322-1.0730 .000 .00$ ATOM 100 HG3PRO 7 -5.018-14.043 -0.718 0.000 .00 ATOM 101 CB PRO $7 \quad-4.676-13.648-2.8670 .000 .00$
 ATOM 103 HB3 PRO $7 \quad-5.551-14.247-3.1230 .000 .00$ ATOM 104 CA PRO 7 -3.411-14.423 -3.337 0.000 .00 ATOM 105 HA PRO 7 -3.780-15.420 -3.579 0.000 .00 ATOM 106 C PRO 7 -2.646-13.805-4.558 0.000 .00 ATOM 107 O PRO 7 -1.697-13.027-4.340 0.000 .00 ATOM 108 N LEU 8 -2.995-14.255-5.767 0.00 0.00 ATOM 109 H LEU 8 -3.725-14.944 -5.876 0.00 0.00 ATOM 110 CA LEU $8 \quad-2.133-13.872-6.9260 .000 .00$ ATOM 111 HA LEU 8 -1.096-13.702 -6.634 0.000 .00 ATOM 112 CB LEU 8 -2.169-14.992 -7.966 0.000 .00 ATOM 113 HB2LEU 8 -3.202-15.274 -8.171 0.000 .00 ATOM 114 HB3LEU 8 -1.666-15.840 -7.501 0.000 .00 ATOM 115 CG LEU 8 -1.645-14.699 -9.370 0.00 0.00 ATOM 116 HG LEU 8 -2.218-13.883-9.810 0.000 .00 ATOM 117 CD1LEU 8 -0.224-14.071-9.246 0.00 0.00 ATOM 118HD11LEU 8 -0.093-13.151-8.676 0.000 .00 ATOM 119HD12LEU 8 0.354-14.860-8.765 0.000 .00 ATOM 120HD13LEU 8 0.168-13.901-10.249 0.00 0.00 ATOM 121 CD2LEU 8 -1.650-16.000-10.242 0.000 .00 ATOM 122HD21LEU 8 -2.638-16.388-10.489 0.00 0.00 ATOM 123HD22LEU 8 -1.201-15.748-11.203 0.000 .00 ATOM 124HD23LEU 8 -1.015-16.696-9.695 0.00 0.00 ATOM 125 C LEU 8 - $2.735-12.570-7.5030 .000 .00$ ATOM 126 O LEU 8 -3.894-12.549-7.882 0.000 .00 ATOM 127 N GLY $9 \quad-1.867-11.532-7.5950 .00 \quad 0.00$

ATOM 34 N ILE 3 5.151-18.999-1.563 0.000 .00 ATOM 35 H ILE 3 5.957-19.585-1.399 0.00 0.00 ATOM 36 CA ILE $3 \quad 4.370-19.277-2.7360 .000 .00$ ATOM 37 HA ILE 3 3.978-18.284-2.954 0.00 0.00 ATOM 38 CB ILE 3 5.172-19.828-3.972 0.00 0.00 ATOM 39 HB ILE $3 \quad 4.711-19.688-4.9500 .000 .00$ ATOM 40 CG2ILE $3 \quad 6.392-18.920-4.2020 .000 .00$ ATOM 41 HG21ILE 3 7.030-19.202-3.365 0.00 0.00 ATOM 42 HG22 ILE 3 6.819-19.129-5.183 0.00 0.00 ATOM 43 HG23ILE $3 \quad 6.014-17.898-4.2040 .000 .00$ ATOM 44 CG1ILE $3 \quad 5.713-21.294-3.6890 .000 .00$ ATOM 45 HG12ILE 3 5.853-21.395-2.613 0.00 0.00 ATOM 46 HG13ILE 3 6.606-21.542-4.264 0.00 0.00 $\begin{array}{llllllllllllll}\text { ATOM } & 47 \text { CD1ILE } & 3 & 4.706-22.326-4.1520 .00 & 0.00\end{array}$

ATOM 81 HD22 ASN 5 1.306-18.056 4.3870 .000 .00 ATOM 82 C ASN $5-0.668-17.6230 .7680 .000 .00$ ATOM 830 ASN 5 -1.397-17.269 1.6890 .000 .00 ATOM 84 N CYX 6 - $0.348-16.903-0.3370 .000 .00$ ATOM 85 H CYX 6 0.160-17.351-1.087 0.00 0.00 ATOM 86 CA CYX $6 \quad-0.823-15.510-0.5680 .000 .00$ ATOM 87 HA CYX 6 -1.577-15.279 0.1840 .000 .00 ATOM 88 CB CYX 6 0.309-14.574 -0.281 0.000 .00 ATOM 89 HB2CYX 6 0.097-13.570 -0.649 0.00 0.00 ATOM 90 HB3CYX 6 0.519-14.554 0.7880 .000 .00 ATOM 91 SG CXX $61.967-14.9250 .7600 .00000$ ATOM 92 C CXX 6 . $1.516-15.381-1.9580 .000 .00$ ATOM 93 O CYX 6 ( $-1.036-16.003-2.9260 .000 .00$


ATOM 128 H GLY $9-0.889-11.720-7.4260 .000 .00$ ATOM 129 CA GLY 9 -2.249-10.239-8.213 0.00 0.00 ATOM 130 HA2 GLY 9 -3.225-9.847-7.929 0.000 .00 ATOM 131 HA3GLY $9 \quad-1.653-9.409-7.8350 .000000$ ATOM 132 C GLY 9 -2.289-10.338-9.717 0.000 .00 ATOM 133 O GLY 9 -1.854-11.329-10.265 0.00 0.00 ATOM 134 N NHE 10 -2.777-9.337-10.401 0.000 .00 ATOM 135 HN1NHE 10 -3.018-8.450 -9.983 0.000 .00 ATOM 136 HN2 NHE 10 -2.931-9.549-11.376 0.00 0.00 TER 137 NHE 10
ATOM 138 Cl-Cl- $11 \quad 3.249-11.561 \quad 6.4580 .000 .00$ FR 139 Cl 11 TER
END

OT, twisted saddlehelix (FOLDED)
OT_MD-IV_10us_T16_18
ATOM 1 N CYX 1 -5.904 10.130-12.698 0.000 .00 ATOM 2 H1 CYX 1 -5.587 $9.642-13.5240 .000 .00$ ATOM 3 H2 CYX 1 -5.815 11.128-12.829 0.000 .00 ATOM 4 H3 CYX 1 -6.871 9.851-12.614 0.00 0.00 ATOM 5 CA CYX $1 \begin{array}{lllll} & -5.212 & 9.777-11.447 & 0.00 & 0.00\end{array}$ ATOM 6 HA CYX 11 -5.393 8.724-11.231 0.00 0.00
 ATOM 8 HB2 CYX $11-3.3259 .652-10.5380 .000 .00$ ATOM 9 HB3CYX 1 -3.399 9.213-12.273 0.000 .00 ATOM 10 SG CYX $11-3.011$ 11.557-11.991 0.000 .00 ATOM 11 C CYX 1 -5.764 10.625-10.325 0.000 .00 ATOM 12 O CYX 1 -6.120 11.772-10.387 0.000 .00 ATOM 13 N TYR 2 -5.862 9.978 -9.176 0.000 .00 ATOM 14 H TYR 2 -5.441 9.069-9.047 0.00 0.00 ATOM 15 CA TYR 2 - $-6.46310 .550-7.9770 .000 .00$ ATOM 16 HA TYR 2 - $-7.35911 .068-8.3190 .000 .00$ ATOM 17 CB TYR $22-6.9339 .396-7.1010 .000 .00$ ATOM 18 HB2 TYR 2 -7.447 $8.616-7.6630 .000 .00$ ATOM 19 HB3TYR $2-6.0928 .789-6.7680 .000 .00$ ATOM 20 CG TYR $2 \quad-7.7819 .779-5.9100 .000 .00$ ATOM 21 CD1TYR 2 -9.099 10.262-6.120 0.000 .00 ATOM 22 HD1 TYR 2 -9.560 $10.333-7.0940 .000 .00$ ATOM 23 CE1 TYR 2 - 9.709 10.838-5.002 0.000 .00 ATOM 24 HE1 TYR 2 - 10.663 11.320 -5.159 0.000 .00 ATOM 25 CZ TYR $2 \quad-9.142$ 10.719 -3.752 0.00 0.00 ATOM 26 OH TYR 2 -9.802 11.288-2.667 0.000 .00 ATOM 27 HH TYR 2 -10.752 11.422-2.702 0.000 .00 ATOM 28 CE2 TYR $2-7.83410 .174-3.5400 .000 .00$ ATOM 29 HE2 TYR $2-7.33110 .129-2.5850 .000 .00$ ATOM 30 CD2TYR $2-7.1839 .582-4.6380 .000 .00$ ATOM 31 HD2 TYR 2 -6.253 $9.068-4.4440 .000 .00$ ATOM 32 C TYR 2 -5.629 11.591-7.135 0.000 .00 ATOM 33 O TYR $22-4.40311 .500-6.9640 .000 .00$ ATOM 34 N ILE $3 \quad-6.35112 .630-6.7590 .000 .00$ ATOM 35 H ILE $3 \quad-7.27912 .761-7.1350 .000 .00$ ATOM 36 CA ILE $3-5.89413 .863-6.0470 .000 .00$ ATOM 37 HA ILE 3 -6.593 $14.640-6.3570 .000 .00$ ATOM 38 CB ILE $3-5.90813 .667-4.4690 .000 .00$ ATOM 39 HB ILE $3-5.37914 .520-4.0450 .000 .00$ ATOM 40 CG2ILE $3-7.36413 .638-4.0450 .000 .00$ ATOM 41 HG21ILE 3 - $7.99712 .996-4.6580 .000 .00$ ATOM 42 HG22 ILE $3 x_{0}-7.43413 .400-2.9840 .000 .00$ ATOM 43 HG23ILE $3-7.76814 .647-4.1210 .000 .00$ ATOM 44 CG1ILE $3-5.00112 .417-4.0920 .000 .00$ ATOM 45 HG12 ILE 3 -4.071 12.598-4.632 0.000 .00 ATOM 46 HG13ILE 3 -5.405 11.468-4.443 0.000 .00 ATOM 47 CD1ILE $\quad 3 \quad-4.53912 .292-2.6950 .00 \quad 0.00$

## OT, clinched open (OPEN)

## T MD-III_10us_T16_1

ATOM 1 N CYX 1 - $-9.131-10.4489 .8700 .000 .00$ ATOM 2 H1 CYX $11-8.320-10.5289 .2740 .000 .00$ ATOM 3 H2 CYX 118 -8.691-10.654 10.7550 .000 .00 ATOM 4 H3 CYX 1 ATOM 5 CA CYX 1 -10.289-11.307 9.5480 .000 .00 ATOM 6 HA CYX 1 -10.978-11.135 10.376 0.000 .00 ATOM 7 CB CYX 1 -10.936-10.957 8.2050 .000 .00 ATOM 8 HB2 CYX 1 - $11.147-9.8968 .0770 .000 .00$ ATOM 9 HB3CYX 1 -10.191-11.158 7.4350 .000 .00 ATOM 10 SG CYX $11-12.405-11.9767 .8060 .00 \quad 0.00$ ATOM 11 C CYX 11 -9.902-12.780 9.7040 .000 .00 ATOM 12 O CYX 11 -8.856-13.147 9.1430 .000 .00 ATOM 13 N TYR $2-10.768-13.63010 .2580 .000 .00$ ATOM 14 H TYR 2 -11.598-13.207 10.649 0.000 .00 ATOM 15 CA TYR 2 -10.377-15.043 10.507 0.000 .00 ATOM 16 HA TYR 2 -9.396-14.982 10.9790 .000 .00 ATOM 17 CB TYR 2 - $11.440-15.56311 .5210 .000 .00$ ATOM 18 HB2 TYR 2 -10.873-16.297 12.093 0.000 .00 ATOM 19 HB3TYR 2 -11.671-14.828 12.2920 .000 .00 ATOM 20 CG TYR 2 -12.840-16.103 11.1310 .000 .00 ATOM 21 CD1TYR 2 -13.349-17.224 11.870 0.000 .00 ATOM 22 HD1 TYR 2 -12.742-17.573 12.692 0.000 .00 ATOM 23 CE1 TYR 2 -14.684-17.625 11.676 0.000 .00 ATOM 24 HE1 TYR 2 -15.032-18.467 12.255 0.000 .00 ATOM 25 CZ TYR 2 - $15.605-16.807$ 11.002 0.00 0.00

ATOM 48HD11ILE 3 - $-4.20411 .265-2.5540 .000 .00$ ATOM 49HD12 ILE 3 -3.645 $12.897-2.5480 .000 .00$ ATOM 50HD13ILE 3 -5.313 12.570-1.978 0.000 .00 ATOM 51 C ILE 3 -4.511 14.331-6.577 0.000 .00 ATOM 52 O ILE $3 \quad-3.67114 .653-5.7700 .000 .00$ ATOM 53 N GLN $4-4.35414 .485-7.9320 .000 .00$ ATOM 54 H GLN 4 ATOM 55 CA GLN $4-3.14115 .007-8.5460 .000 .00$ ATOM 56 HA GLN 4 ATOM 57 CB GLN $4 \quad-2.92316 .464-8.1440 .000 .00$ ATOA 58. HB2 GLN - $4-3.12316 .725-7.1050 .000 .00$ In 59/HB3GLN 4 TOM 60 CG GLN $4 \quad-3.76617 .299-9.0930 .000 .00$ ATOM 61 HG2 GLN 4 -3.410 17.168-10.115 0.000 .00 ATOM 62 HG3GLN $4-4.81517 .058-8.920 \quad 0.00 \quad 0.00$ ATOM 63 CD GLN $4 \quad-3.63018 .778-8.828$ 0.00 0.00 ATOM 64 OE1GLN $4-2.52719 .375-8.6800 .000 .00$ ATOM 65 NE2 GLN $4-4.76219 .511-8.7790 .000 .00$ ATOM 66 HE21 GLN 4 -4.679 $20.474-8.4880 .000 .00$ ATOM 67 HE22 GLN $4-5.61118 .963-8.7950 .000 .00$ ATOM 68 C GLN $4-1.80314 .211-8.2490 .000 .00$ ATOM 69 O GLN $4-0.72614 .705-8.4100 .000 .00$ ATOM 70 N ASN 5 -2.020 12.916-7.791 0.000 .00 ATOM 71 H ASN 5 - $2.97012 .574-7.8190 .000 .00$ ATOM 72 CA ASN 5 -0.920 12.060-7.325 0.000 .00 ATOM 73 HA ASN 5 -0.171 12.703-6.862 0.000 .00 ATOM 74 CB ASN 5 -1.458 11.042-6.242 0.00 0.00 ATOM 75 HB2ASN 5 -0.630 $10.688-5.6280 .000 .00$ ATOM 76 HB3ASN 5 -2.132 11.623-5.612 0.000 .00 ATOM 77 CG ASN $5 \quad-2.2309 .878-6.7260 .000 .00$ ATOM 78 OD1ASN 5 -2.402 $9.610-7.9200 .000 .00$ ATOM 79 ND2 ASN 5 -2.675 $9.086-5.7700 .000 .00$ ATOM 80HD21ASN 5 ATOM 81 HD22 ASN 5 -2.276 $9.092-4.8410 .000 .00$ ATOM 82 C ASN 5 -0.182 11.374-8.517 0.000 .00 ATOM 83 O ASN $5 \quad 0.62310 .518-8.2490 .000 .00$ ATOM 84 N CYX 6 - $0.42911 .730-9.8360 .000 .00$ ATOM 85 H CYX 6 -1.153 12.411-10.014 0.00 0.00 TOM 86 CA CYX 6 0.489 11.277-10.938 0.00000 ATOM 87 HA CYX $6 \quad 1.388$ 10.875-10.471 0.000 .00 ATOM 88 CB CYX $6 \quad-0.217$ 10.318-11.942 0.000 .00 ATOM 89 HB2CYX $6 \quad 0.492 \quad 9.774-12.5670 .000 .00$ ATOM 90 HB3CYX 6 -0.768 9.602-11.332 0.000 .00 ATOM 91 SG CYX 6 -1.383 11.066-13.161 0.000 .00 ATOM 92 C CYX $6 \quad 1.038$ 12.556-11.675 0.000 .00 ATOM 93 O CYX 6 0.358 13.577-11.531 0.00 0.00 ATOM 94 N PRO $7 \quad 2.104$ 12.519-12.454 0.00 0.00

ATOM 95 CD PRO $7 \quad 2.978$ 11.360-12.596 0.00 0.00 ATOM 96 HD2PRO $7 \quad 2.538$ 10.402-12.875 0.000 .00 ATOM 97 HD3PRO $7 \quad 3.559$ 11.300-11.676 0.000 .00 ATOM 98 CG PRO 7 3.956 11.887-13.691 0.000 .00 ATOM 99 HG2PRO $7 \quad 3.550$ 11.420-14.588 0.000 .00 ATOM 100 HG3PRO $7 \quad 4.995$ 11.635-13.477 0.000 .00 ATOM 101 CB PRO $7 \quad 3.887$ 13.433-13.705 0.000 .00
 ATOM 103 HB3 PRO $7 \quad 4.565$ 13.907-12.995 0.000 .00 ATOM 104 CA PRO $7 \quad 2.410$ 13.640-13.363 0.000 .00 ATOM 105 HA PRO $7 \quad 2.256$ 14.605-12.881 0.000 .00 ATOM 106 C PRO 7 1.636 13.638-14.687 0.000 .00 ATOM 107 O PRO $7 \quad 1.556$ 12.647-15.395 0.000 .00 ATOM 108 N LEU 8 0.947 14.753-14.970 0.000 .00 ATOM 109 H LEU $8 \quad 1.165$ 15.510-14.337 0.000 .00 ATOM 110 CA LEU 8 0.015 14.887-16.072 0.00 0.00 ATOM 111 HA LEU 8 -0.388 13.904-16.319 0.000 .00 ATOM 112 CB LEU 8 -1.080 15.794-15.461 0.000 .00 ATOM 113 HB2 LEU 8 -0.602 16.634-14.956 0.000 .00 ATOM 114 HB3LEU 8 -1.611 15.198-14.719 0.00 0.00 ATOM 115 CG LEU 8 -2156 16.354-16.440 0.000 .00 ATOM 116 HG LEU 8 -1.615 16.793-17.279 0.000 .00 ATOM 117 CD1LEU 8 -3.086 15.210-16.856 0.00 0.00 ATOM 118HD11LEU 8 -3.765 14.982-16.034 0.000 .00 ATOM 119HD12LEU 8 -3.769 15.584-17.619 0.000 .00 ATOM 120HD13LEU 8 -2.459 14.379-17.176 0.000 .00 ATOM 121 CD2LEU 8 -2.956 17.486-15.718 0.000 .00 ATOM 122HD21LEU 8 -3.961 17.456-16.139 0.000 .00 ATOM 123 HD22 LEU 8 -2.984 17.230-14.659 0.000 .00 ATOM 124HD23LEU 8 -2.416 18.432-15.761 0.00 0.00 ATOM 125 C LEU 8 0.702 15.536-17.213 0.000 .00 ATOM 126 O LEU 8 1.271 16.635-17.110 0.000 .00 ATOM 127 N GLY 9 0.619 14.981-18.412 0.000 .00 ATOM 128 H GLY $9 \quad 0.070$ 14.134-18.416 0.000 .00 ATOM 129 CA GLY 9 g 1.299 15.415-19.590 0.00 0.00 ATOM 130 HA2 GLY 9 2.300 15.716-19.279 0.000 .00 ATOM 131 HA3 GLY 9 1.294 14.614-20.329 0.00 0.00 ATOM 132 C GLY 9 0.642 16.625-20.250 0.00 0.00 ATOM 133 O GLY $9-0.498$ 17.019-19.956 0.000 .00 ATOM 134 N NHE $10 \quad 1.242$ 17.156-21.296 0.00 0.00 ATOM 135 HN1NHE $10 \quad 2.196$ 16.864-21.453 0.000 .00 ATOM 136 HN2 NHE $10 \quad 0.815$ 17.969-21.716 0.000 .00 TER 137 NHE 10
ATOM 138 Cl Cl- $11 \quad-3.5029 .38710 .0610 .000 .00$ TER 139 Cl 11 END

ATOM 48HD11ILE $3-14.598-15.2514 .9260 .000 .00$ ATOM 49HD12ILE 3 -15.356-15.754 6.4060 .000 .00 ATOM 5OHD13ILE $3 \quad-15.160-14.055 \quad 6.1210 .000 .00$ ATOM 51C ILE 3 10.184-45.610 5.7320 .000 .00 ATOM 520 ILE 3 $-10.051-14.3905 .6930 .000 .00$ 53 N GLN 4 -9.768-16.369 4.7350 .000 .00 ATOM 54 H GLN 4 -10.038-17.342 4.7670 .000 .00 ATOM 55 CA GLN 4 -8.938-15.916 3.6110 .000 .00 ATOM 56 HA GLN 4 -8.134-15.298 4.0100 .000 .00 ATOM 57 CB GLN 4 -8.368-17.123 2.9090 .000 .00 ATOM 58 HB2 GLN $4 \quad-9.133-17.783 \quad 2.5000 .000 .00$ ATOM 59 HB3 GLN $4-7.714-16.802 \quad 2.0980 .000 .00$ ATOM 60 CG GLN $4 \quad-7.524-17.993 \quad 3.9620 .000 .00$ ATOM 61 HG2 GLN 4 -6.750-17.454 4.5080 .000 .00 ATOM 62 HG3 GLN $4-8.156-18.3374 .7810 .000 .00$ ATOM 63 CD GLN $4-6.76319 .1793 .3890 .000 .00$ ATOM 64 OE1GLN 4 -6.394-19.329 2.2000 .000 .00 ATOM 65 NE2 GLN $4-6.334-20.0494 .3170 .000 .00$ ATOM 66HE21GLN 4 -5.607-20.696 4.0470 .000 .00 ATOM 67HE22 GLN $4-6.652-19.9585 .2710 .000 .00$ ATOM 68 C GLN $4 \quad-9.700-15.035 \quad 2.5330 .000 .00$ ATOM 69 O GLN $4 \quad-9.093-14.142 \quad 1.9260 .000 .00$ ATOM 70 N ASN 5 -10.984-15.409 2.310 0.000 .00 ATOM 71 H ASN 5 -11.388-16.075 2.9540 .000 .00 ATOM 72 CA ASN 5 -11.857-14.664 1.4780 .000 .00

ATOM 95 CD PRO 7 -16.383-11.634 4.2830 .000 .00 ATOM 96 HD2PRO 7 -16.272-11.567 5.3650 .000 .00
 ATOM 98 CG PRO 7 -17.806-11.259 $3.9790 .00 \quad 0.00$ ATOM 99 HG2PRO 7 -18.434-11.610 4.7980 .000 .00 ATOM 100 HG3PRO 7 -18.124-11.662 3.0170 .000 .00 ATOM 101 CB PRO 7 -17.654-9.726 3.8690 .000 .00 ATOM 102 HB2PRO 7 -17.520 -9.355 4.8840 .000 .00 ATOM 103 HB3PRO 7 -18.491 -9.343 3.2840 .000 .00 ATOM 104 CA PRO 7 7 $-16.386-9.5743 .0180 .000 .00$ ATOM 105 HA PRO 7 -16.657-9.729 1.9730 .000 .00
 ATOM 107 O PRO 7 7 $-14.914-8.0994 .2510 .000 .00$ ATOM 108 N LEU 8 -16.192-7.112 2.6670 .000 .00 ATOM 109 H LEU 8 -16.950 -7.241 2.0110 .000 .00 ATOM 110 CA LEU 8 -15.559 -5.813 2.7900 .000 .00 ATOM 111 HA LEU 8 -14.509 -6.083 2.9130 .000 .00 ATOM 112 CB LEU 8 -15.712 -5.009 1.4890 .000 .00 ATOM 113 HB2LEU 8 - $16.777-4.8061 .3740 .000 .00$ ATOM 114 HB3LEU 8 -15.445 -5.6090 .6190 .000 .00 ATOM 115 CG LEU $8 \quad-15.038-3.607 \quad 1.5390 .000 .00$ ATOM 116 HG LEU 8 -15.247-3.046 2.4500 .000 .00 ATOM 117 CD1LEU 8 -13.556 -3.874 1.4370 .000 .00 ATOM 118HD11LEU 8 -12.918 -2.9931 .3750 .000 .00 ATOM 119HD12LEU 8 -13.252 -4.362 2.3630 .000 .00

ATOM 26 OH TYR 2 -16.891-17.332 10.8850 .000 .00 ATOM 27 HH TYR 2 -17.443-16.606 10.5850 .000 .00 ATOM 28 CE2 TYR 2 - $15.103-15.69710 .2540 .000 .00$ ATOM 29 HE2 TYR 2 -15.773-15.106 9.6480 .000 .00 ATOM 30 CD2 TYR 2 2 $-13.745-15.30810 .4110 .000 .00$ ATOM 31 HD2 TYR $2-13.261-14.5049 .8750 .000 .00$ ATOM 32 C TYR 2 -10.378-15.944 9.271 0.00 0.00 ATOM 33 O TYR 2 -10.145-17.107 9.420 0.00 0.00 ATOM 34 N ILE $3-10.953-15.4628 .1850 .000 .00$ ATOM 35 H ILE 3 -11.306-14.516 8.2170 .000 .00 ATOM 36 CA ILE $3-11.050-16.2706 .8160 .000 .00$ ATOM 37 HA ILE $3-10.687-17.2797 .0100 .000 .00$ ATOM 38 CB ILE $3-12.569-16.468 \quad 6.3750 .000 .00$ ATOM 39 HB ILE $3 \quad-12.632-16.748 \quad 5.3240 .000 .00$ ATOM 40 CG2ILE $3-13.195-17.572 \quad 7.2330 .000 .00$ ATOM 41 HG21ILE $3-13.036-17.2658 .2670 .000 .00$ ATOM 42 HG22ILE 3 -14.196-17.873 6.9230 .000 .00 ATOM 43HG23ILE 3 -12.529-18.433 7.182 0.000 .00 ATOM 44 CG1ILE $3-13.212-15.1006 .5510 .000 .00$ ATOM 45 HG12ILE $3-12.549-14.3746 .0800 .000 .00$ ATOM 46 HG13ILE $3-13.300-14.7967 .5940 .000 .00$ ATOM 47 CD1ILE $3-14.668-15.018 \quad 5.989 \quad 0.000 .00$

ATOM 73 HA ASN 5 -11.295-13.884 0.9640 .000 .00 ATOM 74 CB ASN 5 -12.421-15.599 0.3110 .000 .00 ATOM 75 HB2 ASN 5 -11.547-16.135 -0.059 0.000 .00 ATOM 76 HB3ASN 5 -13.188-16.304 0.6320 .000 .00 ATOM 77 CG ASN 5 5 $-13.021-14.733-0.8360 .000 .00$ $\begin{array}{llllll}\text { ATOM } 77 \text { CG ASN } 5 & -13.021-14.733 & -0.836 & 0.00 & 0.00 \\ \text { ATOM } 78 \text { ODIASN } 5 & -13.454-13.605 & -0.670 & 0.00 & 0.00\end{array}$ ATOM 79 ND2 ASN 5 -12.989-15.296-1.970 0.000 .00 ATOM 80HD21ASN 5 -13.220-14.772 -2.802 0.000 .00 ATOM 81HD22 ASN 5 -12.642-16.227-2.154 0.00 0.00 ATOM 82 C ASN 5 -12.958-13.947 2.2900 .000 .00 ATOM 830 ASN $5-13.964-14.5522 .6180 .000 .00$ ATOM 84 N CYX 6 -12.626-12.766 2.7610 .000 .00 ATOM 85 H CYX 6 -11.764-12.356 2.4300 .000 .00 ATOM 86 CA CYX 6 - $-13.456-12.0233 .7030 .000 .00$ ATOM 87 HA CYX 6 6 $-14.116-12.7594 .1610 .000 .00$ TOM 88 CB CYX 6 6 $-12.578-11.5424 .8300 .00000$ ATOM 89 HB2 CYX 6 -11.896-12.345 5.111 0.00 0.00 ATOM 90 HB3CYX 6 -11.920-10.808 4.3670 .000 .00 ATOM 91 SG CYX 6 -13.415-11.064 6.3380 .000 .00 ATOM 92 C CYX 6 -14.224-10.939 3.0500 .000 .00 ATOM 93 O CYX $6-13.669-10.19522 .2180 .00000$ ATOM 94 N PRO 7 - $15.533-10.698 \quad 3.4670 .000 .00$

ATOM 120HD13LEU 8 -13.284-4.402 0.5230 .000 .00 ATOM 121 CD2LEU 8 -15.554 -2.7630 .4040 .000 .00 ATOM 122 HD21 LEU 8 -16.605 -2.488 0.4890 .000 .00 ATOM 123 HD22 LEU 8 -14.934 -1.868 0.3430 .000 .00 ATOM 124 HD23 LEU 8 -15.335 -3.347-0.489 0.000 .00 ATOM 125 C LEU 8 -15.996 $-5.002 \quad 4.0450 .000 .00$ ATOM 126 O LEU 8 -17.166 -4.767 4.2760 .000 .00 ATOM 127 N GLY 9 -15.003 -4.432 4.7900 .000 .00 ATOM 128 H GLY 9 -14.101-4.768 4.4860 .000 .00 ATOM 129 CA GLY 9 -15.187-3.825 6.1400 .000 .00 ATOM 130 HA2GLY 9 -15.961-4.365 6.6850 .000 .00 ATOM 131 HA3GLY $9 \quad-14.268-3.8416 .7270 .000 .00$ ATOM 132 C GLY 9 -15.586 -2.370 6.1020 .000 .00 ATOM 133 O GLY $9 \quad-15.821-1.702 \quad 5.0710 .000 .00$ ATOM 134 N NHE $10-15.604-1.8027 .3050 .000 .00$ ATOM 135 HN1 NHE $10-15.314-2.3838 .0780 .000 .00$ ATOM 136 HN2 NHE $10-15.943-0.8617 .4470 .000 .00$ TER 137 NHE 10
ATOM 138 Cl-Cl- $11 \quad-5.5894 .48015 .9670 .000 .00$ TER $139 \mathrm{Cl}-11$
END

## OT, clinched open45pbr (OPEN)

OT_MD-III_1Ous_T16_4

ATOM 1 N CYX 1 -8.083 -0.64218 .7870 .000 .00 ATOM 2 H1 CYX 1 ATOM 3 H2 CYX 1 -8.294 -0.31717 .8550 .000 .00 ATOM 4 H3 CYX 1 ATOM 5 CA CYX 1 1 $-6.664-1.07219 .0320 .000 .00$ ATOM 6 HA CYX $11-6.590-1.16320 .1160 .000 .00$
 ATOM 8 HB2 CYX 1 1 -5.978 -2.219 17.374 0.000 .00 ATOM 9 HB3 CYX $11-5.630-2.98118 .9060 .000 .00$ ATOM 10 SG CYX $11-7.822-3.53618 .2440 .000 .00$ ATOM 11 C CYX 1 -5.847 0.10218 .5820 .000 .00 ATOM 12 O CYX $11-6.0890 .70217 .5890 .000 .00$ ATOM 13 N TYR 2 -4.727 0.30319 .2510 .000 .00 ATOM 14 H TYR 2 -4.527 -0.24920 .0730 .000 .00 ATOM 15 CA TYR 2 -3.596 1.25818 .8740 .000 .00 ATOM 16 HA TYR $22-3.9792 .04818 .2290 .000 .00$ ATOM 17 CB TYR $22-2.8401 .768120 .1790 .000 .00$ ATOM 18 HB2 TYR 2 -3.635 1.98020 .8930 .000 .00 ATOM 19 HB3TYR 2 -2.283 0.95920 .6530 .000 .00 ATOM 20 CG TYR 2 -1.991 3.00219 .8820 .000 .00 ATOM 21 CD1TYR $2-2.5664 .20019 .8170 .000 .00$ ATOM 22 HD1 TYR 2 -3.607 4.39620 .0270 .00000 ATOM 23 CE1 TYR $22-1.8445 .33919 .4300 .000 .00$ ATOM 24 HE1 TYR 2 -2.365 6.28419 .3930 .000 .00 ATOM 25 CZ TYR $22-0.4335 .26919 .1390 .000 .00$ ATOM 26 OH TYR $2 \quad 0.172 \quad 6.33618 .5470 .000 .00$ ATOM 27 HH TYR 2 1 11106.35218 .4570 .000 .00 ATOM 28 CE2 TYR 220.1504 .02019 .2880 .000 .00 ATOM 29 HE2 TYR $21.158 \quad 3.90318 .9190 .000 .00$ ATOM 30 CD2TYR 2 -0.598 2.90319 .5930 .000 .00 ATOM 31 HD2 TYR $2-0.2241 .91019 .3880 .000 .00$ ATOM 32C TYR 2 -2.589 0.57317 .9180 .000 .00 ATOM 330 TYR $2 \begin{array}{llllll} & -1.701 & 1.139 & 17.288 & 0.00 & 0.00\end{array}$ ATOM 34 N ILE $3 \quad-2.656-0.77917 .8200 .000 .00$ ATOM 35 H ILE 3 ATOM 36 CA ILE $3 \quad-1.919-1.71016 .9940 .000 .00$ ATOM 37 HA ILE $3-1.009-1.17616 .7190 .000 .00$ ATOM 38 CB ILE $3-1.553-3.00217 .7100 .000 .00$ ATOM 39 HB ILE $3-1.294-3.66316 .8820 .000 .00$ ATOM 40 CG2ILE $3-0.243-2.76418 .4740 .000 .00$ ATOM 41 HG21ILE 3 -0.422 -1.884 19.0930 .000 .00 ATOM 42 HG22ILE $300.069-3.63219 .0560 .000 .00$ ATOM 43 HG23ILE 3 0.0566-2.595 17.7520 .000 .00 ATOM 44 CG1ILE $3 \quad-2.684-3.71618 .5450 .00$ 0.00 ATOM 45HG12ILE 3 -3.608-3.723 17.966 0.000 .00 AtOM 46 HG13ILE $3-2.759-3.10119 .4420 .000 .00$ ATOM 47 CD1ILE $3-2.304-5.17818 .8700 .000 .00$

ATOM 48HD11ILE 3 -1.501-5.232 19.6050 .000 .00 ATOM 49HD12ILE 3 -3.195-5.748 19.1330 .000 .00 ATOM 50HD131E-3 $-2.002-5.64017 .9310 .000 .00$ ATOM P1 C ILE 3 -2.794-1.943 15.7310 .000 .00 ATOM 52 O ILE 3 -3.989 -2.034 15.8420 .000 .00 ATOM 53 N GLN $4-2.045-2.08714 .5910 .000 .00$ ATOM 54 H GLN $4-1.044-1.96514 .6390 .000 .00$ ATOM 55 CA GLN $4 \quad-2.489-2.81613 .4370 .000 .00$ ATOM 56 HA GLN $4-3.523-2.51213 .2740 .000 .00$ ATOM 57 CB GLN $4-1.739-2.33612 .2040 .000 .00$ ATOM 58 HB2 GLN 4 -2.362 -2.566 11.339 0.000 .00 ATOM 59 HB3GLN $4-1.583-1.25712 .2170 .000 .00$ ATOM 60 CG GLN $4-0.420-3.16812 .0390 .000 .00$ ATOM 61 HG2 GLN $4 \quad 0.149-3.02012 .9560 .000 .00$ ATOM 62 HG3 GLN $4-0.683-4.22612 .0240 .000 .00$ ATOM 63 CD GLN $4 \quad 0.351-2.71610 .7770 .000 .00$ ATOM 64 OE1 GLN 4 -0.132 -2.062 9.8340 .000 .00 ATOM 65 NE2 GLN $4 \quad 1.585-3.14610 .7240 .000 .00$ ATOM 66HE21GLN 4 2.093-2.852 9.9010 .000 .00 ATOM 67HE22 GLN 4 2.058-3.687 11.434 0.00 0.00 ATOM 68 C GLN $4-2.569-4.34313 .5830 .000 .00$ ATOM 69 O GLN $4-1.811-4.89614 .3910 .000 .00$ ATOM 70 N ASN 5 -3.416-5.068 12.8290 .000 .00 ATOM 71 H ASN 5 ATOM 72 CA ASN $5 \quad-3.560-6.48712 .8730 .000 .00$ ATOM 73 HA ASN $5 \quad-4.448-6.703122790000000$ ATOM 74 CB ASN 5 ATOM 75 HB2ASN 5 -2.129 -6.552 11.1710 .000 .00 ATOM 76 HB3ASN 5 -1.556 -7.259 12.6530 .000 .00 ATOM 77 CG ASN 5 -2.813 -8.603 11.5620 .000 .00 ATOM 78 OD1ASN 5 -3.928-9.096 11.6960 .000 .00 ATOM 79 ND2 ASN 5 - $1.881-9.27811 .0600 .000 .00$ ATOM 80 HD21 ASN 5 -2.110-10.222 10.784 0.000 .00 ATOM 81 HD22 ASN 5 -0.956-8.886 10.9580 .000 .00 ATOM 82 C ASN 5 -3.902-7.033 14.241 0.000 .00 ATOM 83 O ASN 5 -3.335-7.948 14.8750 .000 .00 ATOM 84 N CYX 6 -4.899 -6.37314 .7810 .000 .00 ATOM 85 H CYX $6 \quad-5.310-5.61714 .2520 .000 .00$ ATOM 86 CA CYX 6 -5.491-6.660 16.071 0.000 .00 ATOM 87 HA CYX 6 -4.685 -6.622 16.8030 .000 .00 ATOM 88 CB CYX 6 6 $-6.392-5.47716 .4160 .000 .00$ ATOM 89 HB2CYX 6 -5.785 -4.582 16.274 0.00 0.00 ATOM 90 HB3CYX $6 \quad-7.299-5.40415 .8160 .000 .00$ ATOM 91 SG CYX $6 \quad-6.943-5.41918 .1710 .000 .00$ ATOM 92 C CYX 6 -6.299-7.941 16.2090 .000 .00 ATOM 93 O CYX 6 -6.956-8.319 15.2440 .000 .00 ATOM 94 N PRO 7 -6.087-8.748 17.297 0.000 .00

ATOM 95 CD PRO 7 -5.239 -8.662 18.5110 .000 .00 ATOM 96 HD2 PRO 7 -5.470 -7.76519 .0860 .000 .00 ATOM 97 HD3 PRO 7 -4.202 -8.551 18.1950 .000 .00 ATOM 98 CG PRO $7 \quad-5.439-9.84319 .3860 .000 .00$ ATOM 99 HG2PRO 7 -5.947-9.531 20.2980 .000 .00 ATOM 100 HG3PRO 7 -4.472-10.202 19.737 0.000 .00 ATOM 101 CB PRO $7 \quad-6.352-10.76118 .6480 .000 .00$ ATOM 102 HB2 PRO $7 \quad-7.215-11.04919 .2480 .000 .00$ ATOM 103 HB3 PRO 7 7 $\quad$-5.837-11.628 18.2340 .000 .00 ATOM 104 CA PRO 7 -6.872 -9.949 17.4500 .000 .00 ATOM 105 HA PRO 7 -6.613-10.406 16.495 0.000 .00 ATOM 106 C PRO 7 -8.282-9.536 17.5540 .000 .00 ATOM 107 O PRO 7 -8.543 -8.532 18.2060 .000 .00 ATOM 108 N LEU 8 -9.197-10.325 16.9840 .000 .00 ATOM 109 H LEU 8 - $8.843-10.98716 .3090 .000 .00$ ATOM 110 CA LEU $8-10.627-10.15017 .1340 .000 .00$ ATOM 111 HA LEU 8 -10.923 -9.133 17.389 0.000 .00 ATOM 112 CB LEU 8 -11.359-10.448 15.759 0.00 0.00 ATOM 113 HB2LEU 8 -12.437-10.438 15.921 0.000 .00 ATOM 114 HB3LEU 8 -11.091-11.408 15.3170 .000 .00 ATOM 115 CG LEU 8 -10.995 -9.359 14.678 0.000 .00 ATOM 116 HG LEU 8 -9.930-9.389 14.4500 .000 .00 ATOM 117 CD1LEU 8 -11.850 -9.552 13.4090 .000 .00 ATOM 118HD11LEU 8 -11.384-9.073 12.5480 .000 .00 ATOM 119 HD12 LEU 8 - $-11.814-10.60513 .1300 .000 .00$ ATOM 120HD13LEU 8 -12.924-9.439 13.5580 .000 .00 ATOM 121 CD2LEU 8 -11.381-8.008 15.1450 .000 .00 ATOM 122HD21LEU 8 -11.460 -7.368 14.2660 .000 .00 ATOM 123HD22LEU 8 -12.320 -8.009 15.700 0.000 .00 ATOM 124HD23LEU 8 -10.639 -7.580 15.8200 .000 .00 ATOM 125 C LEU 8 -11.170-11.090 18.238 0.000 .00 ATOM 126 O LEU 8 -10.729-12.264 18.280 0.00 0.00 ATOM 127 N GLY 9 -12.147-10.612 18.9920 .000 .00 ATOM 128 H GLY 9 -12.493-9.677 18.8320 .000 .00 ATOM 129 CA GLY 9 -12.883-11.417 19.926 0.000 .00 ATOM 130 HA2 GLY $9-12.173-12.12420 .3540 .000 .00$ ATOM 131 HA3GLY 9 -13.141-10.846 20.8180 .000 .00 ATOM 132 C GLY 9 -13.981-12.235 19.305 0.000 .00 ATOM 133 O GLY 9 -14.224-12.269 18.100 0.000 .00 ATOM 134 N NHE $10-14.695-12.96920 .1610 .000 .00$ ATOM 135 HN1 NHE 10 -14.504-12.831 21.144 0.000 .00 ATOM 136 HN2 NHE 10 -15.494-13.458 19.782 0.000 .00 TER 137 NHE 10 ATOM $138 \mathrm{Cl} \mathrm{Cl}-11 \quad-14.487 \quad 0.304-4.128 \quad 0.000 .00$ TER 139 Cl 11 END

## OT, open (OPEN)

## OT_MD-II_15us_T16_23

ATOM 12 N CYX 1 - -6.682 15.205-17.325 0.000 .00 ATOM $2 \begin{array}{lllll}2 & \text { H1 CYX } & 1 & -6.473 & 15.211-18.313 \\ 0.00 & 0.00\end{array}$ ATOM $\quad 3 \mathrm{H} 2 \mathrm{CYX} 11-6.24014 .362-16.9840 .000 .00$ ATOM 4 H3 CYX 1 1-6.250 16.006-16.887 0.000 .00 ATOM 5 CA CXX 1 1-8.127 15.182-16.973 0.00 0.00 ATOM 6 HA CYX 1 -8.773 15.319-17.840 0.000 .00 ATOM 7 CB CYX 1 1 -8.370 13.927-16.157 0.000 .00 ATOM 8 HB2 CYX 1 -7.576 13.804-15.420 0.000 .00 ATOM 9 HB3CYX 1 -9.293 13.962-15.578 0.000 .00 ATOM 10 SG CYX 1 1 -8.413 12.426-17.164 0.00 0.00 ATOM 11 C CYX $11-8.367$ 16.295-15.962 0.000 .00 ATOM 12 O CYX $11-7.66916 .353-15.0130 .000 .00$ ATOM 13 N TYR 2 -9.596 16.851-16.065 0.000 .00 ATOM 14 H TYR $2-10.15016 .601-16.8720 .000 .00$ ATOM 15 CA TYR 2 -10.198 17.697-15.001 0.00 0.00 ATOM 16 HA TYR 2 -9.491 17.905-14.198 0.000 .00 ATOM 17 CB TYR 2 -10.327 19.079-15.587 0.00 0.00

ATOM 48HD11ILE 3 -16.011 18.605-15.021 0.00 0.00 ATOM 49HD12ILE $3-16.70918 .100-13.5170 .000 .00$ ATOM 50HD13ILE 3 -15.631 19.530-13.539 0.000 .00
ATOM 51 IIE 3 -27. 764 14.992-12.616 0.000 .00
$\begin{array}{lllll}52 \text { O ILE } & 3 & -13.81 & 14.355-12.345 & 0.00 \\ 53 & 0.00 \\ 53 \\ \mathrm{~N} \text { GLN } & 4 & -11.69 & 14.359-13.069 & 0.00 \\ 0.00\end{array}$ $\begin{array}{llllll}53 \\ 53 & \mathrm{~N} \text { GLN } & 4 & -11.69 & 14.359-13.069 & 0.00 \\ 54 & 0.00 \\ 54 & \text { H GLN } & 4 & -10.861 & 223-13.152 & 0.00 \\ 0.00\end{array}$ 55 CA GLN $4 /-11.51512 .907-120640.000 .00$ ATOM S6-HA GLN 4 -12.315 12.418-12. 880.000 .00 ATOM 57 CB ELN 4 -11.661 12.381-14. 210.000 .00 ATOM 58 HB2 GLN 4 -11.013 12.947-15. 910.000 .00 ATOM 59 HB3GLN 4 -11.422 11.322-14.6 40.000 .00 ATOM 60 CG GLN 4 -13.124 12.566-15.021 0.000 .0 ATOM 61 HG2 GLN $4-13.872$ 12.156-14.342 0.000 .00 ATOM 62 HG3GLN 4 -13.342 13.634-15.057 0.000 .00 ATOM 63 CD GLN 4 -13.296 12.096-16.431 0.00 0.00 ATOM 64 OE1GLN 4 -13.358 12.867-17.402 0.000 .00

ATOM 96 HD2PRO 7 -5.697 7.899-16.509 0.000 .00
 ATOM 97 HD3PRO 7 -6.228 6.763-15.264 0.00 0.00 ATOM 98 CG PRO 7 7 $-4.2796 .313-16.2800 .000 .00$ ATOM 99 HG2PRO 7 -3.869 6.728-17.200 0.000 .00 ATOM 100 HG3PRO 7 -4.707 5.347-16.545 0.000 .00 ATOM 101 CB PRO 7 -3.204 6.220-15.224 0.00 0.00 ATOM 102 HB2PRO 7 -2.180 6.227-15.597 0.000 .00 ATOM 103 HB3PRO 7 -3.254 5.279-14.677 0.000 .00 ATOM 104 CA PRO 7 -3.352 $7.420-14.3050 .000 .00$ ATOM 105 HA PRO $7 \quad-3.322 \quad 7.075-13.2720 .000 .00$ ATOM 106 C PRO $7 \quad-2.198 \quad 8.387-14.507 \quad 0.000 .00$ ATOM 107 O PRO 7 -2.220 $9.133-15.4670 .000 .00$ ATOM 108 N LEU $8 \quad-1164$ ATOM 109 H LEU 8 -1.244 7.678-12.959 0.00 0.00 ATOM 110 CA LEU 8 0.133 9.056-13.703 0.00 0.00 ATOM 111 HA LEU 8 -0.085 10.045-14.105 0.00 0.00

ATOM 18 HB2TYR 2 -9.396 19.473-15.994 0.00 0.00 ATOM 19 HB3 TYR 2 -10.900 18.902-16.497 0.000 .00 ATOM 20 CG TYR 2 -11.039 20.108-14.639 0.00 0.00 ATOM 21 CD1TYR 2 -12.327 20.559-14.858 0.00 0.00 ATOM 22 HD1 TYR 2 - 12.909 20.130-15.660 0.00 0.00 ATOM 23 CE1 TYR 2 -12.958 21.452-13.965 0.000 .00 ATOM 24 HE1 TYR 2 -13.953 21.834-14.138 0.000 .00 ATOM 25 CZ TYR 2 -12.125 22.034-12.983 0.000 .00 ATOM 26 OH TYR 2 -12.491 23.161-12.359 0.00 0.00 ATOM 27 HH TYR 2 -13.333 23.524-12.642 0.000 .00 ATOM 28 CE2 TYR 2 -10.857 21.597-12.732 0.000 .00 ATOM 29 HE2 TYR 2 -10.257 22.119-12.001 0.00 0.00 ATOM 30 CD2 TYR 2 -10.305 20.650-13.620 0.000 .00 ATOM 31 HD2 TYR 2 2 -9.294 20.319-13.438 0.00 0.00 ATOM 32 C TYR 2 -11.449 17.014-14.449 0.00 0.00 ATOM 33 O TYR 2 -12.196 16.304-15.131 0.000 .00 ATOM 34 N ILE 3 -11.622 17.201-13.101 0.00 0.00 ATOM 35 H ILE $3-11.008$ 17.877-12.670 0.000 .00 ATOM 36 CA ILE $3-12.74016 .533-12.3560 .00000$ ATOM 37 HA ILE $3-12.470$ 16.612-11.302 0.000 .00 ATOM 38 CB ILE $3-14.048$ 17.311-12.391 0.000 .00 ATOM 39 HB ILE $3-14.878$ 16.747-11.965 0.000 .00 ATOM 40 CG2IIE $3-1384618.521-11.5420 .000 .00$ ATOM 41 HG21IIE 3 - 13.846 18.521-11.542 0.00000 ATOM 42 HG22ILE $3-13.40818 .225-10.5880 .000 .00$ ATOM 43 HG23ILE 3 -13.269 19.304-12.035 0.000 .00 ATOM 44 CG1ILE 3 -14.563 17.636-13.830 0.000 .00 ATOM 45 HG12 ILE $3-13.83018 .259-14.3420 .000 .00$ ATOM 46HG13ILE $3-14.790$ 16.751-14.425 0.000 .00 ATOM 47 CD1ILE $3-15.810$ 18.537-13.952 0.000 .00

ATOM 65 NE2 GLN 4 -13.346 10.797-16.625 0.000 .00 ATOM 66HE21GLN 4 -13.408 10.192-15.819 0.000 .00 ATOM 67HE22 GLN 4 -13.461 10.458-17.570 0.00 0.00 ATOM 68 C GLN $4-10.127$ 12.501-12.533 0.000 .00 ATOM 69 O GLN 4 -9.125 13.056-12.933 0.000 .00 ATOM 70 N ASN 5 -10.159 11.403-11.730 0.000 .00 ATOM 71 H ASN $5-11.061$ 11.063-11.429 0.000 .00 ATOM 72 CA ASN 5 -8.985 10.638-11.357 0.000 .00 ATOM 73 HA ASN 5 -8.167 11.324-11.136 0.000 .00 ATOM 74 CB ASN 5 -9.263 9.896-10.112 0.000 .00 ATOM 75 HB2ASN 5 -10.025 10379-9.501 0.00000 ATOM 75 HB2 ASN 5 - $-10.02510 .379-9.5010 .000 .00$ ATOM 76 HB3ASN 5 CG ASN 5 . ATOM 77 CG ASN 5 $-8.0749 .601-9.3110 .000 .00$ ATOM 78 OD1ASN 5 - $-7.0019 .811-9.7000 .000 .00$ ATOM 79 ND2 ASN 5 -8.182 $8.953-8.2240 .000 .00$ ATOM 80HD21 ASN 5 -7.364 $8.674-7.7020 .000 .00$ ATOM 81HD22 ASN 5 -9.053 8.741-7.759 0.000 .00 ATOM 82 C ASN 5 -8.442 9.830-12.496 0.000 .00 ATOM 830 ASN 5 -9.176 8.975-12.984 0.00 0.00 ATOM 84 N CYX 6 -7.234 10.040-12.964 0.00 0.00 ATOM 85 H CYX 6 - 6.614 10.669-12.474 0.00 0.00 ATOM 86 CA CYX $6 \begin{array}{llllll} & -6.674 & 9.476-14.207 & 0.00 & 0.00\end{array}$ ATOM 87 HA CYX 6 6 -7.223 8.612-14.582 0.000 .00 ATOM 88 CB CYX 6 -6.893 10.496-15.290 0.000 .00 ATOM 89 HB2CYX 6 -6.241 11.354-15.129 0.000 .00 ATOM 90 HB3 CYX 6 -6.419 10.107-16.191 0.00 0.00 ATOM 91 SG CYX 6 -8.610 10.995-15.755 0.00 0.00 ATOM 92 C CYX 6 -5.225 9.004-13.965 0.00 0.00 ATOM 93 O CYX 6 -4.603 9.659-13.170 0.00 0.00 ATOM 94 N PRO 7 -4.719 $7.955-14.5980 .000 .00$

ATOM 112 CB LEU 8 0.818 9.134-12.341 0.00 0.00 ATOM 113 HB2LEU $8 \quad 0.3289 .885-11.7220 .000 .00$ ATOM 114 HB3LEU 8 0.633 8.141-11.930 0.000 .00 ATOM 115 CG LEU $8 \quad 2.3149 .352-12.2500 .000 .00$ ATOM 116 HG LEU $8 \quad 2.7798 .546-12.8180 .000 .00$ ATOM 117 CD1LEU $8 \quad 2.659$ 10.796-12.627 0.000 .00 ATOM 118HD11LEU 8 3.696 11.026-12.378 0.000 .00 ATOM 119 HD12 LEU 8 2.502 10.886-13.702 0.000 .00 ATOM 120HD13LEU 8 2.151 11.504-11.972 0.00 0.00 ATOM 121 CD2LEU 8 2.807 9.279-10.847 0.00 0.00 ATOM 122HD21LEU 8 3.895 9.222-10.860 0.00 0.00 ATOM 123 HD22LEU $8 \quad 2.319$ 10.079-10.291 0.000 .00 ATOM 124HD23LEU $8 \quad 2.5228 .400-10.2690 .000 .00$ ATOM 125 C LEU 8 1.077 8.301-14.690 0.000 .00 ATOM 126 O LEU 8 1.345 7.109-14.533 0.00 0.00 ATOM 127 N GLY 9 1.689 9.022-15.646 0.000 .00 ATOM 128 H GLY 9 1.462 9.999-15.772 0.000 .00 ATOM 129 CA GLY 9 2.665 8.442-16.513 0.000 .00 ATOM 130 HA2 GLY 9 2.355 7.405-16.634 0.00 0.00 ATOM 131 HA3GLY $9 \quad 2.786$ 8.884-17.503 0.000 .00 ATOM 132 C GLY 9 4.127 8.459-15.984 0.00 0.00 ATOM 133 O GLY 9 4.447 9.198-15.048 0.00 0.00 ATOM 134 N NHE $10 \quad 5.0107 .794-16.7600 .000 .00$ ATOM 135 HN1NHE $10 \quad 4.672$ 7.179-17.486 0.000 .00 ATOM 136 HN2 NHE $10 \quad 5.989$ 7.891-16.532 0.000 .00 TER 137 NHE 10 ATOM 138 Cl-Cl- 11 4.874-10.098-16.650 0.000 .00 TER 139 Cl- 11 END

## OT, open23pbr (OPEN)

OT_MD-I_15us_T16_17

ATOM $1 \mathrm{~N}^{-}$CYX 1 - 0.266 -11.768 8.7650 .000 .00 ATOM 2 H1 CYX $111.030-12.0728 .1780 .000 .00$ ATOM 3 H2 CYX 1 - $0.207-10.9098 .5260 .000 .00$ ATOM 4 H3 CYX 1 -0.563-12.345 8.7600 .000 .00 ATOM 5 CA CYX $1 \quad 0.835-11.71010 .1090 .000 .00$ ATOM 6 HA CYX 1 0.016-11.619 10.8230 .000 .00 ATOM $\quad 7$ CB CYX $11 \quad 1.573-13.05010 .4940 .000 .00$ ATOM 8 HB2CYX $1 \quad 2.502-13.145 \quad 9.9330 .000 .00$ ATOM 9 HB3CYX $111.914-13.06711 .5290 .000 .00$ ATOM 10 SG CYX 1 ATOM 11 C CYX $1 \quad 1.790-10.55810 .2350 .000 .00$ ATOM 12 O CYX 1 2.943-10.688 9.9060 .000 .00 ATOM 13 N TYR $2 \quad 1.236-9.44510 .7550 .000 .00$ ATOM 14 H TYR $2 \quad 0.303-9.45711 .1420 .000 .00$ ATOM 15 CA TYR $2 \quad 1.926-8.19310 .7020 .000 .00$
 ATOM 17 CB TYR 22 0.911-7.073 10.321 0.000 .00 ATOM 18 HB2 TYR $2 \quad 0.769-7.006 \quad 9.2430 .000 .00$ ATOM 19 HB3 TYR $22-0.110-7.37910 .5480 .000 .00$ ATOM 20 CG TYR $2 \quad 1.124-5.65010 .9000 .000 .00$ ATOM 21 CD1TYR 2 2.268-4.923 10.3340 .000 .00 ATOM 22 HD1 TYR 2 2.779 -5.379 9.4980 .000 .00 ATOM 23 CE1 TYR $2 \quad 2.603-3.65210 .8850 .000 .00$ ATOM 24 HE1 TYR $2 \quad 3.414$-3.049 10.5040 .000 .00 ATOM 25 CZ TYR $2 \quad 1.941-3.23212 .0660 .000 .00$ ATOM 26 OH TYR 22 2.236-2.048 12.572 0.00 0.00 ATOM 27 HH TYR $223.019-1.63212 .2050 .000 .00$ ATOM 28 CE2 TYR $2 \quad 0.878-3.98512 .6280 .000 .00$ ATOM 29 HE2 TYR 2 0.377-3.651 13.5240 .000 .00 ATOM 30 CD2TYR $2 \quad 0.430-5.18512 .0230 .000 .00$ ATOM 31 HD2 TYR $2-0.414-5.73812 .4080 .000 .00$ ATOM 32 C TYR $2 \quad 2.813-7.90111 .9410 .000 .00$ ATOM 33 O TYR $2 \quad 3.794-7.23411 .7610 .000 .00$ ATOM 34 N ILE $3 \quad 2.394-8.38013 .1170 .000 .00$ ATOM 35 H ILE $3 \quad 1.486-8.82013 .0550 .000 .00$ ATOM 36 CA ILE $3 \quad 3.033-8.33314 .4380 .000 .00$ ATOM 37 HA ILE $3 \quad 3.788-7.55014 .5030 .000 .00$ ATOM 38 CB ILE $3 \quad 1.881-8.02415 .4570 .000 .00$ ATOM 39 HB ILE $3 \quad 2.375-7.85016 .4120 .000 .00$ ATOM 40 CG2ILE $3 \quad 1.067-6.68915 .1510 .000 .00$ ATOM 41 HG21ILE $3 \quad 0.444-6.77114 .2610 .000 .00$ ATOM 42 HG22ILE $3 \quad 0.264-6.61115 .8840 .000 .00$ ATOM 43 HG23ILE $3 \quad 1.753-5.86715 .3560 .000 .00$ ATOM 44 CG1ILE $3 \quad 0.946-9.24215 .6150 .000 .00$ ATOM 45 HG12ILE $3 \quad 0.393-9.44614 .6970 .000 .00$ ATOM 46 HG13ILE 3 1.410-10.199 15.8530 .000 .0 ATOM 47 CD1ILE $3-0.245-9.08216 .6050 .000 .00$

ATOM 48HD11ILE $3 \quad 0.192-9.08317 .6040 .000 .00$ ATOM 49 HD12 ILE 3 -0.860-8.205 16.4040 .000 .00 ATOM 50HD13ILE $3-1.020-9.83616 .4720 .000 .00$ ATOM 51 C LLE $3-3.773-9.66014 .7700 .000 .00$ ATOM 520 ILE 3 4.657 976015.6440 .000000 ATOM 53 N GLN $4 \quad 3.542-10.74313 .9690 .000 .00$ | ATOM | 53 N GLN | 4 | $3.542-10.74313 .969$ | 0.00 |
| :--- | :--- | :--- | :--- | :--- |
| ATOM | 54 H GLN | 4 | $2.837-10.781$ | 13.247 |
| 0.00 | 0.00 |  |  |  | ATOM 55 CA GLN 4 4.187-12.03014.211 0.00 0.00 $\begin{array}{lllllllllll}\text { ATOM } & 55 & \text { CA GLN } & 4 & 4.187-12.03014 .211 & 0.00 & 0.00 \\ \text { ATOM } & 56 \text { HA GLN } & 4 & 5.011-11.877 & 14.908 & 0.00 & 0.00\end{array}$ $\begin{array}{llllllllllll}\text { ATOM } & 56 \text { A GLN } & 4 & 5.011-11.877 & 14.908 & 0.00 & 0.00 \\ \text { ATOM } & 57 \text { CB GLN } & 4 & 3.043-12.719 & 15.033 & 0.00 & 0.00\end{array}$ ATOM 58 HB2 GLN 4 3.527-13.545 15.5530.00 0.00 ATOM 59 HB3 GLN 4 2.673-12.033 15.795 0.00 0.00 ATOM 60 CG GLN 4 1.876-13.329 14.220 0.000 .00 ATOM 61 HG2 GLN 4 2.212-13.864 13.332 0.000 .00 ATOM 62 HG3GLN 4 1.495-14.157 14.81 0.000 .00 ATOM 63 CD GLN $4 \quad 0.726-12.35513 .8520 .000 .00$ ATOM 64 OE1GLN $4 \quad 0.903-11.35013 .1020 .000 .00$ ATOM 65 NE2 GLN $4 \quad-0.459-12.59814 .3470 .000 .00$ ATOM 66 HE21GLN $4-1.137-11.89614 .0870 .000 .00$ ATOM 67HE22GLN $4-0.750-13.40914 .8740 .000 .00$ ATOM 68 C GLN 4 4.779-12.763 12.979 0.000 .00 ATOM 69 O GLN 4 4.379-12.550 11.830 0.000 .00 ATOM 70 N ASN $5 \quad 5798-13.637131750 .00000$ $5.205-13.77114 .1750 .000 .00$ ATOM 71 H ASN $56.205-13.7114 .0900 .000 .00$ ATOM 72 CA ASN 5 6.449-14.383 12.077 0.000 .00 ATOM 73 HA ASN 5 6.534-13.641 11.2830 .000 .00 ATOM 74 CB ASN $5 \quad 7.832-14.71012 .5290 .000 .00$ ATOM 75 HB2 ASN $5 \quad 8.365-13.80612 .8260 .000 .00$ ATOM 76 HB3ASN $5 \quad 7.789-15.32813 .4250 .000 .00$ ATOM 77 CG ASN 5 8.691-15.381 11.435 0.00 0.00 ATOM 78 OD1ASN $5 \quad 8.285-15.61210 .2850 .000 .00$ ATOM 79 ND2 ASN 5 9.890-15.685 11.7560 .000 .00 ATOM 80HD21 ASN 5 10.539-16.090 11.097 0.000 .00 ATOM 81 HD22 ASN $5 \quad 10.173-15.59212 .7210 .000 .00$ ATOM 82 C ASN $5 \quad 5.622-15.53111 .5530 .000 .00$ ATOM 83 O ASN 5 5.421-16.525 12.334 0.00 0.0 ATOM 84 N CYX $6 \quad 5.261-15.46710 .3080 .000 .00$ ATOM 85 H CYX 6 5.409-14.625 9.7700 .000 .00 ATOM 86 CA CYX $6 \quad 4.493-16.5489 .6680 .000 .00$ ATOM 87 HA CYX 6 4.341-17.436 10.282 0.00 0.00 ATOM 88 CB CYX 6 3.014-16.146 9.508 0.00 0.00 ATOM 89 HB2 CYX $6 \quad 2.957-15.208 \quad 8.9550 .000 .00$ ATOM 90 HB3CYX $6 \quad 2.520-16.9909 .0270 .000 .00$ ATOM 91 SG CYX $6 \quad 2.112-16.02910 .9810 .00 \quad 0.00$ TOM 92 C CYX 6 5.142-17.021 8.3140 .000 .0 ATOM 93 O CYX 6 5.478-16.119 7.561 0.00 0.00 ATOM 94 N PRO $7 \quad 5.203-18.3637 .9660 .000 .00$

ATOM 95 CD PRO 7 4.825-19.497 8.782 0.000 .00 ATOM 96 HD2PRO $7 \quad 3.739-19.435 \quad 8.8400 .000 .00$ ATOM 97 HD3 PRO 7 5.157-19.318 9.8050 .000 .00 ATOM 98 CG PRO $7 \quad 5.511-20.7398 .1760 .000 .00$ ATOM 99 HG2 PRO $7 \quad 4.884-21.6248 .2770 .000 .00$ ATOM 100 HG3PRO $7 \quad 6.430-20.9738 .7140 .000 .00$ ATOM 101 CB PRO $7 \quad 5.681-20.3916 .7190 .000 .00$ ATOM 102 HB2PRO $7 \quad 4.901-20.861 \quad 6.1190 .000 .00$ ATOM 103 HB3PRO $7 \quad 6.641-20.791 \quad 6.3930 .000 .00$ ATOM 104 CA PRO $7 \quad 5.645-18.898 \quad 6.670 \quad 0.00 \quad 0.00$ ATOM 105 HA PRO $7 \quad 6.672-18.5636 .5190 .000 .00$ ATOM 106 C PRO 7 4.745-18.341 5.5540 .000 .00 ATOM 107 O PRO 7 3.642-18.030 5.8490 .000 .00 ATOM 108 N LEU 8 5.220-18.299 4.3620 .000 .00 ATOM 109 H LEU $8 \quad 6.209-18.4674 .2460 .000 .00$ ATOM 110 CA LEU $8 \quad 4.492-17.852 \quad 3.1700 .000 .00$ ATOM 111 HA LEU $8 \quad 3.998-16.918 \quad 3.4380 .000 .00$ ATOM 112 CB LEU $8 \quad 5.446-17.525 \quad 2.0270 .000 .00$ ATOM 113 HB2LEU $8 \quad 6.146-18.3561 .9430 .000 .00$ ATOM 114 HB3LEU 8 4.921-17.595 1.0740 .000 .00 ATOM 115 CG LEU 8 6.301-16.213 2.0480 .000 .00 ATOM 116 HG LEU 8 6.882-16.150 2.9680 .000 .00 ATOM 117 CD1LEU 8 7.223-16.120 0.7980 .000 .00 ATOM 118HD11LEU 8 6.594-16.101-0.092 0.000 .00 ATOM 119HD12LEU 8 7.797-15.198 0.8890 .000 .00 ATOM 120 HD13LEU 8 7.917-16.961 0.7890 .000 .00 ATOM 121 CD2LEU $8 \quad 5.397-14.949 \quad 2.1100 .000 .00$ ATOM 122 HD21LEU 8 6.052-14.107 1.8850 .000 .00 ATOM 123HD22LEU 8 4.632-15.089 1.3470 .000 .00 ATOM 124HD23LEU 8 4.905-14.877 3.0800 .000 .00 ATOM 125 C LEU 8 3.415-18.916 2.7810 .000 .00 ATOM 126 O LEU 8 3.751-20.068 2.5200 .000 .00 ATOM 127 N GLY $9 \quad 2.133-18.4522 .5580 .000 .00$ ATOM 128 H GLY 9 1.994-17.454 2.6340 .000 .00 ATOM 129 CA GLY $9 \quad 1.125-19.317 \quad 1.8950 .000 .00$ ATOM 130 HA2 GLY $9 \quad 1.282-20.378 \quad 2.0900 .000 .00$ ATOM 131 HA3GLY 9 0.129-19.156 2.3060 .000 .00 ATOM 132 C GLY 9 1.262-19.235 0.3870 .000 .00 ATOM 133 O GLY 9 2.173-18.585-0.182 0.000 .00 ATOM 134 N NHE $10 \quad 0.420-20.050-0.2520 .000 .00$ ATOM 135 HN1 NHE $10-0.056-20.8010 .2280 .000 .00$ ATOM 136 HN2 NHE $10 \quad 0.686-20.161-1.2200 .000 .00$ TER 137 NHE 10 ATOM 138 Cl-Cl- $11 \quad 0.014 \quad 14.126-6.9610 .00 \quad 0.00$ TER 139 Cl- 11
END

## OT, open233-4pbr* (OPEN)

OT_MD-III_10us_T16_3
ATOM 1 N CYX $1 \quad 13.757-0.647-12.1960 .000 .00$ ATOM 2 H1 CYX $1114.738-0.885-12.1630 .000 .00$ ATOM $\quad 3 \mathrm{H} 2 \mathrm{CYX} \quad 1113.680 \quad 0.352-12.3180 .000 .00$ ATOM 4 H3 CYX 1 1 $13.256-1.126-12.9310 .000 .00$ ATOM 5 CA CYX 1 ATOM 6 HA CYX 1 13.704 -0.064-10.291 0.00 0.00 ATOM 7 CB CYX $1 \quad 11.669-0.738-10.9610 .000 .00$ ATOM 8 HB2 CYX 1 11.281-1.320-11.798 0.000 .00 ATOM 9 HB3CYX 1 11.127-1.118-10.095 0.00 0.00

ATOM 48HD11ILE 3 12.761-2.034-2.252 0.000 .00 ATOM 49 HD12ILE 3 12.256 -0.369-2.678 0.000 .00 ATOM 50HD13ILE 3 11.071-1.646-2.555 0.000 .00 ATOM 51 C ILE 3 10.399-2.422-6.743 0.000 .00 ATOM 52 O ILE 3 10.639-1.297-7.224 0.00 0.00 ATOM 53 N GLN 4 9.194-2.872-6.445 0.00 0.00 ATOM 54 H GLN $4 \quad 9.156-3.840-6.1600 .000 .00$ ATOM 55 CA GLN $4 \quad 7.896-2.315-6.8650 .000 .00$ ATOM 56 HA GLN $4 \quad 7.205-2.963-6.3260 .000 .00$

ATOM 95 CD PRO $7 \quad 6.505$ 1.368-15.184 0.00 0.00 ATOM 96 HD2 PRO 7 7.490 1.818-15.061 0.00 0.00 ATOM 97 HD3PRO $7 \quad 5.900$ 1.678-14.332 0.000 .00 ATOM 98 CG PRO $7 \quad 5.867 \quad 1.842-16.4880 .000 .00$ ATOM 99 HG2 PRO $7 \quad 6.636$ 2.231-17.156 0.000 .00 ATOM 100 HG3PRO $7 \quad 5.257$ 2.732-16.330 0.00 0.00 ATOM 101 CB PRO $7 \quad 5.213$ 0.714-17.173 0.000 .00 ATOM 102 HB2PRO $7 \quad 5.436 \quad 0.730-18.2400 .000 .00$ ATOM 103 HB3PRO 7 4.128 0.770-17.082 0.00 0.00

ATOM 10 SG CYX 1 11.026 0.804-11.485 0.00 0.00 ATOM 11 C CYX $1113.592-2.220-10.4230 .000 .00$ ATOM 12 O CYX 1 13.221-3.129-11.044 0.000 .00 ATOM 13 N TYR 2 14.202-2.420-9.205 0.00 0.00 ATOM 14 H TYR $2214.419-1.650-8.5890 .000 .00$ ATOM 15 CA TYR $2214.638-3.746-8.7220 .000 .00$ ATOM 16 HA TYR $214.540-4.486-9.5150 .000 .00$ ATOM 17 CB TYR 2 16.101-3.827-8.331 0.00 0.00 ATOM 18 HB2 TYR 2 16.389-4.822-7.991 0.00 0.00 ATOM 19 HB3 TYR $2 \quad 16.661-3.486-9.2020 .000 .00$ ATOM 20 CG TVR $216.430-2.850-7.1480 .00000$ ATOM 21 CD1TYR 2 16.337-3.336-5.839 0.00 0.00 ATOM 22 HD1 TYR $2 \quad 15.964-4.331-5.6460 .000 .00$ ATOM 23 CE1 TYR $2 \quad 16.428-2.456-4.7390 .000 .00$ ATOM 24 HE1 TYR 2 16.206-2.801-3.740 0.000 .00 ATOM 25 CZ TYR 2 16.744-1.087-4.946 0.00 0.00 ATOM 26 OH TYR $216.856-0.266-3.8250 .000 .00$ ATOM 27 HH TYR $216.628-0.760-3.0330 .000 .00$ ATOM 28 CE2 TYR $216.988-0.601-6.2870 .000 .00$ ATOM 29 HE2 TYR $217.2300 .432-6.4900 .000 .00$ ATOM 30 CD2TYR 2 16.701-1.479-7.378 0.000 .00 ATOM 31 HD2 TYR 2 16.607-1.044-8.362 0.00 0.00 ATOM 32 C TYR $2 \quad 13.631-4.158-7.6160 .000 .00$ ATOM 330 TYR 2 13.619-5.274-7.149 0.00 0.00 ATOM 34 N ILE 3 12.728-3.288-7.134 0.000 .00 ATOM 35 H ILE 3 12.701-2.375-7.565 0.000 .00 ATOM 36 CA ILE $3 \quad 11.521-3.401-6.2970 .000 .00$ ATOM 37 HA ILE 3 11.124-4.405-6.445 0.000 .00 ATOM 38 CB ILE 3 11.835-3.240-4.775 0.000 .00 ATOM 39 HB ILE $3 \quad 10.943-3.436-4.1790 .000 .00$ ATOM 40 CG2ILE $3 \quad 13.004-4.023-4.2970 .000 .00$ ATOM 41 HG21 ILE $3 \quad 13.944-3.762-4.7840 .000 .00$ ATOM 42 HG 22 ILE 3 3 $13.018-4.127-3.2120 .000 .00$ ATOM 43 HG23ILE 3 12.805-5.044-4.623 0.000 .00 ATOM 44 CG1ILE 3 12.095-1.760 -4.366 0.000 .00 ATOM 45 HG12 ILE 3 11.395-1.094-4.870 0.00 0.00 ATOM 46 HG13ILE 3 13.049-1.513-4.834 0.00 0.00 ATOM 47 CD1ILE $3 \quad 12.093-1.430-2.8660 .000 .00$

ATOM 57 CB GLN $4 \quad 7.782-0.859-6.2730 .000 .00$ ATOM 58 HB2GLN $4 \quad 8.430-0.149-6.7870 .000 .00$ ATOM 58 HB2GLN $4 \quad 8.430-0.149-6.7870 .000 .00$ $\begin{array}{lllllllllll}\text { ATOM } 59 \text { HB3 GLN } & 4 & 6.790 & -0.467 & -6.498 & 0.00 & 0.0 \\ \text { ATOM } 60 \text { CG GLN } & 4 & 8.055 & -0.772 & -4.739 & 0.00 & 0.00\end{array}$ $\begin{array}{lllllllllll}60 \text { CG GLN } & 4 & 8.055 & -0.772 & -4.739 & 0.00 & 0.00 \\ \text { IM } & 61 \text { HG2 GLN } & 4 & 7.662 & -1.616 & -4.171 & 0.00 & 0.00\end{array}$
 63 CD GLN $4 \quad 7.522 \quad 0.488-4.1020 .000 .00$ ATOM 64 OE1 GLN $4.7 .0691 .373-4.7910 .000 .00$ ATOM 65 NE2 GLN 4 7.680 $0.776-2.8190 .000 .00$ ATOM 66HE21GLN $4 \quad 7.145$ 1.571-2.499 0.000 .00 ATOM 67 HE22 GLN $4 \quad 8.356 \quad 0.304-2.2360 .000 .00$ ATOM 68 C GLN $4 \quad 7.539-2.410-8.3780 .000 .00$ ATOM 69 O GLN $4 \quad 8.370-2.457-9.2220 .000 .00$ ATOM 70 N ASN 5 $6.228-2.396-8.6240 .000 .00$ ATOM 71 H ASN $5 \quad 5.555-2.470-7.8740 .000 .00$ ATOM 72 CA ASN $5 \quad 5.737 \cdot 2.543-9.9810 .000 .00$ ATOM 73 HA ASN 5 6.225 -3.387-10.469 0.000 .00 ATOM 74 CB ASN $5 \quad 4.260-2.882-9.9330 .000 .00$ ATOM 75 HB2 ASN $5 \quad 4.018-3.779-9.3620 .00000$ ATOM 76 HB3ASN $5 \quad 3.647-2.133-9.4310 .000 .00$ ATOM 77 CG ASN $5 \quad 3.627-3.208-11.2770 .000 .00$ ATOM 78 ODIASN $5 \quad 4.231-3.964-12.0860 .000 .00$ ATOM 79 ND2 ASN $5 \quad 2.468$-2.772-11.650 0.000 .00 ATOM 80HD21ASN 5 1.964-3.120-12.454 0.00 0.0 ATOM 81HD22 ASN 5 1.925-2.242-10.984 0.00 0.00 ATOM 82 C ASN 5 6.041-1.281-10.817 0.000 .00 ATOM 83 O ASN 5 5.427-0.203-10.587 0.000 .00 ATOM 84 N CYX 6 6.725-1.456-11.929 0.00 0.00 ATOM 85 H CYX 6 7.055-2.399-12.073 0.000 .00 ATOM 86 CA CYX $6 \quad 7.047-0.453-12.8950 .000 .00$ ATOM 87 HA CYX $6 \quad 6.521 \quad 0.482-12.7030 .000 .00$ ATOM 88 CB CYX $6 \quad 6 \quad 8.531-0.212-12.8360 .000 .00$ ATOM 89 HB2 CYX 6 9.101-1.124-13.013 0.000 .00 ATOM 90 HB3CYX $6 \quad 8.857$ 0.547-13.547 0.000 .00 ATOM 91 SG CYX 6 9.034 0.431-11.216 0.00 0.00 ATOM 92 C CYX 6 6.749-1.001-14.354 0.00 0.00 TOM 93 O CYX 6 6.807-2.158-14.634 0.00 0.00 ATOM 94 N PRO $7 \quad 6.397-0.088-15.2790 .000 .00$

ATOM 104 CA PRO $7 \quad 5.804$-0.523-16.567 0.00 0.00 ATOM 105 HA PRO $7 \quad 4.939$-1.171-16.426 0.000 .00 ATOM 106 C PRO 7 6.802-1.164-17.552 0.00 0.00 ATOM 107 O PRO $7 \quad 8.049-1.012-17.4130 .000 .00$ ATOM 108 N LEU 8 6.318-1.866-18.584 0.000 .00 ATOM 109 H LEU 8 5.321-2.016-18.636 0.00 0.00 ATOM 110 CA LEU 8 6.997-2.164-19.867 0.000 .00 ATOM 111 HA LEU 8 8.071-2.099-19.692 0.00 0.00 ATOM 112 CB LEU $8 \quad 6.630-3.568-20.2920 .000 .00$ ATOM 113 HB2LEU 8 5.573 -3.471-20.538 0.000 .00 ATOM 114 HB3LEU 8 6.696-4.277-19.467 0.000 .00 ATOM 115 CG LEU $8 \quad 7.340-4.112-21.5230 .000 .00$ ATOM 116 HG LEU $8 \quad 7.342$-3.350-22.301 0.000 .00 ATOM 117 CD1LEU $8 \quad 8.791$-4.531-21.331 0.000 .00 ATOM 118HD11LEU 8 9.437-3.653-21.338 0.000 .00 ATOM 119HD12LEU 8 8.960-5.061-20.394 0.000 .00 ATOM 120 HD13LEU 8 8.994-5.200-22.166 0.000 .00 ATOM 121 CD2LEU 8 6.490 -5.371-21.977 0.00 0.00 ATOM 122 HD21LEU 8 5.475-4.981-22.064 0.00 0.00 ATOM 123HD22LEU 8 6.877-5.941-22.821 0.00 0.00 ATOM 124HD23LEU $8 \quad 6.469-6.165-21.2310 .000 .00$ ATOM 125 C LEU 8 6.673-1.132-20.976 0.00 0.00 ATOM 126 O LEU 8 5.548-1.239-21.524 0.00 0.00 ATOM 127 N GLY 9 7.628-0.247-21.252 0.000 .00 ATOM 128 H GLY $9 \quad 8.532-0.538-20.9060 .000 .00$ ATOM 129 CA GLY 9 7.523 0.835-22.116 0.00 0.00 ATOM 130 HA2 GLY $9 \quad 8.428 \quad 0.971-22.7080 .000 .00$ ATOM 131 HA3GLY $9 \quad 6.659 \quad 0.735-22.7730 .000 .00$ ATOM 132 C GLY 9 7.281 2.135-21.465 0.00 0.00 ATOM 133 O GLY $9 \quad 6.911 \quad 2.202-20.2170 .000 .00$ ATOM 134 N NHE $10 \quad 7.402 \quad 3.246-22.190 \quad 0.000 .00$ ATOM 135 HN1 NHE $10 \quad 7.742 \quad 3.253-23.1410 .000 .00$ ATOM 136 HN2 NHE $10 \quad 7.223$ 4.112-21.701 0.000 .00 TER 137 NHE 10 ATOM 138 Cl Cl- $11 \quad 13.962 \quad 2.3108 .046 \quad 0.000 .00$ TER 139 Cl- 11 END

OT, intermediate saddle* (OPEN/FOLDED)

OT MD-II 15us T16 9
ATOM $1 \mathrm{~N} \overline{\mathrm{CYX}} \quad 1$ - 5.069 -17.547-11.905 0.00 0.00 ATOM 2 H1 CYX 114.967 -17.074-11.018 0.000 .00 ATOM 3 H2 CYX 1 4.905-18.542-11.846 0.000 .00 ATOM 4 H3 CYX 1 4.479-17.033-12.543 0.00 0.00 ATOM 5 CA CYX 1 6.428-17.425-12.449 0.00 0.00 ATOM 6 HA CYX 1 6.526-17.834-13.454 0.00 0.00 ATOM 7 CB CYX 11 6.800-15.994-12.805 0.00 0.00 ATOM 8 HB2 CYX 11 7.532-16.076-13.609 0.000 .00 ATOM 9 HB3 CYX 11 6.000-15.480-13.337 0.00 0.00 ATOM 10 SG CYX $1 \begin{array}{llllllll} & 7.298-14.859-11.4220 .00 ~ & 0.00\end{array}$ ATOM 11 C CYX $1 \quad 7.374-18.174-11.6160 .000 .00$ ATOM 12 O CYX 1 7.042-18.546-10.495 0.000 .00 ATOM 13 N TYR 2 8.621-18.431-12.062 0.000 .00 ATOM 14 H TYR 2 8.845-18.166-13.011 0.00 0.00 ATOM 15 CA TYR 2 9.619-19.068-11.115 0.00 0.00 ATOM 16 HA TYR 2 9.250-19.925-10.551 0.000 .00 ATOM 17 CB TYR 2 10.740-19.565-12.029 0.00 0.00 ATOM 18 HB2 TYR 2 10.374-20.229-12.813 0.00 0.00 ATOM 19 HB3TYR 2 11.297-18.757-12.503 0.000 .00 ATOM 20 CG TYR 2 11.810-20.341-11.261 0.000 .00 ATOM 21 CD1TYR 2 13.143-19.821-11.106 0.00 0.00 ATOM 22 HD1 TYR 2 13.328-18.931-11.689 0.00 0.00 ATOM 23 CE1 TYR 2 14.044-20.428-10.231 0.00 0.00 ATOM 24 HE1 TYR 2 15.024-20.017-10.042 0.00 0.00 ATOM 25 CZ TYR 2 13.708-21.623-9.607 0.00 0.00 ATOM 26 OH TYR 2 14.627-22.056-8.651 0.00 0.00 ATOM 27 HH TYR $2214.273-22.825-8.1970 .000 .00$ ATOM 28 CE2 TYR 2 12.522-22.206 -9.889 0.00 0.00 ATOM 29 HE2 TYR 2 12.176-23.023-9.273 0.00 0.00 ATOM 30 CD2TYR 2 11.519-21.607-10.645 0.00 0.00 ATOM 31 HD2 TYR 2 10.532-22.026-10.776 0.00 0.00 ATOM 32 C TYR 2 10.195-18.150-10.047 0.00 0.00 ATOM 33 O TYR 2 10.058-16.937-10.089 0.00 0.00 ATOM 34 N ILE 3 10.597-18.690-8.938 0.000 .00 ATOM 35 H ILE 3 10.649-19.694-8.844 0.00 0.00 ATOM 36 CA ILE 3 10.891-18.042 -7.695 0.00 0.00 ATOM 37 HA ILE 3 10.037-17.394-7.495 0.000 .00 ATOM 38 CB ILE 3 10.883-19.141-6.522 0.000 .00 ATOM 39 HB ILE 3 11.087-18.605-5.595 0.000 .00 ATOM 40 CG2ILE 3 9.475-19.723-6.348 0.00 0.00 ATOM 41 HG21ILE $3 \quad 9.190-20.265-7.2490 .000 .00$ ATOM 42 HG22ILE 3 9.442-20.441-5.529 0.00 0.00 ATOM 43 HG23ILE $3 \quad 8.736-18.931-6.2270 .000 .00$ ATOM 44 CG1ILE $3 \quad 11.862-20.315-6.6690 .000 .00$ ATOM 45 HG12ILE 3 11.519-20.894 -7.526 0.00 0.00 ATOM 46 HG13ILE 3 12.842-19.920-6.936 0.000 .0 ATOM 47 CD1ILE 3 12.012-21.312-5.540 0.000 .00

ATOM 48HD11ILE 3 12.686-22.139-5.761 0.00 0.00 ATOM 49HD12ILE $3 \quad 12.479-20.733-4.7430 .000 .00$ ATOM 50HD13ILE 3 11.027-21.636-5.202 0.000 .00 ATOM 51 C ILE 3 12.208-17.214-7.705 0.00 0.00 ATOM 52 O ILE 3 12.417-16.344-6.846 0.00 0.00 ATOM 53 N GLN 4 12.963-17309-8.796 0.000 .00 ATOM 54 H GLN 4 12.609-17.958 -9.485 0.00 0.00 ATOM 55 CA GLN 4 14.116-16.429-9.082 0.00 0.00 ATOM 56 HA GLN 4 14.002-15.561-8.432 0.000 .00 ATOM 57 CB GLN 4 15.508-17.159-8.858 0.000 .00 ATOM 58 HB2 GLN 4 15.643-17.919-9.628 0.00 0.00 ATOM 59 HB3GLN 4 16.368-16.495-8.946 0.00 0.00 ATOM 60 CG GLN 4 15.612-17.916-7.549 0.000 .00 ATOM 61 HG2GLN 4 14.754-18.563-7.368 0.000 .00 ATOM 62 HG3 GLN 4 16.547-18.474-7.605 0.00 0.00 ATOM 63 CD GLN 4 15.669-17.021-6.304 0.00 0.00 ATOM 64 OE1GLN 4 15.523-15.797 -6.404 0.00 0.00 ATOM 65 NE2 GLN 4 16.210-17.506 -5.262 0.00 0.00 ATOM 66 HE21 GLN 4 16.309-18.495 -5.083 0.00 0.0 ATOM 67HE22 GLN 4 16.328-16.852-4.502 0.000 .00 ATOM 68 C GLN 4 14.172-15.829-10.487 0.00 0.00 ATOM 69 O GLN 4 13.634-16.499-11.404 0.00 0.00 ATOM 70 N ASN 5 14.793-14.667-10.692 0.000 .00 ATOM 71 H ASN 5 15.112-14.163-9.877 0.00 0.00 ATOM 72 CA ASN 5 14.964-13.937-12.005 0.00 0.00 ATOM 73 HA ASN 5 15.238-12.936-11.671 0.000 .00 ATOM 74 CB ASN 5 16.168-14.567-12.787 0.000 .00 ATOM 7 CB ASN 5 HB2 ASN 5 16.168-14.561-14.779-12.059 0.000 .0 ATOM 76 HB3 ASN 5 15.874-15.518-13.232 0.000 .00 ATOM 77 CG ASN 5 16.818-13.505-13.742 0.00 0.00 ATOM 78 OD1ASN 5 17.317-12.523-13.252 0.00 0.00 ATOM 79 ND2ASN 5 16.767-13.617-15.021 0.00 0.00 ATOM 80HD21ASN 5 17.070-12.846-15.599 0.000 .00 ATOM 81 HD22 ASN 5 16.237-14.375-15.427 0.000 .00 ATOM 82C ASN 5 13.634-13.729-12.852 0.000 .00 ATOM 83 O ASN 5 13.785-13.595-14.086 0.000 .00 ATOM 84 N CYX 6 12.454-13.570-12.244 0.000 .00 ATOM 85 H CYX 6 12.397-13.860-11.279 0.000 .00 ATOM 86 CA CYX 6 11.148-13.177-12.791 0.00 0.00 ATOM 87 HA CYX 6 11.185-13.318-13.871 0.00 0.00 ATOM 88 CB CYX 6 10.087-14.141-12.280 0.00 0.00 ATOM 89 HB2CYX 6 10.178-15.062-12.856 0.00 0.00 ATOM 90 HB3 CYX 6 10.298-14.492-11.270 0.00 0.00 ATOM 91 SG CYX 6 8.414-13.524-12.319 0.000 .00 ATOM 92 C CYX 66 10.803-11.737-12.428 0.000 .00 tom 93 O CYX 6 11.155-11.346-11.333 0.00 0.00 ATOM 94 N PRO 7 10.156-10.887-13.288 0.000 .00

ATOM 95 CD PRO 7 9.897-11.294-14.664 0.00 0.00 ATOM 96 HD2PRO 7 8.923-11.775-14.759 0.00 0.00 ATOM 97 HD3PRO 7 10.732-11.832-15.114 0.000 .00 ATOM 98 CG PRO 7 9.856-10.008-15.459 0.000 .00 ATOM 99 HG2 PRO 7 9.129-10.072-16.268 0.00 0.00 ATOM 100 HG3PRO 7 10.804-9.787-15.949 0.000 .00 ATOM 101 CB PRO 7 9.508-8.931-14.398 0.00 0.00 ATOM 102 HB2 PRO $7 \quad 7 \quad 8.427-8.884-14.2680 .000 .00$ ATOM 103 HB3PRO $7 \quad 9.809-7.939-14.7360 .000 .00$ $\begin{array}{lllrl}\text { ATOM 104 CA PRO } & 7 & 10.131 & -9.438-13.124 & 0.00 \\ 0.00\end{array}$ ATOM 105 HA PRO 7 1 $11.135-9.032-13.0010 .000 .00$ ATOM 106 C PRO $7 \quad 9.283-9.123-11.8980 .000 .00$ ATOM 107 O PRO 7 8.299-9.745-11.527 0.00 0.00 ATOM 108 N LEU 8 9.724-8.040-11.188 0.00 0.00 ATOM 109 H LEU 8 10.584-7.568-11.430 0.00 0.00 ATOM 110 CA LEU $8 \quad 9.120-7.713-9.8690 .000 .00$ ATOM 111 HA LEU $8 \quad 8.512-8.542-9.5060 .000 .00$ ATOM 112 CB LEU $8 \quad 10.233-7.466-8.8270 .000 .00$ ATOM 113 HB2LEU 8 10.925-6.677-9.119 0.00 0.00 ATOM 114 HB3LEU 8 9.652-7.105-7.978 0.000 .00 ATOM 115 CG LEU $8 \quad 11.024-8.782-8.4800 .000 .00$ ATOM 116 HG LEU 8 11.780 -9.044-9.220 0.00 0.00 ATOM 117 CD1LEU $8 \quad 11.680-8.649-7.0690 .000 .00$ ATOM 118HD11LEU 8 10.865-8.319-6.425 0.00 0.00 ATOM 119HD12 LEU 8 12.236-9.540-6.778 0.000 .00 ATOM 120HD13LEU 8 12.428-7.856-7.056 0.00 0.00 ATOM 121 CD2LEU $8 \quad 10.092-9.998-8.3160 .000 .00$ ATOM 122 HD21LEU 8 10.638-10.753-7.750 0.000 .0 ATOM 123 HD22 LEU 8 9.271-9.709-7.660 0.000 .00 ATOM 124 HD23LEU 8 9.819-10.386-9.297 0.00 0.00 ATOM 125 C LEU $8 \quad 8.202-6.431-9.9770 .000 .00$ ATOM 126 O LEU $8 \quad 8.540-5.591-10.7780 .000 .00$ ATOM 127 N GLY $9 \quad 7.104-6.463-9.3160 .000 .00$ ATOM 128 H GLY $9 \quad 6.882-7.358-8.9040 .000 .00$ ATOM 129 CA GLY $9 \quad 6.007-5.590-9.5960 .000 .00$ ATOM 130 HA2 GLY $9 \quad 5.408-5.429-8.7000 .000 .00$ ATOM 131 HA3GLY $9 \quad 6.292-4.599-9.9480 .000 .00$ ATOM 132 C GLY 9 5.009-6.070-10.639 0.000 .00 ATOM 133 O GLY 9 4.517-7.192-10.657 0.00 0.00 ATOM 134 N NHE 10 4.617-5.238-11.624 0.00 0.00 ATOM 135 HN1NHE $10 \quad 5.022-4.313-11.6180 .000 .00$ ATOM 136 HN2 NHE $10 \quad 4.060-5.530-12.4150 .000 .00$ TER 137 NHE 10
ATOM 138 Cl Cl- 11 -9.180 -2.5926 .1910 .000 .00 TER $139 \quad \mathrm{Cl}-1$ END

ATOM 2 CA CYE 1 -9.506 0.44414 .7130 .000 .00 ATOM 3 HA CYE $1 \begin{array}{llllll} & -8.849 & -0.394 & 14.481 & 0.00 & 0.00\end{array}$
 ATOM 5 HB2 CYE $11-11.081-0.86514 .3060 .000 .00$ ATOM 6 HB3 CYE $11-10.588-0.81416 .0700 .000 .00$
 ATOM 8 C CYE 1 ATOM 9 O CYE 1 -9.936 2.66813 .8490 .000 .00 ATOM 10 N TYR 2 -9.544 1.02112 .3670 .000 .00 ATOM 11 H TYR 2 -9.369 0.03812 .2150 .000 .00 ATOM 12 CA TYR 2 - -9.7621 .88511 .2410 .000 .00 ATOM 13 HA TYR $2 \begin{array}{lllllllllllllllll} & -9.486 & 2.845 & 11.677 & 0.00 & 0.00\end{array}$ ATOM 14 CB TYR $22-8.7251 .55410 .1810 .000 .00$
 ATOM 16 HB3 TYR $22-8.9920 .687 \quad 9.578 \quad 0.000 .00$ ATOM 17 CG TYR $2 \quad-8.551 \quad 2.7669 .2660 .000 .00$ ATOM 18 CD1TYR 2 2 -8.1624 .0179 .8180 .000 .00 ATOM 19 HD1 TYR 2 -7.966 4.09010 .8770 .000 .00 ATOM 20 CE1 TYR $2 \quad-8.0725 .1728 .9840 .000 .00$ ATOM 21 HE1 TYR 2 -7.811 6.1249 .4230 .000 .00 ATOM 22 CZ TYR $22-8.3005 .0097 .6350 .000 .00$ ATOM 23 OH TYR $22-8.351 \quad 6.092 \quad 6.8690 .000 .00$
 ATOM 25 CE2 TYR $22-8.6283 .7407 .1300 .000 .00$ ATOM 26 HE2 TYR 2 -8.872 3.6156 .0860 .000 .00 ATOM 27 CD2TYR 2 -8.725 2.6117 .9460 .000 .00 ATOM 28 HD2 TYR 2 -8.937 1.6377 .5290 .000 .00 ATOM 29 C TYR 2 -11.278 1.83310 .8670 .000 .00 ATOM 300 TYR $2-12.0560 .92411 .1430 .000 .00$ ATOM 31 N ILE $3-11.670 \quad 2.90310 .1140 .000 .00$ ATOM 32 H ILE 3 -10.968 3.5639 .8110 .000 .00 ATOM 33 CA ILE $30-12.973 \quad 2.954 \quad 9.4290 .000 .0$
 ATOM 35 CB ILE $3-13.4214 .3528 .8530 .000 .00$ ATOM 36 HB ILE $3-14.0764 .1877 .9970 .000 .00$ ATOM 37 CG2ILE $3-14.2025 .1419 .9930 .000 .00$ ATOM 38HG21IIE $3-14.5766 .0329 .4890 .00000$ ATOM 39 HG22ILE $3-15.0724 .53910 .2570 .000 .00$ ATOM 4OHG23ILE 3 ATOM 41 CG1ILE 3 3 $-12.215 \quad 5.127 \quad 8.309 \quad 0.000 .00$ ATOM $42 \mathrm{HG12}$ ILE $3-11.4605 .3479 .0640 .000 .00$ ATOM 43 HG13ILE 3 -11.631 4.4507 .6860 .000 .00 ATOM 44 CD1ILE 3 -12.572 6.3117 .3500 .000 .00 ATOM 45HD11ILE $3-13.3866 .0516 .6740 .000 .00$

ATOM 47HD13ILE 3 -11.747 6.5816 .6910 .000 .00 ATOM 48 C ILE 3 ATOM 490 ILE $3-12.148 \quad 1.502 \quad 7.7650 .000 .00$ ATOM 50 N GLN $4-14.3481 .3358 .2190 .000 .00$
 ATOM 52 CA GLN 4 ATOM 53 HA GLN $4-15.718-0.0747 .6500 .000 .00$ ATOM 54 CB GLN $4-14.7150 .5405 .8010 .000 .00$ ATOM 55 HB2GLN $4-13.7710 .7125 .2850 .000 .00$ ATOM 56 HB3GLN $4-15.180-0.3195 .3170 .00000$ ATOM 57 CG GLN $4-15.6501 .7365 .4580 .000 .00$ ATOM 58 HG2GLN $4 \quad-16.5821 .694 \quad 6.0220 .000 .00$
 ATOM 60 CD GLN $4 \quad-15.884 \quad 2.020 \quad 3.9910 .000 .00$ ATOM 61 OETGLN $4 \quad-15.04 Z-2.440 \quad 3.2320 .000 .00$ ATOM 62 NE2 GLN $4-17.0301 .5393 .5720 .000 .00$ ATOM 63 HE21GLN $4-17.2371 .3312 .6060 .000 .00$ ATOM 64HE22 GLN $4-17.6791 .1354 .2320 .000 .00$ ATOM 65 C GLN $4-13.971-1.0897 .6380 .000 .00$ ATOM 66 O GLN $4-14.123-2.079 \quad 6.9560 .000 .00$ ATOM 67 N ASN 5 -13.208-1.149 8.7320 .000 .00 ATOM 68 H ASN 5 ATOM 69 CA ASN 5 -12.273-2.249 9.198 0.000 .00 70 HA ASN $5 \quad-12.541-3.1268 .6090 .000 .00$
ATOM 71 CB ASN 5 -10.856 -1.752 9.0370 .000 .00 ATOM 72 HB2 ASN $5-10.821-1.0178 .2330 .000 .00$ ATOM 73 HB3ASN $5-10.556-1.1759 .9120 .000 .00$ ATOM 74 CG ASN 5 -9.840 -2.8308 .7400 .000 .00 ATOM 75 OD1ASN 5 - $-9.599-3.0967 .5440 .000 .00$ ATOM 76 ND2 ASN $5 \quad-9.177-3.448 \quad 9.6930 .000 .00$ ATOM 77HD21 ASN 5 -8.392 -4.061 9.5210 .000 .00 ATOM 78HD22 ASN 5 -9.390 -3.281 10.6660 .000 .00 ATOM 79 C ASN 5 -12.501-2.655 10.6750 .000 .00 ATOM 80 O ASN 5 -11.780 -3.577 11.1150 .000 .00 ATOM 81 N CYX 6 -13.298 -1.921 11.4810 .000 .00 ATOM 82 H CYX 6 -13.831-1.141 11.1240 .000 .00 ATOM 83 CA CYX 6 -13.237 -2.06812 .9490 .000 .00 ATOM 84 HA CYX 6 -12.191-2.091 13.255 0.000 .00 ATOM 85 CB CYX $66-13.937-0.79213 .4880 .000 .00$ ATOM 86 HB2 CYX 6 6 -13.5440 .07012 .9490 .000 .00 ATOM 87 HB3CYX 6 ATOM 88 SG CYX 6 -13.865 -0.40915 .2370 .000 .00 ATOM 89 C CYX 6 -14.115 -3.28213 .4290 .000 .00 ATOM 90 O CYX 6 -15.293 -3.375 13.040 0.00 0.00

ATOM 92 CD PRO 7 -12.348 -3.936 14.987 0.000 .00 ATOM 93 HD2PRO 7 -12.290 -3.20615 .7940 .000 .00 ATOM 94 HD3PRO 7 -11.600 -3.62814 .2570 .000 .00 ATOM 95 CG PRO 7 - $11.921-5.30515 .5000 .000 .00$ ATOM 96 HG2 PRO $7 \quad-11.596-5.25516 .539 \quad 0.00 \quad 0.00$ ATOM 97 HG3PRO $7 \quad-11.278-5.82614 .7900 .000 .00$ ATOM 98 CB PRO 7 -13.242-6.143 15.483 0.000 .00 ATOM 99 HB2 PRO 7 -13.463 -6.584 16.4550 .000 .00 ATOM 100 HB3 PRO 7 -13.082 -6.919 14.735 0.000 .00 ATOM 101 CA PRO 7 -14.388 -5.15815 .0450 .000 .00 ATOM 102 HA PRO 7 -14.985-5.577 14.234 0.000 .00 ATOM 103 C PRO $7 \quad-15.247-4.76316 .1630 .000 .00$ ATOM 1040 PRO $7-14.780-4.06417 .0820 .000 .00$ ATOM 105 N LEU $8 \quad-16.416-5.24316 .3330 .000 .00$ ATOM 106 H LEU 8 -16.648 -6.010 15.7190 .000 .00 ATOM 107 CA LEU 8 -17.444 -4.802 17.3810 .000 .00 ATOM 108 HA LEU 8 -17.323 -3.732 17.5520 .000 .00 ATOM 109 CB LEU 8 -18.844-5.007 16.663 0.00 0.00 ATOM 110 HB2LEU 8 -19.487-4.334 17.231 0.000 .00 ATOM 111 HB3LEU 8 -18.800 -4.617 15.6460 .000 .00 ATOM 112 CG LEU 8 -19.521 -6.46216 .6850 .000 .00 ATOM 113 HG LEU 8 -19.478 -6.80217 .7190 .000 .00 ATOMATOM 114 CD1LEU 8 -20.921-6.521 16.066 0.000 .00 ATOM 115 HD11LEU 8 -21.028-5.916 15.1660 .000 .00 ATOM 116 HD12 LEU 8 -21.165-7.574 15.927 0.000 .00 ATOM 117HD13LEU 8 -21.695-6.071 16.687 0.000 .00 ATOM 118 CD2LEU 8 -18.841-7.494 15.769 0.000 .00 ATOM 119HD21LEU 8 -18.637-7.066 14.7880 .000 .00 ATOM 120HD22 LEU 8 -17.869 -7.685 16.223 0.000 .00 ATOM 121HD23LEU $8 \quad-19.360-8.45215 .7510 .000 .00$ ATOM 122 C LEU 8 -17.249 -5.527 18.7310 .000 .00 ATOM 123 O LEU 8 -16.998 -6.77218 .7880 .000 .00 ATOM 124 N GLY 9 -17.551-4.892 19.8130 .000 .00 ATOM 125 H GLY 9 -17.858 -3.932 19.7460 .000 .00 ATOM 126 CA GLY 9 -17.508-5.476 21.1950 .000 .00 ATOM 127 HA2 GLY 9 -16.703-6.212 21.1910 .000 .00 ATOM 128 HA3GLY $9-17.215-4.62821 .8140 .000 .00$ ATOM 129 C GLY $9-18.847-6.14921 .6440 .000 .00$ ATOM 1300 GLY $9 \quad-19.816-6.04320 .8700 .000 .00$ ATOM 131 N NHE $10-18.907-6.75522 .8500 .000 .00$ ATOM 132 HN1 NHE 10 -18.137 -6.59423 .4830 .000 .00 ATOM 133 HN2NHE 10 -19.770 -7.149 23.1980 .000 .00 TER 134 NHE 10 END
dOT, twisted saddlehelix (FOLDED) dOT_MD_3us_T16_7
ATOM $\quad 1$ H1 CYE $1 \times 18.9541 .9447 .7850 .000 .00$ ATOM 2 CA CYE $1 \begin{array}{lllllllllllllll} & 8.356 & 2.609 & 7.162 & 0.00 & 0.00\end{array}$ ATOM 3 HA CYE $1 \begin{array}{llllllllllllllll} & 1 & 8.888 & 2.725 & 6.217 & 0.00 & 0.00\end{array}$

 ATOM 6 HB3CYE $1 \quad 7.288 \quad 1.0306 .0210 .000 .00$ ATOM 7 SG CYE $1 \quad 6.1961 .2098 .2360 .000 .00$ ATOM 8 C CYE 18.8 .0553 .9697 .8510 .000 .00 ATOM 9 O CYE $1 \quad 8.0154 .0349 .0720 .000 .00$ ATOM 10 N TYR $2 \quad 7.7644 .9817 .0270 .000 .00$ ATOM 11 H TYR $2 \quad 7.6844 .8336 .0310 .000 .00$ ATOM 12 CA TYR $227.551 \quad 6.360 \quad 7.6470 .000 .00$ ATOM 13 HA TYR $288.477 \quad 6.6908 .1180 .000 .00$ ATOM 14 CB TYR $2 \quad 7.140 \quad 7.3696 .5420 .000 .00$ ATOM 15 HB2 TYR $2 \quad 7.7017 .2565 .6140 .000 .00$ ATOM 16 HB3 TYR 2 6.119 7.1076 .2650 .000 .00 ATOM 17 CG TYR $2 \quad 7.0368 .8037 .0740 .000 .00$ ATOM 18 CD1TYR $2 \quad 8.1249 .6197 .2020 .000 .00$ ATOM 19 HD1 TYR $2 \begin{array}{llllllll} & 9.078 & 9.128 & 7.080 & 0.00 & 0.00\end{array}$ ATOM 20 CE1 TYR 288.05710 .9517 .7040 .000 .00 ATOM 21 HE1 TYR $228.90911 .594 \quad 7.8720 .000 .00$
 ATOM 23 OH TYR 26.79512 .6618 .6810 .000 .00 ATOM 24 HH TYR $2 \quad 5.89112 .9638 .7950 .000 .00$ ATOM 25 CE2 TYR $2 \quad 5.69110 .6927 .9690 .000 .00$ ATOM 26 HE2 TYR 24.72611 .0528 .2950 .000 .00 ATOM 27 CD2TYR $2 \begin{array}{lllllllll} & 5.785 & 9.380 & 7.400 & 0.00 & 0.00\end{array}$ ATOM 28 HD2 TYR 224.9268 .7267 .4040 .000 .00 ATOM 29 C TYR $266.586 \quad 6.428 \quad 8.8130 .000 .00$ ATOM 30 O TYR 2 ATOM 31 N ILE $3 \quad 6.9656 .9359 .9720 .000 .00$ ATOM 32 H ILE $3 \quad 7.8777 .3709 .9780 .000 .00$ ATOM 33 CA ILE $3 \quad 6.1716 .90511 .2250 .000 .00$ ATOM 34 HA ILE $3 \quad 6.9357 .06711 .9860 .000 .00$ ATOM 35 CB ILE $3 \quad 5.2698 .12211 .4590 .000 .00$ ATOM 36 HB ILE $3 \quad 4.6958 .04612 .3830 .000 .00$ ATOM 37 CG2ILE $\quad 3 \quad 6.1679 .33611 .6090 .000 .00$ ATOM 38HG21ILE $3 \quad 6.7419 .38612 .5340 .000 .00$ ATOM 39 HG22ILE 3 3 6.8879 .30410 .7910 .000 .00 ATOM 40HG23ILE $3 \quad 5.61210 .27311 .5670 .000 .00$ ATOM 41 CG1ILE $3 \quad 4.1418 .15910 .4590 .000 .00$ ATOM 42 HG12ILE $3 \quad 4.4928 .4339 .4640 .000 .00$ ATOM 43 HG13ILE $3 \quad 3.7197 .16810 .2930 .000 .00$ ATOM 44 CD1ILE $3 \quad 3.0279 .16810 .8360 .000 .00$ ATOM 45 HD11ILE $3 \quad 2.4769 .3749 .9190 .000 .00$

ATOM 46 HD12ILE $3 \quad 2.4158 .70311 .6090 .000 .00$ ATOM 47HD13ILE $3 \quad 3.44110 .07311 .2790 .000 .00$ ATOM 48 C ILE $3 \quad 5.6575 .53911 .5950 .000 .00$ ATOM 49 O ILE $3 \quad 4.642 \quad 5.45112 .2880 .000 .00$ ATOM 50 N GLN $4 \quad 6.424 \quad 4.49211 .2590 .000 .00$ ATOM 51 H GLN $4 \quad 7.218 \quad 4.60810 .6450 .000 .00$ ATOM 52 CA GLN $4 \quad 6.018 \quad 3.11311 .4860 .000 .00$ ATOM 53 HA GLN 4 ATOM 54 CBGLN $4 \quad 6.190 \quad 2.73612 .9730 .000 .00$ $\begin{array}{lllll}\text { ATOM } & 55 & \text { HB2 GLN } & 4 & 5.441 \\ 3.257 & 13.569 & 0.00 & 0.00\end{array}$ ATOM 56 HB3 GLN 4.6 .0951 .66413 .1470 .000 .00 ATOM S7 CG GLN $4 \quad 7.494 \quad 3.22913 .6720 .000 .00$ ATOM 58 HG2 GLN $4 \quad 7.3394 .30713 .7100 .000 .00$ ATOM 59 HG3GLN $4 \quad 7.4922 .85314 .6950 .000 .00$ ATOM 60 CD GLN $4 \quad 8.658 \quad 2.74112 .8670 .000 .00$ ATOM 61 OE1GLN $4 \quad 9.3093 .54312 .2940 .000 .00$ ATOM 62 NE2 GLN $4 \quad 8.7321 .45012 .6640 .000 .00$ ATOM 63HE21GLN $4 \quad 9.4651 .13012 .0470 .000 .00$ ATOM 64HE22 GLN 48.2990 .87313 .3700 .000 .00 ATOM 65 C GLN $4 \quad 4.605 \quad 2.74311 .0170 .000 .00$ ATOM 66 O GLN $4 \quad 4.1081 .67211 .4240 .000 .00$ ATOM 67 N ASN 5 ATOM 68 H ASN $5 \quad 4.5204 .3709 .9200 .000 .00$ ATOM 69 CA ASN $5 \quad 2.5143 .51210 .0250 .000 .00$ ATOM 70 HA ASN $5 \quad 2.1313 .14210 .9760 .000 .00$ ATOM 71 CB ASN $5 \quad 1.8834 .8669 .6480 .00000$ ATOM 72 HB2ASN 500.7974 .9519 .6680 .000 .00 ATOM 73 HB3 ASN 5 ATOM 74 CG ASN $5 \quad 2.296 \quad 5.4548 .2870 .000 .00$ ATOM 75 OD1ASN 5 ATOM 76 ND2 ASN $5 \quad 2.0186 .7348 .1530 .000 .00$ ATOM 77HD21ASN 5 2.347 7.1457 .2910 .000 .00 ATOM 78HD22ASN 51.4427 .3018 .7580 .000 .00 ATOM 79 C ASN $5 \quad 2.0272 .3669 .0830 .000 .00$ ATOM 80 O ASN $5 \quad 0.8592 .4088 .5750 .000 .00$ ATOM 81 N CYX $\quad 6 \quad 2.822 \quad 1.4438 .7030 .000 .00$ ATOM 82 H CYX $\quad 6 \quad 3.761 \quad 1.333 \quad 9.0570 .000 .00$ ATOM 83 CA CYX $\begin{array}{lllllllllllllll} & 2.439 & 0.382 & 7.703 & 0.00 & 0.00\end{array}$
 ATOM 85 CB CYX $6 \begin{array}{llllll}6 & 3.663 & 0.233 & 6.808 & 0.00 & 0.00\end{array}$ ATOM 86 HB2 CYX $6 \quad 3.438-0.475 \quad 6.0100 .000 .00$ ATOM 87 HB3CYX $6 \quad 3.7741 .2326 .3860 .000 .00$ ATOM 88 SG CYX $6 \quad 5.170-0.3877 .6320 .000 .00$ ATOM 89 C CYX $6 \quad 2.071-0.9078 .4840 .000 .00$ ATOM 90 O CYX $6 \quad 2.311-1.0669 .7350 .000 .00$

ATOM 91 N PRO $7 \quad 1.443-1.9247 .8550 .000 .00$ ATOM 92 CD PRO $7 \quad 1.012$-1.926 $6.4830 .00 \quad 0.00$ ATOM 93 HD2 PRO $7 \quad 1.724-1.514 \quad 5.7670 .000 .00$ ATOM 94 HD3PRO $7 \quad 0.161-1.246 \quad 6.4320 .000 .00$ ATOM 95 CG PRO $7 \quad 0.787-3.398 \quad 6.1480 .000 .00$ ATOM 96 HG2 PRO 7 1.699-3.777 5.6880 .000 .00 ATOM 97 HG3PRO 7 -0.106 -3.479 5.5280 .000 .00 ATOM 98 CB PRO $7 \quad 0.508-4.1047 .4490 .000 .00$ ATOM 99 HB2 PRO $7 \quad 0.813-5.1467 .3470 .000 .00$ ATOM 100 HB3PRO 7 -0.562 -3.982 7.6200 .000 .00 ATOM 101 CA PRO $7 \quad 1.331-3.288 \quad 8.4380 .000 .00$ ATOM 102 HA PRO $7 \quad 0.763-3.2849 .368 \quad 0.000 .00$
 ATOM 104 O PRO $7 \quad 3.577-3.825 \quad 7.6990 .000 .00$ ATOM 105 N LEU 8 2.930-4.588 9.7730 .000 .00 ATOM 106 H LEU $8 \quad 2.123-4.77610 .3510 .000 .00$ ATOM 107 CA LEU $8 \quad 4.219-5.16110 .2640 .000 .00$ ATOM 108 HA LEU $8 \quad 4.024-5.58511 .2490 .000 .00$ ATOM 109 CB LEU $8 \quad 4.686-6.4049 .4660 .000 .00$ ATOM 110 HB2LEU $8 \quad 4.886-6.2178 .4110 .000 .00$ ATOM 111 HB3LEU $8 \quad 5.684-6.5989 .8610 .000 .00$ ATOM 112 CG LEU $8 \quad 3.968-7.771 \quad 9.7890 .000 .00$ ATOM 113 HG LEU $8 \quad 3.871-7.96710 .8570 .000 .00$ ATOM 114 CD1LEU $8 \quad 2.482-7.8279 .1850 .000 .00$ ATOM 115HD11LEU 8 1.865-6.944 9.3510 .000 .00 ATOM 116HD12 LEU $8 \quad 2.516-7.7648 .0980 .000 .00$ ATOM 117HD13LEU $8 \quad 2.033-8.7869 .4440 .000 .00$ ATOM 118 CD2LEU $8 \quad 4.843-8.903 \quad 9.2180 .000 .00$ ATOM 119HD21LEU $8 \quad 5.018-8.7058 .1610 .000 .00$ ATOM 120 HD22 LEU $8 \quad 5.768-8.9659 .790 \quad 0.000 .00$ ATOM 121 HD23 LEU 8 4.484-9.931 9.2680 .000 .00 ATOM 122 C LEU 8 5.371-4.211 10.611 0.000 .00 ATOM 123 O LEU 8 6.535-4.585 10.8980 .000 .00 ATOM 124 N GLY $9 \quad 5.110-2.87310 .5910 .000 .00$ ATOM 125 H GLY 9 4.143-2.581 10.5780 .00000 ATOM 126 CA GLY $9 \quad 6.157-1.82410 .9130 .000 .00$ ATOM 127 HA2 GLY $9 \quad 5.654-0.88211 .1300 .000 .00$ ATOM 128 HA3GLY $9 \quad 6.701-2.06211 .8270 .000 .00$ ATOM 129 C GLY $9 \quad 7.275-1.696 \quad 9.813 \quad 0.000 .00$ ATOM 130 O GLY $9 \quad 8.229-0.92610 .0650 .000 .00$ ATOM 131 N NHE $10 \quad 7.316-2.4488 .7330 .000 .00$ ATOM 132 HN1 NHE $10 \quad 6.506-2.9618 .4150 .000 .00$ ATOM 133 HN2 NHE $10 \quad 8.145-2.3368 .1670 .000 .00$ TER 134 NHE 10

OT_MD_3us_T16_2
ATOM $\quad 1$ H1 CYE $11 \begin{aligned} & 10.236 \\ & -7.670 \\ & -2.618 \\ & 0.00 \\ & 0.00\end{aligned}$ ATOM 2 CA CYE $1 \begin{array}{lllllllllllll} & 10.603 & -8.695 & -2.658 & 0.00 & 0.00\end{array}$ ATOM 3 HA CYE $1111.153-8.858-3.5860 .000 .00$ ATOM $\quad 4$ CB CYE $1 \quad 11.753-8.903-1.7070 .000 .00$ ATOM 5 HB2 CYE $1111.495-8.632-0.6830 .000 .00$ ATOM 6 HB3CYE $1 \quad 12.140-9.921-1.6850 .000 .00$ ATOM 7 SG CYE 1 13.247-7.900 -2.137 0.00 0.00 ATOM 8 C CYE $119.534-9.716-2.3580 .000 .00$ ATOM 90 CYE $1 \quad 9.492-10.361-1.3130 .000 .00$ ATOM 10 N TYR $2 \quad 8.466-9.875-3.2130 .000 .00$ ATOM 11 H TYR $2 \quad 8.600-9.376-4.0810 .000 .00$ ATOM 12 CA TYR 2 7.537-11.011-3.105 0.00 0.00 ATOM 13 HA TYR 2 7.911-11.886-2.574 0.000 .00 ATOM 14 CB TYR 2 6.172-10.572-2.347 0.00 0.00 ATOM 15 HB2 TYR 2 5.621-11.365-1.840 0.000 .00 ATOM 16 HB3 TYR $2 \quad 6.429-9.859-1.5640 .000 .00$ ATOM 17 CG TYR $2 \quad 5.136-9.848-3.1610 .000 .00$ ATOM 18 CD1TYR $2 \quad 4.002-10.467-3.8130 .000 .00$ ATOM 19 HD1 TYR $2 \quad 3.797-11.499-3.5670 .000 .00$ ATOM 20 CE1 TYR $2 \quad 3.159-9.662-4.5660 .000 .00$ ATOM 21 HE1 TYR 2 2.225-10.003-4.990 0.00 0.00 ATOM 22 CZ TYR $2 \quad 3.375-8.257-4.7040 .000 .00$ ATOM 23 OH TYR 2 2.544-7.495-5.448 0.00 0.00 ATOM 24 HH TYR $21.782-7.972-5.7830 .000 .00$ ATOM 25 CE2 TYR $2 \quad 4.469-7.673-4.1250 .000 .00$ ATOM 26 HE2 TYR 2 4.603-6.606-4.215 0.00 0.00 ATOM 27 CD2TYR $2 \quad 5.430-8.496-3.4380 .000 .00$ ATOM 28 HD2 TYR 2 2 $6.310-8.005-3.0510 .00$ 0.00 ATOM 29 C TYR 2 7.095-11.604-4.499 0.00 0.00 ATOM 300 TYR $2 \quad 6.299-12.602-4.5570 .000 .00$ ATOM 31 N ILE $3 \quad 7.618-11.013$-5.576 0.000 .00 ATOM 32 H ILE $3 \quad 8.344-10.332-5.4030 .000 .00$ ATOM 33 CA ILE $3 \quad 7.067-11.307-6.8970 .000 .00$ ATOM 34 HA ILE $3 \quad 6.639-12.306-6.8090 .000 .00$ ATOM 35 CB ILE $3 \quad 5.861$-10.461-7.278 0.00 0.00 ATOM 36 HB ILE $3 \quad 5.225-10.525-6.3940 .000 .00$ ATOM 37 CG2ILE $3 \quad 6.135-8.948-7.3480 .000 .00$ ATOM 38HG21ILE $3 \quad 5.183-8.579-7.7300 .000 .00$ ATOM 39HG22ILE $3 \quad 6.349-8.396-6.4330 .000 .00$ ATOM 4OHG23ILE 3 6.863-8.796-8.145 0.000 .00 ATOM 41 CG1ILE $3 \quad 4.950-10.964-8.4320 .000 .00$ ATOM 42 HG12ILE $3 \quad 4.044-10.359-8.4700 .000 .00$ ATOM 43 HG13ILE 3 5.481-10.807-9.370 0.000 .00 ATOM 44 CD1ILE $3 \quad 4.502-12.393-8.2760 .000 .00$ ATOM 45 HD11ILE 3 3.784-12.625-9.063 0.00 0.00

ATOM 46 HD12ILE 3 5.308-13.116-8.395 0.000 .00 ATOM 47HD13ILE $3 \quad 3.997-12.556-7.323 \quad 0.000 .00$ ATOM 48 C ILE $3 \quad 8.076-11.414-8.0480 .000 .00$ ATOM 49 O-ILE $3 \quad 7.931-10.956-9.2200 .000 .00$ ATOM 50 N GLN 4 9.263-11.910-7.699 0.000 .00 ATOM 51 H GLN 4 9.288-12.175-6.724 0.00 0.00 ATOM 52 CA GLN 4 10.486-12.035-8.559 0.00 0.00 ATOM 53 HA GLN 4 11.138-12.607-7.899 0.00 0.00 ATOM 54 CBGLN 4 10.235-12.946-9.789 0.00 0.00 ATOM 55 HB2 GLN 4 9.457-12.467-10.383 0.00 0.00 ATOM 56 HB3 GLN 4 11.125-13.109-10.397 0.000 .0 ATOM 57 CG GLN 4 9.734-14.411-9.430 0.00 0.00 ATOM 58 HG2 GLN 4 10.547-14.934 -8.925 0.000 .00 ATOM 59 HG3 GLN $4 \quad 8.800-14.300-8.8800 .000 .00$ ATOM 60 CD GLN 4 9.359-15.179-10.705 0.00 0.00 ATOM 61 OE1GIN 4 8.228-15.409-11.101 0000.00 ATOM 62 NE2 GLN 4 10.269-15.781-11.436 0.000 .00 ATOM 63 HE21GLN 4 9.872-16.289-12.214 0.00 0.00 ATOM 64HE22 GLN 4 11.160-15.912-10.978 0.00 0.00 ATOM 65 C GLN $4 \quad 11.124-10.627-8.8690 .000 .00$ ATOM 66 O GLN 4 11.801-10.396-9.891 0.000 .00 ATOM 67 N ASN 5 11.061-9.674-7.941 0.00 0.00 ATOM 68 H ASN 5 10.594-10.005-7.109 0.00 0.00 ATOM 69 CA ASN 5 11.349-8.226-8.131 0.00 0.00 ATOM 70 HA ASN 5 11.689-7.962 -9.132 0.000 .00 ATOM 71 CB ASN $5 \quad 10.013-7.420-7.8400 .000 .00$ ATOM 72 HB2 ASN 5 10.191-6.353 -7.974 0.00 0.00 ATOM 73 HB3ASN 5 5 $9.262-7.608-8.6080 .000 .00$ ATOM 74 CG ASN $5 \quad 9.408-7.567-6.4640 .000 .00$ ATOM 75 OD1ASN 5 9.346-8.695-5.967 0.000 .00 ATOM 76 ND2ASN 5 8.975-6.536-5.866 0.000 .00 ATOM 77HD21ASN 5 8.865-6.638-4.867 0.00 0.00 ATOM 78HD22 ASN $5 \quad 8.972-5.613-6.2770 .000 .00$ ATOM 79 C ASN 5 12.512-7.736-7.203 0.00 0.00 ATOM 800 ASN $5 \quad 12.761$-6.530 -7.147 0.000 .00 ATOM 81 N CYX $66 \quad 13.201-8.603-6.5610 .000 .00$ ATOM 82 H CYX $6 \quad 13.032-9.585-6.7240 .000 .00$ ATOM 83 CA CYX 6 $614.123-8.315-5.5170 .000 .00$ ATOM 84 HA CYX $6 \quad 13.768$-7.462 -4.939 0.000 .00 ATOM 85 CB CXX 6 14.101-9.498-4.497 0.000 .00 ATOM 86 HB2 CYX 6 13.069-9.827-4.379 0.000 .00 ATOM 87 HB3CYX 6 14.792-10.179 -4.994 0.00 0.00 ATOM 88 SG CYX 6 14.636-9.175-2.808 0.000 .00 TOM 89 C CYX $6 \quad 15.615-8.088-6.0230 .000 .00$ ATOM 900 CYX 6 16.066 -8.887 -6.838 0.00 0.00

ATOM 91 N PRO 7 16.423-7.064 -5.732 0.00 0.00 ATOM 92 CD PRO $7 \quad 15.966-6065-48730.000 .00$ ATOM 93 HD2 PRO $7 \quad 15.934-6.320-3.8130 .000 .00$ ATOM 94 HD3PRO 7 15.003-5.656-5.178 0.00 0.00 ATOM 95 CG PRO 7 16.958-4.879-5.038 0.000 .00 ATOM 96 HG2 PRO $7 \quad 17.216-4.445-4.0720 .000 .00$ ATOM 97 HG3 PRO 7 16.502-4.049 -5.578 0.000 .00 ATOM 98 CB PRO $7 \quad 18.169-5.410-5.7960 .000 .00$ ATOM 99 HB2 PRO $7 \quad 19.052-5.460-5.1600 .000 .00$ ATOM 100 HB3PRO $7 \quad 18.331-4.841-6.7120 .000 .00$ ATOM 101 CA PRO $7 \quad 17.792-6.847-6.1920 .000 .00$ ATOM 102 HA PRO $7 \quad 17.794-6.904-7.2800 .000 .00$ ATOM 103 C PRO $7 \quad 18.763-7.826-5.4500 .000 .00$ ATOM 104 O PRO $7 \quad 18.314-8.597-4.5580 .000 .00$ ATOM 105 N LEU 8 20.035-7.891-5.883 0.00 0.00 ATOM 106 H LEU 8 20.254-7.246-6.629 0.00 0.00 ATOM 107 CA LEU $8 \quad 21.089-8.596-5.1740 .000 .00$ ATOM 108 HA LEU $8 \quad 20.803-9.578-4.7990 .000 .00$ ATOM 109 CB LEU $8 \quad 22.281-8.687-6.1210 .000 .00$ ATOM 110 HB2LEU $8 \quad 22.475-7.690-6.5140 .000 .00$ ATOM 111 HB3LEU 8 23.168-8.960 -5.549 0.000 .00 ATOM 112 CG LEU 8 22.093-9.636-7.334 0.00 0.00 ATOM 113 HG LEU 8 21.785-10.615-6.967 0.00 0.00 ATOM 114 CD1LEU $8 \quad 21.270-9.067-8.4290 .000 .00$ ATOM 115HD11LEU $8 \quad 21.496-8.015-8.6040 .000 .00$ ATOM 116HD12LEU 8 21.383-9.737-9.282 0.000 .00 ATOM 117HD13LEU $8 \quad 20.206-9.189-8.2290 .000 .00$ ATOM 118 CD2LEU $8 \quad 23.458-9.691-7.9700 .000 .00$ ATOM 119 HD21 LEU 8 23.600 -8.694-8.387 0.000 .00 ATOM 120 HD22 LEU 8 24.205-10.000 -7.238 0.000 .00 ATOM 121HD23LEU 8 23.428-10.427-8.774 0.00 0.00 ATOM 122 C LEU 8 21.382-7.841-3.960 0.000 .00 ATOM 123 O LEU 8 21.219-6.611-3.883 0.00 0.00 ATOM 124 N GLY 9 21.855-8.631-2.954 0.00 0.00 ATOM 125 H GLY 9 21.910-9.626-3.119 0.00 0.00 ATOM 126 CA GLY $9 \quad 22.382-8.208-1.6750 .000 .00$ ATOM 127 HA2 GLY 9 22.783-9.047-1.106 0.000 .00 ATOM 128 HA3GLY $9 \quad 23.220-7.555-1.9160 .000 .00$ ATOM 129 C GLY 9 21.296-7.445-0.881 0.000 .00 ATOM 130 O GLY 9 20.148-7.329-1.324 0.00 0.00 ATOM 131 N NHE $10 \quad 21.562-6.8020 .2150 .000 .00$ ATOM 132 HN1NHE $10 \quad 22.470-6.840 \quad 0.6560 .000 .00$ ATOM 133 HN2 NHE $10 \quad 20.754-6.368 \quad 0.6370 .000 .00$ TER 134 NHE 10 END

## CT, saddle (FOLDED)

CT_MD-II_5us_T16_02
ATOM 1 HA2 MET $1 \quad \overline{6} .430-4.319-21.8350 .000 .00$ ATOM 2 CA MET $1 \quad 6.055-4.730-20.8980 .000 .00$ ATOM 3 HA1MET $1 \quad 6.367$-5.762-20.738 0.000 .00 ATOM 4 CB MET 1 6.695-3.827-19.879 0.00 0.00 ATOM 5 HB2 MET 1 7.656-3.594-20.336 0.00 0.00 ATOM 6 HB3 MET $1 \quad 6.115-2.906-19.8200 .000 .00$ ATOM 7 CG MET $1 \quad 6.778-4.484-18.5040 .000 .00$ ATOM 8 HG2 MET $1 \quad 7.006-5.529-18.7120 .000 .00$ ATOM 9 HG3MET $1 \quad 7.590$-3.982-17.978 0.000 .00 ATOM 10 C MET 1 4.527-4.398-20.954 0.00 0.00 ATOM 11 O MET 1 4.116-3.500-21.668 0.000 .00 ATOM 12 N TYR $2 \quad 3.710-5.183-20.2160 .000 .00$ ATOM 13 H TYR 2 4.211-5.776-19.571 0.000 .00 ATOM 14 CA TYR 2 2.296-5.013-20.112 0.00 0.00 ATOM 15 HA TYR $2 \quad 2.122-4.076-20.6400 .000 .00$ ATOM 16 CB TYR $2 \quad 1.399-6.146-20.6850 .000 .00$ ATOM 17 HB2 TYR $2 \quad 0.368$-5.924-20.409 0.000 .00 ATOM 18 HB3TYR $2 \quad 1.402$-6.166-21.775 0.000 .00 ATOM 19 CG TYR 2 1.536-7.543-20.103 0.00 0.00 ATOM 20 CD1TYR 2 2.778-8.251-20.120 0.00 0.00 ATOM 21 HD1 TYR 2 3.719-7.825-20.436 0.00 0.00 ATOM 22 CE1 TYR 2 2.892 -9.570-19.712 0.000 .00 ATOM 23 HE1 TYR 2 3.864-10.020-19.572 0.00 0.00 ATOM 24 CZ TYR 2 1.748-10.228-19.196 0.00 0.00 ATOM 25 OS TYR 2 1.939-11.531-18.706 0.00 0.00 ATOM 26 CH TYR 22 0.897-12.117-17.868 0.000 .00 ATOM 27 CE2 TYR $220.488-9.541-19.0350 .000 .00$ ATOM 28 HE2 TYR 2 -0.402-9.992-18.622 0.000 .00 ATOM 29 CD2TYR 2 0.409-8.184-19.474 0.00 0.00 ATOM 30 HD2 TYR 2 -0.591-7.775-19.480 0.00 0.00 ATOM 31 C TYR 2 1.915-4.689-18.647 0.00 0.00 ATOM 320 TYR 2 2.186-5.419-17.696 0.00 0.00 ATOM 33 HH1 TYR 2 -0.029-12.099-18.442 0.00 0.00 ATOM 34 HH2 TYR 2 0.842-11.555-16.936 0.00 0.00 ATOM 35 HH3 TYR $2 \quad 1.119-13.158-17.6300 .000 .00$ ATOM 36 N ILE $3 \quad 0.972$-3.779-18.469 0.000 .00 ATOM 37 H ILE $3 \quad 0.648$-3.289-19.291 0.00 0.00 ATOM 38 CA ILE $3 \quad 0.470$-3.146-17.197 0.00 0.00 ATOM 39 HA ILE $3 \quad 1.425-2.899-16.7350 .000 .00$ ATOM 40 CB ILE $3-0.301-1.918-17.6340 .000 .00$ ATOM 41 HB ILE $3 \quad 0.065-1.507-18.5750 .000 .00$ ATOM 42 CG2ILE 3 -1.804 -2.274-17.925 0.00 0.00

ATOM 48HG13ILE 3 0.816-0.648-16.261 0.000 .00 ATOM 49 CD1ILE $3-0.8270 .581-16.8560 .000 .00$ ATOM 50HDNHLE - 3 - 1914 0.53646.928 0.000 .00 ATOM ATOM ATOM ATO TOM 56 H GLN 4 ATOM 57 CA GLN 4 -1.339- $\$ 274-15.7360 .000 .00$ ATOM 58 HA GLN $4-1.952-5 \quad 15.0160 .000 .00$ ATOM 59 CB GLN $4-2.167-7.330-165250.000 .00$ ATOM 60 HB2 GLN $4-1.492-7.696-17.2980 .000 .00$ ATOM 61 HB3 GLN $4-2.260-8.171-15.0370 .000 .00$ ATOM 62 CG GLN 4 -3.460 -6.720-17.02 0.000 .00 ATOM 63 HG2GLN $4-4.162-7.553-17.0630 .000 .00$ ATOM 64 HG3 GLN $4 \quad-3.785-5.935-16.3390 .000 .00$ ATOM 65 CD GLN $4-3.412-6.101-18.4040 .000 .00$ ATOM 66 OE1GLN 4 -2.357-5.636-18.855 0.000 .00 ATOM 67 NE2 GLN $4-4.442-6.365-19.1940 .000 .00$ ATOM 68HE21GLN 4 -4.321-6.147-20.173 0.00 0.00 ATOM 69HE22 GLN 4 -5.308-6757-18.853 0.00 0.00 ATOM 70 C GLN $4-0.234-7.071-14.9660 .000 .00$ ATOM 71 O GLN 4 -0.520 -7.717-13.964 0.00 0.00 ATOM 72 N ASN 5 1.006-7.090-15.535 0.000 .00 ATOM 73 H ASN 5 1.161-6.547-16.373 0.000 .00 ATOM 74 CA ASN 5 2.104-7.903-15.020 0.00 0.00 ATOM 75 HA ASN 5 1.759-8.441-14.137 0.000 .00 ATOM 76 CB ASN 5 2.320-9.036-16.029 0.00 0.00 ATOM 77 HB2 ASN 5 1.429-9.554-16.382 0.00 0.00 ATOM 78 HB3ASN $5 \quad 2.820-8.647-16.9160 .000 .00$ ATOM 79 CG ASN 5 3.173-10.101-15.448 0.00 0.00 ATOM 80 OD1ASN 5 4.367-10.243-15.806 0.00 0.00 ATOM 81 ND2 ASN 5 2.588-10.930-14.601 0.00 0.00 ATOM 82 HD21 ASN 5 3.207-11.621-14.202 0.00 0.00 ATOM 83HD22ASN 5 1.599-10.878-14.399 0.00 0.00 ATOM 84 C ASN 5 3.299-7.057-14.540 0.000 .00 ATOM 85 O ASN 5 3.718-7.300-13.403 0.000 .00 ATOM 86 N CYX $6 \quad 3.739-6.069-15.2870 .000 .00$ ATOM 87 H CYX $6 \quad 3.144-5.667-15.9960 .000 .00$ ATOM 88 CA CYX 6 4.852-5.203-14.822 0.00 0.00 ATOM 89 HA CYX $6 \quad 5.275-5.529-13.872 \quad 0.000 .00$

ATOM 950 CYX 6 3.343 -3.357-15.250 0.00 0.00 ATOM 96 N PRO 7 5.032-2.864-13.882 0.000 .00 ATOM 97 CD PRO $7 \quad 6.040-3.071-12.9040 .000 .00$ ATOM 98 HD2 PRO $7 \quad 6.888$-3.541-13.403 0.000 .00 ATOM 99 HD3PRO 7 5.767-3.669-12.035 0.00 0.00 ATOM 100 CG PRO $7 \quad 6.455-1.658-12.3970 .000 .00$ ATOM 101 HG2 PRO $7 \quad 7.388$-1.289-12.824 0.000 .00 ATOM 102 HG3 PRO $7 \quad 6.513-1.796-11.3170 .000 .00$ ATOM 103 CB PRO $7 \quad 5.281-0.754-12.6070 .000 .00$ ATOM 104 HB2PRO $7 \quad 5.619$ 0.257-12.833 0.000 .00 ATOM 105 HB3PRO $7 \quad 4.618-0.688-11.7440 .000 .00$ ATOM 106 CA PRO $7 \quad 4.585-1.391-13.8430 .000 .00$ ATOM 107 HA PRO $7 \quad 3.500-1.336-13.7520 .000 .00$ ATOM 108 C PRO $7 \quad 5.059-0.753-15.1770 .000 .00$ ATOM 109 O PRO $7 \quad 6.192-0.813-15.5640 .000 .00$ ATOM 110 N LEU $8 \quad 4.140-0.130-15.8850 .000 .00$ ATOM 111 H LEU $8 \quad 3.160-0.199-15.6480 .000 .00$ ATOM 112 CA LEU $8 \quad 4.416 \quad 0.496-17.2190 .000 .00$ ATOM 113 HA LEU $8 \quad 5.162-0.162-17.6640 .000 .00$ ATOM 114 CB LEU $8 \quad 3.1010 .508-18.0870 .000 .00$ ATOM 115 HB2LEU 8 2.515 -0.396-17.918 0.00 0.00 ATOM 116 HB3LEU $8 \quad 2.4301 .272-17.6970 .000 .00$ ATOM 117 CG LEU $8 \quad 3.357 \quad 0.627-19.5780 .000 .00$ ATOM 118 HG LEU $8 \quad 3.7961 .612-19.7400 .000 .00$ ATOM 119 CD1LEU $8 \quad 3.988-0.640-20.1820 .000 .00$ ATOM 120HD11LEU $8 \quad 5.041-0.576-19.9050 .000 .00$ ATOM 121HD12LEU 8 3.564-1.573-19.811 0.000 .00 ATOM 122HD13LEU 8 3.855-0.584-21.263 0.000 .00 ATOM 123 CD2LEU 8 2.026 0.794-20.303 0.000 .00 ATOM 124HD21LEU 8 1.381 1.507-19.789 0.000 .00 ATOM 125HD22LEU 8 2.156 1.229-21.294 0.00 0.00 ATOM 126 HD23LEU 8 1.394-0.089-20.397 0.00 0.00 ATOM 127 C LEU 8 5.037 1.836-17.141 0.00 0.00 ATOM 128 O LEU 8 5.642 $2.363-18.0880 .000 .00$ $\begin{array}{llllllllllllll}\text { ATOM } 129 \mathrm{~N} \text { GLY } & 9 & 5.227 & 2.455-15.925 & 0.00 & 0.00\end{array}$ ATOM 130 H GLY 9 9.7.73 $2.4509-15.1780 .000 .00$ ATOM 131 CA GLY $9 \quad 6.026$ 3.619-15.711 0.00 0.00 ATOM 132 HA2 GLY 9 6.016 3.756-14.629 0.00 0.00 ATOM 133 HA3GLY 9 7.065 3.373-15.932 0.00 0.00 ATOM 134 C GLY 9 5.576 4.904-16.426 0.00 0.00 ATOM 135 O GLY 9 4.597 4.994-17.210 0.000 .00 ATOM 136 N NHE $10 \quad 6.114$ 6.051-16.082 0.000 .00

ATOM 43 HG21ILE 3 -2.317-1.484-18.474 0.00 0.00 ATOM 44 HG22 ILE $3-1.894-3.208-18.4800 .000 .00$ ATOM 45 HG23ILE $3-2.264-2.426-16.9490 .000 .00$ ATOM 46 CG1ILE $3-0.215-0.838-16.5570 .000 .00$ ATOM 47HG12 ILE $3 \quad-0.785-1.161-15.6850 .000 .00$

TOM 90 CB CYX 6 5.890 -5.227-15.895 0.00 0.00 ATOM 91 HB2 CYX 6 6.811-4.792-15.508 0.00 0.00 ATOM 92 HB3 CYX $6 \quad 5.985-6.297-16.0810 .000 .00$ ATOM 93 SG CYX 6 5.357-4.362-17.431 0.00 0.00 $\begin{array}{lllllllllllllllll}\text { ATOM } 94 \text { C CYX } & 6 & 4.321-3.730-14.647 & 0.00 & 0.00\end{array}$

ATOM 137 HN1NHE $10 \quad 6.945$ 6.100-15.511 0.000 .00 ATOM 138 HN2 NHE $10 \quad 5.612$ 6.881-16.364 0.000 .00 TER 139 NHE 10
END

## CT, clinched open45pbr (OPEN)

## CT_MD-I_Sus_T16_8

ATOM 1 HA2MET 1 ATOM 2 CA MET $1 \quad 7.2785 .7366 .6400 .000 .00$ ATOM 3 HA1MET $1 \quad 6.267 \quad 5.4866 .3180 .000 .00$ ATOM 4 CB MET $1 \quad 7.3217 .2546 .3910 .000 .00$ ATOM 5 HB2 MET 18 8.194 7.6006 .9440 .000 .00

 ATOM 8 HG2 MET 115.2227 .7246 .1410 .000 .00 ATOM 9 HG3MET $1 \quad 5.7917 .6947 .8280 .000 .00$ ATOM 10 C MET 1 ATOM 11 O MET 1 ATOM 12 N TYR 288.2594 .4714 .7740 .000 .00 ATOM 13 H TYR $2 \quad 7.4664 .9244 .3420 .000 .00$ ATOM 14 CA TYR $2 \begin{array}{llllllllllll} & 9.350 & 3.861 & 3.953 & 0.00 & 0.00\end{array}$ ATOM 15 HA TYR $2 \begin{array}{lllllllllll} & 9.942 & 3.263 & 4.645 & 0.00 & 0.00\end{array}$ $\begin{array}{lllllllllllllllllllll}\text { ATOM } & 16 \text { CB TYR } & 2 & 8.806 & 2.873 & 2.912 & 0.00 & 0.00\end{array}$ ATOM 17 HB2 TYR $2 \quad 9.455 \quad 2.009 \quad 2.7690 .000 .00$ ATOM 18 HB3 TYR $2 \quad 7.880 \quad 2.502 \quad 3.3500 .000 .00$ ATOM 19 CG TYR 288.4793 .4161 .5730 .000 .00 ATOM 20 CD1TYR 2 7.310 4.1001 .3880 .000 .00 ATOM 21 HD1 TYR 266.5644 .2412 .1560 .000 .00 ATOM 22 CE1 TYR 266.9834 .7120 .2240 .000 .00 ATOM 23 HE1 TYR $2 \quad 6.062 \quad 5.2670 .1200 .000 .00$
 ATOM 25 OS TYR $2 \times 1.500 \quad 5.249-2.1940 .000 .00$ ATOM 26 CH TYR $2 \quad 6.136 \quad 5.842$-2.334 0.000 .00 ATOM 27 CE2 TYR $219.0383 .929-0.8070 .000 .00$ ATOM 28 HE2 TYR 2 9.671 $3.796-1.6720 .000 .00$ ATOM 29 CD2TYR $2 \quad 9.3563 .2990 .4420 .000 .00$ ATOM 30 HD2 TYR 210.3142 .8050 .5050 .000 .00 ATOM 31 C TYR 210.3034 .9233 .2670 .000 .00 ATOM 32 O TYR $2 \quad 11.397 \quad 4.590 \quad 2.7530 .000 .00$ ATOM 33 HH1 TYR $2 \quad 5.350 \quad 5.116-2.1270 .000 .00$ ATOM 34 HH2 TYR $2 \begin{array}{llllll} & 6.116 & 6.136 & -3.384 & 0.00 & 0.00\end{array}$ ATOM 35 HH3TYR $2 \quad 6.027 \quad 6.756-1.7500 .000 .00$ ATOM 36 N ILE $3 \quad 9.9416 .2193 .2580 .000 .00$ ATOM 37 H ILE $3 \quad 9.1836 .443 \quad 3.8870 .000 .00$ ATOM 38 CA ILE $3 \quad 10.8357 .360 \quad 2.7720 .000 .00$ ATOM 39 HA ILE $3 \quad 11.7736 .904 \quad 2.4560 .000 .00$ ATOM 40 CB ILE $\quad 3 \quad 10.2378 .0241 .4980 .000 .00$ ATOM 41 HB ILE $3 \begin{array}{llllllllllll} & 10.792 & 8.945 & 1.319 & 0.00 & 0.00\end{array}$
 ATOM 43 HG21ILE 3 ATOM 44 HG22ILE $3 \quad 9.885 \quad 6.3150 .1940 .000 .00$ ATOM 45 HG23ILE $310.1127 .806-0.7000 .000 .00$ ATOM 46 CG1ILE $3 \quad 8.7738 .4261 .8460 .000 .00$ ATOM 47HG12ILE $3 \quad 8.0767 .607 \quad 2.0270 .00 \quad 0.00$

## CT, open (OPEN)

## CT_MD-II_5us_T16 9

ATOM 1 HA2 MET 1 - $16.950-16.0765 .9120 .000 .00$ ATOM 2 CA MET 1 1 $-16.029-16.413 \quad 5.4360 .000 .00$ ATOM 3 HA1MET 1 - $16.183-17.450 \quad 5.1380 .000 .00$ ATOM $\quad 4$ CB MET 1 - $15.755-15.615 \quad 4.1130 .000 .00$ ATOM 5 HB2 MET 1 -14.749-15.935 3.8400 .000 .00 ATOM 6 HB3MET 1 -16.324-16.032 3.2820 .000 .00 ATOM 7 CG MET 1 -15.995-14.127 4.2870 .000 .00 ATOM 8 HG2MET 1 -17.014-14.017 4.6570 .000 .00 ATOM 9 HG3MET 1 -15.370-13.843 5.1340 .000 .00 ATOM 10 C MET 1 - $14.955-16.2346 .4420 .000 .00$ ATOM 11 O MET $11-14.968-15.282 \quad 7.2660 .000 .00$ ATOM 12 N TYR 2 -13.951-17.128 6.3880 .000 .00 ATOM 13 H TYR 2 -14.014-17.914 5.7570 .000 .00 ATOM 14 CA TYR 2 -12.998-17.433 7.5170 .000 .00 ATOM 15 HA TYR 2 -13.521-17.122 8.4220 .000 .00 ATOM 16 CB TYR 2 -12.710-18.950 7.6540 .000 .00 ATOM 17 HB2TYR 2 -13.682-19.444 7.6470 .000 .00 ATOM 18 HB3TYR 2 -12.206-19.245 6.7340 .000 .00 ATOM 19 CG TYR 2 -11.901-19.379 8.8890 .000 .00 ATOM 20 CD1TYR 2 -10.780-20.168 8.7270 .000 .00 ATOM 21 HD1 TYR $2-10.452-20.5007 .7530 .000 .00$ ATOM 22 CE1 TYR 2 -10.159-20.774 9.8500 .000 .00 ATOM 23 HE1 TYR 2 -9.294-21.399 9.6830 .000 .00 ATOM 24 CZ TYR 2 -10.478-20.412 11.2010 .000 .00 ATOM 25 OS TYR 2 -9.600-20.914 12.203 0.000 .00 ATOM 26 CH TYR 2 -9.463-20.122 13.413 0.000 .00 ATOM 27 CE2 TYR 2 -11.525-19.459 11.372 0.000 .00 ATOM 28 HE2 TYR 2 -11.788-19.198 12.386 0.00 0.00 ATOM 29 CD2 TYR 2 2 $-12.207-18.94310 .2480 .000 .00$ ATOM 30 HD2 TYR $2-13.063-18.29310 .3560 .000 .00$ ATOM 31 C TYR 2 - $11.748-16.5687 .4700 .000 .00$ ATOM 32 O TYR 2 -11.072-16.729 6.440 0.00 0.00 ATOM 33 HH1TYR 2 -8.715-20.452 14.135 0.00 0.00 ATOM 34 HH2 TYR 2 -10.412-20.101 13.948 0.000 .00

ATOM 48HG13ILE $3 \quad 8.8399 .049 \quad 2.7380 .000 .00$ ATOM 49 CD1LLE $3 \quad 8.274 \quad 9.3370 .7690 .000 .00$ ATOM 50HD11HE $3-8.1408 .602-0.0250 .000 .0$ ATOM 51HD12ILE $3 \quad 7.3189 .8011 .0110 .000 .00$ ATOM 52 HD13ILE $3 \quad 9.06310 .0660 .5880 .000 .00$ ATOM 53 C ILE $3 \quad 11.2198 .385 \quad 3.8230 .000 .00$ ATOM 54 O ILE 3 10.575 8.395 4.889 0.00 0.00 ATOM 55 N GLN 4 12.289 $9.161 \quad 3.578$ 0.00 0.00 ATOM 56 H GLN 412.7079 .0392 .6660 .000 .00 ATOM 57 CA GLN 412.56010 .3804 .2800 .000 .00 ATOM 58 HA GLN $412.34310 .158 \quad 5.3250 .000 .00$ ATOM 59 CB GLN $413.95310 .933 \quad 3.8950 .000 .00$ ATOM 60 HB2 GLN 414.07510 .9612 .8120 .000 .00 ATOM 61 HB3GLN 414.06211 .9554 .2590 .000 .00 ATOM 62 CG GLN $4 \quad 15.06710 .0364 .5020 .000 .00$ ATOM 63 HG2 GLN 414.874 9.946 5.5710 .000 .00 ATOM 64 HG3 GLN $4 \quad 15.1169 .0604 .0180 .000 .00$ ATOM 65 CD GLN 416.45610 .7134 .4410 .000 .00 ATOM 66 OE1GLN 417.33310 .2993 .6950 .000 .00 ATOM 67 NE2 GLN 416.82011 .6575 .2690 .000 .00 ATOM 68HE21GLN $417.74012 .075 \quad 5.2570 .000 .00$ ATOM 69HE22 GLN 416.09712 .1915 .7310 .000 .00 ATOM 70 C GLN $4 \quad 11.49311 .473 \quad 3.8660 .000 .00$ ATOM 710 GLN $411.09411 .500 \quad 2.7000 .000 .00$ ATOM 72 N ASN 5 ATOM 73 H ASN 5 ATOM 74 CA ASN 5 10.114 13.3814 .5610 .000 .00 ATOM 75 HA ASN 510.00013 .8205 .5520 .000 .00 ATOM 76 CB ASN 510.66914 .4403 .6180 .000 .00 ATOM 77 HB2ASN $5 \quad 11.73214 .6433 .7530 .000 .00$ ATOM 78 HB3ASN $5 \quad 10.62914 .077 \quad 2.5910 .000 .00$ ATOM 79 CG ASN $5 \quad 10.08015 .8243 .6770 .000 .00$ ATOM 80 OD1ASN $5 \quad 9.17616 .080 \quad 4.4310 .000 .00$ ATOM 81 ND2 ASN 5 10.491 16.732 2.8270 .000 .00 ATOM 82 HD 21 ASN $5 \quad 10.09917 .658 \quad 2.9230 .000 .00$ ATOM 83HD22ASN 511.27516 .4782 .2430 .000 .00 ATOM 84 C ASN $5 \quad 8.68812 .8714 .0950 .000 .00$ ATOM 85 O ASN $5 \quad 8.04513 .5923 .3460 .000 .00$ ATOM 86 N CYX $6 \quad 8.18611 .7324 .6400 .000 .00$ ATOM 87 H CYX $6 \quad 8.66711 .143 \quad 5.3050 .000 .00$ ATOM 88 CA CYX $6 \quad 6.86211 .3264 .3140 .000 .00$ ATOM 89 HA CYX $6 \quad 6.82311 .280 \quad 3.2260 .000 .00$ ATOM 90 CB CYX $\quad 6 \quad 6.602 \quad 9.923 \quad 4.8670 .00 \quad 0.00$ ATOM 91 HB2 CYX 6 ATOM 92 HB3CYX $6 \quad 7.3269 .1734 .5490 .000 .00$ ATOM 93 SG CYX $6 \quad 6.3169 .7776 .6420 .000 .00$ ATOM 94 C CYX $6 \quad 5.78212 .4004 .8350 .000 .00$

ATOM 950 CYX $6 \quad 5.95613 .0135 .9380 .00 \quad 0.00$ ATOM 96 N PRO $7 \quad 4.82112 .7273 .9430 .000 .00$ ATOM 97 CD PRO $7 \quad 4.62612 .305 \quad 2.5510 .000 .00$ ATOM 98 HD2PRO $7 \quad 4.95911 .2692 .4990 .000 .00$ ATOM 99 HD3PRO $7 \quad 5.01712 .9561 .7700 .000 .00$ ATOM 100 CG PRO $7 \quad 3.046 \quad 12.318 \quad 2.428 \quad 0.000 .00$ ATOM 101 HG2 PRO $7 \quad 2.65511 .416 \quad 2.900 \quad 0.000 .00$ $\begin{array}{llllllllllllllllll}\text { ATOM } & 102 & \text { HG3PRO } & 7 & 2.731 & 12.185 & 1.393 & 0.00 & 0.00\end{array}$ ATOM 103 CB PRO $7 \quad 2.73813 .5943 .1420 .000 .00$ ATOM 104 HB2PRO $7 \quad 1.68313 .5833 .4160 .000 .00$ ATOM 105 HB3PRO $7 \quad 3.05814 .4892 .6080 .000 .00$ ATOM 106 CA PRO $7 \quad 3.71213 .5714 .3670 .000 .00$ ATOM 107 HA PRO $7 \quad 4.07814 .5694 .6050 .000 .00$ ATOM 108 C PRO $7 \quad 2.90813 .1265 .5850 .000 .00$ ATOM 109 O PRO $7 \quad 2.96311 .879 \quad 5.9490 .000 .00$ ATOM 110 N LEU $8 \quad 2.21814 .0626 .3230 .000 .00$ ATOM 111 H LEU $8 \quad 1.98614 .9105 .8260 .000 .00$ ATOM 112 CA LEU $8 \quad 1.51413 .7827 .5770 .000 .00$ ATOM 113 HA LEU $8 \quad 1.83112 .8187 .9740 .000 .00$ ATOM 114 CB LEU $8 \quad 1.95514 .9348 .5160 .000 .00$ ATOM 115 HB2LEU $8 \quad 3.01614 .7068 .6140 .000 .00$ ATOM 116 HB3LEU $8 \quad 1.91115 .8477 .9210 .000 .00$ ATOM 117 CG LEU $8 \quad 1.31815 .2469 .8960 .000 .00$ ATOM 118 HG LEU $8 \quad 0.24515 .4159 .7980 .000 .00$ ATOM 119 CD1LEU $8 \quad 1.62514 .08310 .8780 .000 .00$ ATOM 120HD11LEU $8 \quad 1.05514 .28511 .7850 .000 .00$ ATOM 121 HD12 LEU 8 1.279 13.12110 .5000 .000 .00 ATOM 122 HD13 LEU $8 \quad 2.69314 .03111 .0930 .000 .00$ ATOM 123 CD2LEU $8 \quad 1.93116 .56010 .4190 .000 .00$ ATOM 124HD21LEU $8 \quad 2.99516 .41610 .6080 .000 .00$ ATOM 125 HD22 LEU $8 \quad 1.75817 .3529 .6900 .000 .00$ ATOM 126HD23LEU $8 \quad 1.48516 .90011 .3530 .000 .00$ ATOM 127 C LEU $8 \quad 0.01413 .6237 .4610 .000 .00$ ATOM 128 O LEU 8 -0.699 14.351 6.7290 .000 .00 ATOM 129 N GLY $9 \quad-0.51312 .5298 .060 \quad 0.000 .00$ ATOM 130 H GLY $9 \quad 0.10511 .9108 .5650 .000 .00$ ATOM 131 CA GLY 9 -1.974 12.274 8.074 0.00 0.00 ATOM 132 HA2 GLY 9 -2.488 12.514 7.143 0.00 0.00 ATOM 133 HA3GLY $9-2.11011 .2058 .2370 .000 .00$ ATOM 134 C GLY 9 -2.758 13.0719 .1300 .000 .00 ATOM 135 O GLY $9 \quad-2.24613 .956 \quad 9.8430 .000 .00$ ATOM 136 N NHE $10 \quad-4.01012 .7549 .1940 .000 .00$ ATOM 137 HN1 NHE 10 -4.405 12.2278 .4290 .000 .00 ATOM 138 HN2 NHE $10 \quad-4.60713 .312 \quad 9.7880 .000 .00$ TER 139 NHE 10 END

ATOM 48HG13ILE 3 -7.997-16.499 7.7240 .000 .00 ATOM 49 CD1ILE $3 \quad-7.584-17.820 \quad 9.3920 .000 .00$ ATOM 50HDITHE 3 ( 0.80 ATOM 51 HD12 ILE $3 \quad-8.205-18.336101240 .00000$ ATOM 52 HD13ILE 3 -7.133-18523 8.6920 .000 .00 53 C ILE $3-9.908-14.08$ 8. 7.3980 .000 .00 540 ILE $3-8.700-13.822 \quad 7.0940 .000 .00$ ATOM 5 N GLN 4 -10.910-13.607 6.663-0.00 0.00 ATOM 56 HALN 4 -11.860-13.832 6.9220 .000 .00 ATOM 57 CA GLN $4-10.714-12.804 \quad 5.4730000 .00$ ATOM 58 HA GLN 4 -9.712-12.376 5.4590 .000 .00 ATOM 59 CB GLN $4 \quad-10.789-13.671 \quad 4.1970 .000 .00$ ATOM 60 HB2 GLN $4-10.634-13.023 \quad 3.3340 .000 .00$ ATOM 61 HB3 GLN 4 -10.019-14.440 4.1320 .000 .00 ATOM 62 CG GLN 4 -12.049-14.571 4.1220 .000 .00 ATOM 63 HG2 GLN 4 -12.328-14.947 5.1070 .000 .00 ATOM 64 HG3 GLN 4 -12.826-13.999 3.6160 .000 .00 ATOM 65 CD GLN $4-11.852-15.7503 .1330 .000 .00$ ATOM 66 OE1GLN $4-12.236-15.6121 .9590 .000 .00$ ATOM 67 NE2 GLN 4 ATOM 68HE21GLN 4 -11.132-17.589 2.9980 .000 .00 ATOM 69 HE22 GLN 4 -11.295-16.868 4.6520 .000 .00 ATOM 70 C GLN 4 -11.745-11.730 5.4010 .000 .00 ATOM 71 O GLN 4 -12.854-11.844 5.871 0.00 0.00 ATOM 72 N ASN 5 -11.431-10.664 4.6740 .000 .00 ATOM 73 H ASN $5-10.540-10.6164 .2020 .000 .00$ ATOM 74 CA ASN 5 -12.377-9.552 4.4520 .000 .00 ATOM 75 HA ASN 5 - $-12.788-9.451 \quad 5.4570 .000 .00$ ATOM 76 CB ASN 5 5 $-11.487-8.3254 .0390 .000 .00$ ATOM 77 HB2 ASN $5 \quad-10.701-8.1374 .7720 .000 .00$ ATOM 78 HB3 ASN $5 \quad-10.966-8.5953 .1200 .000 .00$ ATOM 79 CG ASN 5 -12.249-6.975 3.8600 .000 .00 ATOM 80 OD1ASN $5-13.415-6.7894 .2270 .000 .00$ ATOM 81 ND2ASN 5 -11.612 -5.9243 .4230 .000 .00

ATOM 950 CYX 6 -17.093 -8.510 4.0360 .000 .00 ATOM 96 N PRO 7 - $-17.759-9.0271 .9160 .000 .00$ ATOM 97 CD PRO 7 - 7 -17.801-10.000 0.8530 .000 .00 ATOM 98 HD2 PRO 7 -17.929-11.022 1.2100 .000 .00 ATOM 99 HD3 PRO 7 -16.883 -9.968 0.2660 .000 .00 ATOM 100 CG PRO 7 -18.996-9.534 0.0550 .000 .00 ATOM 101 HG2 PRO 7 -19.881-10.088 0.3690 .000 .00 ATOM 102 HG3PRO 7 -18.859-9.731-1.008 0.000 .00 ATOM 103 CB PRO 7 -19.184 -8.056 0.387 0.000 .00
 ATOM 105 HB3PRO 7 - 78.466 -7.585 -0.2850 .000 .00

 ATOM 108 C PRO 7 -19.754 -7.872 2.7750 .000 .00 ATOM 109 O PRO 7 -20.365 -8.9433 .0080 .000 .00 ATOM 110 N LEU 8 -20.091 -6.6923 .3910 .000 .00 ATOM 111 H LEU $8-19.626-5.8693 .0340 .00000$ ATOM 112 CA LEU 8 -21.114-6.576 4.4990 .000 .00 ATOM 113 HA LEU 8 -21.315 -7.554 4.9370 .000 .00 ATOM 114 CB LEU $8 \quad-20.506-5.697 \quad 5.5600 .000 .00$ ATOM 115 HB2 LEU 8 -20.160 -4.8444 .9760 .000 .00 ATOM 116 HB3LEU 8 -21.272 $-5.386 \quad 6.2700 .000 .00$ ATOM 117 CG LEU 8 -19.340 -6.300 6.3610 .000 .00 ATOM 118 HG LEU 8 -18.563-6.488 5.6210 .000 .00 ATOM 119 CD1LEU 8 -18.876-5.312 7.3840 .000 .00 ATOM 120HD11LEU 8 -18.447 -4.496 6.8020 .000 .00 ATOM 121HD12LEU 8 -19.730 $-4.868 \quad 7.8950 .000 .00$ ATOM 122 HD13LEU 8 -18.115 -5.6268 .0980 .000 .00 ATOM 123 CD2 LEU 8 -19.684 -7.7046 .9680 .000 .00 ATOM 124HD21LEU 8 -20.664-7.651 7.4440 .000 .00 ATOM 125 HD22 LEU 8 -19.697 -8.444 6.1680 .000 .00 ATOM 126HD23 LEU 8 -18.837-7.989 7.5910 .000 .00 ATOM 127 C LEU 8 -22.498-6.117 4.0260 .000 .00 ATOM 128 O LEU 8 -22.697-5.126 3.3030 .000 .00

ATOM 35 HH3TYR 2 -9.182-19.086 13.223 0.00 0.00 ATOM 36 N ILE $3-11.508-15.7768 .5590 .000 .00$ ATOM 37 H ILE $3-12.117-15.8669 .3590 .000 .00$ ATOM 38 CA ILE $3-10.261-14.9128 .6810 .000 .00$ ATOM 39 HA ILE 3 -10.452-14.063 9.3370 .000 .00 ATOM 40 CB ILE $30-9.163-15.7269 .3850 .000 .00$ ATOM 41 HB ILE 3 -8.348-15.003 9.4240 .000 .00 ATOM 42 CG2ILE 3 -9.692-15.996 10.8700 .000 .00 ATOM 43 HG21ILE $3-8.818-16.17111 .4970 .000 .00$ ATOM 44 HG22ILE $3-10.143-15.06111 .2010 .000 .00$ ATOM 45 HG23ILE 3 -10.417-16.810 10.8610 .000 .00 ATOM 46 CG1ILE $3-8.490-16.8268 .6400 .000 .00$ ATOM 47 HG12ILE $3 \quad-9.267-17.439 \quad 8.1830 .000 .00$

TOM 82HD21ASN 5 -12.173-5.096 3.2820 .000 .00 ATOM 83 HD22 ASN 5 -10.735-6.045 2.9370 .000 .00 ATOM 84 C ASN 5 - $-13.449-9.8513 .3410 .000 .00$ ATOM 85 O ASN 5 -13.127-10.154 2.2000 .000 .00
 ATOM 87 H CYX 6 -14.876-9.902 4.7510 .000 .00 ATOM 88 CA CYX 6 -15.855-10.228 2.9600 .000 .00 ATOM 89 HA CYX 6 -15.555-10.330 1.9170 .000 .00 ATOM 90 CB CYX 6 -16.368-11.541 3.4460 .000 .00 ATOM 91 HB2 CYX 6 -16.309-11.653 4.5290 .000 .00 ATOM 92 HB3CYX 6 -17.429-11.657 3.2240 .000 .00 ATOM 93 SG CYX 6 -15.624-13.129 2.8880 .000 .00


ATOM 129 N GLY 9 -23.487-6.789 4.5060 .000 .00 ATOM 130 H GLY 9 -23.360 -7.669 4.9850 .000 .00 ATOM 131 CA GLY 9 -24.867-6.497 4.1840 .000 .00 ATOM 132 HA2 GLY 9 -25.075 -6.4993 .1140 .000 .00 ATOM 133 HA3GLY 9 -25.504 -7.298 4.5590 .000 .00 ATOM 134 C GLY 9 -25.429-5.172 4.8440 .000 .00 ATOM 135 O GLY 9 -24.862-4.820 5.8860 .000 .00 ATOM 136 N NHE 10 -26.434-4.556 4.2790 .000 .00 ATOM 137 HN1NHE $10-26.820-4.8303 .3870 .000 .00$ ATOM 138 HN2 NHE 10 -26.791-3.737 4.7500 .000 .00 TER 139 NHE 10
END

## CT, open23pbr (OPEN)

CT_MD-I_5us_T16_2
ATOM 1 HA2 MET 15 5.993 6.076-11.773 0.000 .00 ATOM 2 CA MET 1 6.808 6.736-11.476 0.000 .00 ATOM 3 HA1MET 1 6.566 7.206-10.523 0.000 .00 ATOM 4 CB MET 1 8.124 5.953-11.374 0.00 0.00 ATOM 5 HB2 MET $1 \quad 8.164 \quad 5.339-12.2740 .000 .00$ ATOM 6 HB3MET 1 9.015 6.580-11.394 0.00 0.00 ATOM 7 CG MET $1 \quad 8.166$ 5.109-10.153 0.000 .00 ATOM 8 HG2 MET $118.029 \quad 5.737-9.2720 .00$ 0.00 ATOM 9 HG3MET 1 7.327 4.418-10.232 0.000 .00 ATOM 10 C MET $1 \quad 6.9307 .752-12.5580 .000 .00$ ATOM 11 O MET 1 6.423 7.593-13.740 0.000 .00 ATOM 12 N TYR 2 7.523 8.923-12.194 0.000 .00 ATOM 13 H TYR 2 8.001 9.003-11.308 0.000 .00 ATOM 14 CA TYR 2 7.435 10.140-12.993 0.00 0.00 ATOM 15 HA TYR $2 \quad 7.035$ 9.768-13.936 0.000 .00 ATOM 16 CB TYR $22 \quad 6.459$ 11.061-12.385 0.000 .00 ATOM 17 HB2 TYR $2 \quad 5.711$ 11.401-13.101 0.000 .00 ATOM 18 HB3 TYR $2 \quad 5.751$ 10.535-11.743 0.000 .00 ATOM 19 CG TYR 26.953 12.302-11.688 0.000 .00 ATOM 20 CD1TYR 2 7.206 13.385-12.515 0.00 0.00 ATOM 21 HD1 TYR $2 \quad 7.017$ 13.332-13.577 0.000 .00 ATOM 22 CE1TYR $2 \quad 7.580$ 14.609-12.015 0.000 .00 ATOM 23 HE1TYR $2 \quad 7.583$ 15.390-12.760 0.000 .00 ATOM 24 CZ TYR $2 \quad 7.935$ 14.752-10.707 0.00 0.00 ATOM 25 OS TYR 22 8.354 15.980-10.165 0.000 .00 ATOM 26 CH TYR 228.453 17.087-11.009 0.000 .00 ATOM 27 CE2 TYR $2 \quad 7.806$ 13.652 -9.8840 .000 .00 ATOM 28 HE2 TYR $28.23613 .681-8.8930 .000 .00$ ATOM 29 CD2TYR 2 7.159 12.434-10.336 0.00 0.00 ATOM 30 HD2 TYR $26.97211 .616-9.6550 .000 .00$ ATOM 31 C TYR 28.771 10.798-13.370 0.00 0.00 ATOM 32 O TYR 28.898 11.306-14.489 0.00 0.00 ATOM 33 HH1TYR 228.771 17.974-10.461 0.00 0.00 ATOM 34 HH2 TYR 227.509 17.315-11.503 0.000 .00 ATOM 35 HH3 TYR 29.216 17.025-11.785 0.00 0.00 ATOM 36 N ILE $3 \quad 9.728$ 10.858-12.401 0.000 .00 ATOM 37 H ILE 3 9.343 10.645-11.492 0.000 .00 ATOM 38 CA ILE 3 11.071 11.381-12.522 0.00 0.00 ATOM 39 HA ILE $3 \quad 11.087$ 11.534-13.601 0.000 .00 ATOM 40 CB ILE $3 \quad 11.165$ 12.846-11.959 0.000 .00 ATOM 41 HB ILE $3 \quad 10.292$ 13.375-12.340 0.000 .00 ATOM 42 CG2ILE 3 11.231 12.861-10.402 0.000 .00 ATOM 43 HG21ILE 3 10.570 $12.173-9.8760 .000 .00$ ATOM 44 HG22ILE $3 \quad 12.22612 .530-10.1040 .000 .00$ ATOM 45 HG23ILE $3 \quad 11.043$ 13.889-10.091 0.00 0.00 ATOM 46 CG1ILE 312.413 13.642-12.468 0.000 .00 ATOM 47 HG12ILE 3 13.249 13.172-11.951 0.00 0.00

ATOM 48HG13ILE $3 \quad 12.529$ 13.316-13.502 0.000 .00 ATOM 49 CD1ILE $3 \quad 12.319$ 15.094-12.095 0.000 .00 ATOM 50HDITHE - 3 12.423 15.310-11.032 0.00 0.00 ATOM 51 HD12 ILE $3 \quad 13.07415,661-12.6400 .000 .00$ ATOM 52 HD13ILE $3 \quad 11.302$ 15.392-12.347 0.000 .00 $\begin{array}{llll}\text { ATOM } & \text { S2HDIILE } & 11.30215 .392-12.347 & 0.00 \\ \text { ATOM } & \text { S3 ILE } & 3 & 12.14210 .396-12.1170 .00 \\ 0.00\end{array}$ ATOM 540 ILE $3 \quad 13.314$ 10.781-12.013 0.000 .00
 $\begin{array}{llllll}\text { ATOM } & 55 \mathrm{~N} \text { GLN } 4 & 11.765 & 9.180-11.661 & 0.00 & 0.00 \\ \text { ATOM } & 56 \mathrm{H} \text { GLN } & -4 & 10.766 & 9.043-11.591 & 0.00 \\ 0.00\end{array}$ ATOM 57 CA GLN 412.572 8.214-10.865 0.00 0.00 ATOM 58 HA GLN 413.5928 .591 -10.936 0.000 .00 ATOM 59 CB GLN 412.2438 .242 -9.379 0.000 .00 ATOM 60 HB2 GLN $412.9857 .644-8.8500 .000 .00$ ATOM 61 HB3 GLN 412.247 9.254-8.974 0.000 .00 ATOM 62 CG GLN $4 \quad 10.928$ 7.693 -8.964 0,00 0.00 ATOM 63 HG2 GLN $410.717 \quad 6.862-9.6380 .000 .00$ ATOM 64 HG3 GLN 4 10.951 $7.247-7.9700 .000 .00$ ATOM 65 CD GLN $4 \quad 9.747$ 8.673-9.055 0.000 .00 ATOM 66 OE1GLN $4 \quad 9.275$ 9.090-10.056 0.000 .00 ATOM 67 NE2 GLN $4 \quad 9.2859 .354-8.0200 .000 .00$ ATOM 68HE21GLN $4 \quad 8.63310 .101-8.2120 .000 .00$ ATOM 69HE22GLN 4 9.736 9.163-7.137 0.00 0.00 ATOM 70 C GLN 4 12.435 6.824-11.471 0.00 0.00 ATOM 71 O GLN 411.567 6.530-12.313 0.000 .00 ATOM 72 N ASN 5 13.380 5.994-11.111 0.00 0.00 ATOM 73 H ASN 5 14.115 6.405-10.552 0.000 .00 ATOM 74 CA ASN 5 13.501 $4.653-11.7110 .000 .00$ ATOM 75 HA ASN 5 13.244 4.850-12.752 0.000 .00 ATOM 76 CB ASN 5 14.939 4.132-11.780 0.00 0.00 ATOM 77 HB2 ASN 5 15.590 4.919-12.160 0.00 0.00 ATOM 78 HB3ASN 5 15.256 3.953-10.753 0.000 .00 ATOM 79 CG ASN 5 14.989 2.826-12.542 0.000 .00 ATOM 80 OD1ASN $5 \quad 15.275 \quad 1.773-11.9620 .000 .00$ ATOM 81 ND2 ASN 5 14.674 2.748 -13.825 0.000 .00 ATOM 82HD21ASN 5 14.940 1.876-14.259 0.00 0.00 ATOM 83HD22 ASN 5 14.580 3.559-14.420 0.00 0.00 ATOM 84 C ASN 5 12.582 3.635-11.089 0.00 0.00 ATOM 85 O ASN 5 12.845 $3.290-9.9510 .000 .00$ ATOM 86 N CYX 6 11.628 3.096-11.846 0.000 .00 ATOM 87 H CYX $6 \quad 11.481$ 3.454-12.779 0.00 0.00 ATOM 88 CA CYX 6 10.632 2.121-11.348 0.000 .00 ATOM 89 HA CYX $6 \quad 11.080 \quad 1.661-10.4680 .000 .00$ ATOM 90 CB CYX $\quad 6 \quad 9.371 \quad 2.889-10.972 \quad 0.00 \quad 0.00$ ATOM 91 HB2 CYX 6 $\quad 8.921 \quad 3.186-11.9190 .000 .00$ ATOM 92 HB3CYX $6 \quad 8.776$ 2.146-10.440 0.000 .00 ATOM 93 SG CYX $6 \quad 9.781$ 4.279-9.913 0.000 .00 ATOM 94 C CYX 6 10.347 1.031-12.490 0.00 0.00

ATOM 950 CYX 6 10.557 1.353-13.677 0.000 .00 ATOM 96 N PRO 7 9.900 -0.201-12.148 0.000 .00 ATOM 97 CD PRO 7 9.456-0.582-10.796 0.000 .00 ATOM 98 HD2 PRO $7 \quad 8.728$ 0.086-10.335 0.000 .00 ATOM 99 HD3PRO 7 10.400 -0.446-10.267 0.00 0.00 ATOM 100 CG PRO $7 \quad 9.038$-2.085-10.758 0.000 .00 ATOM 101 HG2 PRO $7 \quad 8.041$-2.359-10.414 0.000 .00 ATOM 102 HG3PRO $7 \quad 9.697-2.662-10.1100 .000 .00$ ATOM 103 CB PRO $7 \quad 9.352-2.523-12.2070 .000 .00$ ATOM 104 HB2PRO $7 \quad 8.710-3.338-12.5420 .000 .00$ ATOM 105 HB3PRO $7 \quad 10.372-2.902-12.2700 .000 .00$ ATOM 106 CA PRO 7 9.510 -1.264-13.062 0.00 0.00 ATOM 107 HA PRO $7 \quad 10.317-1.471-13.7640 .000 .00$ ATOM 108C PRO $7 \quad 8.303-0.934-13.8800 .000 .00$ ATOM 109 O PRO $7 \quad 7.561-0.026-13.5400 .000 .00$ ATOM 110 N LEU 8 8.085-1.644-14.980 0.000 .00 ATOM 111 H LEU 8 8.668-2.451-15.149 0.000 .00 ATOM 112 CA LEU $8 \quad 6.904-1.474-15.8650 .000 .00$ ATOM 113 HA LEU $8 \quad 6.380-0.566-15.5670 .000 .00$ ATOM 114 CB LEU 8 7.318-1.203-17.285 0.00 0.00 ATOM 115 HB2LEU 8 7.882-2.079-17.604 0.00 0.00 ATOM 116 HB3LEU 8 6.464-1.025-17.938 0.00 0.00 ATOM 117 CG LEU $8 \quad 8.2740 .041-17.4590 .000 .00$ ATOM 118 HG LEU $8 \quad 9.030 \quad 0.033-16.6740 .000 .00$ ATOM 119 CD1LEU $8 \quad 8.854-0.151-18.8300 .000 .00$ ATOM 120HD11LEU $8 \quad 8.071-0.318-19.5700 .000 .00$ ATOM 121HD12LEU 8 9.344 0.750-19.197 0.000 .00 ATOM 122 HD13LEU 8 9.518-1.015-18.787 0.000 .00 ATOM 123 CD2LEU 8 7.500 1.350-17.416 0.000 .00 ATOM 124HD21LEU 8 8.118 2.247-17.457 0.00 0.00 ATOM 125HD22LEU 8 6.879 1.427-18.309 0.00 0.00 ATOM 126HD23LEU $8 \quad 6.810$ 1.397-16.574 0.000 .00 ATOM 127 C LEU $8 \quad 5.955-2.627-15.7160 .000 .00$ ATOM 128 O LEU 8 6.303-3.833-15.593 0.000 .00 ATOM 129 N GLY $9 \quad 4.668-2.263-15.7150 .000 .00$ ATOM 130 H GLY 9 9 $\quad 4.427-1.288-15.6100 .000 .00$ ATOM 131 CA GLY $9 \quad 3.558-3.222-15.5740 .000 .00$ ATOM 132 HA2 GLY 9 3.831-3.926-14.788 0.00 0.00 ATOM 133 HA3GLY 9 2.632-2.828-15.154 0.00 0.00 ATOM 134 C GLY 9 3.292-4.045-16.824 0.00 0.00 ATOM 135 O GLY $9 \quad 3.721-3.702-17.9350 .000 .00$ ATOM 136 N NHE $10 \quad 2.475-5.093-16.6760 .000 .00$ ATOM 137 HN1 NHE $10 \quad 2.033-5.320-15.7960 .000 .00$ ATOM 138 HN2 NHE $10 \quad 2.206$-5.615-17.498 0.000 .00 TER 139 NHE 10
END

## CT, intermediate saddle* (OPEN/FOLDED)

## CT_MD-I_5us_T16_11

ATOM 1 HA2MET 1 -16.462 $2.328-18.3910 .000 .00$


 ATOM 5 HB2 MET 1 -17.589 4.480-17.962 0.000 .00 ATOM 6 HB3MET 1 -18.536 3.172-17.444 0.000 .00 ATOM 7 CG MET 1 -17.671 4.219-15.875 0.00 0.00 ATOM 8 HG2 MET 1 -18.601 4.771-15.743 0.000 .00 ATOM 9 HG3MET 1 -17.648 $3.342-15.2280 .000 .00$ ATOM 10 C MET 1 - -16.179 1.651-16.440 0.000 .00 ATOM 11 O MET 1 -16.983 $0.737-16.3550 .000 .00$ ATOM 12 N TYR 2 - -15.059 1.719-15.707 0.00 0.00 ATOM 13 H TYR $22-14.454 \quad 2.525-15.780 \quad 0.000 .00$ ATOM 14 CA TYR 2 -14.684 $0.701-14.7490 .000 .00$ ATOM 15 HA TYR 2 -14.858 -0.237-15.276 0.000 .00 ATOM 16 CB TYR 2 -13.183 $0.892-14.4140 .000 .00$ ATOM 17 HB2 TYR 2 -12.589 $0.819-15.3250 .000 .00$ ATOM 18 HB3TYR 2 -13.065 1.893-13.998 0.000 .00 ATOM 19 CG TYR 2 -12.633 -0.187-13.506 0.00 0.00 ATOM 20 CD1TYR $22-12.695-1.558-13.7900 .000 .00$ ATOM 21 HD1 TYR $22-13.049-1.885-14.7560 .000 .00$ ATOM 22 CE1 TYR 2 -12.168 -2.500-12.906 0.000 .00 ATOM 23 HE1 TYR $2-12.195-3.548-13.1660 .000 .00$ ATOM 24 CZ TYR 2 -11.550 -2.107-11.671 0.000 .00 ATOM 25 OS TYR 2 -11.010 -3.063-10.753 0.000 .00 ATOM 26 CH TYR 2 -11.363 -4.423-10.850 0.00 0.00

ATOM 48HG13ILE 3 -14.694-2.400-10.479 0.000 .00 ATOM 49 CD1ILE $3 \quad-15.779-4.019-9.8370 .000 .00$ ATOM 50HD11ILE 3 -14.845-4.540 -9.628 0.000 .00 ATOM 51 HD12 ILE 3 3 $-16.054-3.563-8.8860 .000 .00$ ATOM 52HD13ILE 3 -16.562-4.692-10.189 0.00 0.00 ATOM 53C HE 3-15.757-0.036-10.228 0.000 .00 ATOM 540 ILE $3-16.286-0.271-9.1160 .000 .00$ 55 N GLN 4 -14.736 0.796-10.308 0.000 .00 A 56 H GLN $4 \quad-14.183 \quad 0.735-11.1510 .000 .00$
 $\begin{array}{lllllll}\text { ATOM } & 57 & \text { CA GLN } & 4 & -14.366 & 1.739 & -9.294 \\ 0.00 & 0.00 \\ \text { ATOM } & 58 \text { HA GLN } & 4 & -15.148 & 1.827 & -8.540 & 0.00 \\ 0.00\end{array}$ $\begin{array}{lllllllllll}\text { ATOM } & 58 \text { HA GLN } & 4 & -15.148 & 1.827 & -8.540 & 0.00 & 0.00 \\ \text { ATOM } & 59 & \text { CB GLN } & 4 & -13.150 & 1.096 & -8.560 & 0.00 & 0.00\end{array}$
 $\begin{array}{lllllll}\text { ATOM } & 60 \text { HB2GLN } & 4 & -13.344 & 0.024 & -8,615 & 0.00 \\ 0.00 \\ \text { ATOM } & 61 \text { HB3GLN } & 4 & -12.214 & 1.321 & -9.072 & 0.00 \\ 0.00\end{array}$ ATOM 61 HB3GLN 4 -12.214 $1.321-9.0720 .000 .00$ ATOM 62 CG GLN $4-13.2221 .646-7 / 1300.000 .00$ ATOM 63 HG2 GLN $4-13.1892 .733-7.1970 .000 .00$ ATOM 64 HG3GLN $4-14.1061 .273-6.6130 .000 .00$ ATOM 65 CD GLN $4-12.0231 .168$-6,344 0.000 .00 ATOM 66 OE1 GLN $4-11.066 \quad 0.791-6.9160 .000 .00$ ATOM 67 NE2 GLN $4-12.056 \quad 1.203-5.0270 .000 .00$ ATOM $68 \mathrm{HE} 21 \mathrm{GLN} \quad 4$-11.224 $1.019-4.4860 .000 .00$ ATOM 69HE22 GLN $4-12.8531 .659-4.6060 .000 .00$ ATOM 70 C GLN 4 -14.026 $3.097-9.8510 .000 .00$ ATOM 710 GLN $4-13.3343 .311-10.8640 .000 .00$ ATOM 72 N ASN 5 -14.512 $4.169-9.1650 .000 .00$ ATOM 73 H ASN 5 -15.031 $3.986-8.3180 .000 .00$

ATOM 950 CYX 6 -16.632 7.799-12.220 0.000 .00 ATOM 96 N PRO 7 -15.174 8.409-13.837 0.000 .00 ATOM 97 CD PRO 7 - 7 -14.108 8.152-14.806 0.000 .00
 ATOM 99 HD3 PRO 7 -13.280 7.524-14.479 0.000 .00 ATOM 100 CG PRO 7 -13.587 9.535-15.333 0.000 .00 ATOM 101 HG2PRO 7 -13.209 9.489-16.354 0.00 0.00 ATOM 102 HG3PRO 7 -12.821 10.017-14.724 0.000 .00 ATOM 103 CB PRO 7 -14.851 10.398-15.244 0.00 0.00 ATOM 104 HB2 PRO 7 - 15.306 10.400-16.234 0.000 .00 ATOM 105 HB3PRO 7 - 14.584 11.440-15.067 0.000 .00
 ATOM 107 HA PRO 7 -15.723 10.358-13.146 0.000 .00 ATOM 108C PRO 7 - 7 -1.201 $9.739-14.4420 .000 .00$ ATOM 109 O PRO 7 -17.649 8.875-15.247 0.000 .00 ATOM 110 N LEU 8 -17.998 10.644-13.838 0.000 .00 ATOM 111 H LEU 8 -17.519 11.430-13.423 0.000 .00 ATOM 112 CA LEU 8 -19.395 10.765-14.203 0.000 .00 ATOM 113 HA LEU 8 -19.755 $9.902-14.7640 .000 .00$ ATOM 114 CB LEU 8 -20.144 10.735-12.886 0.00 0.00 ATOM 115 HB2LEU 8 -19.872 $9.806-12.3850 .000 .00$ ATOM 116 HB3LEU 8 -19.852 11.575-12.255 0.000 .00 ATOM 117 CG LEU 8 -21.713 10.752-12.884 0.000 .00 ATOM 118 HG LEU 8 -21.979 11.794-13.060 0.000 .00 ATOM 119 CD1LEU 8 -22.307 9.807-14.009 0.000 .00 ATOM 120HD11LEU 8 -22.335 10.417-14.913 0.000 .00

ATOM 27 CE2 TYR $2-11.471-0.715-11.4380 .000 .00$ ATOM 28 HE2 TYR 2 -11.071 - $0.401-10.4850 .000 .00$ ATOM 29 CD2TYR 2 - $11.9960 .268-12.2880 .000 .00$ ATOM 30 HD2 TYR 2 - $-11.8411 .320-12.1020 .000 .00$ ATOM 31 C TYR 2 -15.511 0.672-13.453 0.00 0.00 ATOM 32 O TYR $22-16.157 \quad 1.671-13.1390 .000 .00$ ATOM 33 HH1TYR 2 -10.868 -4.727-11.772 0.000 .00 ATOM 34 HH2 TYR $2-12.439-4.599-10.8530 .000 .00$ ATOM 35 HH3TYR 2 -10.927-5.057-10.078 0.000 .00 ATOM 36 N ILE $3-15.529-0.463-12.7000 .000 .00$ ATOM 37 H ILE 3 -14.874-1.193-12.941 0.00 0.00 ATOM 38 CA ILE $3-16.374-0.691-11.5130 .000 .00$ ATOM 39 HA ILE $3-17.313-0.169-11.6970 .000 .00$ ATOM 40 CB ILE $3 \quad-16.748-2.119-11.2740 .000 .00$ | ATOM | 40 CB ILE | 3 | $-16.748-2.119-11.274$ | 0.00 |
| :--- | :--- | :--- | :--- | :--- |
| 0.00 |  |  |  |  |
| ATOM | 41 HB ILE | 3 | $-17.470-2.311-10.480$ | 0.00 | ATOM 42 CG2ILE 3 -17.524 -2.718-12.453 0.000 .00 ATOM 43HG21ILE 3 -18.066 -3.566-12.036 0.000 .00 ATOM 44HG22ILE 3 -18.276 -2.030-12.839 0.000 .00 ATOM 45 HG23ILE 3 -16.814 -3.057-13.207 0.000 .00 ATOM 46 CG1ILE $3-15.511-2.974-10.9170 .000 .00$ ATOM 47 HG12ILE $3-15.154-3.542-11.7760 .000 .00$

TOM 74 CA ASN 5 -14.067 $5.586-9.3340 .000 .00$ ATOM 75 HA ASN 5 ATOM 76 CB ASN $5 \quad-12.645 \quad 5.736-8.6800 .000 .00$ ATOM 77 HB2 ASN 5 -12.707 $5.256-7.7040 .000 .00$
 ATOM 79 CG ASN 5 5 -12.110 $7.082-8.5460 .000 .00$ ATOM 80 OD1ASN 5 -11.204 7.517-9.229 0.000 .00 ATOM 81 ND2 ASN 5 -12.670 $7.901-7.7110 .000 .00$ ATOM 82HD21ASN 5 -12.537 8.898-7.799 0.000 .00 ATOM 83HD22ASN 5 -13.220 $7.459-6.9880 .00000$ ATOM 84 C ASN 5 -14.075 6.159-10.781 0.00 0.00 ATOM 85 O ASN 5 -13.349 7.057-11.186 0.000 .00 ATOM 86 N CYX 6 - 15.002 5.603-11.581 0.000 .00 ATOM 87 H CYX 6 -15.432 $4.728-11.3190 .000 .00$ ATOM 88 CA CYX 6 - $-15.180 \quad 6.047-12.9630 .000 .00$ ATOM 89 HA CYX 6 -14.216 6.053-13.473 0.000 .00 ATOM 90 CB CYX 6 -16.166 5.084-13.686 0.00 0.00 ATOM 91 HB2CYX 6 -15.648 4.132-13.566 0.00 0.00 ATOM 92 HB3CYX 6 -17.097 5.114-13.121 0.00 0.00 ATOM 93 SG CYX 6 -16.396 5.345-15.449 0.000 .00 ATOM 94 C CYX 6 -15.677 7.486-12.984 0.00 0.00

ATOM 121 HD12LEU 8 -21.615 8.998-14.243 0.000000 ATOM 122HD13LEU 8 -23.323 9.454-13.836 0.00 0.00 ATOM 123 CD2LEU 8 - 22.229 10.316-11.530 0.00000 ATOM 124 HD21LEU 8 -21.858 9.356-11.172 0.00 0.00 ATOM 125 HD22 LEU 8 -21.908 11.008-10.753 0.000 .00 ATOM 126HD23LEU 8 -23.319 10.348-11.528 0.000 .0 ATOM 127 C LEU 8 -19.574 12.113-14.977 0.00 0.00 ATOM 128 O LEU 8 -19.216 13.094-14.391 0.00 0.00 ATOM 129 N GLY 9 -20.135 12.144-16.246 0.00 0.00 ATOM 130 H GLY 9 -20.469 11239-16.545 0.000 .00 ATOM 131 CA GLY 9 -20.316 13.291-17.106 0.00 0.00 ATOM 132 HA2GLY $9-19.357$ 13.717-17.401 0.00000 ATOM 133 HA3GLY $9-20.750$ 12.925-18.036 0.000 .00 ATOM 134 C GLY 9 -21.277 14.354-16.541 0.00 0.00 ATOM 135 O GLY 9 g -22.101 14.069-15.711 0.00000 ATOM 136 N NHE $10-21.325$ 15.546-17.131 0.000 .00 ATOM 137 HN1NHE 10 -20.626 15.760-17.828 0.000 .00 ATOM 138 HN2 NHE 10 -22.098 16.100-16.790 0.000 .00 TER 139 NHE 10
END

## CT, intermediate saddlevar* (OPEN/FOLDED)

CT_MD-II_5us_T16_6
ATOM 1 HA2 MET $1 \quad-5.62611 .2800 .2230 .000 .00$ ATOM 2 CA MET 1 -6.342 11.037-0.562 0.000 .00 ATOM 3 HA1MET 1 -6.578 11.973 -1.066 0.000 .00 ATOM 4 CB MET 1 $-5.84010 .032-1.5520 .000 .00$ ATOM 5 HB2 MET 1 - 6.732 9.636 -2.0370 .000 .00 ATOM 6 HB3MET 1 -5.210 $10.439-2.3430 .000 .00$
 ATOM 8 HG2 MET $11-4.044$ 9.247-0.617 0.000 .00 ATOM 9 HG3MET $11-5.5908 .508-0.0720 .000 .00$ ATOM 10C MET 1 ATOM 11 O MET 1 ATOM 12 N TYR 2 -8.659 $10.568-0.4800 .000 .00$ ATOM 13 H TYR 2 -8.581 11.034-1.373 0.000 .00 ATOM 14 CA TYR 2 -9.971 $9.995-0.1010 .000 .00$ ATOM 15 HA TYR $2 \begin{array}{lllllllllll} & -9.833 & 9.576 & 0.895 & 0.00 & 0.00\end{array}$ ATOM 16 CB TYR 2 -10.942 11.187-0.071 0.00 0.00 ATOM 17 HB2TYR $22-10.54712 .0650 .4390 .000 .00$ ATOM 18 HB3 TYR $22-11.00811 .532-1.1030 .000 .00$ ATOM 19 CG TYR 2 -12.387 10.9400 .3730 .000 .00 ATOM 20 CD1TYR $2-13.43710 .811-0.5270 .000 .00$ ATOM 21 HD1 TYR 2 -13.216 10.900 -1.581 0.000 .00 ATOM 22 CE1 TYR 2 -14.714 10.491-0.024 0.000 .00 ATOM 23 HE1 TYR 2 -15.506 $10.383-0.7500 .000 .00$ ATOM 24 CZ TYR $22-14.89410 .1741 .3100 .000 .00$ ATOM 25 OS TYR $22-15.9889 .5451 .8340 .000 .00$ ATOM 26 CH TYR $22-16.8658 .9170 .8640 .000 .00$ ATOM 27 CE2 TYR 2 -13.773 $10.328 \quad 2.1610 .000 .00$ ATOM 28 HE2 TYR $22-13.90810 .0553 .1980 .000 .00$ ATOM 29 CD2TYR 2 -12.520 10.7771 .7520 .000 .00 ATOM 30 HD2 TYR 2 -11.656 10.84312 .3970 .000 .00 ATOM 31 C TYR 2 -10.320 $8.851-1.0680 .000 .00$ ATOM 32 O TYR $2-10.0098 .981-22610.000 .00$ ATOM 33 HH1TYR 2 - 16.3508 .1510 .2840 .000 .00 ATOM 34 HH2TYR 2 - 17.3089 .7480 .3150 .000 .00 ATOM 35 HH3 TYR 2 2 -17.6918 .4671 .4150 .000 .00 ATOM 36 N ILE $3-11.029 \quad 7.805-0.5660 .000 .00$ ATOM 37 H ILE $3-11.2907 .8330 .4090 .000 .00$ ATOM 38 CA ILE $3-11.4986 .643-1.2120 .000 .00$ ATOM 39 HA ILE 3 -11.579 $5.899-0.4180 .000 .00$ ATOM 40 CB ILE 3 -12.890 $6.810-1.8700 .000 .00$ ATOM 41 HB ILE $3-13.107$ 5.843-2.324 0.000 .00 ATOM 42 CG2ILE $3-13.9297 .111-0.7700 .000 .00$ ATOM 43 HG21ILE 3 - -13.646 7.983 -0.1790 .000 .00 ATOM 44HG22ILE 3 3 -14.920 7.312 -1.1770 .000 .00 ATOM 45 HG23ILE 3 3 $-14.146 \quad 6.287-0.0900 .000 .00$ ATOM 46 CG1ILE 3 3 $-12.928 \quad 7.932-2.9360 .000 .00$ ATOM 47HG12ILE 3 -13.148 $8.869-2.4260 .000 .00$

ATOM 48HG13ILE 3 -11.959 $7.956-3.4360 .000 .00$ ATOM 49 CD1ILE $3-13.9747 .582-4.0470 .000 .00$ ATOM 50HD11LL $3-14.948 \quad 7.877-3.6580 .000 .00$ ATOM 51HD12ILE $3-13.7278 .106-4.9700 .000 .00$ ATOM 52HD13ILE 3 -13.962 $6.508-4.2360 .000 .00$ ATOM 53 CILE 3 -10.503 $5.982-2.1780 .000 .00$ ATOM 54 O ILE 3 - $-10.918 \quad 5.353=3.1440 .000 .00$ ATOM 55 N GLN 4 -9.148 $5.940-1.9030 .000 .00$ ATOM 56 H GLN 4 ATOM 57 CA GLN $4 \quad-8.125 \quad 5.517-2.8130 .000 .0$ ATOM 58 HA GLN 4 -8.562 4.778 -3.484 0.000 .00 ATOM 59 CB GLN $4-7.572 \quad 6.579-3.7810 .000 .00$ ATOM 60 HB2 GLN 4 -7.468 $7.545-3.2860 .000 .00$ ATOM 61 HB3GLN 4 -6.591 6.227 -4.099 0.000 .00 ATOM 62 CG GLN $4 \quad-8.466 \quad 6.747$ 5 5.0380 .000 .00 ATOM 63 HG2 GLN $4 \quad-8.710 \quad 5.766-5.4450 .000 .00$ ATOM 64 HG3 GLN 4 -9.436 $7.183-4.8000 .000 .00$ ATOM 65 CD GLN 4 ATOM 66 OE1GLN 4 ATOM 67 NE2 GLN 4 -8.024 $7.456-7.3960 .000 .00$ ATOM 68HE21GLN 4 -7.609 $8.079-8.0730 .000 .00$ ATOM 69HE22 GLN 4 -8.722 $6.773-7.6540 .000 .00$ ATOM 70 C GLN 4 -7.069 $4.595-2.2430 .000 .00$ ATOM 71 O GLN 4 ATOM 72 N ASN $5 \quad-7.3214 .032-1.0550 .000 .00$ ATOM 73 H ASN 5 ATOM 74 CA ASN 5 年 $-6.476 \quad 3.133-0.3350 .000 .00$ TOM 75 HA ASN $5 \begin{array}{llllll}5 & -6.866 & 2.984 & 0.672 & 0.00 & 0.00\end{array}$ ATOM 76 CB ASN 5 -6.539 $1.800-1.0330 .000 .00$ ATOM 77 HB2 ASN 5 -7.586 $1.557-1.2160 .000 .00$ ATOM 78 HB3ASN 5 -6.106 $1.892-2.0280 .000 .00$ ATOM 79 CG ASN $5 \quad-5.7710 .688-0.2660 .000 .00$ ATOM 80 OD1ASN 5 ATOM 81 ND2 ASN $5 \quad-5.251-0.213-1.0010 .000 .00$ ATOM 82 HD21 ASN $5 \quad-4.472-0.739-0.6300 .000 .00$ ATOM 83 HD22 ASN 5 ATOM 84C ASN $5 \quad-5.134 \quad 3.765-0.1530 .000 .00$ ATOM 85 O ASN 5 -4.103 $3.137-0.2660 .000 .00$ ATOM 86 N CYX 6 ATOM 87 H CYX 6 -5.946 5.4380 .0290 .000 .00 ATOM 88 CA CYX 6 -3.777 5.8880 .2230 .000 .00 ATOM 89 HA CYX 6 TOM 90 CB CYX 6 ATOM 91 HB2 CYX 6 -2.681 $7.372-0.9730 .000 .00$
 ATOM 93 SG CYX 6 6 -4.894 7.502 -1.9170 .000 .00 ATOM 94 C CYX 6

ATOM 950 CYX 6 - -4.9807 .3701 .8440 .000 .00 ATOM 96 N PRO 7 7 $-2.7457 .152 \quad 2.1070 .000 .00$ ATOM 97 CD PRO 7 -1.421 6.7881 .6470 .000 .00 ATOM 98 HD2 PRO 7 -1.376 6.8020 .5580 .000 .00 ATOM 99 HD3PRO 7 -1.182 5.7892 .0120 .000 .00 ATOM 100 CG PRO 7 -0.457 7.7712 .3480 .000 .00 ATOM 101 HG2PRO $7 \quad-0.1768 .6231 .7280 .000 .00$ ATOM 102 HG3PRO $\quad 7 \quad 0.4097 .156 \quad 2.5920 .00 \quad 0.00$ ATOM 103 CB PRO 7 7 $-1.1308 .240 \quad 3.6260 .000 .00$ ATOM 104 HB2PRO 7 7 ATOM 105 HB3 PRO 7 -0.923 7.4294 .3240 .000 .00 ATOM 106 CA PRO 7 -2.633 8.1893 .1650 .000 .00 ATOM 107 HA PRO 7 -3.189 7.8584 .0410 .000 .00 ATOM 108 C PRO 7 -3.205 9.5592 .6950 .000 .00 ATOM 1090 PRO $7 \quad-2.9469 .9541 .5470 .000 .00$ ATOM 110 N LEU 8 -3.986 10.2493 .5230 .000 .00 ATOM 111 H LEU 8 - -4.2249 .8374 .4140 .000 .00 ATOM 112 CA LEU $8 \quad-4.37211 .5843 .3900 .000 .00$ ATOM 113 HA LEU 8 ATOM 114 CB LEU $8 \quad-5.71711 .7194 .1390 .000 .00$ ATOM 115 HB2LEU $8 \quad-6.39310 .887 \quad 3.940 \quad 0.000 .00$ ATOM 116 HB3LEU 8 -5.566 11.5875 .2100 .000 .00 ATOM 117 CG LEU 8 -6.362 13.1203 .8880 .000 .00 ATOM 118 HG LEU 8 -5.619 13.8964 .0710 .000 .00 ATOM 119 CD1LEU $8 \quad-6.84813 .246 \quad 2.3960 .000 .00$ ATOM 120HD11LEU 8 - $-6.00213 .112 \quad 1.7220 .000 .00$ ATOM 121 HD12 LEU 8 -7.600 12.4662 .2720 .000 .00 ATOM 122 HD13LEU 8 -7.232 14.234 2.1430 .000 .00 ATOM 123 CD2LEU 8 -7.624 13.2054 .8540 .000 .00 ATOM 124HD21LEU $8 \quad-7.53412 .943 \quad 5.908 \quad 0.000 .00$ ATOM 125 HD22 LEU 8 -8.109 14.173 4.7270 .000 .00 ATOM 126HD23LEU 8 -8.192 12.3724 .4400 .000 .00 ATOM 127C LEU 8 -3.327 12.4784 .0610 .000 .00 ATOM 128 O LEU 8 -3.100 12.3145 .2930 .000 .00 ATOM 129 N GLY 9 9 $-2.95413 .589 \quad 3.3480 .000 .00$ ATOM 130 H GLY 9 ATOM 131 CA GLY 9 -2.137 14.6653 .9130 .000 .00 ATOM 132 HA2 GLY 9 -2.172 15.5693 .3050 .000 .00 ATOM 133 HA3GLY 9 -2.523 14.854 4.9150 .000 .00 ATOM 134 C GLY $9-0.68214 .3034 .0790 .000 .00$ ATOM 135 O GLY $9 \quad-0.12913 .348 \quad 3.5850 .000 .00$ ATOM 136 N NHE $10 \quad-0.01015 .0664 .9380 .000 .00$ ATOM 137 HN1 NHE $10 \quad-0.39315 .9545 .2290 .000 .00$ ATOM 138 HN2 NHE $10 \quad 0.83214 .635 \quad 5.2910 .000 .00$ TER 139 NHE 10
END

## CT, saddlevar* (= folded-II) (FOLDED)

## CT_MD-II_5us_T16_5

ATOM 1 HA2 MET 1 11.568-16.276-9.059 0.00 0.00 ATOM 2 CA MET 1 11.548-15.191-9.163 0.00 0.00 ATOM 3 HA1 MET 1 11.655-14.825-8.142 0.00 0.00 ATOM 4 CB MET 1 12 12.766-14.735-10.011 0.00 0.00 ATOM 5 HB2 MET 11 13.663-14.970 -9.437 0.00 0.00 ATOM 6 HB3MET $1112.850-15.296-10.9420 .000 .00$ ATOM 7 CG MET 1 12.721-13.253-10.389 0.000 .00 ATOM 8 HG2 MET 1 13.437-12.989-11.167 0.00 0.00 ATOM 9 HG3MET 1 11.774-13.033-10.882 0.00 0.00 ATOM 10 C MET 1 10.266-14.804-9.788 0.00 0.00 ATOM 11 O MET 1 9.517-14.088-9.151 0.00 0.00 ATOM 12 N TYR 2 9.885-15.580-10.829 0.00 0.00 ATOM 13 H TYR 2 10.453-16.260-11.314 0.00 0.00 ATOM 14 CA TYR 22 8.610-15.446-11.474 0.00 0.00 ATOM 15 HA TYR 2 8.512-14.400-11.765 0.000 .00 ATOM 16 CB TYR 2 8.713-16.226-12.843 0.000 .00 ATOM 17 HB2 TYR 2 9.600-15.861-13.361 0.00 0.00 ATOM 18 HB3TYR 2 8.860-17.298-12.709 0.00 0.00

ATOM 48HG13ILE 3 4.257-16.917-9.589 0.00 0.00 ATOM 49 CD1ILE 3 3.179-17.689-11.275 0.00 0.00 ATOM 50HD11ILE $3 \quad 3.297-18.646-10.7660 .000 .00$
 $\begin{array}{llll}\text { ATOM } & 52 \text { HDI3LLE } & 3.214-17.859-12.351 ~ 0.00 ~ & 0.00\end{array}$ $\begin{array}{lllll} & 53 \text { C ILE } & 5 & 5145-14.664-8.448 & 0.00 \\ 54 & 0.00\end{array}$ 4.143-14.799-7.823 0.000 .00 N GLN $4 \quad 6.323-14.481-7.9110 .000 .00$ ATOM 56 H GLN 4 7.099-14.682-8.526 0.000 .00 ATOM 57 CA GLN 4 6.572-14.370 -6.464 0.00 0.00 ATOM 58 HA GLN 4 5.618-14.296-5.942 0.00 0.00 ATOM 59 CB GLN $4 \quad 7.293-15.626-5.9290 .000 .00$ ATOM 60 HB2 GLN 4 8.347-15.540-6.193 0.00 0.00 ATOM 61 HB3 GLN 4 7.195-15.591-4.844 0.00 0.00 ATOM 62 CG GLN 4 6.698-16.965-6.436 0.00 0.00 ATOM 63 HG2 GLN 4 5.626-17.000-6.243 0.000 .00 ATOM 64 HG3GLN 4 6.891-17.126-7.497 0.000 .00 ATOM 65 CD GLN 4 7.200-18.185-5.665 0.000 .00

ATOM 95 O CYX 6 9.808-11.516-11.449 0.00 0.00 ATOM 96 N PRO 7 10.478-9.414-11.918 0.00 0.00 ATOM 97 CD PRO $7 \quad 10.712$-7.994-11.642 0.000 .00 ATOM 98 HD2 PRO 7 11.790-7.840-11.604 0.00 0.00 ATOM 99 HD3 PRO $7 \quad 10.289-7.659-10.6950 .000 .00$ ATOM 100 CG PRO 7 10.104-7.219-12.739 0.000 .00 ATOM 101 HG2 PRO 7 10.605-6.297-13.033 0.000 .00 ATOM 102 HG3PRO $7 \quad 9.186-6.790-12.3360 .000 .00$ ATOM 103 CB PRO 7 9.890 -8.139-13.888 0.000 .00 ATOM 104 HB2PRO 7 10.405-7.849-14.804 0.00 0.00 ATOM 105 HB3PRO $7 \quad 8.827-8.100-14.1300 .000 .00$ ATOM 106 CA PRO $7 \quad 10.250-9.571-13.3790 .000 .00$ ATOM 107 HA PRO $7 \quad 9.502-10.308-13.6740 .000 .00$ ATOM 108 C PRO $7 \quad 11.562-10.062-14.0840 .000 .00$ ATOM 1090 PRO 7 12.629-9.846-13.502 0.000 .00 ATOM 110 N LEU 8 11.362-10.770-15.190 0.00 0.00 ATOM 111 H LEU 8 10.390-10.928-15.412 0.000 .00 ATOM 112 CA LEU 8 12.324-11.496-15.986 0.00 0.00

ATOM 19 CG TYR 2 7.463-16.175-13.705 0.00 0.00 ATOM 20 CD1TYR 2 6.674-17.316-13.915 0.00 0.00 ATOM 21 HD1 TYR 2 6.848-18.163-13.269 0.00 0.00 ATOM 22 CE1 TYR 2 5.443-17.290-14.618 0.000 .00 ATOM 23 HE1 TVR 2 4.801-18.159-14.615 0.00 0.00 ATOM 24 CZ TYR $2 \quad 5.090-16.123-15.3240 .000 .00$ ATOM 25 OS TYR 2 3.819-16.196-15.987 0.00 0.00 ATOM 26 CH TYR 2 3.435-15.041-16.663 0.000 .00 ATOM 27 CE2 TYR 2 5.930-14.994-15.245 0.00 0.00 ATOM 28 HE2 TYR 2 5.593-14.047-15.639 0.00 0.00 ATOM 29 CD2TYR 2 7.075-15.024-14.388 0.00 0.00 ATOM 30 HD2 TYR 2 7.530-14.073-14.156 0.00 0.00 ATOM 31 C TYR 2 7.374-15.653-10.626 0.00 0.00 ATOM 32 O TYR 2 7.170-16.649-9.917 0.00 0.00 ATOM 33 HH1TYR 2 4.284-14.736-17.276 0.00 0.00 ATOM 34 HH2 TYR 2 3.087-14.343-15.901 0.00 0.00 ATOM 35 HH3TYR 2 2.634-15.217-17.380 0.00 0.00 ATOM 36 N ILE $3 \quad 6.422-14.633-10.7500 .000 .00$ ATOM 37 H ILE 3 6.538-13.786-11.288 0.00 0.00 ATOM 38 CA ILE 3 5.139-14.503-10.016 0.00 0.00 ATOM 39 HA ILE $3 \quad 4.949-13.438-10.1520 .000 .00$ ATOM 40 CB ILE $3 \quad 4.007-15.302-10.6550 .000 .00$ ATOM 41 HB ILE $3 \quad 3.109-14.989-10.123$ 0.00 0.00 ATOM 42 CG2ILE 3 3.748-14.742-12.036 0.000 .00 ATOM 43 HG21ILE 3 4.418-15.212-12.756 0.00 0.00 ATOM 44HG22ILE 3 2.703-15.009-12.189 0.00 0.00 ATOM 45 HG23ILE 3 3.927-13.685-12.233 0.00 0.00 ATOM 46 CG1ILE 3 4.231-16.764-10.668 0.00 0.00 ATOM 47 HG 12 ILE 3 5.170-16.928-11.196 0.000 .00

66 OE1 GLN $4 \quad 8.389-18.555-5.7720 .000 .00$ ATOM 67 NE2 GLN 4 6.439-18.898-4.866 0.000 .00 ATOM 68HE21GLN 4 6.886-19.640-4.346 0.00 0.00 ATOM 69 HE22 GLN 4 5.543-18.524-4.589 0.00 0.00 ATOM 70 C GLN $4 \quad 7.404-13.092-6.046 \quad 0.000 .00$ ATOM 71 O GLN 4 7.101-12.555-5.028 0.00 0.00 ATOM 72 N ASN 5 8.383-12.623-6.840 0.000 .00 ATOM 73 H ASN 5 8.636-13.100-7.694 0.00 0.00 ATOM 74 CA ASN 5 9.439-11.694-6.316 0.00 0.00 ATOM 75 HA ASN 5 8.891-11.096 -5.588 0.00 0.00 ATOM 76 CB ASN 5 10.770-12.425-5.841 0.00 0.00 ATOM 77 HB2 ASN 5 10.657-13.066-4.967 0.00 0.00 ATOM 78 HB3ASN 5 11.124-12.940 -6.734 0.00 0.00 ATOM 79 CG ASN 5 11.957-11.495-5.486 0.00 0.00 ATOM 80 OD1ASN 5 11.934-10.310 -5.438 0.000 .00 ATOM 81 ND2 ASN 5 13.063-12.103 -5.260 0.00 0.00 ATOM 82 HD21ASN 5 13.877-11.576-4.975 0.00 0.00 ATOM 83HD22ASN 5 13.104-13.112 -5.268 0.00 0.00 ATOM 84C ASN 5 9.799-10.663-7.405 0.000 .00 ATOM 850 ASN $5 \quad 9.612-9.480-7.2790 .000 .00$ ATOM 86 N CYX 6 10.343-11.139-8.509 0.00 0.00 ATOM 87 H CYX 6 10.459-12.141-8.456 0.00 0.00 ATOM 88 CA CYX 6 10.944-10.353-9.619 0.00 0.00 ATOM 89 HA CYX 6 10.846-9.291-9.396 0.000 .00 ATOM 90 CB CYX 6 12.499-10.491-9.633 0.00 0.00 ATOM 91 HB2 CYX 6 12.893-10.222-10.613 0.00 0.00 ATOM 92 HB3 CYX $6 \quad 12.842-9.756-8.9060 .000 .00$ ATOM 93 SG CYX 6 13.042-12.148-9.050 0.00 0.00 ATOM 94 C CYX 6 10.406-10.467-11.052 0.00 0.00

ATOM 113 HA LEU 8 13.196-11.724-15.373 0.00 0.00 ATOM 114 CB LEU 8 11.674-12.852-16.462 0.00 0.00 ATOM 115 HB2LEU 8 10.877-12.497-17.116 0.00 0.00 ATOM 116 HB3LEU 8 12.451-13.395-17.000 0.00 0.00 ATOM 117 CG LEU $8 \quad 11.129-13.781-15.3130 .000 .00$ ATOM 118 HG LEU 8 10.455-13.184-14.698 0.000 .00 ATOM 119 CD1LEU 8 10.423-14.921-16.038 0.000 .00 ATOM 120HD11LEU 8 9.428-14.549-16.285 0.00 0.00 ATOM 121HD12LEU 8 10.924-15.174-16.972 0.00 0.00 ATOM 122 HD13 LEU 8 10.474-15.799-15.394 0.00 0.00 ATOM 123 CD2LEU 8 12.141-14.301-14.296 0.000 .00 ATOM 124 HD21LEU 8 12.855-13.537-13.989 0.00 0.00 ATOM 125 HD22 LEU 8 11.596-14.669-13.427 0.000 .00 ATOM 126HD23LEU 8 12.672-15.133-14.759 0.00 0.0 ATOM 127 C LEU 8 12.785-10.543-17.105 0.00 0.00 ATOM 128 O LEU 8 12.061-10.192-18.064 0.00 0.00 ATOM 129 N GLY 9 14.105-10.238-17.102 0.00 0.00 ATOM 130 H GLY 9 14.760-10.532-16.392 0.000 .00 ATOM 131 CA GLY 9 14.778 -9.588-18.268 0.00 0.00 ATOM 132 HA2 GLY 9 14.258-8.638-18.391 0.000 .00 ATOM 133 HA3GLY 9 15.831-9.533-17.991 0.00 0.00 ATOM 134 C GLY 9 14.572-10.352-19.609 0.00 0.00 ATOM 135 O GIY 9 14.468-11.555-19.696 0.000 .00 ATOM 136 N NHE $10 \quad 14.424-9.680-20.7560 .000 .00$ ATOM 137 HN1NHE 10 14.424-8.674-20.671 0.00 0.00 ATOM 138 HN2 NHE 10 14.105-10.116-21.610 0.00 0.00 TER 139 NHE 10 END

AVP, clinched open45pbr* (OPEN)
AVP_23us_T16_18
ATOM ${ }^{1} 1 \mathrm{~N}$ CYX 1 - -3.048 -7.364 19.9900 .000 .00 ATOM 2 H1 CYX 1 ATOM 3 H2 CYX $11-2.471-7.60620 .7830 .000 .00$ ATOM 4 H3 CYX 1 -3.468 -8.226 19.6750 .000 .00 ATOM 5 CA CYX 1 -2.063 -6.812 19.0290 .000 .00 ATOM 6 HA CYX 1
 ATOM 8 HB2 CYX $11-2.049-4.98420 .2680 .000 .00$ ATOM 9 HB3 CYX $11-0.711$-5.999 20.6210 .000 .00 ATOM 10 SG CYX 11 ATOM 11 C CYX $11-1.148-7.98118 .4850 .000 .00$ ATOM 12 O CYX 1 ATOM 13 N TYR $2-0.872-7.87317 .1980 .000 .00$ ATOM 14 H TYR $2-1.293-7.12616 .6630 .000 .00$ ATOM 15 CA TYR $2-0.184-8.91516 .3620 .000 .00$ ATOM 16 HA TYR $2 \quad-0.404-9.88916 .8000 .000 .00$ ATOM 17 CB TYR $22-0.689-8.92714 .8300 .000 .00$ ATOM 18 HB2 TYR $22-0.272-9.83314 .3900 .000 .00$ ATOM 19 HB3 TYR 2 - $-.776-9.00214 .7920 .000 .00$ ATOM 20 CG TYR 2 - $0.204-7.77914 .0840 .000 .00$ ATOM 21 CD1TYR 2 1.072-7.856 13.4310 .000 .00 ATOM 22 HD1 TYR $2 \quad 1.595-8.75113 .7330 .000 .00$ ATOM 23 CE1TYR $21.447-6.92812 .4380 .000 .00$ ATOM 24 HE1 TYR $2 \quad 2.359-6.97311 .8620 .000 .00$ ATOM 25 CZ TYR $2 \quad 0.701-5.76212 .3090 .000 .00$ ATOM 26 OH TYR $2 \quad 1.146-4.67711 .5750 .000 .00$ ATOM 27 HH TYR 2 0.586-3.905 11.4680 .000 .00 ATOM 28 CE2 TYR $22-0.437-5.53813 .1190 .000 .00$ ATOM 29 HE2 TYR 2 - $0.951-4.59613 .0050 .000 .00$ ATOM 30 CD2TYR 2 -0.970 -6.618 13.8580 .000 .00 ATOM 31 HD2 TYR 2 -1.946 -6.524 14.312 0.000 .00 ATOM 32 C TYR $21.324-8.83716 .4890 .000 .00$ ATOM 33 O TYR $2 \quad 2.029-9.78216 .0890 .000 .00$ ATOM 34 N PHE $3 \quad 1.813-7.71617 .0460 .000 .00$ ATOM 35 H PHE $3 \quad 1.241-7.00617 .4790 .000 .00$ ATOM 36 CA PHE $\quad 3 \quad 3.235-7.548 \quad 17.1690 .000 .00$ ATOM 37 HA PHE $3 \quad 3.811-8.34416 .6960 .000 .00$ ATOM 38 CB PHE $3 \quad 3.523-6.30216 .2610 .000 .00$ ATOM 39 HB2PHE $3 \quad 4.610-6.26716 .1840 .000 .00$ ATOM 40 HB3 PHE $3 \quad 3.245-6.51415 .2280 .000 .00$ ATOM 41 CG PHE $3 \quad 3.044-4.92316 .6700 .000 .00$ ATOM 42 CD1PHE $3 \quad 3.923-4.07217 .2770 .000 .00$ ATOM 43 HD1PHE $3 \quad 4.904-4.45717 .5140 .000 .00$ ATOM 44 CE1PHE $\quad 3 \quad 3.582-2.70717 .4140 .000 .00$ ATOM 45 HE1 PHE $3 \quad 4.277-2.06517 .9350 .000 .00$ ATOM 46 CZ PHE $3 \quad 2.366-2.18616 .8540 .000 .00$ ATOM 47 HZ PHE $3 \quad 2.156-1.13416 .9770 .000 .00$ ATOM 48 CE2 PHE $3 \quad 1.477-3.04316 .2660 .000 .00$ ATOM 49 HE2PHE $3 \quad 0.574-2.61915 .8510 .000 .00$

ATOM 50 CD2PHE $3 \quad 1.834-4.39116 .1180 .00 \quad 0.00$ ATOM 51 HD2 PHE $3 \quad 1.180-5.06215 .5810 .000 .00$ ATOM 52 C PHE $3 \quad 3.779-7.21418 .5610 .000 .00$ ATOM 53 O PHE 3- $3.019-6.85119 .4330 .000 .00$ ATOM 54 N GLN $4 \quad 5.113$-7.426 18.817 0.00 0.00 ATOM 55 H GLN $4 \quad 5.714$-7.621 18.030 0.000 .00 ATOM 56 CA GLN $4 \quad 5.722$-7.217 20.1230 .000 .00 ATOM 57 HA GLN 4 5.097-7/14 20.8650 .000 .00 ATOM 58 CB GLN $4 \quad 7.018$-7.958 20.1890 .000 .00 ATOM 59 HB2 GLN $4 \quad 7.684-7.52519 .4420 .000 .00$ ATOM 60 HB3 GLN $4 \quad 7.324-7.986 \quad 21.2350 .000 .00$ ATOM 61 CG GLN 4 6.921-9.482 19.8990 .000 .00 ATOM 62 HG2 GLN $4 \quad 6.367-9.96320 .7060 .000 .00$ ATOM 63 HG3 GLN $4 \quad 6.355-9.63918 .9810 .000 .00$ ATOM 64 CD GLN 4 8.268-10.173 19.8060 .00000 ATOM 65 OE1GLN $4 \quad 8.859-10.42020 .8480 .000 .00$ ATOM 66 NE2 GLN $4 \quad 8.752$-10.539 18.629 0.00 0.00 ATOM 67 HE21GLN 4 9.665-10.971 18.632 0.000 .00 ATOM 68HE22 GLN 4 8.168-10.409 17.816 0.00 0.0 ATOM 69 C GLN $4 \quad 5.812-5.68920 .4830 .000 .00$ ATOM 70 O GLN 4 6.044-4.897 19.5650 .000 .00 ATOM 71 N ASN $5 \quad 5.946-5.35521 .7100 .000 .00$ ATOM 72 H ASN $5 \quad 5.921-6.06222 .4300 .000 .00$ ATOM 73 CA ASN $5 \quad 6.219-3.97622 .1840 .000 .00$ ATOM 74 HA ASN $5 \quad 6.036-4.11823 .2500 .000 .00$ ATOM 75 CB ASN $5 \quad 7.696-3.746 \quad 21.880 \quad 0.000 .00$ ATOM 76 HB2 ASN 5 $58.165-4.705 \quad 22.1020 .000 .00$ ATOM 77 HB3ASN $5 \quad 7.867-3.61720 .8110 .000 .00$ ATOM 78 CG ASN $5 \quad 8.308-2.47222 .5130 .000 .00$ ATOM 79 OD1ASN $5 \quad 7.725-2.00923 .5140 .000 .00$ ATOM 80 ND2 ASN $5 \quad 9.255-1.73222 .0630 .000 .00$ ATOM 81HD21ASN 5 9.400-0.812 22.4560 .000 .00 ATOM 82HD22ASN 5 9.759-2.069 21.2550 .000 .00 ATOM 83 C ASN $5 \quad 5.256-2.93021 .5700 .000 .00$ ATOM 840 ASN $5 \quad 5.696-1.82221 .2030 .000 .00$ ATOM 85 N CYX 6 6 $3.969-3.26621 .4860 .000 .00$ АТОМ 86 H CYX $66 \quad 3.605-4.085$ 21.951 0.00 0.00 ATOM 87 CA CYX $6 \quad 2.946-2.56420 .7710 .000 .00$ ATOM 88 HA CYX $6 \quad 3.313-2.10719 .8520 .000 .00$ ATOM 89 CB CYX $6 \quad 1.858$-3.633 20.2460 .000 .00 ATOM 90 HB2 CYX $6 \quad 2.290-4.15819 .3940 .000 .00$ ATOM 91 HB3 CYX $6 \quad 1.699-4.27321 .1140 .000 .00$ ATOM 92 SG CYX $6 \quad 0.326-2.90419 .5960 .000 .00$ ATOM 93 C CYX $6 \quad 2.377-1.41421 .5680 .000 .00$ ATOM 940 CYX $6 \quad 2.083-1.54522 .8050 .000 .00$ TOM 95 N PRO $7 \quad 2.123-0.24020 .9160 .000 .00$ ATOM 96 CD PRO $7 \quad 2.4890 .13519 .5800 .000 .00$ ATOM 97 HD2 PRO $7 \quad 1.950-0.49218 .8700 .000 .00$ ATOM 98 HD3 PRO $7 \quad 3.523-0.07519 .3050 .000 .00$

ATOM 99 CG PRO $7 \quad 2.1471 .59419 .3750 .000000$ ATOM 100 HG2PRO $7 \quad 1.1811 .75118 .8940 .000 .00$ ATOM 101 HG3PRO $7 \quad 2.9412 .09418 .8210 .000 .00$ ATOM 102 CB PRO $7 \quad 2.189 \quad 2.18020 .8250 .000 .00$ ATOM 103 HB2PRO $7 \quad 1.5583 .05720 .9650 .000 .00$ ATOM 104 HB3PRO $7 \quad 3.222 \quad 2.37021 .1180 .000 .00$ ATOM 105 CA PRO $7 \quad 1.720 \quad 0.995 \quad 21.6930 .000 .00$ ATOM 106 HA PRO 723111147225960.00000 ATOM 107 C PRO $7 \quad 0.243 \quad 1.04822 .0550 .000 .00$ ATOM 108 O PRO $7 \quad-0.5540 .60921 .2420 .000 .00$ ATOM 109 N ARG $8 \quad-0.0701 .80523 .1330 .00000$ ATOM 110 H ARG $8 \quad 0.662 \quad 2.26423 .6560 .000 .00$ ATOM 111 CA ARG 8 -1.502 1.95423 .6520 .000 .00 ATOM 112 HA ARG 8 -2.119 1.08123 .4370 .000 .00 ATOM 113 CB ARG $8 \quad-1.4902 .07625 .1520 .000 .00$ ATOM 114 HB2ARG $8 \quad-2.5102 .13125 .5320 .000 .00$ ATOM 115 HB3ARG $8 \quad-1.058 \quad 1.16125 .5560 .000 .00$ ATOM 116 CG ARG $8 \quad-0.770 \quad 3.36425 .6830 .000 .00$ ATOM 117 HG2 ARG $8 \quad 0.1293 .60225 .1140 .000 .00$ ATOM 118 HG3 ARG 8 -1.487 4.18425 .6710 .000 .00 ATOM 119 CD ARG $8 \quad-0.4443 .26227 .1910 .000 .00$ ATOM 120 HD2ARG 8 -0.138 2.22627 .3330 .000 .00 ATOM 121 HD3ARG $8 \quad 0.4133 .88127 .4570 .000 .00$ ATOM 122 NE ARG 8 -1.591 3.71027 .9670 .000 .00 ATOM 123 HE ARG 8 -1.854 4.66527 .7720 .000 .00 ATOM 124 CZ ARG $8 \quad-2.495 \quad 3.04528 .7120 .000 .00$ ATOM 125 NH1 ARG $8 \quad-2.369 \quad 1.787$ 29.147 0.000 .00 ATOM 126 HH11ARG $8 \quad-1.458 \quad 1.36929 .0200 .000 .00$ ATOM 127 HH12ARG $8 \quad-3.1401 .246 \quad 29.5110 .000 .00$ ATOM 128 NH2ARG 8 -3.688 3.55629 .0120 .000 .00 ATOM 129HH21ARG 8 -3.967 4.48328 .7260 .000 .00 ATOM 130HH22ARG 8 -4.229 3.00729 .6650 .000 .00 ATOM 131 C ARG $8 \quad-2.2163 .09722 .9540 .000 .00$ ATOM 132 O ARG $8 \quad-1.513 \quad 3.91522 .3370 .000 .00$ ATOM 133 N GLY $9 \quad-3.496 \quad 2.99822 .8880 .000 .00$ ATOM 134 H GLY $9 \quad-3.993 \quad 2.25223 .3540 .000 .00$ ATOM 135 CA GLY 9 -4.316 4.08622 .3910 .000 .00 ATOM 136 HA2 GLY 9 -3.989 4.35621 .3870 .000 .00 ATOM 137 HA3GLY 9 -5.346 3.73622 .4550 .000 .00 ATOM 138 C GLY 9 -4.1595 .33023 .2870 .000 .00 ATOM 1390 GLY $9-3.6005 .25324 .3950 .000 .00$ ATOM 140 N NHE $10-4.5616 .49022 .8660 .000 .00$ ATOM 141 HN1 NHE $10 \quad-5.196 \quad 6.55222 .0840 .000 .00$ ATOM 142 HN2 NHE 10 TER 143 NHE 10 ATOM 144 Cl-Cl- $11 \quad 10.024-9.713-3.281 \quad 0.00 \quad 0.00$ TER 145 Cl- 11 ATOM 146 Cl Cl- $12 \quad-0.806-6.9291 .1560 .000 .00$ TER $147 \mathrm{Cl}-12$

## A 9: Presentations and Talks

## The Necessity of Long-term Molecular-Dynamics Simulations: Deamino-Oxytocin - Novel

## Conformational Insights

(Abstract, Poster)

Haensele E, Banting L, Clark T. The Necessity of Long-term Molecular-Dynamics Simulations: Deamino-Oxytocin - Novel Conformational Insights. (a) 26th Molecular Modeling Workshop, March 12th, 2012. Erlangen, Germany. (b) IBBS Day, May 11th, 2012. University of Portsmouth, UK. Abstract: http://mmws2012.mgms-ds.de

known


Extended molecular-dynamics (MD) simulations ( $>1 \mu \mathrm{~s}$ ) show great promise in delivering significant, practically relevant, insight into conformational processes that occur within molecular systems. If long enough, MD simulations can reveal conformational interconversions particularly in peptides and proteins. A conformational equilibrium may be unfavourable and dominated by the highly populated more stable conformation. However, the less favoured conformer is often the physiologically relevant one and may present significant difficulties for quantification by experimental techniques. Close coordination of MD analysis and experiment helps shed light on pharmacologically relevant molecular phenomena. This work is part of a series of long-term MD simulations (1) ( $\geq 3 \mu \mathrm{~s}$ ) applied to the cyclic nonapeptides oxytocin, $\mathrm{Arg}^{8}$-vasopressin, and deaminooxytocin (dOT). Their moderate size and multitude of structural features presents an ideal test case to emphasise the necessity of long-term simulations and to apply diverse conformational-analysis methods $(2,3)$. The MD on dOT shows that (i) the results achieved with a runtime of $3 \mu \mathrm{~s}$ are in very good agreement with experimental data $(4,5)$ and (ii) employing DASH $(2)$ in the analysis of these systems proves powerful and reliable in characterising conformational clusters. Furthermore, a previously undetected ring conformation of dOT was significantly populated in the simulation trajectory ( $390 \mathrm{~ns} / 3000 \mathrm{~ns}, 8$ transitions). This conformation indicates greater conformational flexibility of dOT vs. OT/ VP and thus helps explain its super-agonist properties (6).

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The necessity of long-term molecular dynamics simulations

## Deamino-oxytocin

## Novel conformational insights

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Main ring conformations



Hydrogen bonds and secondary structures



DRS2 95\% 2-3-4-5 turn


DRS1 50\% 2-3-4-5 turn $35 \%$ 310-helical turn
$28 \% 6-7-8-9$ turn



## Long-term MD



FIg. 5 RMSD (CA ring) vs. time [ns] and mean DASH ring states (DRS)

## MD simulation

A 3000 ns free molecular-dynamics simulation at 300 K for dOT in aequous solution was carried out and clustered by DASH. Significant conformational changes of ring-RMSD values correlate precisely with the mean DASH ring states DRS2 and DRS1 presented here

## DASH clustering

DASH ring state DRS2, the main ring conformation cluster populating $87 \%$ of the 3000 ns trajectory, matches the X -ray conformation XY1 of dOT DASH ring state DRS 1 is a second significantly po pulated unexpected conformation ( $13 \%$ ). There are eight transitions between the two states along the trajectory

Hydrogen bond analysis and secondary structure analysis The ring conformation of DRS2 is characterised by a 2-3-4-5 turn stabilised by transannular hydrogen bonds 20 bu
 correspond very well with experimental data. CRS2 he DRS2 has transannular hycrogen bond is 11205 , but the $2-3-4-5$ tum 104 H bond.


Co-joining of "theory and practise"
Unexpected results from either experimental or theoretical re search give fresh impetus and benefit from synergy and mutual reinforcement shedding light on pharmacologically relevant molecular phenomena

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# Molecular-Dynamics and Umbrella-Sampling Simulations of Arg ${ }^{8}$-Vasopressin 

(Abstract, Poster)

Haensele E, Banting L, Clark T. Molecular-Dynamics and Umbrella-Sampling Simulations of Arg8Vasopressin. (a) 27th Molecular Modeling Workshop, Feb 25th, 2013. FAU Erlangen-Nürnberg, Germany. (b) IBBS Day, Jun 7th, 2013. University of Portsmouth, UK.

Abstract: http://mmws2013.mgms-ds.de

inermediate saddle


Gly9-NH2

Arg ${ }^{8}$-Vasopressin
Arg ${ }^{8}$-Vasopressin (AVP) is a neurohypophyseal hormone with a wide range of endocrinological and neurological functions, e.g. water homeostasis, blood pressure regulation and mediation of social and sexual behaviour. Main structural characteristics are a 6 -residue ring closed via disulphide bridging, and an $\alpha$-amidated 3 -residue tail. Figure: Structure and backbone conformations (blue: open; red: saddle; rose: intermediate; cartoon: backbones; sticks: disulphide bridges; not shown: sidechains)

A long-term ( $5 \mu \mathrm{~s}$ ) molecular-dynamics simulation of $\mathrm{Arg}^{8}$-vasopressin was performed in aqueous solution at 300 K . Two main conformational ring states were identified via DASH (1) analysis: DRS $_{\text {open, }}$, a stretched, open conformation with no intramolecular hydrogen bonds in the ring; and $\mathrm{DRS}_{\text {saddle }}$, a folded, saddle-like conformation with strong hydrogen bonding interactions between the carbonyl oxygen of the ring residue $\mathrm{Tyr}^{2}$ and the amide protons of the ring residues Asn ${ }^{5}$ and Cys ${ }^{6}$. Only one transition between both main states was observed during the $5 \mu \mathrm{~s}$ simulation run. In addition to these two main states, a sparsely populated DASH state, DRS intermediate , was found with mixed conformational characteristics of the two main states. Umbrella Sampling (2, 3), postprocessed with WHAM (4-6), was used to estimate the free energy profile for the conformational change from open to saddle and led to a reaction path via DRS $_{\text {intermediate }}$ (see video clip (7)), with barrier heights of $7.7 \mathrm{kcal} \mathrm{mol}^{-1}$ and $14.2 \mathrm{kcal} \mathrm{mol}^{-1}$ and a free energy difference between the open and saddle states of $4.0 \mathrm{kcal} \mathrm{mol}^{-1}$.
(1) D.W. Salt, B.D. Hudson, L. Banting, et al., J. Med. Chem., 2005, 48, 3214-3220. (2) G.M. Torrie and J.P. Valleau, J. Comput. Phys., 1977, 23, 187-199. (3) G.M. Torrie and J.P. Valleau, Chem. Phys. Lett., 1974, 28, 578-581. (4) S. Kumar, J.M. Rosenberg, D. Bouzida, et al., J. Comput. Chem., 1992, 13, 1011-1021. (5) M. Souaille and B.T. Roux, Comput. Phys. Commun. , 2001, 135, 40-57. (6) A. Grossfield, WHAM, Version 2.0.1, 2000.
[7] https://www.youtube.com/watch?v=zOaRtSxNQ2I


PeReNe
Molecular Dynamics and Umbrella Sampling Simulations of 8-Arg-Vasopressin

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## 8-Arg-Vasopressin

8 -Arg-Vasopressin (AVP) belongs to a family of highly preserved neuropeptides that exist in all animals. Structural characteristics of these hormones are a cyclic moiety of 6 residues, closed via a disulphide-bridge and a 3 -residue tail with an $\alpha$-amidated $c$ terminal. AVP, found in mammals, is responsible for a wide range of neuroendocrinological functions, inter alia pressor activity, antidiuretic effects, and mediation of social and sexual behaviour. These blological effects are developed via interaction with $G$-protein coupled vasopressin-receptors (for review, see e.g. [1]).


## Objectives and methods

Without knowledge of the intrinsic dynamic nature of receptor and ligand, even in the unbound state, an understanding of receptor activation is not possible. To study the molecular dynamics (MD) of AVP a 5 Hs Amber 10 (parm995B) force-field simulation at 300 K in water (TIP4P) was carried out. The conformational space was clustered according to backbone torsion-angles via DASH [2] to identify significant conformational states. Free energy profiles were estimated for transitions between various conformations via umbrella sampling [3], post-processed with WHAM [4].

What is the bioactive conformation of 8-Arg-Vasopressin?

## Molecular dynamics:

Conformational states in solution

## Open

The main conformational state during $0-1450$ ns ( $98.3 \%$ occupancy) has a stretched, open backbone shape and no intramolecular hydrogen bonds inside the ring. The state corresponds to the MD starting-conformation of AVP, 1YF4, a trypsin complex [5]. 1YF4 is the only fully resolved $X$-ray structure of AVP to date.

## Saddle

At 1460 ns , a spontaneous conformational change takes place. The new state is characterised by a saddle-like backbone shape and significant intramolecular hydrogen bonding interactions of Tyr2's carbonyl-oxygen and the amide-hycrogens of Asns and Cys6. This saddle state remains until the end of the simulation (1460-5000 $\mathrm{n5}$, $97.8 \%$ occupancy). The sadale confornalu from the neurophysin complex of $\mathrm{Lys}-\mathrm{VP}, 1 \mathrm{JK} 4$ [ 6

## Intermediate

In addition to the two conformational main states, open and saddile, a random conformation was found $(0.8 \%, 5 \mu$ s) that shows conformational features of both main states: a saddle-like backbone ringconformation but, like the open conformation, with no intramolecular hydrogen bonds.

## Free energy

Pathways of conformational changes
Free energy profiles were estimated via umbrella sampling. Starting with the open conformation, an inwards turn of the carbonyl-O of Tyr2 (via rotation of Phi3) forces the backbone to change to the intermediate conformation. The second path starts with the intermediate and describes the rotation of Phis, which turns the amide-NH of Asns into the ring and leads to the formation of the ring-internal hydrogen bonds, characteristic for the saddle conformation.

## Discussion

The dynamic analyses of AVP reveal two main backbone conformations to be considered as possible bioactive ligand conformations: open and saddle. As the trypsin complex of AVP (opens) is, if ever, of only little biological not much attention has been directed toward the open (sorformation. ("The Unregarded" up to now. NMR-studies also indicate that the



Saddle Saddle
"The Elephant in the Room"



References and supplementary data



Co-funding of PeReNE (The European project "Peptide Research Network of Excellence") and Interreg EU (Interreg IVA France (Channel) - England 2007-2013 programme) is gratefully acknowledged.

# Urotensin-Related Peptide (URP): Long-term Molecular-Dynamics Simulation 

(Abstract, Poster)

Haensele E, Banting L, Clark T. Urotensin-Related Peptide (URP): Long-term Molecular-Dynamics Simulation. (a) 28th Molecular Modeling Workshop, Mar 18th, 2014. FAU Erlangen-Nürnberg, Germany. Abstract: http://mmws2014.mgms-ds.de


Urotensin-related peptide: Ala-[Cys-Phe-Trp-Lys-Tyr-Cys]-Val
(Human-UII: Glu-Thr-Pro-Asp-[Cys-Phe-Trp-Lys-Tyr-Cys]-Val)

The hormone peptides URP (urotensin-related peptide) and U-II (urotensin II) are the natural ligands of the urotensinergic GPCR (G-protein coupled receptor) system, which plays an important role in the regulation of the cardiovascular system. Besides their physiological function, URP and U-II are also linked to pathophysiological processes such as hypertension (1). URP is an octapeptide with a six-residue ring closed by a 2Cys-7Cys-disulphide bridge, a 1-Ala N -terminal and an 8-Val Cterminal. URP differs from U-II only in the length of the N -terminal and is thus a prototype for the ring-system of these hormone peptides. Both the ring-residues Trp-Lys-Tyr and the disulphide bridge are thought to be important for receptor activation (1). Understanding the dynamic conformational properties of URP can help develop pharmacophores and direct simulations of the receptor. We describe a $5 \mu \mathrm{~s}$ molecular-dynamics simulation of URP that demonstrates the high flexibility of the peptide. DASH (2) analysis reveals several distinct main and transient conformational states that interchange rapidly. These states will be characterised and their properties discussed with some focus on the conformation of the disulphide bridge.

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# Long-term Molecular-Dynamics Simulation Urotensin-Related Peptide (URP) 

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## Structure determination

Small peptides are often very flexible, which makes an experimental structure determination difficult. Long-term molecular-dynamics simulations (MD) help sample their conformational space effectively. Here, we present a $5 \mu \mathrm{~S}$ MD simulation of URP ( 300 K , explicit water solvation, Amber ff99SB). Representative states were determined by analysing time series of torsion angles using DASH [1]. The modular structure of the system is shown (Fig. 3) with special focus on the conformation of the ring and the disulphide bridge (Fig. 4,5).
The results are useful for pharmacophore studies, simulation of receptor-ligand complexes, and to simulate NMR spectra. Elucidation of dynamical conformational properties helps understand allosteric mechanisms of ligand/receptor interactions.

## Urotensin-related peptide (URP)

URP is a cyclopeptide consisting of a 6 -residue ring closed by a disulphide bridge, a 1 Ala N -terminus and an 8 val C -terminus. It is a paralog of Urotensin-ll (UII), a large family of G -protein coupled receptor ligands found in many species. The N -terminus of Ull is highly variable in length and sequence, whereas the cyclic C -terminus is conserved for all vertebrates and thought to be responsible for receptor activation, UII and URP are vasoactive and strongly implicated in car diovascular homeostasis. [2]
The present molecular-dynamics study investigates the conformational and dynamical properties of URP as a prototyp for the Ull ring-system and is a starting point for comparative studies on human-UII.

## High flexibility does not exclude structure

## Molecular dynamics and

representative conformational states of URP
Although highly conformationally mobile, URP exhibits distinctly modular structure (fig. 3):

Two main ring states, $\Omega$-407H and $\Omega$-open (Fig. 2 ) interconvert readily.
$\Omega$-407H is characterised by a type-1 5,6 -beta turn with a 407 H transannular hydrogen bond.
$\Omega$-open has similar backbone shape to $\Omega-407 \mathrm{H}$-residues $3-6$, but lacks intramolecular hydrogen bonds.
The ring state $\Omega-407 \mathrm{H}$ exhibits two distinct 8 val ( C -terminal tall) positions, endo and exo. These substates are equally populated and interconvert frequently. The endo 8Val enables the additional hydrogen bond 408 H .
The ring-torsion Psi6, linked to a rotation of the 6 Ty 7 Cys-peptide bond, is the key torsion for transitions between the two main conformations $\Omega-407 \mathrm{H}$ and $\Omega$-open.
In addition, the ring may be classified by 4 disulphide-bridge states (Fig. 3-5).
Besides the two main ring states $\Omega-407 \mathrm{H}$ and $\Omega$-open that occupy $94 \%$ of the simulation time, two transient states, $\Omega$-hybrid and $\beta$-sheet, were found (Fig. 6).


## Disulphide bridge: A flexibility switch?

The average disulphide torsion $2 \times 3$ is either $+86^{\circ}(\mathrm{p})$ or $-86^{\circ}$ (n) with no preferred handedness. Main conformations are shown in Figure 5 . The transition propensity between $\Omega$-open and $\Omega-407 \mathrm{H}$ in regions with a positive $2 \times 3$ torsion (yellow) is significantly higher. This observation gives reason to speculate about the bloactive function of the disulphide bridge: Is the SS-conformation a flexibility switch?






Co-funding of PeReNE (The European project "Peptide Research Network of Excellence") and Interreg EU (Interreg IVA France (Channel)-England programme) is gratefully acknowledged.

# DASH: Analysis of Microsecond-Scale Molecular-Dynamics Trajectories 

(Abstract, Talk)

Haensele E, Whitley D, Banting L, Clark T. DASH: Analysis of Microsecond-Scale MolecularDynamics Trajectories (Talk). 28th Molecular Modeling Workshop, Mar 18th, 2014. FAU ErlangenNürnberg, Germany. Abstract: http://mmws2014.mgms-ds.de


Natural timescales for conformational changes may last milliseconds to seconds, e.g. protein folding. Although current molecular-dynamics simulations (MD) typically cover timescales of 10 to 100 nanoseconds, the computational power has become readily available to run simulations on a microsecond scale. However, such long simulations create the technical problem of how to analyse the increased volume of output within a reasonable time without being forced to reduce the number of considered data points drastically. This is where common clustering methods reach their limits. DASH (Dynamic Analysis by Salt and Hudson) (1) provides an alternative solution by using a time series of torsion angles instead of similarity matrices of Cartesian coordinates (clustering) to find representative conformations (states). Time-series analysis is very fast, making DASH capable of analysing considerable large datasets. The principles of DASH will be explained and amberDASH, an interface for the user-friendly application of DASH to AMBER trajectories, will be introduced.

The performance of $D A S H$ and the consistency of its results will be demonstrated using a 5-microsecond MD trajectory of $\mathrm{Arg}^{8}$-vasopressin as an example.

DASH 1.0 Program for extracting states from molecular-dynamics simulations; distributed under the terms of the GNU General Public License; download via www.port.ac.uk/research/cmd/software
AmberDASH DASH interface for AMBER trajectories (unpublished); currently provided via email (please contact Dr David Whitley david.whitley@port.ac.uk)
(1) D.W. Salt, B.D. Hudson, L. Banting, M.J. Ellis, M.G. Ford, J Med Chem, 2005, 48, 3214-3220

# Cyclic Peptide Hormones: Conformation, Dynamics and Pharmacophores of Urotensin and Vasopressin 

(Abstract Talk)<br>Haensele E, Banting L, Whitley D, Read C, Cary P, Clark T, et al. Cyclic Peptide Hormones: Conformation, Dynamics and Pharmacophores of Urotensin and Vasopressin (Joint Lecture). Final PeReNE Meeting, Jan 15-16th, 2015. University de Le Havre, France.

Human urotensin II (h-UII), urotensin-related peptide (URP), and Arg ${ }^{8}$-vasopressin (AVP) are natural bioactive peptides that exhibit a multitude of physiological functions such as vasoconstriction or water homeostasis. They are G-protein-coupled-receptor ligands and their common structural feature is a 6 -residue ring closed by a disulphide bridge. Elucidating the conformational space of the free peptides is important in order to identify candidates for the biologically active conformation and understand the mechanisms of receptor activation and hence for drug design. Cooperatively, we study the structure and dynamics of these peptides using different methods and approaches.

1. Unrestrained, long-timescale ( $5 \mu \mathrm{~s}$ ) molecular-dynamics (MD) simulations of h-UII and URP in solution reveal two distinct major populated ring states ( $\Omega$-shape and folded) with well-defined structures but significantly different dynamics. The results agree well with experimental findings but provide extra detail not available from the experiments. Different dynamics of URP and UII indicate that a longer N -terminus may stabilise more structured ring states.
2. Replica Exchange MD simulations were applied to h-UII, URP and AVP in water and nonaqueous solvents, to extend our understanding of the conformational sampling of these peptides. The rate of convergence of the REMD conformer populations provide data regarding the peptide conformational dynamics, while the relative populations of each conformer derived from the converged simulations allow the relative free energies of each state to be estimated.
3. Receptor of $\mathrm{Arg}^{8}$-vasopressin (called V2R) and that of urotensin II and URP (called UT) were built using the homology modelling technique. Different conformations of vasopressin, derived from the five $\mu \mathrm{s}$ MD simulations performed in Portsmouth, were docked into the binding site of the V2R model and ligand-receptor interactions were analysed. Furthermore, new data concerning the notion of biased ligands encouraged us to extend this study by considering more recent binding and pharmacological data for non-peptide, pseudo peptide and natural peptide ligands of UT. From a new set of non-peptide ligands, various pharmacophores were generated. These pharmacophores were analysed and aligned to URP and h-UII conformations resulting from long molecular dynamic simulations. To complete this work, a docking study was carried out on UT as well as a virtual screening of CERMN and French National chemical libraries.
Within a multi-allosteric view, all conformations presented may be considered as bioactive receptor-ligands and potential candidates for drug-design. Simulations of the vasopressin receptor type 2 suggest alternative binding sites.

# Urotensin II and Urotensin-Related-Peptide: How to Decipher NMR-Data for Conformational Equilibria with Molecular-Dynamics Simulation and Modelling 

(Abstract, Poster)<br>Haensele E, Mele N, Miljak M, Read CM, Whitley DC, Banting L, et al. Urotensin II and UrotensinRelated Peptide: How to Decipher NMR-Data for Conformational Equilibria with MolecularDynamics Simulation and Modelling. 13th German Peptide Symposium (DECHEMA), Mar 20-23, 2017. FAU Erlangen-Nürnberg, Germany.

The flexible peptides urotensin II (UII) and urotensin-related peptide (URP) are natural ligands of the G-protein coupled urotensin receptor, UT. They are inter alia involved in cardiovascular regulation (1). Different "single-conformations" for UII and URP have been suggested to be the reason for the different biological responses observed in some cases (2). However, these peptides cannot be described as a single-conformation in solution. We found that both UII and URP rather exist as a fast equilibrium between two main types of ring conformations, open and folded. The ratio open:folded for UII is $72: 28$, whereas the equilibrium for URP is shifted further towards open conformations with a ratio of $86: 14$. The conformational equilibria were characterised by combining unrestrained and enhanced molecular-dynamics simulations and simulating the NMR spectra based on the suggested equilibrium concentrations. This was achieved by comparing the experimental 1 H chemical shifts with DFT-calculated chemical shifts of single conformations and conformational mixtures. The technique has already been tested for $\mathrm{Arg}^{8}$-vasopressin (3) and is apparently able to decipher NMR data of flexible peptides for conformational equilibria.

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## Urotensin-II and Urotensin Related Peptide How to Decipher NMR-Data for Conformational Equilibria with Molecular Dynamics Simulation and Modeling <br> Haensele $E$, Read $C$, Whitley D, Banting L, School of Pharmacy and Biomedical Sciences, and diological Sciencess, University of Porsmouth, UK Mele $N$, Miliak $M$, Essex $J$, school of Chemistry, University of Southampton, UK; Deleipee $C$, Sopkova $J$, Lepailleur, , Bureau R, CERMN, Université Nommandie, France: Clark T, Computer-Chemie-Centrum, Friedrich-Alexexnder-UNiverstïat Entangen-Nürnberg, Gemany



Technique

## 1 NMR Experiments

Assignment of experimental chemical shifts ( $\delta$ ): $\delta\left({ }^{( } \mathrm{H}\right)$ performs best to identify the best fiting model. $\delta\left({ }^{3} \mathrm{C}\right)$ can be used for control metrics.
2 MD Simulations
Identification of main conformational types with unrestrained, long ( $\mu \mathrm{s}$-scale) molecular dynamics (MD) simulations: Representative conformations are used as input for NMR calculation and enhanced sampling.
3 Enhanced Sampling
Determination of equilibrium concentrations: Unrestrained MD simulations are complemented with enhanced sampling (e.g. REMD, Metadynamics). For Ull and URP, simulations converged to similar ratio of open and folded conformations.
4 DFT/NMR Calculation
Calculation of chemical shifts for each representative ("single-conformation" models) using densitiy functional theory (DFT): optimisation and NMR shielding tensor calculation (same level); $\delta$ conversion
5 NMR Modeling
spectra via linear combination of single-conformation" $\delta\left({ }^{\prime} \mathrm{H}\right)$
based on the suggested equilibrium concentrations.
6 Evaluation
Linear regression of calculated 'H single-conformation spectra and equillibrium spectra with the experimental spectrum. Analysis of error values (e.g. mean errors, weighted root mean square deviation, etc.). [4]


## Conformational Equilibria of UII and URP




Urotensin Related Peptide


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(Note: References of Appendices "Reprint Supporting Information" of Papers 1 to 3 are not included)

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[^0]:    or derivatives with hormone function
    ii uncontrolled wetting
    iii inflammation of mouth/lips and back of the throat, respectively
    iv labour suppressants

[^1]:    antagonists need to occupy at least 50\% of all receptors to ensure therapeutic effectiveness

[^2]:    ${ }^{i}$ They assigned low-energy (MM calculations) ring conformations (defined by $\mathrm{C} \alpha$ positions) of dOT and dAVP to cyclohexane conformations (boat, chair, twist, sofa with 26 subcategories). The idea was not developed further, superseded by the clearer sequential notation with secondary-structure elements.

[^3]:    ${ }^{\text {i }}$ Only the ring-state type saddle was found (both for OT and AVP). The REMD simulation appears not to be converged and conclusions have to be considered with caution.
    ${ }^{\text {ii }}$ Remark: Long-scale MD simulations show that in solution a fluctuation of $\pm 30^{\circ}$ around an ideal turn torsions can be assumed. Thus, $\beta-1^{\prime}\left(+60^{\circ}+30^{\circ}+90^{\circ} 0^{\circ}\right)$ and $\beta-1 I I \prime^{\prime}\left(+60^{\circ}+30^{\circ}+60^{\circ}+30^{\circ}\right)$ turns are not distinguishable. Sikorska's two conformations, (1) and (2), belong to the same conformational main type.
    iii Cannot be verified: $204 \mathrm{H}=5.0 \AA, 4 \mathrm{O} 6 \mathrm{H}=3.6 \AA$ (PyMOL)

[^4]:    i in contrast to the evaluation of the potential energy by quantum mechanics

[^5]:    ' by Essex et al. and Clark et al.

[^6]:    ${ }^{\text {i }}$ Nobel prize Chemistry 2013: A. Warshel, J. Levitt, M. Karplus

[^7]:    i Default cutoff in AMBER 10 and AMBER 14 is $8 \AA$
    " CPU Central Processing Unit; GPU Graphics Processing Unit
    iii default in AMBER (ff99SB parameters are optimised for 300 K )
    iv e.g. the peptides here

[^8]:    i e.g. protein including membrane and explicit solvation

[^9]:    ' Define Secondary Structure of Proteins

[^10]:    ${ }^{\text {i }}$ An illustration is e.g. given by Palmer et al. ${ }^{129}$ (Fig. 1a)

[^11]:    i DSS = 4,4-dimethyl-4-silapentane-1-sulfonic acid, $\left(\mathrm{CH}_{3}\right)_{3} \mathrm{Si}-\left(\mathrm{CH}_{2}\right)_{3}$ - $\mathrm{SO}_{3} \mathrm{H}$; TMS $=$ tetramethylsilane, $\mathrm{Si}\left(\mathrm{CH}_{3}\right)_{4}$

[^12]:    ${ }^{i}$ Note: MSE is also used as acronym for the mean squared error

[^13]:    which is currently $\mu \mathrm{s}$-scale

[^14]:    ${ }^{i}$ Elke Haensele, ${ }^{\text {a }}$ Lee Banting, ${ }^{\text {a }}$ David C. Whitley, ${ }^{\text {a }}$ and Timothy Clark ${ }^{\text {a }, \mathrm{b}, \boxtimes}$
    ${ }^{\text {a }}$ Centre for Molecular Design, School of Pharmacy and Biomedical Sciences; University of Portsmouth, Portsmouth PO1 2DT (United Kingdom); ${ }^{\text {b }}$ Computer-Chemie-Centrum and Interdisciplinary Center for Molecular Materials; Friedrich-Alexander-Universität ErlangenNürnberg, Nägelsbachstraße 25, 91052 Erlangen (Germany)

[^15]:    ' Sentence rephrased for a better understanding.

[^16]:    ${ }^{i}$ Note: The convergence of the tail conformations was further confirmed by the extended $23 \mu \mathrm{~s}$ MD of AVP ( see Chapter 5 and Appendix A4 Additional Analysis)
    ${ }^{i i}$ The clinched open state turned out to be major populated proved by the extended $23 \mu \mathrm{~S}$ MD and metadynamics simulations (cf. Chap. 5)

[^17]:    $23 \mu \mathrm{~s}$ AVP MD simulation was equivalent to a CPU time of 17,000 hours (almost 2 years net computation time). For performance of AMBER simulations, see Appendix A7

[^18]:    
    ${ }^{\text {a }}$ Computer-Chemie-Centrum der Friedrich-Alexander-Universität Erlangen-Nürnberg, Nägelsbachstraße 25, 91052 Erlangen, Germany;
    ${ }^{\mathrm{b}}$ School of Pharmacy and Biomolecular Sciences, University of Portsmouth, Portsmouth PO1 2DT, United Kingdom; ' School of
    Biological Sciences, University of Portsmouth, Portsmouth PO1 2DY, United Kingdom

[^19]:    ' Author's note: later in this project, the more general notation folded was used

[^20]:    ${ }^{\text {i }}$ Author's note: subsequently denoted as clinched open45pbr

[^22]:    ${ }^{\S}$ Ring-state types are characterised by their turn centres (blue) and the donor oxygen for transannular hydrogen-bond interactions (red). Side chains are indicated by the 1-letter code of the residue. Turn types and corresponding hydrogen bonds populated $>70 \%$ are listed. ${ }^{\text {a }}$ Mean torsion angles (Appendix A3 Table S3) and coordinate files of representatives are given in the SI (ID = ID of representative).

[^23]:    ${ }^{5}$ Hydrogen-bond populations are relative to the lifetime of the ring-state type; only those hydrogen bonds are listed that were found to be populated $>50 \%$ for at least one ring-state subtype; hydrogen bonds $>70 \%$ (presumably involved in classical turns) are shown in bold. *Average hydrogen-bond population for the frequently interconverting subtypes $\Omega$ - $I_{\text {hbond }}$ and $\Omega-I_{\text {open }}$ (cf. Fig. S1 of the SI, Appendix A3); $\Omega=$ omega.

[^24]:    ${ }^{\text {a }}$ Best results are shown in bold. MSE = Mean Square Error, MUE = Mean Unsigned Error, RMSD $=$ Root Mean Square Deviation, WRMSE
    $=$ Weighted Root MSE, $\Delta_{\sigma}=$ coefficient of distinctiveness, ${ }^{2} R^{2}=$ coefficient of determination.

[^25]:    ${ }^{\text {a }}$ Average standard deviation $0.29 \mathrm{kcal} \mathrm{mol}^{-1}$. ${ }^{\mathrm{b}}$ Total population of assigned representatives: REMD-IV $74 \%$, V $69 \%$, VI 66 \%. ${ }^{\text {c REMD-IV }}$ equilibrium gives the best agreement with experiment. ${ }^{d}$ stddev $=$ standard deviation. ${ }^{e}$ Coordinate files are available as SI (Appendix A3). $I D=I D$ of representative.

[^26]:    ' a hybrid of OT's ring-state types open ${ }_{23 p b r}$ and clinched open

[^27]:    ${ }^{\text {a }}$ Hydrogen-bond populations are relative to the lifetime of the ring-state type. Notation: Residue numbers of carbonyl O and amide H . Populations $>70 \%$ are highlighted. ${ }^{\text {b }}$ Secondary-structure propensities $>75 \%$ indicate classical turns. Abbreviation: dist = distorted.

[^28]:    * Only found as transient conformation. ${ }^{\text {a }}$ Hydrogen-bond population. ${ }^{\text {b }}$ Folded-III can be regarded as tail-variant of folded-II. ${ }^{\text {c }}$ Only UII.

[^29]:    

[^30]:    ${ }^{i}$ The rotation of a peptide bond leads to significantly different backbone torsions but only insignificant changes of the C $\alpha$ coordinates; thus the backbone shape remains similar.

[^31]:    *Corresponding author: tim.clark@fau.de

[^32]:    ${ }^{\S}$ Maximum similarities are highlighted. ${ }^{\text {a }}$ Representative conformations of UII from a total of $35 \mu \mathrm{~S}$ MD simulations (EH, Paper 3). ${ }^{\text {b }}$ ID of representative conformation, cf. Table 6.1 and 6.6, Chapter 6 (Paper 3). ${ }^{c}$ UII in DMSO, NMR. ${ }^{d}$ URP in $\mathrm{H}_{2} \mathrm{O}$, NMR.

[^33]:    i "Every body persists in its state of being at rest or of moving uniformly straight forward, except insofar as it is compelled to change its state by force impressed." (Trägheitsprinzip, Impulserhaltungsgesetz)
    ii "The alteration of motion is ever proportional to the motive force impressed; and is made in the direction of the right line in which that force is impressed." (Aktionsprinzip)
    iii "To every action there is always opposed an equal reaction: or the mutual actions of two bodies upon each other are always equal, and directed to contrary parts."

[^34]:     Harpertown); e 2496 CUDA cores @ 0.71 GHz (NVIDIA Tesla K20c) and 448 CUDA cores @ 1.15 GHz (NVIDIA C2075); ${ }^{\dagger}$ ID or working title of corresponding MD simulation

[^35]:    i The similarity between Ward's conformations is $99-100 \%$. Thus all Ward conformations belong to the same ring-state type.

[^36]:    ${ }^{\S}$ Representative states for each peptide are highlighted in green. For OT, representatives subtypes have been defined with extended and folded tail for subsequent NMR modelling ${ }^{\text {a }}$ Ring states are ordered by ring-state types and descending populations. ${ }^{\text {b }}$ Overall states with maximum similarity of ring torsions to ring states. ${ }^{\text {c }}$ Representative states are highlighted (green = extended tail; light green = folded tail). ${ }^{d}$ Ratio of extended and folded tail conformations are calculated from the relative populations of overall states of the same ring-state type. Abbreviations: T10 = ring states defined via $\Phi \Psi$ 2-6 (10 torsions); T16 = overall states defined via $\Phi \Psi$ 2-9 (16 torsions); Pop = absolute state population relative to simulation time; circsim = circular similarity; clop = clinched open; tws = twisted saddle.

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